Constraints on ALPs-Lepton coupling via ΔN_{eff}^{BBN}

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Less travelled path of dark matter, ICTS

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A Lightening review: Axions/ALPs

Strong CP problem

The CP violating part of the SM after EWSB is

$$\mathcal{L} = -m_q e^{i heta_m} ar{q} q(+ ext{h.c.}) - rac{lpha_s \, heta_{ ext{QCD}}}{8\pi} G_{a\mu
u} ilde{G}^{a\mu
u}.$$

The CP violating phase from the Yukawa term can be related to $G_{a\mu\nu}\tilde{G}^{a\mu\nu}$ term as,

$$\theta = \theta_{QCD} + N_f \theta_m$$
.

The observational consequence \rightarrow electric dipole moment of neutron which is constrained to very small value $|d_n| < 10^{-26} e.cm$

The smallness of this parameter is intriguing as it gets contribution from completely unrelated phases - strong CP problem.

Axions

ightharpoonup Solution to the strong-CP problem = promote θ to dynamical field

$$\mathcal{L}_{
m axion} = rac{1}{2} \partial_{\mu} a \partial^{\mu} a + rac{g^2}{32\pi^2} rac{a(x)}{f_a} G^a_{\mu
u} ilde{G}^{a\mu
u}$$

- ► Field is driven to zero under spontaneous breaking of a new global U(1) symmetry (Peccei-Quinn symmetry)
- Axions the pseudo-Nambu goldstone bosons of spontaneously broken global symmetry
- ▶ Symmetry is broken explicitly at $\Lambda_{\rm QCD}$ due to non perturbative QCD effects small axion mass following a relation

$$m_a = 6\mu \, \mathrm{eV} \Big(\frac{10^{12} \mathrm{GeV}}{f_a} \Big)$$

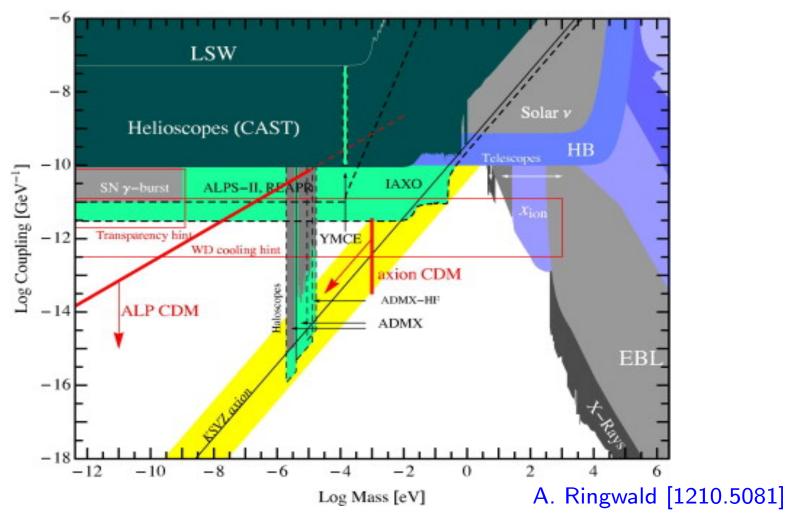
Axion like particles(ALPs) .. & properties

- Generalization of axions to any pseudoscalar (spin 0) associated with a spontaneously broken U(1) but **may not** solve the strong CP problem example: majorons.
- ► Their mass and coupling to photons, in general, are not related.

The Lagrangian density describing the interactions of axions or ALPs to SM particles is

$$\mathcal{L} = rac{1}{2} (\partial_{\mu} a)^2 + rac{g_{a\gamma\gamma}}{4f_a} a F_{\mu\nu} \tilde{F}^{\mu\nu} + c_{\psi} rac{\partial_{\mu} a}{2f_a} ar{\psi} \gamma^{\mu} \gamma_5 \psi.$$

Bounds and Searches via photon coupling



The recent NA64 experiment study limits $m_a \lesssim 55 \, \mathrm{MeV}$ with

$$2 \times 10^{-4} \lesssim g_{a\gamma\gamma} \lesssim 5 \times 10^{-2}$$

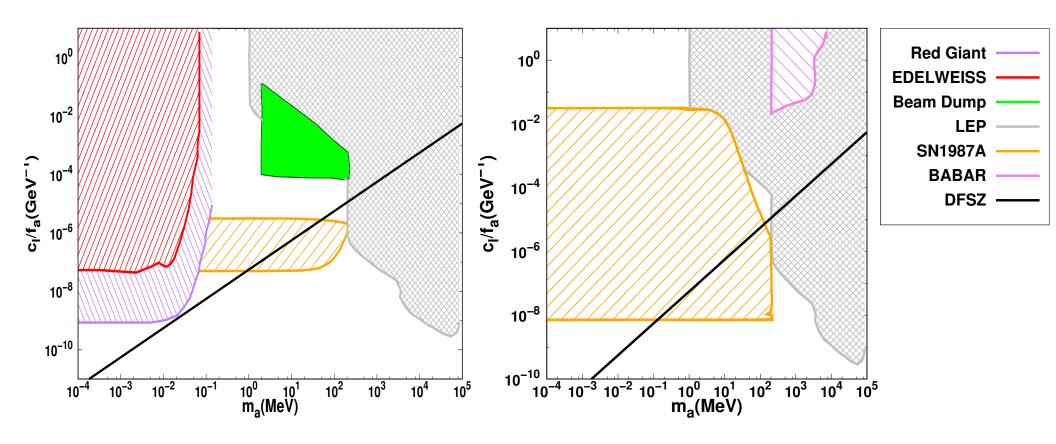
NA64 collaboration [2005.02710]

Mono, tri-photon searches at LEP, CDF and LHC puts bound on $m_a\sim 1-10^6{
m MeV}$ with $g_{a\gamma\gamma}\lesssim 10^{-3}$

Jaeckel, Jankowiak, Spannowsky [1212.3620,1509.00476]

ALPs-Lepton coupling

Bounds and Searches via lepton coupling

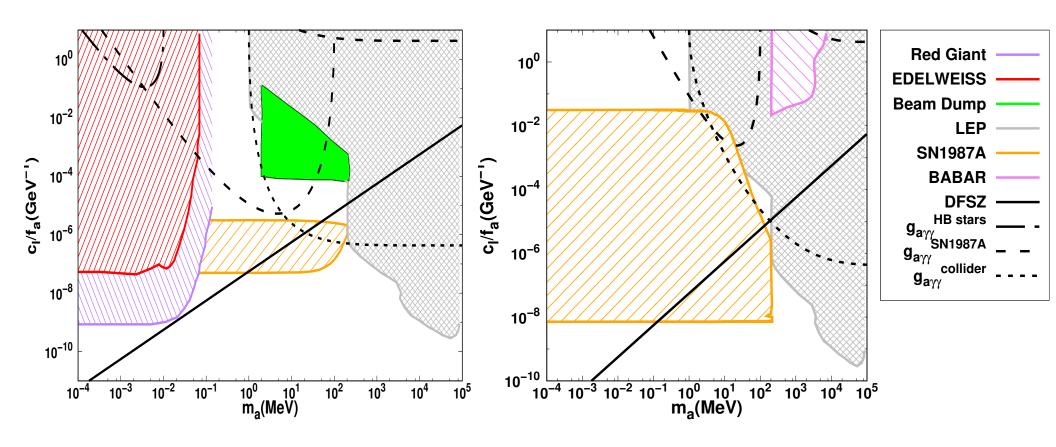


- ▶ Collider bound assumes $g_{a\gamma\gamma} \sim 10^{-3}$.
- ► EDELWEISS, LUX, PandaX II, XENON1T bounds are stronger for axion as CDM XENON Collaboration [2006.09721]
- ► CAST constrain $g_{a\gamma\gamma}c_e/f_a < 10^{-19}\,\mathrm{GeV}^{-2}$ for $m_a \lesssim 0.7\mathrm{eV}$ K. Barth et al., 2013

Bounds depicted in the figure are taken from Raffelt et al, Burst et al [1303.5379], Bauer et al. [1708.00443], Calibbi et al. [2006.04795], Croon et al. [2006.13942] etc.

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Induced ALPs-photon coupling



ALPs-Lepton coupling can generate the axion photon coupling at one loop:

$$g_{a\gamma\gamma}^{
m loop}=rac{lpha_{
m em}}{4\pi}\,rac{c_I}{f_a}\,4\,f\Big(rac{m_a^2}{m_I^2}\Big) \quad {
m where}, \qquad f\Big(rac{m_a^2}{m_I^2}\Big) \,\sim\, \left\{egin{array}{c} -rac{m_a^2}{12\,m_I^2}\,; & m_I\gg m_a\,, \ 1\,; & m_a\gg m_I\,. \end{array}
ight.$$

ALPs-Lepton coupling and BBN

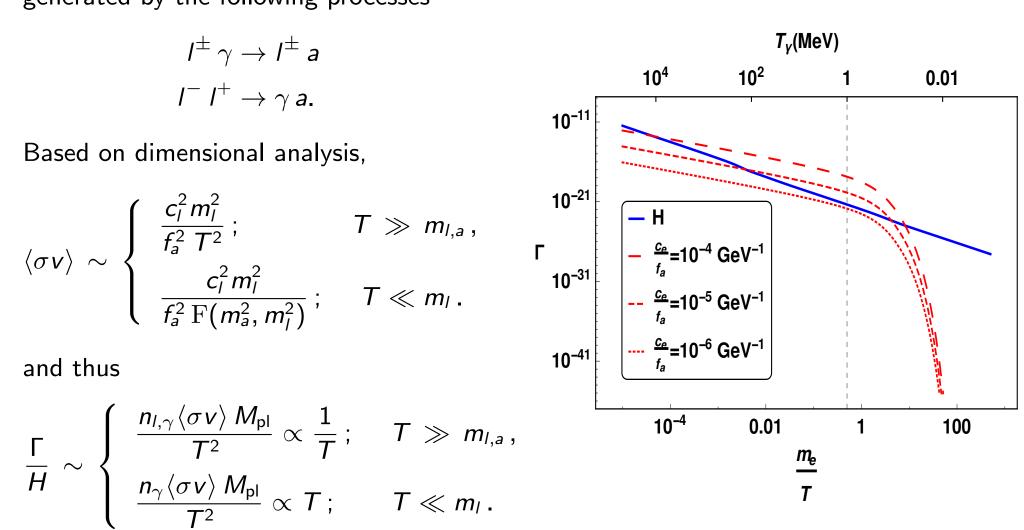
Axion production in the early Universe

ALPs in early Universe can be generated by the following processes

$$I^{\pm} \, \gamma
ightarrow I^{\pm} \, a$$
 $I^{-} \, I^{+}
ightarrow \gamma \, a.$

$$\langle \sigma v
angle \sim \left\{ egin{array}{ll} rac{c_l^2 m_l^2}{f_a^2 T^2}; & T \gg m_{l,a}\,, \ & & \\ rac{c_l^2 m_l^2}{f_a^2 \, \mathrm{F}(m_a^2,\, m_l^2)}; & T \ll m_l\,. \end{array}
ight.$$

$$rac{\Gamma}{H} \sim \left\{ egin{array}{l} rac{n_{I,\gamma} \langle \sigma v
angle \, M_{
m pl}}{T^2} \propto rac{1}{T} \, ; & T \gg m_{I,a} \, , \ & rac{n_{\gamma} \langle \sigma v
angle \, M_{
m pl}}{T^2} \propto T \, ; & T \ll m_I \, . \end{array}
ight.$$



Relativistic degrees of freedom and ΔN_{eff}

- The non-negligible yield the energy density of BSM particles, during the BBN, increase the Hubble parameter.
- ▶ A larger Hubble parameter ⇒ modification to the neutron-to-proton ratio, which in turn changes the abundance of Helium-4 and Deuterium.
- \blacktriangleright This effect is captured by a quantity called $\Delta\,N_{\rm eff}^{\rm BBN}$ defined as

$$\Delta N_{
m eff}^{
m BBN} = \frac{8}{7} \frac{
ho_{
m BSM}}{
ho_{\gamma}}$$

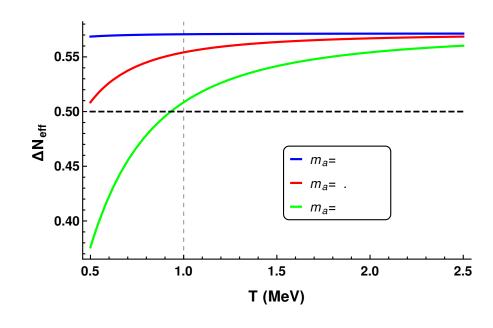


Figure: $\Delta N_{\rm eff}$ as function of T assuming that the ALPs are in thermal equilibrium.

ALPs out of equilibrium can also contribute to the total energy budget of Universe.

How to calculate ρ_a ?

Set up the Boltzmann equation

$$\frac{\partial f_i(|\vec{p}|,t)}{\partial t} - H|\vec{p}| \frac{\partial f_i(|\vec{p}|,t)}{\partial |\vec{p}|} = C[f_i(|\vec{p}|,t)]$$

for distribution functions, f_i with i = axion, neutrinos and electrons.

Use Friedmann equations

$$H^2 = \frac{8\pi G \, \rho^{\text{tot.}}}{3} \qquad \frac{d\rho}{dt} = -3H(\rho + P)$$

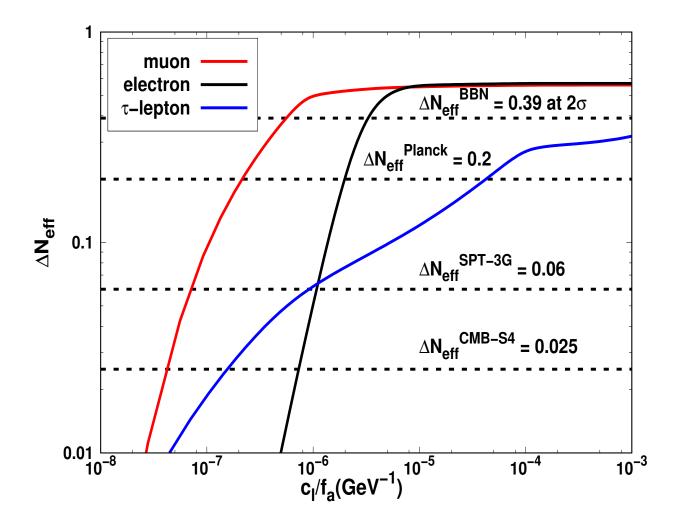
to calculate the evolution of temperature of the plasma.

- Initial abundance of axions is taken zero.
- The energy density is calculated as

$$\rho_i = \frac{g}{2\pi^2} \int_0^\infty dp \, p^2 \, E \, f_i$$

► To solve these first-order partial differential equations, the characteristics curves method is adopted.

$\Delta N_{\rm eff}$ vs c_I/f_a



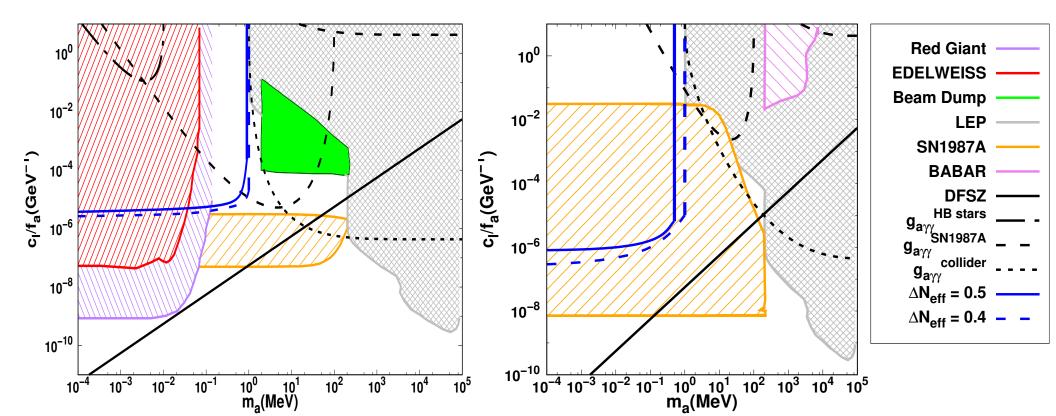
For relativistic axions during CMB decoupling, Planck 2018 results limits

$$(c_e/f_a, c_\mu/f_a, c_\tau/f_a) \sim (10^{-6}, 10^{-7}, 10^{-6})$$

confirms the result in Brust, Kaplan, Walters [1303.5379]



ΔN_{eff}^{BBN} tells us



Latest measurement and analysis of Helium and Deuterium abundance constrain $N_{\rm eff}^{\rm BBN}=2.878\pm0.278$ at 68.3% CL

Fields, Olive, Yeh, Young [1912.01132]

- ightharpoonup igh
- ▶ The stronger constraint on $\Delta N_{\rm eff}$ obtained from the CMB is applicable only for $m_a \gtrsim {\rm eV}$.

Summary

- In the presence of non-zero c_l/f_a , the ALPs can be produced in the early universe and contribute to $\Delta N_{\rm eff}$.
- ▶ The full Boltzmann equations are solved for ALPs that are not in equilibrium with the thermal plasma and ΔN_{eff}^{BBN} is calculated.
- ▶ Bounds obtained are the most stringent one for the ALP-electron interaction strength for $20\text{keV} \leq m_a \leq 1\text{MeV}$.
- ▶ Analysis improves limit for the ALP-muon interaction strength for $m_a < 1 {\rm MeV}$ and $c_\mu/f_a \le 10^{-2} {\rm GeV}^{-1}$.