

Properties of liquids in an asymmetric confinement

Ву

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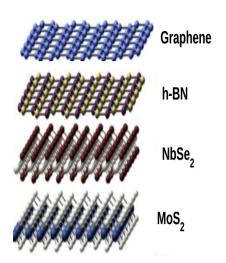
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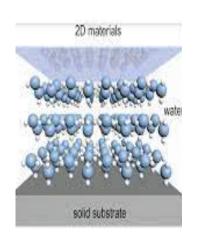
Acknwoledgments:

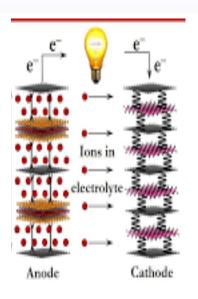
Edwin Tendong and Tanusri Saha Dasgupta

Introduction

Fluid nano-films can be trapped between layers of 2D van der Waals heterostructures





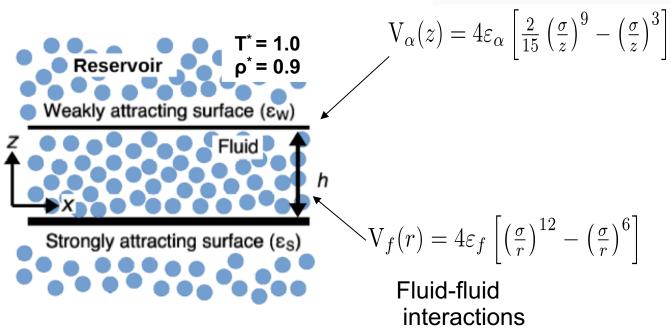


Properties of fluids at nano confined interfaces can be exploited for numerous applications such a as (a)water desalination (b) energy storage

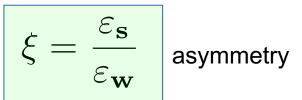
Fig. adapted from Accounts of chemical research 48.1 (2015): 119-127.and Nano Convergence 1.1 (2014): 1-8 and Nature Energy 2.7 (2017): 1-6. respectively.

Structure, phase behavior and viscoelastic response of fluid in asymmetric nanoconfinement

1.1: Model and Simulation details:



Schematic of simulation cell.



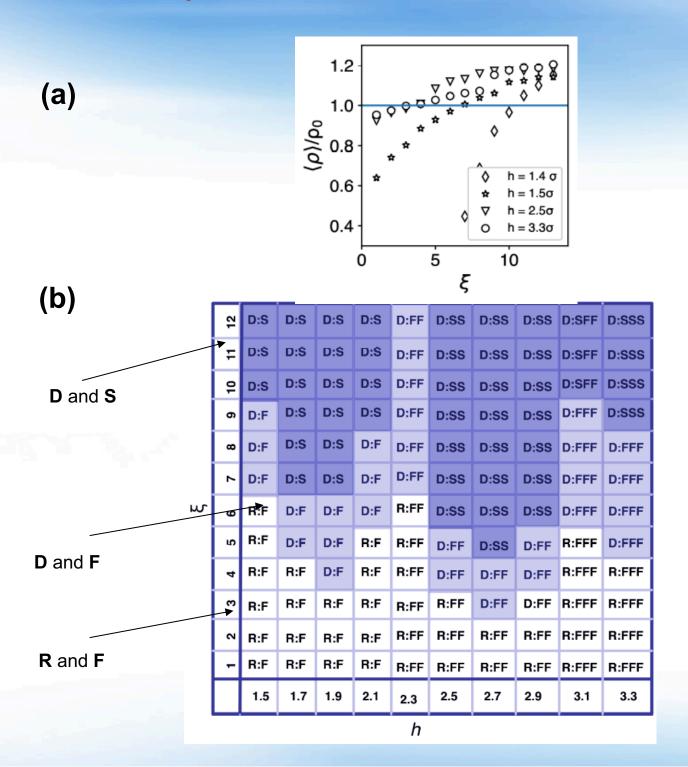
Simulation scheme

Determine chemical potential of bulk phase point

Carry out GCMC Simulations
(Constant chemical potential) for
different values of symmetry.
Calculate structural
quantities

For 5 random configurations
from each GCMC simulation.
perform NVE simulations
Calculate viscoelastic
properties averaged over the
5 trajectories

Structure and phase behavior



$$\Psi_6 = \left\langle \left| \frac{1}{N_j} \sum_{k}^{N_j} e^{i6\theta_{jk}} \right| \right\rangle$$

Phase Diagram

Different structural phases of asymmetrically confined LJ-fluid in **h - ξ** plane. Symbols **R** and **D** stand for phases **rarer** or **denser** than the bulk phase respectively, while **F** and **S** denote bondorientationally **disordered** or **ordered** fluid layers respectively.

Viscoelastic response

- We do MD simulations in NVE ensemble using the configurations from the GCMC simulations
- The frequency dependent viscosity is calculated using the generalized Green-Kubo relation

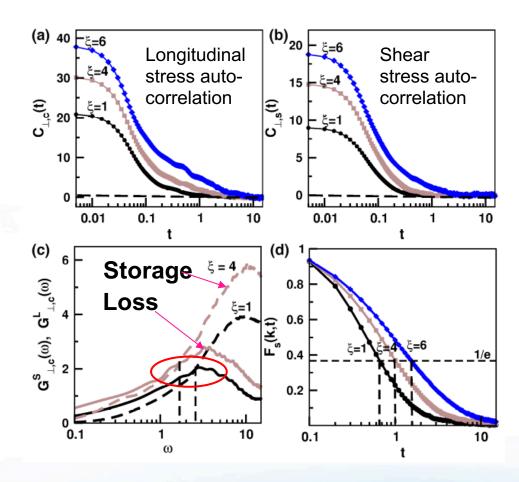
$$\eta_{\alpha\beta}(\omega) = \frac{V}{k_B T} \int_0^\infty C_{\alpha\beta}(t) e^{-i\omega t} dt = \eta'_{\alpha\beta}(\omega) - i\eta''_{\alpha\beta}(\omega)$$

 $(\alpha, \beta = x, y, z)$

One obtains the Loss and and Storage Moduli respectively as:

$$G_{\alpha\beta}^L(\omega) = \omega \eta_{\alpha\beta}'(\omega)$$

$$G_{\alpha\beta}^{S}(\omega) = -\omega \eta_{\alpha\beta}^{"}(\omega)$$



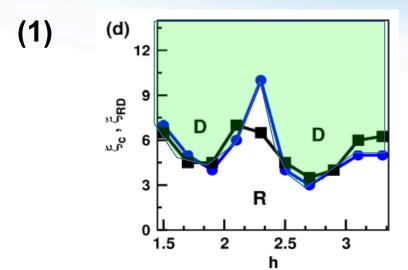
The viscoelastic relaxation time is the inverse frequency at which the Loss modulus is equal to the storage modulus

$$G_{\perp,c}^S(\omega_o) = G_{\perp,c}^L(\omega_o)$$

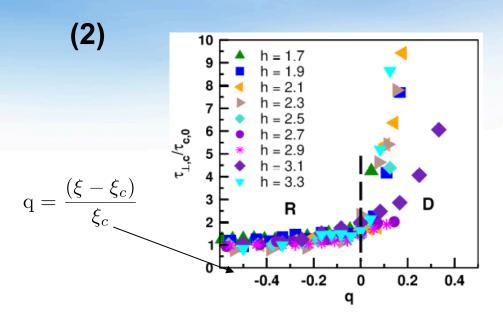
$$au_{\perp,\mathrm{c}} = \frac{1}{\omega_o}$$

1.3 contd.: Viscoelastic response

Comparing the structural relaxation time τ_R and the viscoelastic relaxation time $\tau_{L,c}$



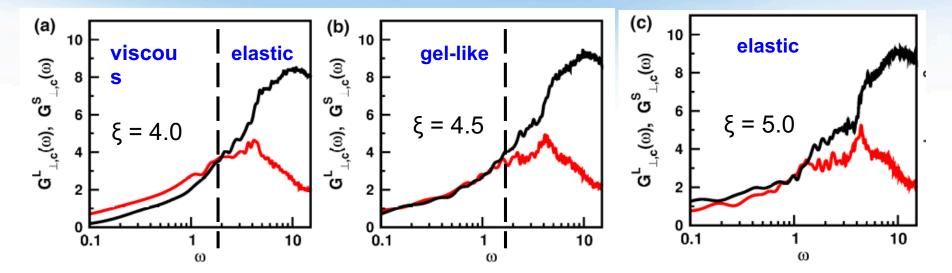
The profile traced by ξ_c closely matches that of ξ_{RD}



Viscoelastic relaxation time as a function of the scaled asymmetry, for different slit widths

1.3 contd.: Viscoelastic response

Response close to Fluid-Solid transition



Summary

- 1) We find a $\mathbf{R} \to \mathbf{D}$ crossover and $\mathbf{F} \to \mathbf{S}$ transition with increasing asymmetry ξ
- 2)Two regime trend in viscoelastic relaxation, universal for different slit heights, driven by contributions from the strongly and weakly adsorbed fluid layers.
- 3)The $\mathbf{F} \rightarrow \mathbf{S}$ transition shows an intermediate coexistence region with gel-like response.





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Thank You

