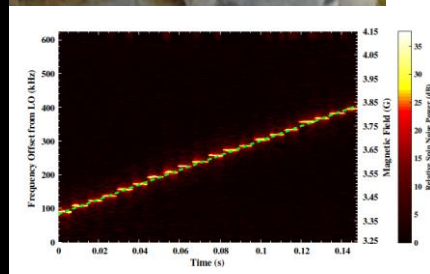
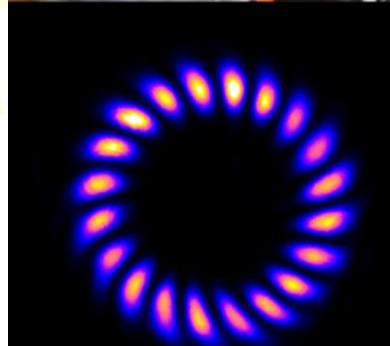
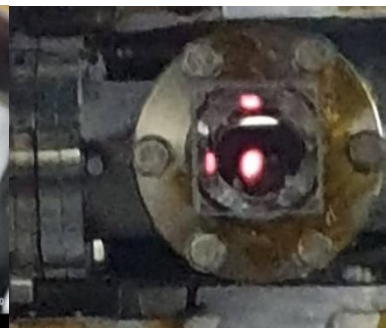
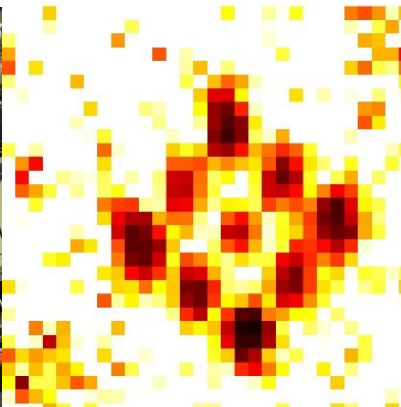
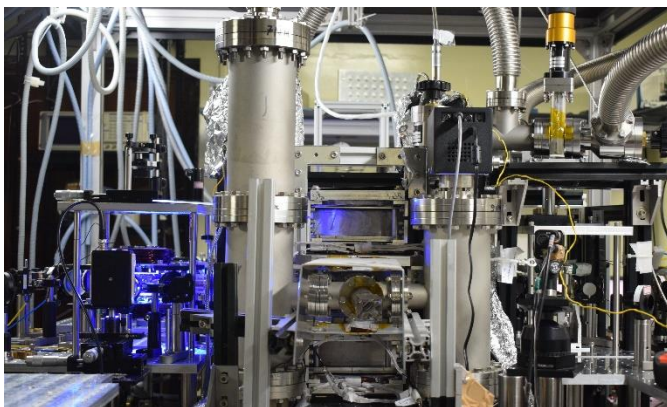


Experiments with cold atom mixtures and applications of driven spin systems



Saptarishi Chaudhuri
Raman Research Institute,
Bangalore

24 January, 2024
ICTS, Bangalore

- ***Mixtures of cold Sodium and Potassium atoms***
- Spin noise spectroscopy and magnetometry
- Trapped cold atoms in structured optical potential and many body physics
- quantum diffusion and impurity problem

QuMiX Team and Funding Support



Anirban Misra



Sayari Majumder



Gourab Pal

Collaborators



Dibyendu Roy



Supurna Sinha



Maheswar Swar

PhD 2022

Post-Doc @ Weizmann, Israel



Sagar Sutradhar

PhD 2023

Post-Doc @LENS, Italy



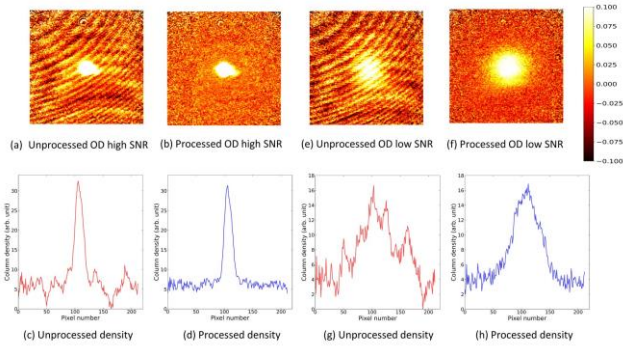
Sanjukta Roy



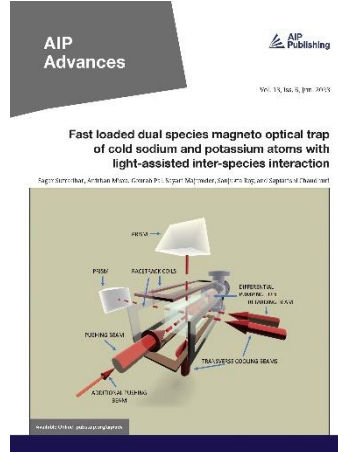
I-HUB Quantum Technology Foundation



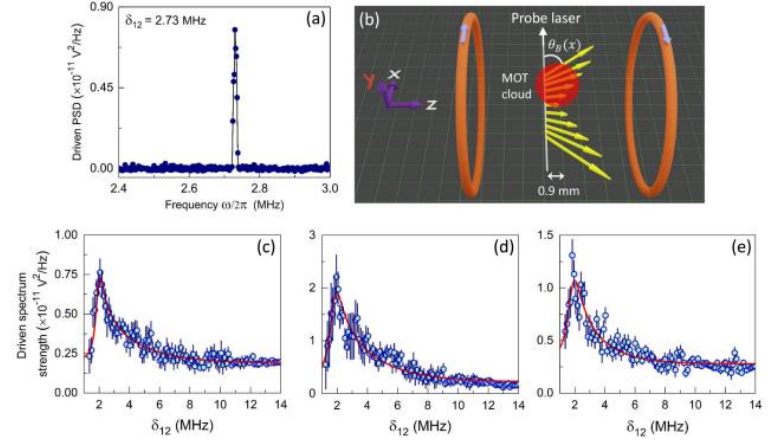
Selected recent publications from Lab relevant to this talk



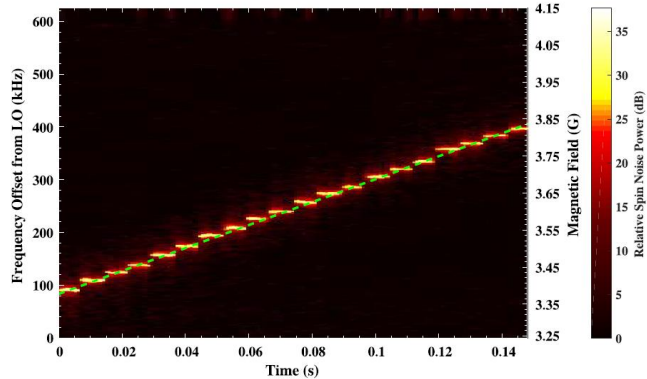
Applied Optics 62 (33), 8786 (2023)



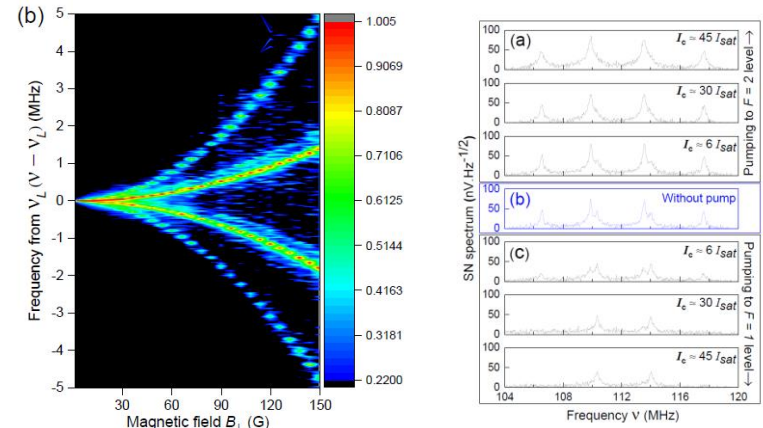
AIP Advances 13, 065317 (2023)



PHYSICAL REVIEW RESEARCH 3, 043171 (2021)



IEEE-TIM, 70, pp. 1-8, 2021



Optics Express 26, 24, 32168-32183 (2018)

Also: Maheswar Swar, PhD thesis, 2022, Sagar Sutrathdar PhD thesis 2023

RRI Logo using holographic projection of laser light

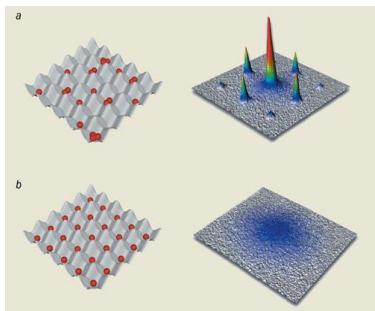


False colour images (intensity heatmap)

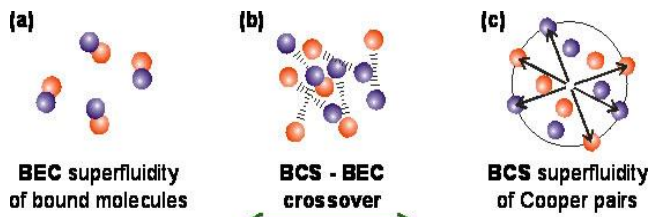
We use the same technique to create structured light and arbitrary optical potential for cold Atoms using MEMS Digital Mirror Devices – more details later in the talk!

Context and motivation

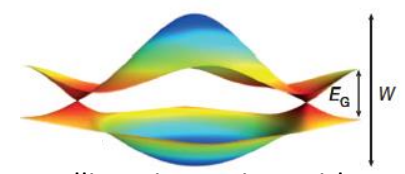
Ultra-Cold Atoms as analog quantum simulators



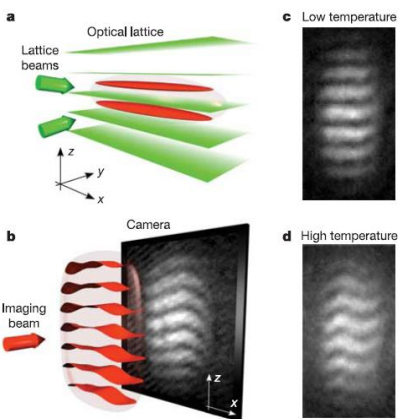
Superfluid-Mott insulator Transition
(MPQ Munich, ETH Zurich)



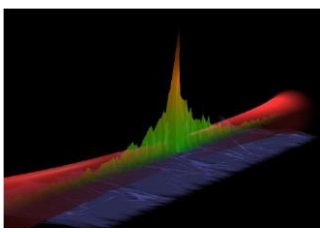
BEC-BCS crossover
(ENS, MIT, JILA, Innsbruck)



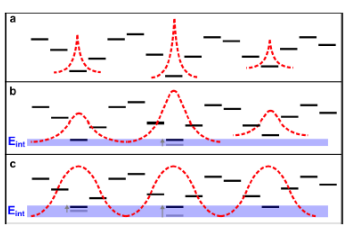
Controlling Dirac points with
Fermi gas in Honeycomb lattice
ETH Zurich



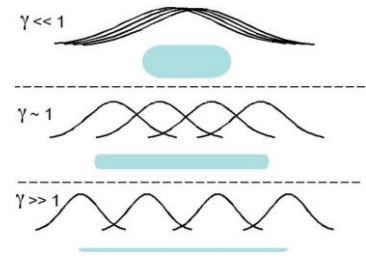
Berezinskii-Kosterlitz-Thouless crossover
(ENS, NIST, JILA)



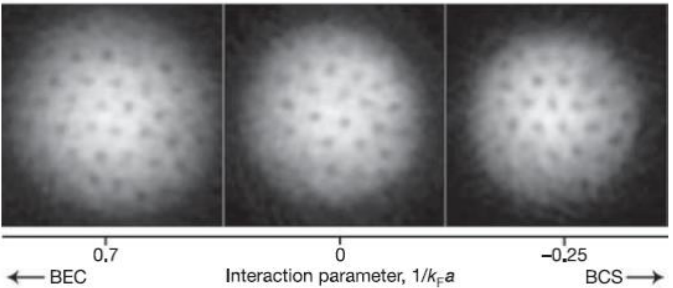
Anderson localization
(Florence, Orsay)



Bose-Glass
(Florence)



Tonks-Girardeau gas
(Mainz, Penn State)



Time Frame: 2000s - 2015

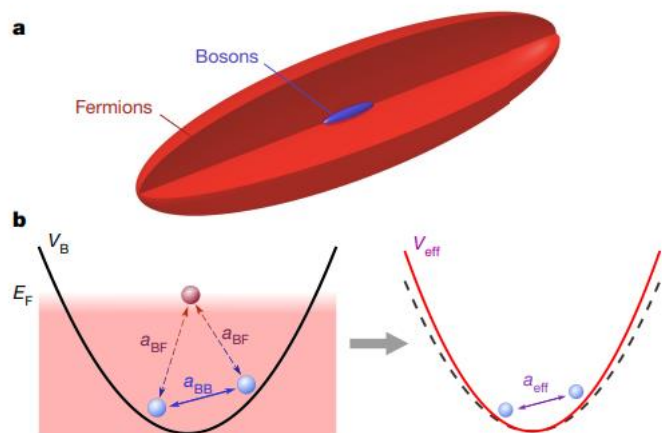
Quantized vortices
in Fermion gases (MIT)

Context and motivation

Mixtures of Cold Atoms: mediated and long range interactions

Some examples:

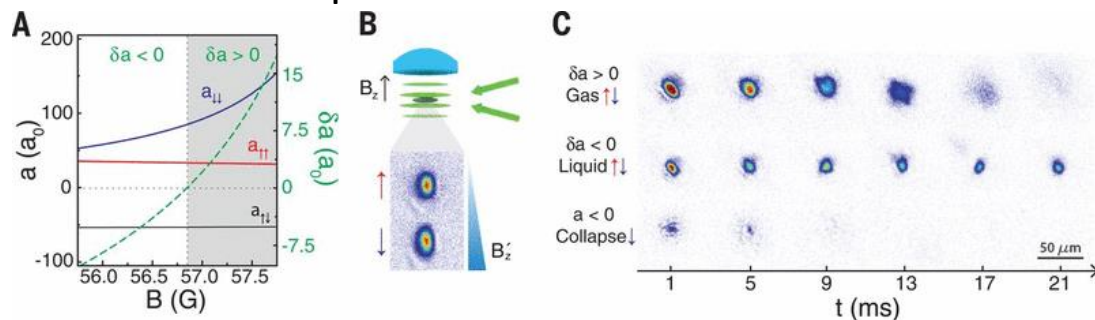
Fermion mediated long-range interactions



Chicago, Nature, 2019

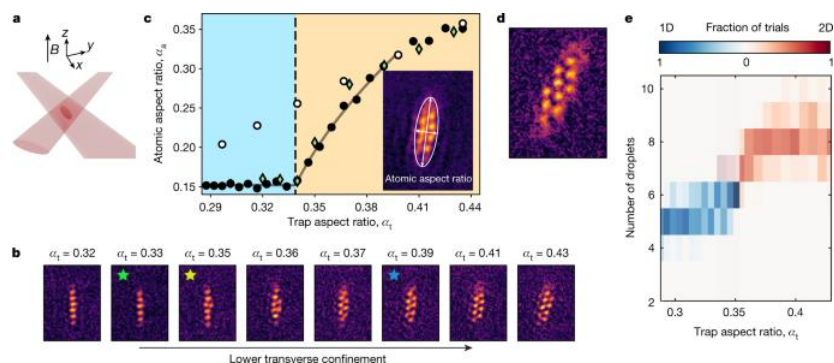
Also theory predictions (S De & I. B Spielman, App Phys B, 2014)

Quantum droplets in Mixtures of ultra-cold atoms



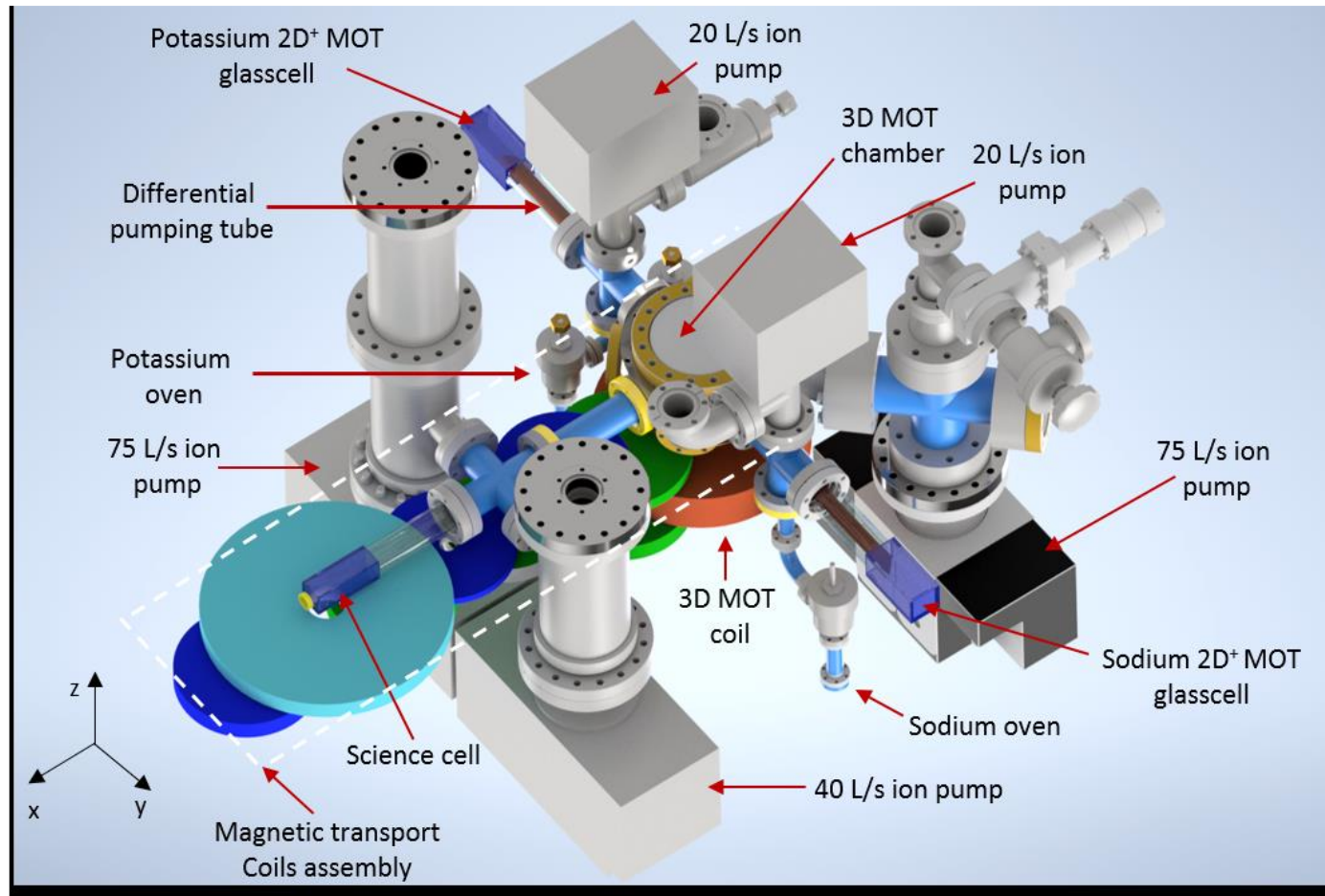
ICFO, Spain, Science 2017

Super-solids in Dipolar Quantum Gas



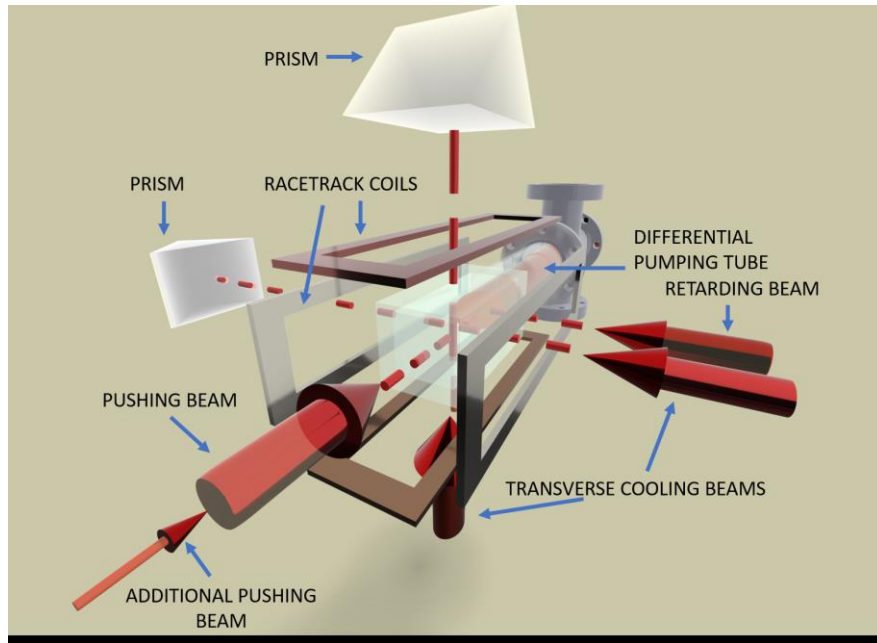
Innsbruck, nature, 2021, also Florence (2022)

The Experiment system @ RRI



Reference: *AIP Advances* 13, 065317 (2023)

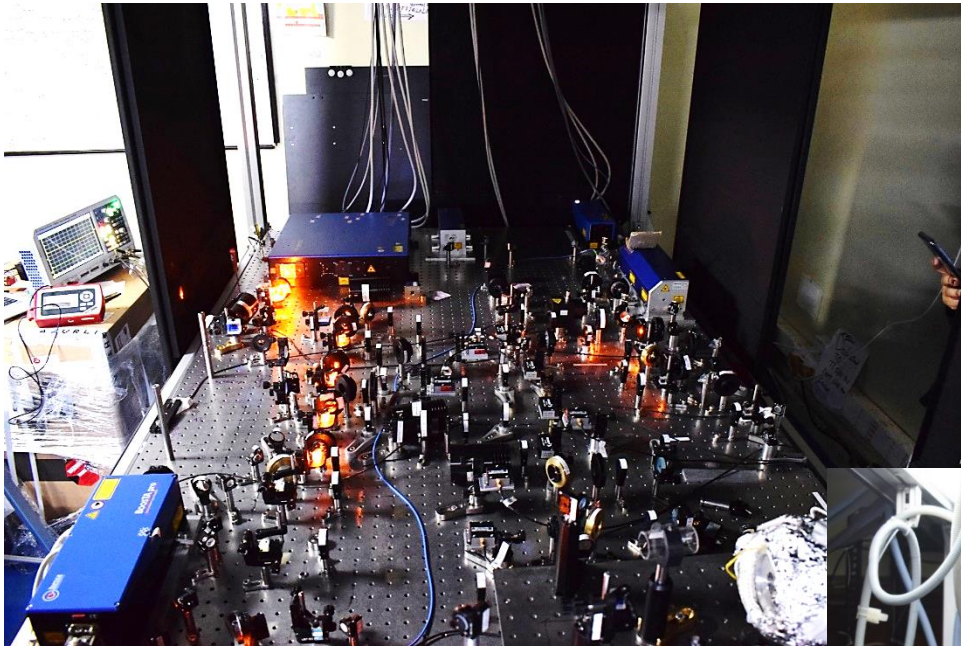
Bright sources of cold atoms



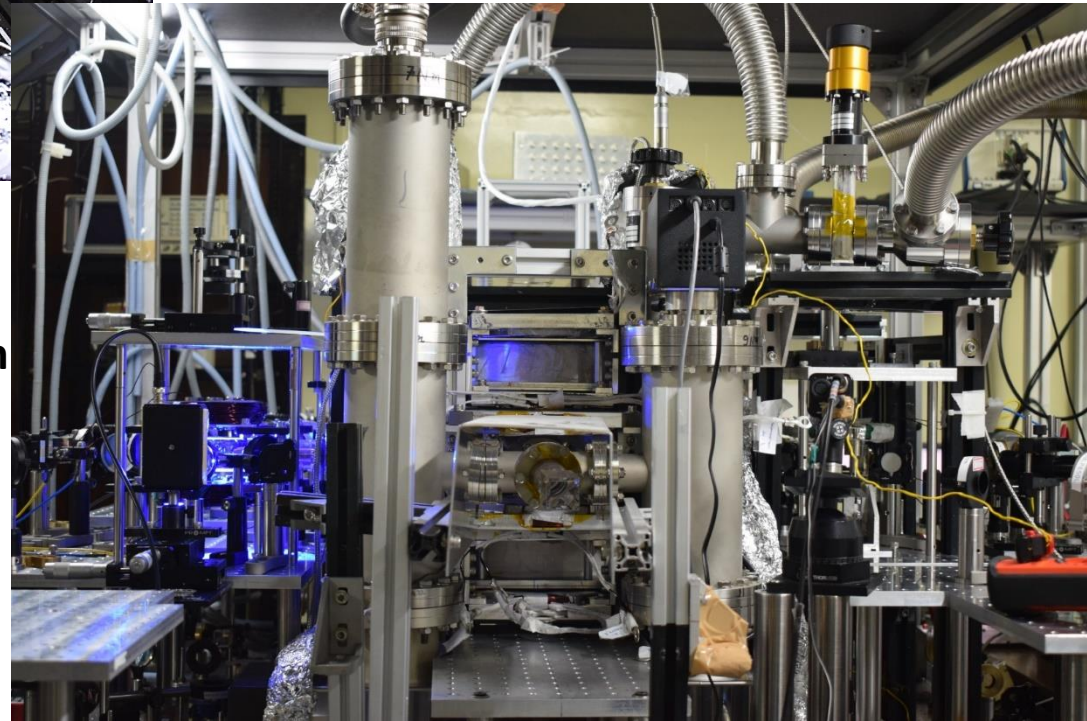
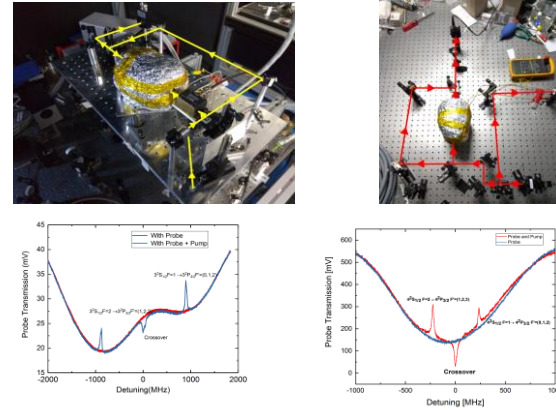
- Fast loading (*~second*) of cold atoms from two-dimensional magneto-optical traps
- We simultaneously cool and trap: **10 billion** Potassium and **half a billion** Sodium atoms with trap lifetime *in minutes*
- These large numbers of trapped atoms helps in good signal-to-noise ratio in subsequent measurements

Techniques used: Magneto-Optical trapping, Pure Magnetic trapping, Optical dipole trapping

The Lasers and the Vacuum systems!



SPECTROSCOPY SET-UPS FOR COOLING



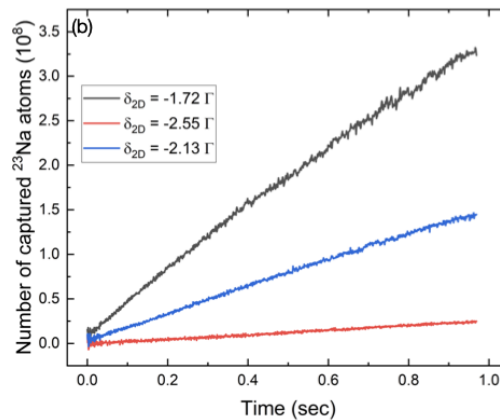
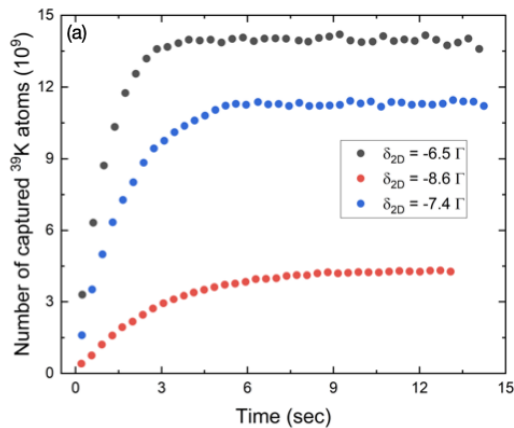
- Ultra-high vacuum $< 10^{-11}$ mBar
- Ultra precision frequency stabilization of lasers ~ 100 kHz linewidths
- Ultra-stable optical set-up
- High resolution ($\sim 2.4 \mu\text{m}$) imaging

The Sodium and Potassium cold atoms

^{23}Na MOT



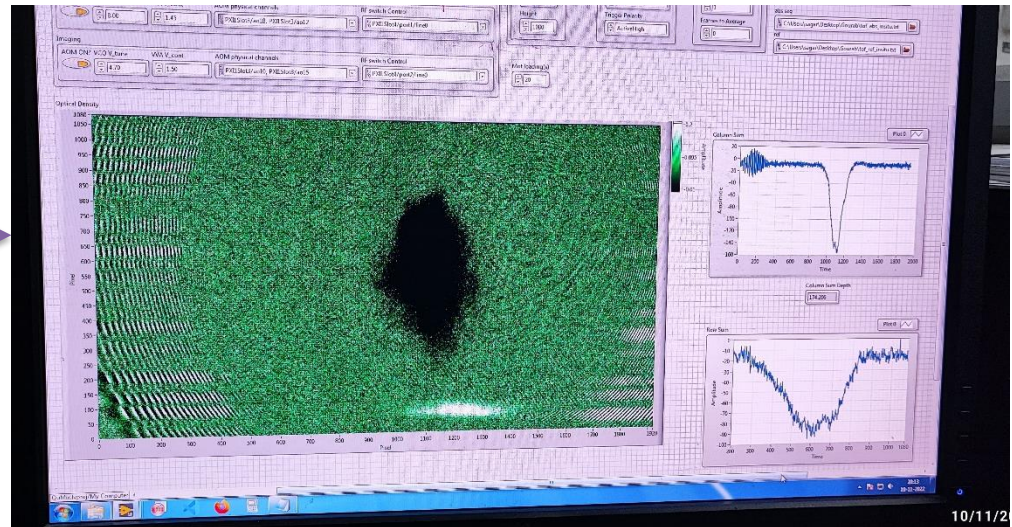
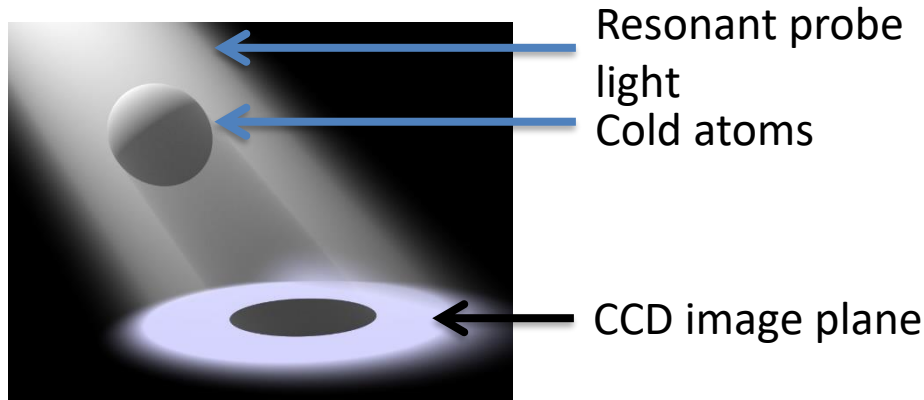
^{39}K MOT



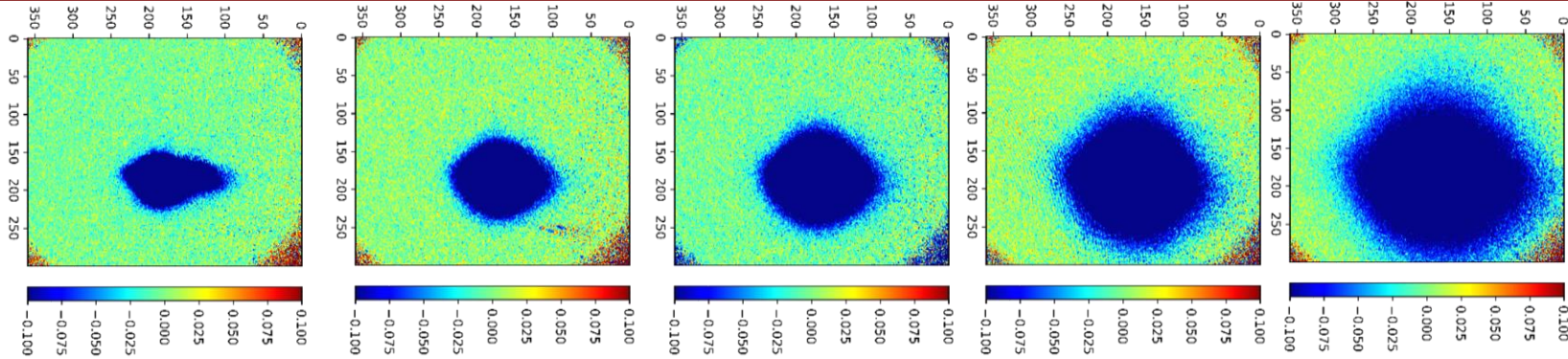
AIP Advances 13, 065317 (2023)

Detection Techniques

Absorption imaging:



Measuring the temperature and number of atoms



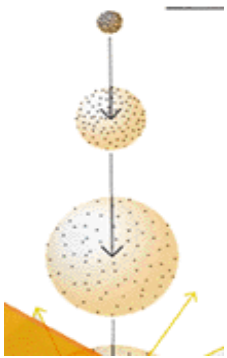
Time in free flight (typically few 10s of msec)

Temperature estimate:

$$T = \frac{m}{k_B} \left(\frac{\sigma_2^2 - \sigma_1^2}{t_2^2 - t_1^2} \right)$$

σ_1 → Size of atomic cloud at time t_1

σ_2 → Size of atomic cloud at time t_2



No. of Atoms:

$$N = - \frac{A_{pix}}{\sigma_{eg}} \sum_{pix} \ln T_{pix}$$

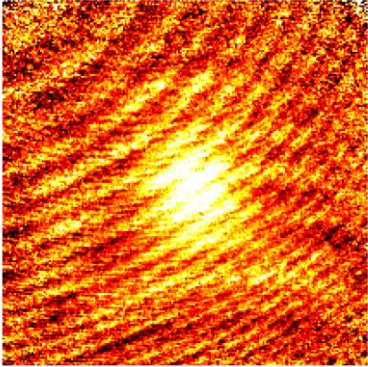
A_{pix} → Area of each pixel

σ_{eg} → Absorption cross-section of the atomic transition

$-\ln T_{pix}$ → Optical density at the pixel

Typical measured Temperature of our Sodium cloud ~ 160 μ -Kelvin !

When the signal is not that great!



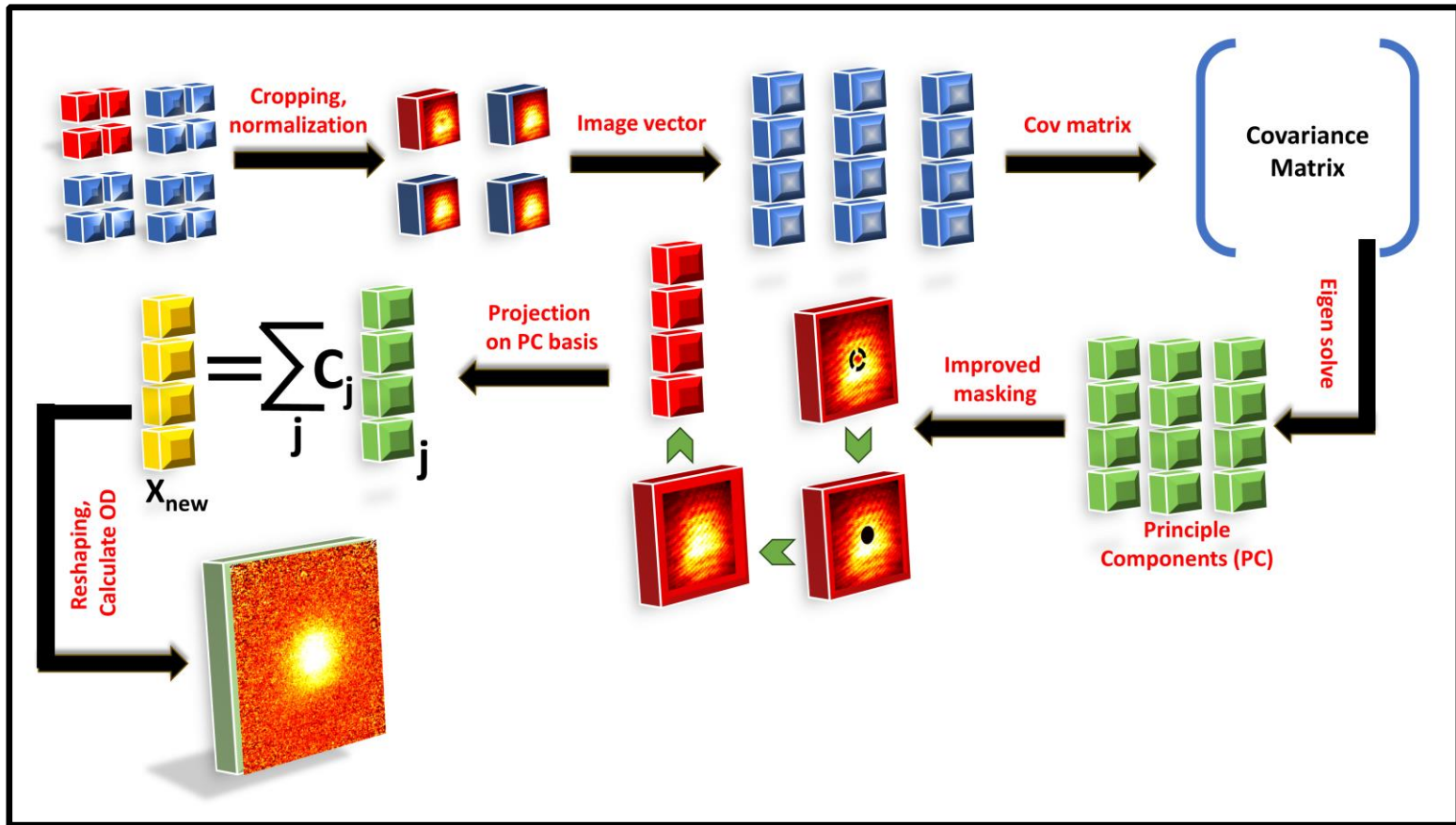
- Long time of flight images
- Low density cloud
- Trying to measure a feeble effect

Low SNR?

The interference patterns in the highly coherent and monochromatic probe plays spoilsport

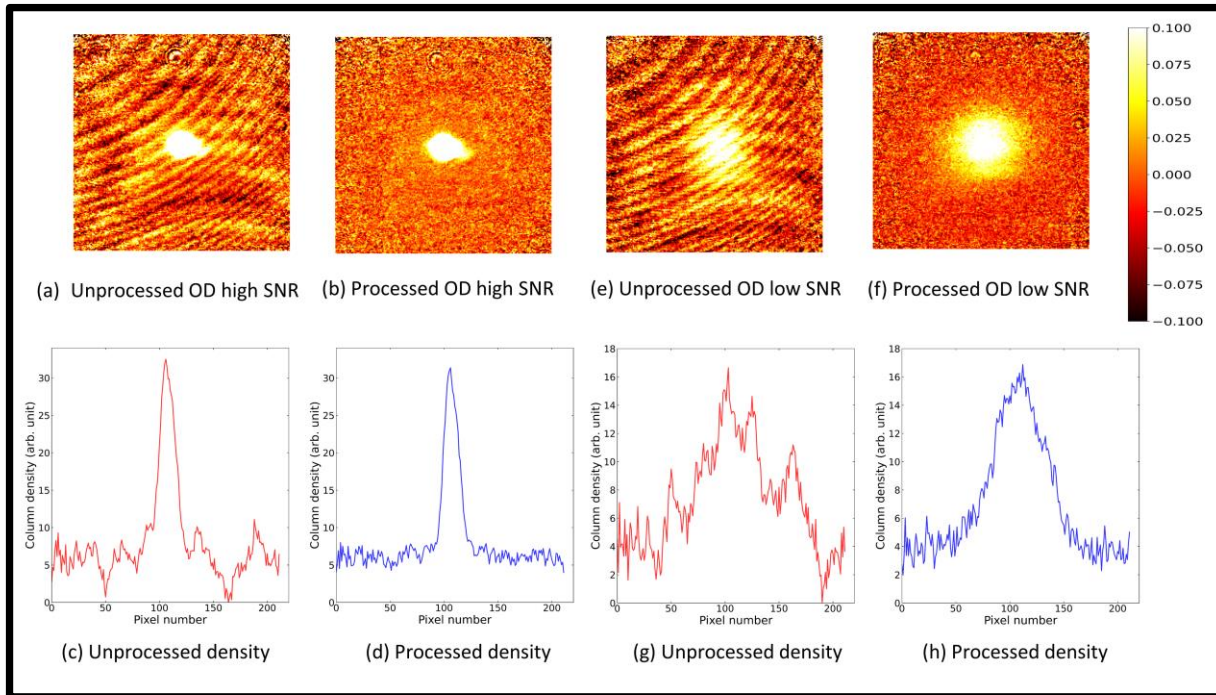
We developed a AI based technique to improve the image qualities

Algorithm flowchart



Gourab Pal, Saptarishi Chaudhuri, Applied Optics, Vol. 62 No. 32 (2023)

De-noising results



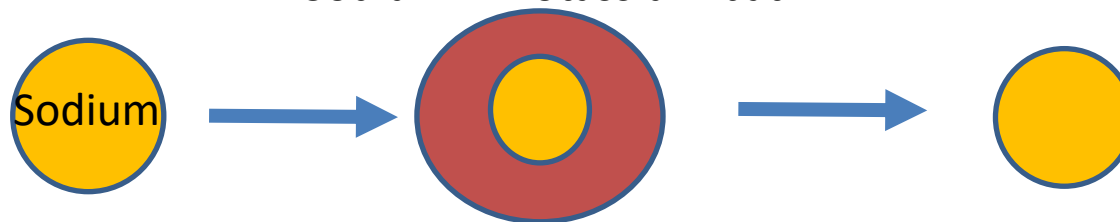
Need?

- ✓ Enhancing SNR
- ✓ Better estimation of parameters
- ✓ More reliable experimental outcomes

Gourab Pal, Saptarishi Chaudhuri, Applied Optics, Vol. 62 No. 32 (2023)

Interspecies interactions between cold atoms

Sodium in Potassium bath



Total Count

Current Frame Rate(fps)

50

MOT field?



Trigger



Stop

Exit

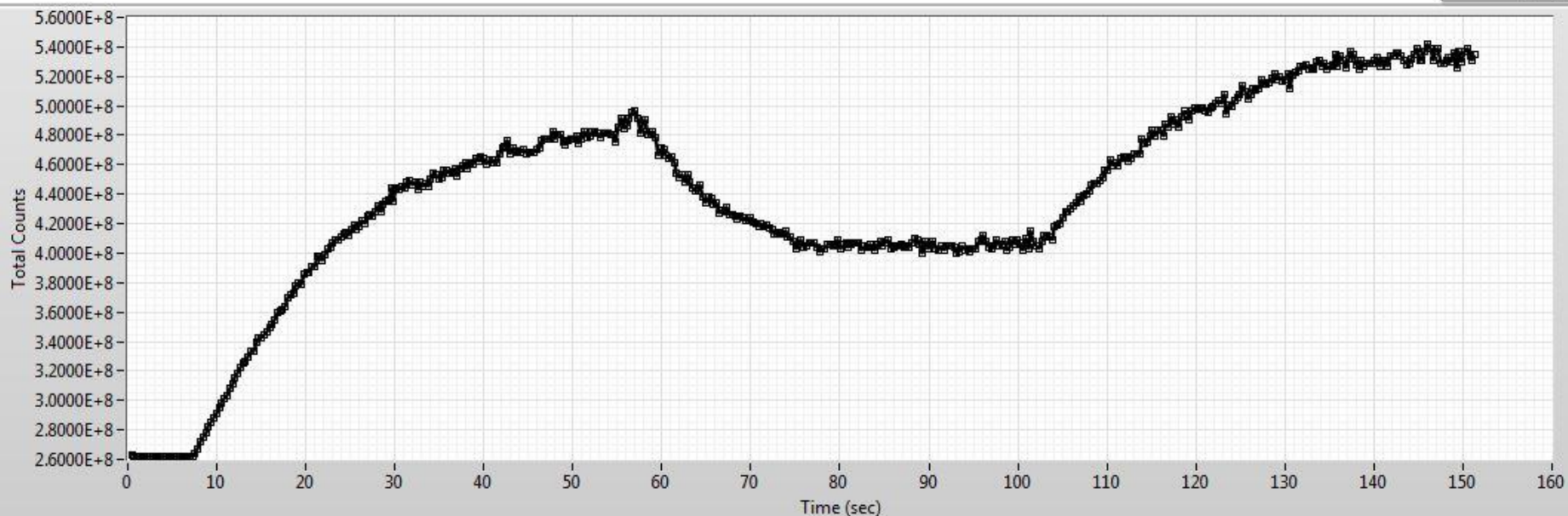
Allow Sodium



Save

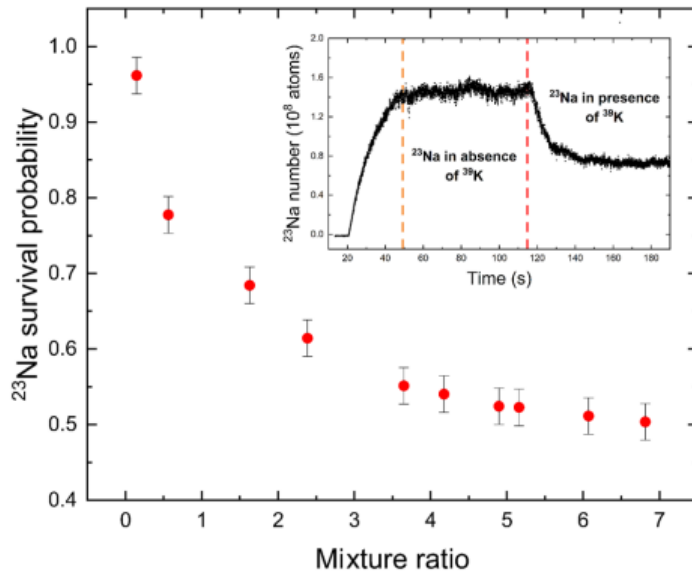


Plot 0

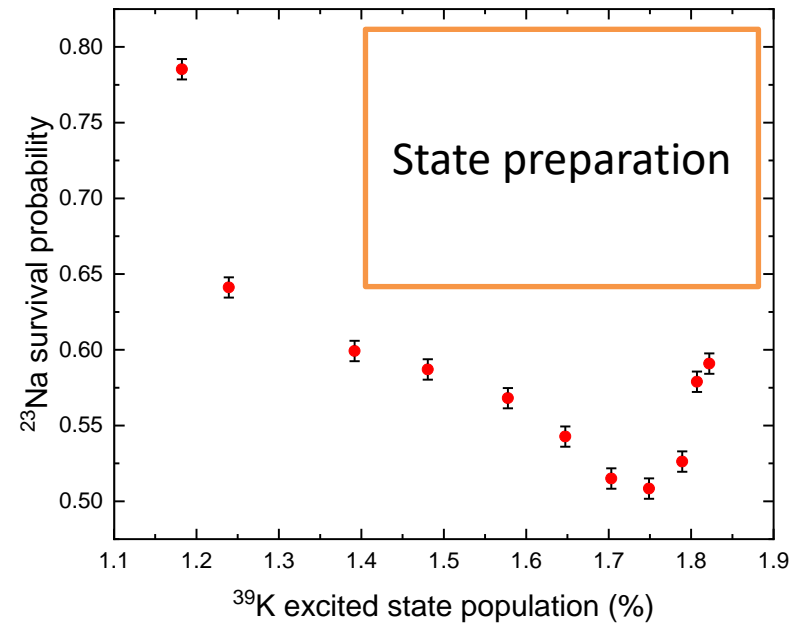


Interspecies interactions between cold atoms

Effect of Impurity fractions



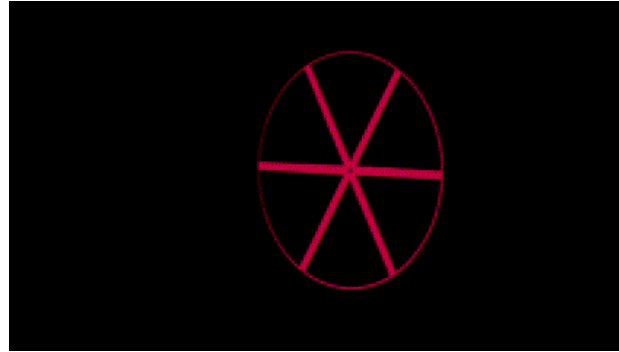
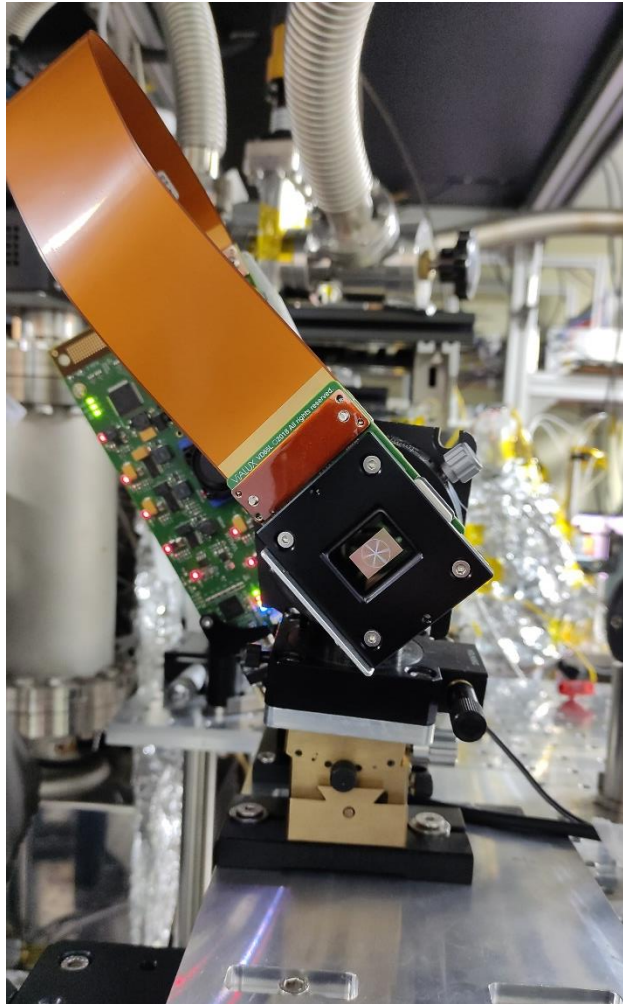
Effect of off-resonant dipolar interactions



These results allow for a detailed understanding of the interspecies cold collision cross section and a better understanding of two-body potentials. We measure these parameters experimentally and develop related theoretical understanding!

- ***Shaped traps for cold atoms***
- ***Orbital Angular momentum of light →
Interaction with cold atoms***

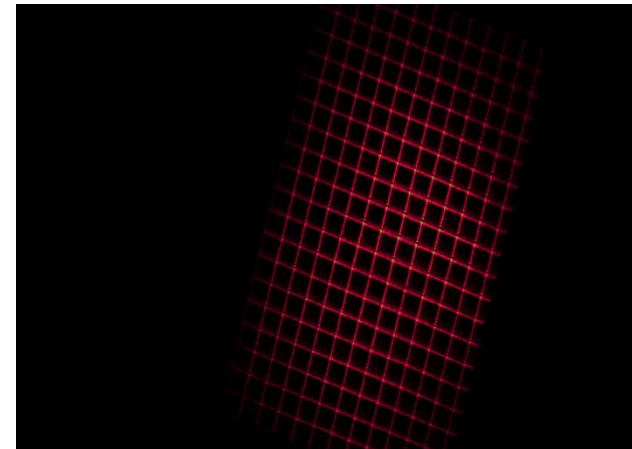
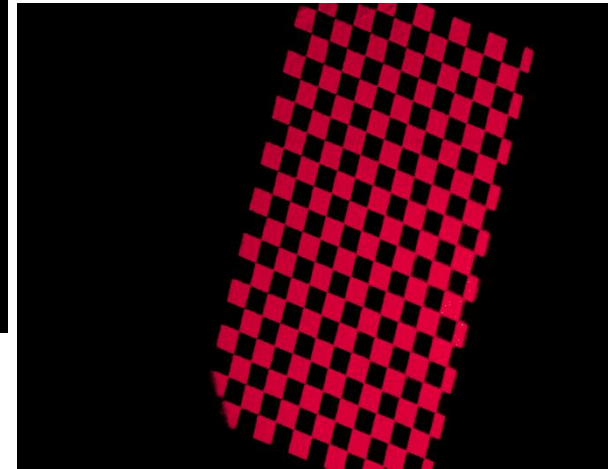
Holographic trapping potential using MEMS



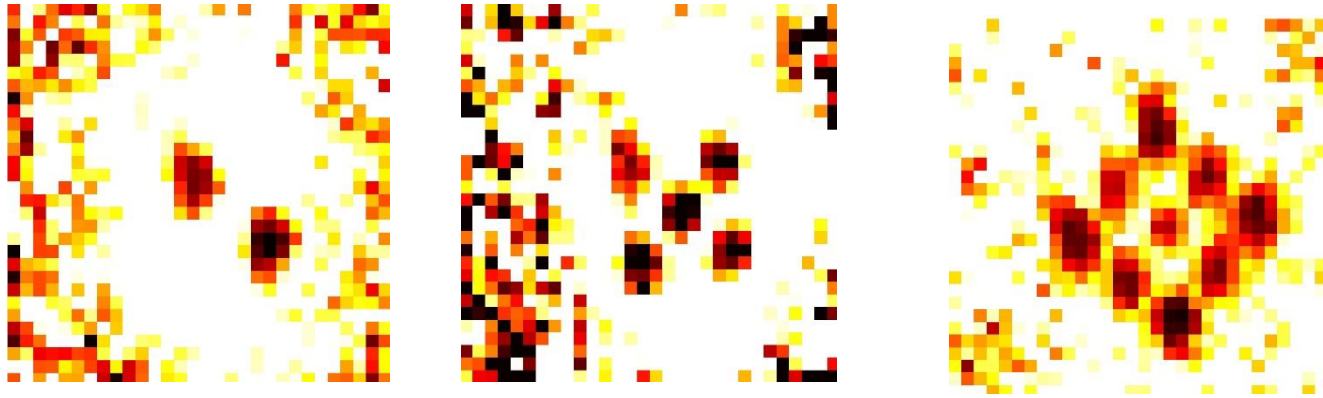
Arbitrary optical potential
For cold atoms created by
MEMS based devices

Tremendous possibilities
To simulate condensed
matter physics with cold
atoms

New direction for quantum
architecture using cold
atoms



Holographic trapping potential using MEMS



Black region: Atoms

Atoms “ordered in space” by light

Outlook: 1) atoms trapped in an array as scalable quantum systems

→ large N quantum processors

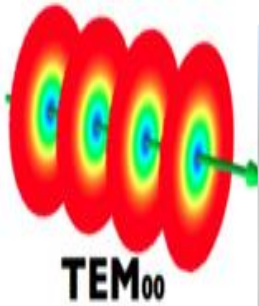
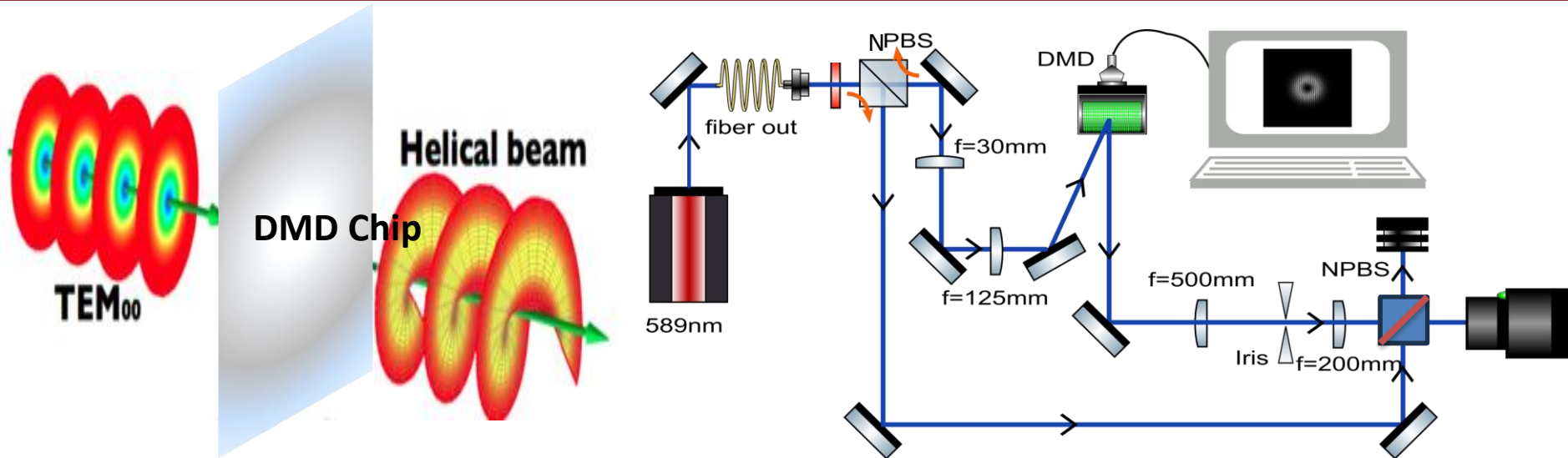
2) Creating “true” random potentials → quantum scattering in random media

3) Foundational questions in Quantum mechanics using “flat” potentials

4) Schrodinger picture in “external potential” which is “tailored”

5) We are presently working on creating Orbital Angular Momentum (OAM) states of light interacting with cold atoms

Orbital Angular Momentum of light

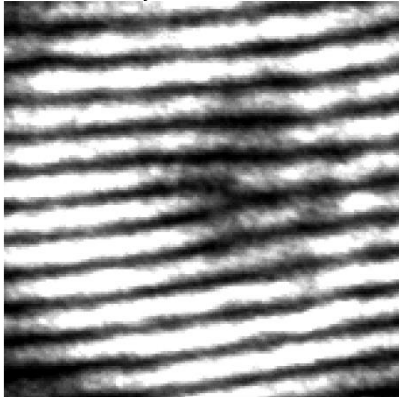


DMD Chip

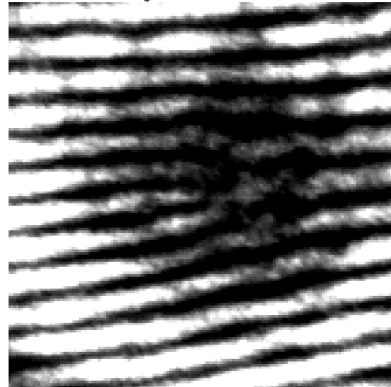
Helical beam

589nm

LG_0^1 with Gaussian



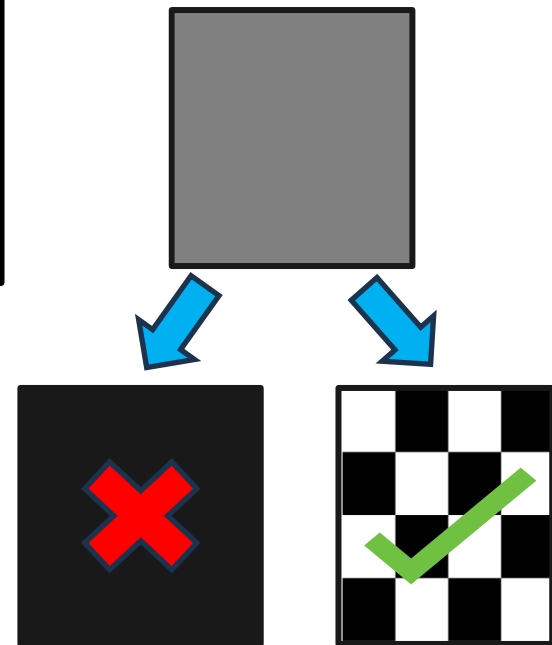
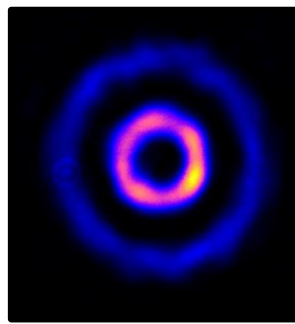
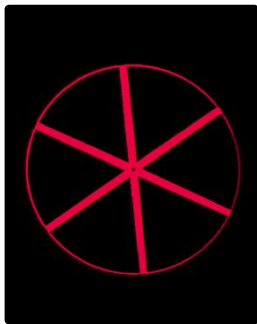
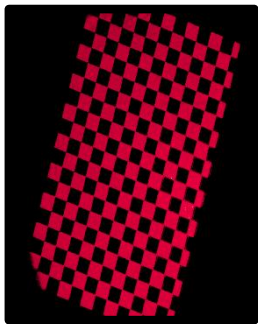
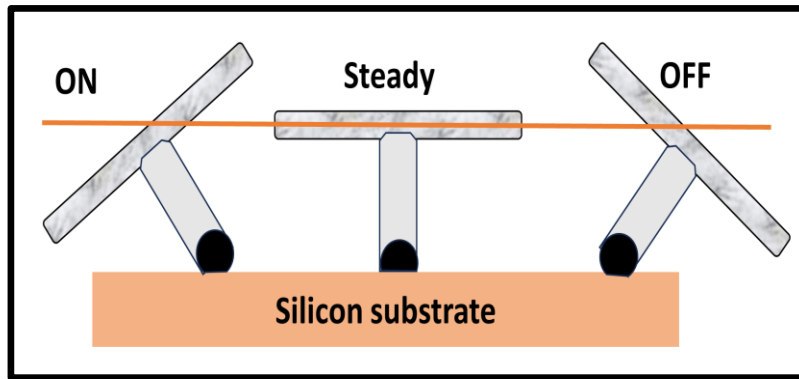
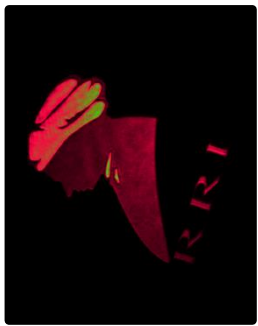
LG_0^2 with Gaussian



- Creation of laser light with topological charge
- Fast switching (~ 100 micro-sec) between topological charge in light
- Aim: interaction between OAM of light with trapped cold atoms and BECs

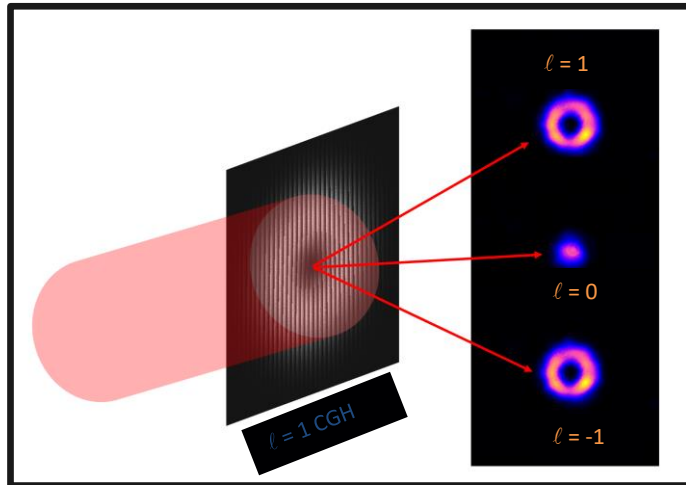
Fast control of OAM light: DMD

Floyd-Steinberg error-diffusion algorithm

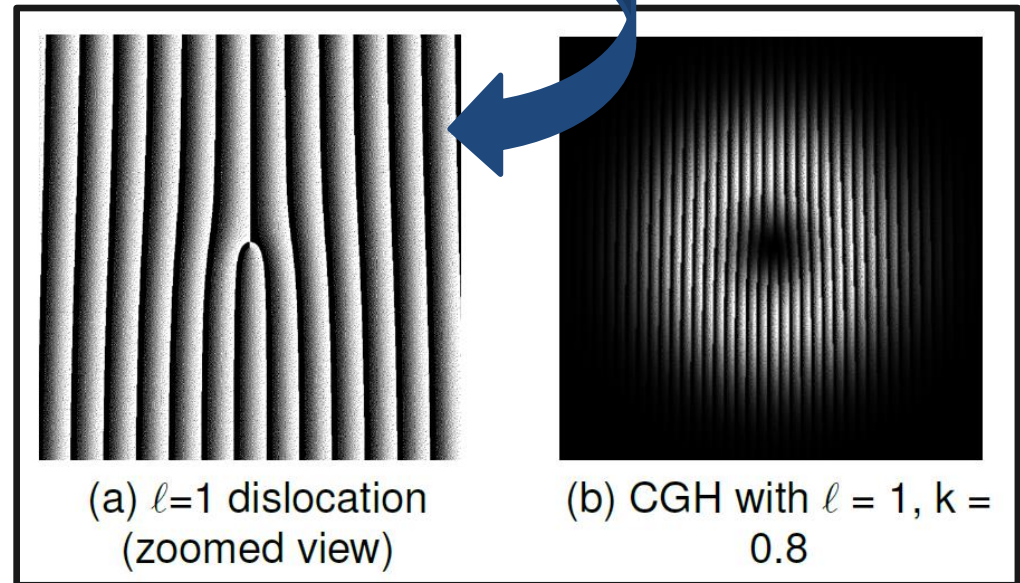


Generation of scalar vortex light beams

verification of topological charges



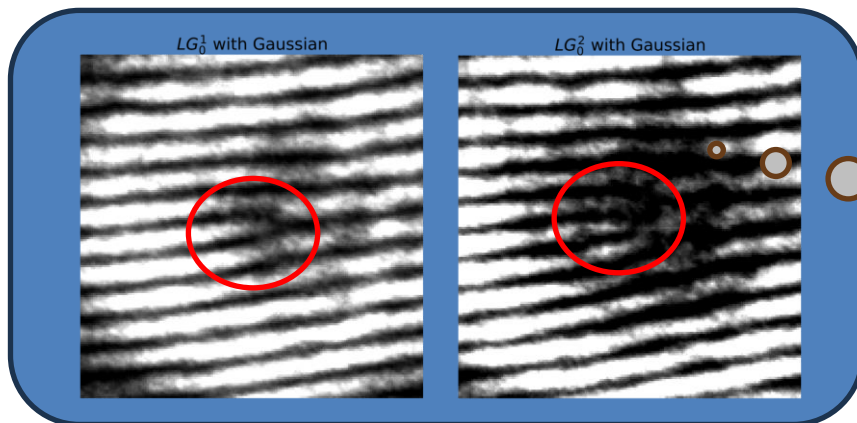
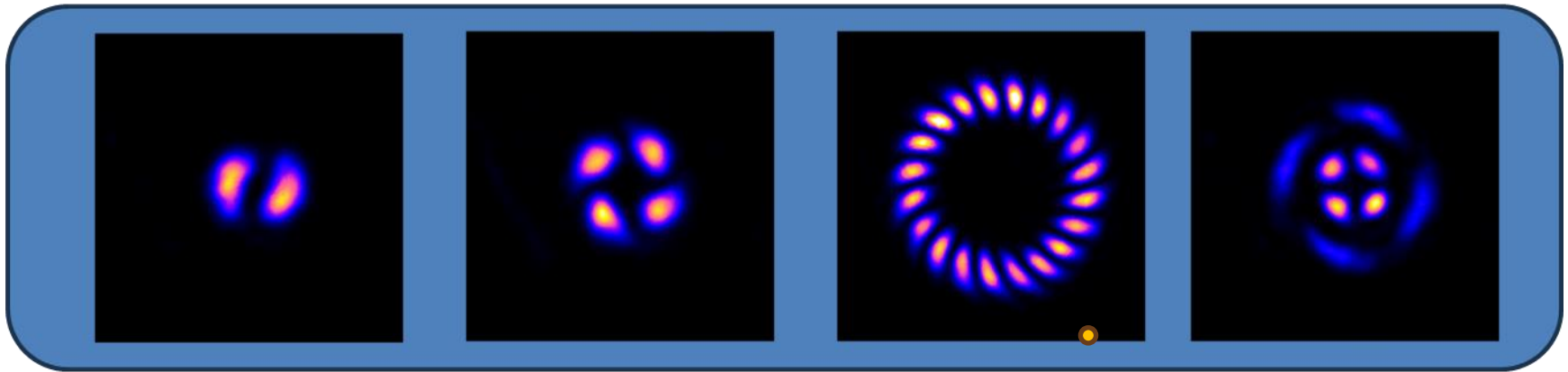
Gaussian + Laguerre Gaussian
Mathematically generated interference pattern



$$LG_p^l = \sqrt{\frac{2p!}{\pi(p+|l|)!}} \frac{1}{w(z)} \left(\frac{\sqrt{2}r}{w(z)}\right)^{|l|} \exp\left(-\frac{r^2}{w^2(z)}\right) L_p^{|l|}\left(\frac{2r^2}{w^2(z)}\right) \exp\left(-ik\frac{r^2}{2R(z)}\right) \exp(-il\phi) \exp\left(i(2p+|l|+1)\arctan\left(\frac{z}{z_R}\right)\right)$$

verification of topological charges

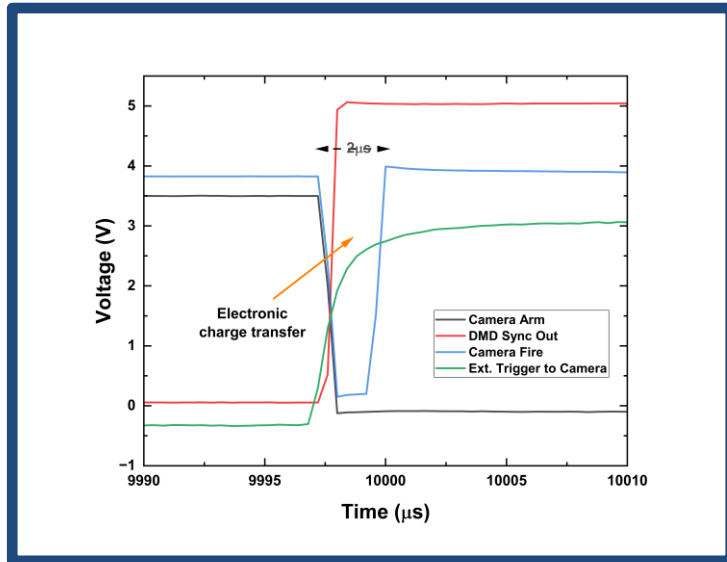
1. Interfere $\ell = n$ beam with its conjugate ($\ell = -n$) and obtain a petal interference pattern and count the number of petals
2. Interfere the LG beam carrying topological charge with gaussian beam and count the number of forks in the interference pattern



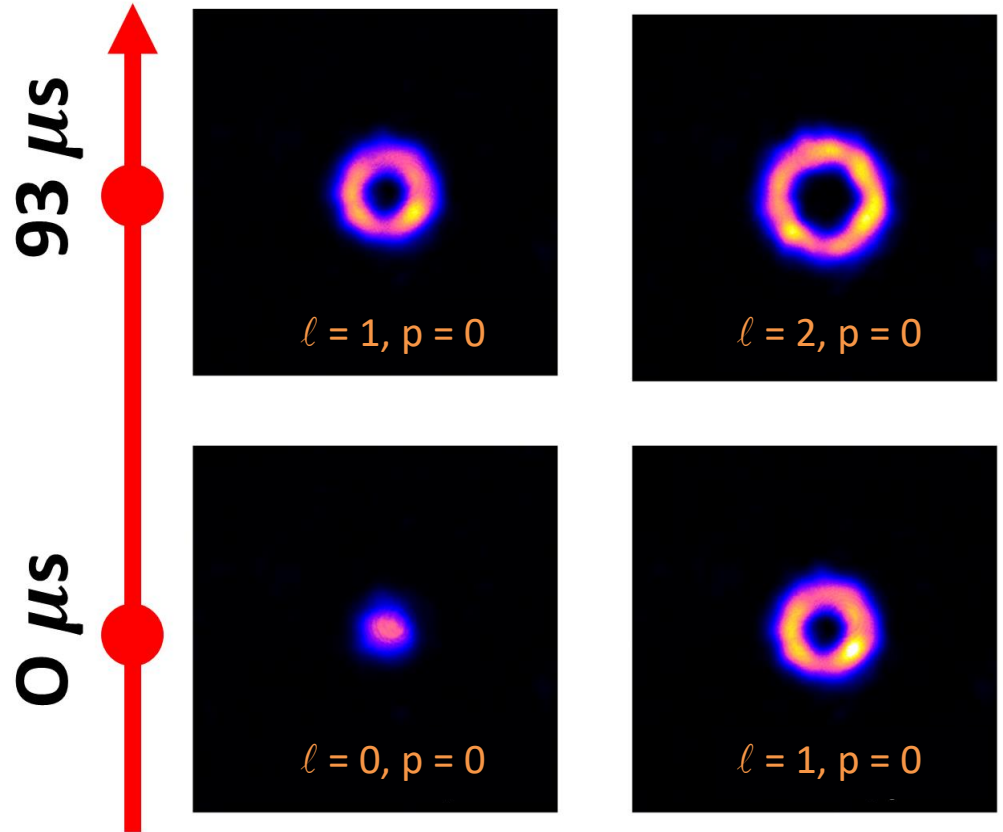
Count the
fork

Count the
petals

Time-resolved generation



- Creation of laser light with topological charge
- Fast switching (~ 100 micro-sec)
- between topological charge in light
- Aim: interaction between OAM of light with trapped cold atoms and BECs
- Magnetometry with high spatial and temporal resolutions

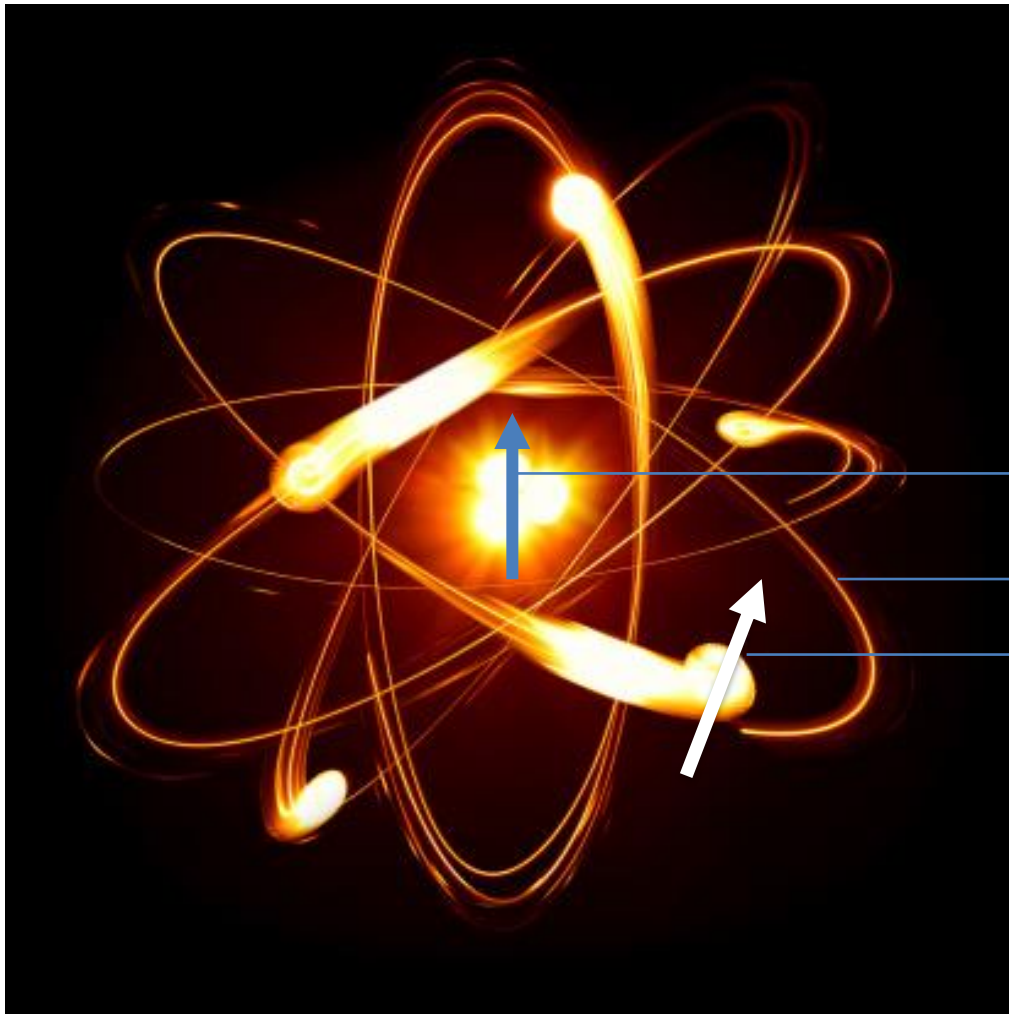


Manuscript under preparation

Spin fluctuations measurements in cold and thermal atoms

Applications in Magnetometry

What is "Spin" in atoms



Nuclear spin $\rightarrow I$

Orbital angular momentum, L

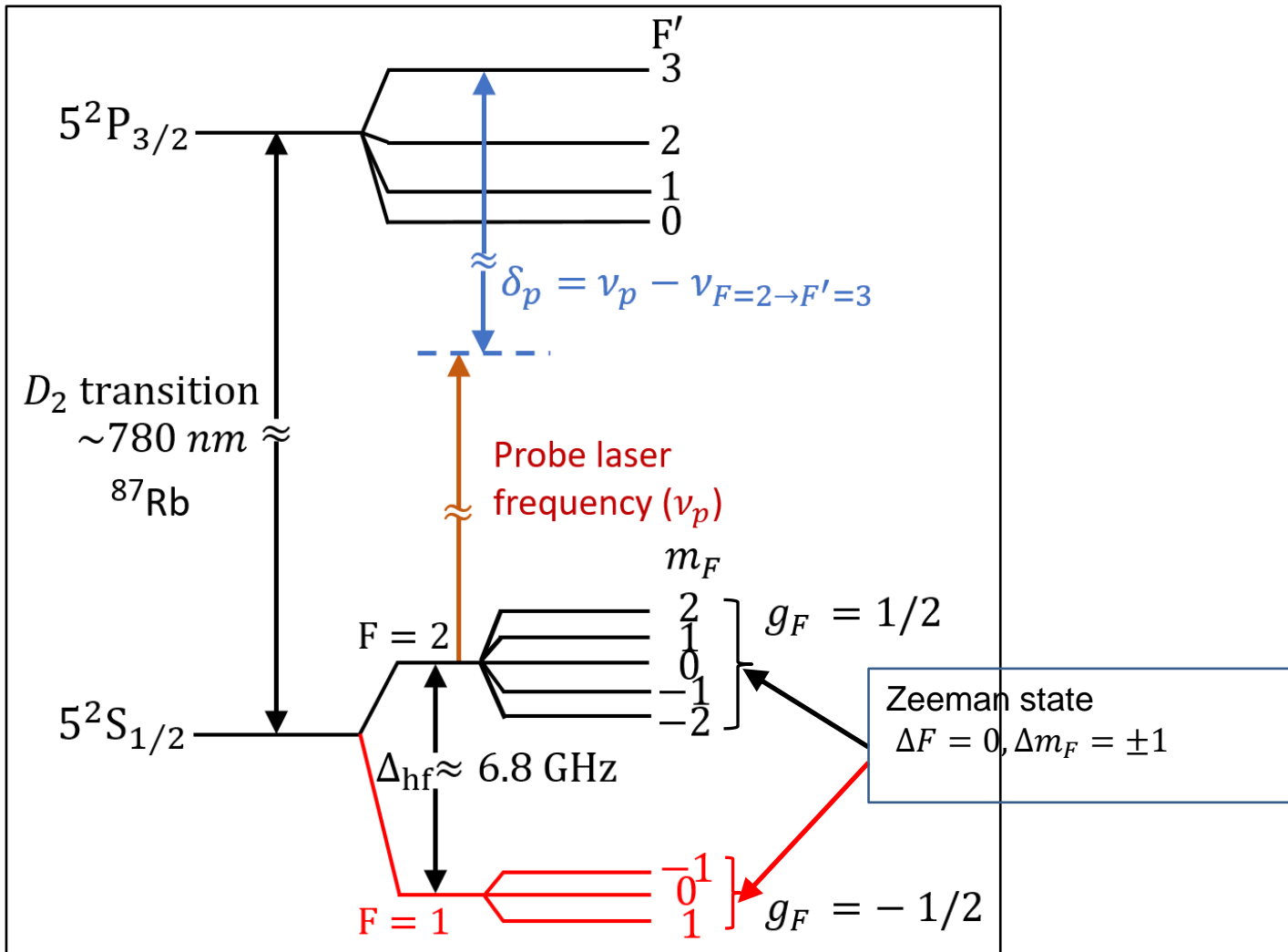
Electron spin $\rightarrow S$

Electron angular Momentum, $J = L + S$
(Fine structure)

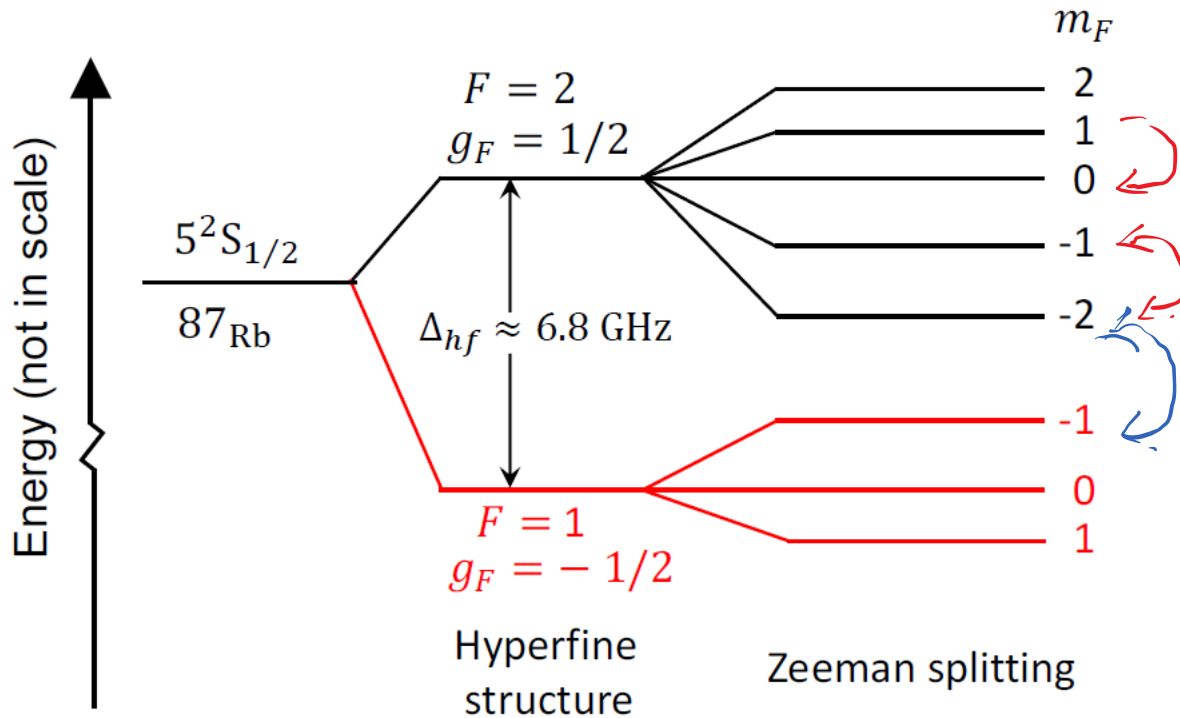
Total angular momentum, $F = I + J$
(Hyperfine structure)

What is "Spin" in atoms

Example : Rubidium atoms (our test bed for some of the experiments)



What is atomic Spin fluctuations

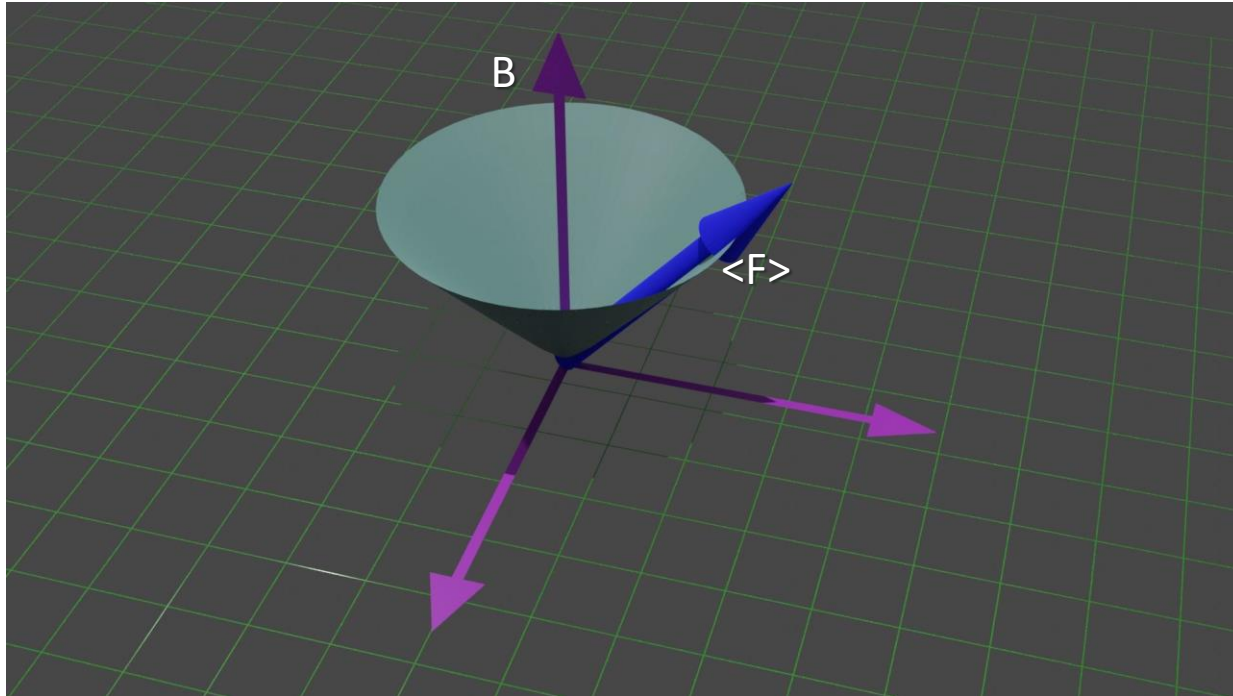


Population fluctuation between Zeeman levels

Reasons – 1) Thermal bath coupling, 2) Quantum fluctuations, 3) spin exchange collisions

How to measure atomic Spin fluctuations

Larmor precession of atomic spins in external magnetic field



B : External magnetic field (Quantization axis)

$\langle F \rangle$: atomic spin projection vector

(Detour) Experimental technique: Faraday rotation and its fluctuations

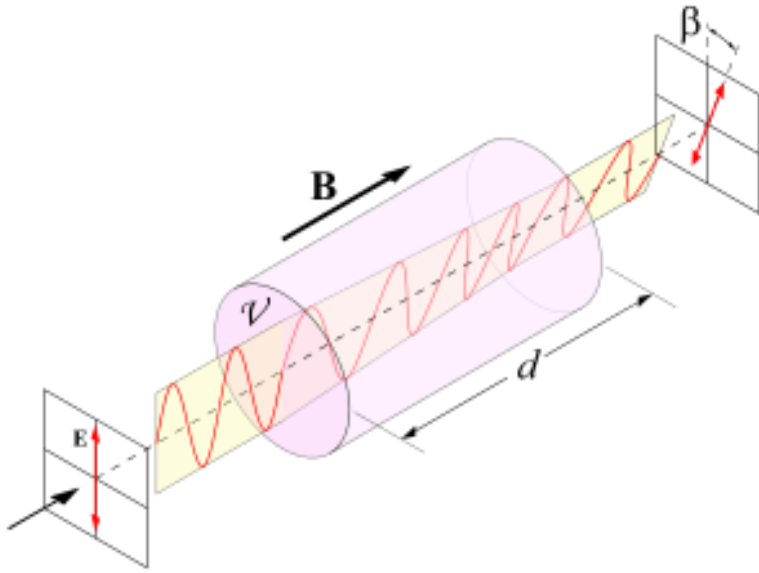
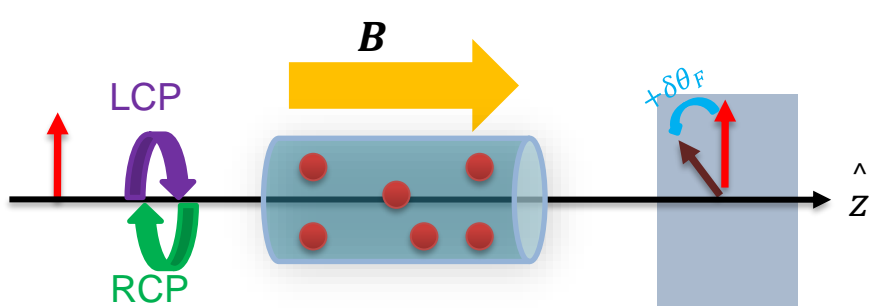


Image source: Wikipedia

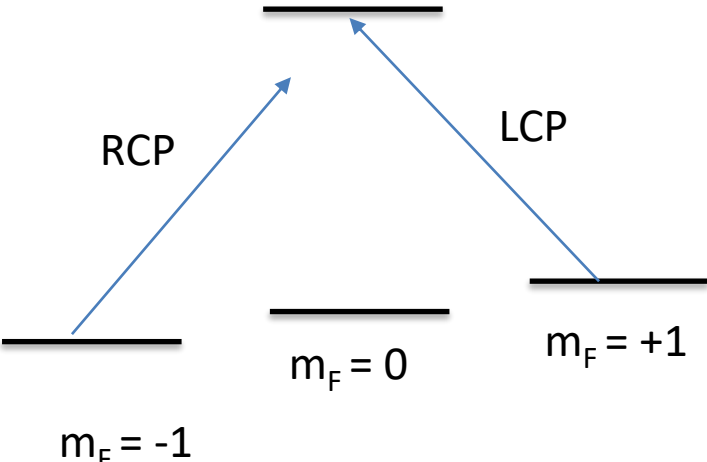
(Detour) Experimental technique: Faraday rotation and its fluctuations

An atomic physicist's explanation



LCP, RCP = Left / right circularly Polarized light

can be mapped to $\sigma+$ / $\sigma-$ states Of light with correct quantization axis identification



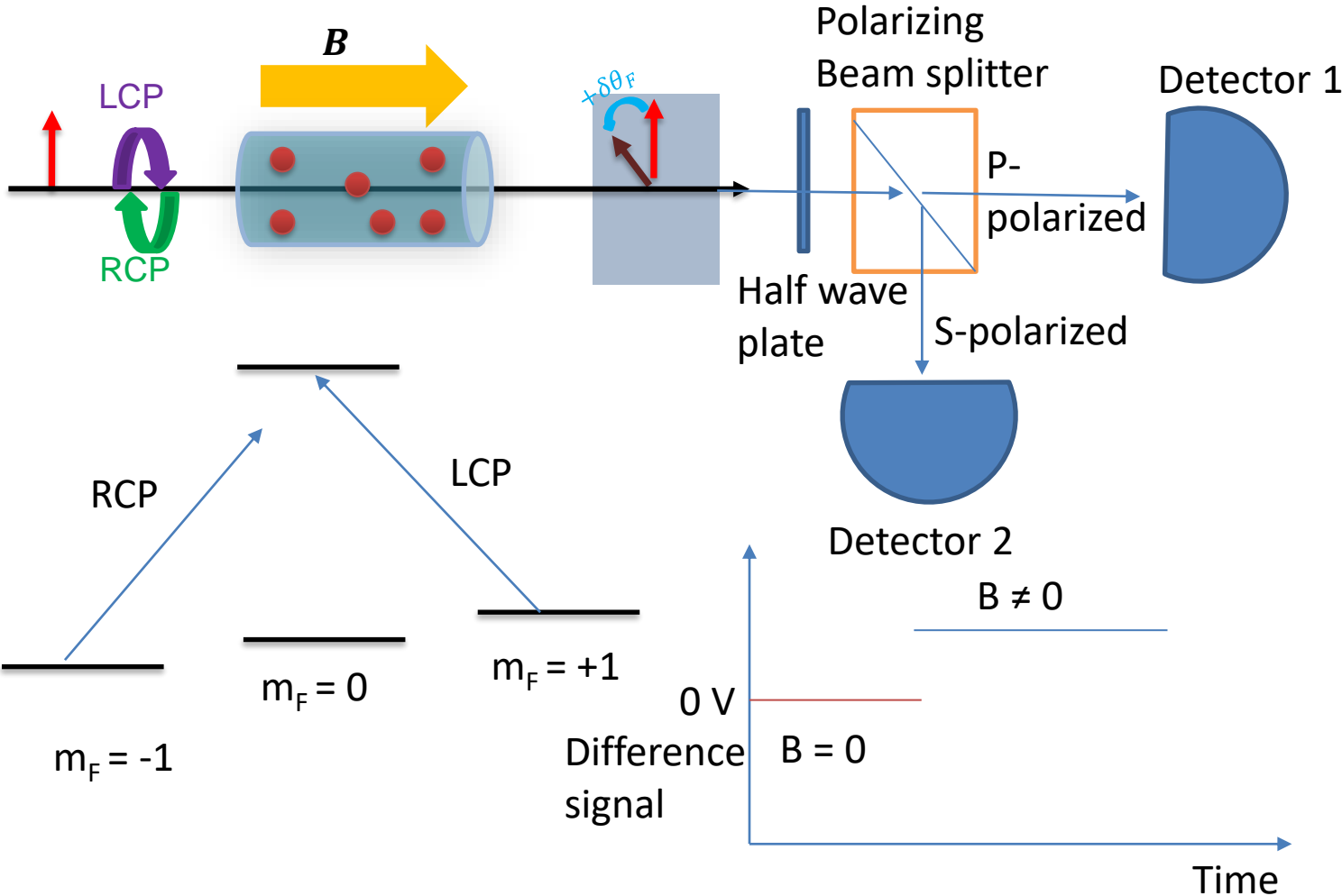
1) Depending on frequency of the laser w.r.t atomic transition \rightarrow

2) different phase shift of LCP / RCP light \rightarrow

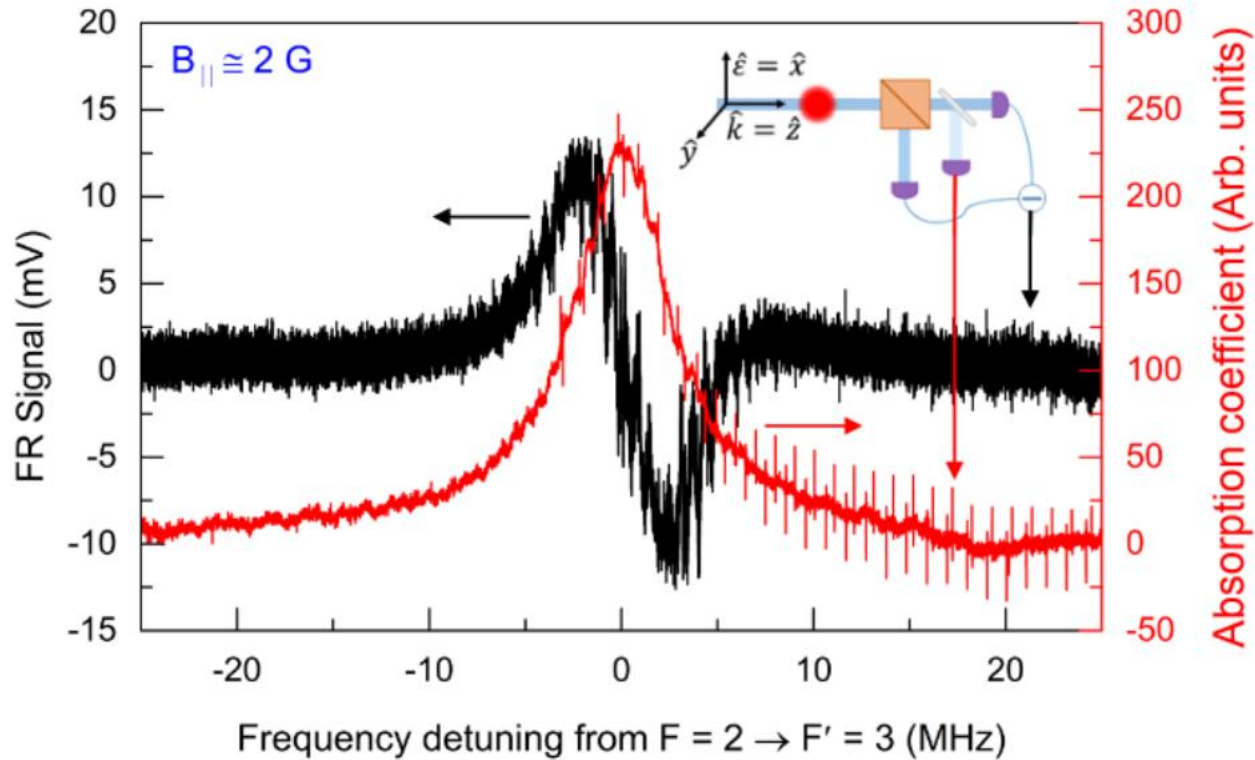
3) resultant outcoupled light polarization vector rotates by a angle w.r.t input polarization

(Detour) Experimental technique: Faraday rotation and its fluctuations

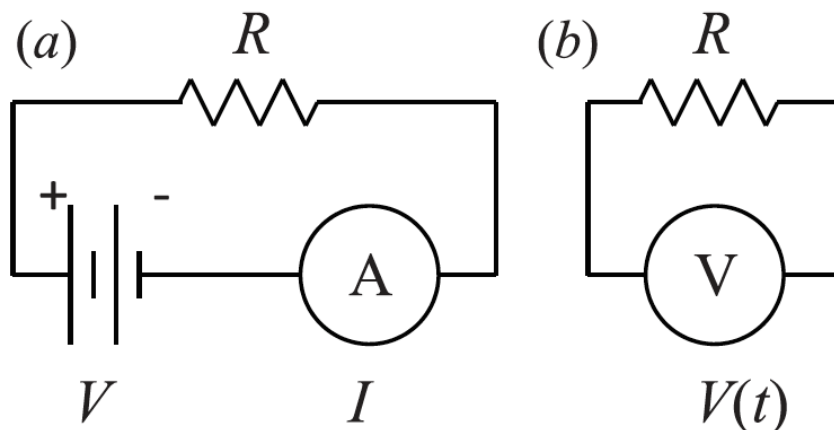
An atomic physicist's explanation



Faraday rotation from cold atoms



Johnson-Nyquist noise (1928):



Voltage variance per hertz of bandwidth:

$$R = \frac{V}{I}$$

$$\langle V^2 \rangle = 4k_B T R$$

(Fluctuation-dissipation theorem)

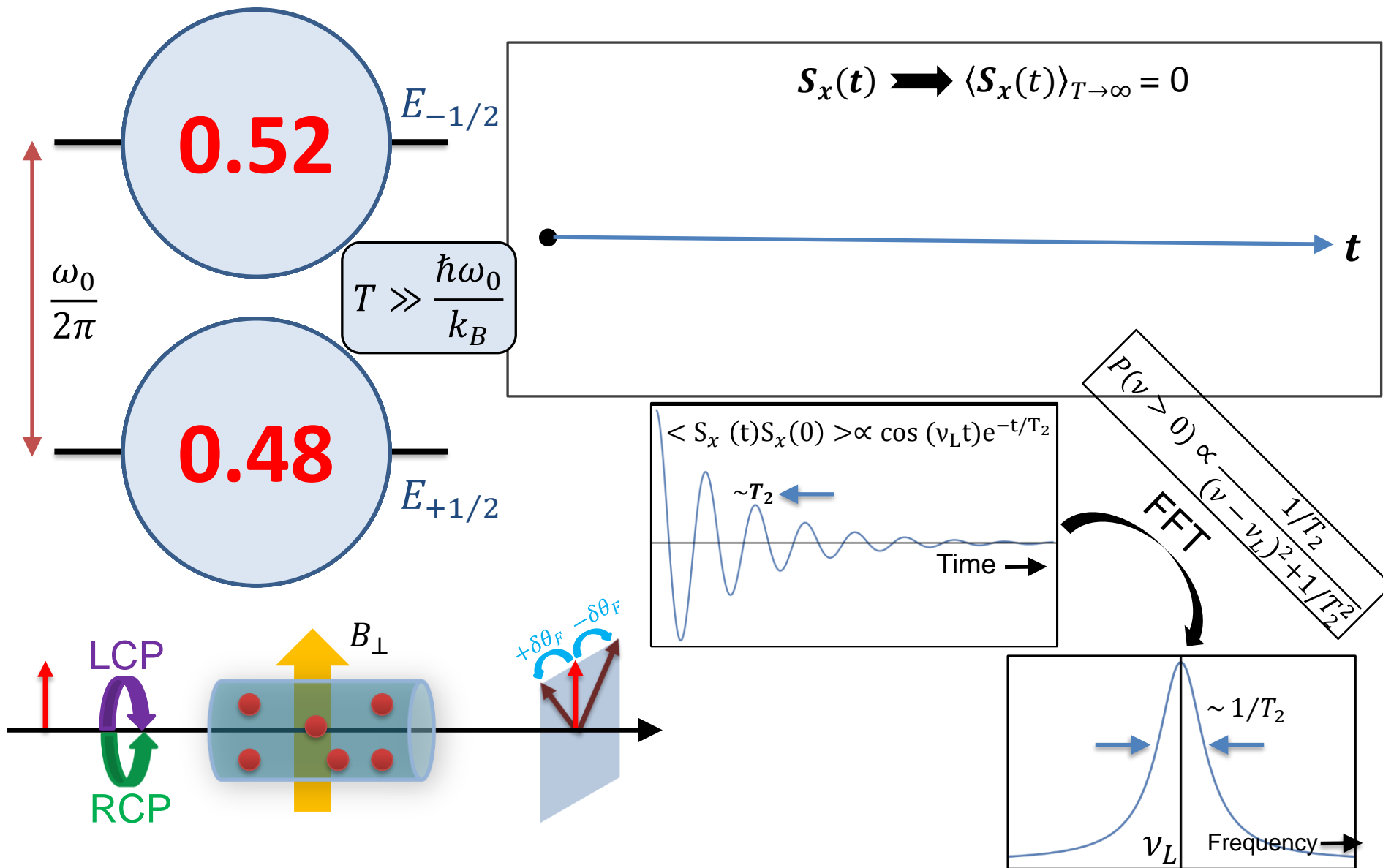
T: Temperature

R: Resistance

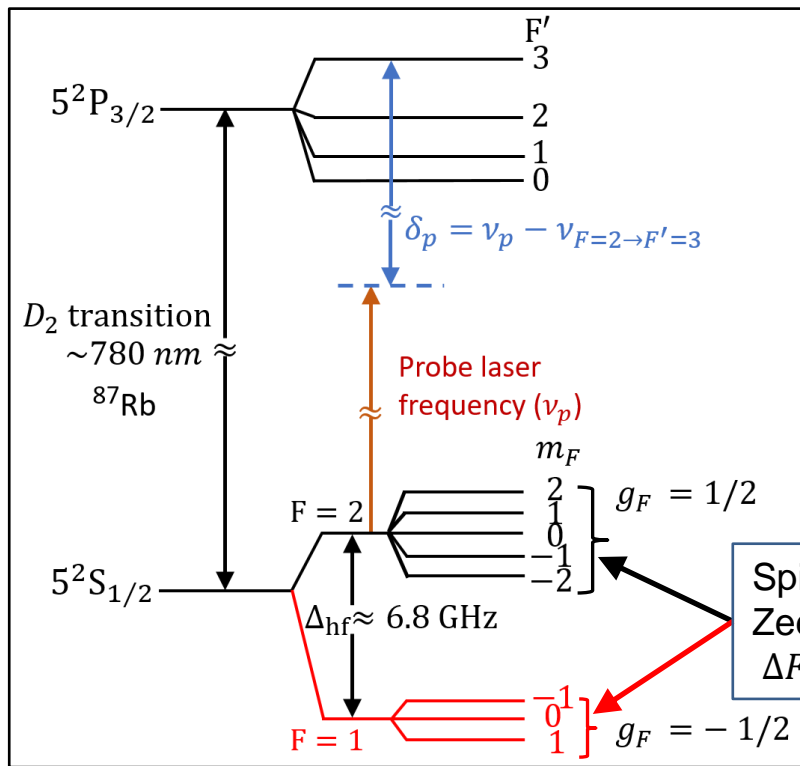
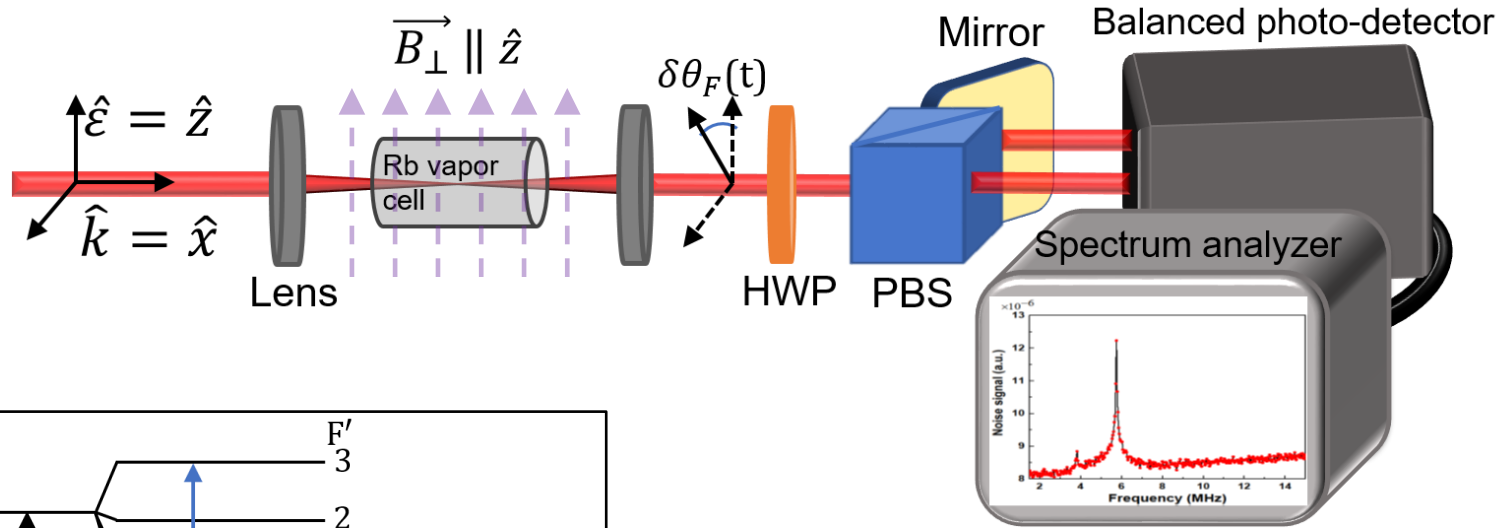
k_B : Boltzmann constant

Spin Noise and correlation spectroscopy

spin noise spectroscopy (SNS)



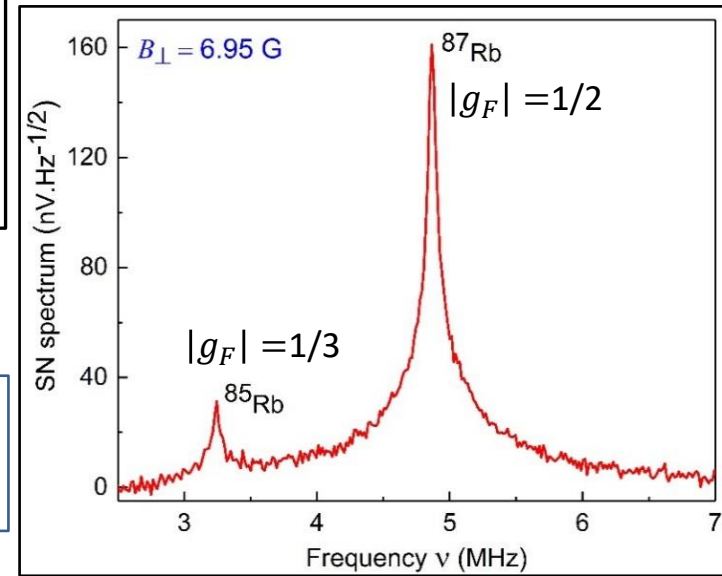
Intrinsic spin noise (SN) spectrum



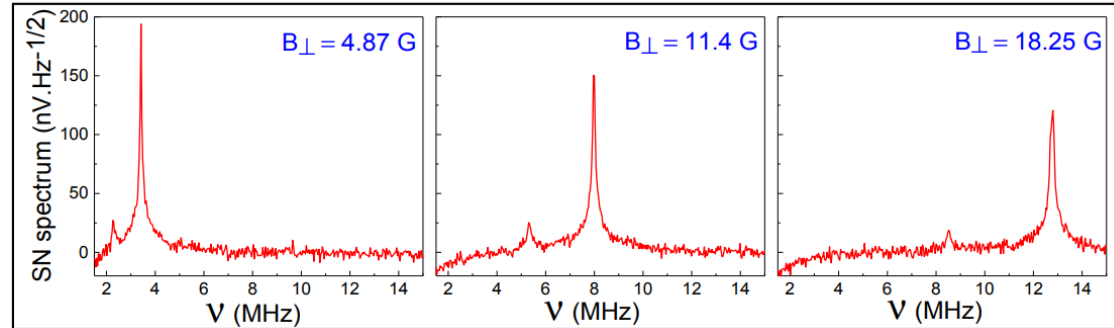
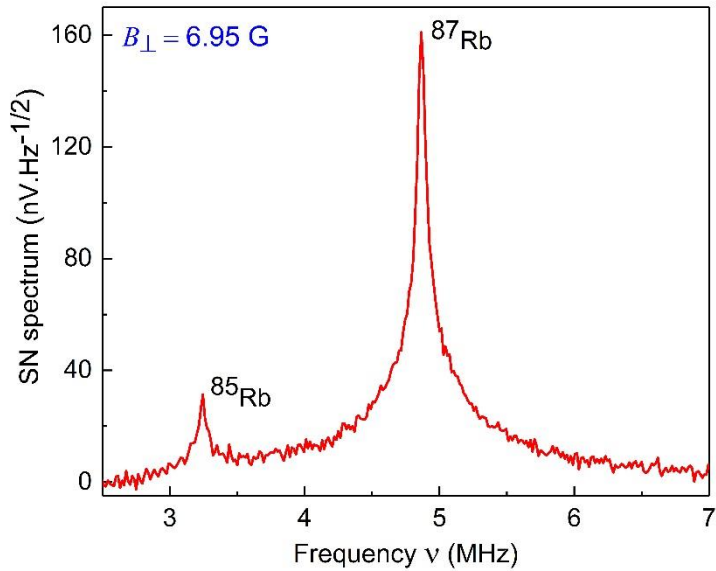
$$\Sigma = \int_0^\infty dv P(v)$$

$$\propto \frac{I_p^2}{\delta_p^2} \left(\frac{n_0 l}{A} \right)$$

Spin fluctuations between Zeeman state
 $\Delta F = 0, \Delta m_F = \pm 1$

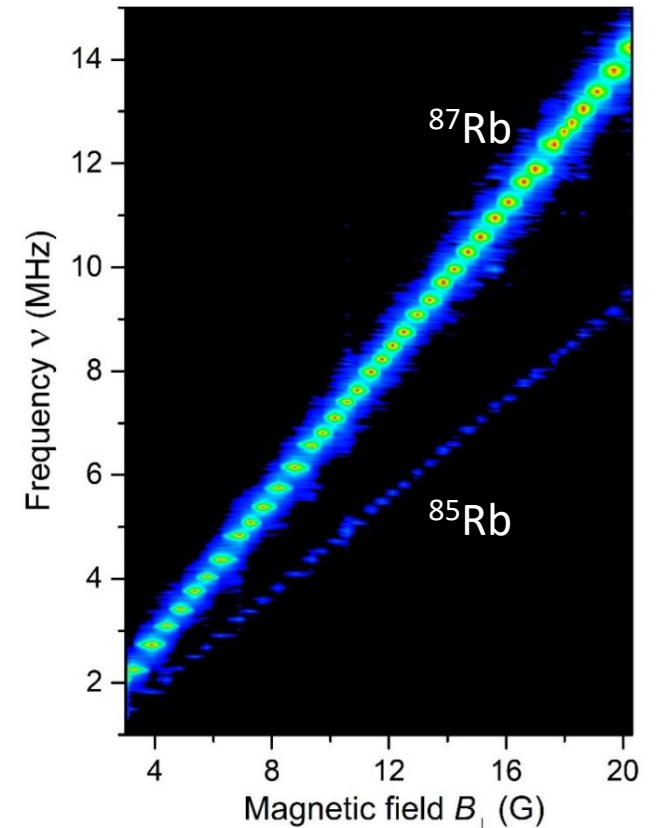


Linear Zeeman regime (Low field measurements)



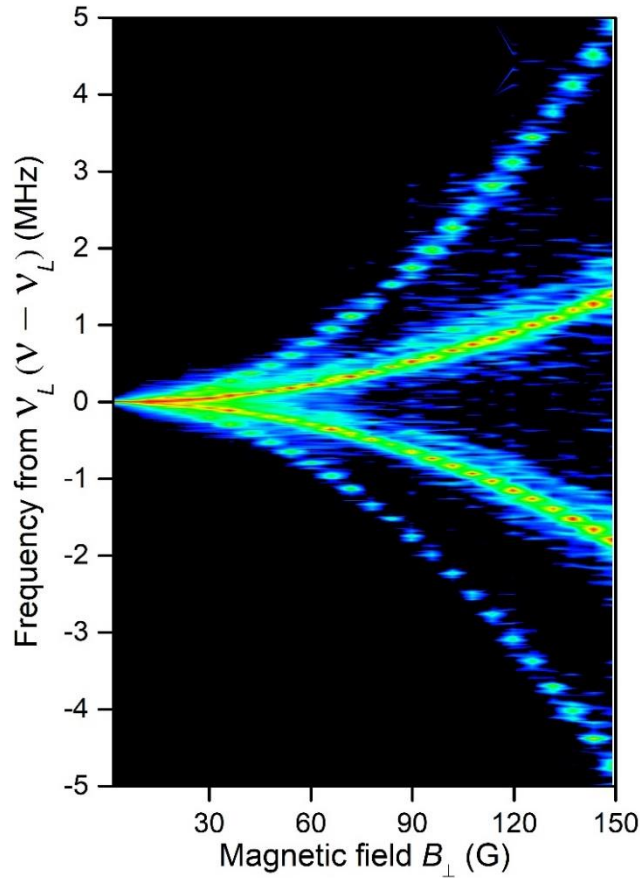
$$|g_F| = \frac{h\nu_L}{\mu_B B_{\perp}}$$

Parameters	Extracted value
$ g_F $ (^{87}Rb)	0.500 (1)
$ g_F $ (^{85}Rb)	0.333 (1)
Spin coherence rate	$\sim 3 \times 10^5 \text{ s}^{-1}$
$n_{^{87}\text{Rb}} : n_{^{85}\text{Rb}}$ (T = 100°C)	$\approx 11 : 1$

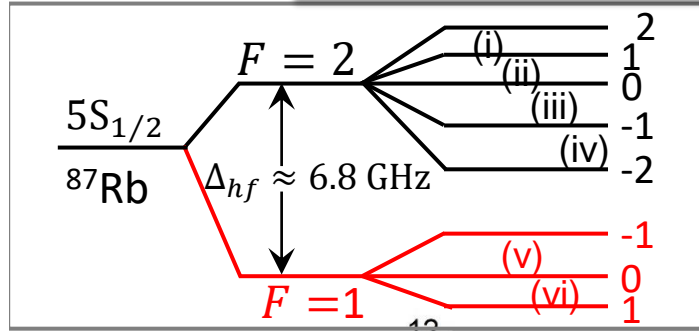


Opt. Express 26, 32168 (2018).

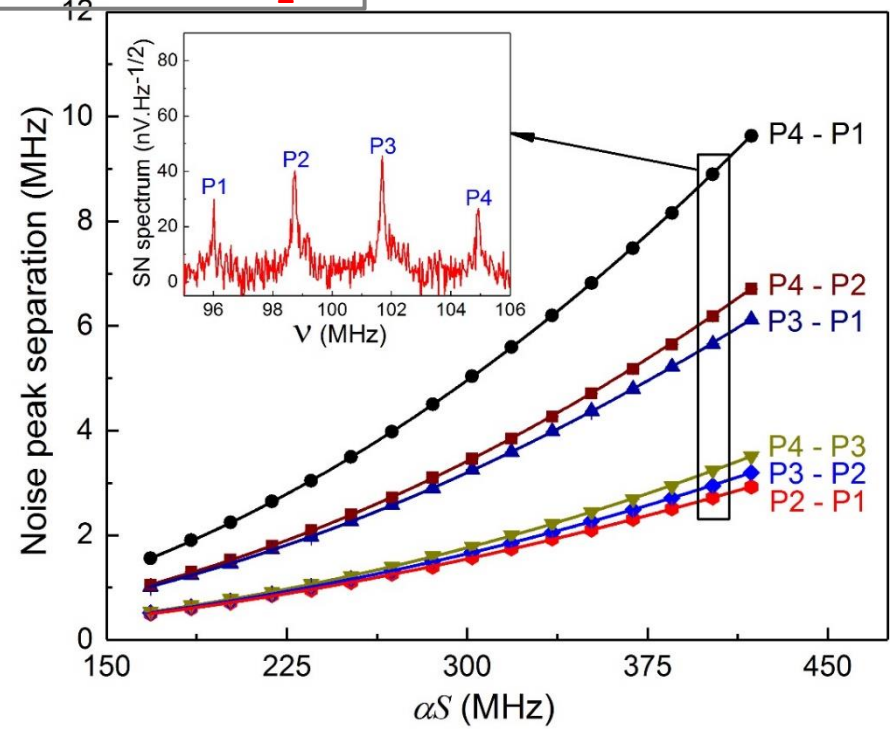
non-linear Zeeman regime (High field!)



$$E_{F=I \pm \frac{1}{2}, m_F} = -\frac{h\Delta_{hf}}{2(2I+1)} + g_I \mu_B B_{\perp} m_F \pm \frac{h\Delta_{hf}}{2} \sqrt{1 + \frac{4m_F}{2I+1}x + x^2}$$



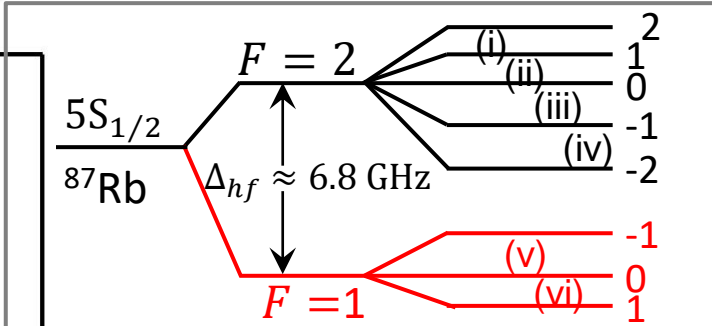
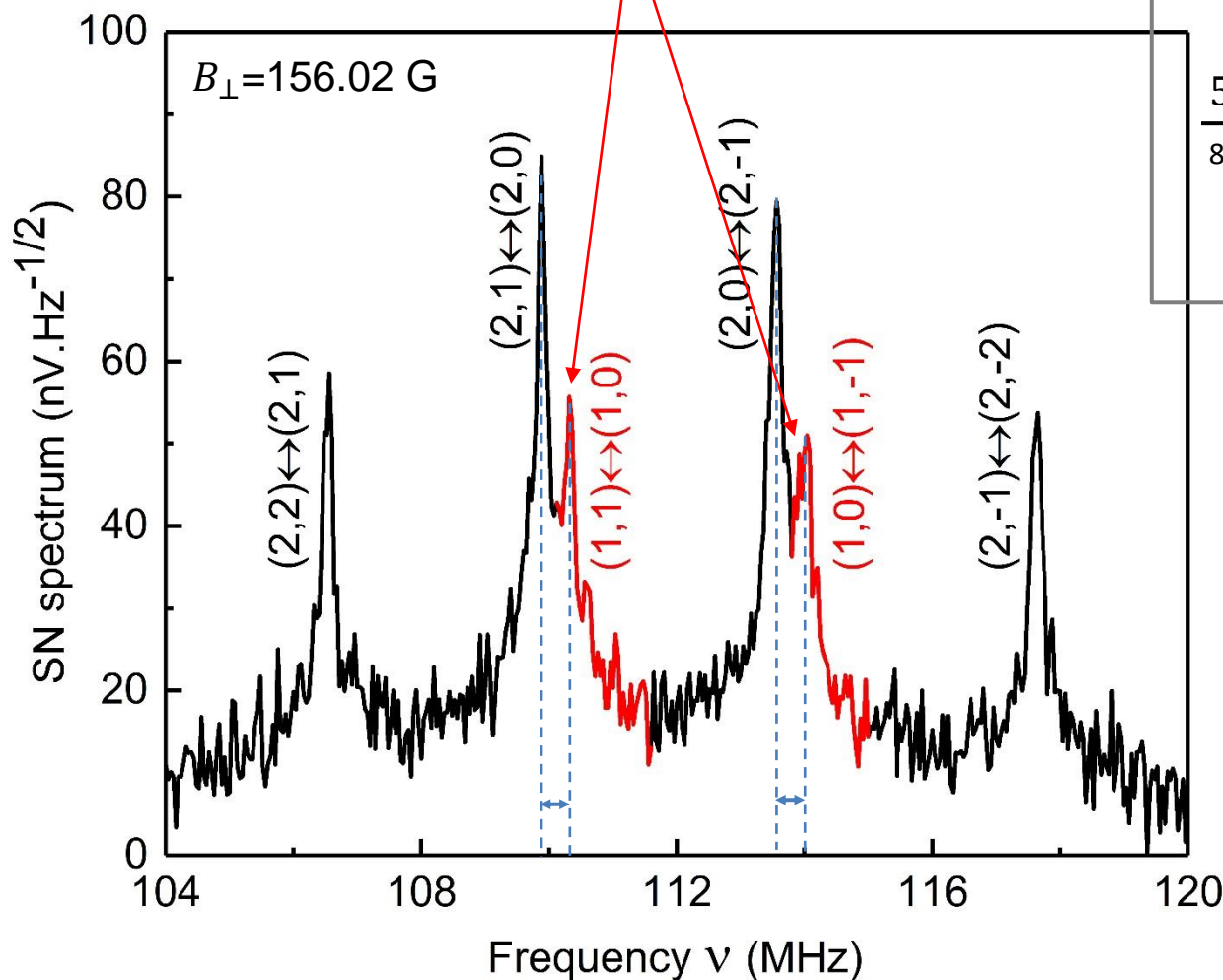
$$x = \frac{(g_J - g_I)\mu_B B_{\perp}}{h\Delta_{hf}}$$



Opt. Express 26, 32168 (2018).

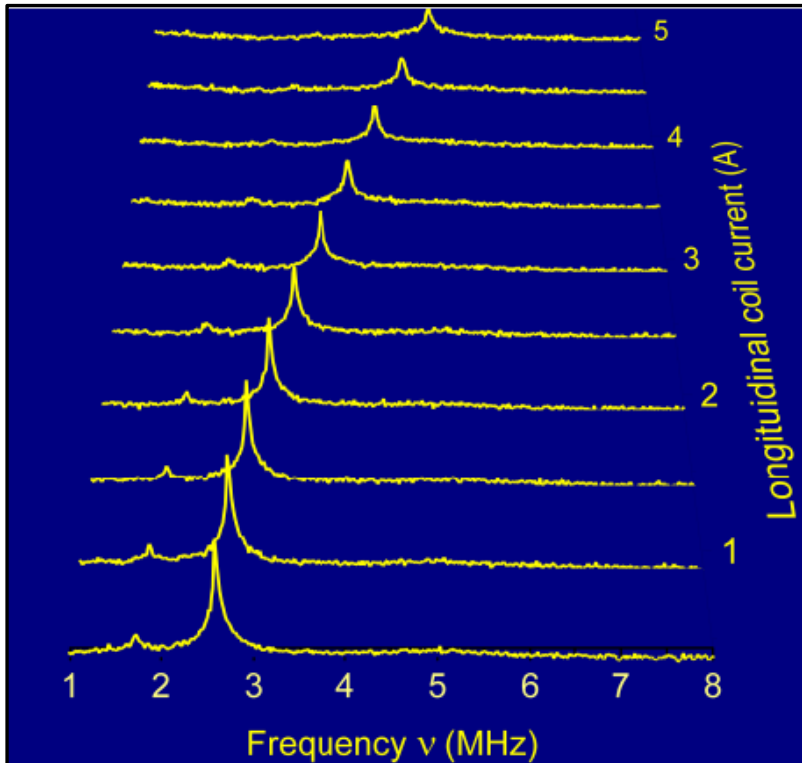
Some applications (g_I measurements)

$$E_{F=I\pm\frac{1}{2}, m_F} = -\frac{h\Delta_{hf}}{2(2I+1)} + g_I \mu_B B_{\perp} m_F \pm \frac{h\Delta_{hf}}{2} \sqrt{1 + \frac{4m_F}{2I+1}x + x^2}$$

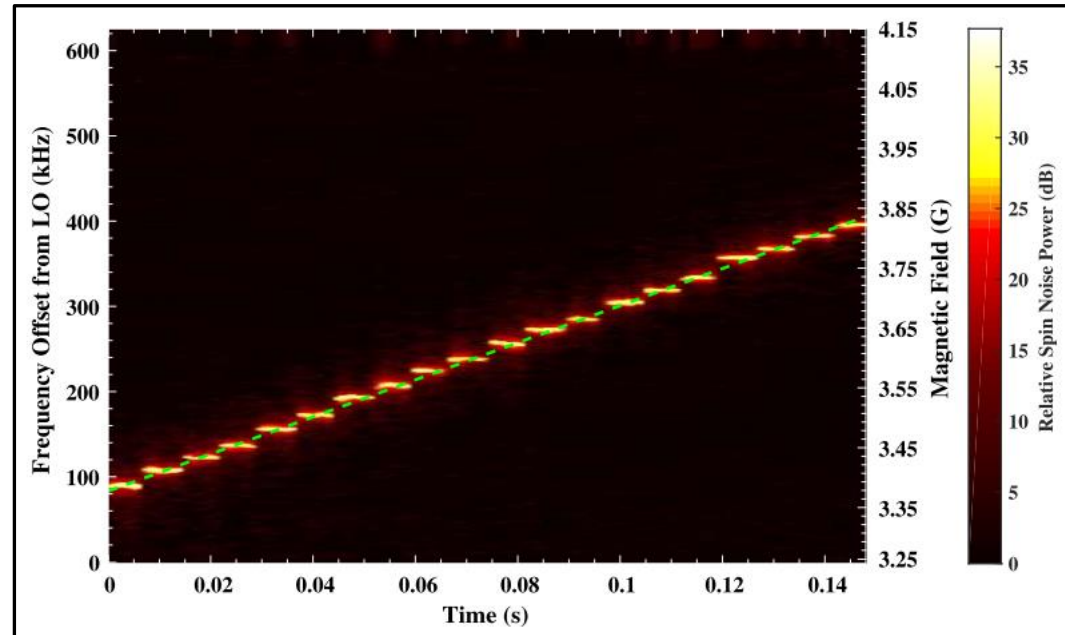


$$g_I = -0.00100627(2558)$$

Vector and time resolved magnetometry



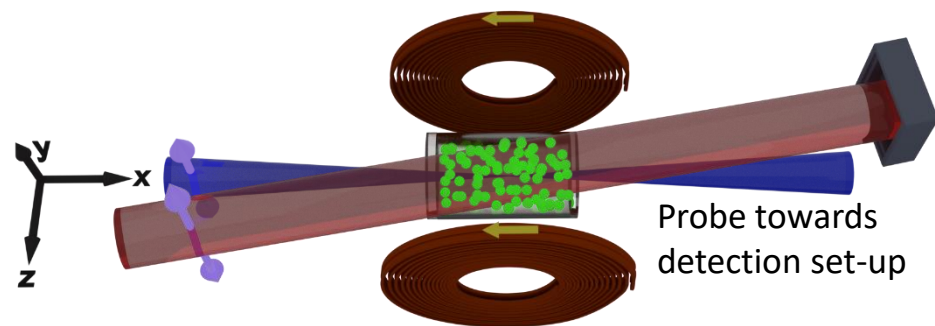
Local magnetic field direction changes spin noise spectrum both as a shift and line-shape change.






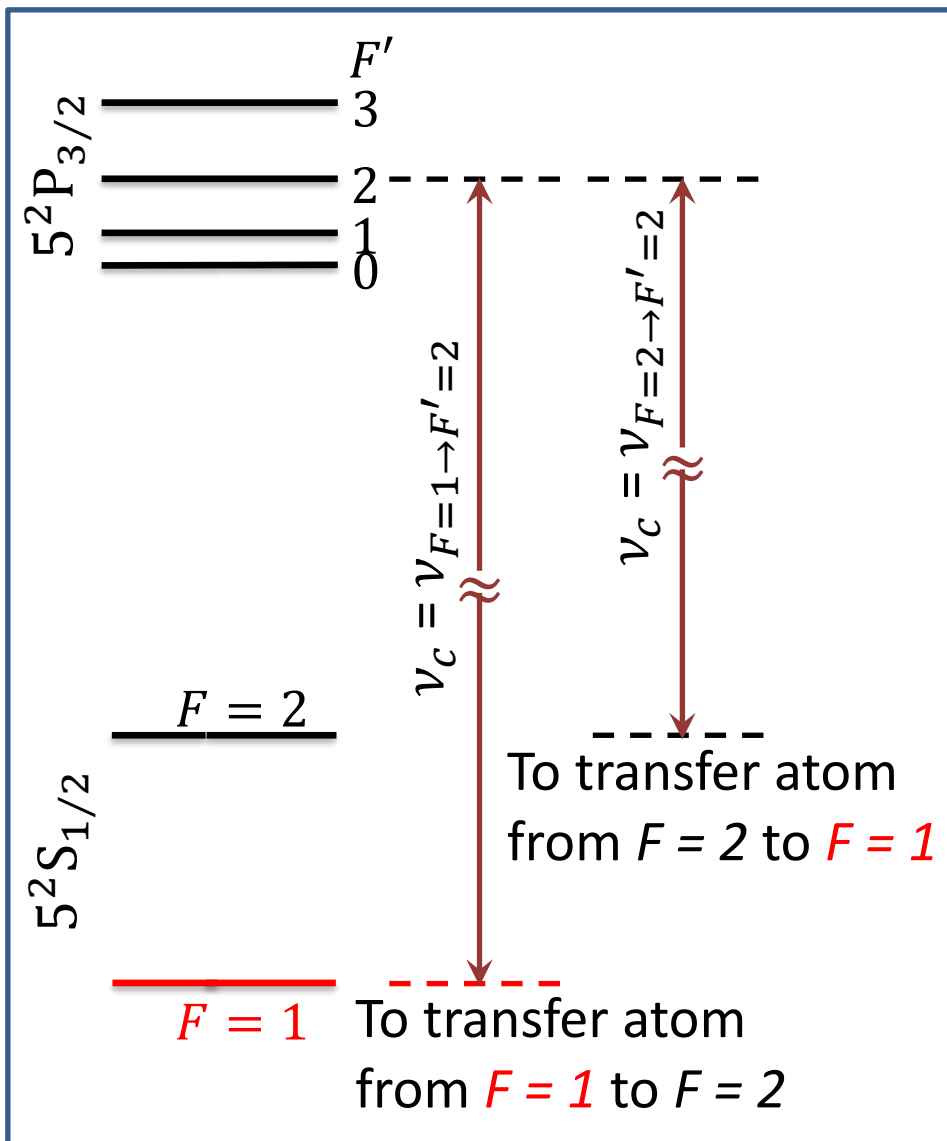
Our fast FPGA based detectors can resolve spin noise signal at *m-sec* time scale --- may be useful For *sensing* biological processes non-invasively

Ref: IEEE TIM, 2021

Spin coherence in optically pumped atomic systems

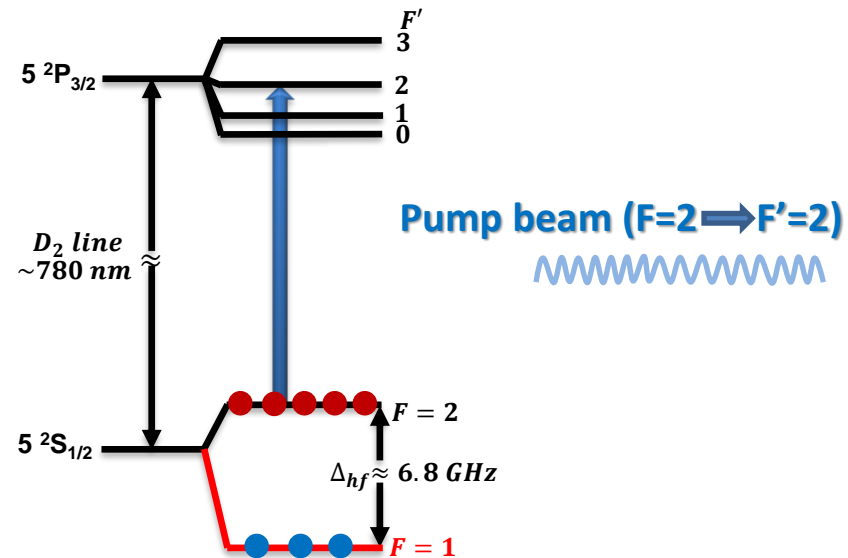
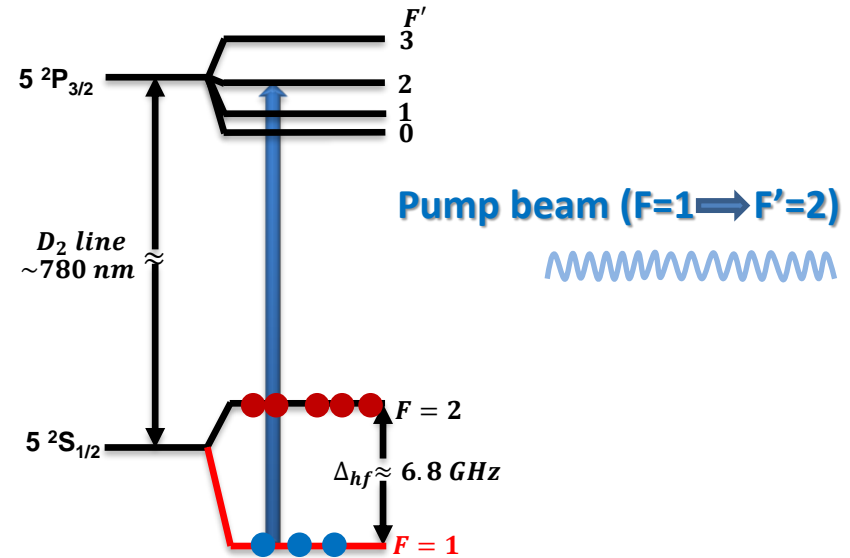
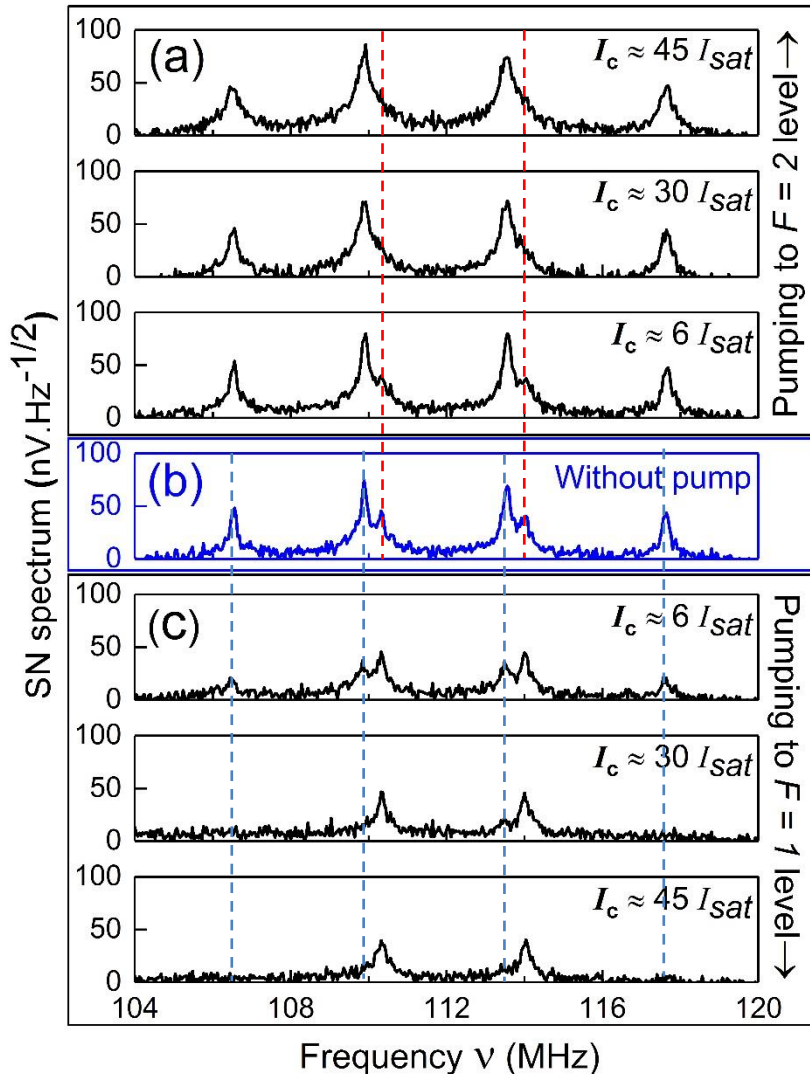


-  probe beam
-  pump beam
-  atoms



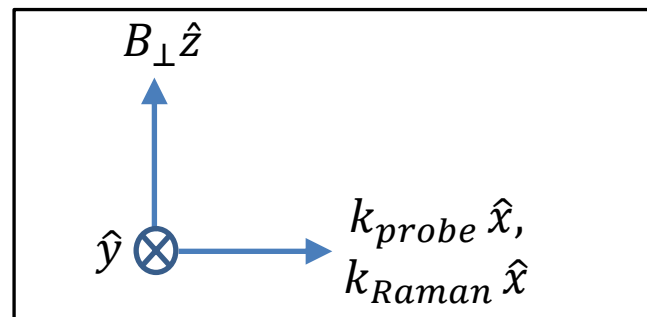
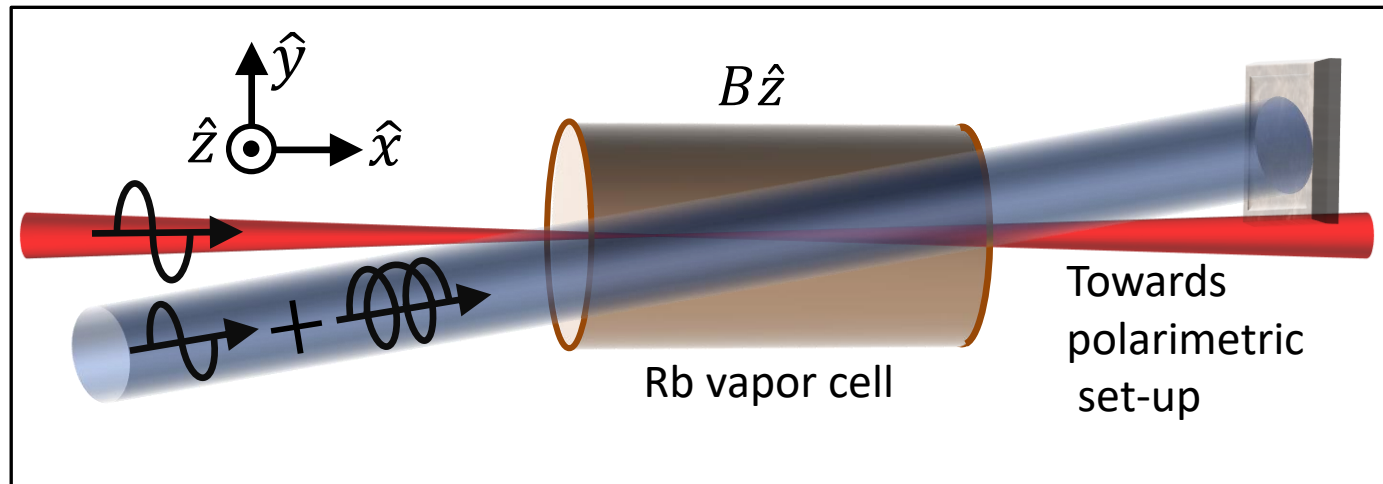
optically pumped atomic systems

During experiment, $\delta_p = -10.6$ GHz

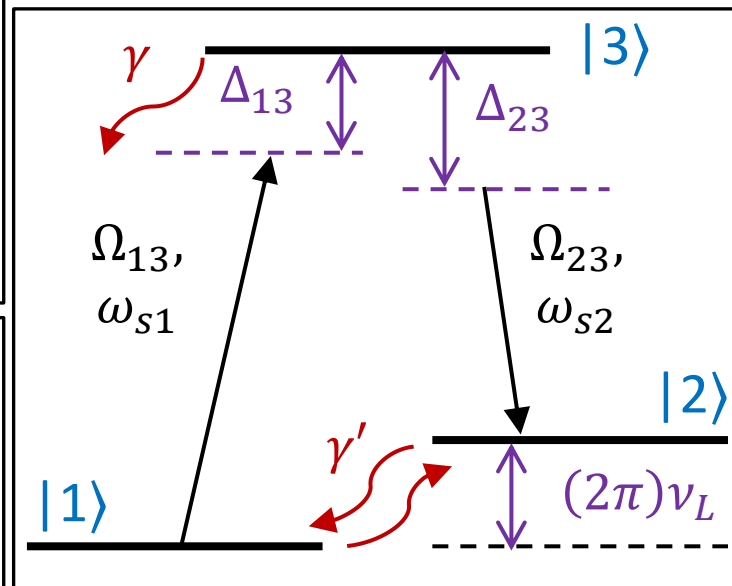


Opt. Express 26, 32168 (2018).

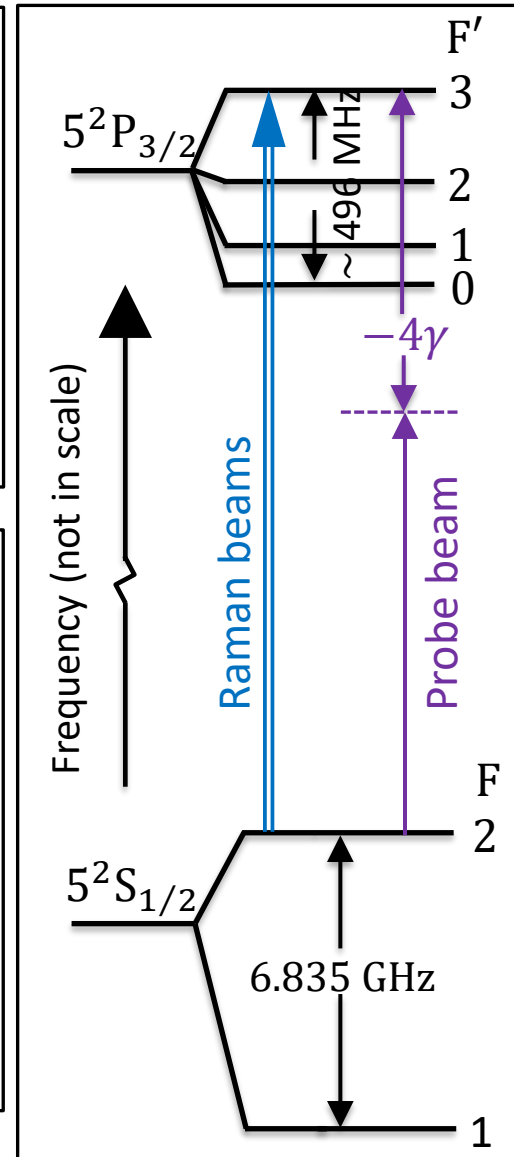
coherently driven atomic systems



- $|1\rangle \equiv |F = 2, m_F = -1\rangle$
- $|2\rangle \equiv |F = 2, m_F = 0\rangle$
- $|3\rangle \equiv |F' = 3, m_{F'} = 0\rangle$



Phys. Rev. Res. (2021).



Million fold signal enhancement: Thanks to Prof. C. V. Raman!

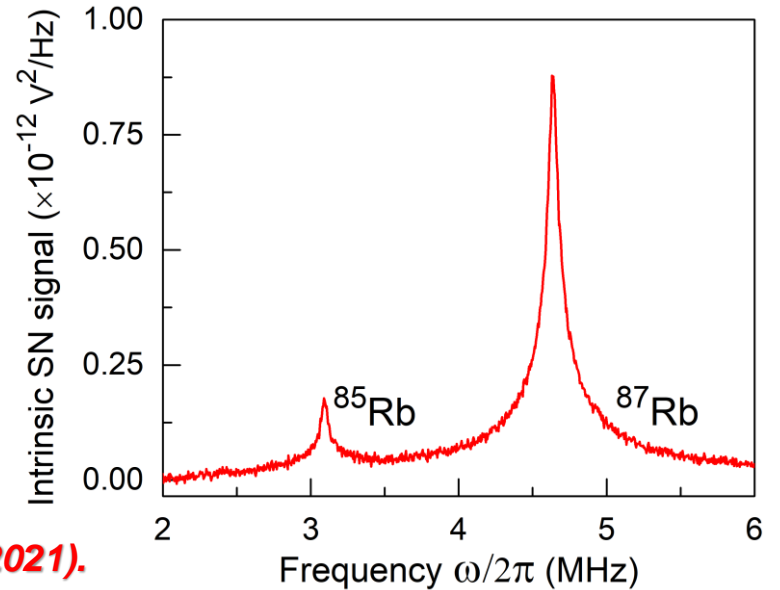
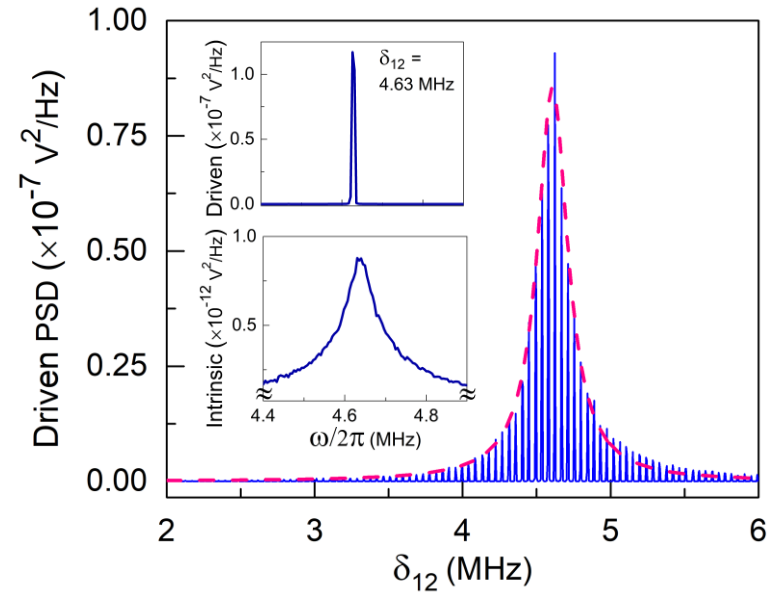
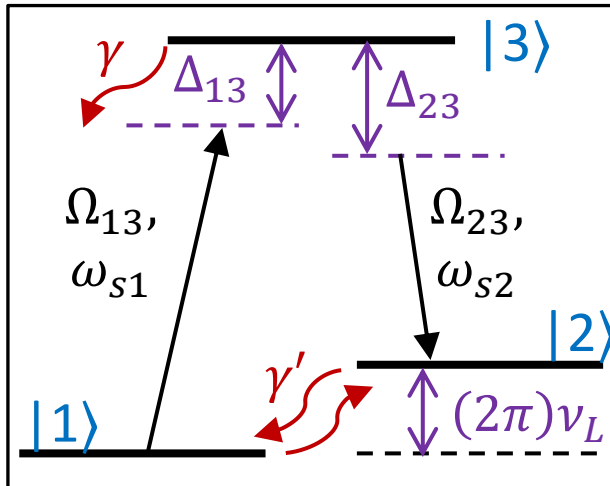
$$\frac{\mathcal{H}}{\hbar} = (\Delta_{23} - \Delta_{13})\mu^\dagger\mu - \Delta_{13}\sigma^\dagger\sigma - \Omega_{13}(\sigma + \sigma^\dagger) - \Omega_{23}(\mu + \mu^\dagger),$$

$$\sigma^\dagger = |1\rangle\langle 3|, \mu^\dagger = |2\rangle\langle 3|, \nu^\dagger = |1\rangle\langle 2|$$

$$P(\omega) = \delta(\omega + \omega_{s2} - \omega_{s1})|\rho_{21}|^2$$

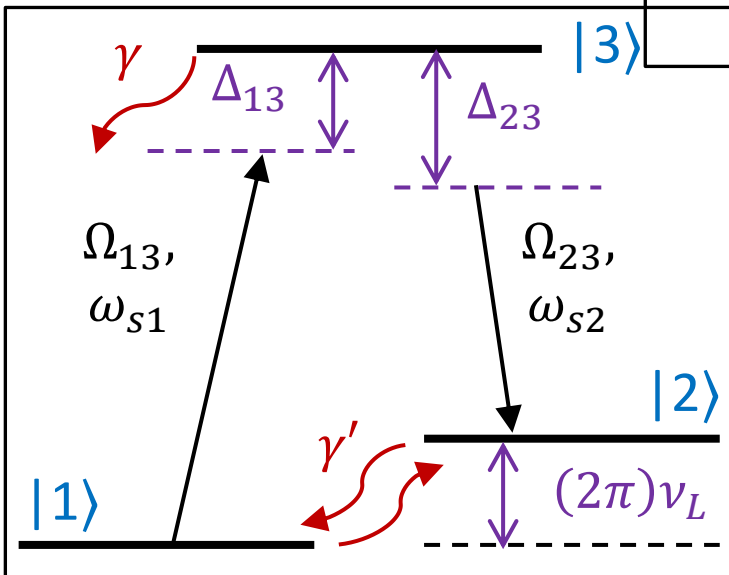
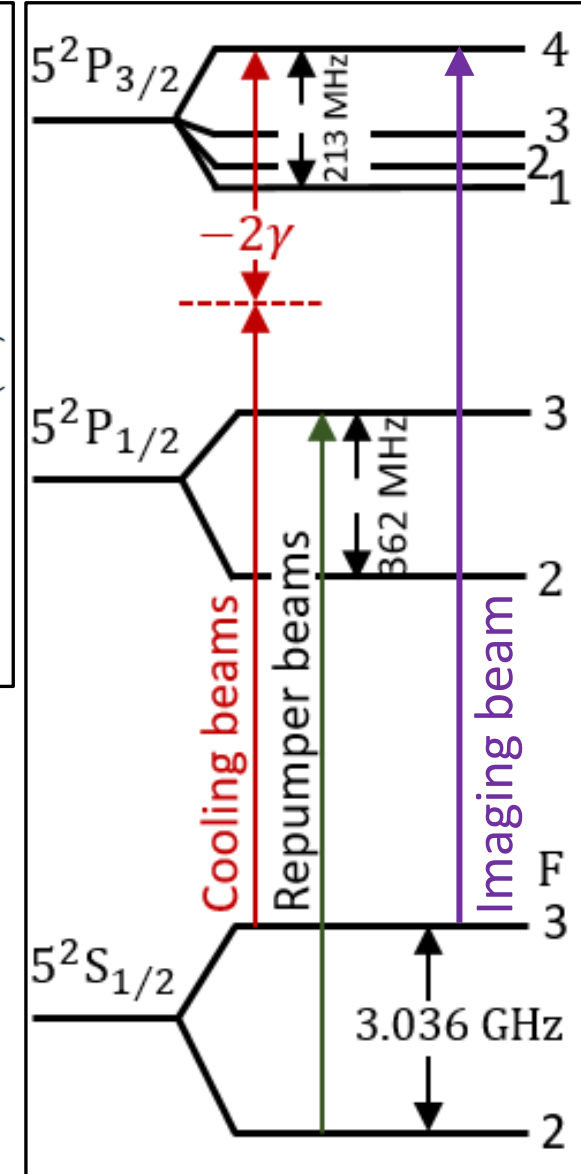
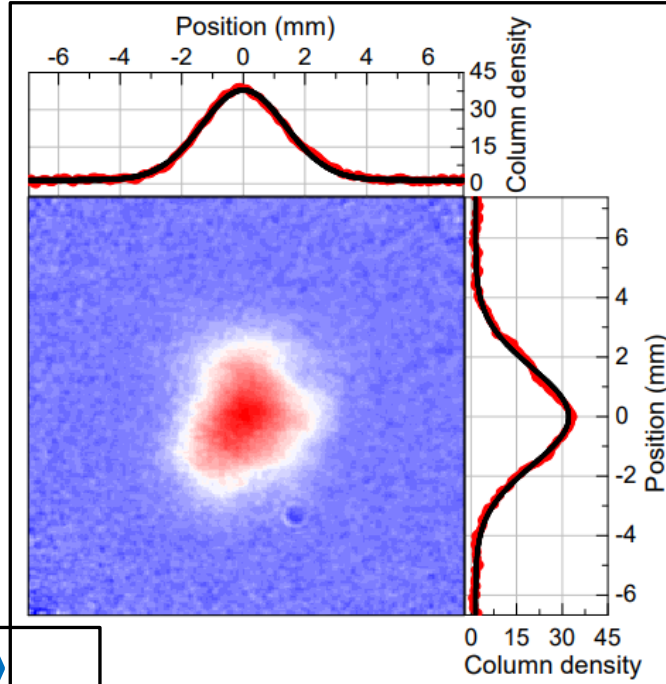
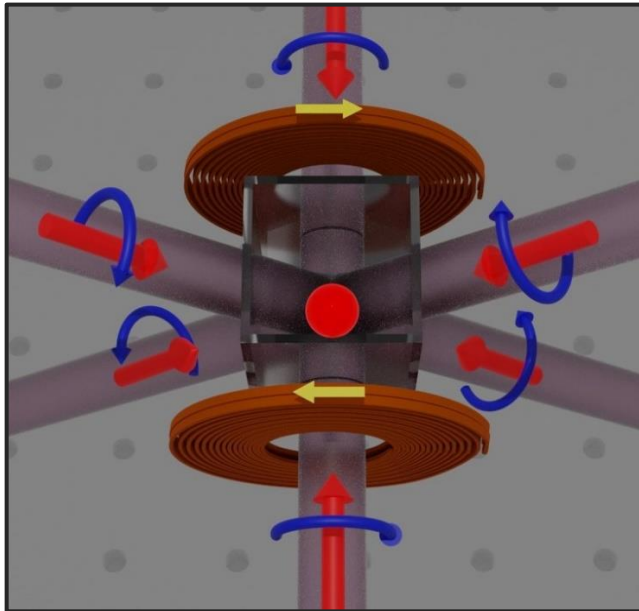
$$\omega = \omega_{s1} - \omega_{s2} =: 2\pi\delta_{12}$$

$$2\pi\delta_{12} = 2\pi\nu_L - (\Delta_{23} - \Delta_{13})$$



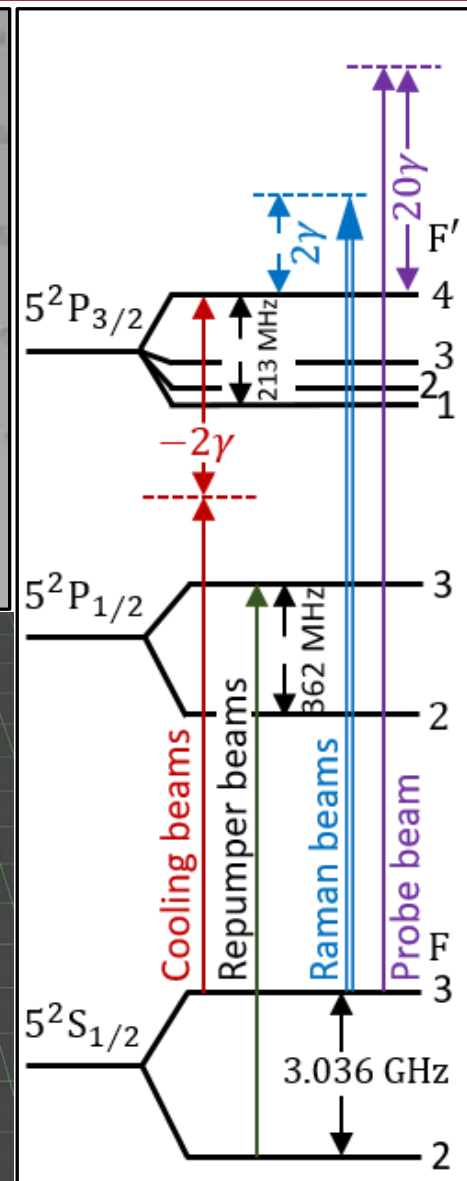
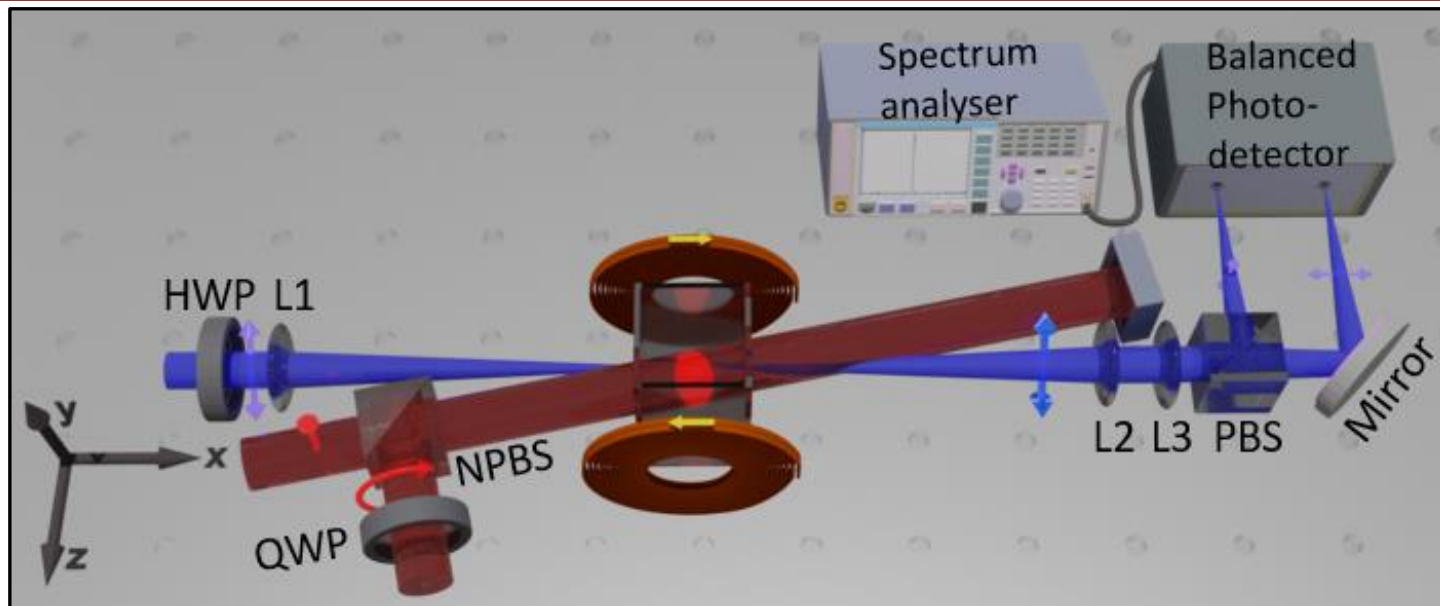
Phys. Rev. Res. (2021).

First ever direct spin fluctuation detection in cold atoms



Phys. Rev. Res. (2021).

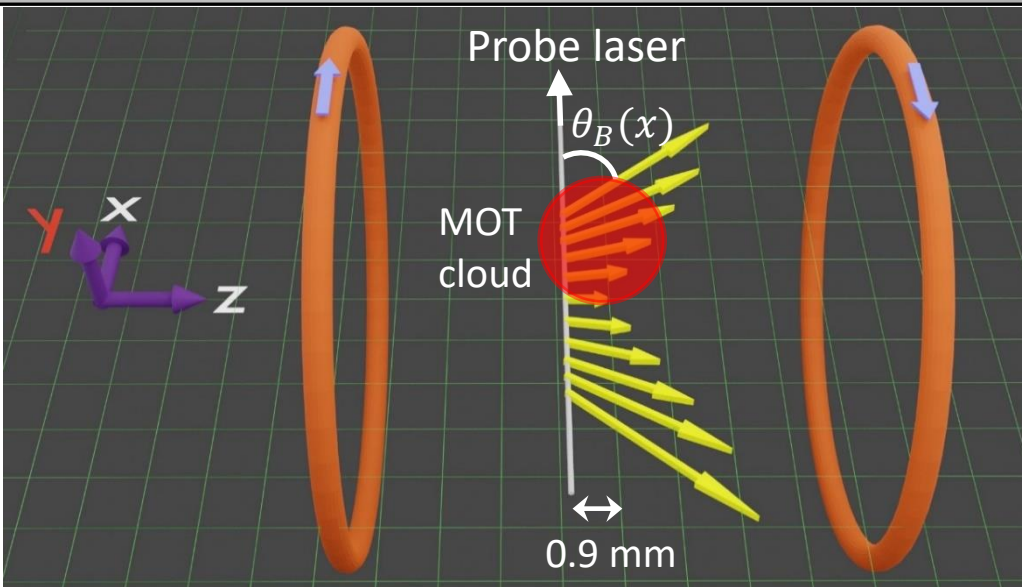
Spin coherence in Magneto Optically Trapped atoms



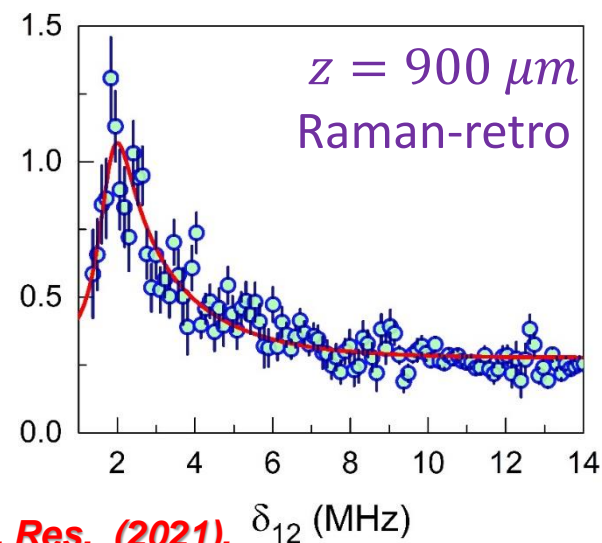
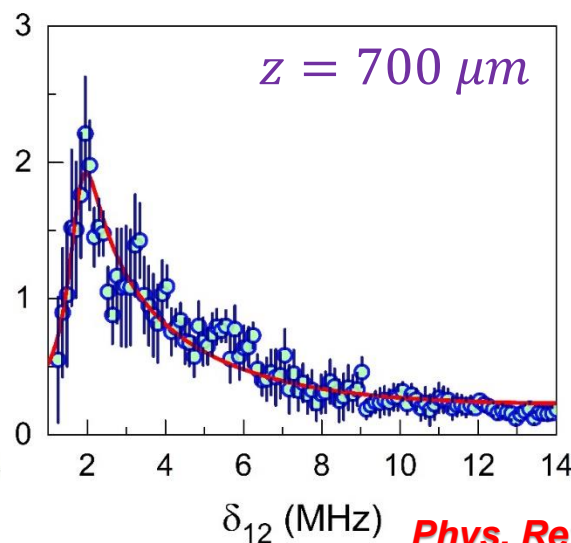
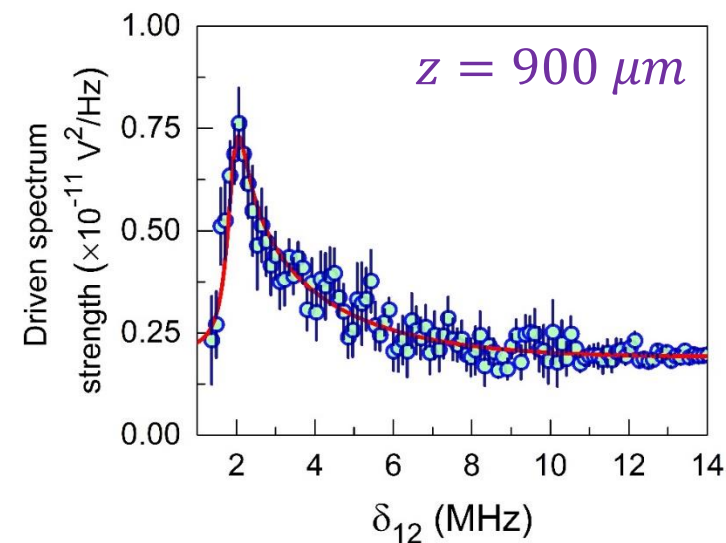
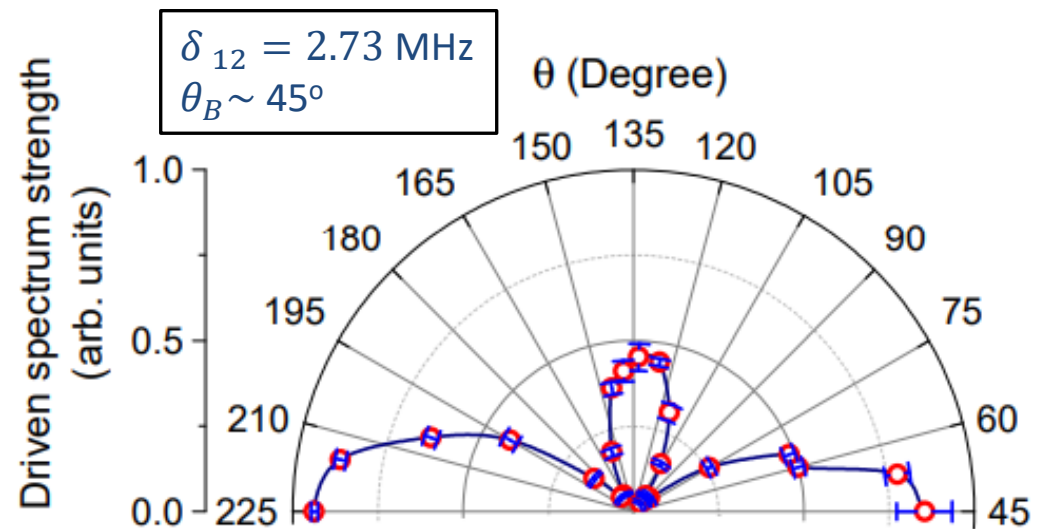
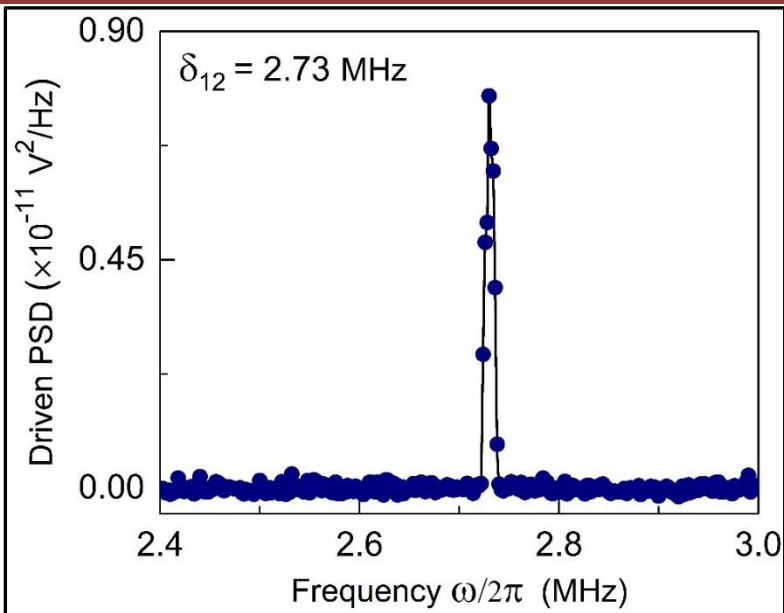
Raman beam polarization:
 $(\pi_1)_x - (\sigma_2^+)_x$

Probe beam diameter
 $\sim 70 \mu\text{m}$

$\frac{\Omega}{\gamma} \sim 0.35$



Driven spectrum in cold atoms



Phys. Rev. Res. (2021).

Conclusions and outlook

- **A new state-of-the-art machine to experimentally study to ultra-cold atomic gases**
- **A novel measurement technique to explore spin dynamics at this regime**
- **Applications include quantum sensing with high precision and high time resolution**
- **Cold atoms in structured potential → Many body physics in arbitrary geometry and dimensionality**

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