

Eliminating the LIGO bounds on PBH dark matter

Zachary S.C. Picker



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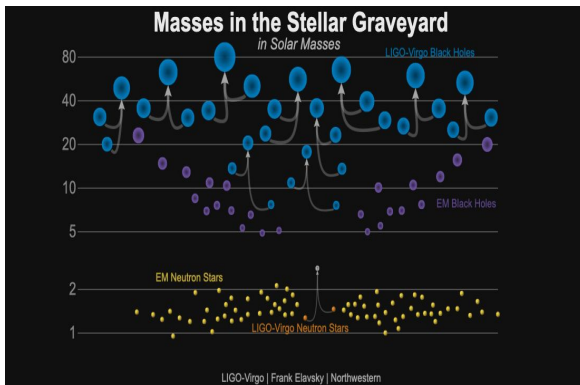
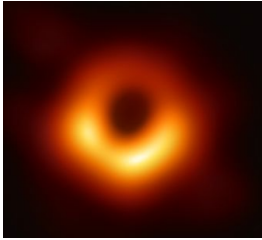
²*Theoretical Particle Physics and Cosmology Group, Physics Department,*

King's College London, University of London, Strand, London WC2R 2LS, UK

PBHs as Dark Matter

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The good:

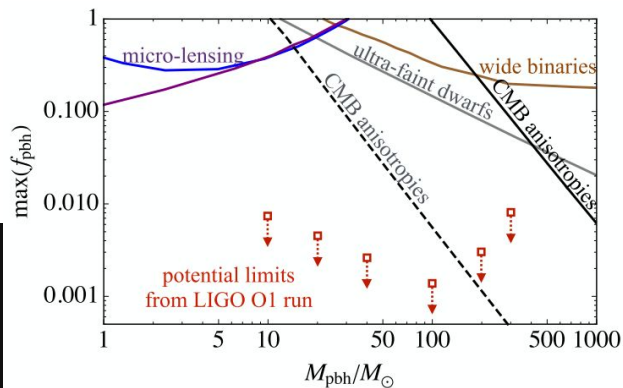


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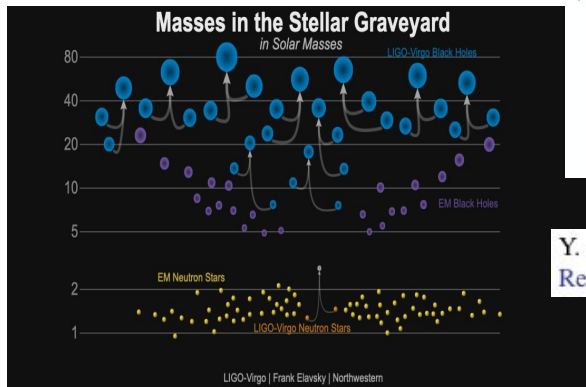
The good:



The bad:



Y. Ali-Haïmoud, E. D. Kovetz, and M. Kamionkowski, *Phys. Rev. D* **96**, 123523 (2017), arXiv:1709.06576 [astro-ph.CO].

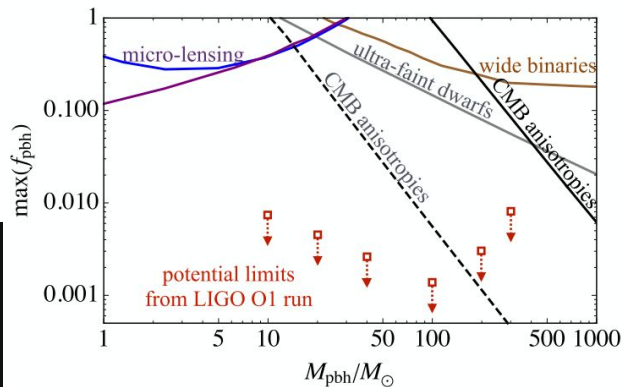


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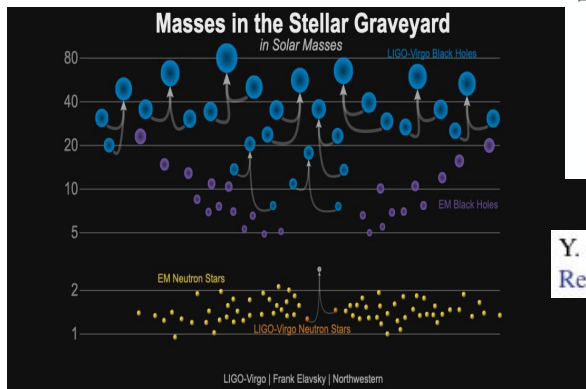
The smugly (uncertain):

Accretion limits :

theoretical uncertainties

Dynamical limits :

modelling & astro. uncertainties



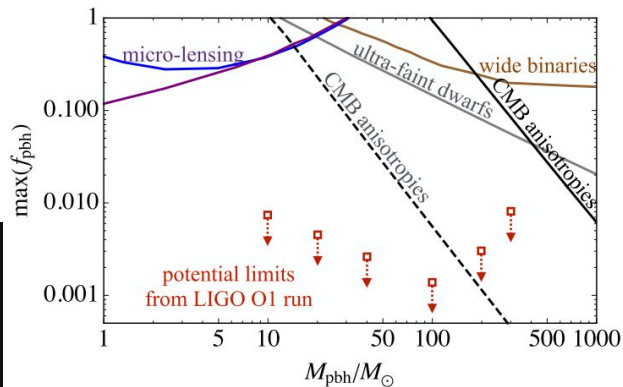
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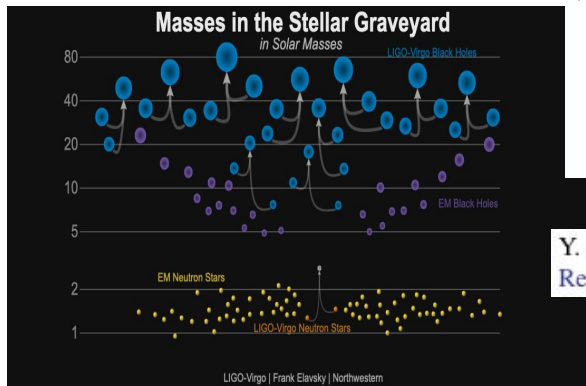
Dynamical limits :

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Any early universe limit :

Black hole metrics in FLRW background

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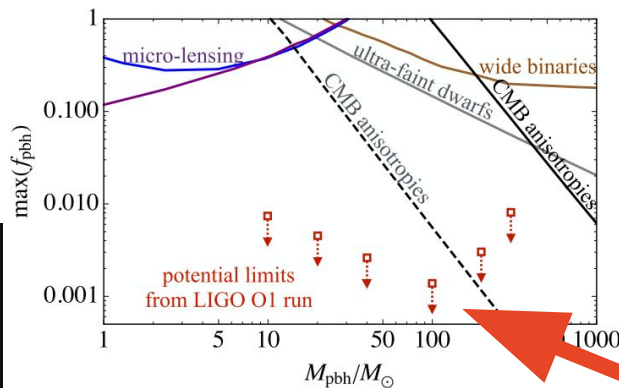


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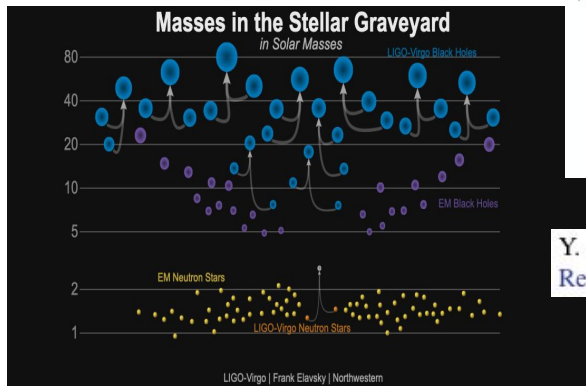
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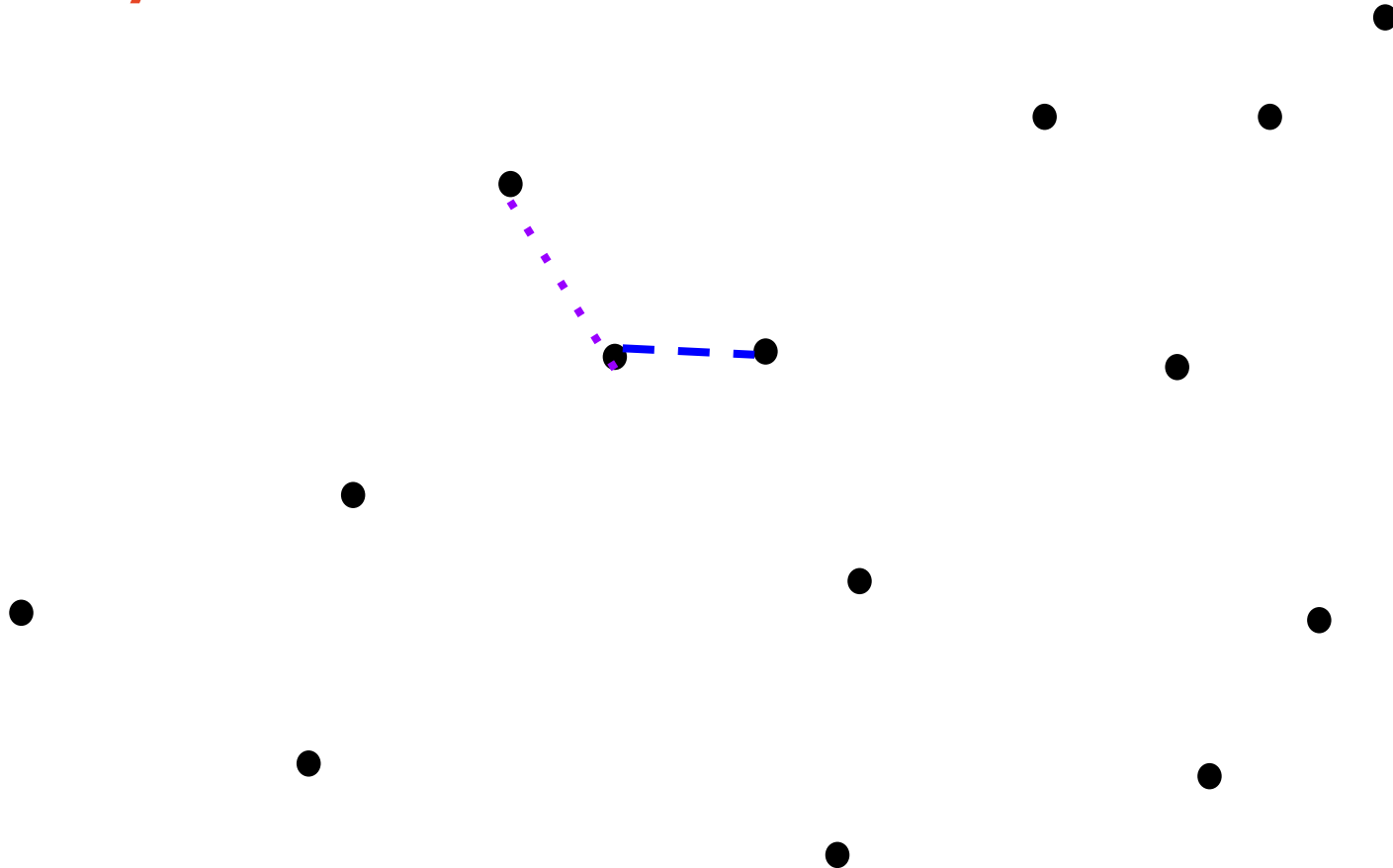
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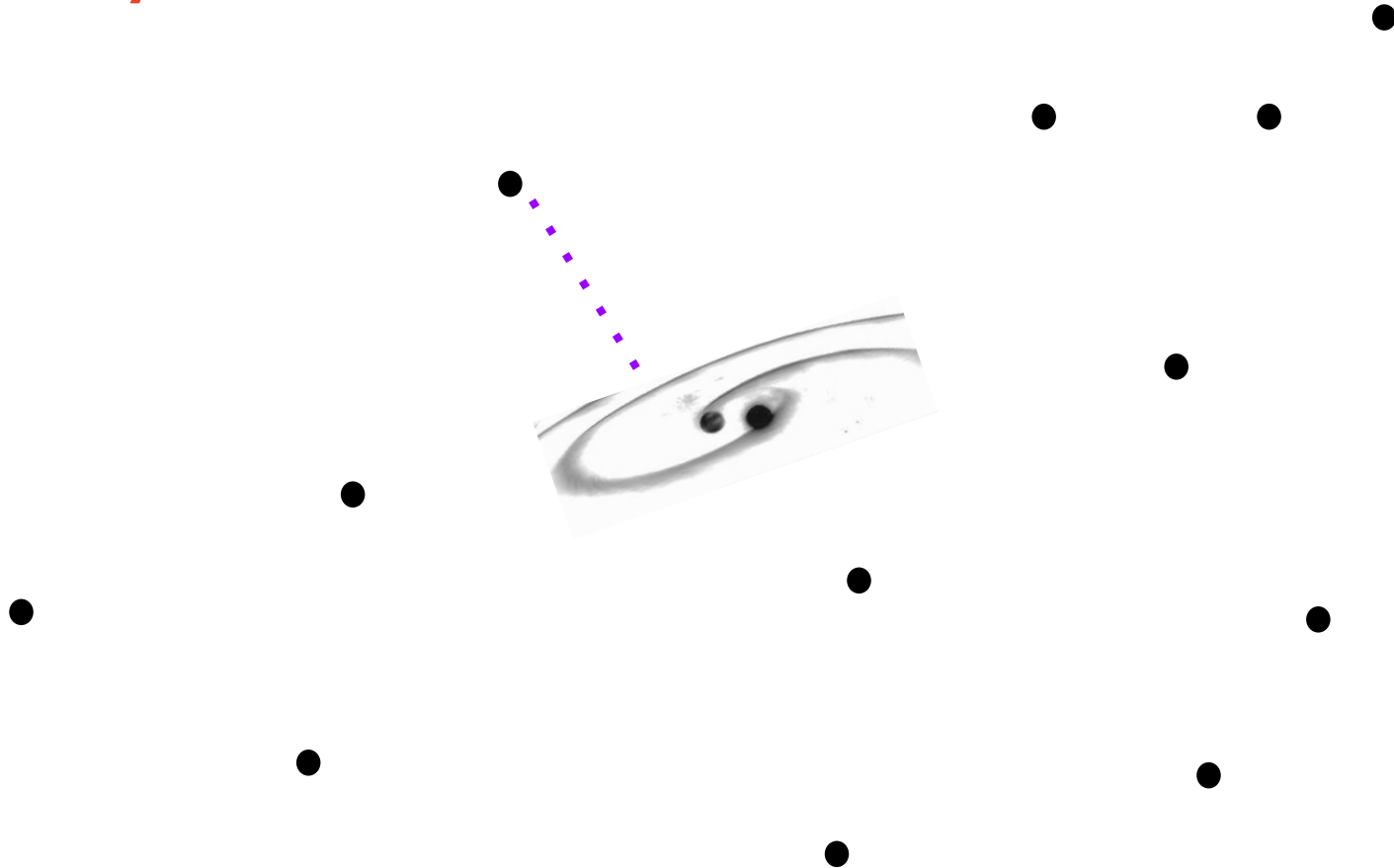
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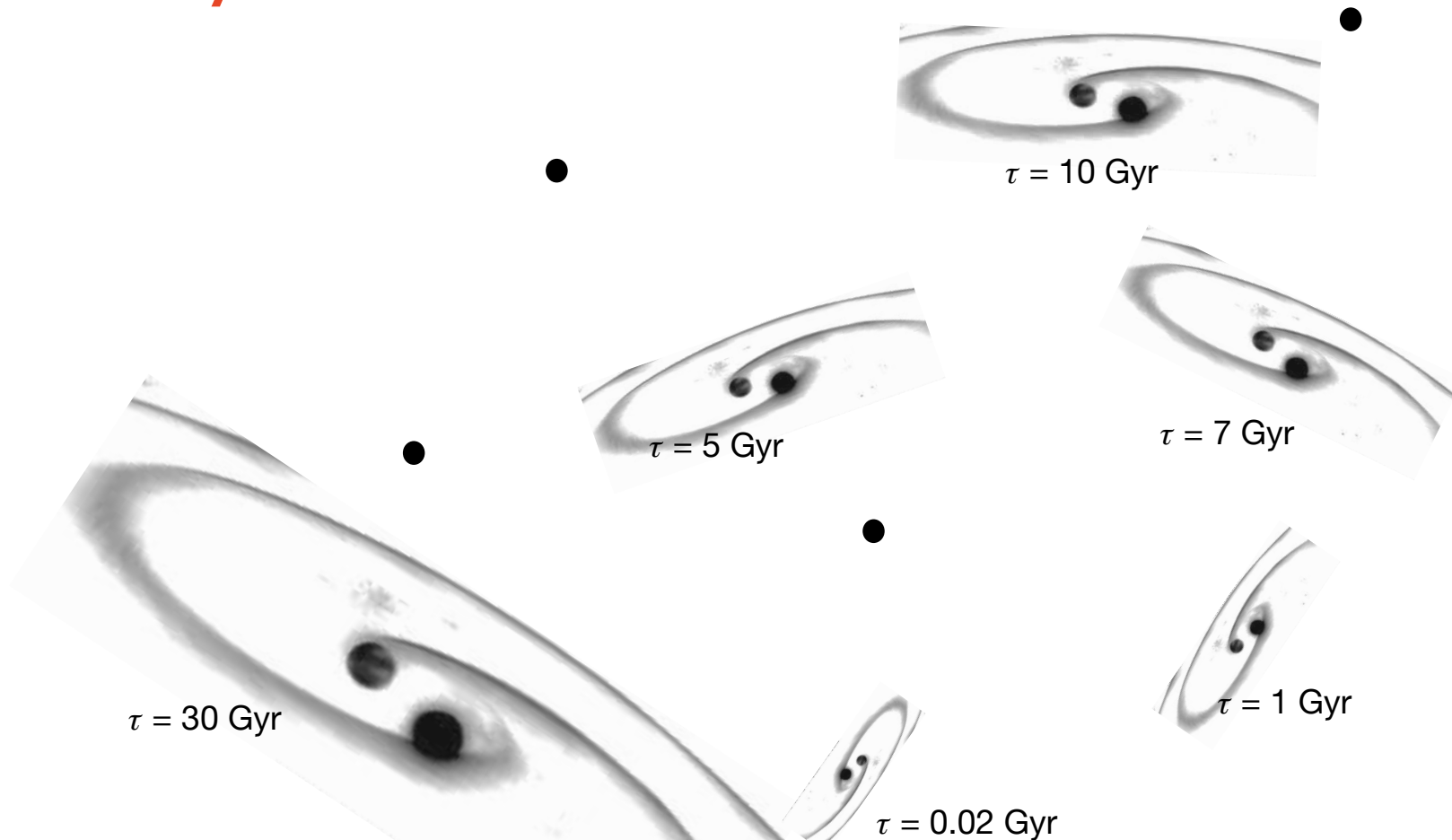
Binary Abundance Limits



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Binary Abundance Limits



The problem

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Schwarzschild metric is not useful

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Inherently GR effect

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What mass to use?

The problem

Schwarzschild metric is not useful

Inherently GR effect

What mass to use?

$$1 - \frac{2M_{MSH}}{R} \equiv \nabla^c R \nabla_c R$$

Cosmological Black Holes

Einstein-Strauss

Cosmological Black Holes

~~Einstein–Strauss~~: can never decouple

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McVittie

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Generalized McVittie

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Generalized McVittie



Thakurta Metric: $ds^2 = a^2 ds_{schw}^2$.

Cosmological Black Holes

~~Einstein-Strauss~~: can never decouple

~~McVittie~~: naked singularity \rightarrow pathologies

Generalized McVittie



Thakurta Metric: $ds^2 = a^2 ds_{schw}^2$.



Local mass:

$$m_{MS} = ma(t) + \frac{H^2 R^3}{2Gf(R)}$$

Decoupling Conditions

Previous:

$$\ddot{R} = \frac{\ddot{a}}{a}R - \frac{Gm}{R^2}$$

↓

$$\frac{m}{V} \gtrsim \rho$$

Thakurta PBH:

$$\ddot{R} = -\frac{Gma}{R^2} + \frac{\ddot{a}}{a}R$$

↓

$$\frac{ma(t)}{V} \gtrsim \rho$$

and $E = -GM\mu a^2 / (2R)$

↓

$$\dot{R}/R = -\dot{E}/E + 2H$$

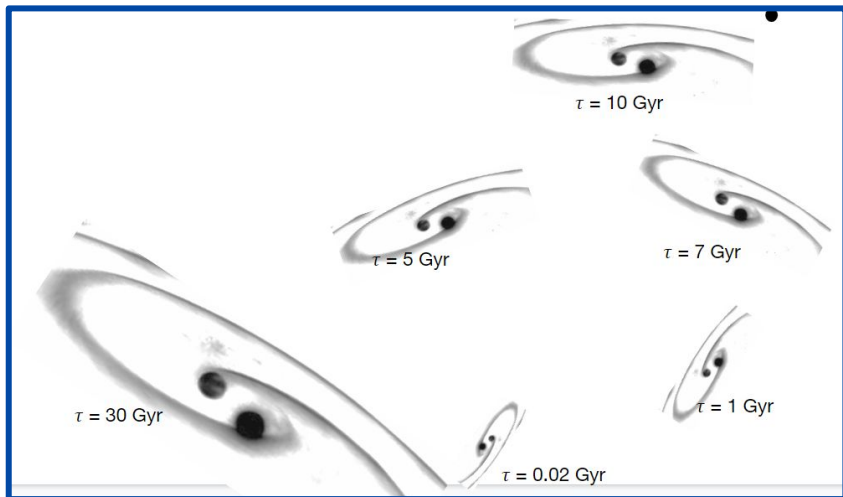
↓

$$\dot{E}/E > 2H$$

Thakurta Binary Abundances

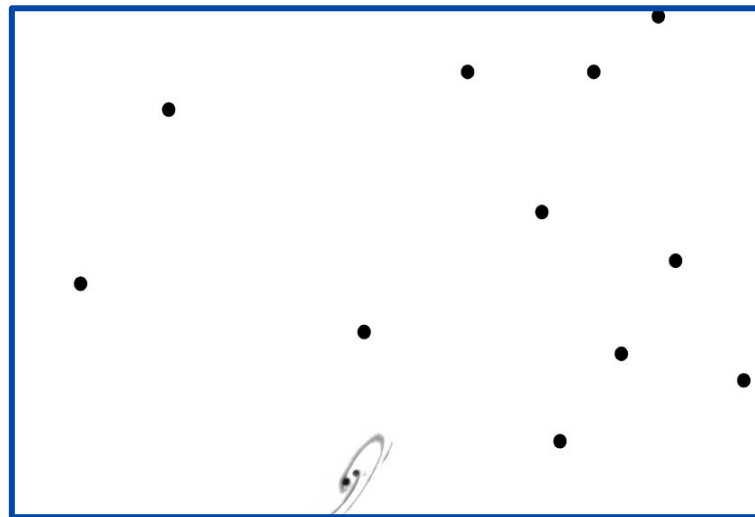
Previously

At matter-radiation equality:



Thakurta PBHs

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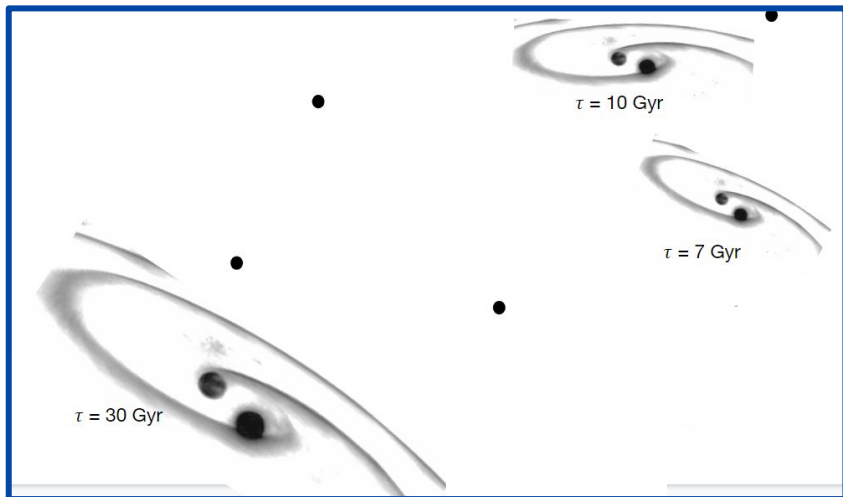


$\tau_{\max} \sim 100$ sec (!)

Thakurta Binary Abundances

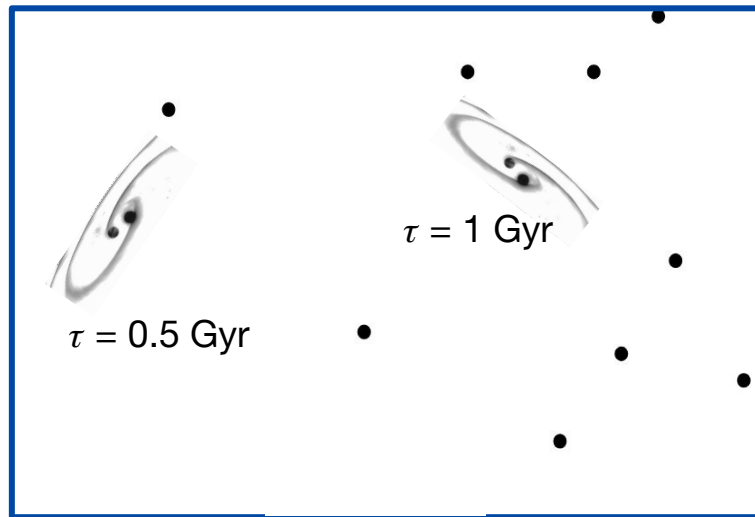
Previously

At $z=1$ (~ 7 Gyr ago)



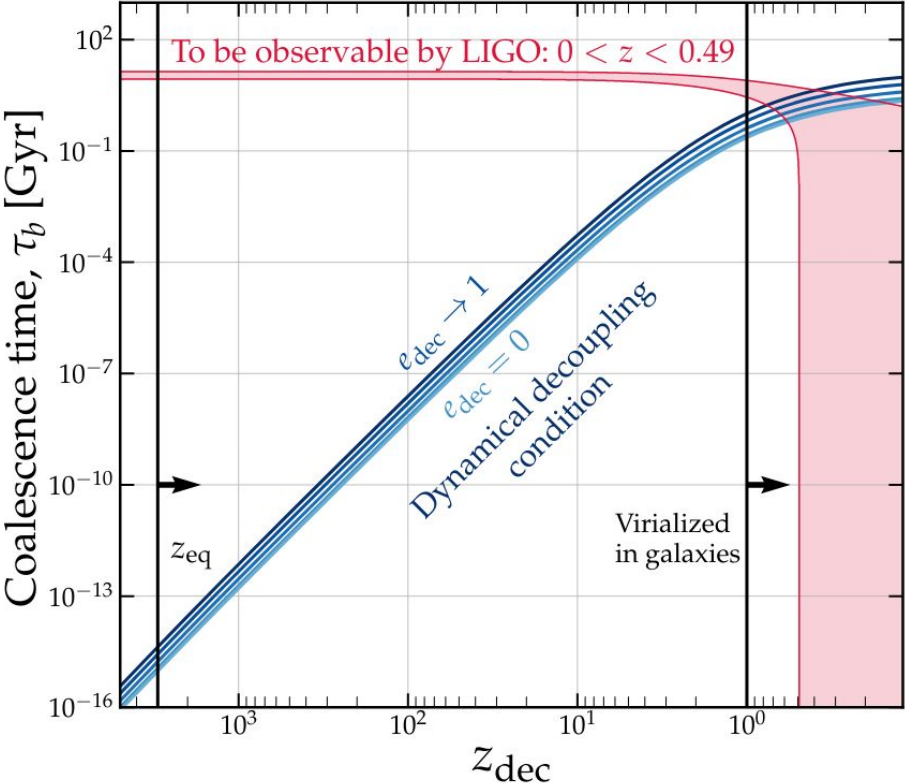
Our work

At $z=1$ (~ 7 Gyr ago)



$\tau_{\max} \sim 1$ Gyr

Thakurta Binary Abundances



Conclusions

Binary formation limits are totally avoided

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Huge effects from modelling PBHs cosmologically!

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Binary formation limits are totally avoided



Huge effects from modelling PBHs cosmologically

A lot of work to do now...

Thanks for listening!

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and $E = -GM\mu a^2 / (2R)$

↓

$$\dot{R}/R = -\dot{E}/E + 2H$$

↓

$$\dot{E}/E > 2H$$

$$(1 + z_{\text{dec}})^3 H(z_{\text{dec}}) < \frac{1}{\tau_b} \frac{96}{425} \left(1 + \frac{73}{24} e_{\text{dec}}^2 + \frac{37}{96} e_{\text{dec}}^4 \right)$$