

Coupled atom-cavity system: a quantum sensor

by

Sourav Dutta

Raman Research Institute, Bangalore

with Sadiq Rangwala



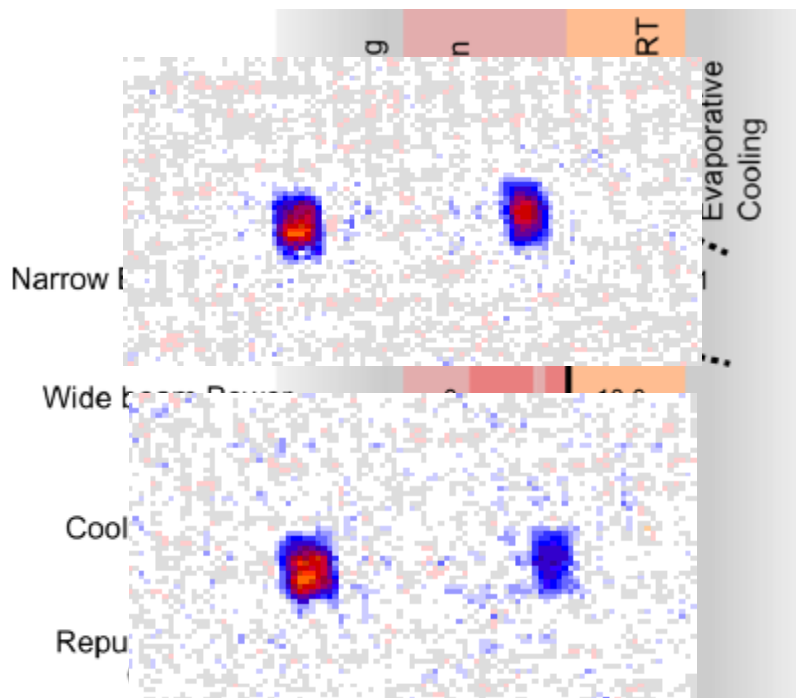
@ FPQP Discussion Meeting, ICTS Bangalore
December 5 – 9, 2016

How is a typical measurement done?

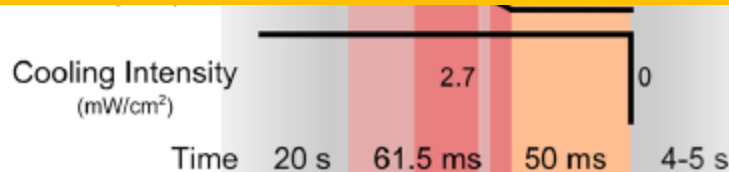
Species that interact directly with light:

Atoms detected by fluorescence/absorption:

Bose Einstein condensate, atoms in a trap etc.



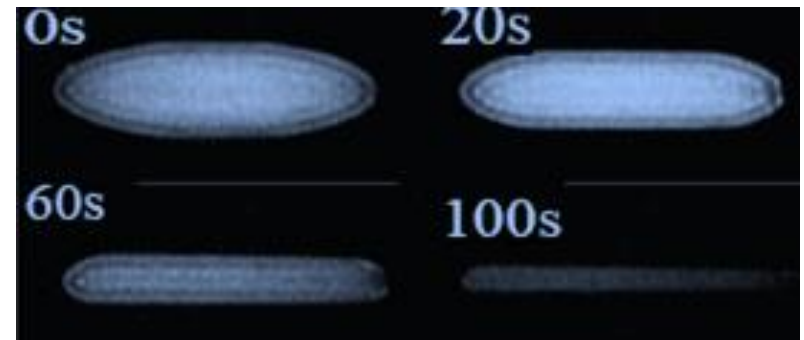
The “sample” is destroyed by the measurement



Ions detected by fluorescence:

Example: Ca^+ , Ba^+ , Yb^+ etc

Images of the fluorescing ion is recorded



Ca^+ ions reacts with Rb

PRL 107, 243202 (2011)

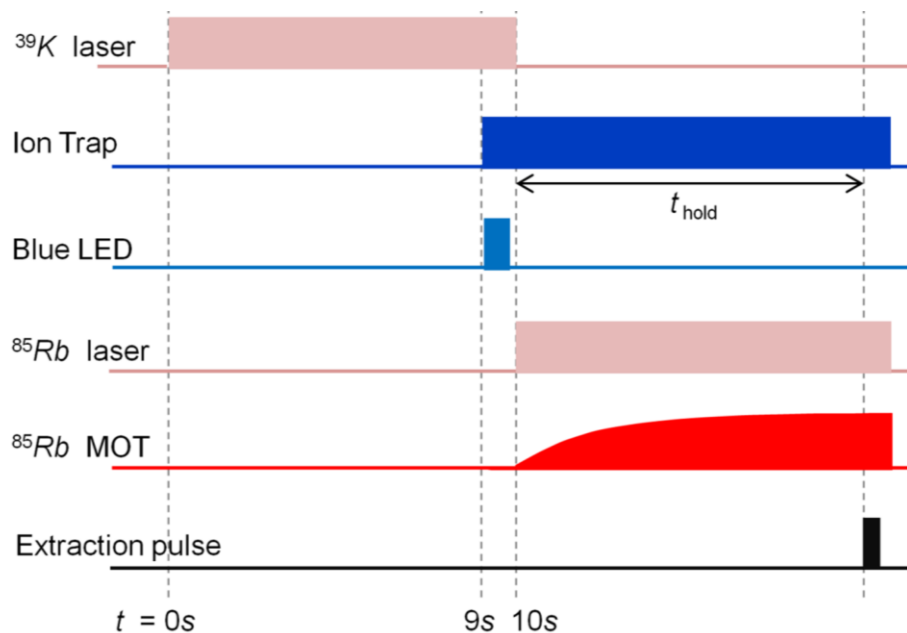
Problem: Quantum state is scrambled
Light alters ion-atom interaction

How is a typical measurement done?

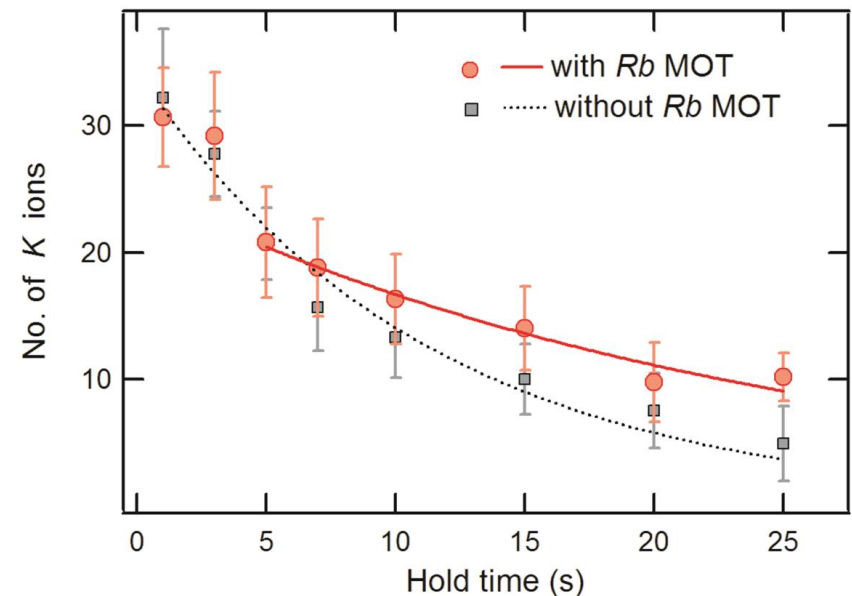
Species that don't interact directly with light:

Ions that do not fluoresce: Rb^+ , K^+ , Na^+ , Li^+ etc.

The ions are detected on a charge sensitive detector



Cooling of low mass ions by heavier atoms



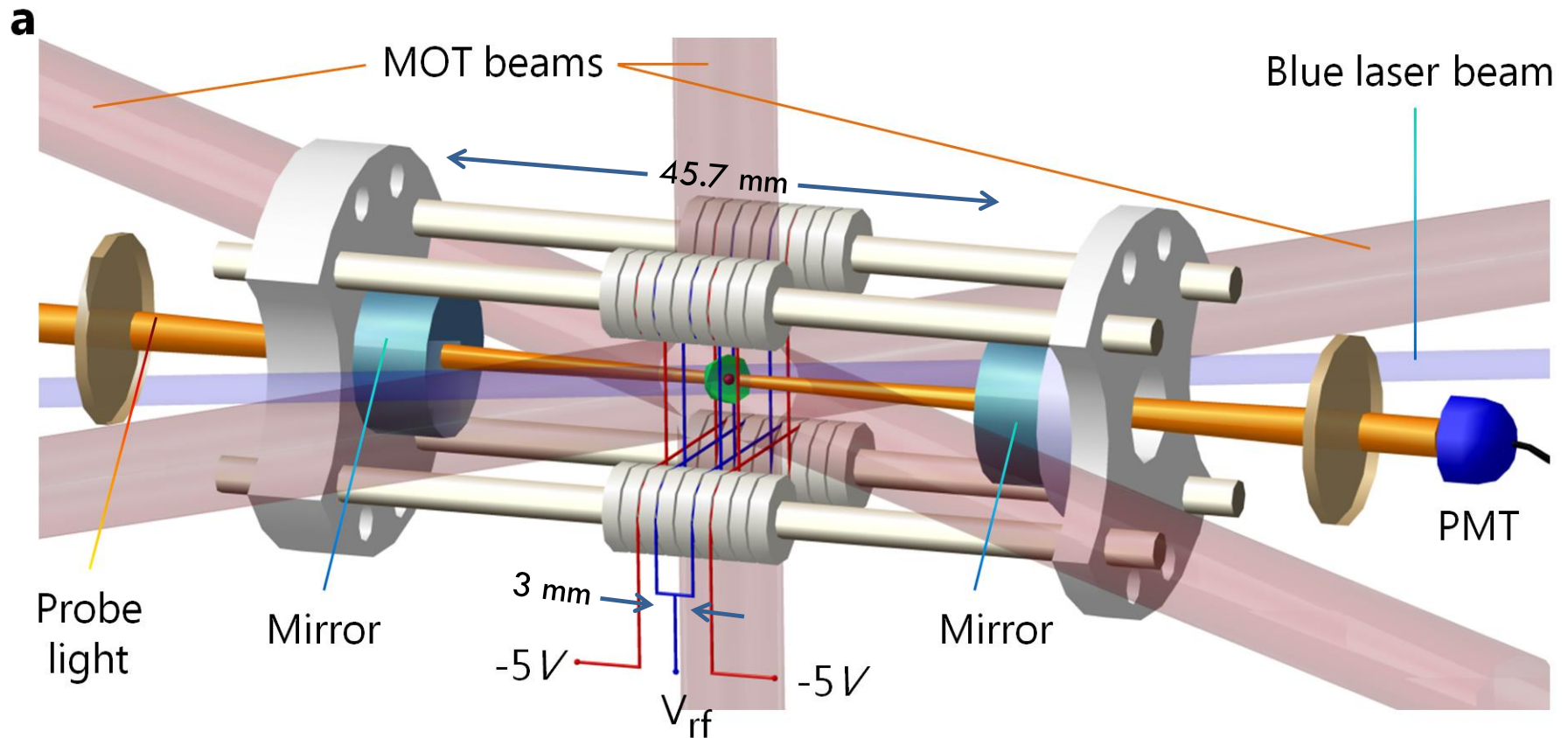
Problem: Ions are lost from the trap, Destructive detection

Challenge: measure ion-atom interaction non-destructively

S. Dutta *et al.*

arXiv: 1512.04197

Trapping ions and atoms within a cavity

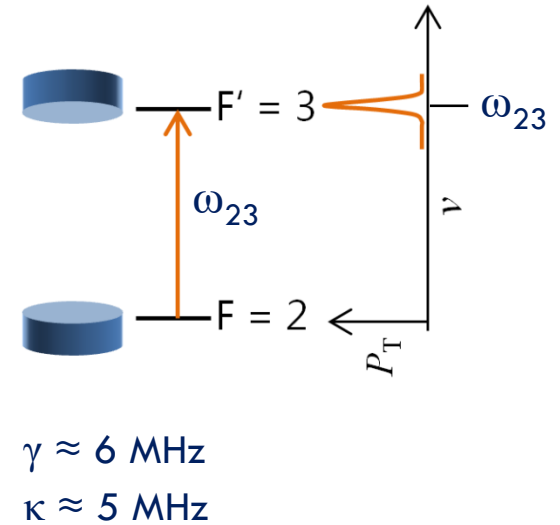
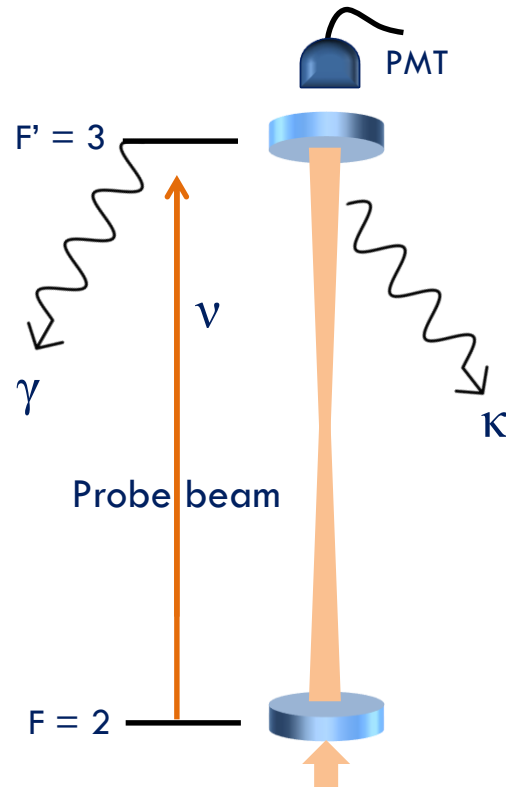
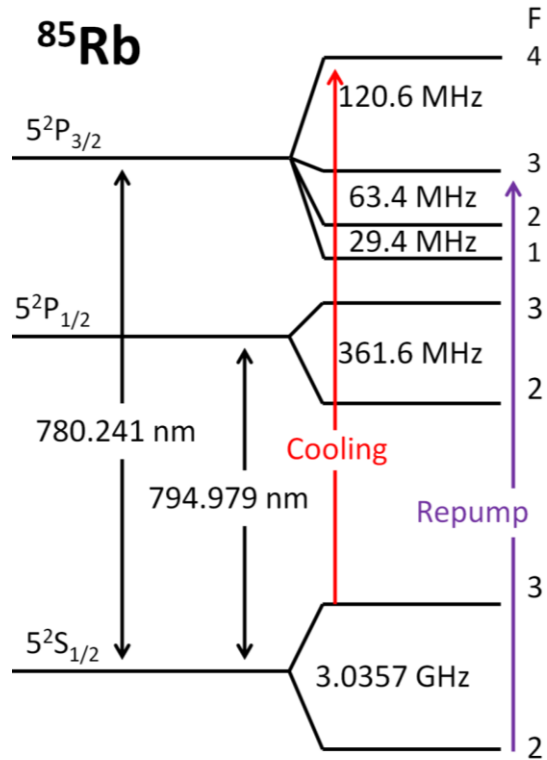


Cavity finesse ~ 650 (low), Free Spectral Range ~ 3.3 GHz, Line width ~ 5 MHz

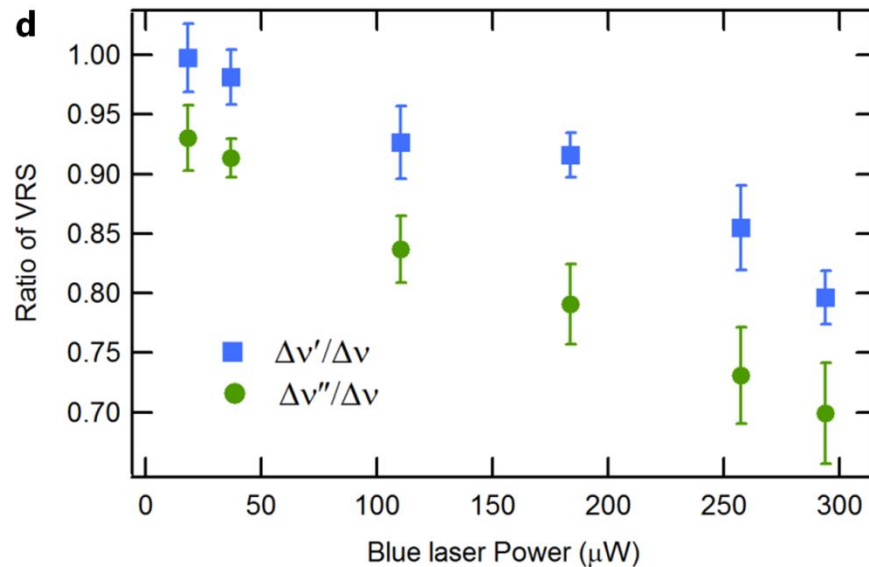
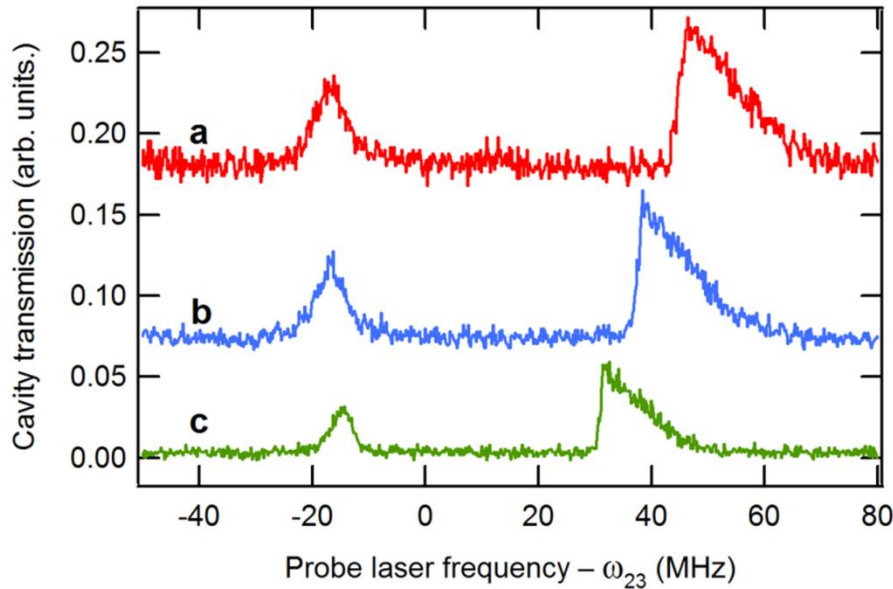
^{85}Rb atoms prepared in a dark MOT: all atoms in $F=2$ ground state, very little fluorescence

Collective strong coupling of atoms to the cavity

5



The experimental result



with atoms only $\Delta\nu = 60.4 \pm 1.4 \text{ MHz}$

with atoms and photo-ionization (PI) $\Delta\nu'$

with atoms, PI and trapped ions $\Delta\nu''$

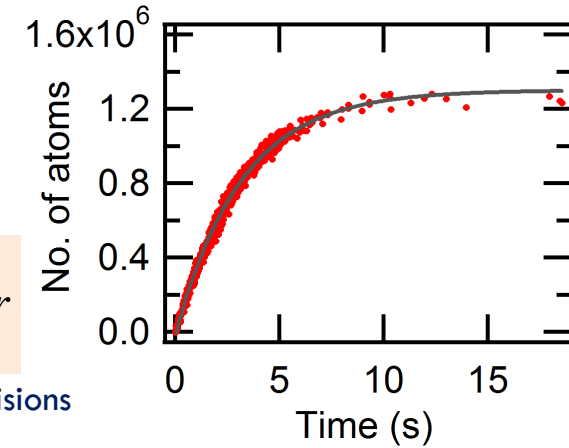
■ with atoms and photo-ionization (PI)

● with atoms, PI and trapped ions

Quantifying the measurement

The number of atoms (N_a) in the MOT is given by:

$$\frac{dN_a}{dt} = \underbrace{L_a}_{\text{Loading rate}} - \underbrace{\gamma_b N_a}_{\text{Loss rate due to background gas}} - \underbrace{\gamma_p N_a}_{\text{Loss rate due to photo-ionization}} - \underbrace{k_{aa} \int n_a^2 d^3r}_{\substack{\text{Loss due to collisions among MOT atoms} \\ \uparrow \text{Neglect for low } n_a}} - \underbrace{k_{ia} \int n_a n_i d^3r}_{\text{Loss due to collisions with ions}}$$



Quantifying the measurement

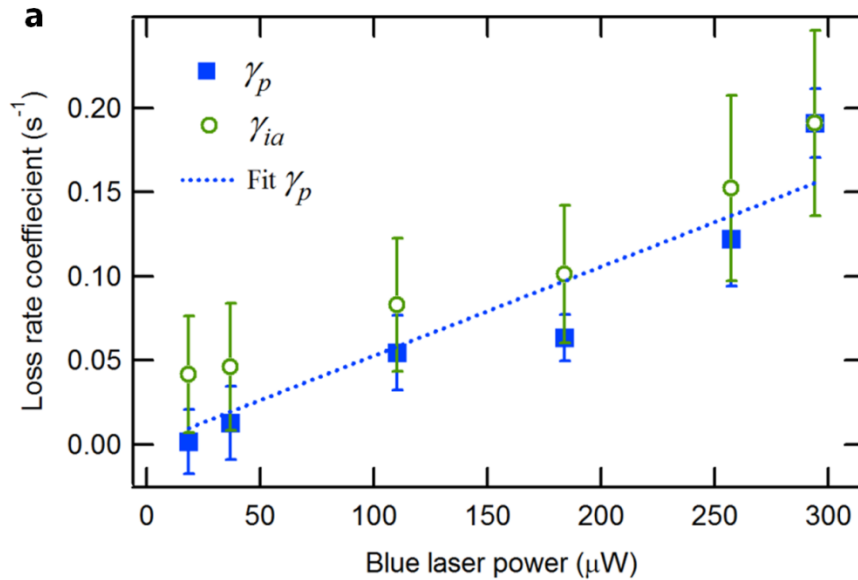
$$\frac{dN_a}{dt} = L_a - \gamma_b N_a - \gamma_p N_a - \cancel{k_{aa} \int n_a^2 d^3r} - k_{ia} \int n_a n_i d^3r$$

With PI, with trapped ions:

Assume: Ion trap volume (V_i) \gg MOT volume (V_a) ; n_i uniform over V_a

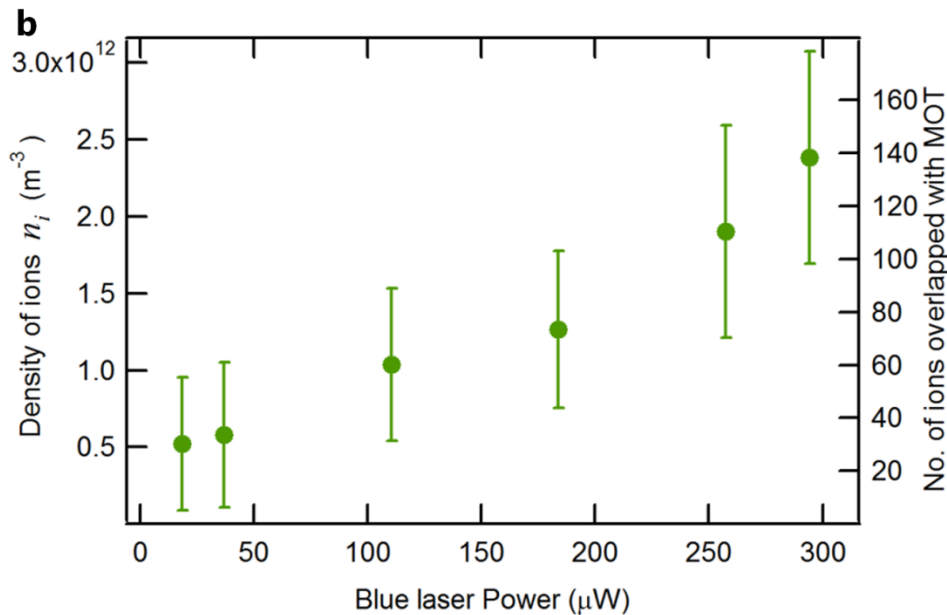
$$k_{ia} \int n_a n_i d^3r \approx k_{ia} n_i \int n_a d^3r = k_{ia} n_i N_a = \gamma_{ia} N_a$$

Ion-atom collision rate and ion density



$$\gamma_p = \left[(\Delta\nu / \Delta\nu')^2 - 1 \right] \gamma_b$$

$$\gamma_{ia} = \left[(\Delta\nu / \Delta\nu'')^2 - 1 - (\gamma_p / \gamma_b) \right] \gamma_b$$



$$n_i = \gamma_{ia} / k_{ia}$$

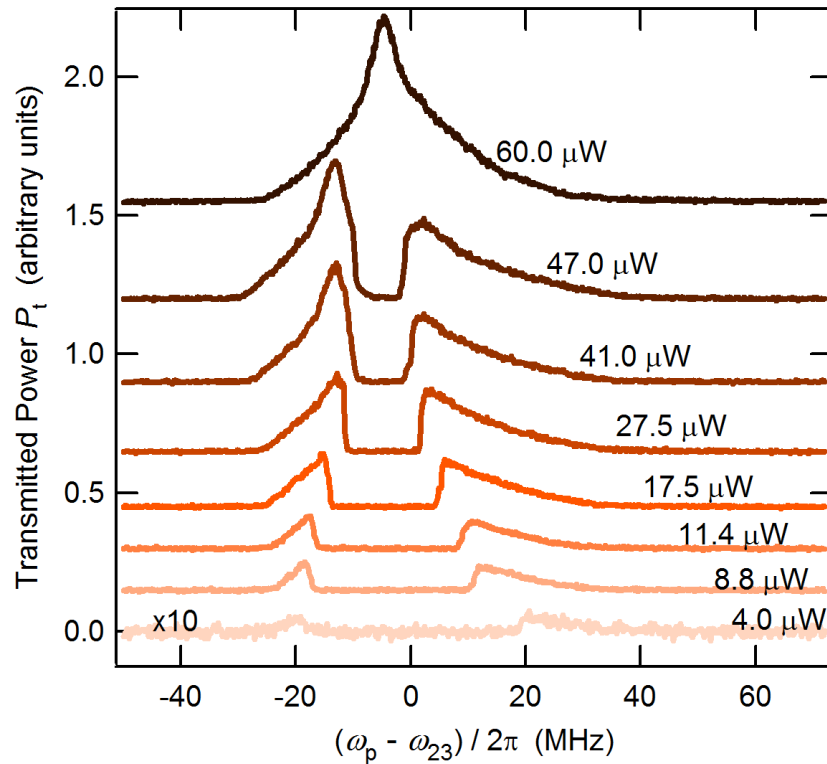
Significance of the technique

Non-destructive, in-situ measurement of ion density

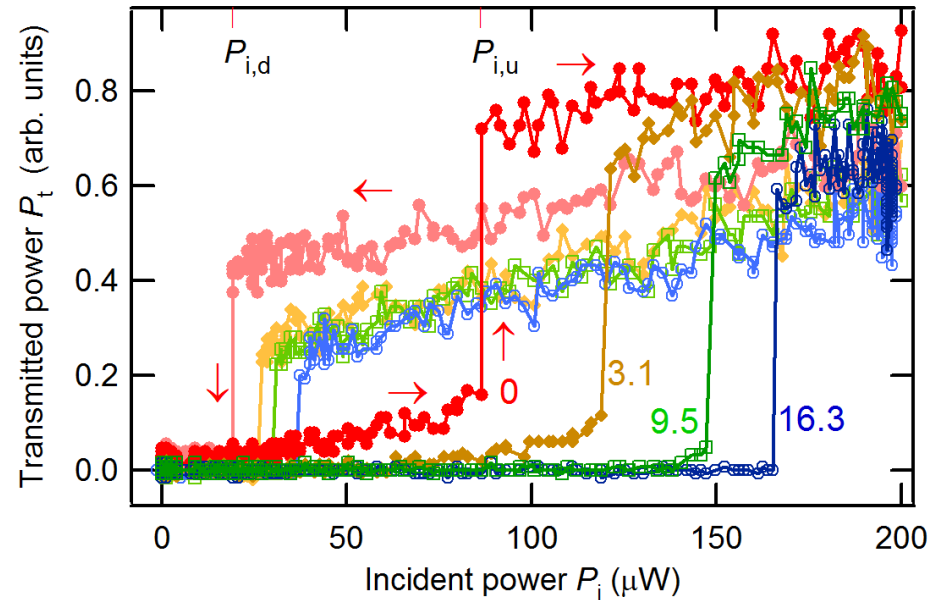
Local ion density measurement – only one other method exists for non-fluorescing ions.

Can be extended to measure quantum state specific atom-atom interaction

Vacuum-Rabi splitting depends on probe power

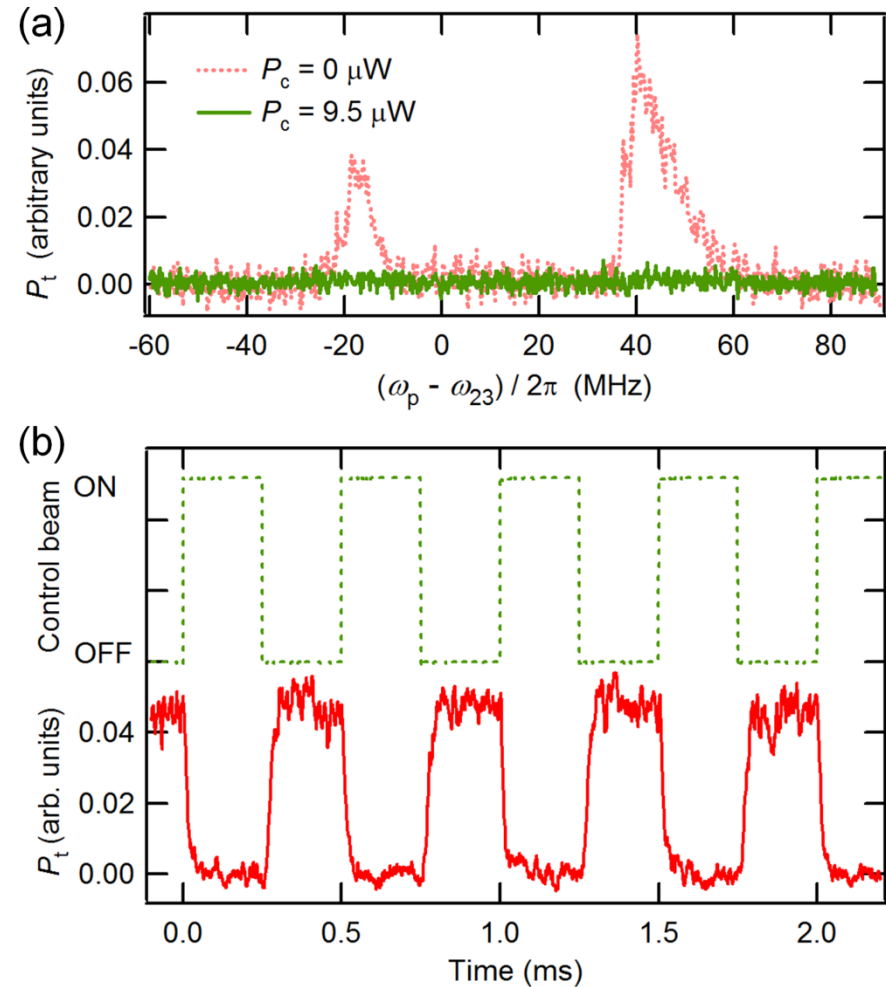
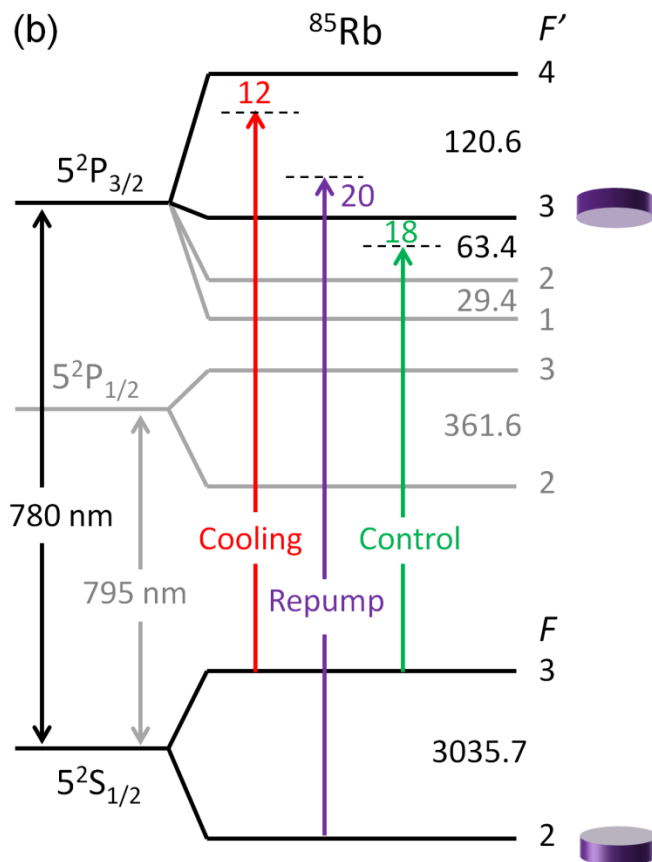


VRS decreases as probe power increases
Peaks become asymmetric



Cavity transmission shows optical bi-stability

All-optical switching of cavity transmission



All-optical switching in $\sim 10 \mu\text{s}$, with $10 \mu\text{W}$ control beam power

S. Dutta and S. A. Rangwala

arXiv:1611.02035 (2016)