

# Cooper pair spin collective phenomena in the $\text{SrRuO}_3$ / $\text{Sr}_2\text{RuO}_4$ heterostructure

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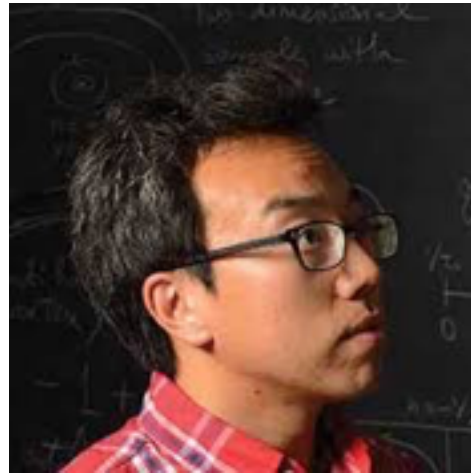
# Return to India after 30 years!!!



# Collaborators



Y. Tserkovnyak  
(UCLA)



Se Kwon Kim  
(UCLA → U Missouri)



Kihoon Lee  
(SNU/IBS-CCES)

Also: Hendrik Bluhm (Aachen), Eun-Ah Kim (Cornell) Tae Won Noh (SNU)  
Raffi Budakian (Waterloo), Joonho Jang (MIT → SNU)

**Works:** **SBC**, S. K. Kim, K. Lee, and Y. Tserkovnyak, PRL (2018) **121**, 167001

**SBC**, H. Bluhm, and E.-A. Kim, PRL (2007) **99**, 197002

J.Jang, **SBC**, R. Budakian, *et al.*, Science (2011) **331**, 186

M. S. Anwar, T. W. Noh, Y. Maeno, *et al.*, Nat Comm (2016) **7**, 13220

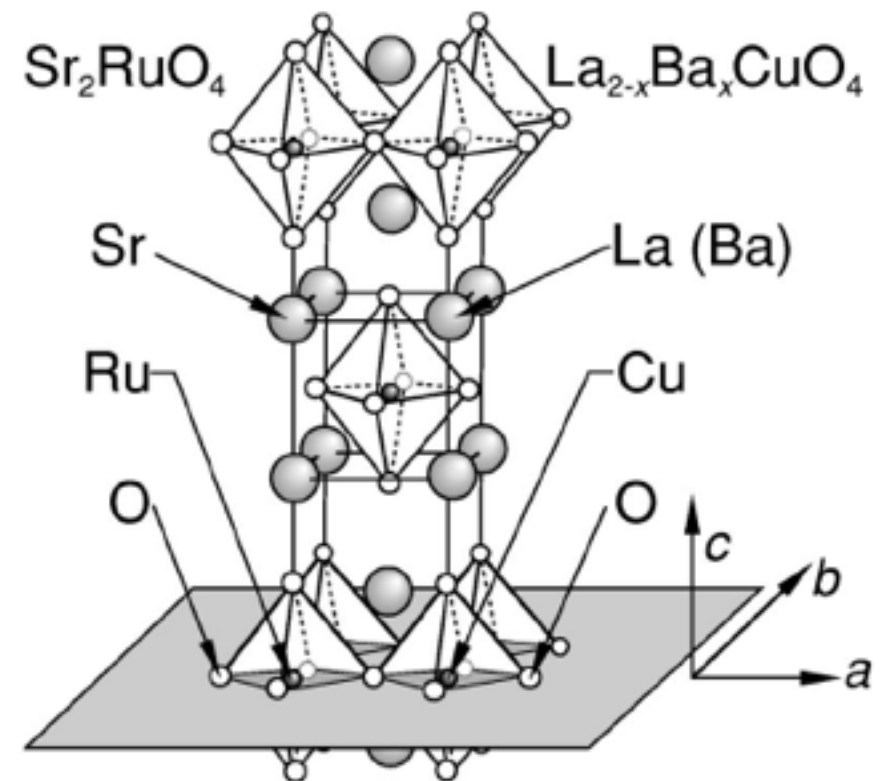
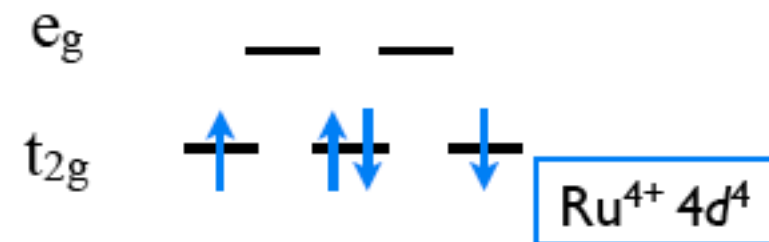
## Acknowledgements to:

M. Sigrist, S. Raghu, S. Kivelson, S. Takei, M. S. Anwar, B. Kim, Y. Maeno

# $\text{Sr}_2\text{RuO}_4$ : normal state conventional...

- Fermi liquid at low-T
- Multiple Fermi pockets from ruthenium orbitals
- Only SRO superconductor ( $T_c=1.5\text{K}$ )

(Maeno *et al.* 1994 Nature)

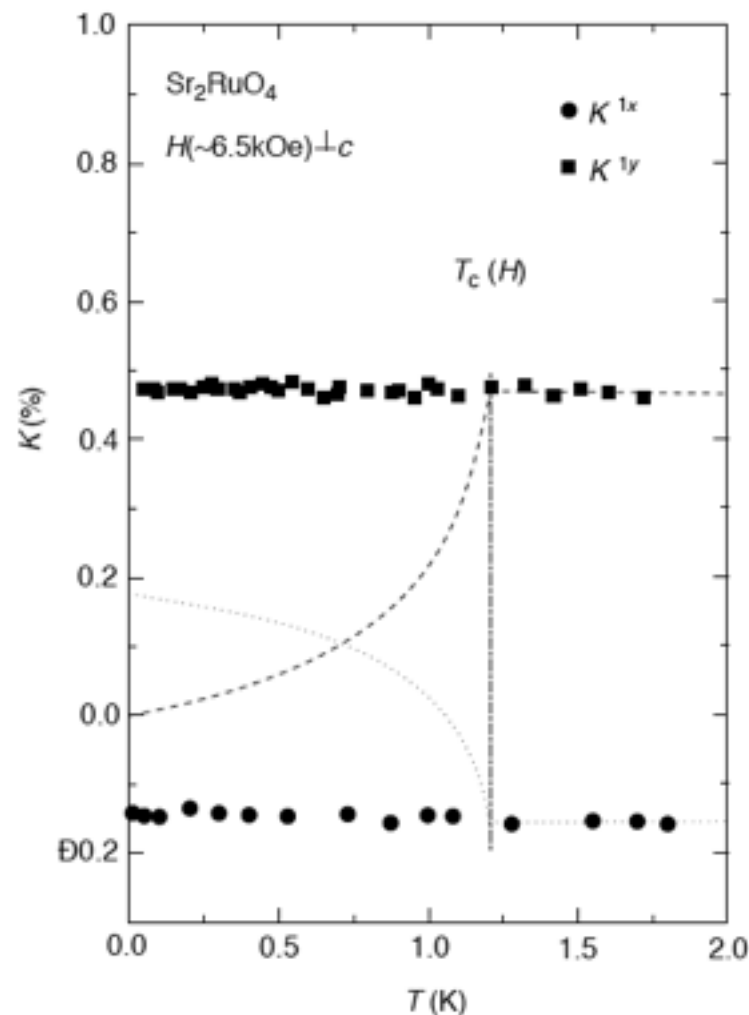


(Mackenzie and Maeno 2003 RMP)



# ... but superconductivity most unconventional!

## $^{17}\text{O}$ Knight shift



(Ishida *et al.* 1998 Nature)

## $\mu$ spin rotation

(Luke *et al.* 1998 Nature)

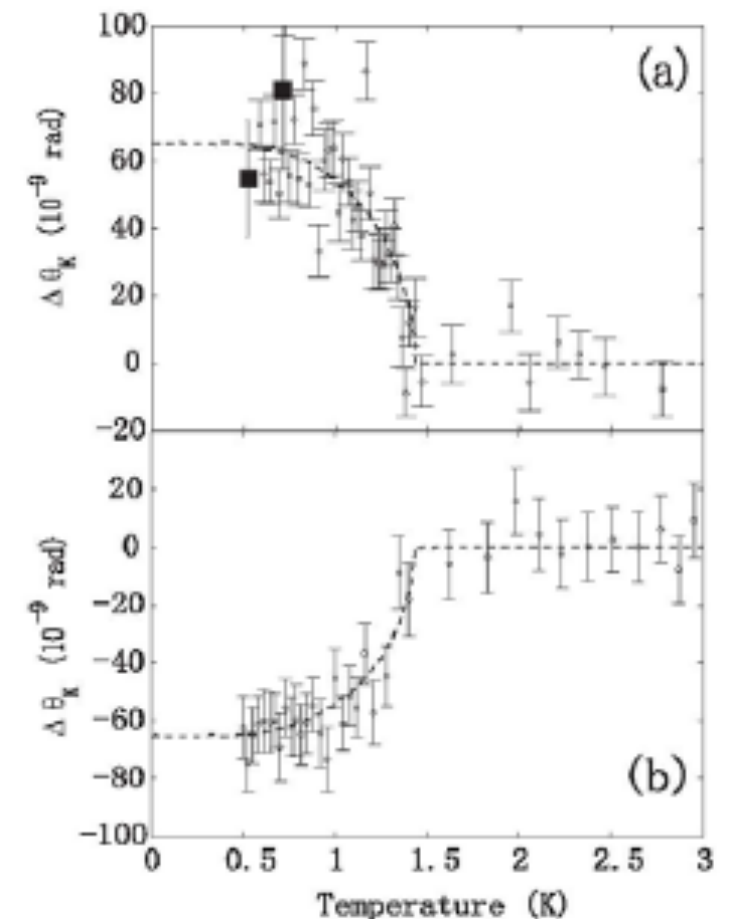
## corner junction spontaneous flux

(Nelson *et al.* 2004 Science)

## Josephson interferometry

(Kidwingira *et al.*  
2006 Science)

## Kerr rotation



(Xia *et al.* 2006 PRL)

Spin-triplet Cooper pairing:

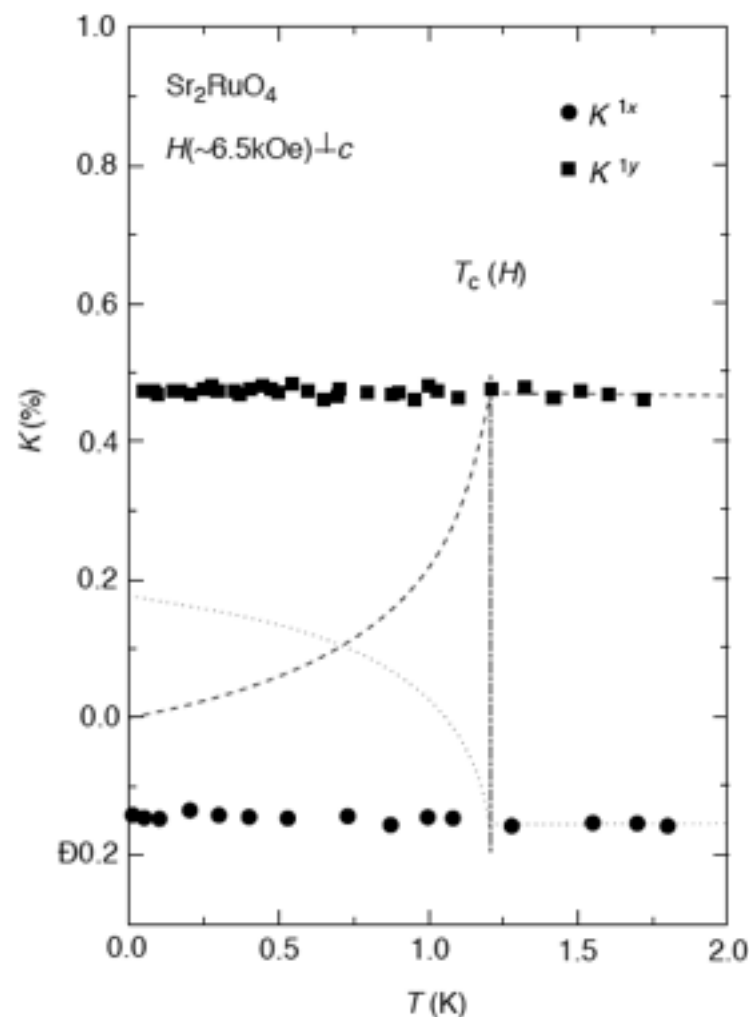
$$\Delta_{\alpha\beta}(\mathbf{k}) = i(\vec{d}(\mathbf{k}) \cdot \vec{\sigma}\sigma_2)_{\alpha\beta}$$

+ Time-reversal Symmetry Breaking

$$\vec{d}(\mathbf{k}) = (k_x + ik_y)\hat{z}$$

# ... but superconductivity most unconventional!

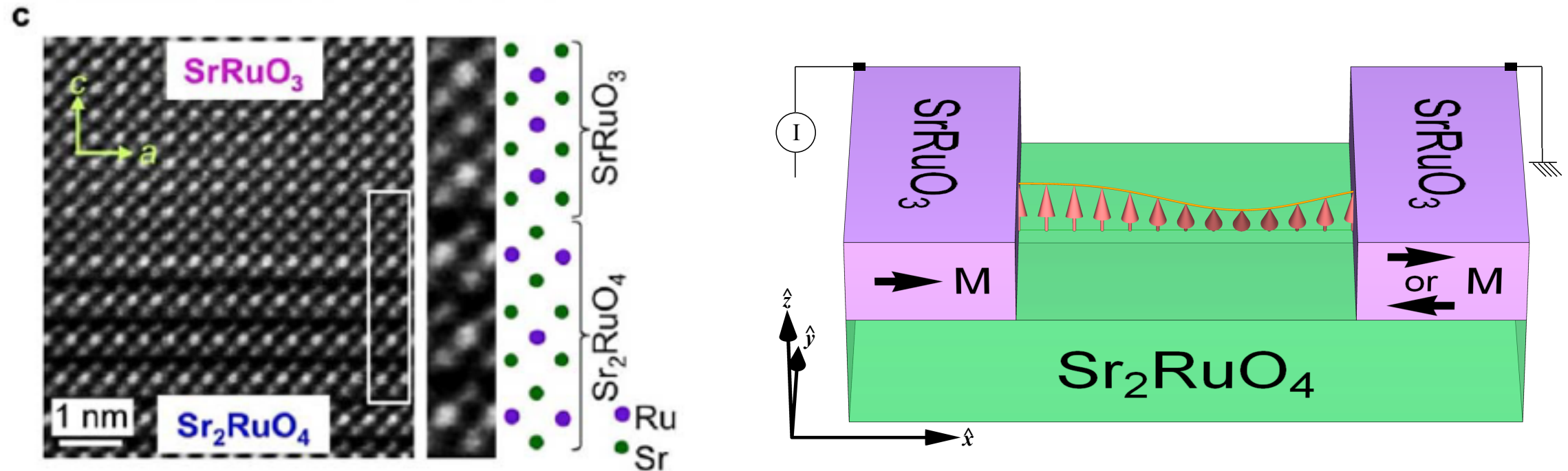
## $^{17}\text{O}$ Knight shift



(Ishida *et al.* 1998 Nature)

- Zero spin susceptibility for Cooper pairs in conventional superconductor  
← **spin singlet pairing** gives us  $S=0$  pairs
- Unchanged spin susceptibility across  $T_c$  indicates **equal-spin pairing**, i.e.  $S=1$  (spin triplet) pairing
- Corroboration needed for spin rotational symmetry breaking:  
⇒ any **spin collective phenomena** arising from **spin triplet pairing**?

# $\text{Sr}_2\text{RuO}_4$ spin controlled by $\text{SrRuO}_3$



- Coupling of  $\text{SrRuO}_3$  ferromagnetism to spin rotational symmetry breaking of  $\text{Sr}_2\text{RuO}_4$  spin-triplet superconductivity  
 $\Rightarrow$  generate **spin** supercurrent & **spin** wave
- Voltage bias controlled **spin** supercurrent / wave

# Outline

- Spin supercurrent from spin triplet pairing in  $\text{Sr}_2\text{RuO}_4$ 
  - ▶ Example: Half-quantum vortex
- Spin collective phenomena in  $\text{SrRuO}_3 / \text{Sr}_2\text{RuO}_4$  junction
  - ▶  $\text{SrRuO}_3 / \text{Sr}_2\text{RuO}_4$  heterostructure
  - ▶ 2-terminal junction as spin valve
  - ▶ Spin collective mode generation via AC bias
- Ongoing experimental efforts



# Broken spin-rotational symmetry for spin triplet

- Possible to parametrize by the 3-component d-vector:

(Leggett 1975 RMP; Sigrist and Ueda 1991 RMP; Mackenzie and Maeno 2003 RMP)

$$\Delta_{\alpha\beta}(\mathbf{k}) = \begin{bmatrix} \Delta_{\uparrow\uparrow} & \Delta_{\uparrow\downarrow} \\ \Delta_{\downarrow\uparrow} & \Delta_{\downarrow\downarrow} \end{bmatrix} \equiv \begin{bmatrix} -d_x + id_y & d_z \\ d_z & d_x + id_y \end{bmatrix} \\ \equiv i(\vec{d}(\mathbf{k}) \cdot \vec{\sigma} \sigma_y)_{\alpha\beta}$$

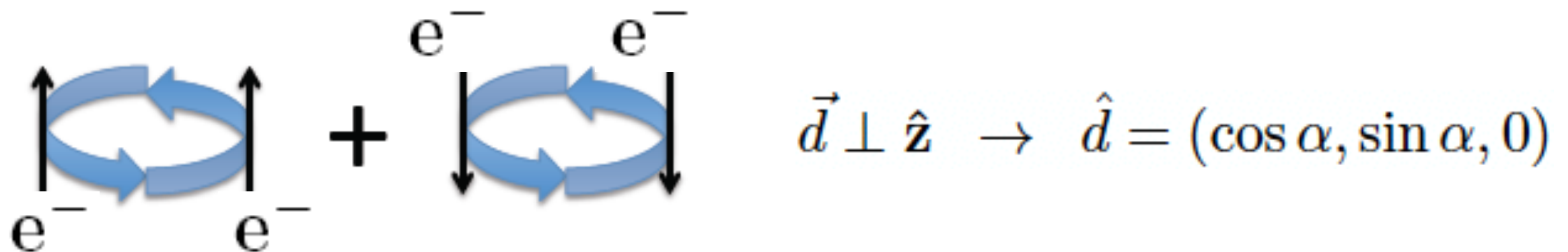
←  $\vec{d}$  is a 3-component real vector up to a U(1) overall phase, in absence of condensate spin-polarization

- Order parameter rotation is generated by spin:  $[S^i, \hat{d}^j] = i\epsilon^{ijk} \hat{d}^k$ 
  - ▶  $\mathbf{S} \cdot \hat{\mathbf{d}}$  rotation is a residual symmetry
  - ▶ the d-vector **alignment** implies **breaking** of  $\text{SO}(3) / \text{SO}(2) = \text{S}_2$  symmetry

# Spin supercurrent from spin-triplet pairing (1)

$$\Delta_{\alpha\beta}(\mathbf{k}) = \begin{bmatrix} \Delta_{\uparrow\uparrow} & 0 \\ 0 & \Delta_{\downarrow\downarrow} \end{bmatrix} \equiv \begin{bmatrix} -d_x + id_y & 0 \\ 0 & d_x + id_y \end{bmatrix} \\ \equiv i(\vec{d}(\mathbf{k}) \cdot \vec{\sigma} \sigma_y)_{\alpha\beta}$$

\* consider the case with zero spin-polarization  
i.e. the d-vector is real after factoring out  $\exp(i\theta)$



- Phase factors of  $-\exp[i(\theta-\alpha)]$  for  $|\uparrow\uparrow\rangle$  pairs  
+  $\exp[i(\theta+\alpha)]$  for  $|\downarrow\downarrow\rangle$  pairs
- Nonzero gradient of  $\alpha$  with  $\nabla\theta - 2\pi e\mathbf{A}/\hbar = 0$  means counter-flowing supercurrent from  $|\uparrow\uparrow\rangle$  pairs and  $|\downarrow\downarrow\rangle$  pairs  
 $\Rightarrow -\nabla\alpha \propto \mathbf{J}_{\uparrow\uparrow} - \mathbf{J}_{\downarrow\downarrow} = (S_z \text{ spin supercurrent})$

# Spin supercurrent from spin-triplet pairing (2)

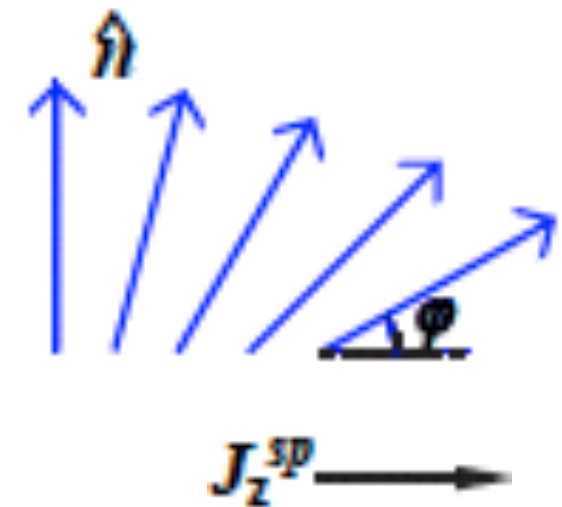
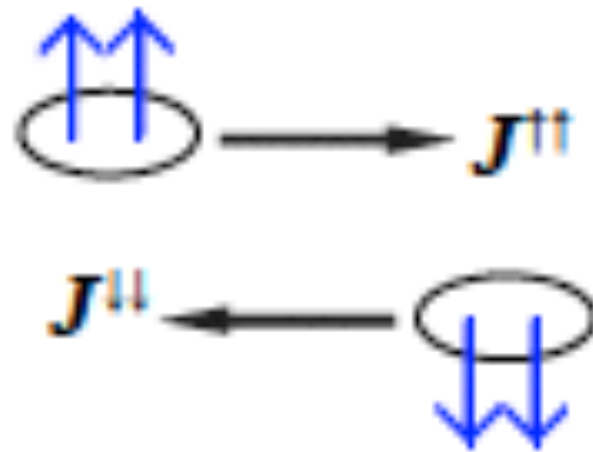
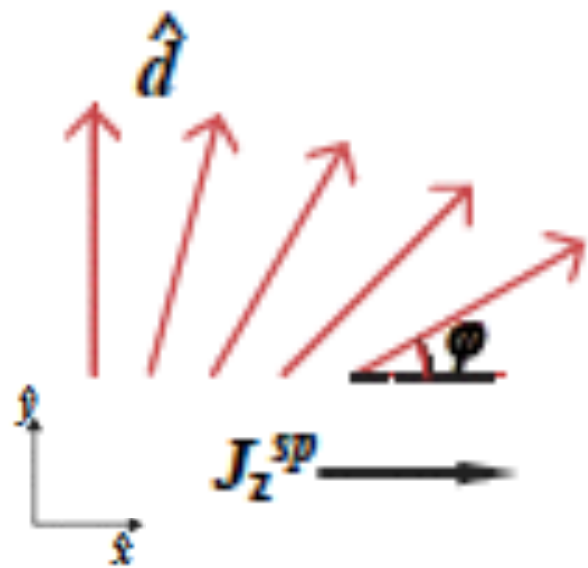
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\* consider the case with zero spin-polarization  
i.e. the d-vector is real after factoring out  $\exp[i\theta]$

- $\nabla\theta - 2\pi e\mathbf{A}/h \propto \mathbf{J}_s$  (charge supercurrent)
- Spin supercurrent arises with gradient of the d-vector  
 $\Rightarrow \epsilon^{\alpha\beta\gamma} \hat{d}^\beta \nabla \hat{d}^\gamma \propto \mathbf{J}_{sp}^\alpha$  (supercurrent of  $S^\alpha$  spin)

# Analogy to antiferromagnetic insulator

(SBC, Lee, Kim, Tserkovnyak 2018 PRL)

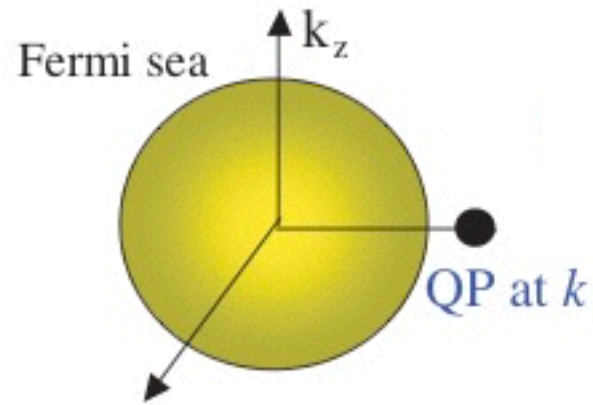


- **d-vector winding** means Cooper pair spin current, i.e.  $|\uparrow\uparrow\rangle / |\downarrow\downarrow\rangle$  counterflow

- **Néel vector winding** in AFM insulator means coherent magnon current

$\Rightarrow$  coherent transport by **Goldstone boson** due to spontaneous breaking of continuous symmetry

# Suppressing dissipation in transport



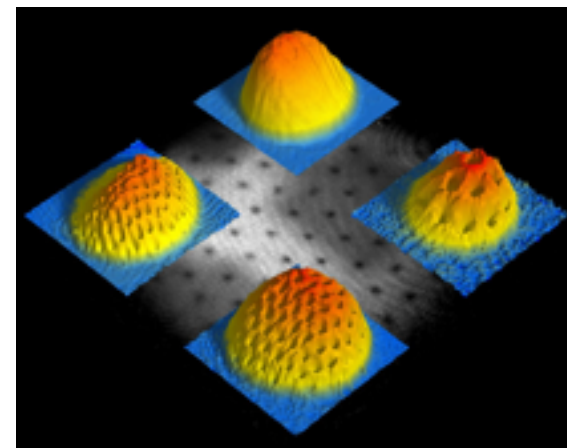
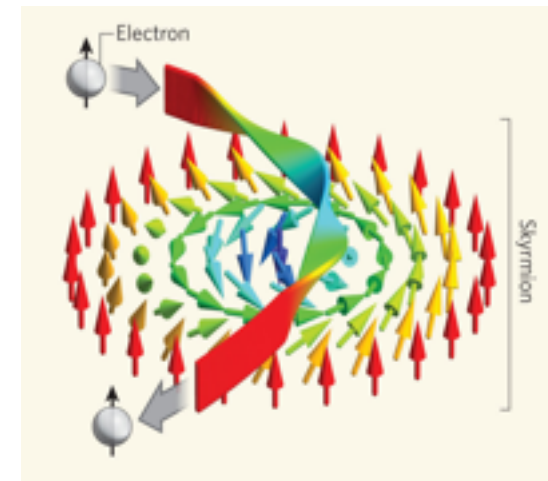
- Transport through excited states in metal:
  - ▶ entropy increase
    - thermal dissipation
    - spin current exponentially suppressed

- Adiabatic transport through the ground state:
  - ⇒ **NO** single-particle dissipation!!

ex) ▶ **Berry phase** in band insulator

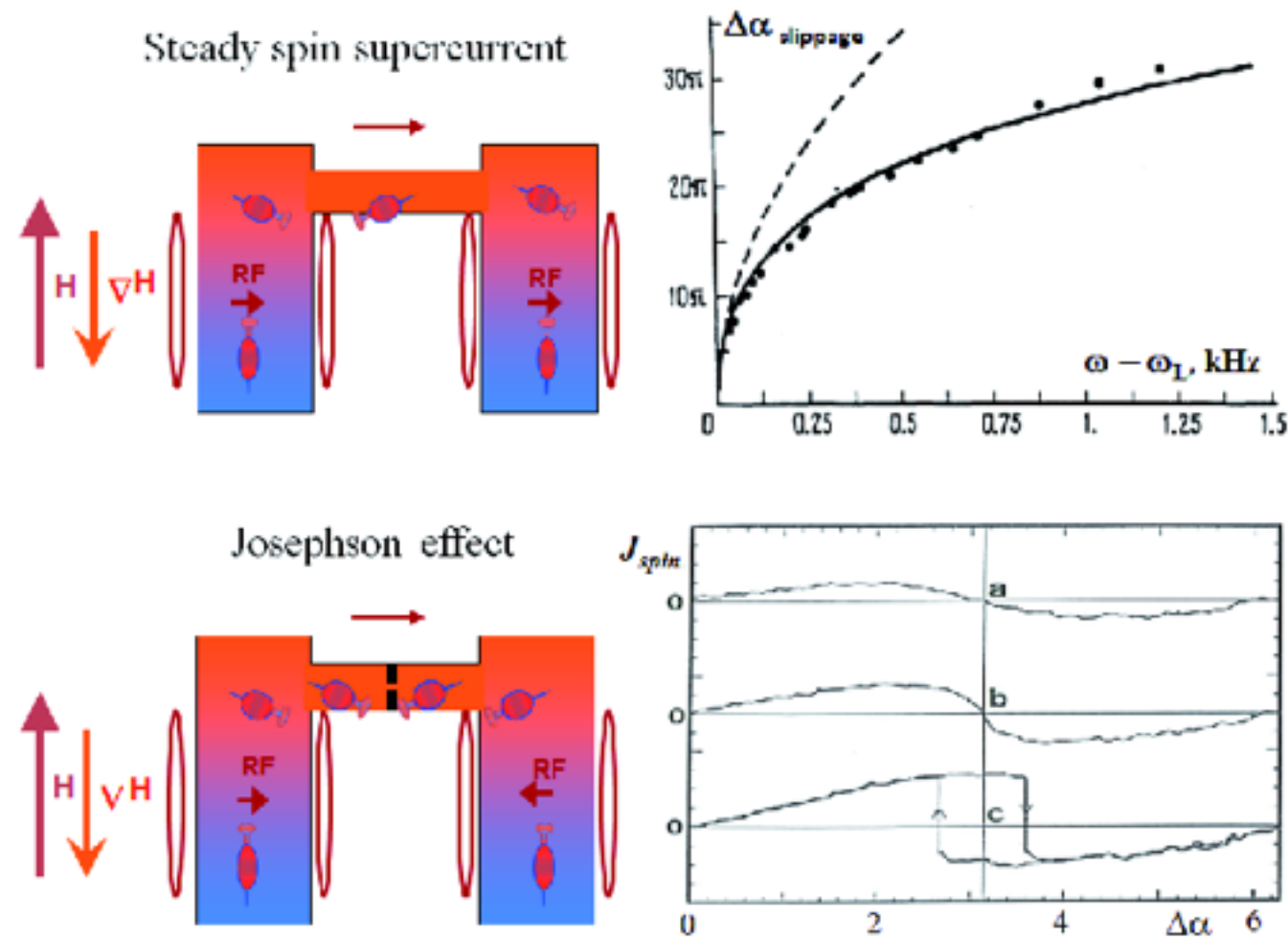
(Pancharatnam Proc Indian Acad Sci 1956;  
Berry Proc R Soc 1984)

▶ **Superfluid transport** in BEC





# Long-known spin current in $^3\text{He}$ superfluid...



(Fomin 1984 JETP Lett; Borovik-Romanov, Bunkov *et al.* 1984 *ibid*)

- Carried by **spin-triplet Cooper pairs**
- No **exponential suppression** in the bulk  
 $\Rightarrow$  **spin** / **mass** superfluidity co-existing!

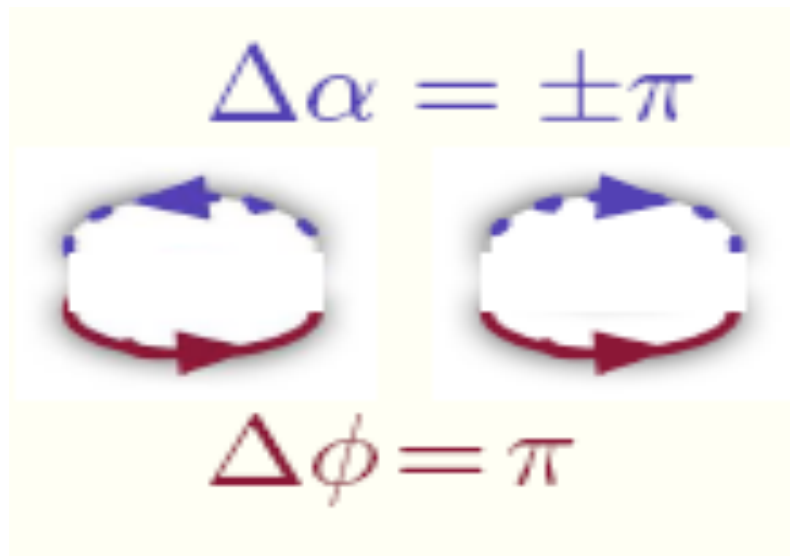
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# Half-quantum vortex (HQV) require spin current!



- Vortex flux in conventional superconductor:  $h/2e$  (Abrikosov 1953)  
←  $2\pi$  phase winding for single-valued pair wave function



- For two component condensate,  $h/4e$  vortex is allowed  
← HQV  $\equiv (\pi \text{ overall} + \pi \text{ relative})$  winding  
(Salomaa, Volovik 1985 PRL)  
 $\Rightarrow$  **spin** supercurrent circulation!

# HQV Energetics - General

In the London limit,

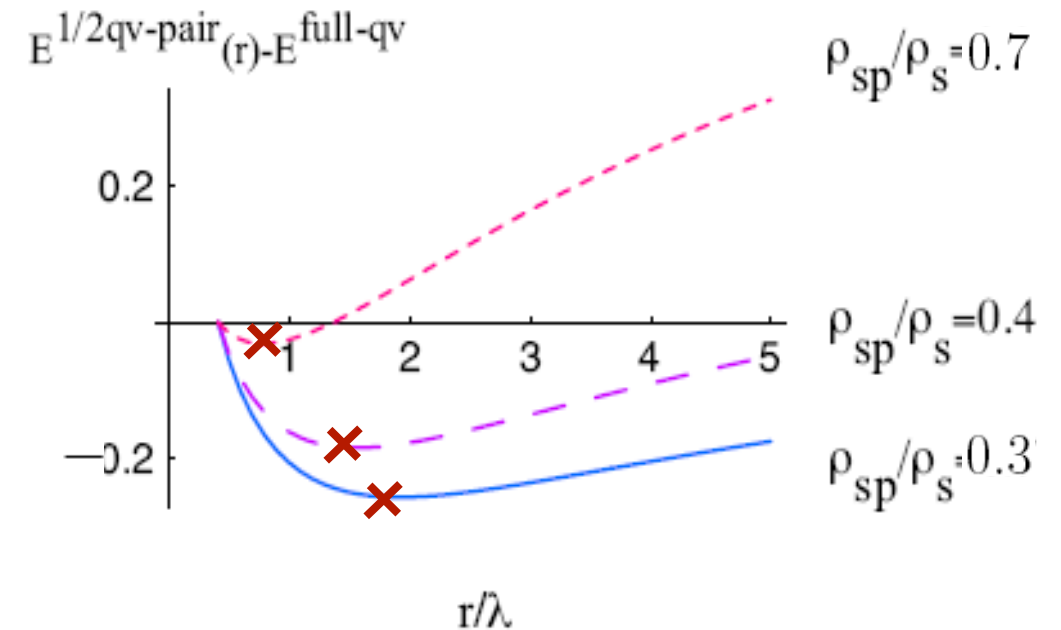
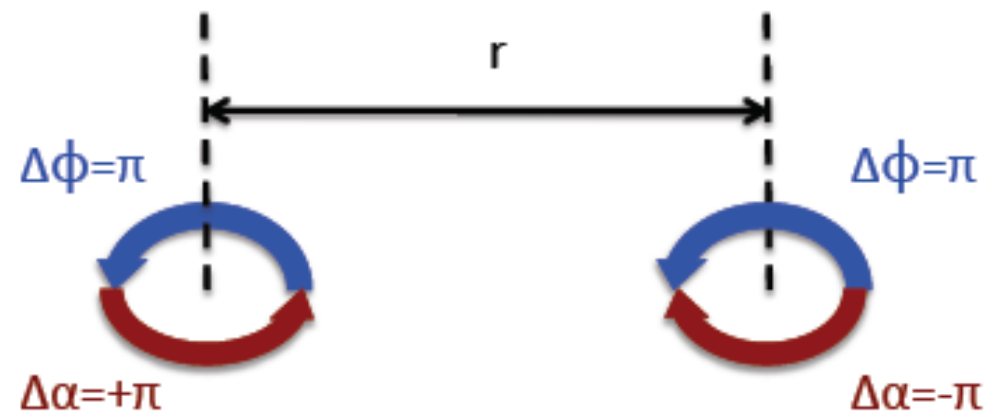
$$f_{\text{grad}}^{2\text{D}} = \frac{1}{2} \left( \frac{\hbar}{2m} \right)^2 \left[ \rho_s \left( \nabla_{\perp} \phi - \frac{2e}{\hbar c} \mathbf{A} \right)^2 + \rho_{\text{sp}} (\nabla_{\perp} \alpha)^2 \right] + \frac{1}{8\pi} (\nabla \times \mathbf{A})^2.$$

- (screened charge current)  
 $\phi$  winding  $\alpha$  winding  
+ (unscreened spin current)
- $\alpha$  winding: energy cost  $\propto \log L$  (L - system size)  
smaller  $\phi$  vorticity may NOT reduce energy cost

(Babaev 2005 PRL)

# Energy Competition - Magnetic vs. Spin

(SBC, Bluhm, Kim 2007 PRL)



- Energy competition in HQV pair:  
screened magnetic repulsion

vs. unscreened spin attraction

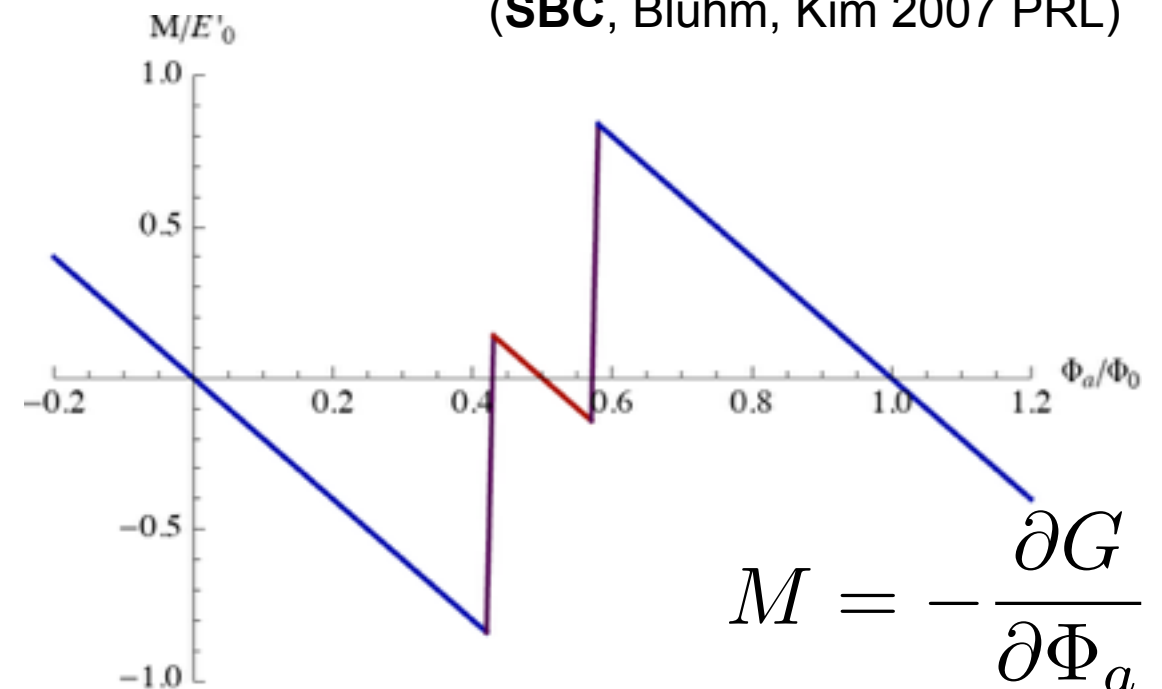
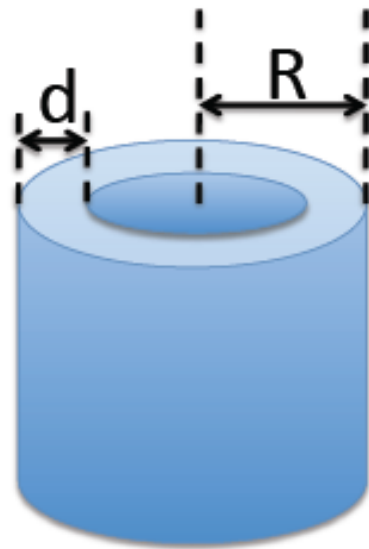
- Long-wavelength spin wins → confined HQV in the bulk

(Kee, Kim & Maki 2000 PRB)



# HQV in Mesoscopic Sample

(SBC, Bluhm, Kim 2007 PRL)

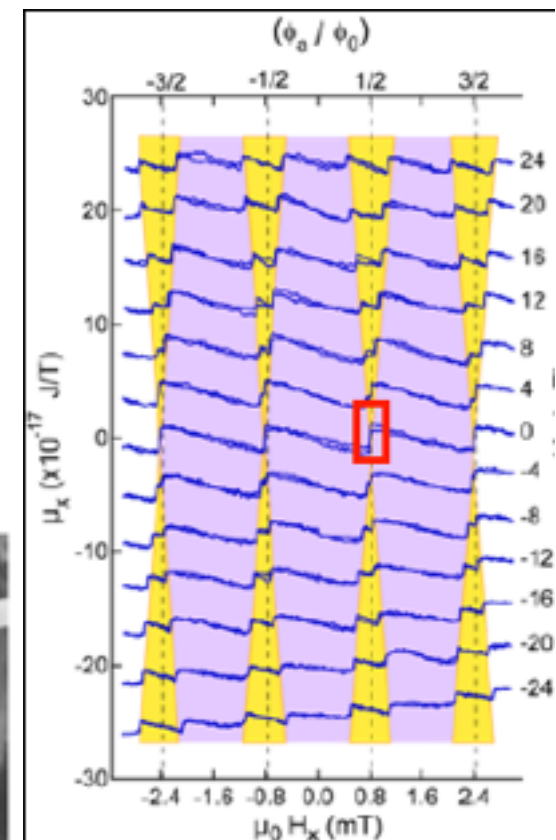
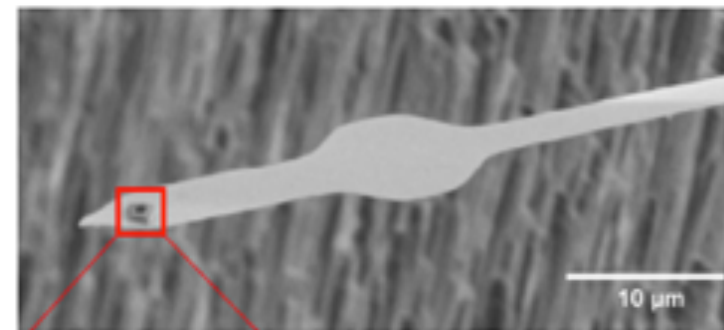


$$M = -\frac{\partial G}{\partial \Phi_a}$$

- Flux entry at  $\Phi_a = (n + 1/2) h/2e$   
 $\Rightarrow$  Predict 'double saw-tooth' magnetization curve.

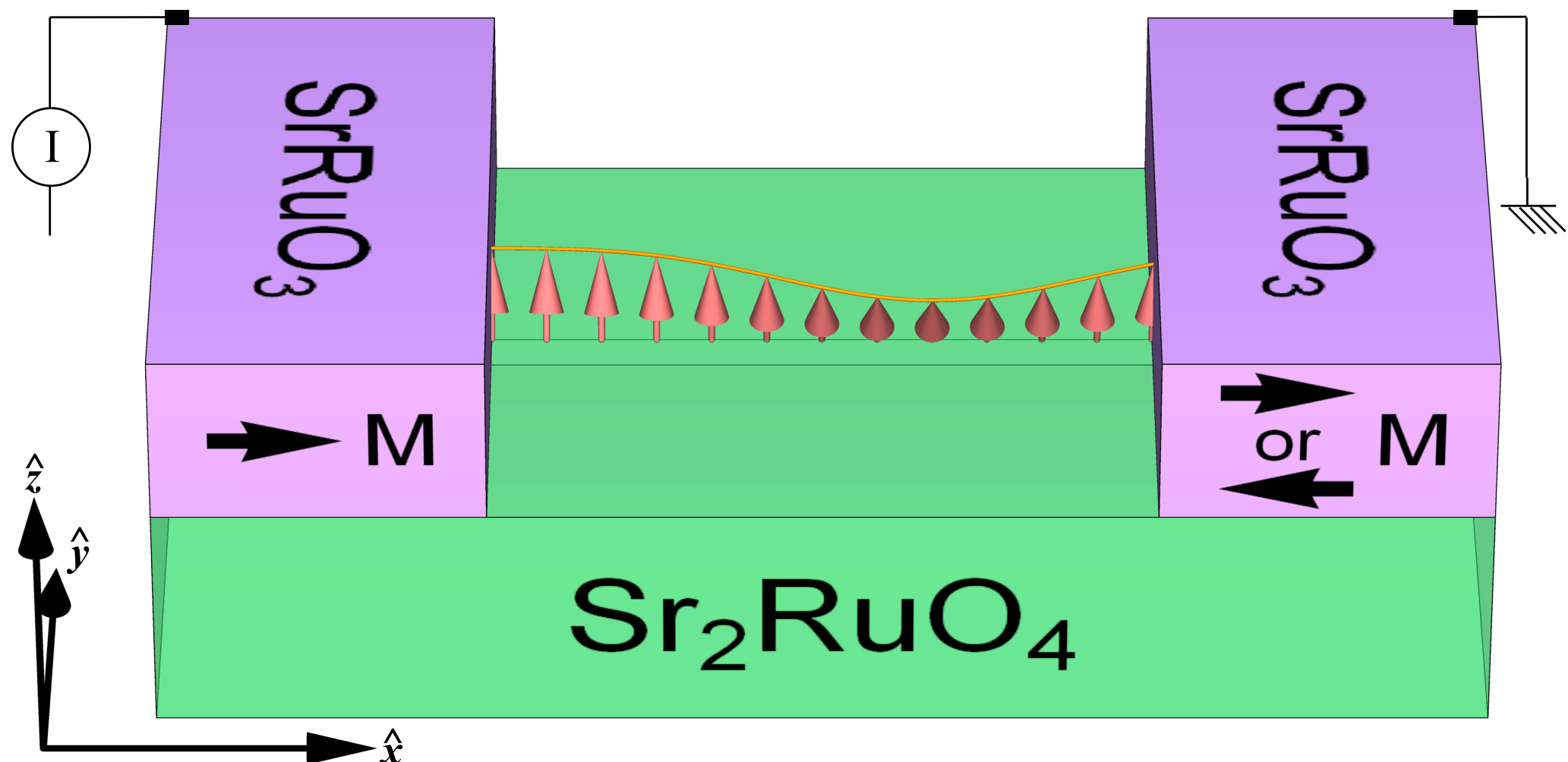
- Experimental confirmation!

(Jang, Budakian, SBC *et al.* 2011 Science)



$\Rightarrow$  How can we generate spin supercurrent in the bulk  $\text{Sr}_2\text{RuO}_4$ ?

Single platform for detecting both spin supercurrent  
and spin collective mode:

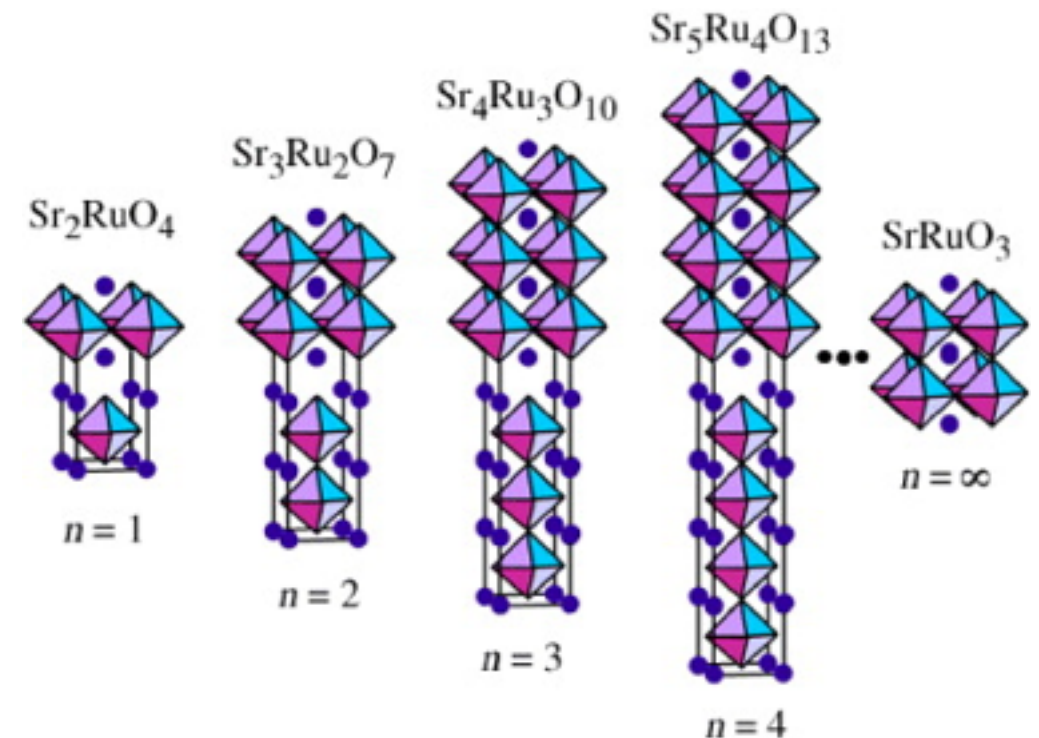


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# SrRuO<sub>3</sub>: ferromagnetic metal

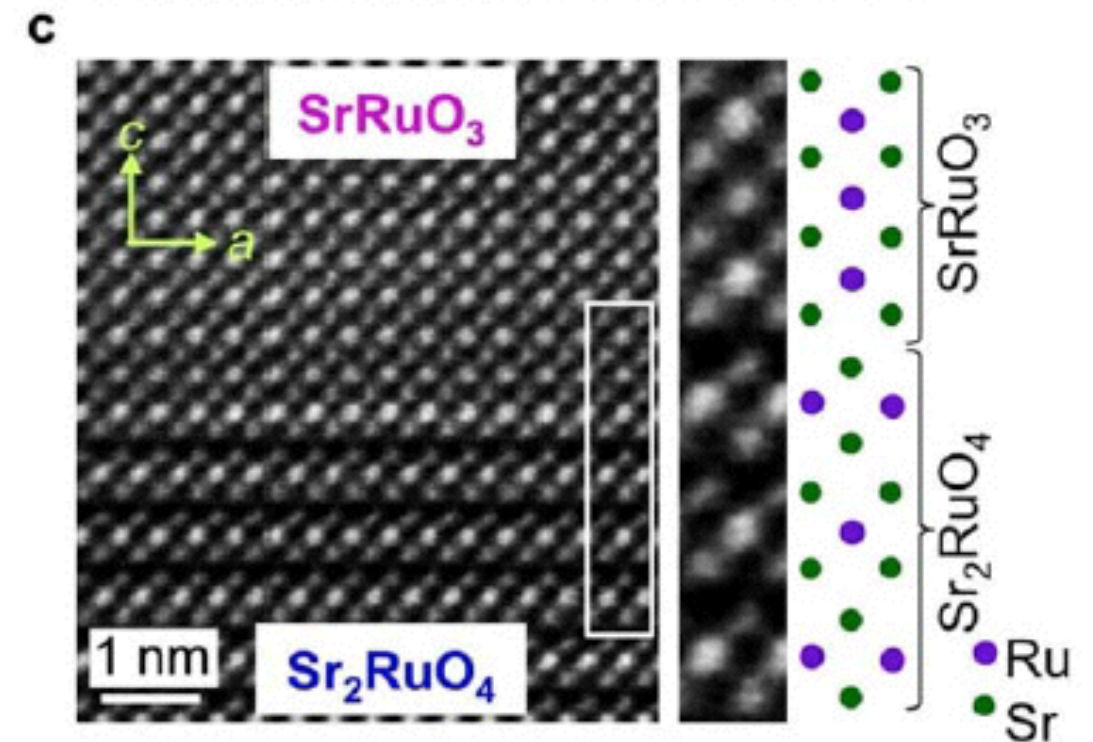
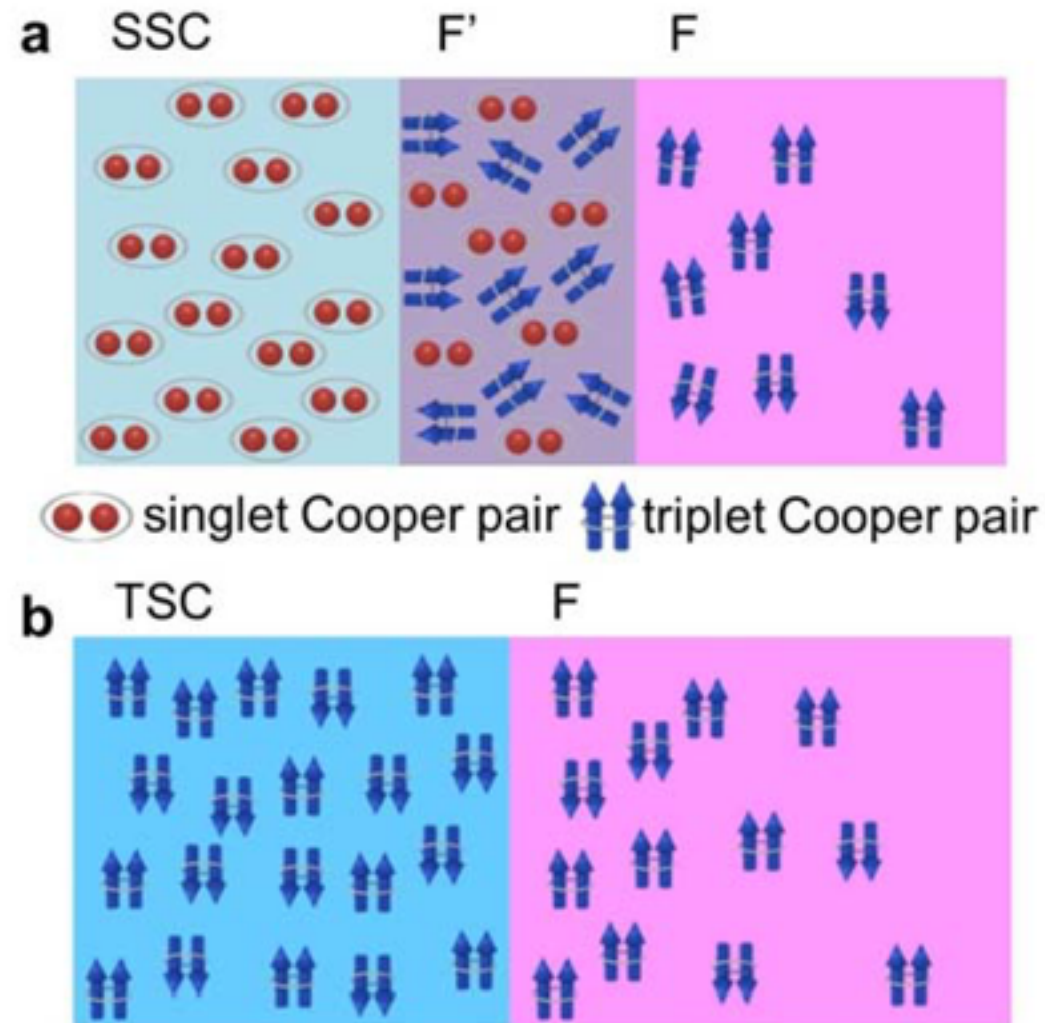
- Similar structure to Sr<sub>2</sub>RuO<sub>4</sub> except for all apical O shared by Ru
  - ▶ 1.3% lattice mismatch in (001) direction



- Thin film remains **ferromagnetic w/ 3:1 transport spin polarization**  
(Nadgorny Eom *et al.* 2003 Appl Phys Lett;  
Raychaudhuri Mackenzie Beasley *et al.* 2003 PRB)
- Metallic with Curie temperature of 160K  
(c.f.  $T_c=1.5\text{K}$  for Sr<sub>2</sub>RuO<sub>4</sub>)  
⇒ NO effect of Sr<sub>2</sub>RuO<sub>4</sub> superconductivity on magnetization

# Characteristics of SRO 214/113 interface

(Anwar, Lee, Noh, Maeno *et al.* 2016 Nat Comm)



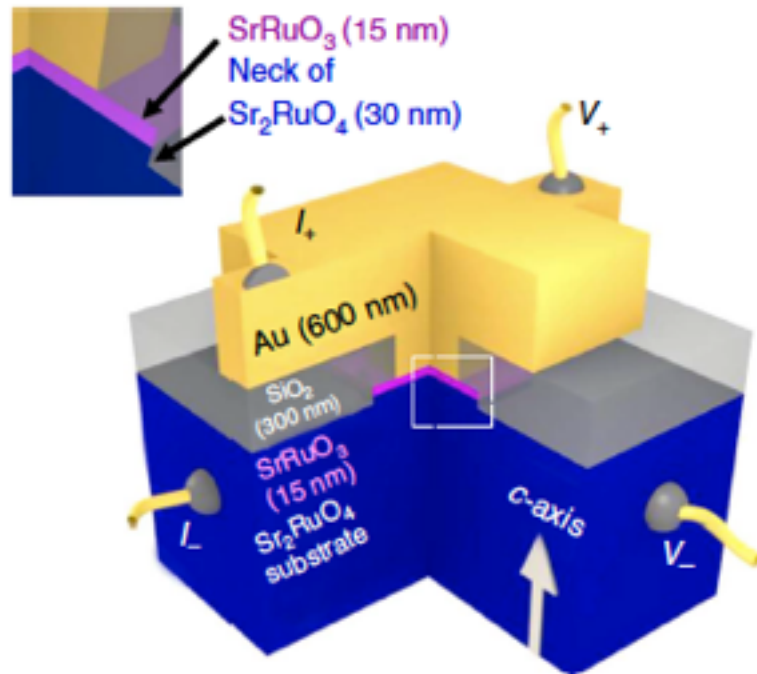
- FM/SC junction may **NOT** require impurity for proximity effect

- 113/214 interface is impurity-free even on the atomic scale



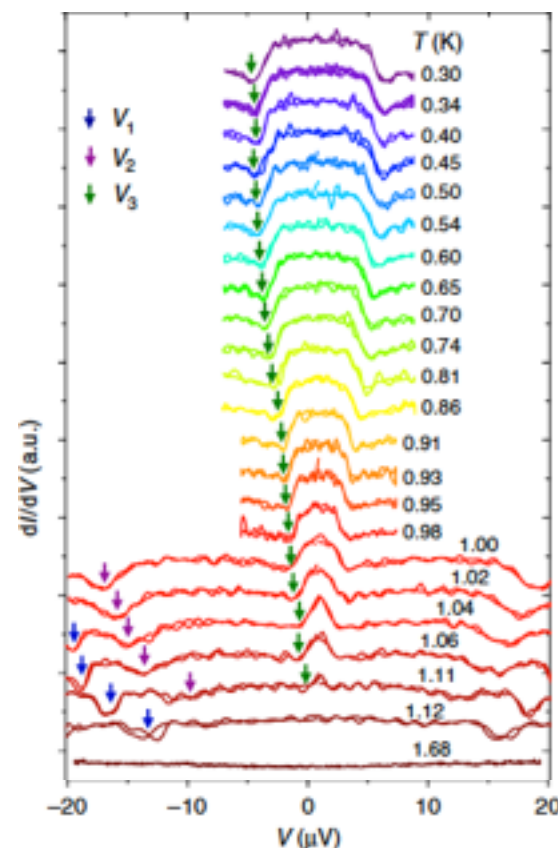
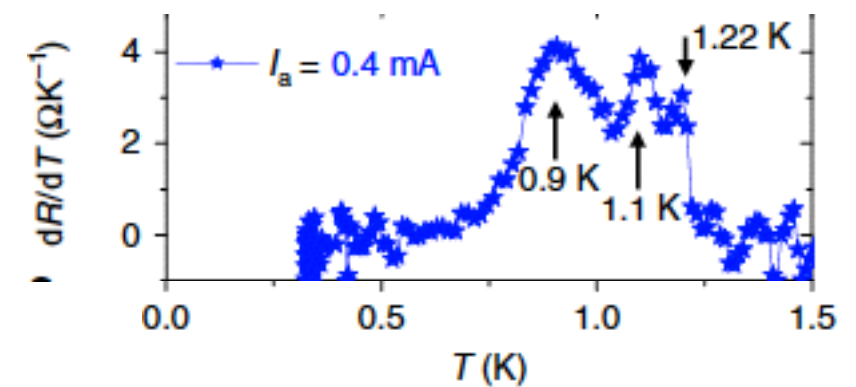
# SRO 214/113 proximity effect measurement

(Anwar, Lee, Noh, Maeno *et al.* 2016 Nat Comm)



- Measured junction voltage  $V$  for the given applied current  $I$

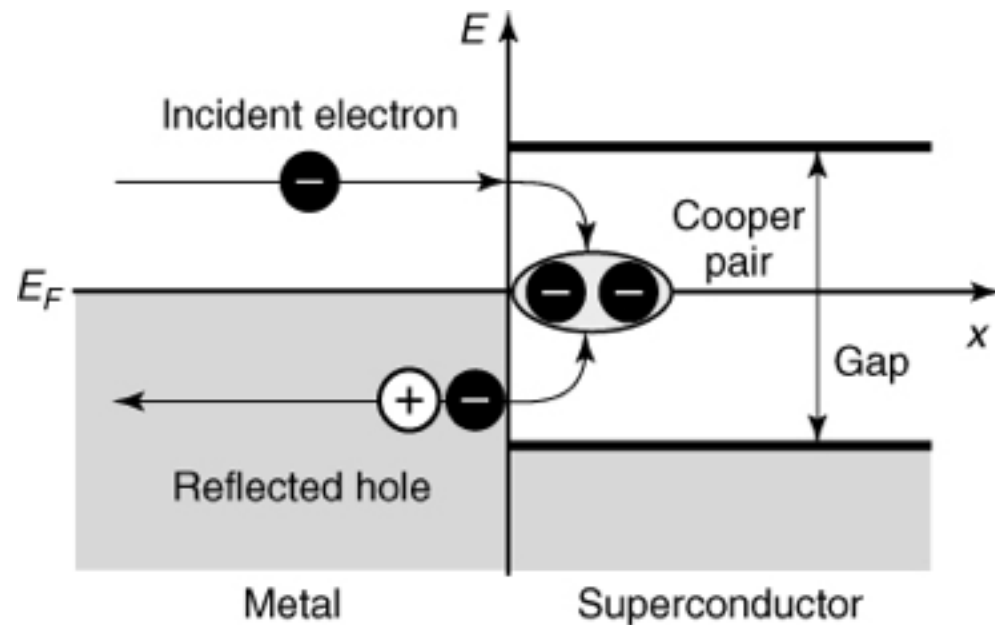
- Multiple transition seen on  $dR/dT$  as indication of proximity effect onset



- $dI/dV$  measurement to obtain the pairing gap at each interface

# Andreev reflection in spin-triplet superconductor

- Andreev reflection always occurs between superconductor and metal

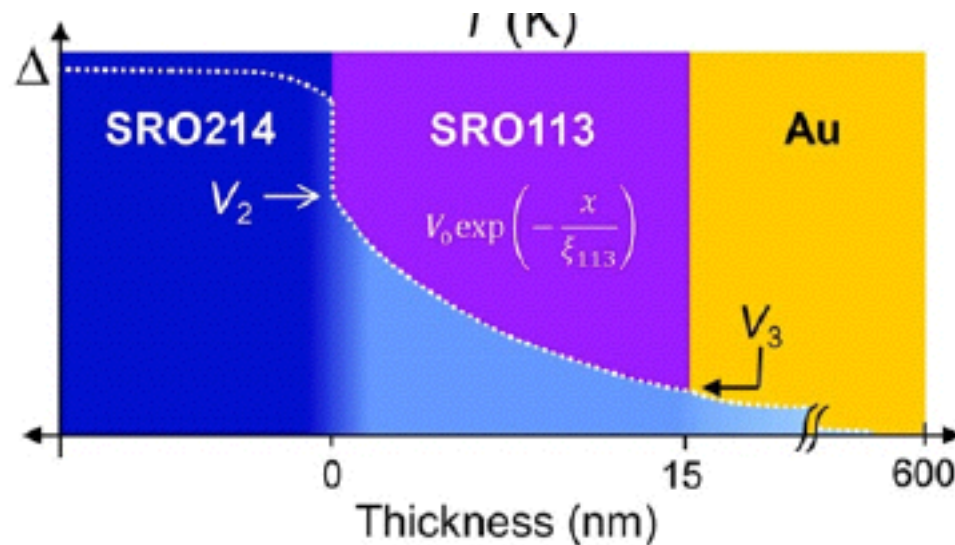


- ▶ electron near Fermi level gets reflected as hole
- ▶ electron / hole equal superposition localized at the interface

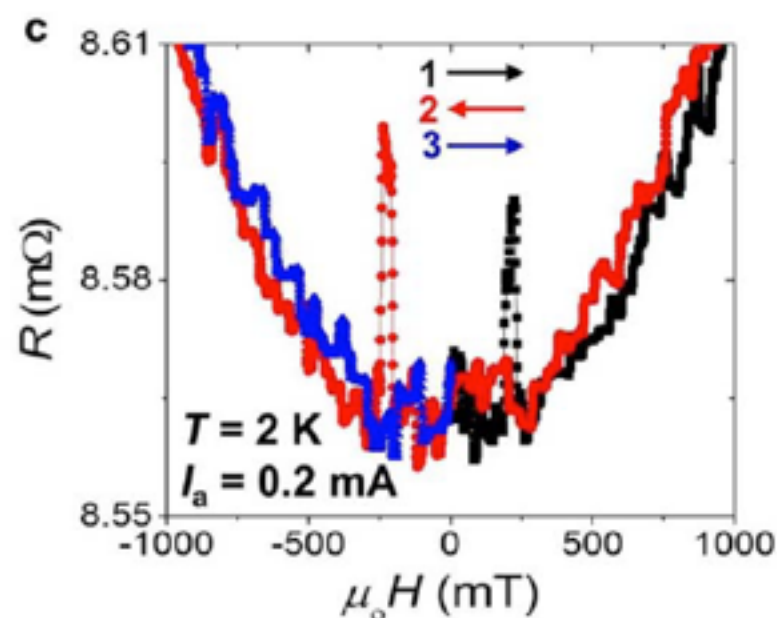
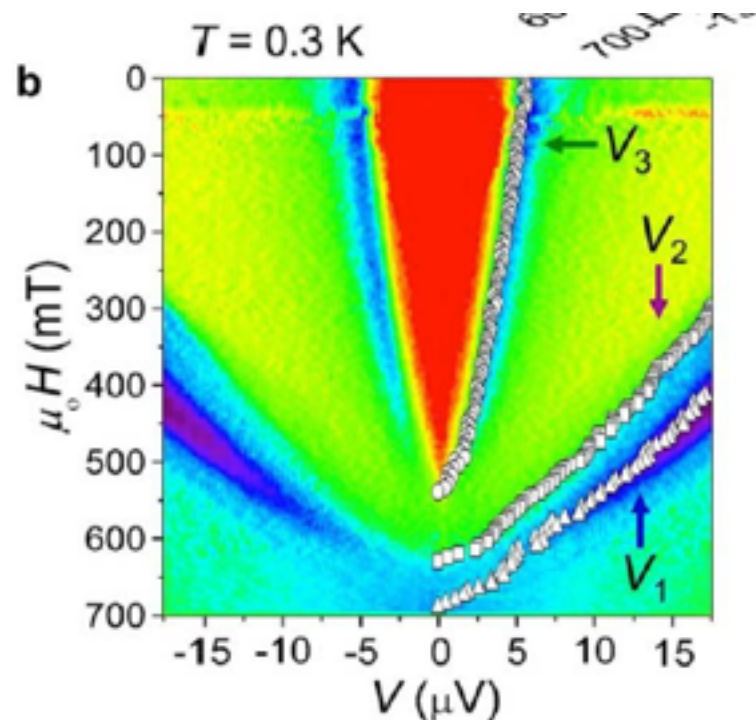
- Andreev reflection at the metal / spin-triplet SC interface leads to formation of equal-spin Cooper pairs in spin-triplet SC  
⇒ In absence of spin-flip scattering, an FM metal injects spin-polarized supercurrent into spin-triplet SC

# Evidence for triplet pairing induced in 113

(Anwar, Lee, Noh, Maeno *et al.* 2016 Nat Comm)



- Cooper pair decay length in 113 is very long  
→ Andreev reflection, not tunneling at 113/214 interface



- Proximity effect **intrinsic**, e.g. unaffected by 113 domain switching  
⇒ proximity effect NOT collective phenomenon...





# COLLECTIVE SPIN TRANSPORT IN ELECTRICAL INSULATORS

WORKSHOP | APRIL 24 TO MAY 26, 2017 (NATAL, BRAZIL)

## DIRECTORS

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University of São Paulo (Brazil)  
**DANIEL LOIS**  
University of Basel (Switzerland)  
**ALLAN MACDONALD**  
University of Texas (USA)  
**YAROSLAV TSEKOVNIAK**  
University of California (USA)

## TENTATIVE LIST OF TOPICS TO BE COVERED AT THE WORKSHOP

- Collective hydrodynamics of spin and heat flows in magnetic, heterostructures, nonequilibrium thermodynamics in magnetically ordered media
- Condensation of magnons, spontaneously coherent dynamics, and spin superfluidity in magnetic insulators: transport and dynamics of spin-magnons
- Topological order and topological transport in spin-textured media: skyrmions, thermal Hall effect, magnetic edge modes, spin transport by topological excitations
- Quantum correlations and kinetics of spin excitations: novel (spin-active) magnetic quantum materials and phenomena: topological insulator-based heterostructures, superconducting spintronics
- The up-to-date list of invited speakers is listed on the event webpage ([www.iip.ufrn.br/events](http://www.iip.ufrn.br/events))

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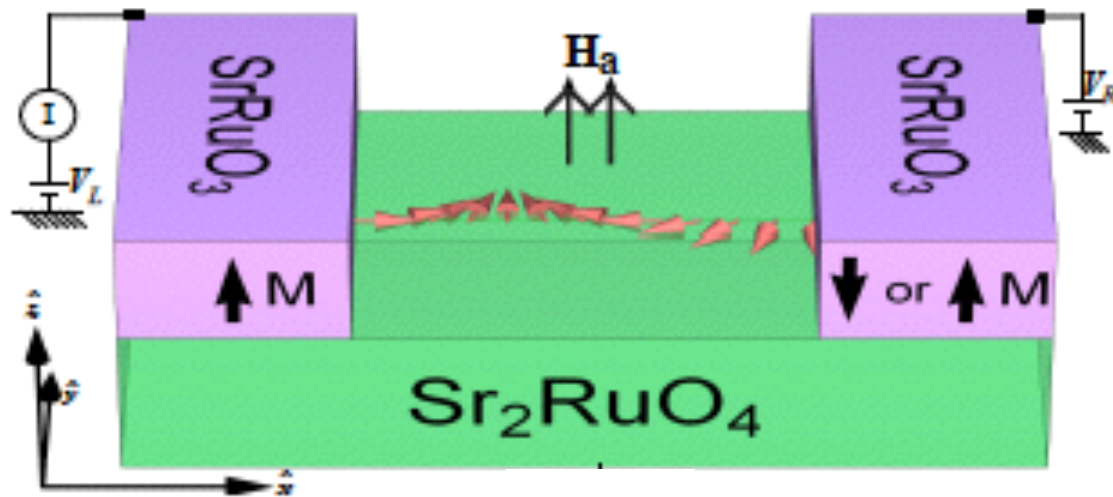
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# Spin supercurrent proposal for SRO 214/113

(SBC, Lee, Kim, Tserkovnyak 2018 PRL)



- For collinear 113 magnetization, independent Andreev conductance for spin-up / spin-down:

$$I_{L,R}^{\sigma} = \pm g_{L,R}^{\sigma\sigma} (V_{L,R} - \hbar \partial_t \varphi_{\sigma} / 2e)$$

- Cooper pairs injected from 113 leads are **spin-polarized** as parametrized by  $p_{L,R} = \sum_{\sigma} \sigma g_{L,R}^{\sigma\sigma} / \sum_{\sigma} g_{L,R}^{\sigma\sigma}$  ( $\approx 0.5$  estimated for 113)  
 → spin-polarized **supercurrent**, i.e. **spin supercurrent** along with charge super current

# Spin transport from d-vector

- The effective easy-plane **d-vector Hamiltonian** gives, as the equation of motion, the local **Cooper pair spin conservation**:

$$H_{eff} = \frac{1}{2} \int d\mathbf{r} [A(\nabla\alpha)^2 + \gamma^2 S_z^2 / \chi] \quad (\text{with } [\alpha, S_z] = i\hbar)$$

$$\Rightarrow \partial_t S_z + \nabla \cdot \mathbf{J}_{sp}^z = 0 \quad (\text{with } \mathbf{J}_{sp}^\alpha = -A\nabla\alpha)$$

- Finite lifetime can be introduced phenomenologically for imbalance between  $|\uparrow\uparrow\rangle$  and  $|\downarrow\downarrow\rangle$ , while retaining spin ordering

$$\text{i.e. } \partial_t S_z + \nabla \cdot \mathbf{J}_{sp}^z = -\frac{1}{\tau} S_z \quad (\text{with } 1/\tau = \tilde{a} n \hbar \gamma_e^2 / \chi)$$

(Tserkovnyak, Brataas, Bauer, Halperin 2005 RMP)

- Cooper pair spin current **inverse** distance decay w/ finite lifetime  
 $\longleftrightarrow$  quasi-particle spin current **exponentially suppressed**  
 beyond **spin diffusion length**

# SRO Cooper pair spin valve

(SBC, Lee, Kim, Tserkovnyak 2018 PRL)

- Boundary condition for **charge** & **spin** supercurrent:

$$\sum_{\sigma} (I_L^{\sigma} - I_R^{\sigma}) = 0, \quad \sum_{\sigma} \sigma (I_L^{\sigma} - I_R^{\sigma}) = 2\tilde{\alpha}e\Omega_s SL$$

- **No distance cutoff** for supercurrent dependence on conductance spin polarization difference between two leads

$$I^c = \sum_{\sigma} I^{\sigma} = I_0 \left[ 1 - \frac{g_L g_R (p_L - p_R)^2}{(g_L + g_R)(g_L + g_R + g_{\alpha}) - (p_L g_L + p_R g_R)^2} \right]$$

(where  $g_{\alpha} = 4\tilde{\alpha}nSLe^2/\hbar$ )

- Magnetoresistance for beyond spin diffusion length proportional to **condensate fraction**  $\rightarrow$  increase with  $1-T/T_c$  (Romeo, Citro 2013 PRL)

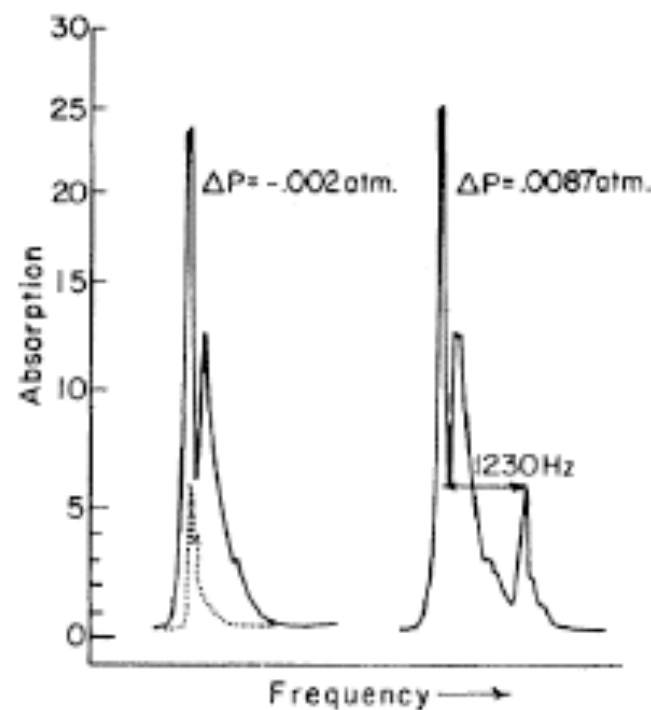
$\Rightarrow$  d-vector Hamiltonian convenient for collective spin **dynamics**

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- Ongoing experimental efforts

# Symmetry breaking leads to collective modes

- Crystal (broken translational symm) → phonons  
Magnet (broken rotational symm) → spin wave

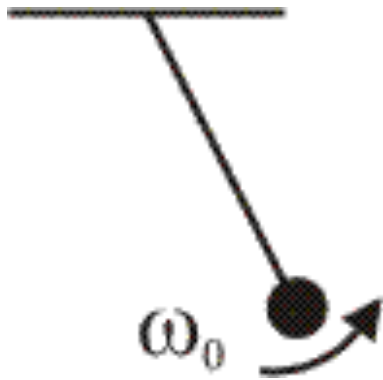


- $^3\text{He}$ : 1st known example of spin-triplet Cooper pairing  
⇒ NMR resonance signature of **spin collective mode** confirmed spin-triplet pairing

(Osheroff, Lee, Richardson *et al.* 1972 PRL;  
A J Leggett 1974 Ann Phys; Maki, Ebisawa 1974 PRL)

- NO **analogous resonance** detected in  $\text{Sr}_2\text{RuO}_4$  superconductor

# d-vector collective motion



$$H[\hat{\mathbf{d}}, \mathbf{S}] = \frac{1}{2\chi_{\text{sp}}} \mathbf{S}^2 + \Gamma_0 \hat{\mathbf{d}}_{\parallel}^2$$

→ oscillation of relative phase between  $|\uparrow\uparrow\rangle$  and  $|\downarrow\downarrow\rangle$

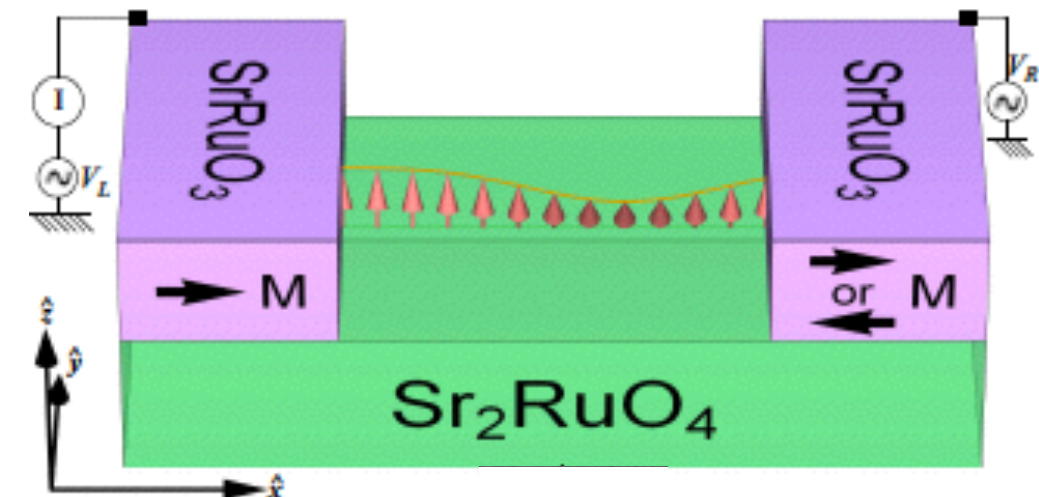
- For the  $(d_y, S_x)$  mode in x-axis spin quantization (Leggett 1975 RMP)
  - ▶ Cooper pair spin state  $\exp(i\alpha) |\uparrow\uparrow\rangle + \exp(-i\alpha) |\downarrow\downarrow\rangle$  with  $\alpha=0$  at the ground state
  - ▶  $d_y \approx \alpha$  means we can take the relative phase as the pendulum angle
- SRO 113/214 can induce oscillation of relative phase between  $|\uparrow\uparrow\rangle$  and  $|\downarrow\downarrow\rangle$



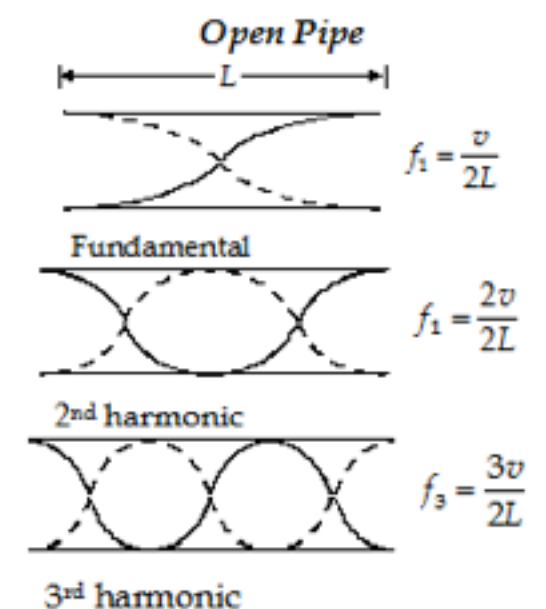
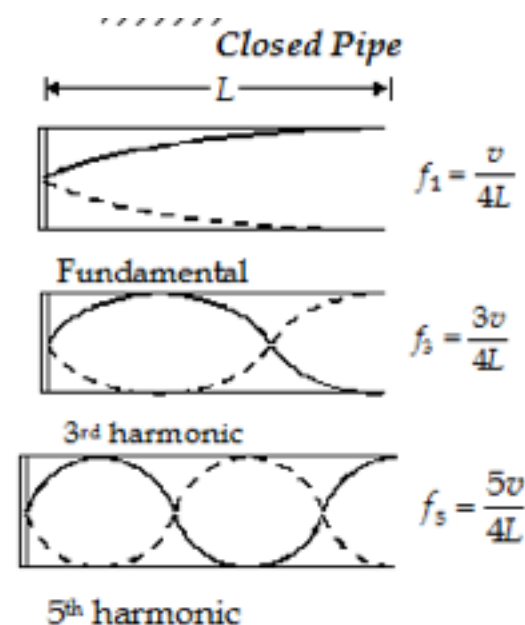
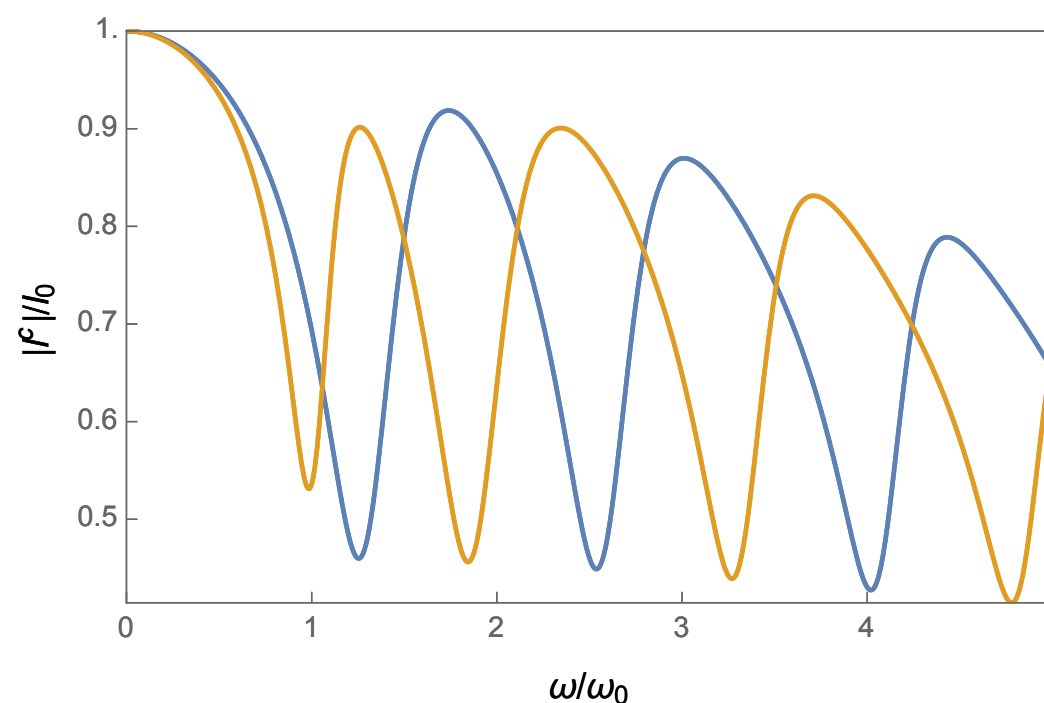
# SRO spin mode detection by 214/113 junction

(SBC, Lee, Kim, Tserkovnyak 2018 PRL)

- Spin-polarized AC supercurrent injection excites spin collective mode  
 $\Rightarrow$  **electrically generated spin wave**



- Current maxima indicates **resonant frequency** for **spin wave**  
 $\rightarrow$  maxima / minima dependent on magnetization alignment



Blue: parallel 113 magnetization    Orange: opposite 113 magnetization

# Outline

- Spin supercurrent from spin triplet pairing in  $\text{Sr}_2\text{RuO}_4$ 
  - ▶  $\text{Sr}_2\text{RuO}_4$  spin supercurrent in half-quantum vortex
- Spin collective phenomena in  $\text{SrRuO}_3 / \text{Sr}_2\text{RuO}_4$  junction
  - ▶  $\text{SrRuO}_3 / \text{Sr}_2\text{RuO}_4$  heterostructure
  - ▶ 2-terminal junction as spin valve
  - ▶ Spin collective mode generation via AC bias

- Ongoing experimental efforts



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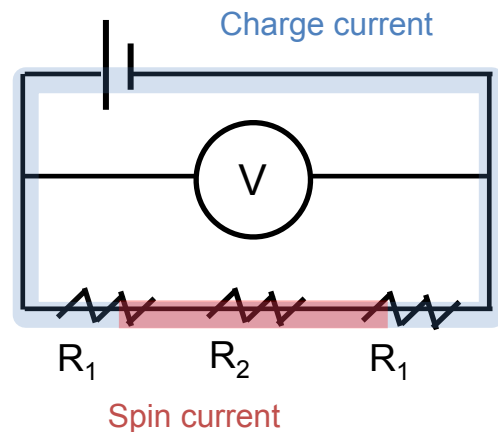
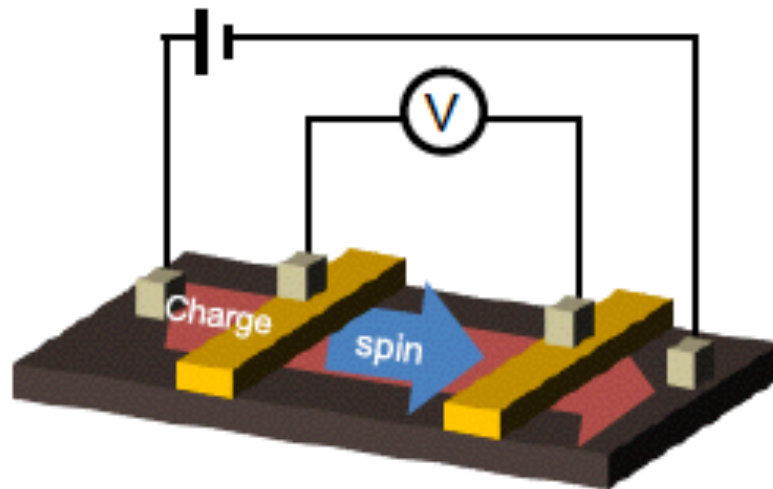


Tae Won Noh  
(SNU/IBS-CCES)

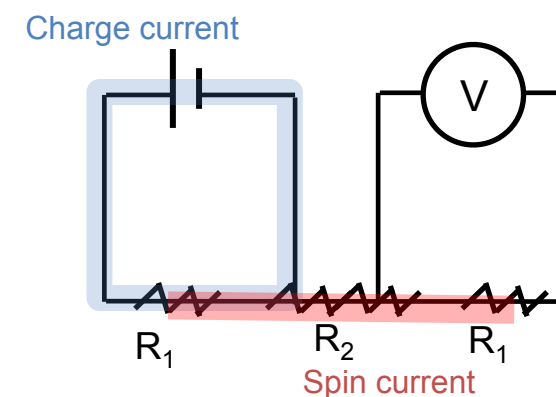
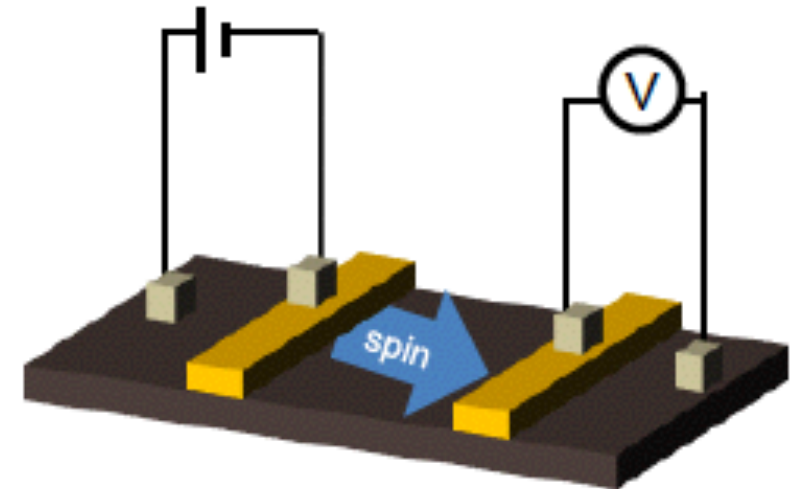
# Non-local setup

(Ko, B Kim, **SBC**, Noh *et al* in progress)

## ► local measurement



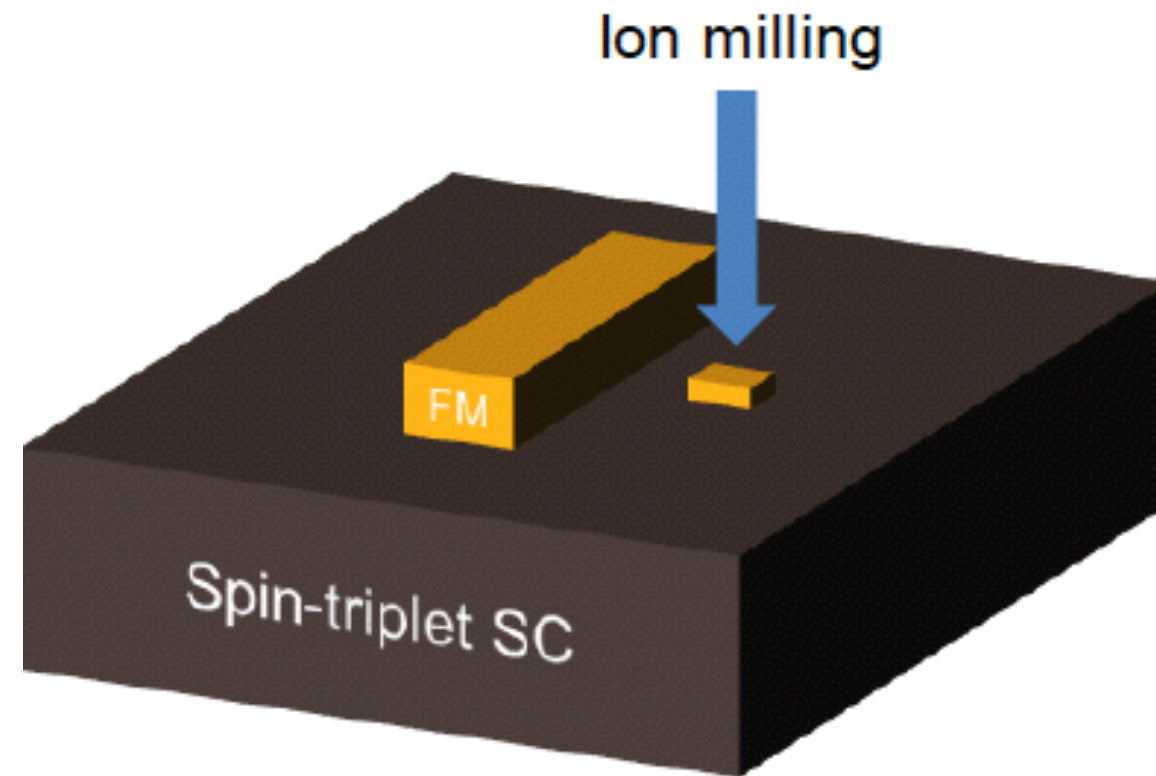
## ► non-local measurement



- Non-local measurement is widely used for detecting giant magnetoresistance in spin valve device
- Non-local measurement can detect **pure spin current** while local measurement measure **both charge and spin current**

# General device fabrication 1

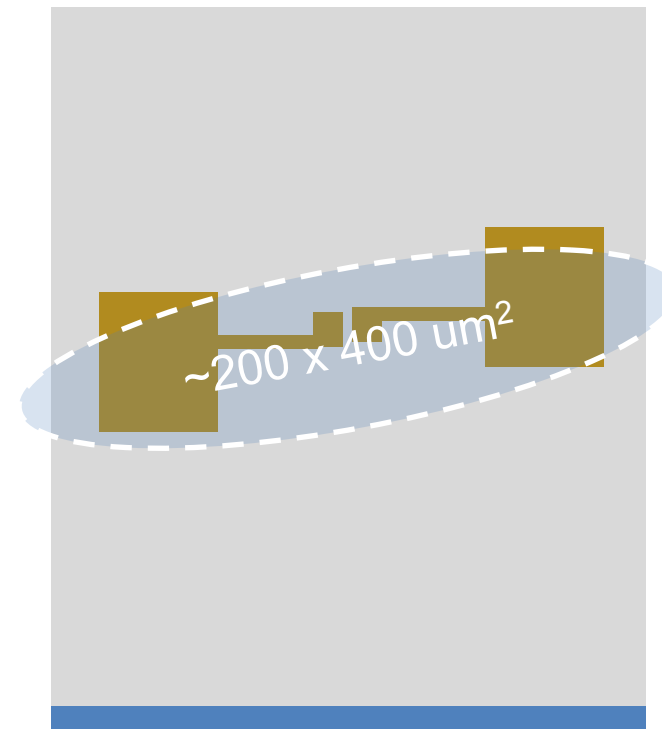
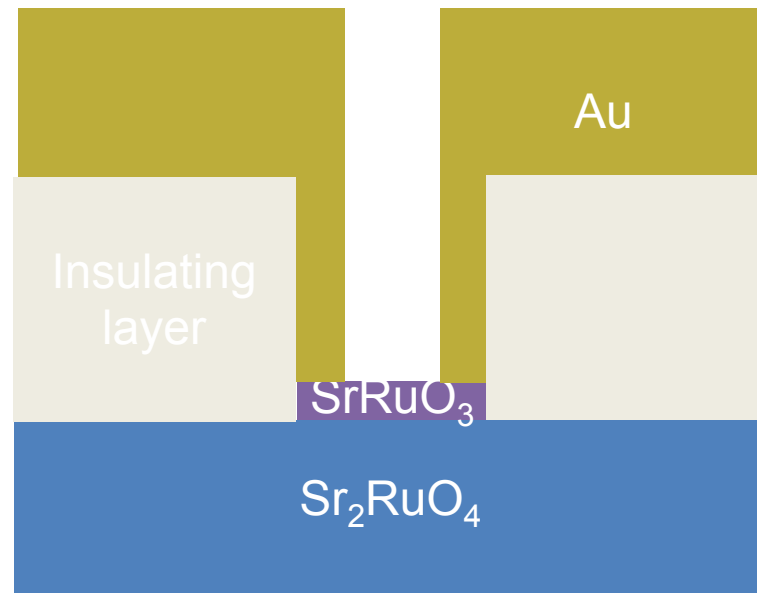
(Ko, B Kim, **SBC**, Noh *et al* in progress)



- For a spin valve device, different coercivity required for two ferromagnets
- Different thickness means different coercivity for  $\text{SrRuO}_3$

# General device fabrication 2

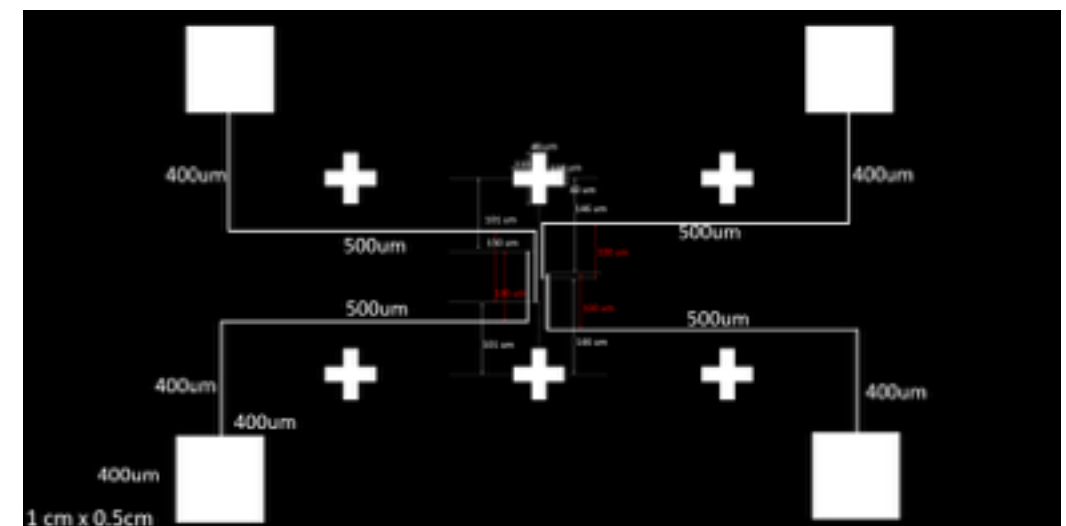
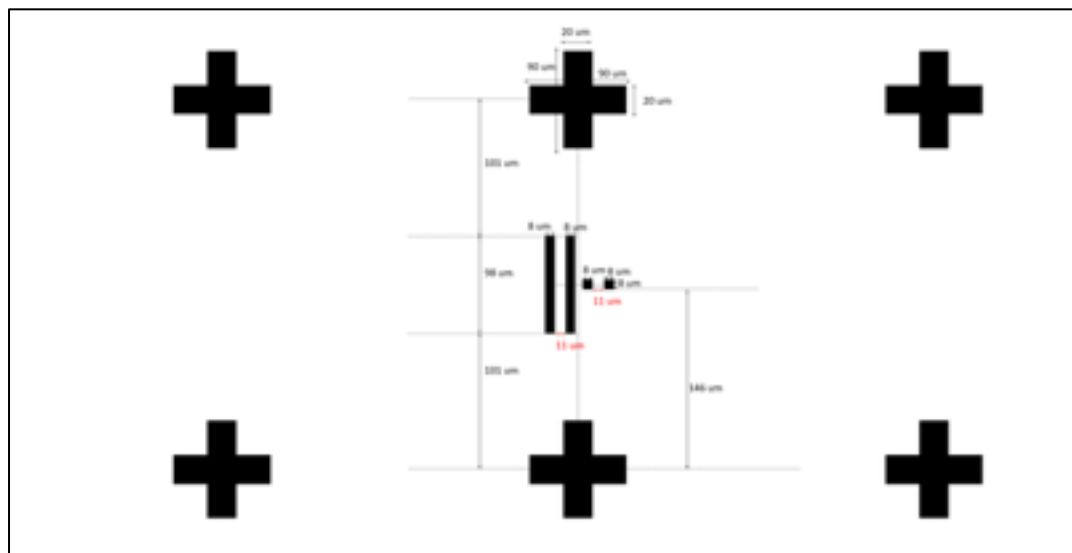
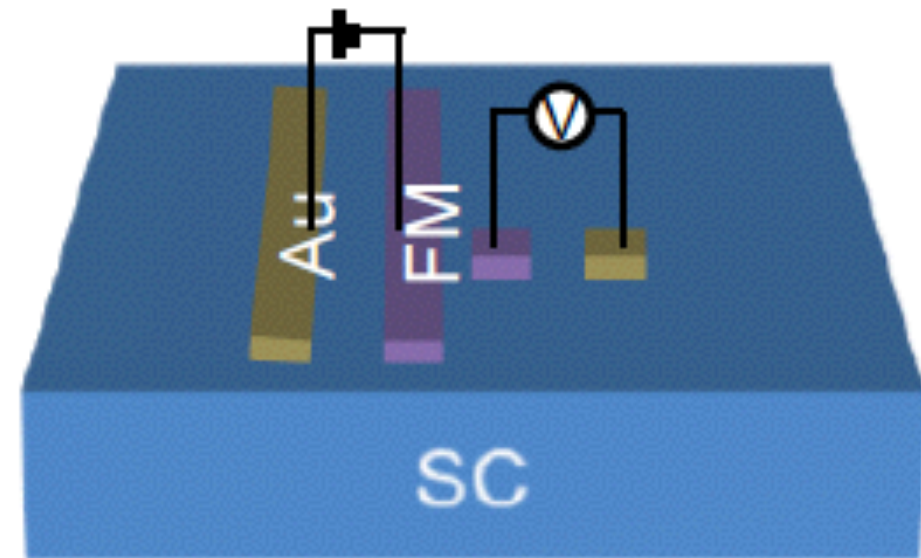
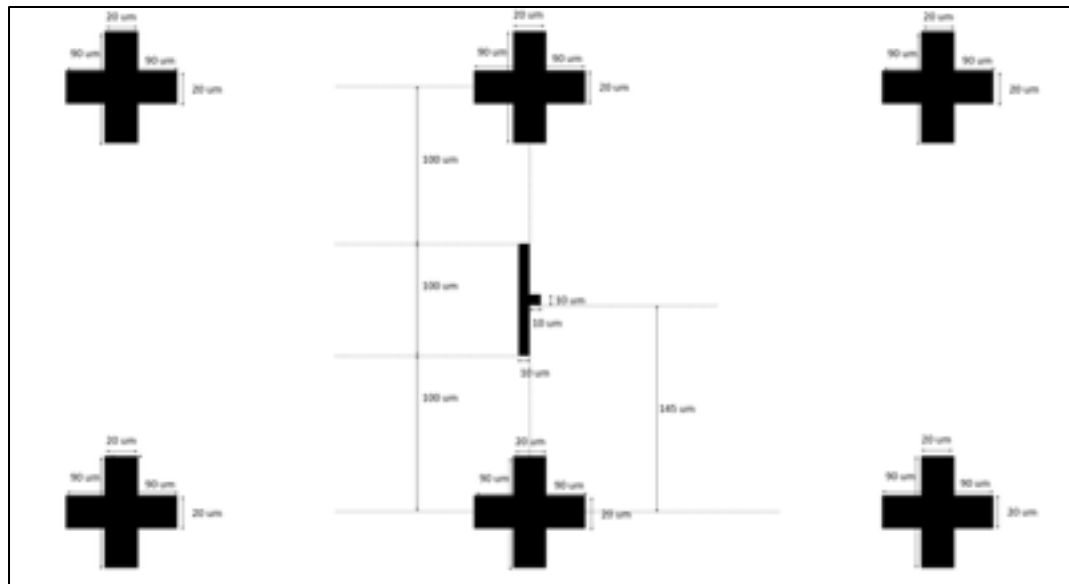
(Ko, B Kim, **SBC**, Noh *et al* in progress)



- Small device needed, in order to prevent electrode touching  $\text{Sr}_2\text{RuO}_4$
- The area of the device should be  $\approx 200 \times 400 \text{ um}^2$

# Device design: mask for non-local setup

(Ko, B Kim, **SBC**, Noh *et al* in progress)



- Designing mask for non local measurement is ongoing.



# Conclusions

- Spin collective phenomena would be the signature of spin-triplet superconductivity of  $\text{Sr}_2\text{RuO}_4$ .
- Two such phenomena are the spin supercurrent and the order parameter spin collective mode.
- Both can be electrically realized in the  $\text{SrRuO}_3 / \text{Sr}_2\text{RuO}_4$  junction.