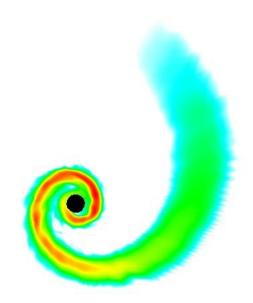


# Compact binaries, sky localization & all that





#### **Sukanta Bose**

Acknowledgments: LIGO Sci. Collab. Members; NRTT, NSF

#### Based on:

LIGO-DCC-G1602275 LIGO-DCC-G1600931 LIGO-DCC-G1601432 LIGO-DCC-G1500545 LIGO-DCC-G1500496



### Outline



- The synergy of EM astronomy and GW astronomy: GW transients meet time-domain EM light curves
- Challenges posed:
  - Dealing with non-Gaussian GW data
  - Difficulties of rapid follow-up to catch a fading light curve
  - Large sky localization patches
- Using higher order statistics to understand nature of noise transient and its source.

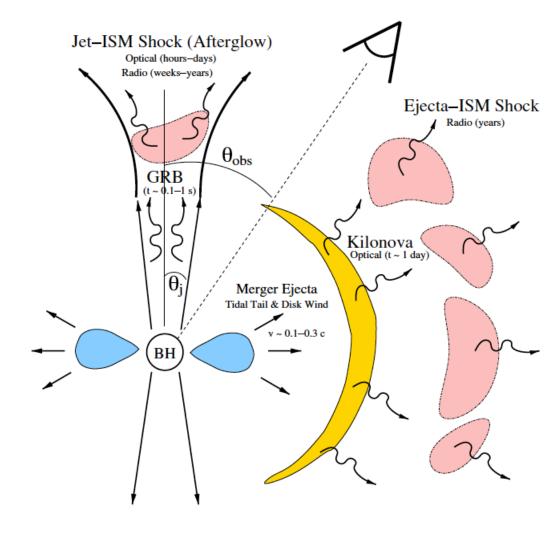


## EM counterpart prospects of GWs: Short GRBs



IUCAA

- Among known sources, CBCs involving neutron stars present the best EM counterpart prospects.
- Short duration gamma-ray bursts (SGRBs) have been conjectured to have CBC-NS as progenitors.
- The CBC-NS model is consistent with multiple types of EM counterparts, e.g., prompt emissions (in γ-ray and X-ray), optical and radio afterglows, and kilonovae.



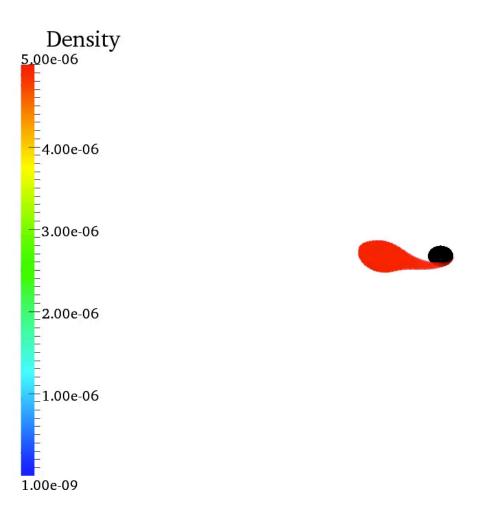
[Metzger & Berger, Astrophy. J., 746:48 (2012).



# Can EM observations complement GWs?

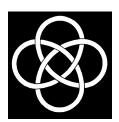


**Neutrino luminosity (erg/s)** 



Time: 3936.80

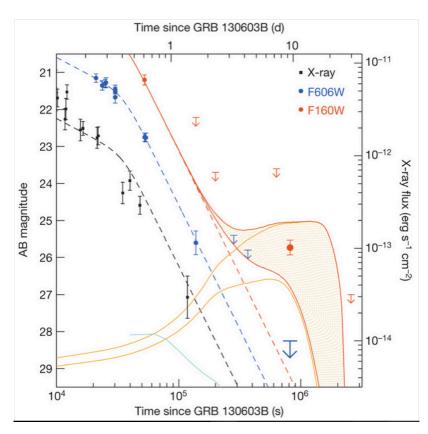
### The first kilonova in GRB 130603B?

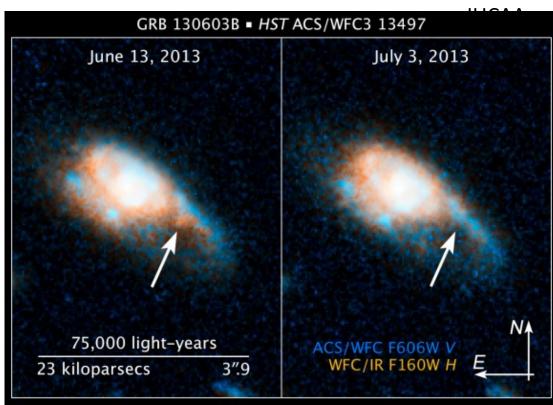


Late-type galaxy at z ~ 0.35

Washington State

- No late-time optical counterpart (rules out Ni-decay emission as in a supernova)
- Single late-time near-infrared emission.





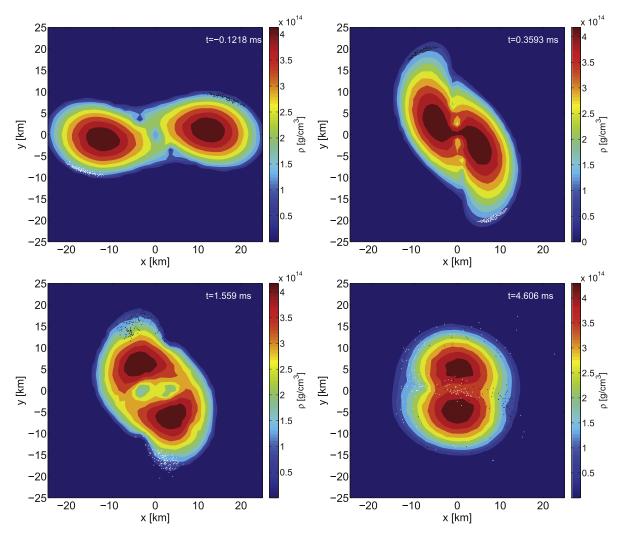
 N-IR emission consistent with kilonova models of CBC-NS with ejected mass ~ 10<sup>-2</sup> – 10<sup>-1</sup> Msun.

[Tanvir et al., , Nature doi:10.1038/nature12505 (2013); E. Berger+, Astrophy. J. 774(2), (2013)] LSST can complement GW detectors Bose @ ICTS for coincident observations.



### Post-merger oscillations





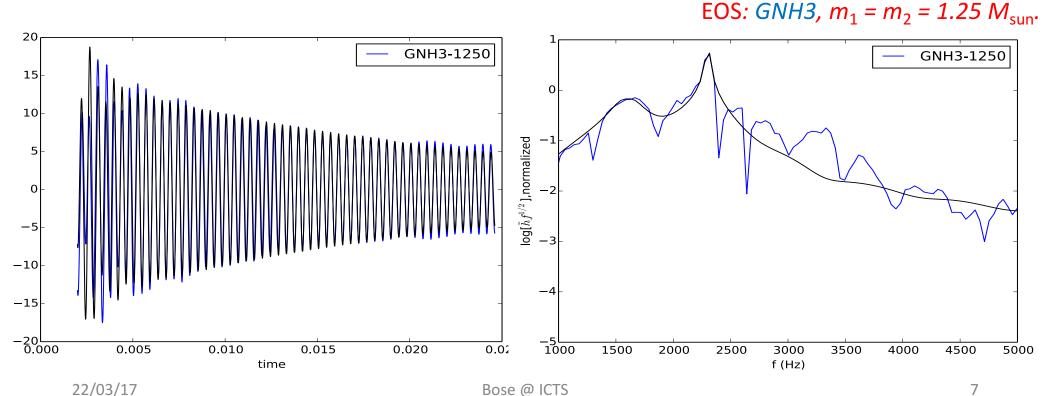
[Clark+, CQG 33 (2016)]



# Some results-I (preliminary)

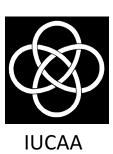


- We have analytically modelled (in black below) NR post-merger waveforms (in blue, with emphasis on frequencies  $f_1$  and  $f_2$  (also called  $f_{peak}$ ).
- This has been done for a set of EOS, e.g., GNH3, H4, ALF2, SLy.

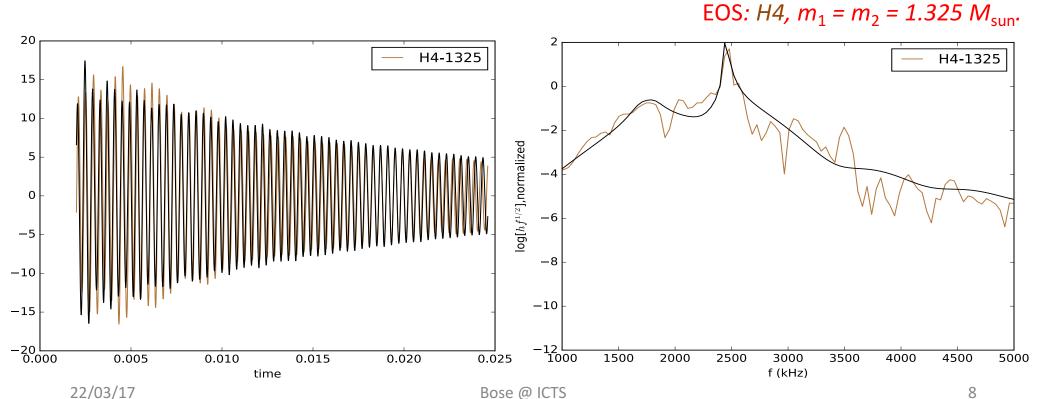




# Some results-II (preliminary)



- We have *analytically* modelled (in black below) NR post-merger waveforms (in brown, with emphasis on frequencies  $f_1$  and  $f_2$  (also called  $f_{peak}$ ).
- This has been done for a set of EOS, e.g., GNH3, H4, ALF2, SLy.

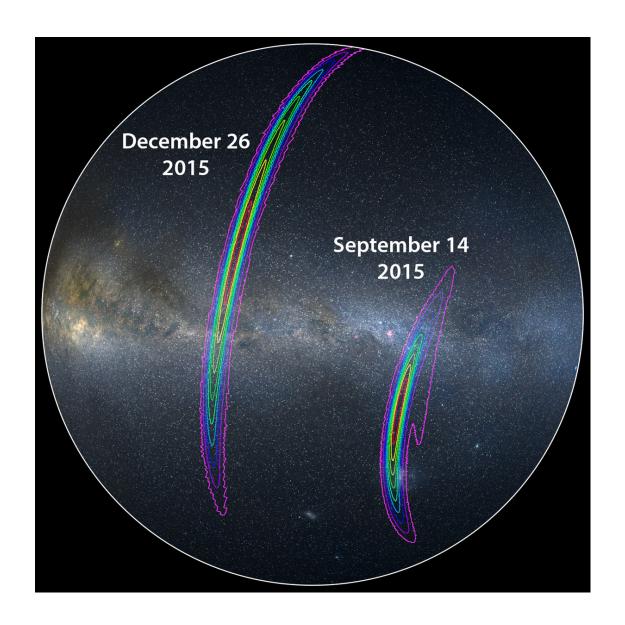


S. Bose, K. Chakravarti, L. Rezzolla, B. Sathyaprakash, K. Takami, LIGO-DCC-G1602275.

### Washington State

## GW sky localization error regions



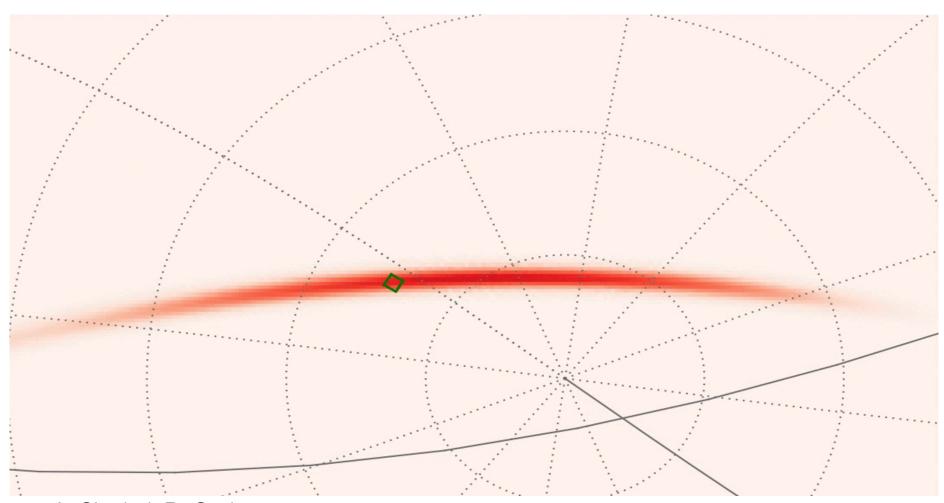


[Courtesy: Singer et al.]



# Scheduling telescope observations



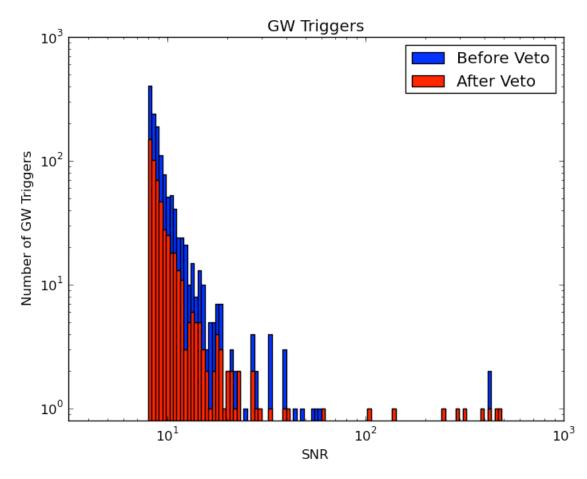




#### Non-Gaussian noise



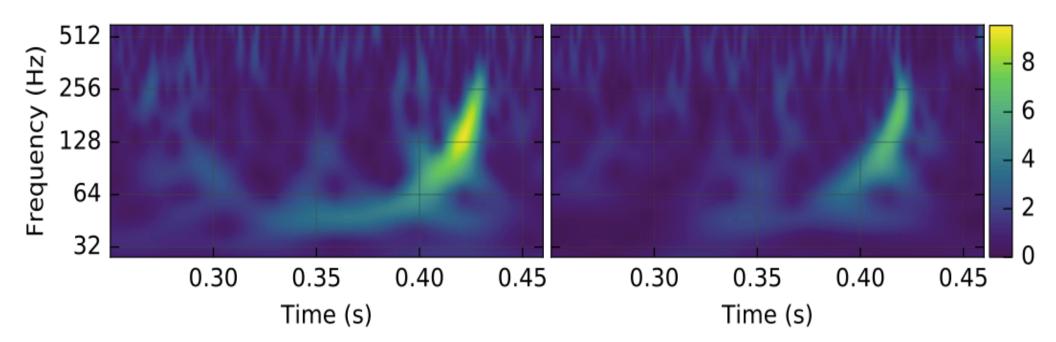
#### Example from an aLIGO Engg. Run:





### Time-frequency plots of GW150914





Hanford, Washington (H1)

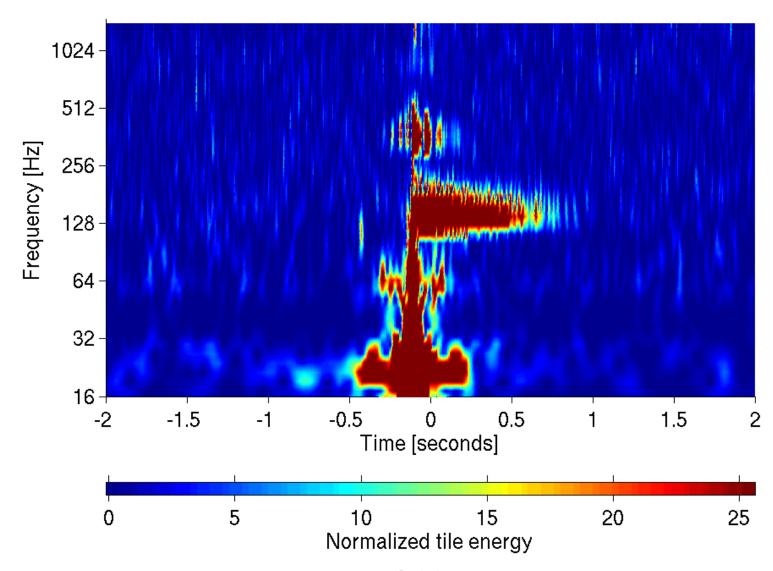
Livingston, Louisiana (L1)

Abbott et al. (LVC), Observation of Gravitational Waves from a Binary Black Hole Merger," Phys. Rev. Lett. 116, 061102 (2016).



## On the other hand ...transient noise

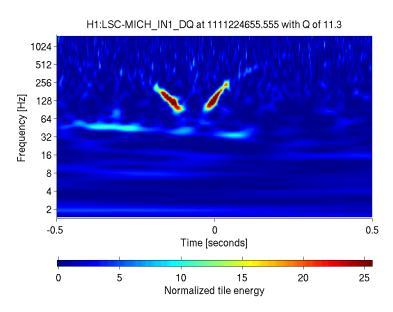


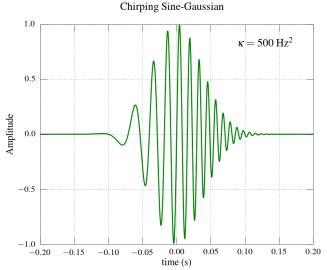




### Chirping Sine-Gaussian glitches







$$s(t) = e^{-t^2/\tau^2} \sin(2\pi f_0 t + \pi \kappa t^2),$$

where 
$$\tau = Q / (2\pi f_0)$$
,

Q = Quality factor,

 $f_0$  = Central frequency,

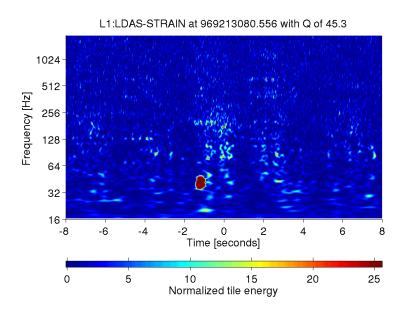
 $\kappa$  = Chirp-rate (in Hz<sup>2</sup>) of chirping sine-Gaussian.

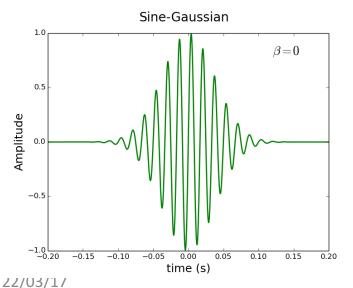
SB, Dhurandhar, Gupta, Lundgren, arXiv:1606.06096 [gr-qc].



#### Sine-Gaussian glitches







$$s(t) = e^{-t^2/\tau^2} \sin(2\pi f_0 t),$$

where 
$$\tau = Q / (2\pi f_0)$$

Q =Quality factor,  $f_0 =$ Central frequency of sine-Gaussian

SB, Dhurandhar, Gupta, Lundgren, arXiv:1606.06096 [gr-qc].

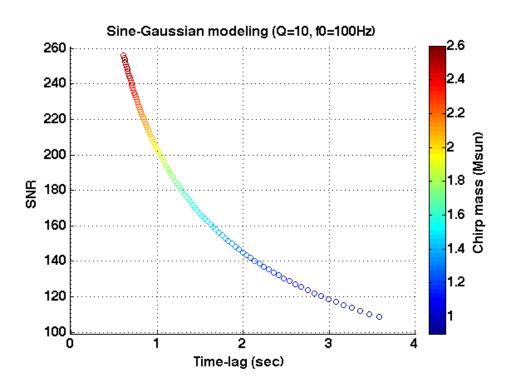


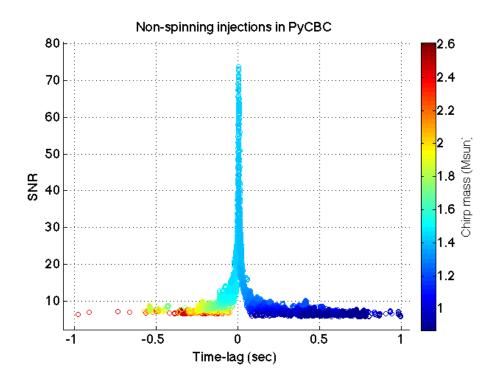
22/03/17

### Response of a CBC templatebank to a CBC signal

Bose @ ICTS







Prediction from theoretical modeling of effect of a sine-Gaussian glitch on CBC template SNRs and time-lags.

Total mass, symmetrized mass - ratio & chirp mass:

$$M = m_1 + m_2$$
,  $\eta = \frac{m_1 m_2}{M^2}$ ,  $M_c = \eta^{3/5} M$ .

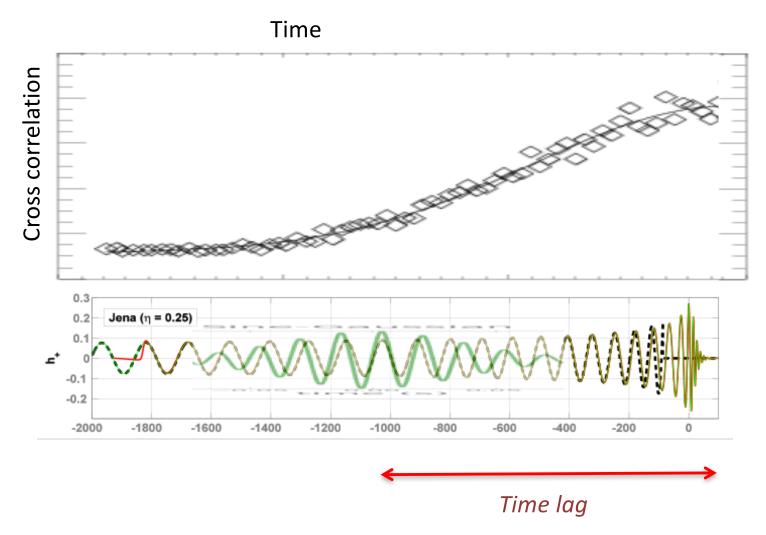
The above plot shows what a search pipeline produces *for a CBC signal*.

SB, Dhurandhar, Gupta, Lundgren, arXiv:1606.06096 [gr-qc].



### Why the time-lag?

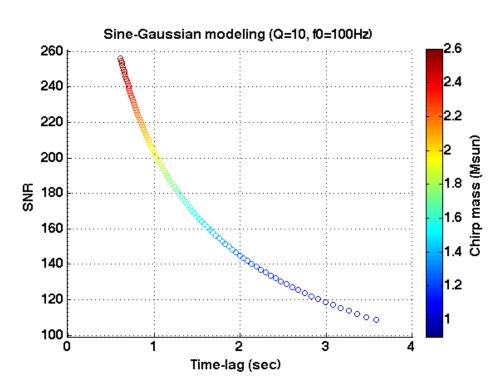


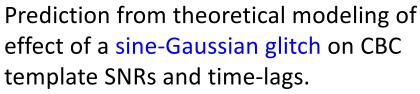


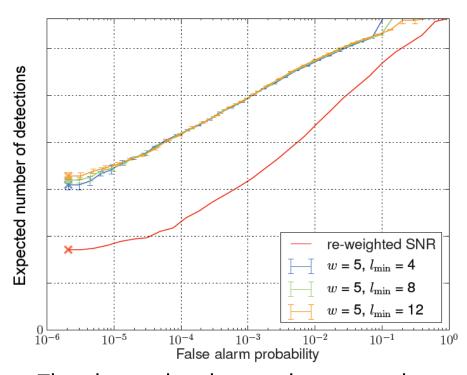


### Response of a CBC templatebank to a CBC signal







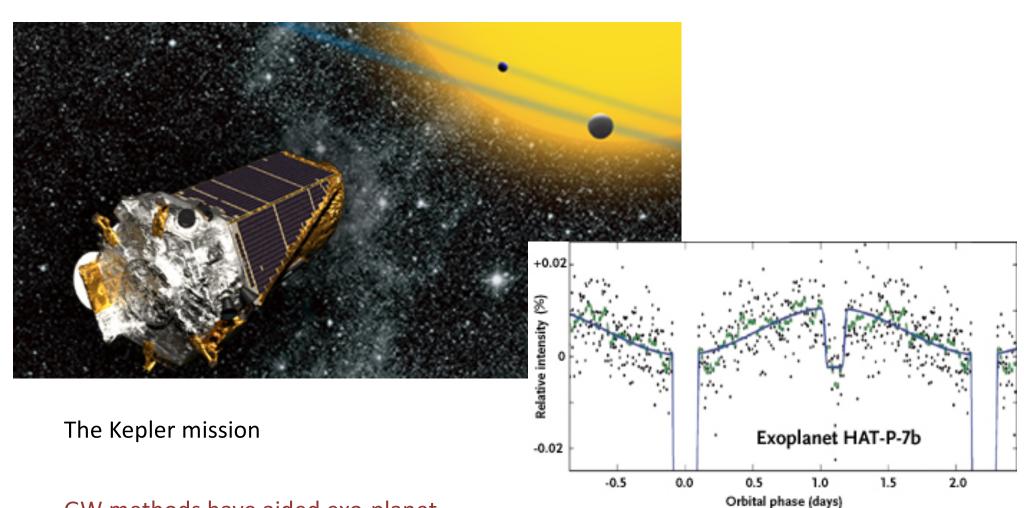


The above plot shows what a search pipeline produces *for a CBC signal*. The above difference is perhaps one clue as to why machine learning tools are now able to discriminate better glitches from signals. *[S. Kapadia, R. Dent., LIGO-G1500537.]* 



# GW applications in other areas of science?

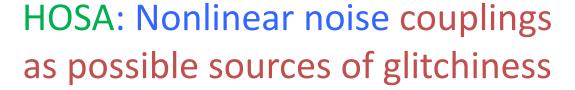




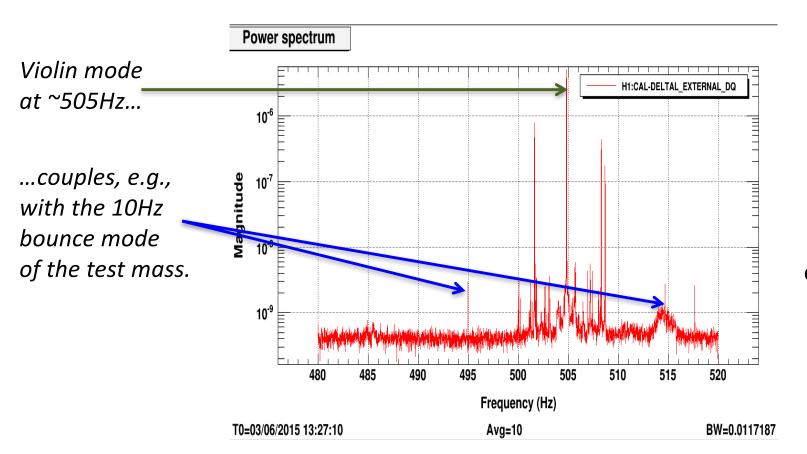
GW methods have aided exo-planet discoveries!

S. Seader et al., Astrophys.J.Sup. 206 (2013) 25.









Bounce mode  $(f_2=10Hz)$  of H1 ITMY couples with its violin mode ( $f_1$ =505Hz) to create a side-band at  $(f_3 = 495 \text{Hz}).$ 

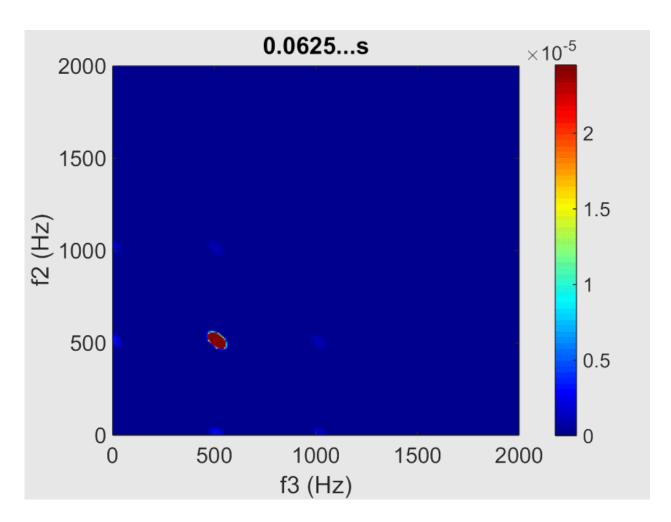
- SB, B. Hall, N. Mazumder, S. Dhurandhar, A. Gupta, A Lundgren, published [LIGO-G1500496].
- Abbott et al. (LVC), Characterization of transient noise in Advanced LIGO relevant to gravitational wave signal GW150914, arXiv:1602.03844 [gr-qc];
- 4. L. Nuttall et al., CQG 32, 245005 (2015); 22/03/17

- 3. J. Aasi et al. (LSC), CQG 32, 115012 (2015);
- 5. V. Tiwari et al. (LSC), CQG 16, 165014 (2015). Bose @ ICTS



# Transient nature of nonlinear coupling: *Bispectrum* (fixed range)





Animation made by Bernard Hall [LIGO-G1500496].



### Higher order statistics



Presence of QPC can be detected by the bispectrum:

$$B(f_{1}, f_{2}) = \frac{1}{M} \sum_{k=1}^{M} X_{k}(f_{1})Y_{k}(f_{2})Z_{k}^{*}(f_{1} + f_{2}),$$

$$= \frac{1}{M} \sum_{k=1}^{M} A_{k}^{x}(f_{1})A_{k}^{y}(f_{2})A_{k}^{z}(f_{1} + f_{2})e^{i[\phi_{k}^{x}(f_{1}) + \phi_{k}^{y}(f_{2}) - \phi_{k}^{z}(f_{1} + f_{2})]},$$

$$(4)$$

where X and Y are the Fourier transforms (FTs) of data, e.g., in two auxiliary channels that may or may not have nonlinear couplings, and Z is the FT of the GW channel. The normalized bispectrum is the bicoherence:

$$r(f_1, f_2) = \frac{B(f_1, f_2)}{\frac{1}{M} \sqrt{\sum_{i=1}^{M} |X_i(f_1)Y_i(f_2)|^2 \sum_{i=1}^{M} |Z_i(f_1 + f_2)|^2}}.$$

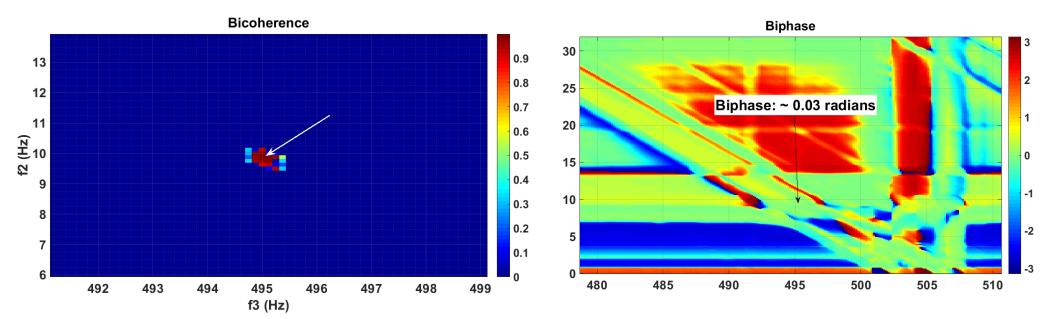
Plots show the absolute values of *B* and *r*.

- V. Chickarmane, G. Gonzalez, LIGO-G020327;
- S. Penn, LIGO-G060139.



### Some examples of nonlinear noise couplings - I





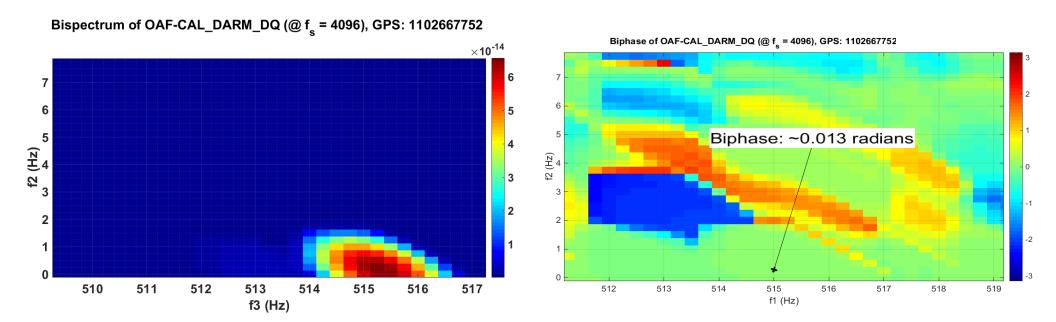
Case 1: Bounce mode ( $f_2$ =10Hz) of H1 ITMY couples with its violin mode ( $f_1$ = 505Hz) to create a side-band at ( $f_3$ =495.Hz).

[SB, B. Hall, N. Mazumder, S. Dhurandhar, A. Gupta, A. Lundgren, arxiv.org/abs/1602.02621.]



### Some examples of nonlinear noise couplings - II



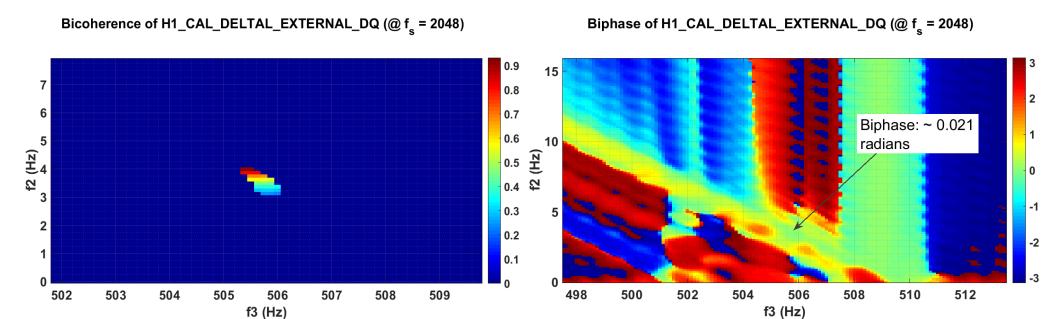


Case 2: Microseismic ( $f_2$ =0.15Hz) in L1 couples with its violin mode ( $f_1$ = 515.5Hz) to create a side-band at ( $f_3$ =515.35Hz).



### Some examples of nonlinear noise couplings - III





Case 3: A suspension mode ( $f_2$ =3.8Hz) of H1 couples with its violin mode ( $f_1$ = 509Hz) to create a side-band at ( $f_3$ =505.2Hz).



### Take home messages



- Coincident EM/particle and GW observations are the future, but face challenges.
- Speed is of essence: GW data analysis (battling non-Gaussianity, large search space); complying, fast slewing EM observatories scanning possibly large sky patches.
- Learning from machines: If the pattern of trigger times of multiple templates was found useful by a machine, then humans can use that information to target detector / observatory noise sources.
- Scope for learning from each other.