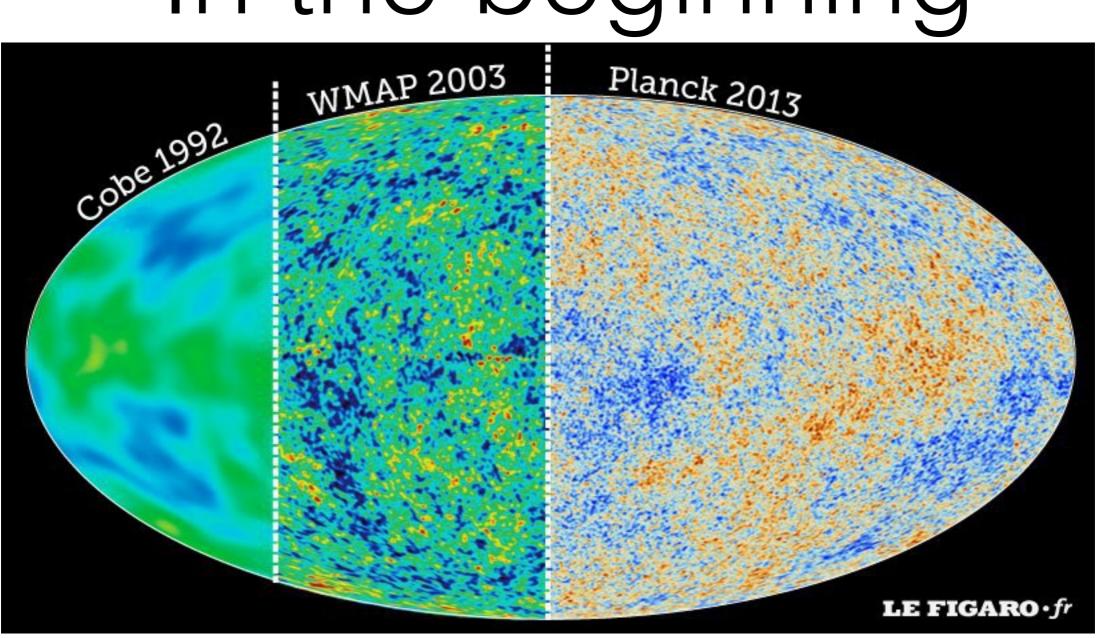
Galaxy clusters: an overview

Prateek Sharma, IISc

In the beginning

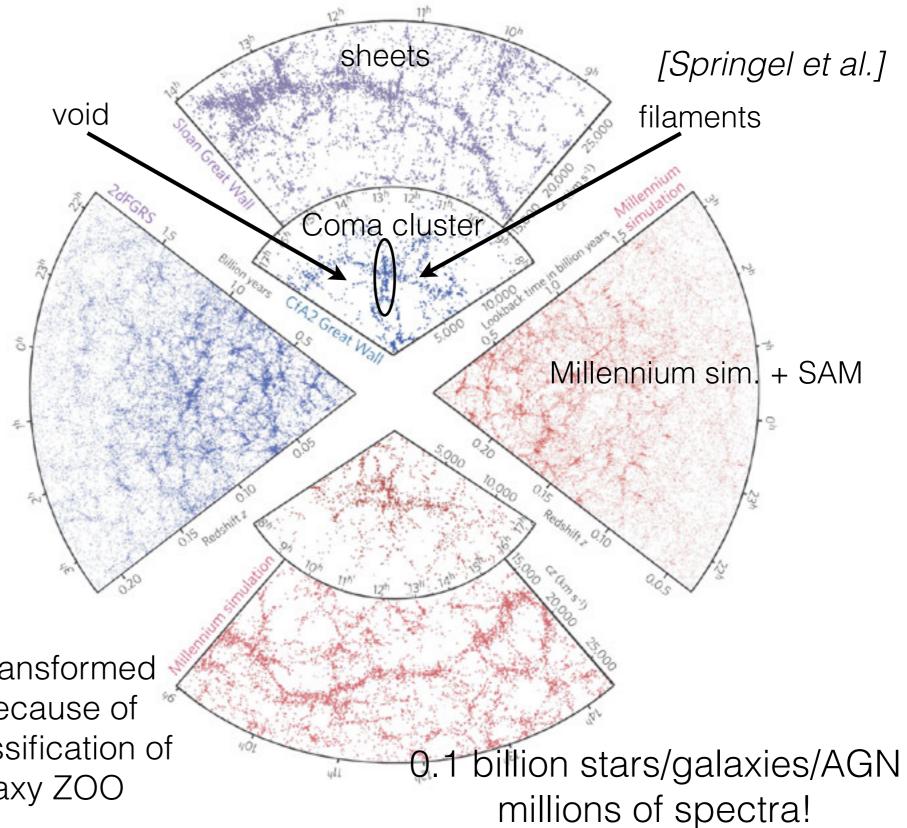


small temperature anisotropies: ~ 10⁻⁵

small density perturbations seed the gravitational instability that leads to the formation of galaxies in an expanding universe

Large scale structure

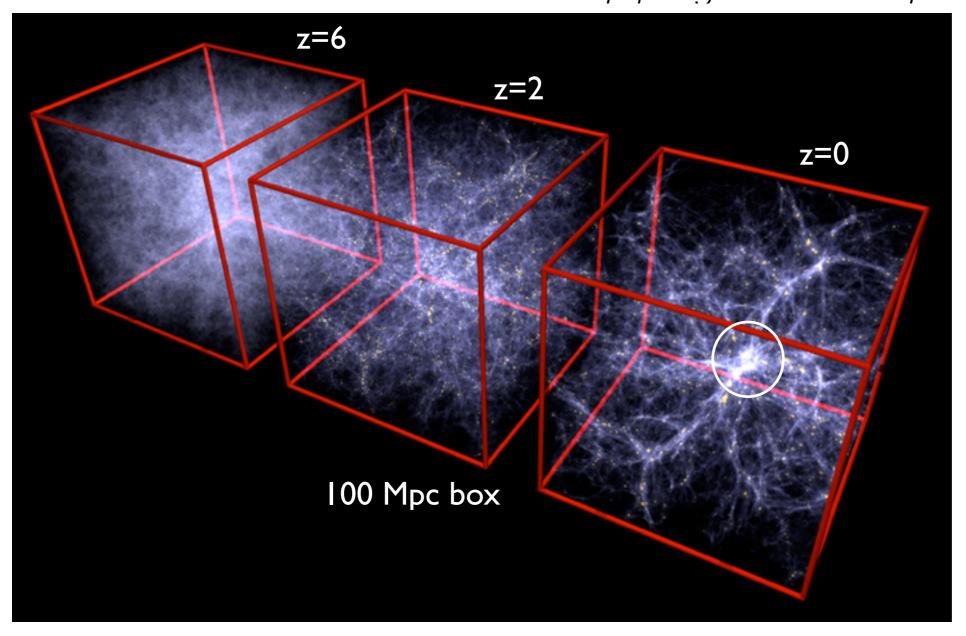
the spongy distribution of nearby galaxies



last 2 decades have transformed studies of galaxies because of automated surveys/classification of galaxies: SDSS, galaxy ZOO

Nonlinear evolution

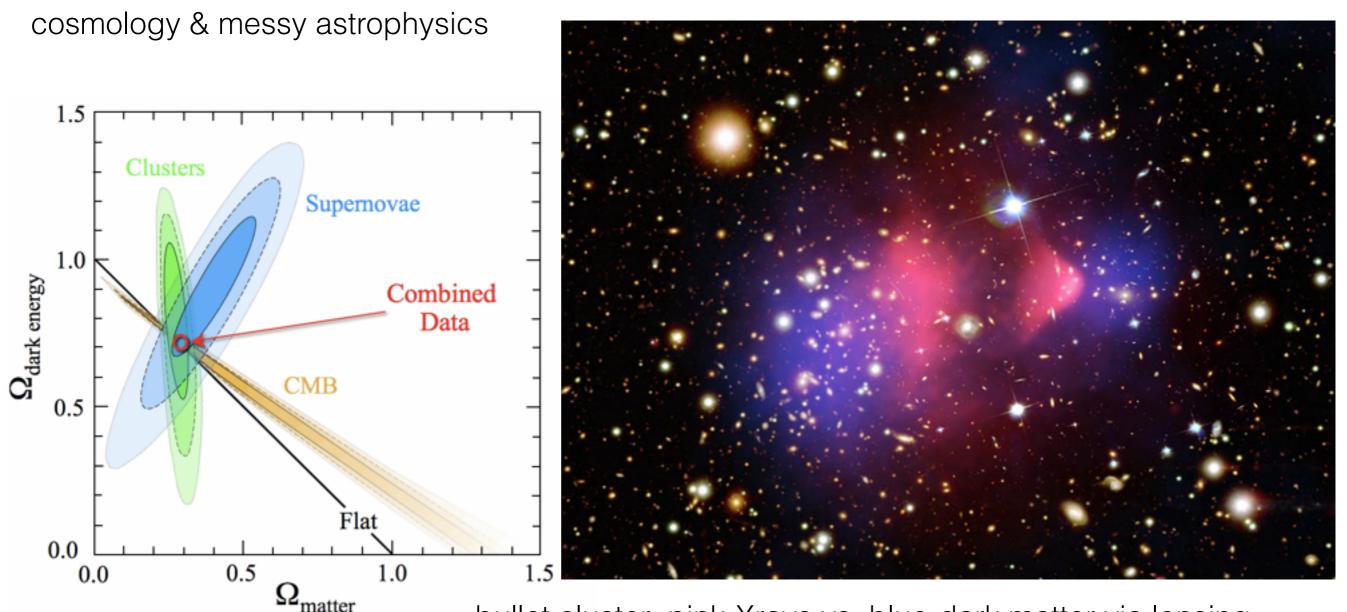
[Springel et al. 2005]



only limited progress with linear analysis

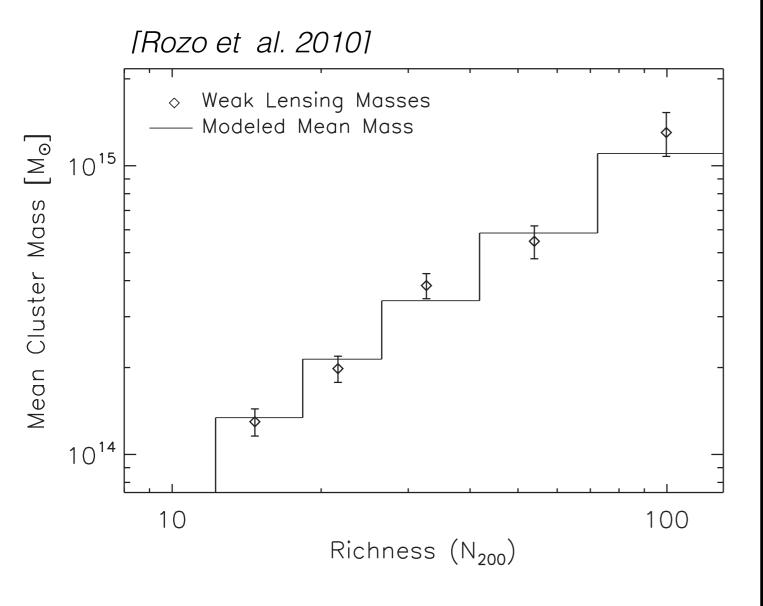
need nonlinear sims.
to study structure
formations

GCs: Crossroads of Cosmology & Astrophysics



bullet cluster: pink-Xrays vs. blue-dark matter via lensing DM is non-interacting so pass through but gas is dissipative & shocks rules out MOND

Optic<u>al</u>

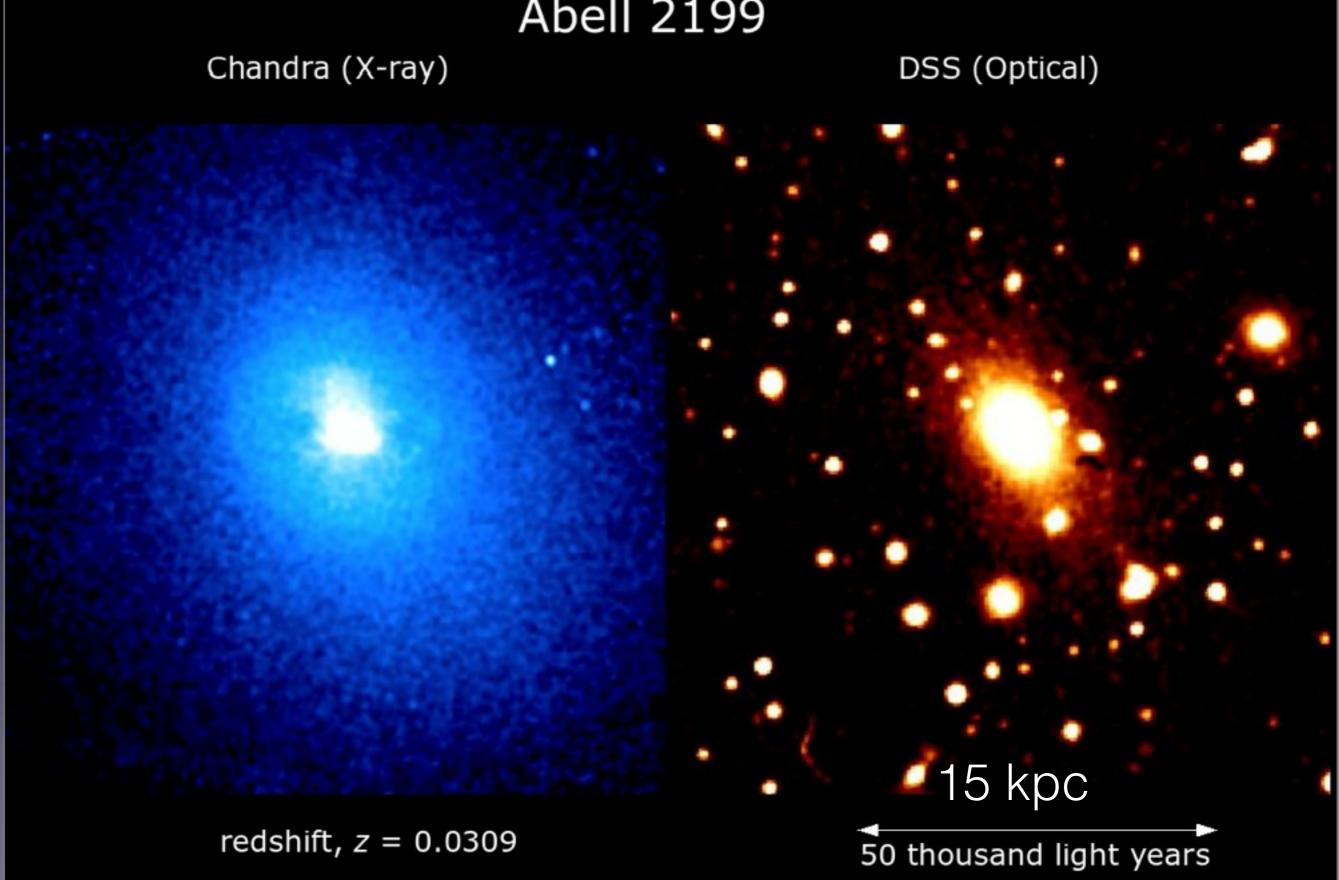




gravitational lensing of background galaxies helps to measure cluster masses

X-ray





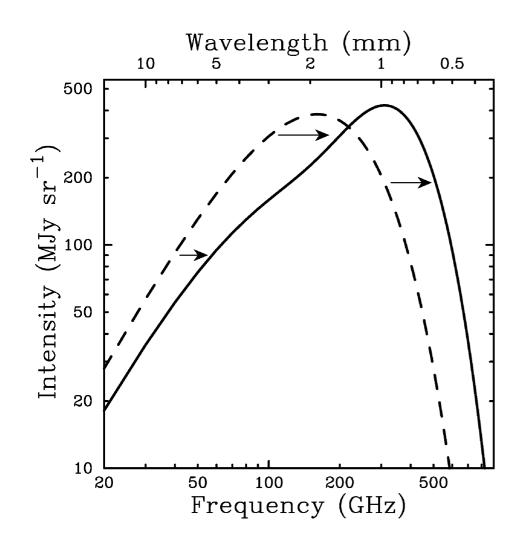
SZ effect

hot cluster plasma upscatters the CMB (mm)

[Abell 2319 by Planck]

353 GHz

217 GHz

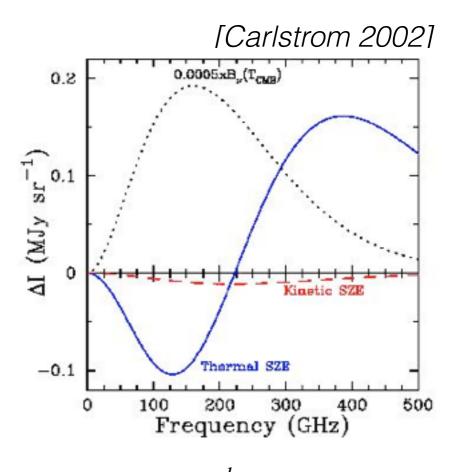


44 GHz

70 GHz

100 GHz

143 GHz



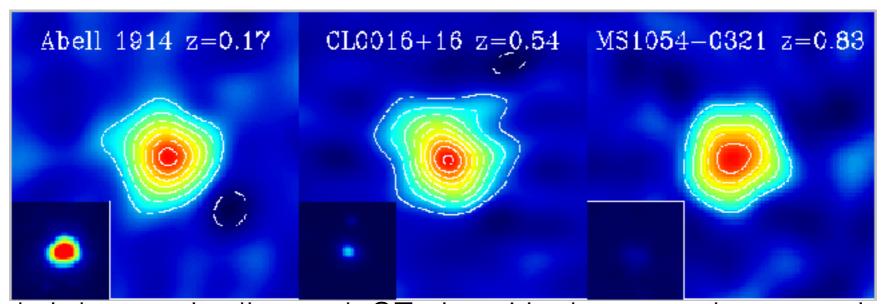
$$x \equiv \frac{hv}{k_B T_{CMB}}$$

$$\Delta I_{SZE} = g(x)I_0 y$$

$$g(x) = \frac{x^4 e^x}{(e^x - 1)^2} \left(x \frac{e^x + 1}{e^x - 1} - 4 \right)$$

$$y = \int n_e \frac{k_B T}{m_e c^2} \sigma_T dl$$

SZ clusters



while X-ray brightness is dimmed, SZ signal is the same because its based on scattering/absorption (same principle as quasar absorption line studies)

can obtain a huge sample of GCs at higher redshifts! => great for precision cosmology

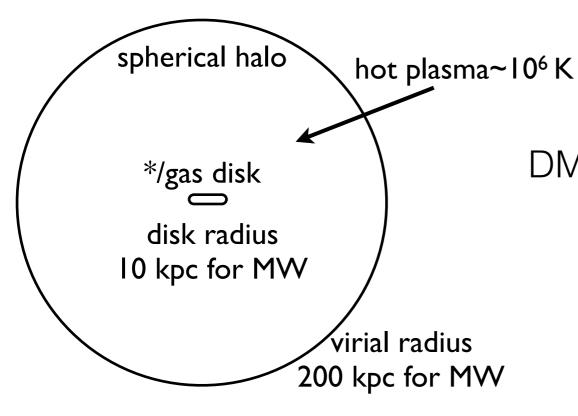
global Y parameter:
$$Y=\int n_e \frac{k_B T}{m_e c^2} \sigma_T dV = \int y dA \propto \int p dV \propto pV \propto M^{5/3}$$

but need to understand systematics in observable (Y_{SZ})-halo mass relation

ground based mm telescopes: ACT, SPT; space based Planck

Dark matter gravity

gas cools and condenses into central galaxy leaving behind hot gas with long cooling time

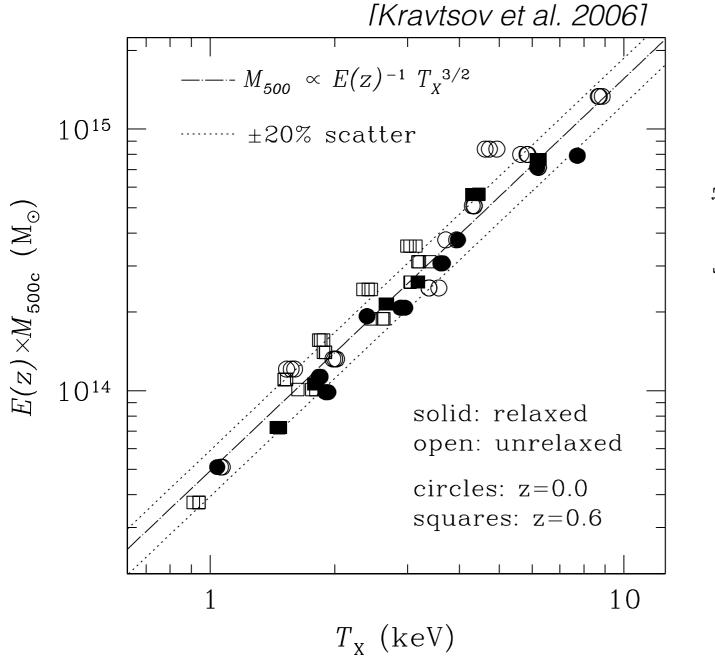


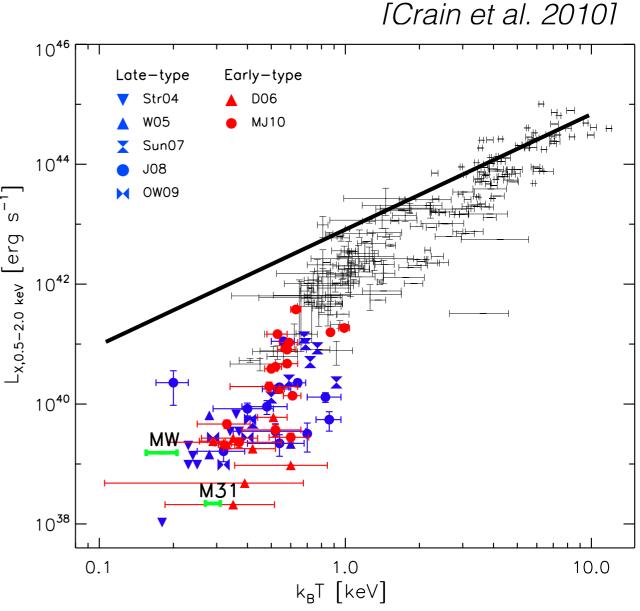
DM halo & hot gas extends much farther out compared to the visible disk

How does the distribution of baryons depend on the halo mass? fraction of mass in stars, hot gas, cold gas, ...

structure of hot gas, disk as a function of halo mass

Mass proxies





self-similarity breaks down at small T. How do we explain this?

Baryons in gps./clusters

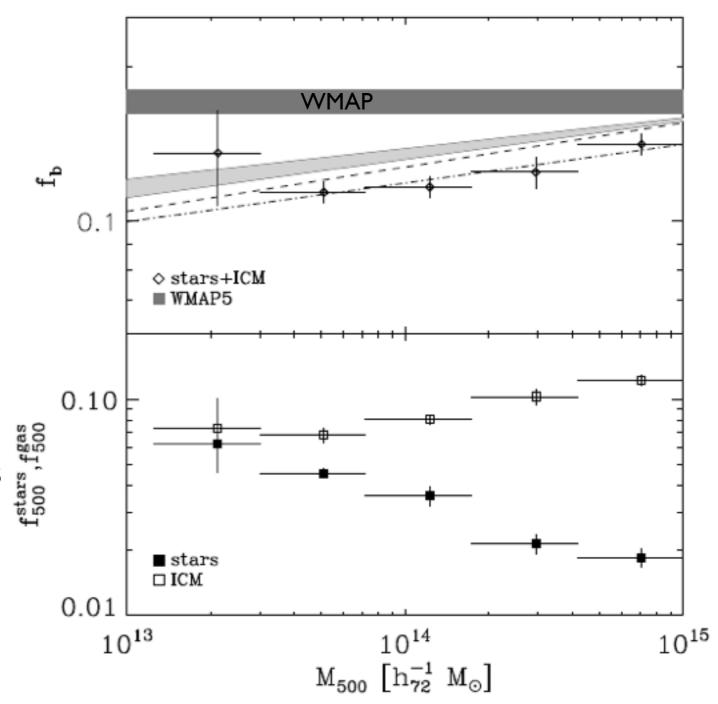
[Giodini et al. 2009]

most mass in clusters: DM

f_b~ 0.17 in baryons

most baryons in hot gas (ICM)

clusters are roughly closed boxes because of a deep potential well



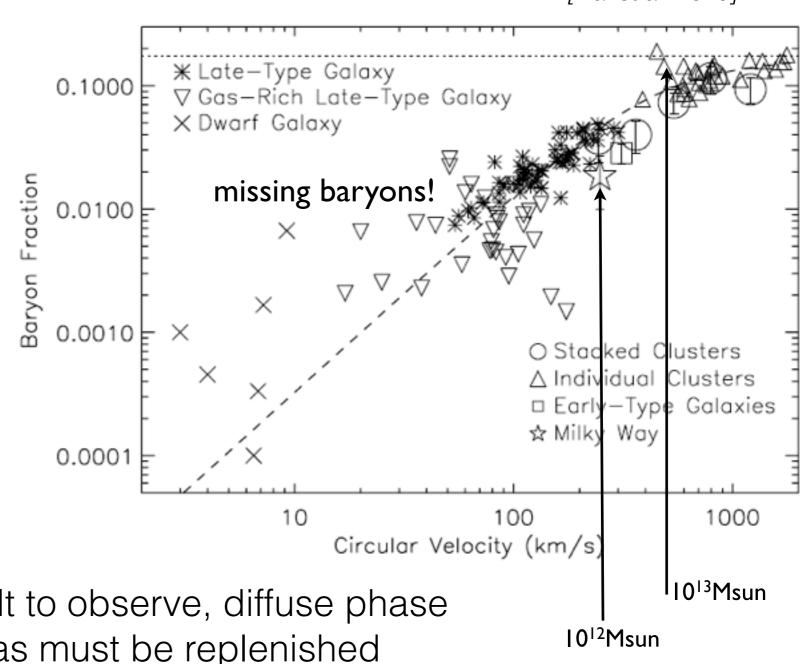
Smaller halos?

[Dai et al. 2010]

baryon fraction: a fn. of halo mass irresp. of SF/AGN activity in central galaxy

halos become baryon poor below ~10¹³ Msun

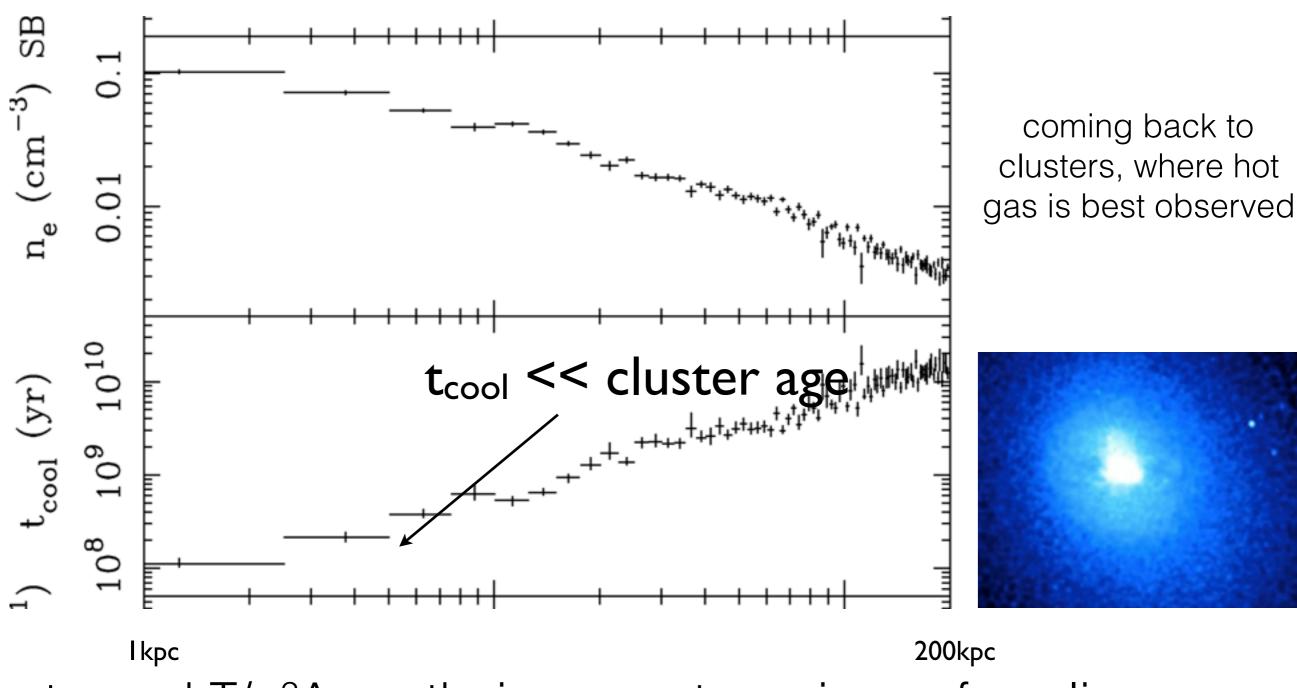
majority of baryons missing!



most gas is in the hot, difficult to observe, diffuse phase cold molecular/atomic gas must be replenished

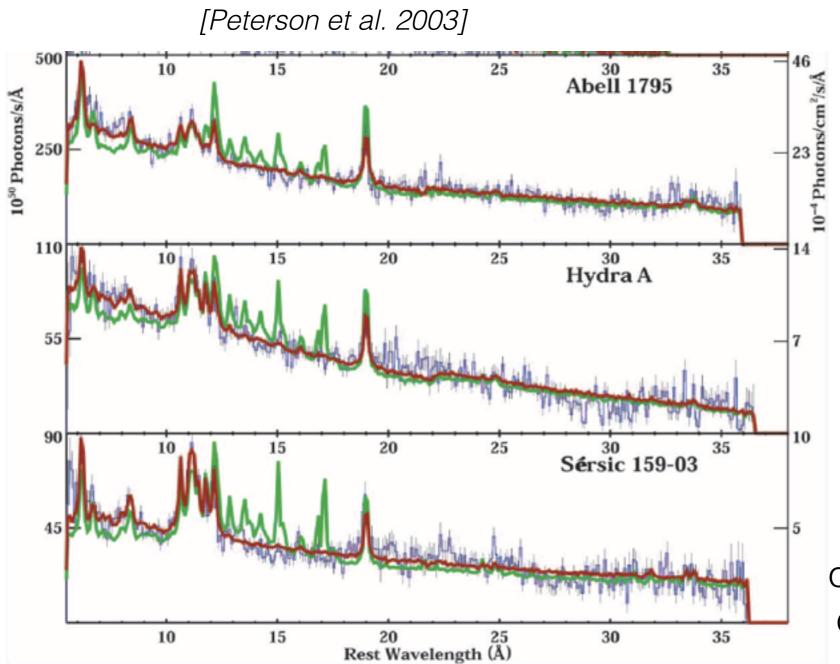
Cooling flow problem

[Johnstone et al. 2002]



 t_{cool} ~nkT/n² Λ << their age yet no signs of cooling

Cooling absent!



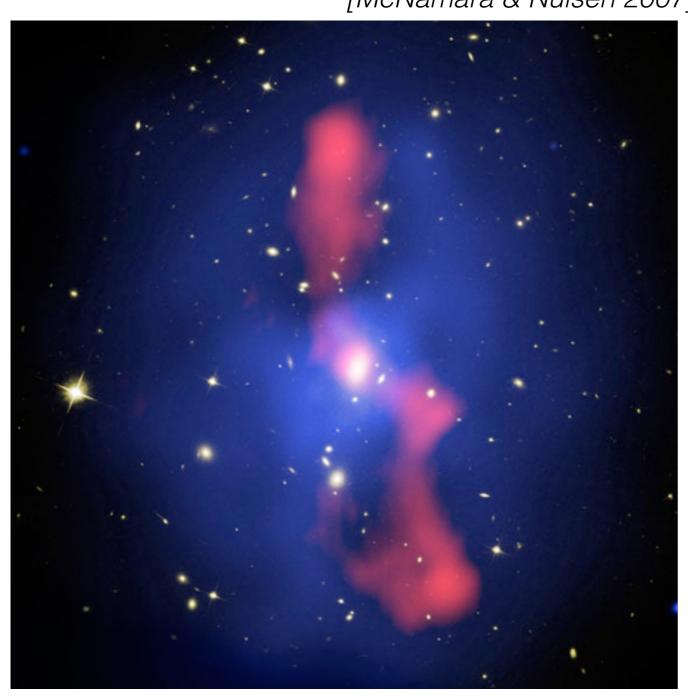
$$L_X pprox rac{Nk_BT}{t_{
m cool}}$$
 $\dot{M} pprox rac{\mu m_p N}{t_{
m cool}}$ $L_X = rac{5}{2} rac{\dot{M}k_BT}{\mu m_p}$

observed Mdot is ~ 10 or smaller than above

soft X-ray lines missing!

AGN Heating?

[McNamara & Nulsen 2007]



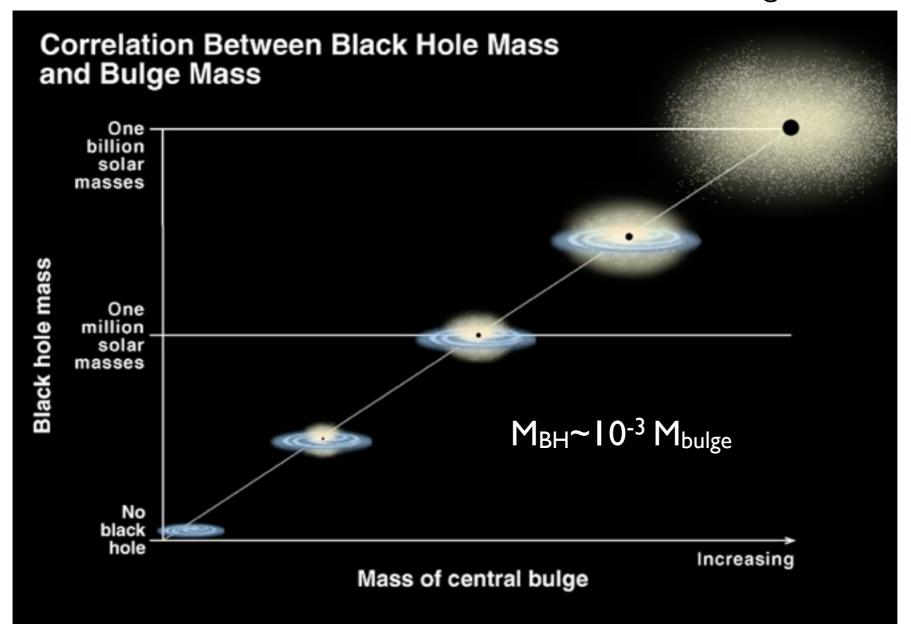
cooling ICM can power AGN negative feedback loop prevents catastrophic cooling

jet/cavity power ~ X-ray luminosity & lack of cooling

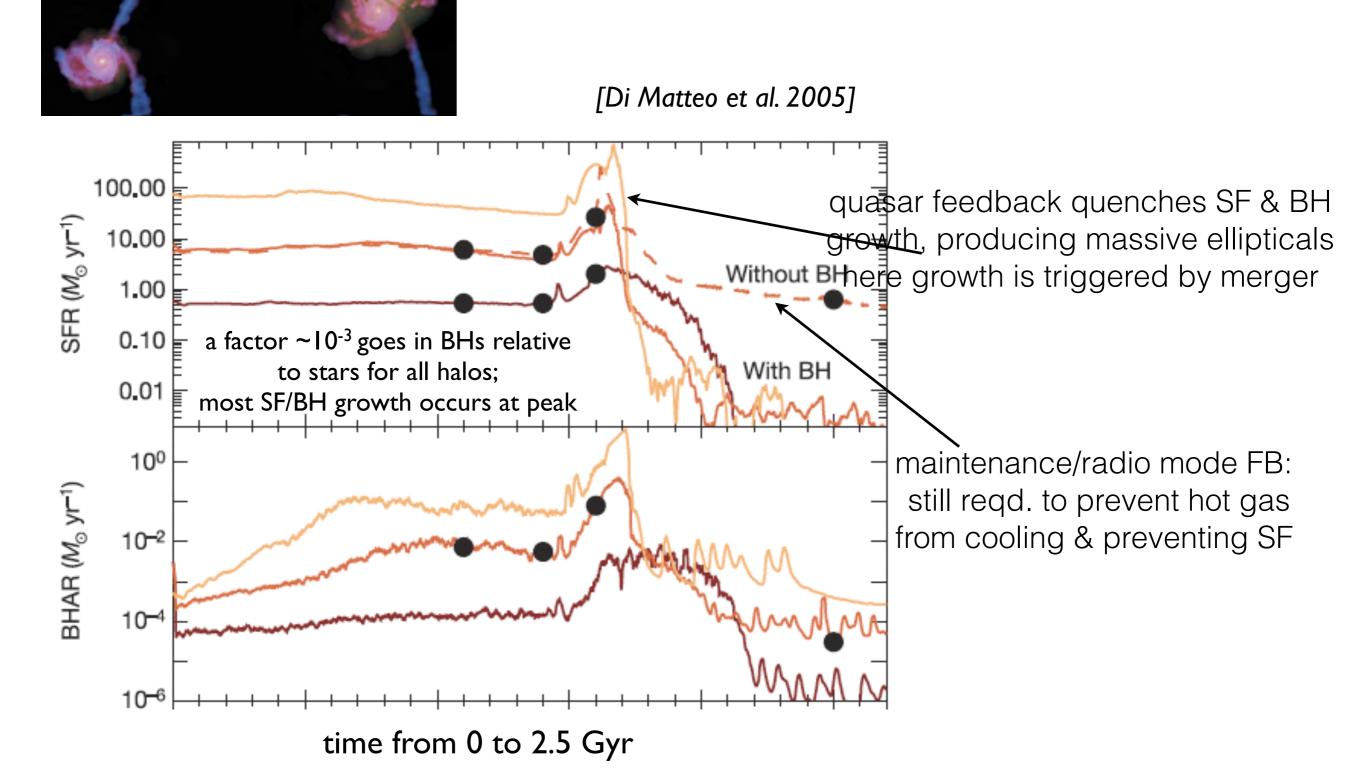
=> rough thermal balance

BH-bulge correlations

bulge >> BH sphere of influence & yet is correlated w.
BH => BH affects star-formation in bulge

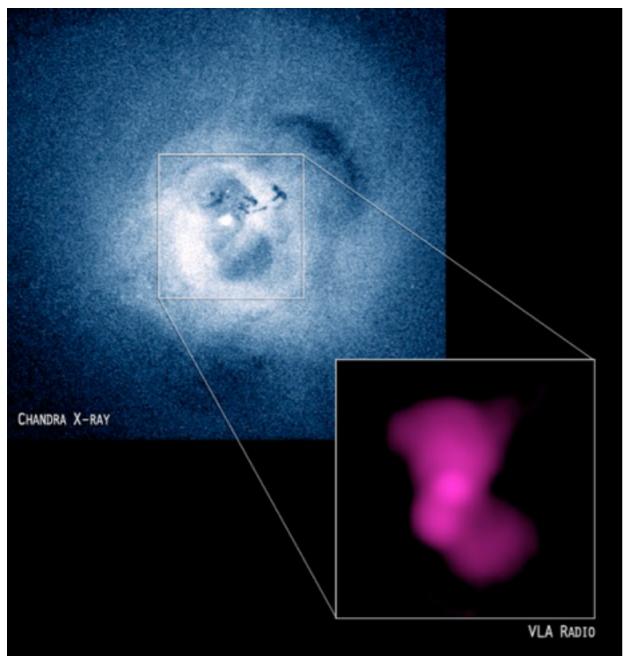


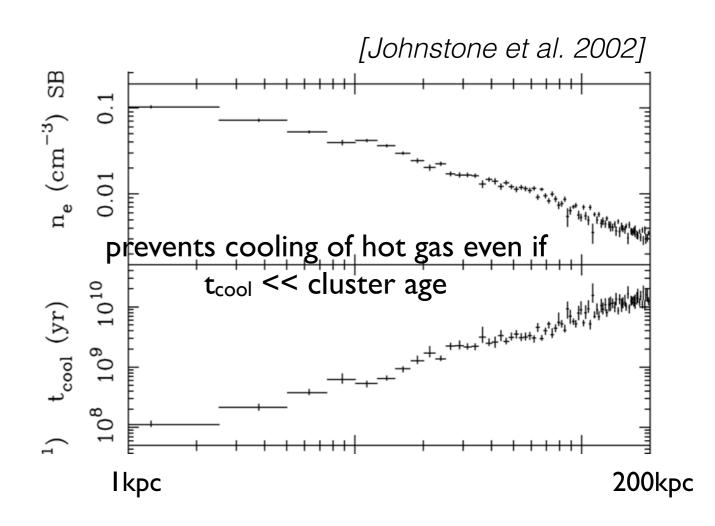
BHs affects galaxy formation at large scales!



Kinetic FB

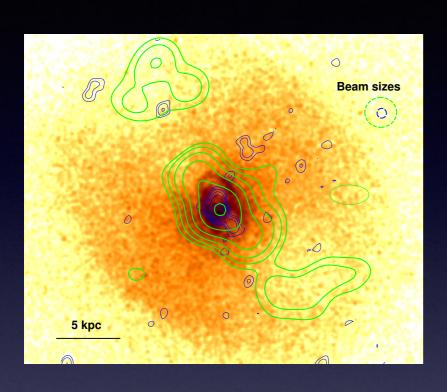
best observed in galaxy clusters, home to biggest BHs and galaxies

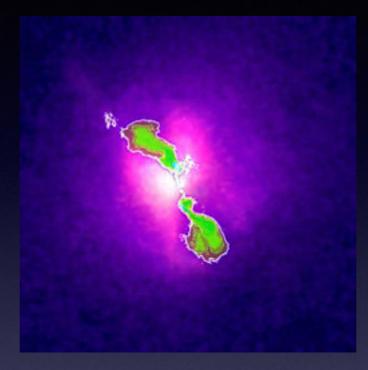


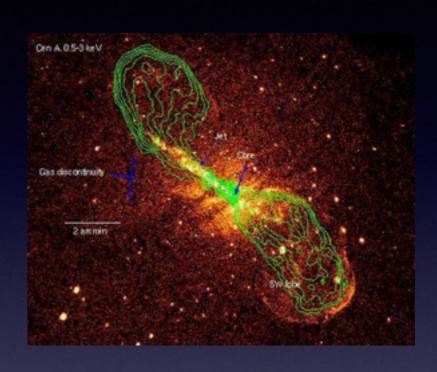


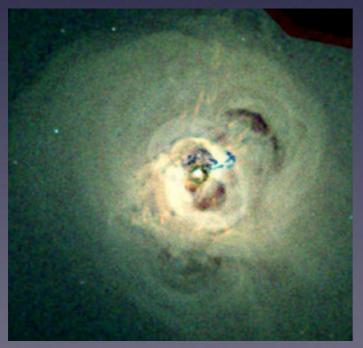
jet/cavity power ~ core-luminosity => cooling losses balanced by AGN heating & thermal eqbn.

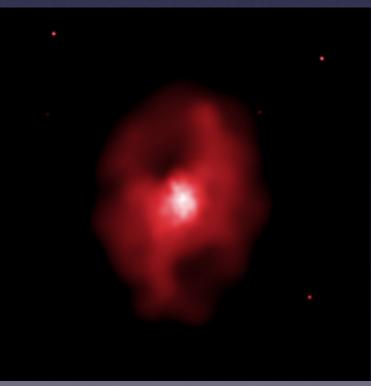
Rogues' gallery











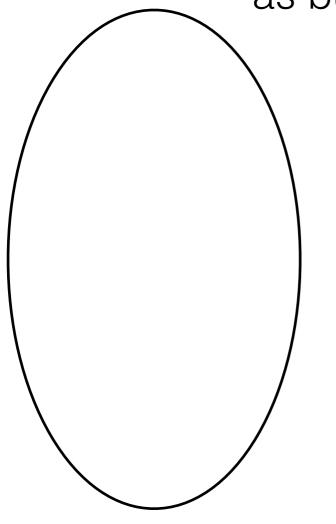


roughly 10s of kpc

Jet Power

[Churazov et al. 2002] as bubble/cavity expands it does PdV work on the ICM

a fraction of it converts to irreversible heating



$$E_0 = \gamma/(\gamma - 1)PV$$

 $E_0 = \gamma/(\gamma - 1)PV$ initial bubble energy energy stored+pdV work

$$\Delta E = -\int V \rho \frac{\mathrm{d}\phi}{\mathrm{d}r} \,\mathrm{d}r = E_0 - \frac{\gamma}{\gamma - 1} PV$$

$$= E_0 \left[1 - \left(\frac{P}{P_0} \right)^{1 - 1/\gamma} \right]$$

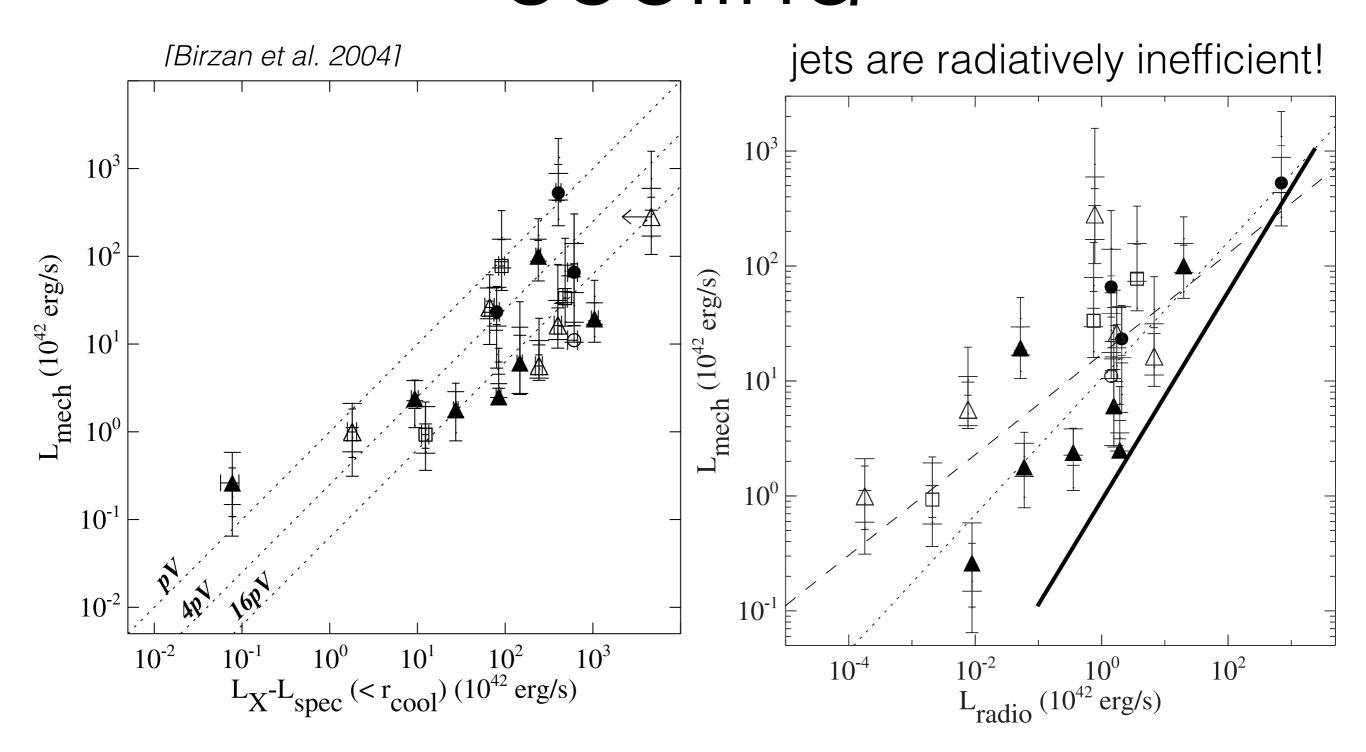
 $=E_0\left[1-\left(\frac{P}{P_0}\right)^{1-1/\gamma}\right]$, energy dissipated=work done by buoyancy force

$$\Delta W = \frac{\gamma}{\gamma - 1} (p_0 V_0 - p_1 V_1) = H_0 - H_1$$

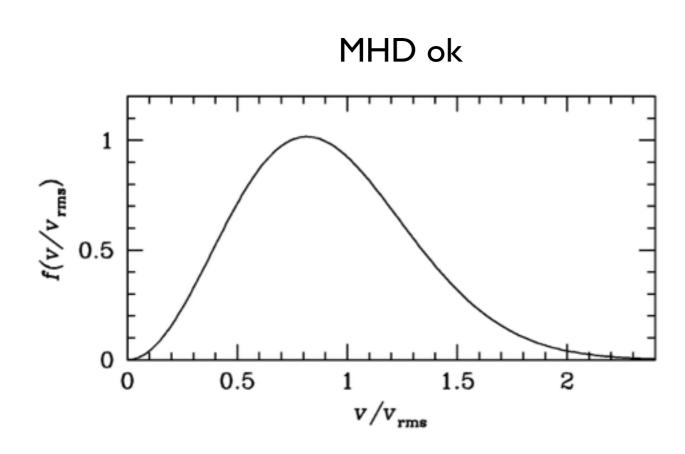
$$P = \Delta W / \tau$$

timescale given by rise time~dynamical time~sound-crossing time

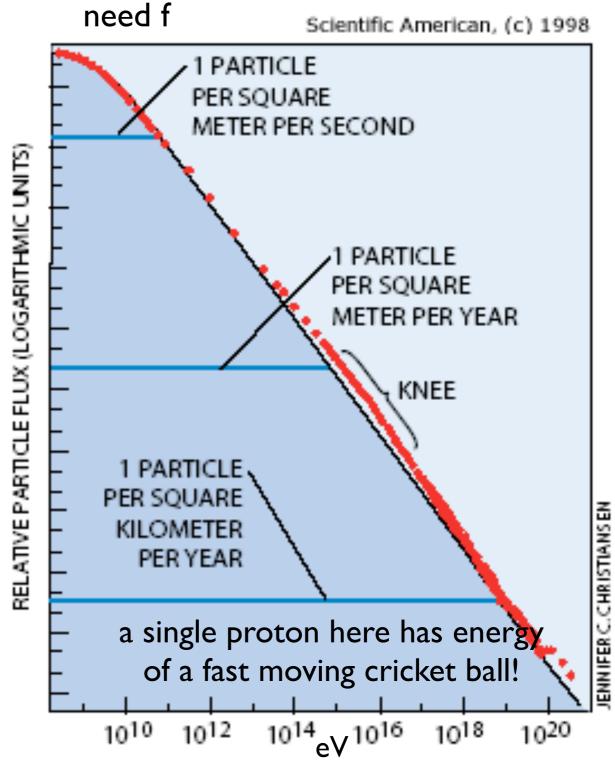
Cavity power vs. core cooling



Thermal vs. Nonthermal



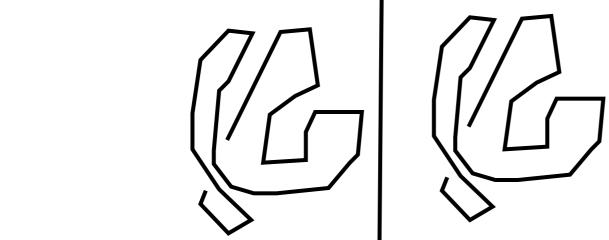
plasma physics consequences for both thermal and nonthermal phenomena in astrophysics



Relativistic Particles?

- Acceleration at shocks 1st order Fermi
- Magnetic reconnection
- random magnetic clouds (e.g., MHD turbulence) - 2nd order Fermi

Fermi (Diffusive-Shock) Acceleration



electrons scattered both upstream and downstream of shock

downstream/postshock

upstream/preshock



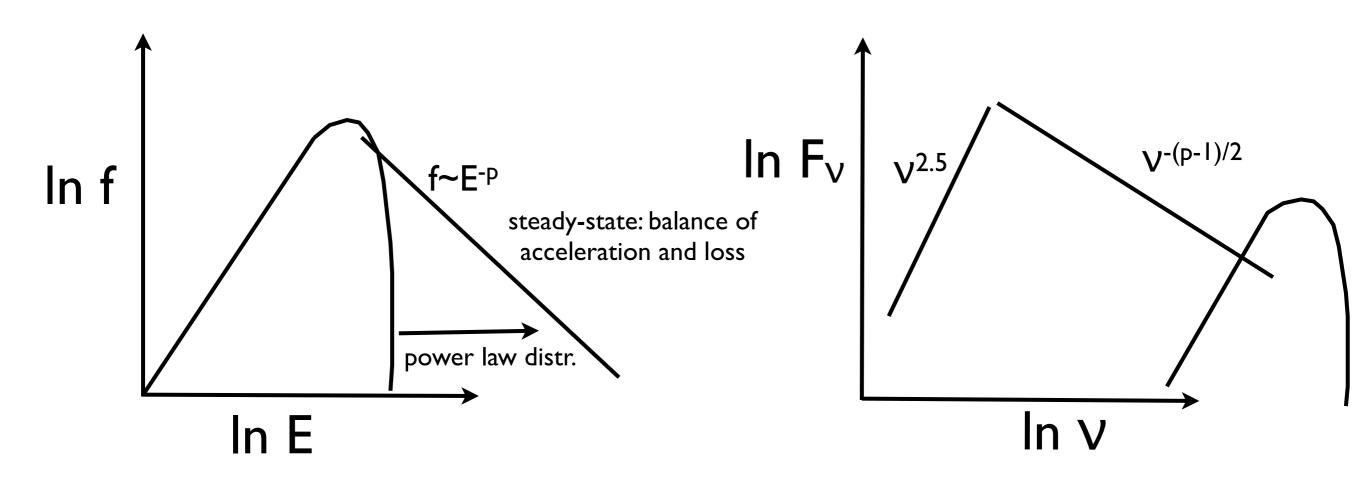


particle gains (loses) 2mvu_u (2mvu_d) in each scattering total energy gained after N scatterings: (1+2[u_u-u_d]/v)^N particle loss from down-stream => SS power-law spectrum

f~E-α; where α just depends on Mach #!

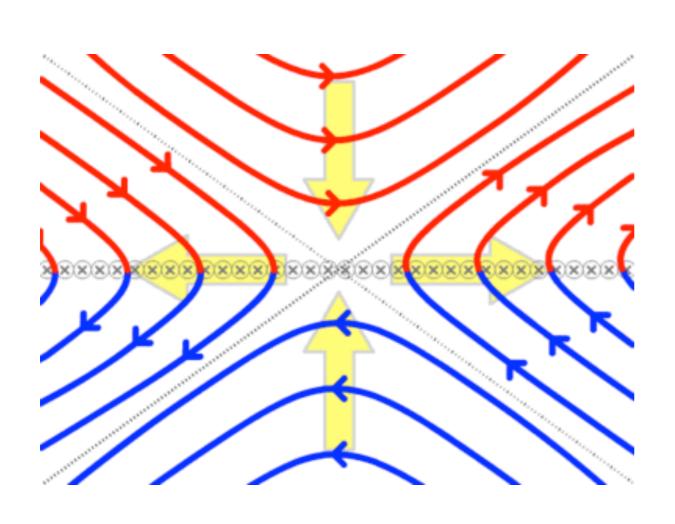
Fermi Accn.

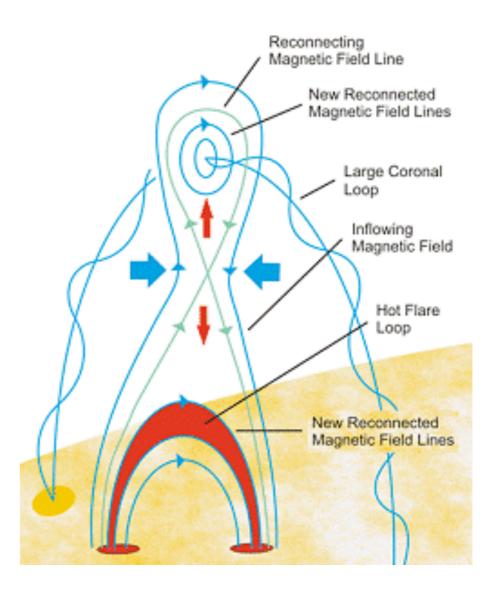
high energy relativistic e-s give synchrotron/Compton radiation



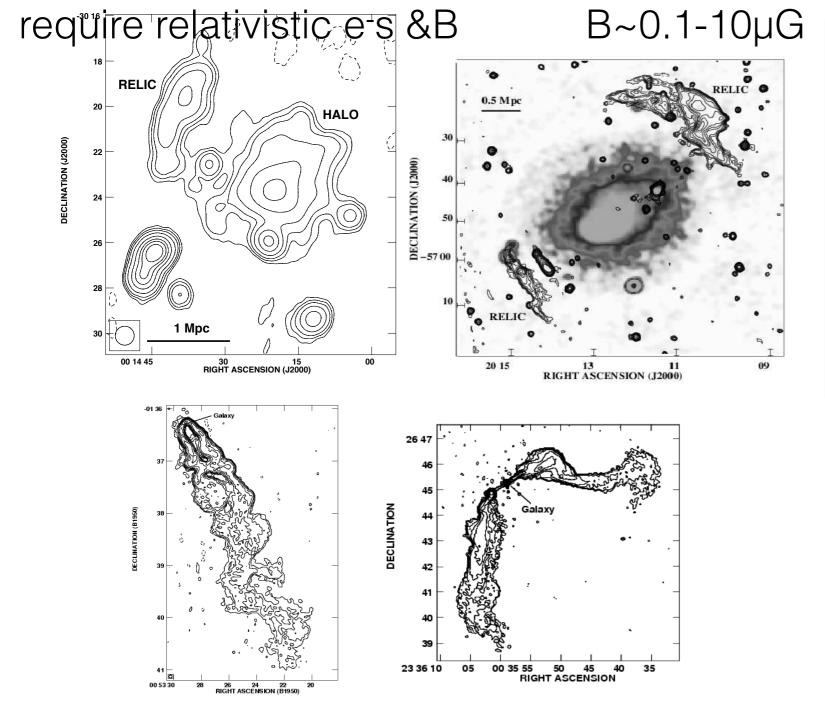
Magnetic Reconnection

magnetic energy explosively converted into relativistic & thermal plasma energy

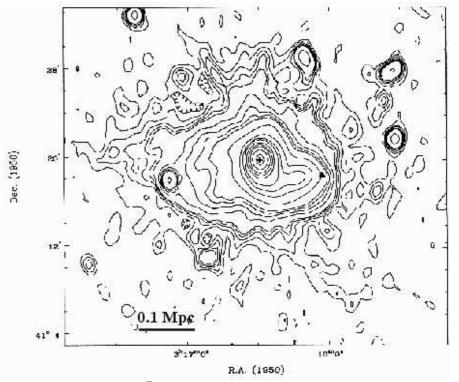




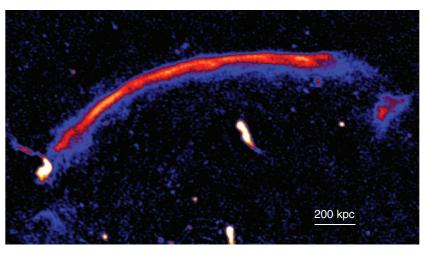
Radio Relics, Halos, sync. emission Minihalos. Jets/



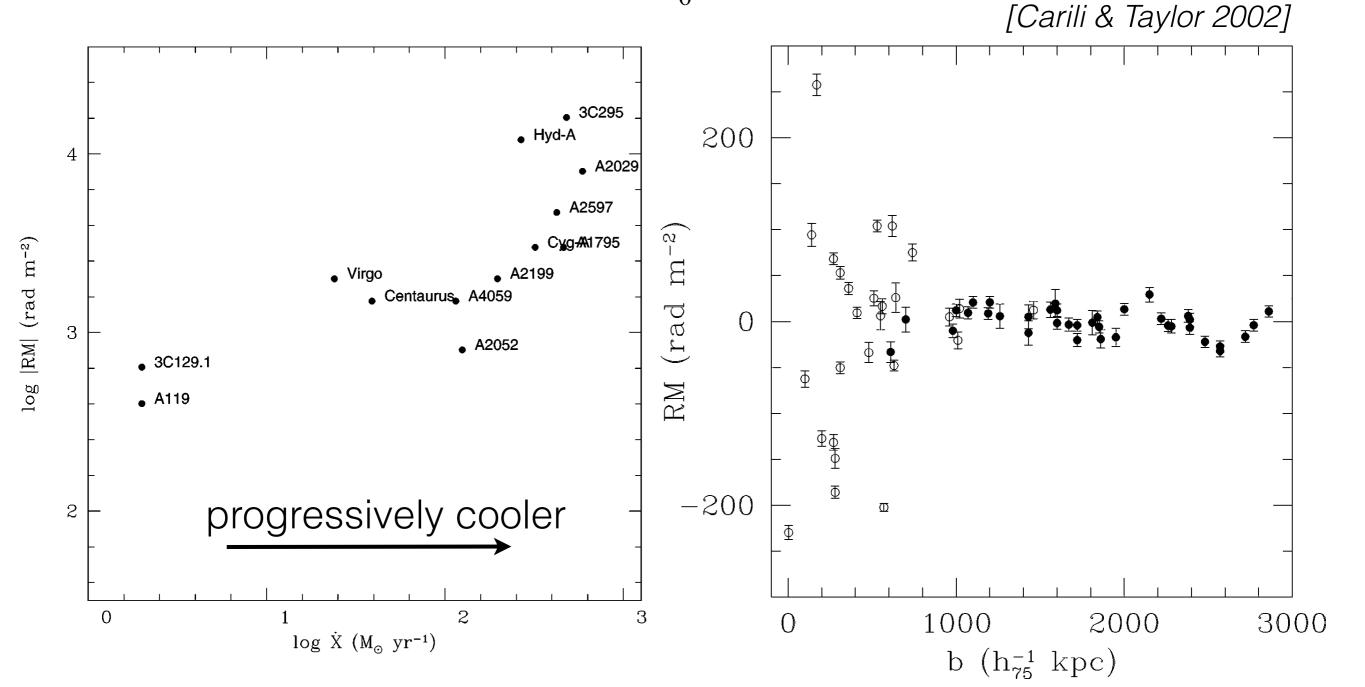
[Feretti & Giovannini 2008]



[van Weeren et al. 2010]



$$B_{L,R} = \left(1 - \frac{\omega_p^2}{\omega^2 \pm \omega \Omega_e}\right)^{1/2} RM = 812 \int_0^L n_e \mathbf{B} \cdot d\mathbf{I} \operatorname{radians} m^{-2}, \quad \Delta \chi = RM \lambda^2$$



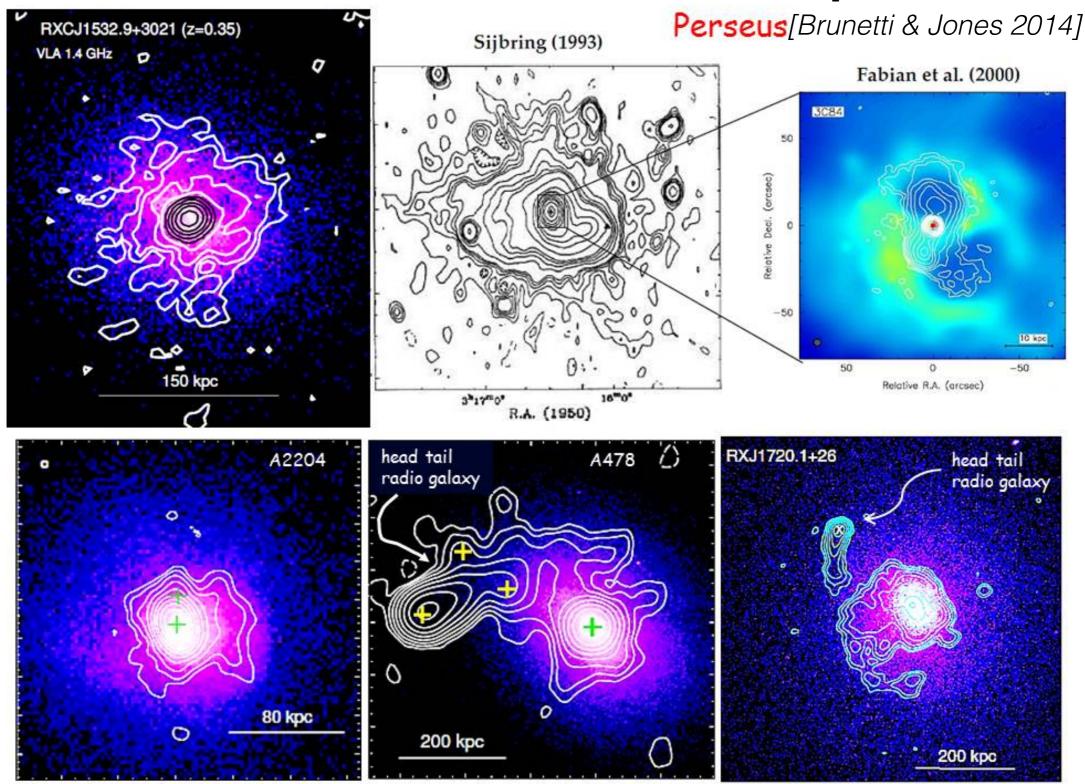
Radio halos

steep spectrum radio sources associated with strong cool-cores

$$S_{\nu} \propto \nu^{-1}$$
 or steeper $L_{\nu} \propto \nu^{(1-p)/2} B^{(1+p)/2} \implies p \ge 3 \text{ for } dn/d\gamma \propto \gamma^{-p}$ $\Omega_c = eB/m_e c \approx 170 (B/10 \mu \text{G}) \text{ s}^{-1}$ $B_{\text{CMB}} \approx 3(1+z)^2 \mu \text{G}$ $\nu = \gamma^2 \nu_0 \propto \gamma^2 B$ $S_{\text{CMB}} \approx 3 \times 10^3 (B/10 \mu \text{G})^{-1/2} (\nu/1.4 \text{ GHz})^{1/2}$ $S_{\text{Sync}} \approx 0.1 \text{ Gyr} (B/10 \mu \text{G})^{-3/2} (\nu/1.4 \text{ GHz})^{-1/2}$ $S_{\text{CMB}} \approx 0.1 \text{ Gyr} (r/100 \text{ kpc})^2 (D/3 \times 10^{31} \text{ cm}^2 \text{s}^{-1})^{-1}$

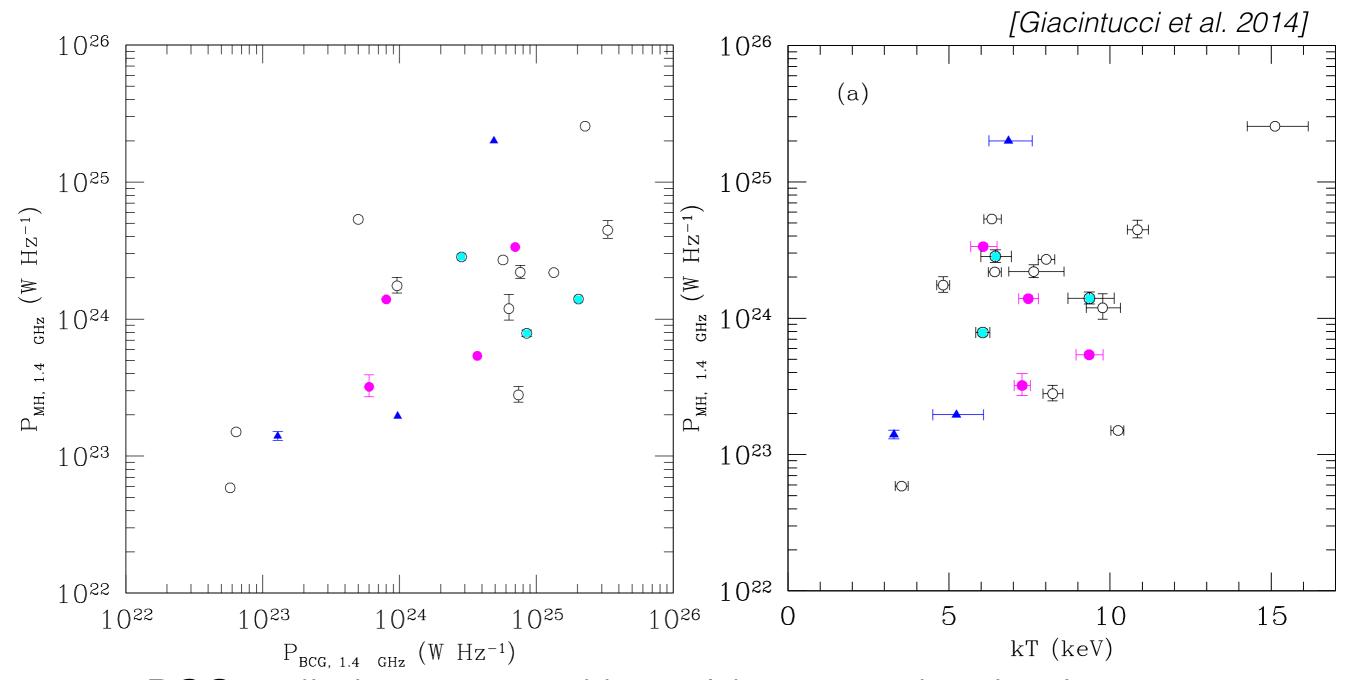
- 100 kpc low SB diffuse radio emission associated with massive CC cluster ~Mpc scale giant radio halos
- AGN/sloshing driven turbulence reaccelerated e-s? secondaries from pp? a large D required for CR transport => in-situ acceleration

Minihalo examples



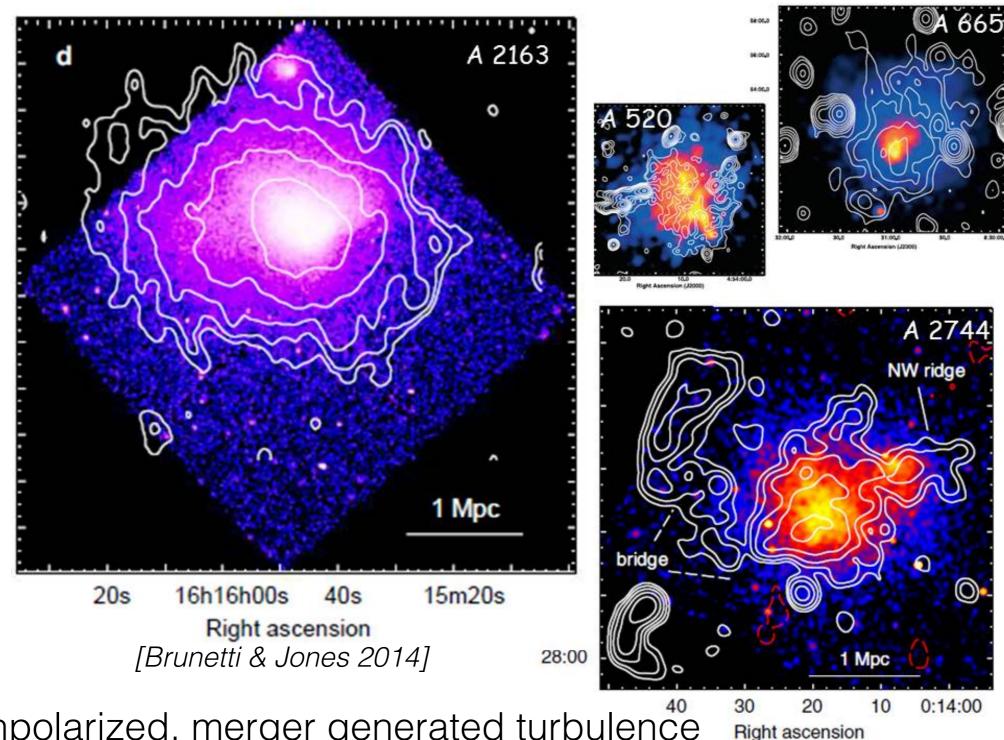
confined within cold fronts (contact discontinuities) observed in X-rays associated with cool cores

MH & BCG radio correlated



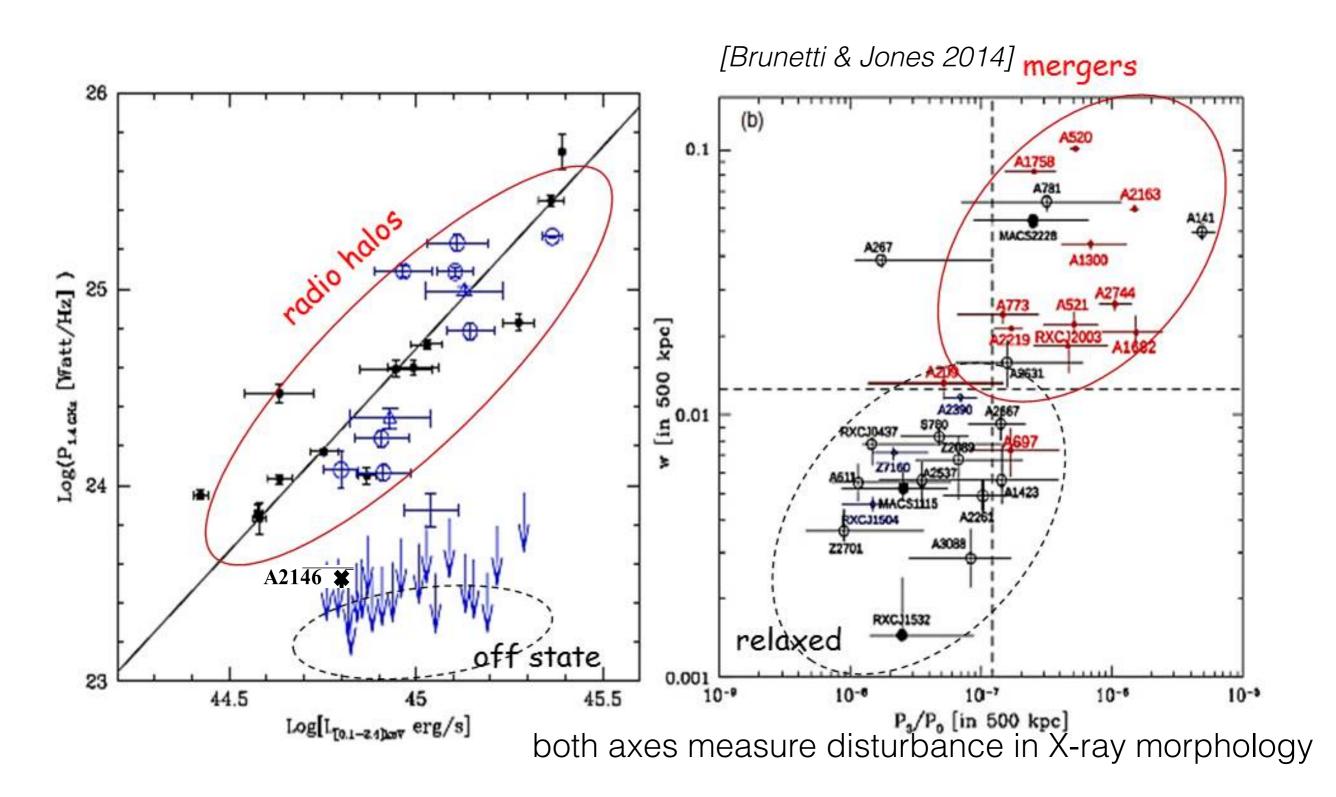
BCG radio jets powered by cold gas condensing in cores do MHs also have something to do with BCG jets?

Giant radio halos



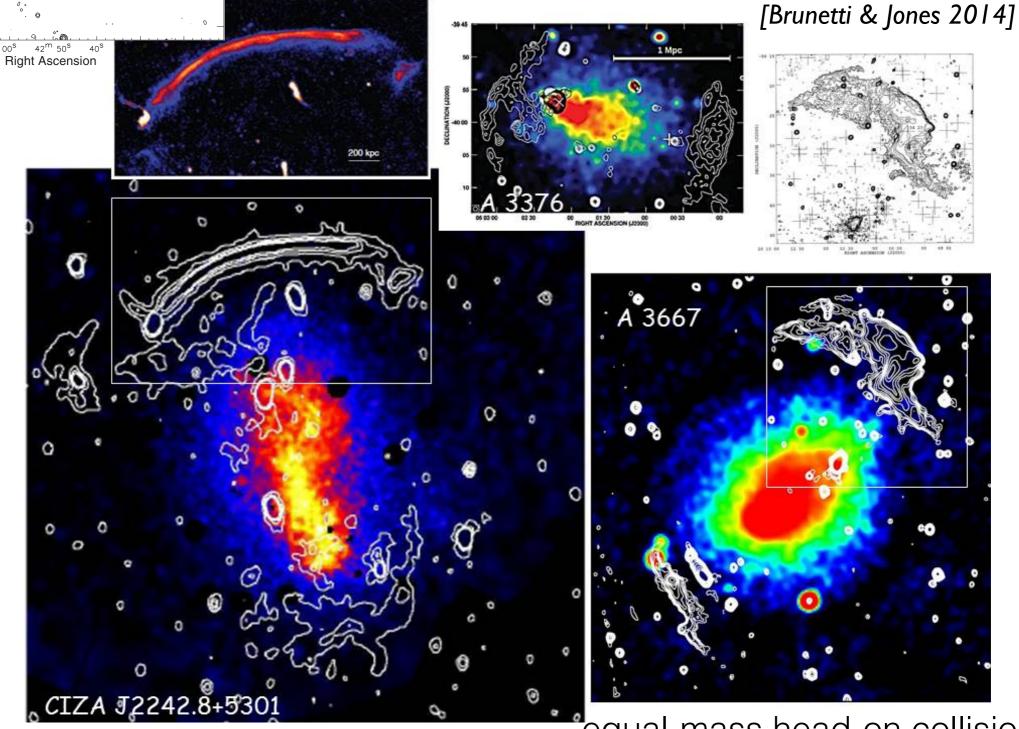
mostly unpolarized, merger generated turbulence similar appearance as MHs but larger, lower emissivity

RHs are mergers





head-on collisions ~1:2 mergers



equal-mass head-on collisions? high polarization => ordered B

Model for primary e-s

diffusion-loss eq. for primary e-s

$$\frac{dn(E)}{dt} = -n(E)\nabla \cdot \mathbf{v} + \nabla \cdot [D(E)\nabla n(E)] + \frac{\partial}{\partial E}[\dot{E}n(E)] + q(E)$$

n(E)dE number density of e-s with energy [E,E+dE]; d/dt Lagrangian derivative

$$\frac{\partial N(E)}{\partial t} = \frac{\partial}{\partial E} [\dot{E}N(E)] + Q(E) \ \ \text{volume integrated 1-zone model;} \\ \text{assuming confinement of e-s}$$

$$\left(\frac{dp}{dt}\right)_{\rm rad} = -4.8 \times 10^{-4} p^2 \left[\left(\frac{B_{\mu G}}{B_{\rm CMB}}\right)^2 \frac{\sin^2 \theta}{2/3} + (1+z)^4 \right] \text{ sync./IC losses}$$

$$\left(\frac{dp}{dt}\right)_{coll} = -3.3 \times 10^{-29} n_{th} \left[1 + \frac{\ln \left(\gamma/n_{th}\right)}{75} \right]$$
 Coulomb losses

Summary

- clusters very important for cosmology, galaxy formation, SMBH, feedback, lensing, dark matter
- multi-wavelength observations from radio to gamma rays
- have cosmic baryon fraction with most of them in diffuse plasma
- thermal & non-thermal physics of plasmas & radiation

Thank you for your attention!