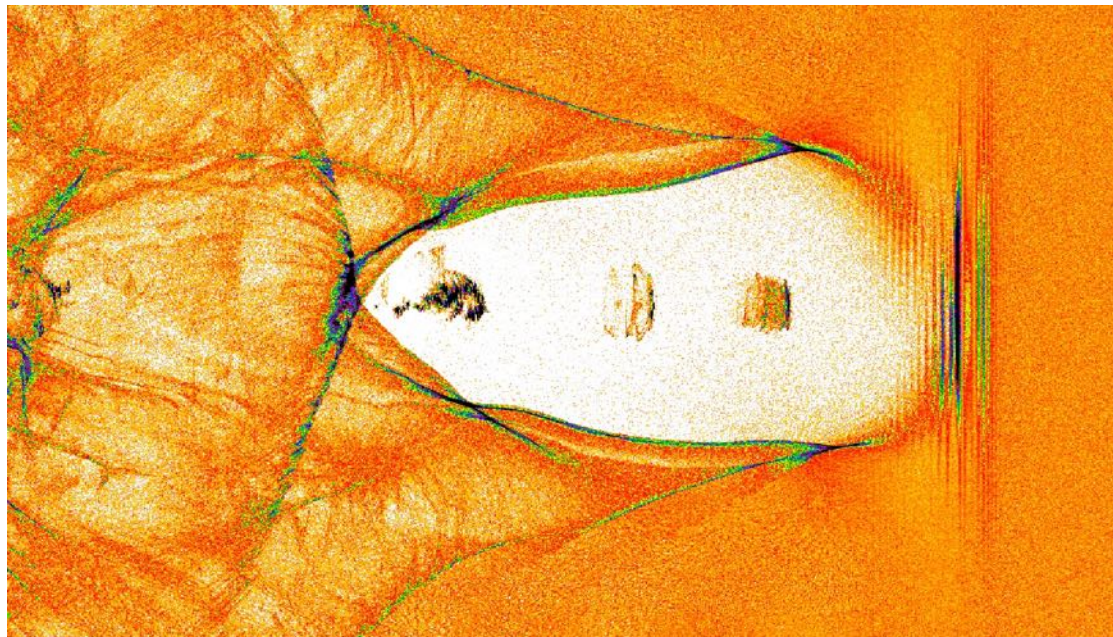


Laser-plasma electron acceleration in a strongly-mismatched regime

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Outline

- motivation – high-energy e^- acceleration – self-guiding laser
- matched regime – optimum ?
- mismatched regime – high-energy / high-quality / high-efficiency beam production ?
- adjusted a_0 model – answers some questions ?
- optical shock excitation - over narrow density range
- laser-plasma interactions & beam property - evolution
- Summary

Matched regime of nonlinear plasma wave

laser ponderomotive force balanced by **nonlinear plasma response**

matched
laser waist size &
bubble radius

$$w_0 \simeq 2\sqrt{a_0} \frac{c}{\omega_{pe}} \equiv R_{\text{bubble}}$$

energy gain in
matched regime

$$\Delta\mathcal{E} [m_e c^2] \simeq \frac{2}{3} a_0 \left(\frac{n_c}{n_0} \right)$$

Lu, W., Tzoufras, M., Joshi, C., Tsung, F. S., Mori, W. B., Vieira, J., Fonseca, R. A., Silva, L. O., *Generating multi-GeV electron bunches using single stage laser wakefield acceleration in a 3D nonlinear regime* Physical Review Special Topics - Accelerators and Beams 10, 061301 (2007), doi:10.1103/PhysRevSTAB.10.061301.

Gemini expt. data – electron acceleration

Self-guided laser regime

Kneip, S., et. al., *Near-GeV Acceleration of Electrons by a Nonlinear Plasma Wave Driven by a Self-Guided Laser Pulse*, Phys. Rev. Lett. 103, 035002 (2009), doi:10.1103/PhysRevLett.103.035002.

f/20 optics at $5.5 \times 10^{18} \text{cm}^{-3}$, $\mathcal{E}_L = 10 \text{J}$, $a_0 = 3.9$

$\Delta\mathcal{E}$ eq.2 : $< 510 \text{ MeV}$

peak expt. $\Delta\mathcal{E}$: 800 MeV

Aug 2015 f/40 data

f/40 optics at $2 \times 10^{18} \text{cm}^{-3}$, $\mathcal{E}_L = 10 \text{J}$, $a_0 \simeq 1.9$

$\Delta\mathcal{E}$ eq.2 : $< 1 \text{ GeV}$

peak expt. $\Delta\mathcal{E}$: 2.2 GeV

large degree of mismatch !

Strongly mismatched regime

Aug 2015 f/40 data expt. parameters

\mathcal{E}_L , FWHM- τ_p	$\simeq 10$ J, 49 fs
P_L	$\simeq 200$ TW
w_{0-y} (y-axis)	$37.4 \mu m$
w_{0-z} (z-axis)	$44.2 \mu m$
peak a_0 (coupled)	$\simeq 1.9$
$\Delta\mathcal{E}_{\text{peak}}$	2.2 GeV
n_0 (peak energy)	$2 - 3 \times 10^{18} \text{ cm}^{-3}$
P_c	18.3 – 12.2 TW

f/40 optics at $2 \times 10^{18} \text{ cm}^{-3}$, $a_0 = 1.9$

$$w_0(\text{matched}) = 10.3 \mu m$$

$$w_0(\text{expt.}) = 37.4 \mu m$$

f/20 data expt. Parameter mismatch

f/20 optics at $5.5 \times 10^{18} \text{ cm}^{-3}$, $a_0 = 3.9$

$$w_0(\text{matched}) = 8.95 \mu m$$

$$w_0(\text{expt.}) = 19.0 \mu m$$

strong mismatch between laser envelope & plasma response

adjusted a_0 model

$$\Delta\mathcal{E}_{\text{adj.}}[m_e c^2] = \frac{2\pi}{3} \sqrt{a_{0-l}} \left(\frac{w_{0-l}}{\lambda_0} \right) \sqrt{\frac{n_c}{n_0}}$$

$$\simeq 2.5 \sqrt{a_{0-l}} \sqrt{\frac{n_c}{n_0}} F_l$$

$$\text{circ. : } a_0(\text{adj.}) = a_{0-l} \left(\frac{w_{0-l}}{w_{0-m}} \right)$$

$$\text{ellip. : } a_0(\text{adj.}) = a_{0-l} \sqrt{\frac{w_{01-l} w_{02-l}}{w_{0-m}^2}}$$

based on laser pulse envelope being squeezed to the matched spot-size

2015 f/40 data

f/40 optics at $2 \times 10^{18} \text{cm}^{-3}$, $\mathcal{E}_L = 10 \text{J}$, $a_0 \simeq 1.9$

$\Delta\mathcal{E}$ eq.2 : $< 1 \text{ GeV}$

peak expt. $\Delta\mathcal{E}$: 2.2 GeV

$\Delta\mathcal{E}$ [$a_0(\text{adj}) = 7.4$] : 2.2 GeV

2008 f/20 data

f/20 optics at $5.5 \times 10^{18} \text{cm}^{-3}$, $\mathcal{E}_L = 10 \text{J}$, $a_0 = 3.9$

$\Delta\mathcal{E}$ eq.2 : $< 510 \text{ MeV}$

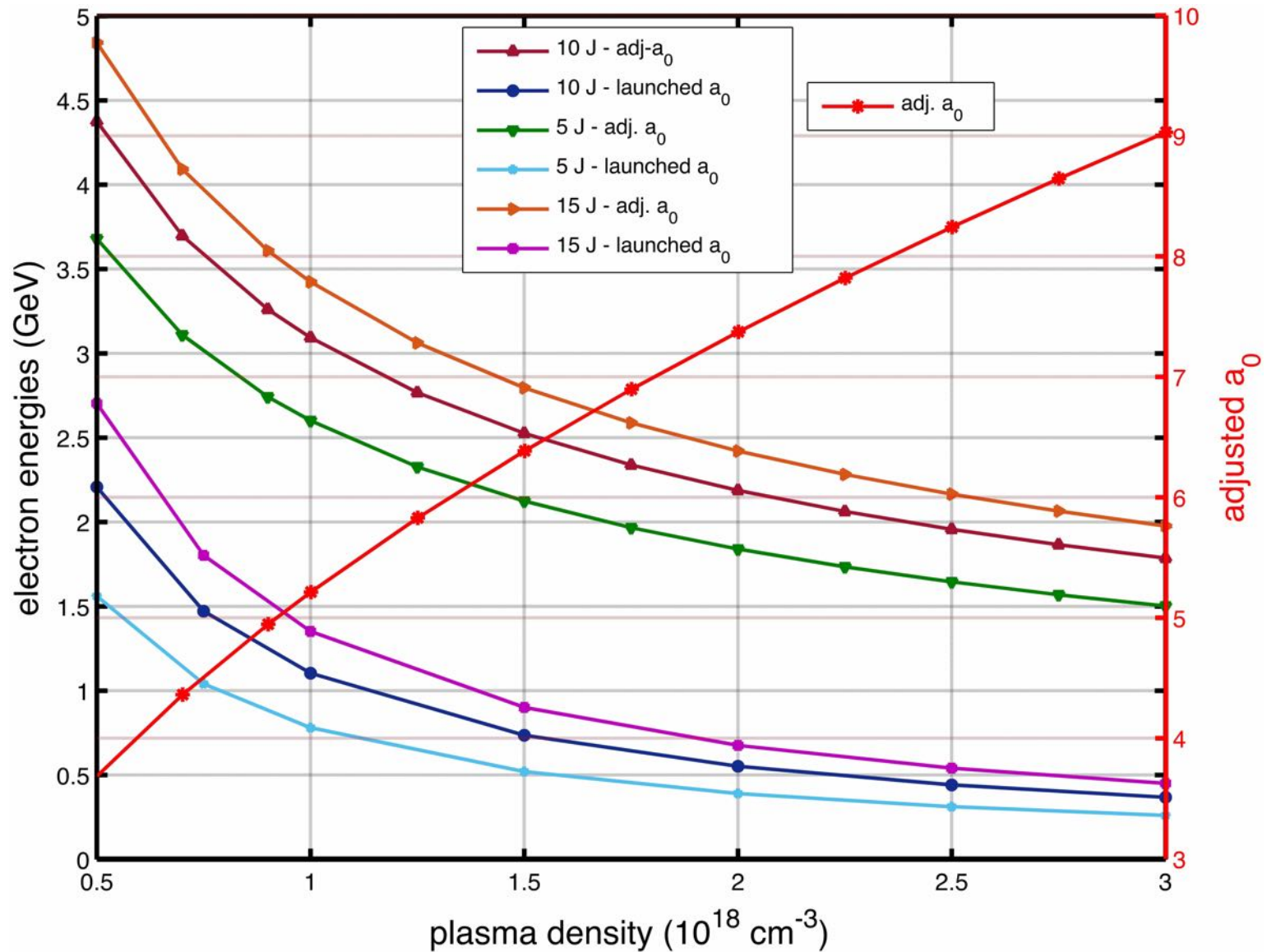
peak expt. $\Delta\mathcal{E}$: 800 MeV

$\Delta\mathcal{E}$ [$a_0(\text{adj}) = 8.3$] : 957 MeV

slightly better match to max electron energies

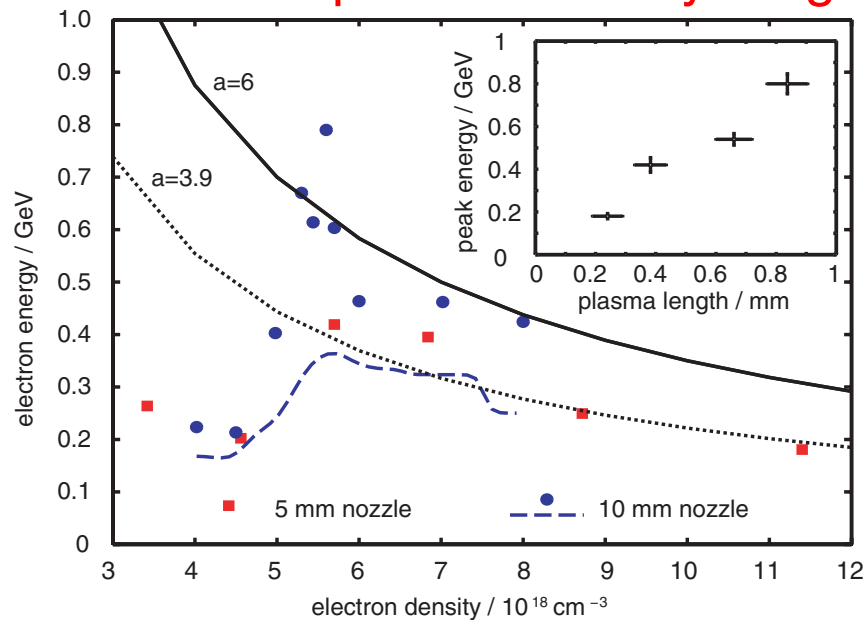
adjusted a_0 model

based on laser pulse envelope being squeezed to the matched spot-size

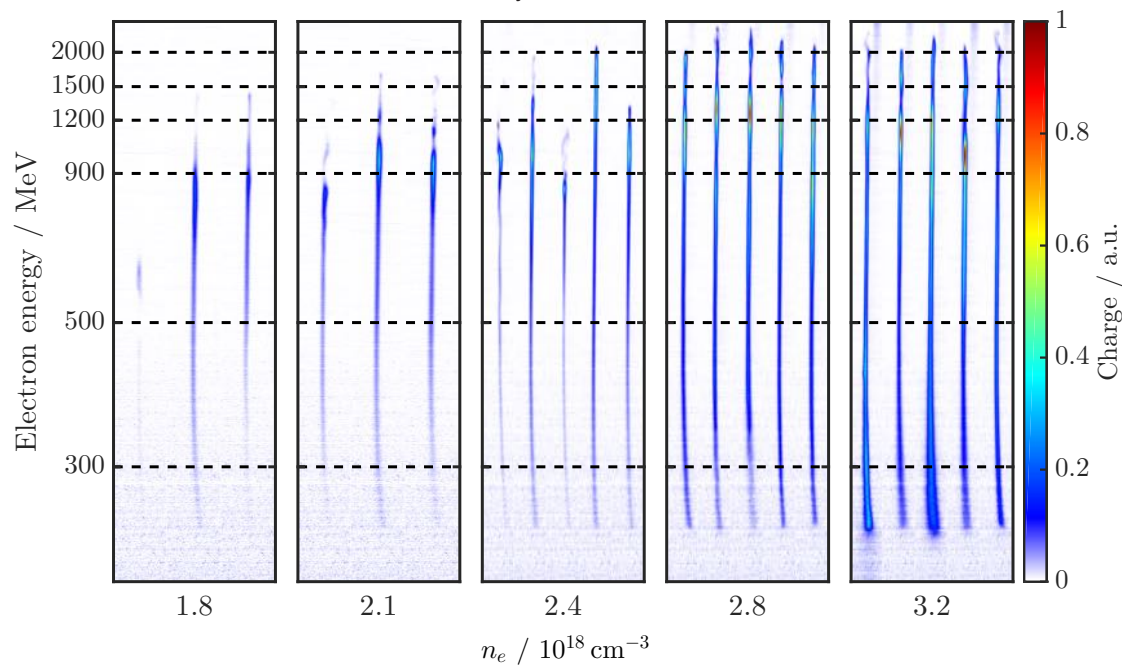


adjusted a_0 model

why is there an optimum density range over which the model predicts

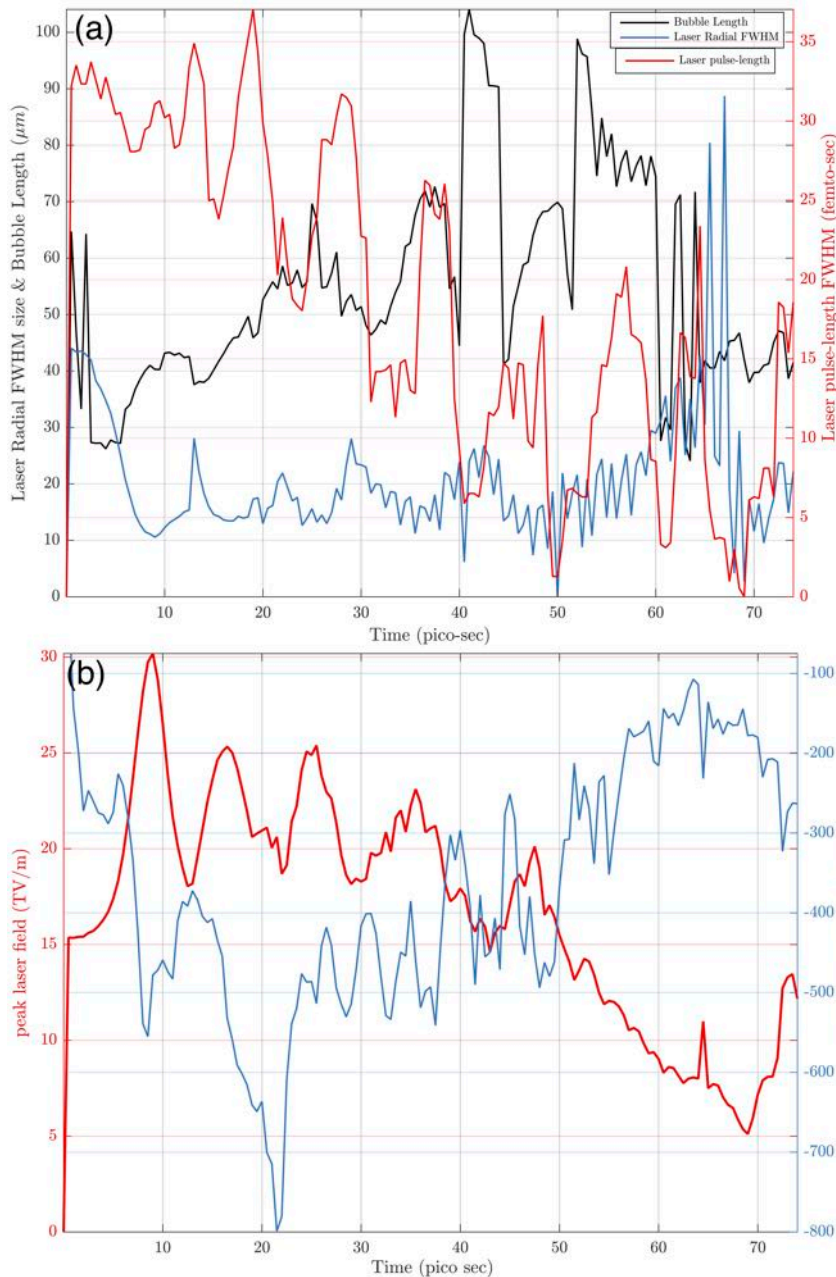


2008 f/20 data



2015 f/40 data

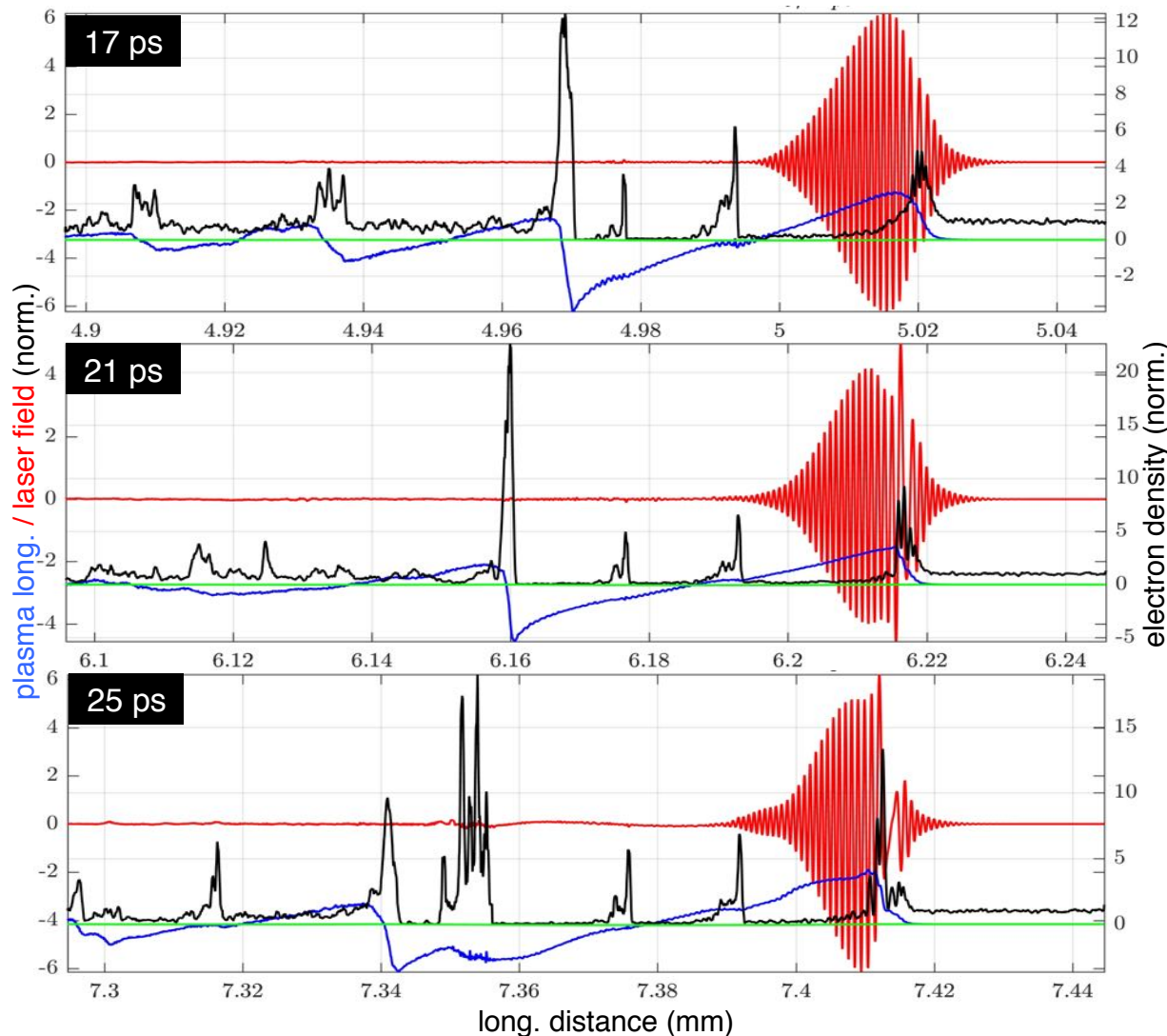
2D PIC simulations



- laser pulse radial envelope
→ oscillates around **matched spot**
- laser pulse temporal envelope
→ **catastrophic** events
- Bubble **elongates** more than
→ radial excursions
- Laser field → discrete surge events
- field surge → optical shock trigger
- optical shock state
→ long pond. $F \gg$ radial pond. F
- optical shock state
→ plasma field nearly TV/m
→ high-quality beam injection

Optical shock excitation

each laser field surge event \rightarrow optical shock excitation



localized laser velocities

$$\beta_g = \beta_{\phi-las}^{-1} \simeq \beta_{g0} \left[1 + \frac{1}{2\gamma_{g0}^2 \beta_{g0}^2} \left(\langle a_{\perp} \rangle^2 - \frac{\delta n}{n_0} \right) \right]$$

$$\beta_{g0} = \sqrt{1 - \frac{\omega_{pe}^2}{\omega_0^2}}, \gamma_{g0} = \frac{\omega_0}{\omega_{pe}}$$

ZERO local group velocity

$$\beta_g(\xi, r) = 0$$

$$\frac{1}{2} \left(\frac{\delta n}{n_0} - \langle a_{\perp} \rangle^2 \right) \simeq \frac{n_c}{n_0}$$

Local group velocity difference

Slice-up the laser pulse

Dis-balanced Ponderomotive Forces

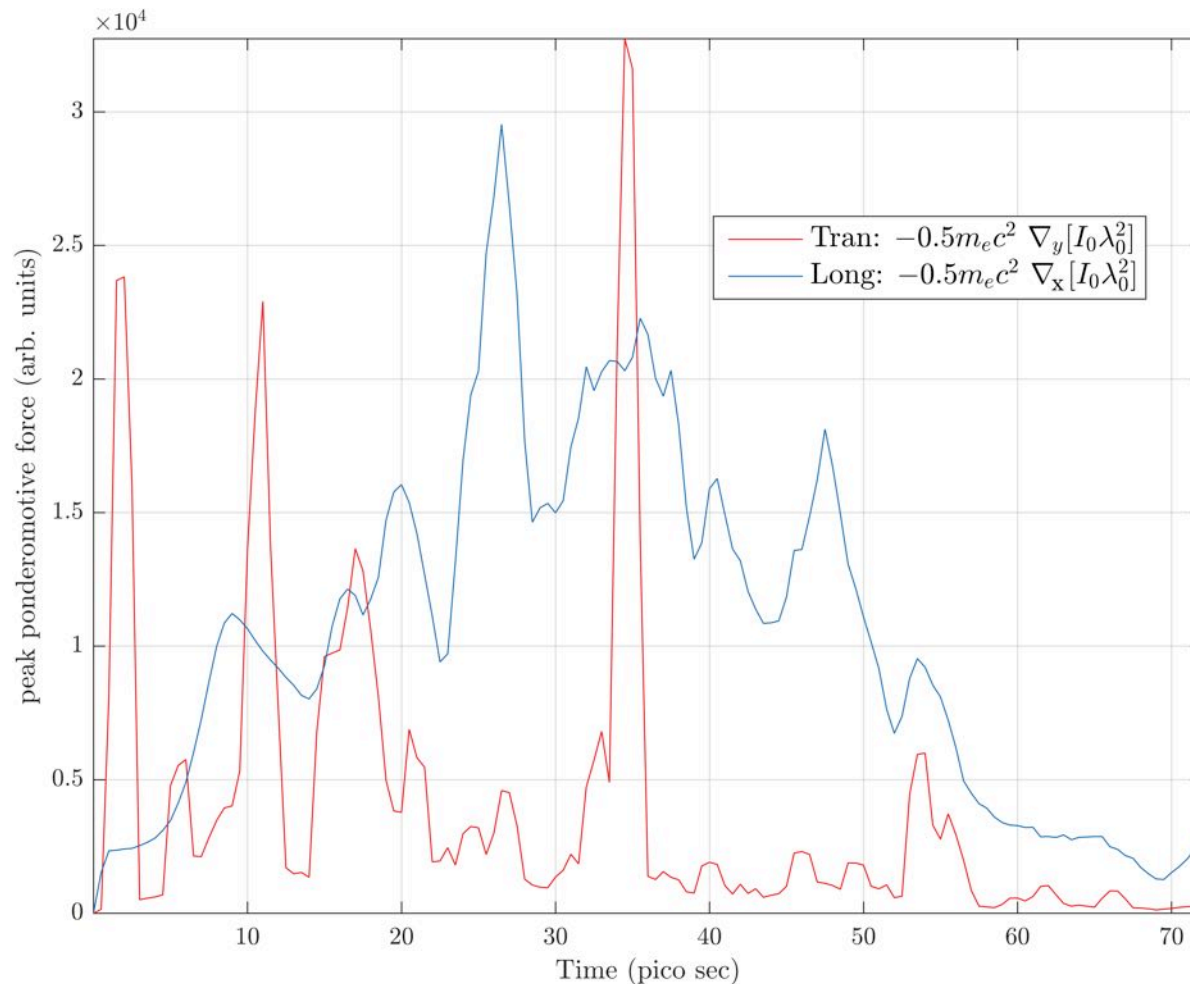
optical shock excitation → imbalanced pond. forces

$$\mathcal{E}_{quiv}^e(x, r) \propto I(x, r) \lambda_0^2(x, r)$$

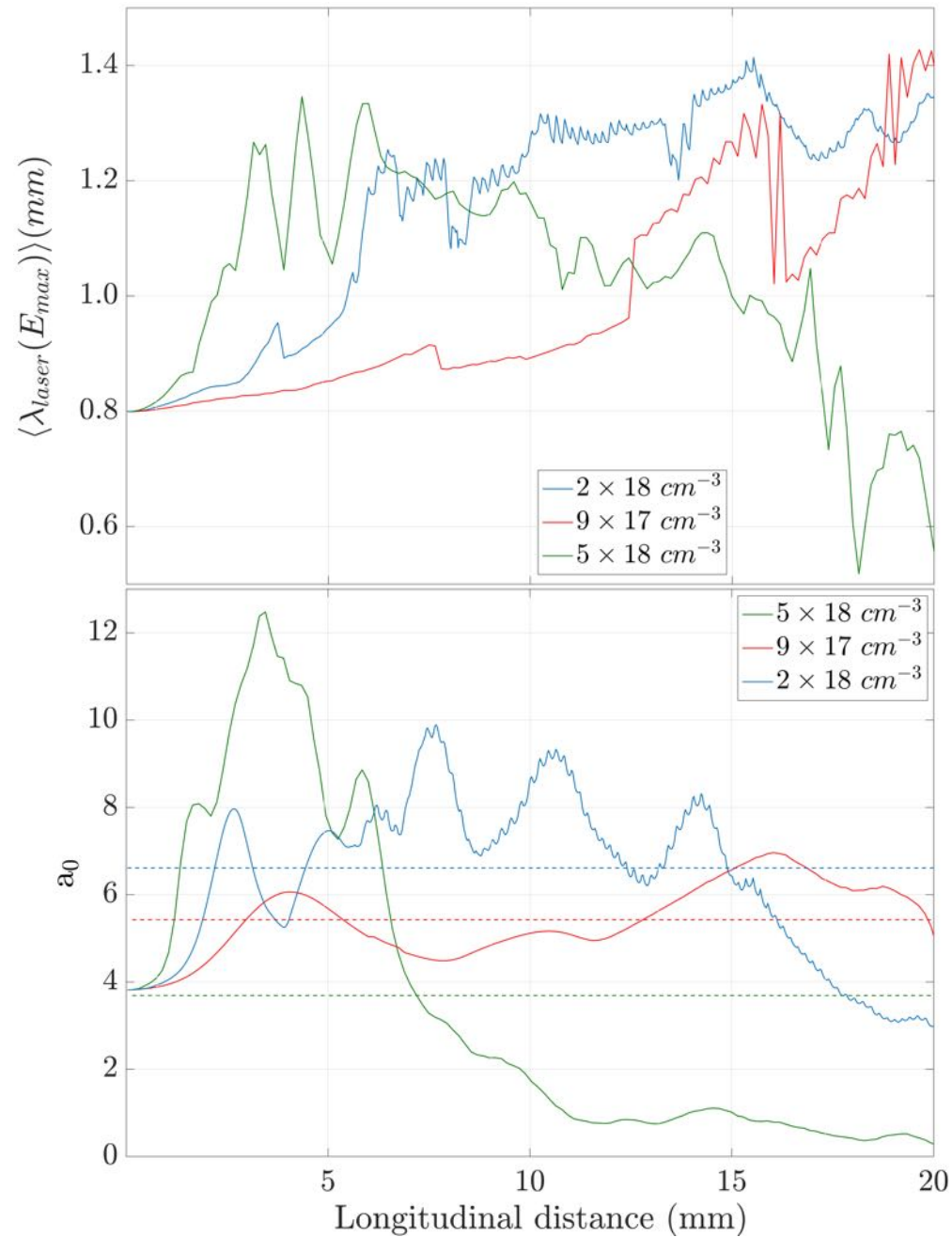
elongated bubble

$$\text{Spherical bubble : } \nabla_x \mathcal{E}_{quiv}^e(x, r) \simeq \nabla_r \mathcal{E}_{quiv}^e(x, r)$$

$$\text{Elongated bubble : } \nabla_x \mathcal{E}_{quiv}^e(x, r) \gg \nabla_r \mathcal{E}_{quiv}^e(x, r)$$

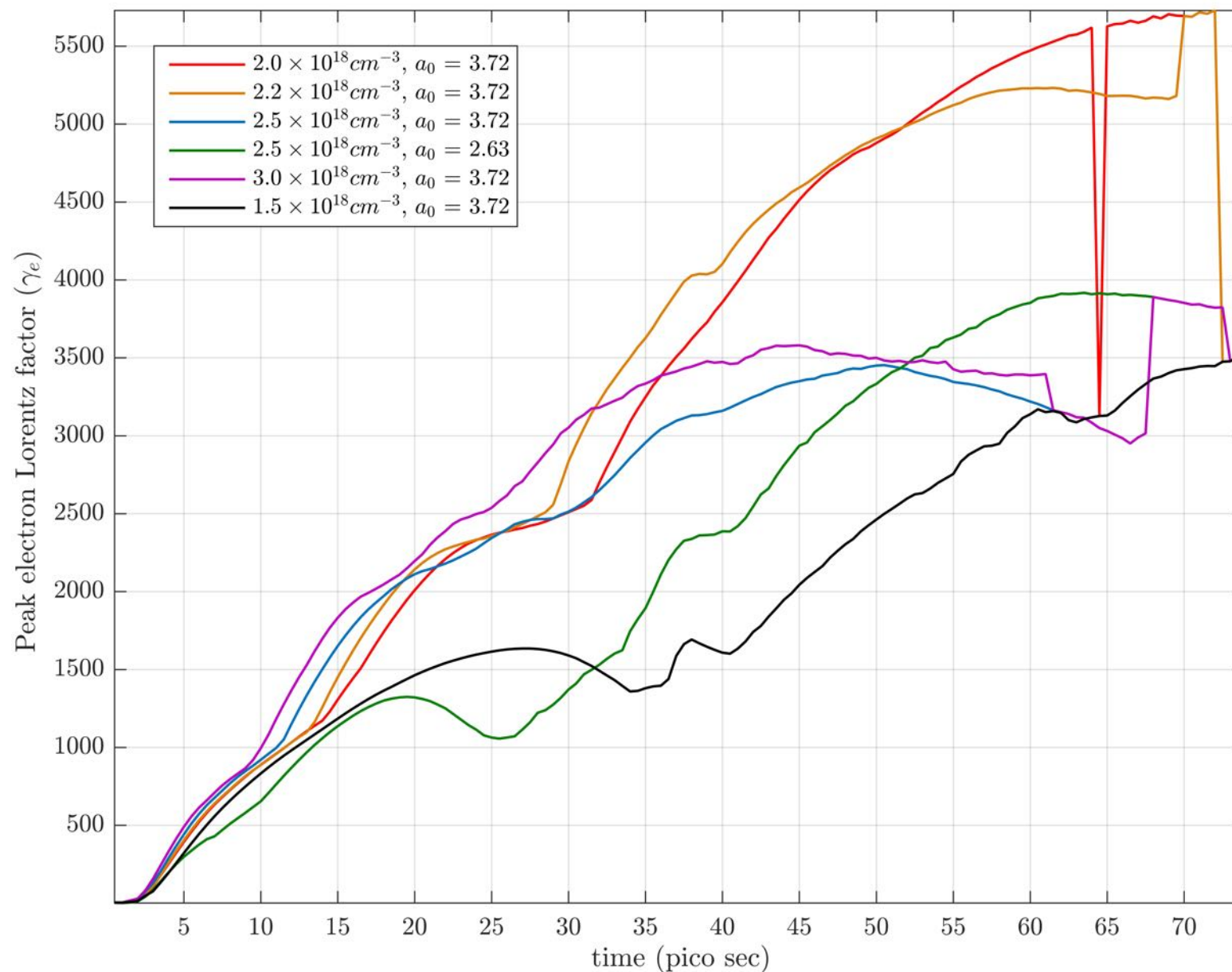


Wavelength and a_0

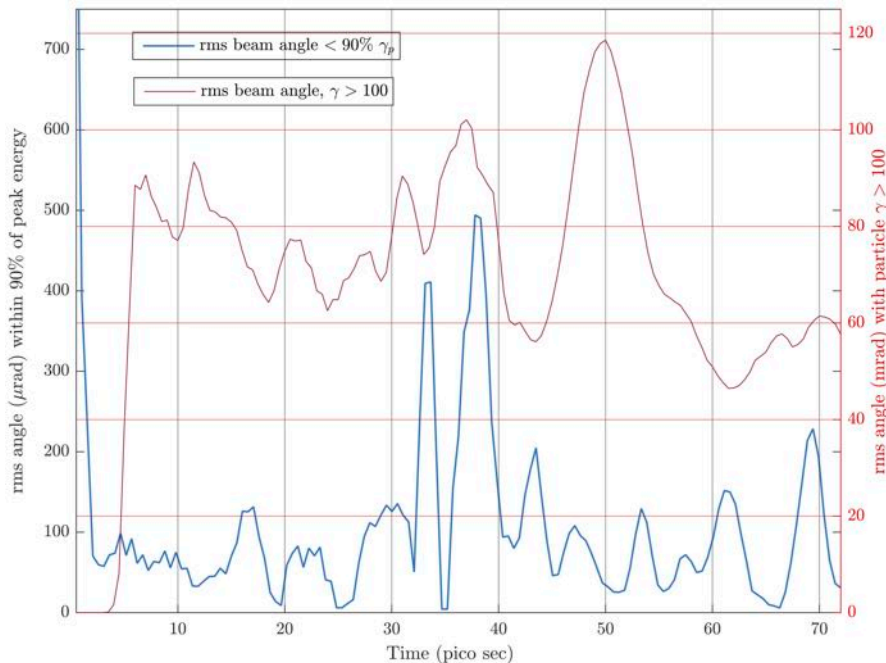
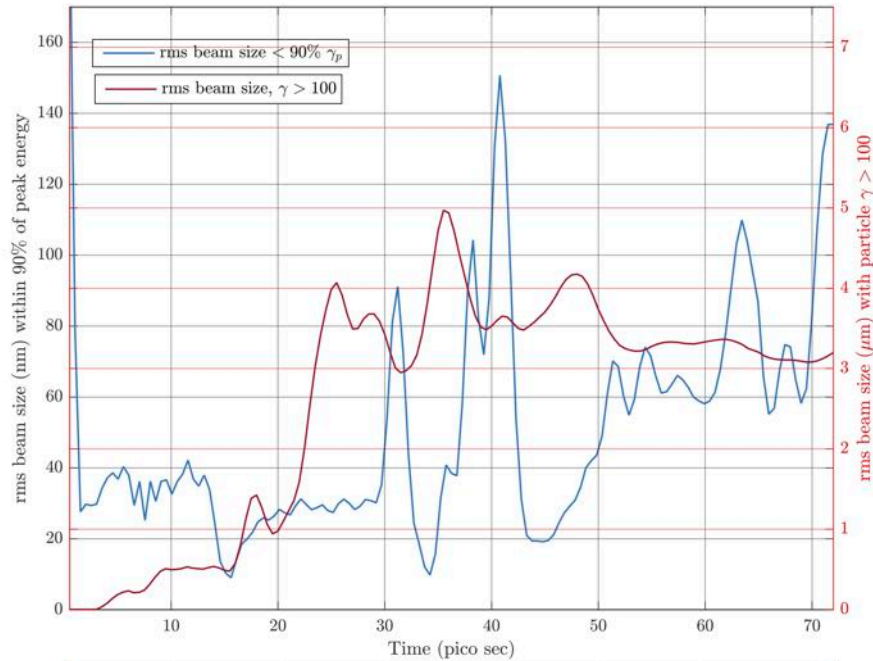


electron beam properties

Evolution of peak electron Lorentz factor



high-energy bunch quality



bunch transverse properties at $\sim 2\text{GeV}$

→ due to elongating bubble injection

→ rms transverse-size $\sim 150\text{ nm}$

→ rms angular-size $\sim 100\text{ }\mu\text{rad}$

→ geometric emittance $\sim 10^{-5}\text{ mm-mrad}$

→ norm. emittance $\sim 0.1\text{ mm-mrad}$

→ beam exiting the plasma undergoes
emittance reduction in exit ramp

Summary

- **matched spot-size** – **NOT easy** to experimentally achieve Gaussian spot
- plasma-wave **transverse profile distorted** – due to laser hot-spots or non-uniformities – not good for sustained acceleration
- **strongly mismatched** regime – possible to achieve high-energy multi-GeV beams – here **peak-energy > 2GeV**
- **Optical shock excitation** – slicing up of the laser pulse due to its envelope dynamics
- **elongated bubble** – driven by optical shock state – high peak electric field and longer de-phasing lengths
- **Injection scheme** based on elongating bubble – high-quality bunch **emittance < 0.1 mm-mrad**
- mismatched regime – more injection events – **higher total efficiency** – laser to energetic particles