

# Radium Atoms to search for EDMs



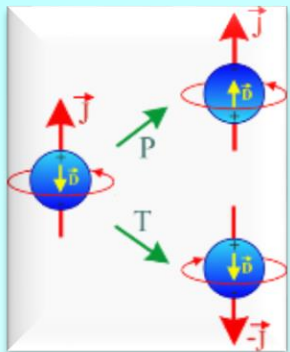
- **Symmetries & Conservation Laws**
- **Standard Model and Beyond**
- **Search for New Interactions**
- **Questions : Matter-Antimatter Asymmetry ?**
- **Precision Experiments**

⇒ **Field has many Experiments**

⇒ **here Focus on: Ra, Xe,  $\mu$**

⇒ **A few examples only**

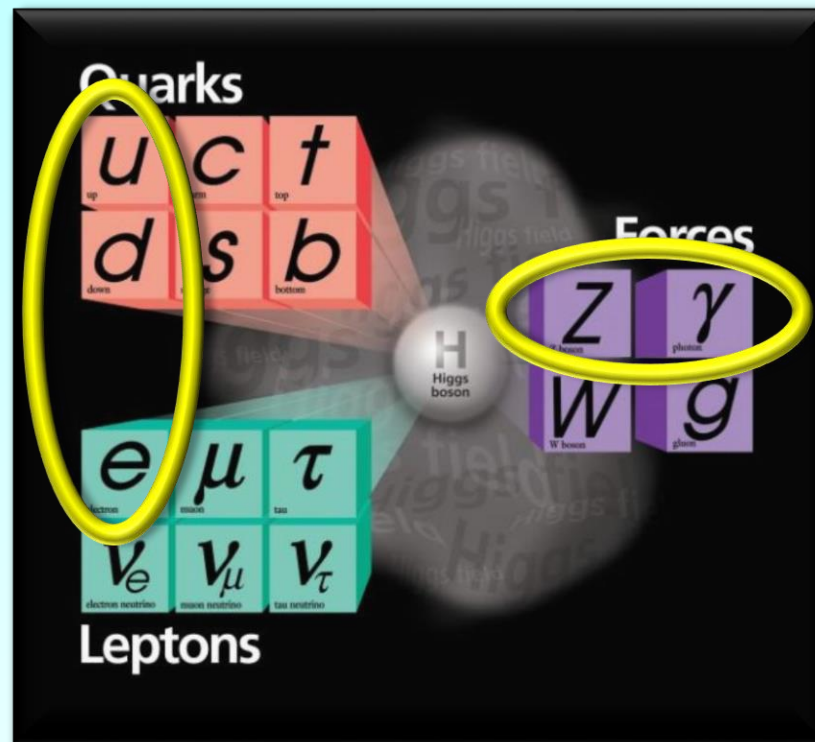
⇒ **A few aspects of the full story**



*Klaus Jungmann, KVI, University of Groningen, NL*

*with many thanks to L. Willmann*

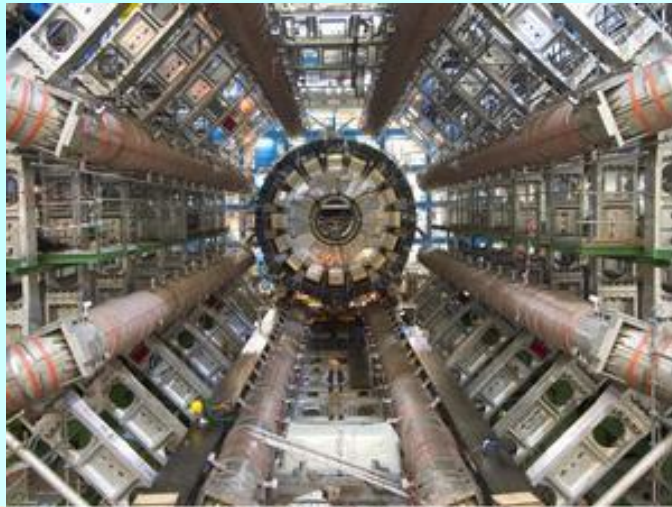
# Standard Model & Radium



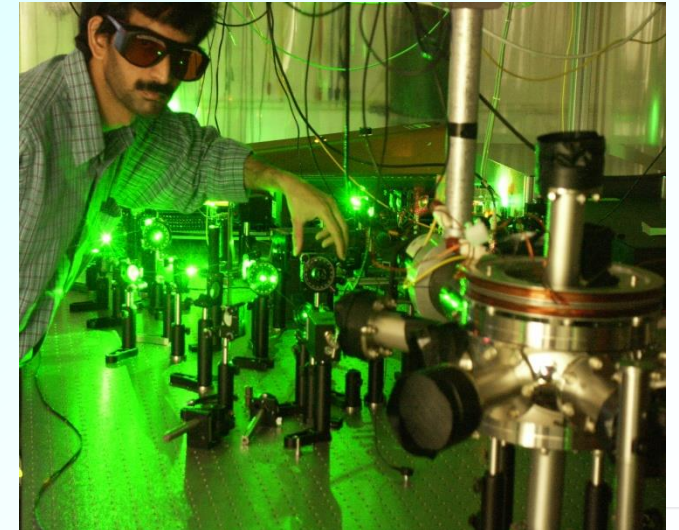
3 families of matter - 4 force carriers

# Experiments at the Frontiers of Standard Theory

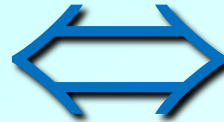
## Direct Search Frontier



## Precision Frontier

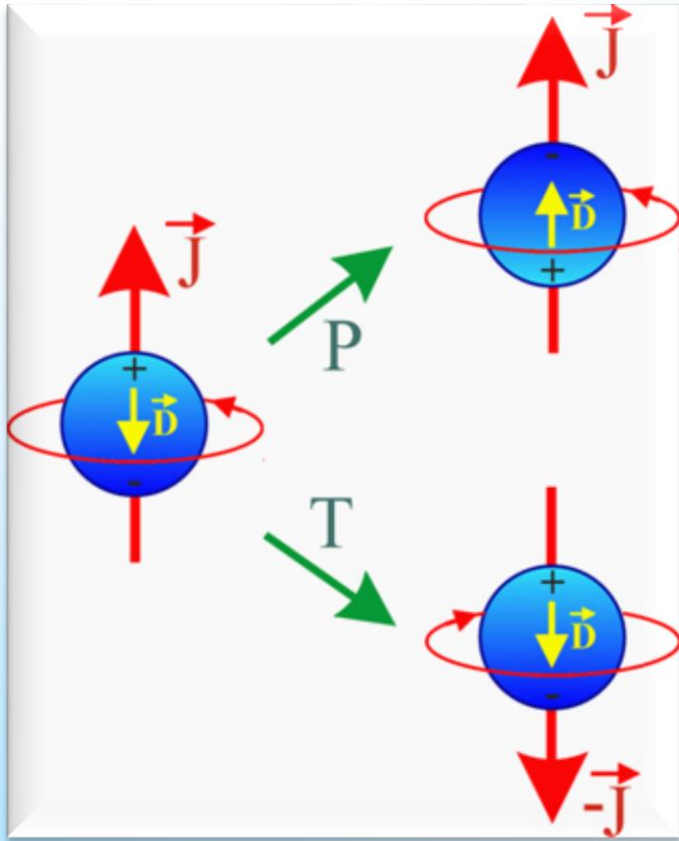


complementary  
approaches



Intensity  
Frontier

# Permanent **E**lectric **D**ipole **M**oment violates:



- **Parity**
- **Time reversal**
- **CP- conservation**  
(if CPT conservation assumed)

**Standard Model value orders of magnitude below experimental limit:**

$\Rightarrow$  **Window for  
New Physics  
beyond  
Standard Theory**

# Lines of attack towards an EDM

Free Particles

neutron  
muon  
proton  
deuteron  
bare nuclei ?  
...

Hg Xe  
Tl  
Cs Rb  
Ra Rn  
...

Atoms

- particle EDM
- unique information
- new insights
- new techniques
- **challenging technology**

- electron EDM
- nuclear EDM
- enhancements
- **challenging technology**

**Electric Dipole Moment**  
goal:  
**new source of ~~CP~~**

- electron EDM
- strong enhancements
- **systematics ??**

Condensed State

garnets  
( $Gd_3Ga_5O_{12}$ )  
( $Gd_3Fe_2Fe_3O_{12}$ )  
solid He ?  
liquid Xe

Molecules

YbF  
PbO  
PbF, ThO  
HfF<sup>+</sup>, ThF<sup>+</sup>  
WN<sup>-</sup>...

- electron EDM
- strong enhancements
- new techniques
- **poor spectroscopic data**

# EDM Limits as of end 2012

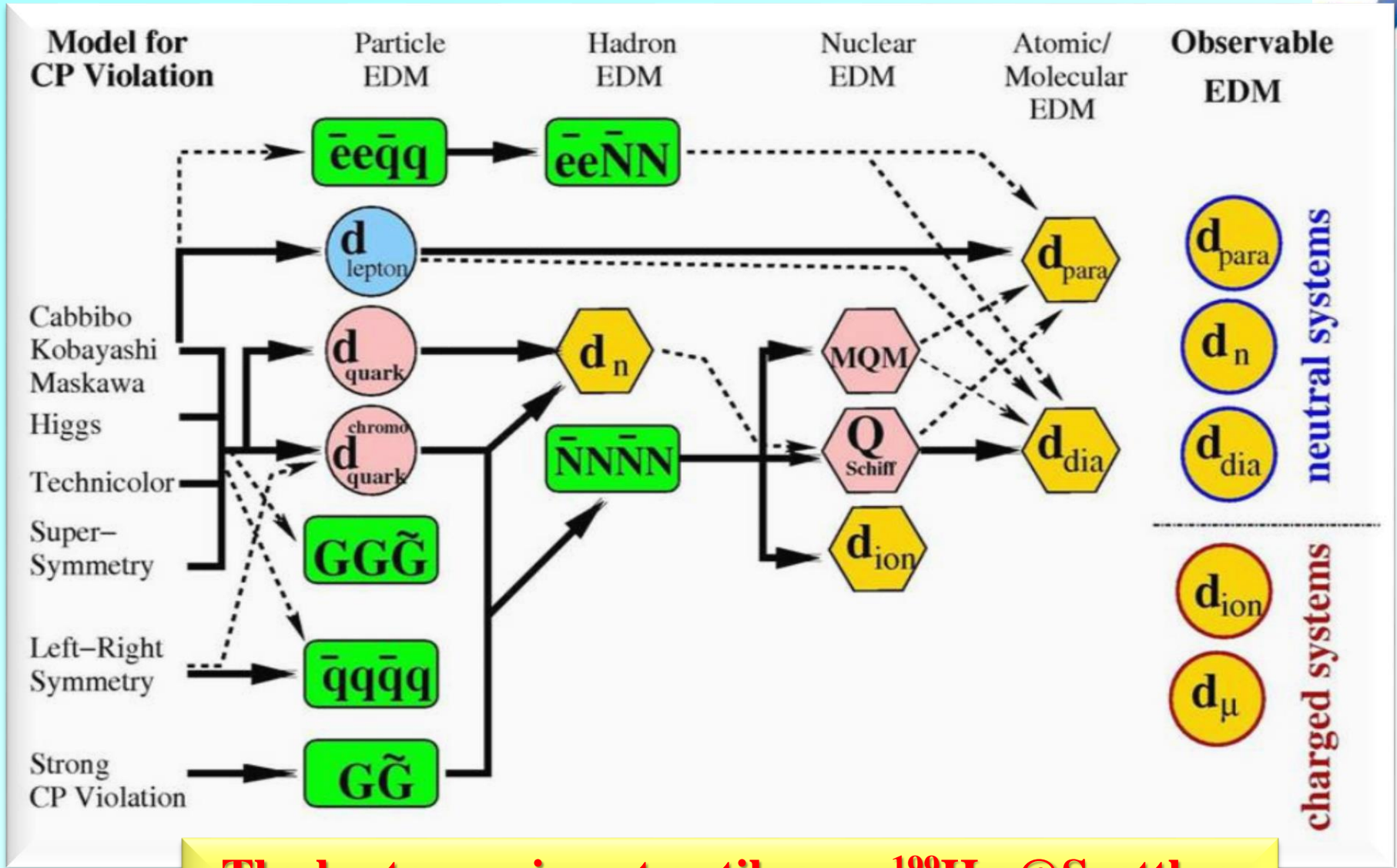
Particle	Exp. Limit [ $10^{-27} e \text{ cm}$ ]	SM [factor to go]	Possible New Physics [factor to go]
e (YbF)	< 0.15	$10^{10}$	$\leq 1$
$\mu$	< $1.8 * 10^8$	$10^8$	$\leq 200$
$\tau$	< $1.1 * 10^{10}$	$10^6$	$\leq 60^{(*)}$
n	< 30	$10^4$	$\leq 10$
p (Hg)	< $8 * 10^2$	$10^6$	$\leq 10^5$
Hg (odd n)	< 0.031	$10^4$	various
			<sup>(*)</sup> depending on type of EDM

Theoretical Model	$d_e [e \text{ cm}]$
Standard Model	< $10^{-38}$
SUSY	$10^{-28} - 10^{-26}$
Multi Higgs	$10^{-28} - 10^{-26}$
LeftRight Symmetry	$10^{-28} - 10^{-26}$

No

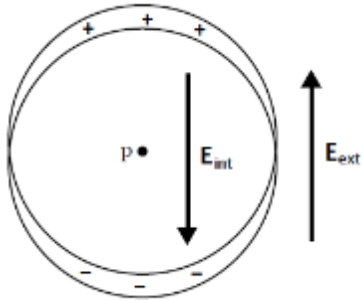
!

# Possible Sources of EDMs



The best experiment until now-  $^{199}\text{Hg}$  @Seattle – Leaves somewhat restricted room for SUSY ...

# Enhancements of particle EDMs



$$\frac{d_{atom}}{d_e} \propto Z^3 \alpha^2 \chi$$

P. Sandars, 1968

$$d_{atom} = \sum_{n'} \frac{\langle n, l | -d_e(\beta - 1)\vec{\sigma} \cdot \vec{E} | n', l \pm 1 \rangle \langle n', l \pm 1 | -e\vec{r} | n, l \rangle}{E_{n,l} - E_{n',l \pm 1}} + h.c.$$

$\Rightarrow$  go for heavy systems, where  $Z \gg 1$ , e.g. Hg, Xe

$\Rightarrow$  take advantage of enhancements, e.g. Ra

$\Rightarrow$  consider molecules such as YbF, RaF, ...



# Atomic Enhancement Factors

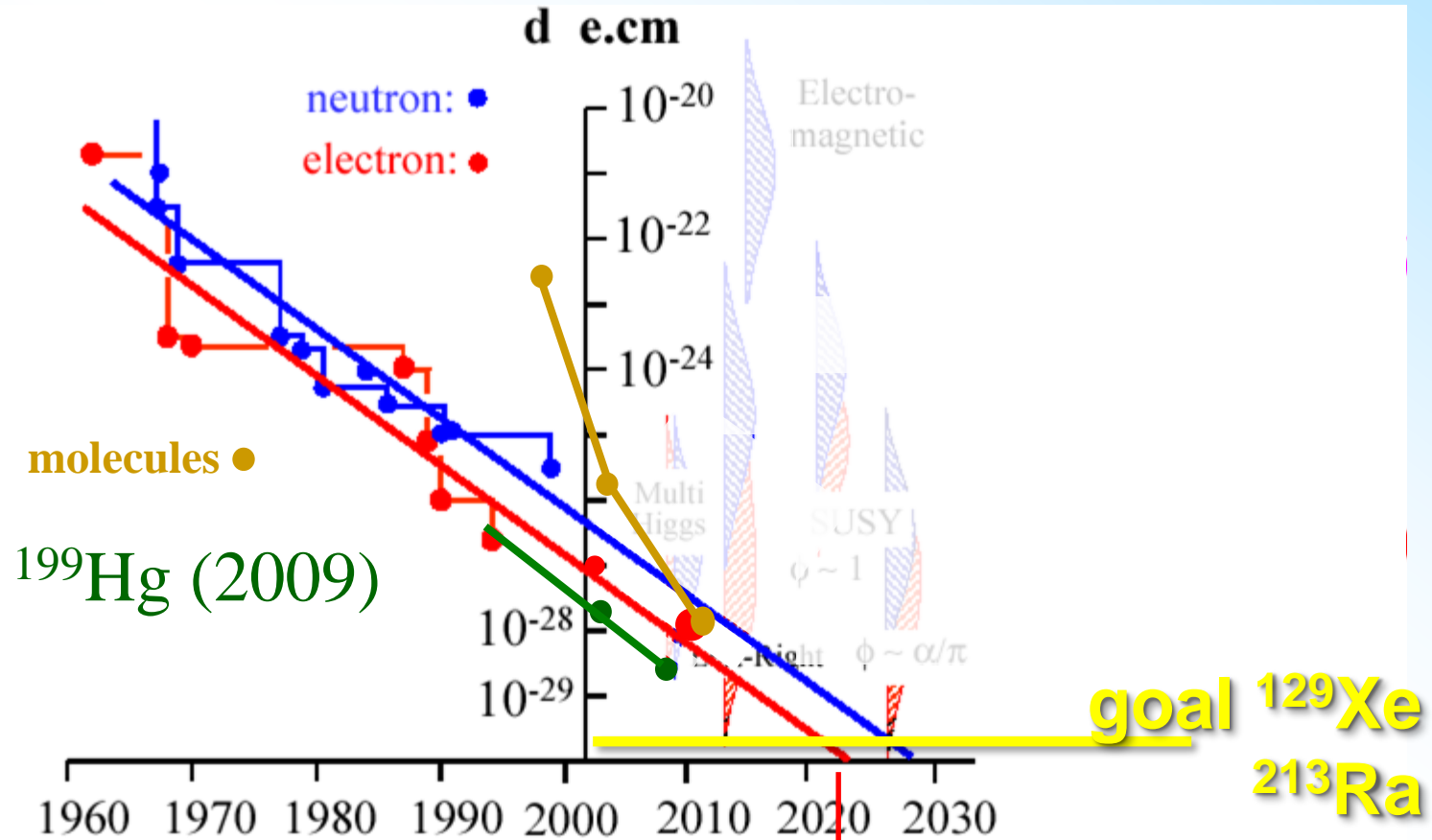
for Electron EDM

Particle	Rb	Cs	Th	Fr	Ra	PbO	YbF
Enhancement	24	125	585	1 150	40 000	60 000	1 600 000

# EDMs of atoms of experimental interest

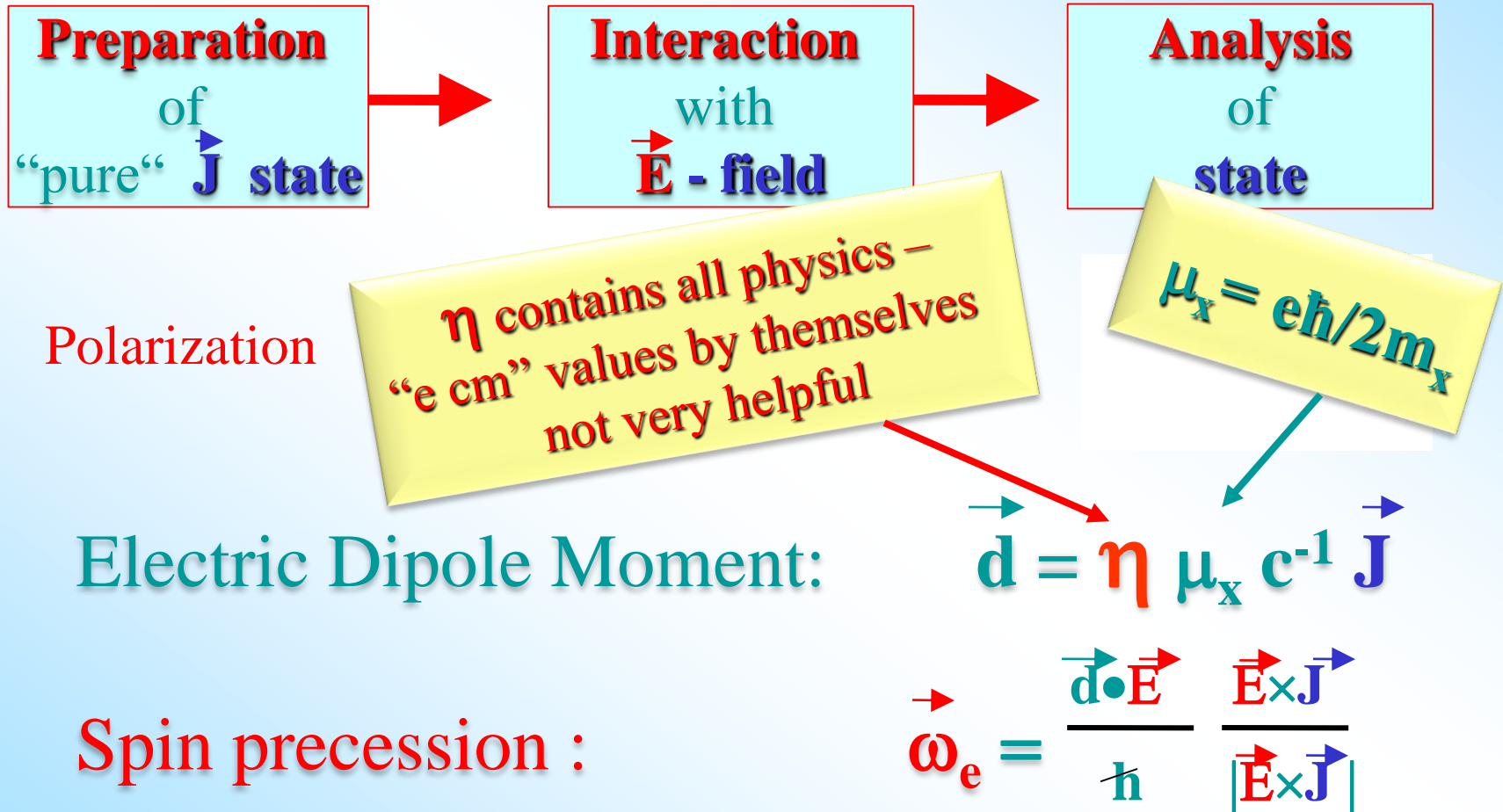
Z	Atom	$[S/(e \text{ fm}^3)] e \text{ cm}$	$[10^{-25} \eta] e \text{ cm}$	Expt.
2	$^3\text{He}$	0.00008	0.0005	
<b>KVI 54</b>	$^{129}\text{Xe}$	<b>0.38</b>	<b>0.7</b>	Seattle, Ann Arbor, Princeton, Tokyo, <i>Mainz-PTB-HD-KVI</i>
70	$^{171}\text{Yb}$	-1.9	3	Bangalore, Kyoto
<b>80</b>	$^{199}\text{Hg}$	<b>-2.8</b>	<b>4</b>	<b>Seattle</b>
86	$^{223}\text{Rn}$	3.3	3300	TRIUMF
<b>KVI 88</b>	$^{225}\text{Ra}$	<b>-8.2</b>	<b>2500</b>	Argonne, <b>KVI</b>
88	$^{223}\text{Ra}$	-8.2	3400	

# Limit on EDMs vs Time



$d_e \text{ (SM)} < 10^{-37}$

# Generic EDM Experiment



Example:  $d=10^{-24}$  e cm,  $E=100$  kV/cm,  $J=1/2$   
 $\omega_e = 15.2$  mHz

# Generic EDM Experiment Sensitivity

- $P$  Polarization
- $\varepsilon$  Efficiency
- $N$  Average Trap Population
- $T$  Measurement Time [s]
- $\tau$  Spin Coherence Time ( $\cong 1$  cycle) [s]
- $E$  Electric Field [V/cm]

Need to understand systematics

~1

~1

10<sup>6</sup>

10<sup>6</sup>

10<sup>6</sup> V/cm

< ~10<sup>-28</sup> e cm

$$P \varepsilon \sqrt{N * T * \tau} E$$

$d_x = d_{Ra} / \text{enhancement}$   
*same physics sensitivity as <sup>199</sup>Hg due to enhancement factors*

- long Coherence Time
- ⇒ one day gives more statistics than needed to reach previous experimental limits

# Enhancements of particle EDMs

$$\frac{d_{atom}}{d_e} \propto Z^3 \alpha^2 \chi$$

$$d_{atom} = \sum_{n'} \frac{\langle n, l | -d_e(\beta - 1)\vec{\sigma} \cdot \vec{E} | n', l \pm 1 \rangle \langle n', l \pm 1 | -e\vec{r} | n, l \rangle}{E_{n,l} - E_{n',l \pm 1}} + h.c.$$

⇒ go for heavy systems, where  $Z \gg 1$ , e.g. Hg, Xe

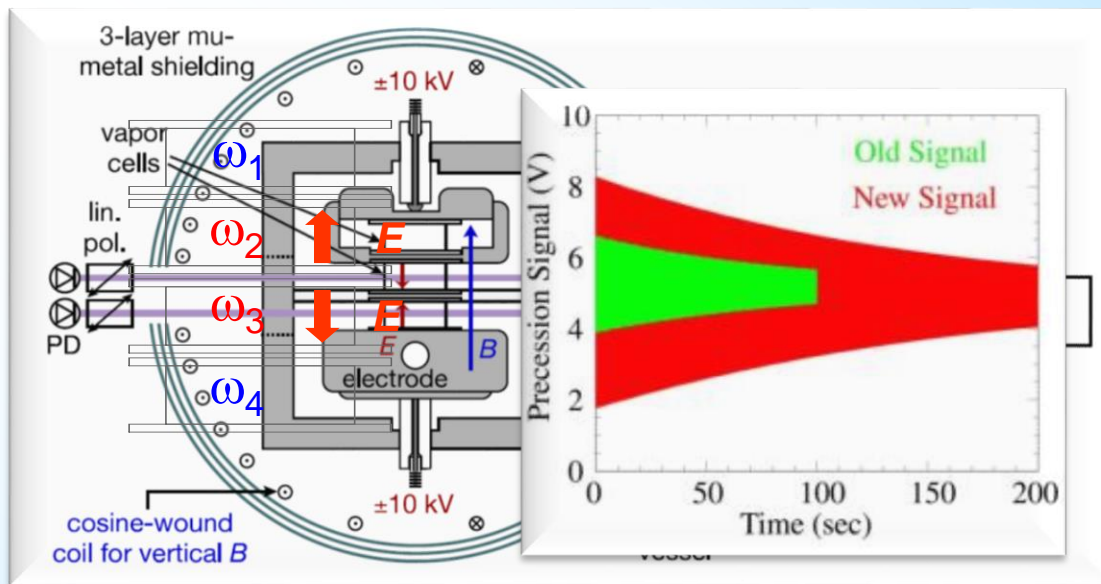
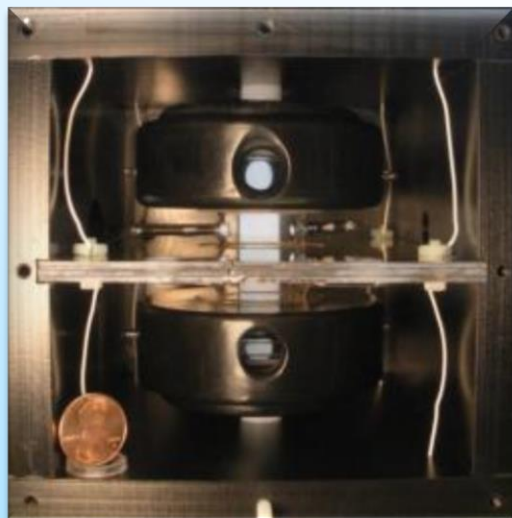
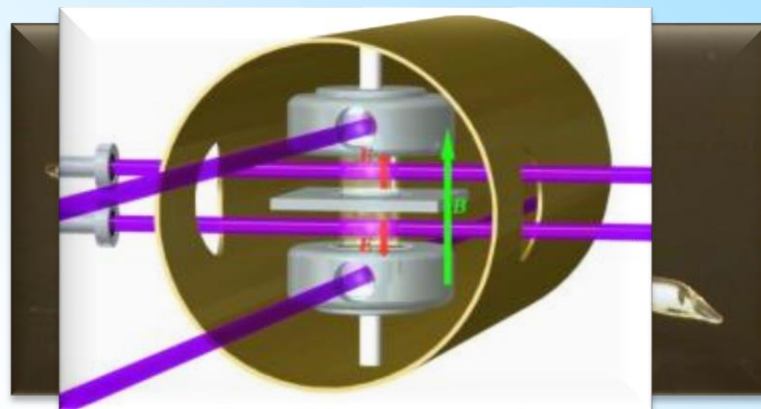
⇒ take advantage of enhancements, e.g. Ra

# EDMs of atoms of experimental interest

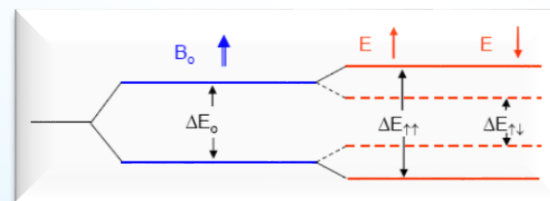
Z	Atom	[S/(e fm <sup>3</sup> )]e cm	[10 <sup>-25</sup> η] e cm	Expt.
2	<sup>3</sup> He	0.00008	0.0005	
<b>54</b>	<b><sup>129</sup>Xe</b>	<b>0.38</b>	<b>0.7</b>	Seattle, Ann Arbor, Princeton, Tokyo, <i>Mainz-PTB-HD-KVI</i>
70	<sup>171</sup> Yb	-1.9	3	Bangalore, Kyoto
<b>80</b>	<b><sup>199</sup>Hg</b>	<b>-2.8</b>	<b>4</b>	<b>Seattle</b>
86	<sup>223</sup> Rn	3.3	3300	TRIUMF
88	<sup>225</sup> Ra	-8.2	2500	Argonne, KVI
88	<sup>223</sup> Ra	-8.2	3400	

$$d_n = 5 \times 10^{-24} \text{ e cm } \eta, \quad d(^3\text{He})/d_n = 10^{-5}$$

# Hg EDM University of Washington, Seattle



Spin coherence time: 300 sec  
 Electrical Resistance:  $2 \times 10^{16} \Omega$





## Measurement of Linear Stark Interference in $^{199}\text{Hg}$

T. H. Loftus,<sup>\*</sup> M. D. Swallows,<sup>†</sup> W. C. Griffith,<sup>‡</sup> M. V. Romalis,<sup>§</sup> B. R. Heckel, and E. N. Fortson  
*Department of Physics, Box 351560, University of Washington, Seattle, Washington 98195-1560, USA*  
(Received 23 November 2010; published 24 June 2011)

We present measurements of Stark interference in the  $6^1S_0 \rightarrow 6^3P_1$  transition in  $^{199}\text{Hg}$ , a process whereby a static electric field  $E$  mixes magnetic dipole and electric quadrupole couplings into an electric dipole transition, leading to  $E$ -linear energy shifts similar to those produced by a permanent atomic electric dipole moment (EDM). The measured interference amplitude,  $a_{SI} = (a_{M1} + a_{E2}) = (5.8 \pm 1.5) \times 10^{-9} (\text{kV}/\text{cm})^{-1}$ , agrees with relativistic, many-body predictions and confirms that earlier central-field estimates are a factor of 10 too large. More importantly, this study validates the capability of the  $^{199}\text{Hg}$  EDM search apparatus to resolve nontrivial, controlled, and sub-nHz Larmor frequency shifts with EDM-like characteristics.

**$\Rightarrow$  Going on in a structured way**

**translates into**

$$|d(^{199}\text{Hg})| < 3.1 \times 10^{-29} \text{ e cm (95\% C.L.)}$$

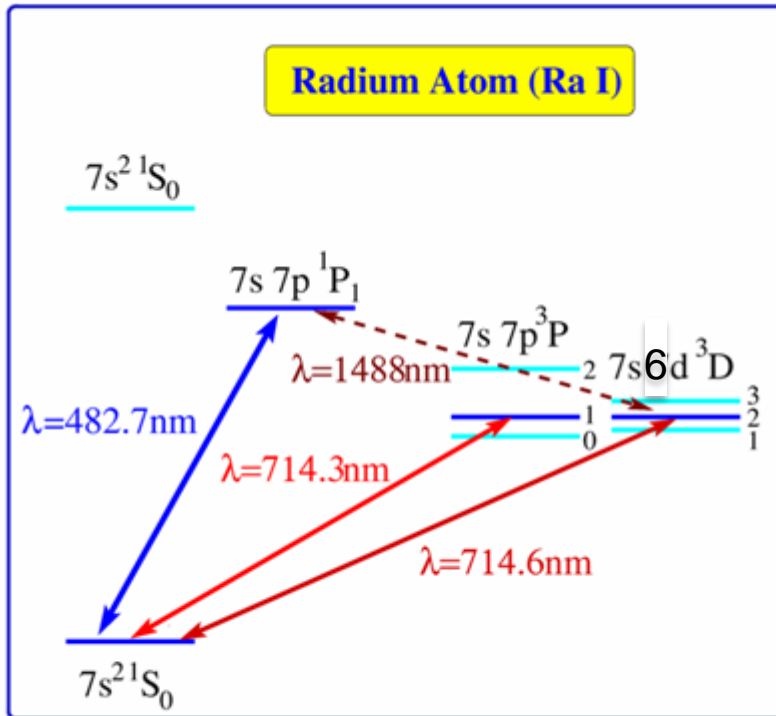
**Systematic limits expected factor of 5 further lower**

# EDMs of atoms of experimental interest

Z	Atom	[S/(e fm <sup>3</sup> )]e cm	[10 <sup>-25</sup> η] e cm	Expt.
2	<sup>3</sup> He	0.00008	0.0005	
<b>54</b>	<b><sup>129</sup>Xe</b>	<b>0.38</b>	<b>0.7</b>	Seattle, Ann Arbor, Princeton, Tokyo, <i>Mainz-PTB-HD-KVI</i>
70	<sup>171</sup> Yb	-1.9	3	Bangalore, Kyoto
<b>80</b>	<b><sup>199</sup>Hg</b>	<b>-2.8</b>	<b>4</b>	<b>Seattle</b>
86	<sup>223</sup> Rn	3.3	3300	TRIUMF
<b>88</b>	<b><sup>225</sup>Ra</b>	<b>-8.2</b>	<b>2500</b>	Argonne, <b>KVI</b>
88	<sup>223</sup> Ra	-8.2	3400	

$$d_n = 5 \times 10^{-24} e \text{ cm } \eta, \quad d(^3\text{He})/d_n = 10^{-5}$$

# Radium Permanent Electric Dipole Moment



## Benefits of Radium

- near degeneracy of  $^3P_1$  and  $^3D_2$   
 $\Rightarrow \sim 40\,000$  enhancement
- some nuclei strongly deformed  
 $\Rightarrow$  nuclear enhancement  
 $50 \sim 1000$  (?is Schiff operator correct?)

$^3D$  : electron spins parallel

$\Rightarrow$  electron EDM

$^1S$  : electron Spins anti-parallel

$\Rightarrow$  atomic / nuclear EDM

Ra also interesting for weak interaction effects  
 Anapole moment, weak charge  
 (Dzuba et al., PRA 6, 062509)

# Deformed Nuclei

Enhancement of Dipole Moments

# IS475 @ ISOLDE

## Measurements of octupole collectivity in odd-mass Rn, Fr and Ra isotopes

*CERN-ISOLDE* (J. Pakarinen, T. Stora, D. Voulot, F. Wenander), *TU Darmstadt* (Th. Kröll), *GANIL* (E. Clément), *U Groningen KVI* (K. Jungmann, J. Van de Walle, L. Willmann, H.W. Wilschut), *U Jyväskylä* (T. Grahn, P. T. Greenlees, R. Julin, P. Nieminen), *U Kentucky* (S.W. Yates), *U Köln* (A. Blazhev, N. Warr), *Lawrence Livermore L* (E. Kwan, M. A. Stoyer, C.-Y. Wu), *KU Leuven* (M. Huyse, P. Van Duppen), *U Liverpool* (P.A. Butler, R.-D. Herzberg, D.T. Joss, R.D. Page, P. Papadakis, M. Scheck), *U Lund* (J. Cederkäll), *U Michigan* (T. Chupp, W. Lorenzon), *TU München* (V. Bildstein, R. Gernhäuser, R. Krücken, D. Muecher, N. Nowak, K. Wimmer), *U Oslo* (A. Bürger, M. Guttormsen, A.-C. Larsen, H.T. Nyhus, S. Siem, H. Toft, G. Tveten), *U Rochester* (D. Cline, A. Hayes), *HIL U Warsaw* (K. Hadynska-Klek, J. Iwanicki, P. Napiorkowski, D. Pietak, J. Srebrny, K. Wrzosek-Lipska, M. Zielinska), *U West Scotland* (A. Andreyev, J.F. Smith)

Spokesperson: **P.A. Butler** (*Liverpool*)

### Abstract

It is proposed to study octupole correlations in odd-mass Rn, Fr and Ra isotopes using Coulomb excitation at 4.5-5 MeV.A. These data are necessary to interpret EDM measurements in terms of time-reversal violating interactions.

First Beamtime@ISOLDE 2012 on  $^{221}\text{Rn}$

$B(E3, 0^+ \mapsto 3^-)$  in  $^{224}\text{Ra}$ ?  
Octupole collectivity – Macroscopic

Multipole expansion of the shape:  
 $2^L$ -pole and  $L=3 \Rightarrow$  Octupole

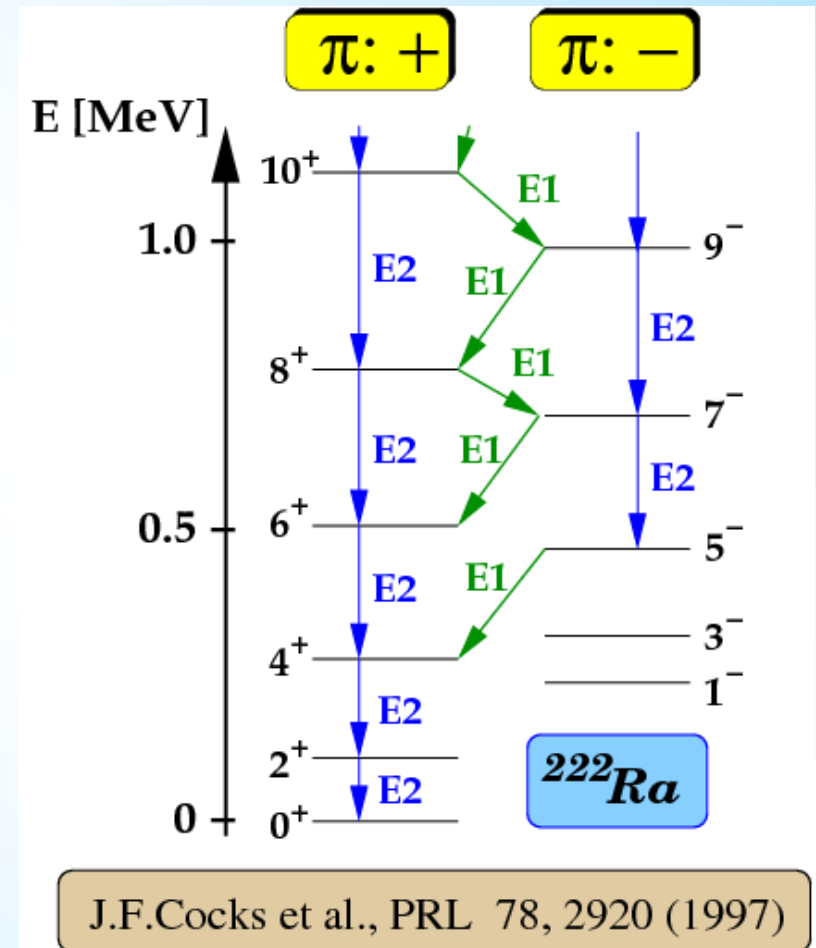


# B(E3, 0<sup>+</sup> → 3<sup>-</sup>) in <sup>224</sup>Ra? Octupole collectivity – Macroscopic

Multipole expansion of the shape:  
2<sup>L</sup>-pole and L=3 ⇒ Octupole



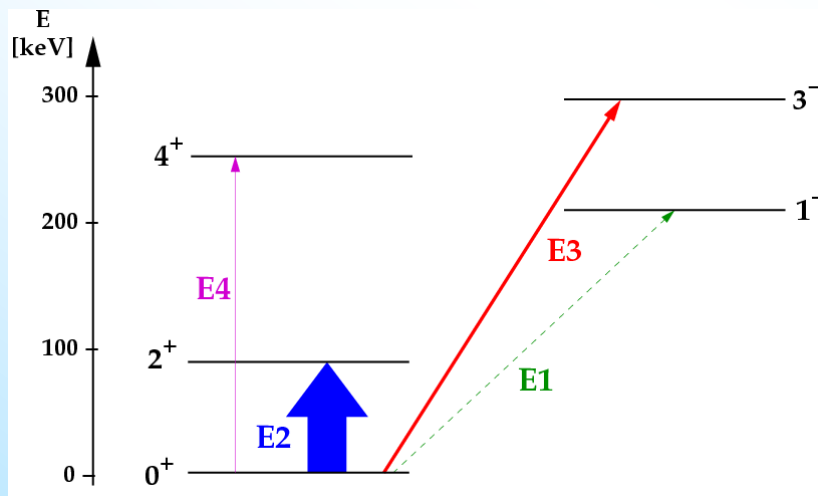
**Reflection Asymmetric**



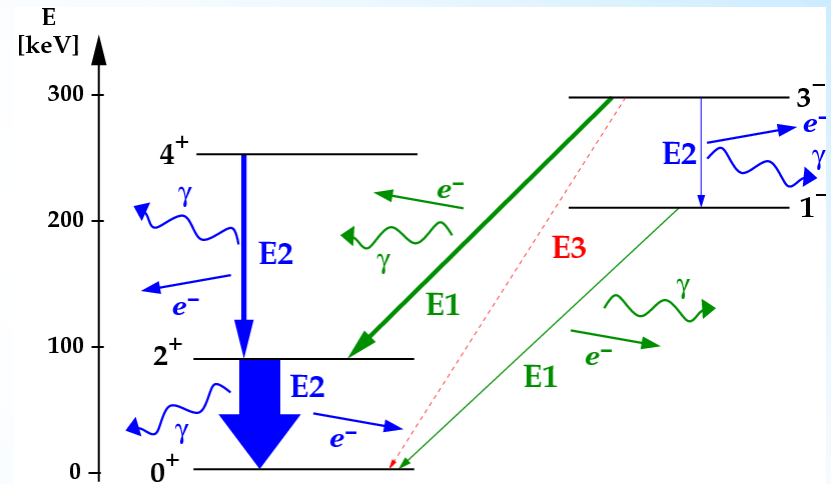
# Measure $B(E3, 0^+ \rightarrow 3^-)$ strengths

## Why Coulomb excitation?

### Excitation-process



### Decay-process



**Principle:**

**E1**  $10^4$ - $10^6$ x more probable

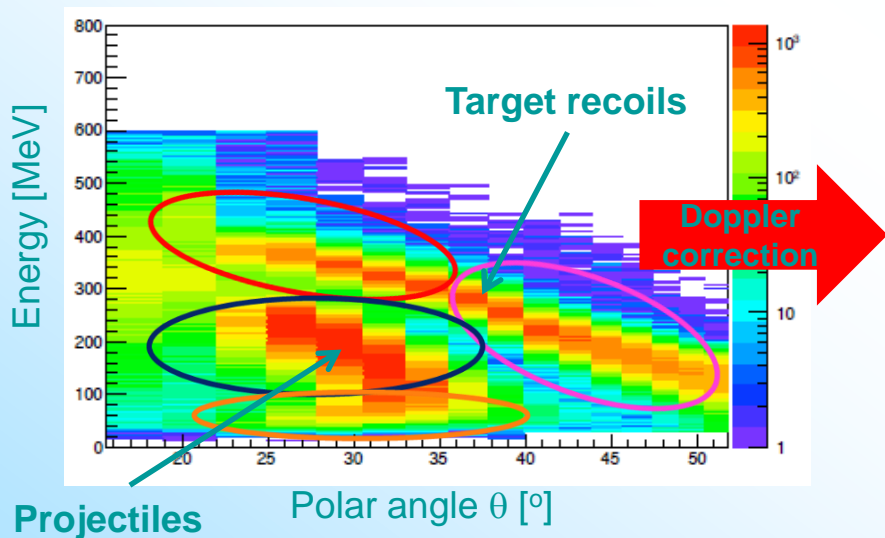
Populate  $3^-$  level with **E3** in Coulex  $\Rightarrow$  observe **E1**(and **E2**) decay  $\gamma$  ray(s)



# Kinematics and $\gamma$ -ray spectra

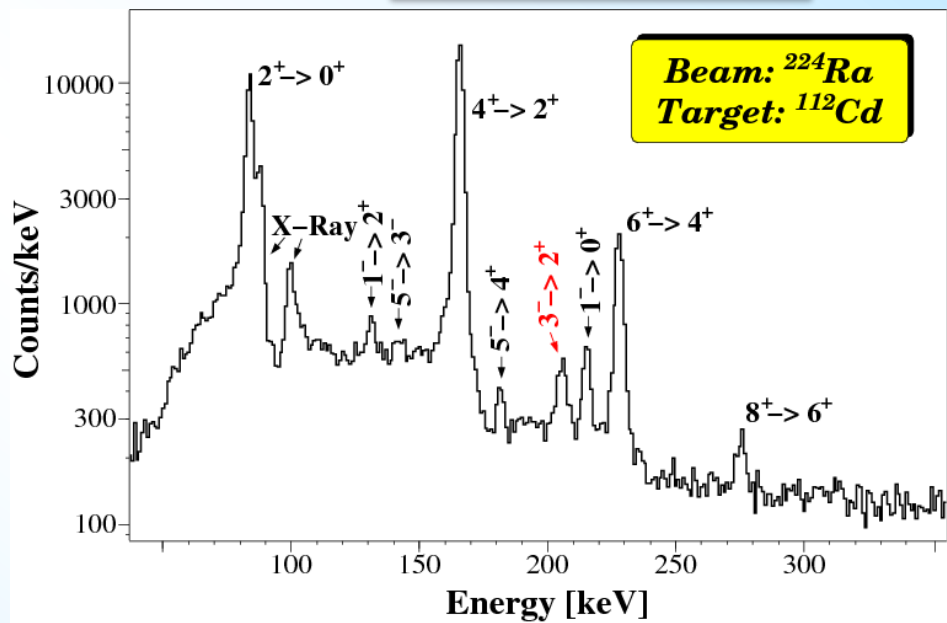
Experimental Information

(Inverse) reaction kinematics



Split in 4 angular ranges

$\gamma$ -ray Spectrum



4x 9  $\gamma$ -ray yields

# Radium Atom: Nuclear Structure

## Partial Nuclear Level scheme

$^{225}\text{Ra}$

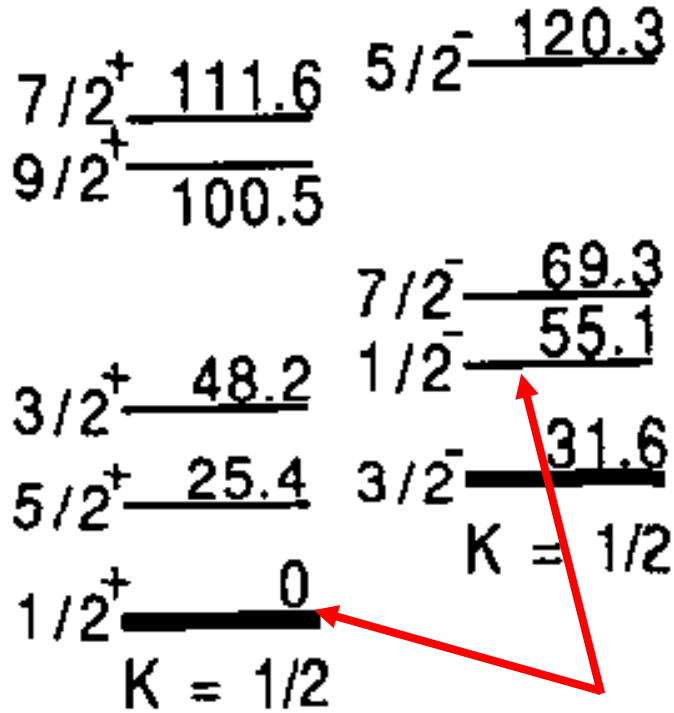


Figure from I. Ahmad & P. Butler, Ann. Rev. Nucl. Part.Sci.43,71(1993)

## Enhancement due to Octupole deformation

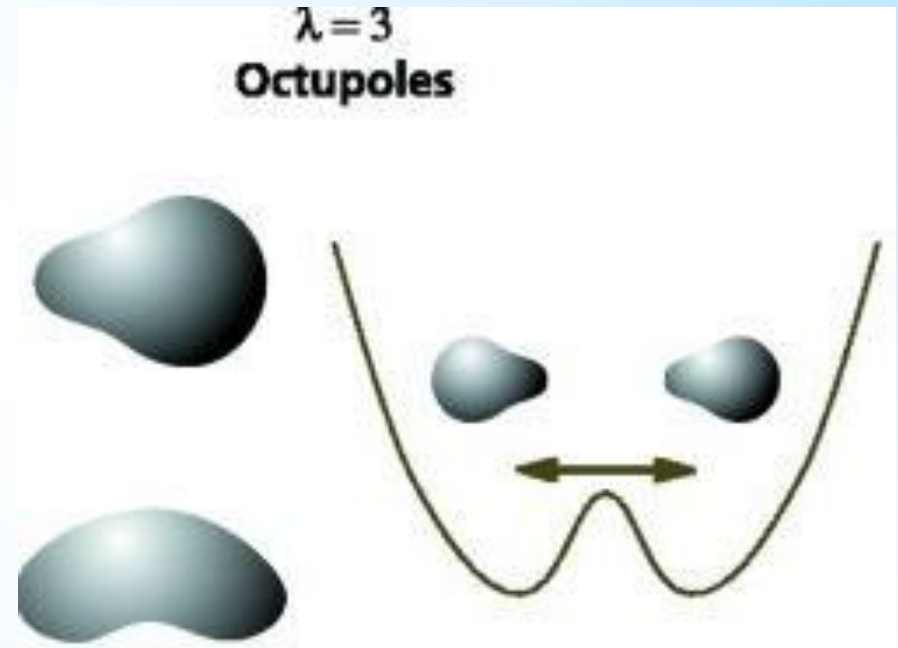


Figure from R. Lucas, Europhysics news 31,71(2001)

### Theory

J. Engel, J. Dobaczewski et al.

**Nuclear enhancement: 50 - 500**

# EDM of $^{225}\text{Ra}$ enhanced

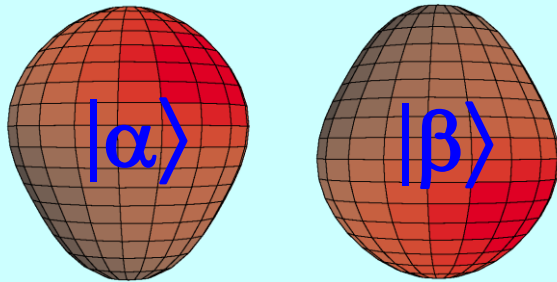
$^{225}\text{Ra}$ :

$$I = \frac{1}{2}$$

$$t_{1/2} = 15 \text{ d}$$

- Closely spaced parity doublet – *Haxton & Henley (1983)*
- Large intrinsic Schiff moment due to octupole deformation – *Auerbach, Flambaum & Spevak (1996)*
- Relativistic atomic structure ( $^{225}\text{Ra} / ^{199}\text{Hg} \sim 3$ ) – *Dzuba, Flambaum, Ginges, Kozlov (2002)*

Parity doublet



$$\begin{array}{l} \text{---} \Psi^- = (|\alpha\rangle - |\beta\rangle)/\sqrt{2} \\ \updownarrow 55 \text{ keV} \\ \text{---} \Psi^+ = (|\alpha\rangle + |\beta\rangle)/\sqrt{2} \end{array}$$

$$S \equiv \langle \psi_0 | \hat{S}_z | \psi_0 \rangle = \sum_{i \neq 0} \frac{\langle \psi_0 | \hat{S}_z | \psi_i \rangle \langle \psi_i | \hat{H}_{PT} | \psi_0 \rangle}{E_0 - E_i} + \text{c.c.}$$

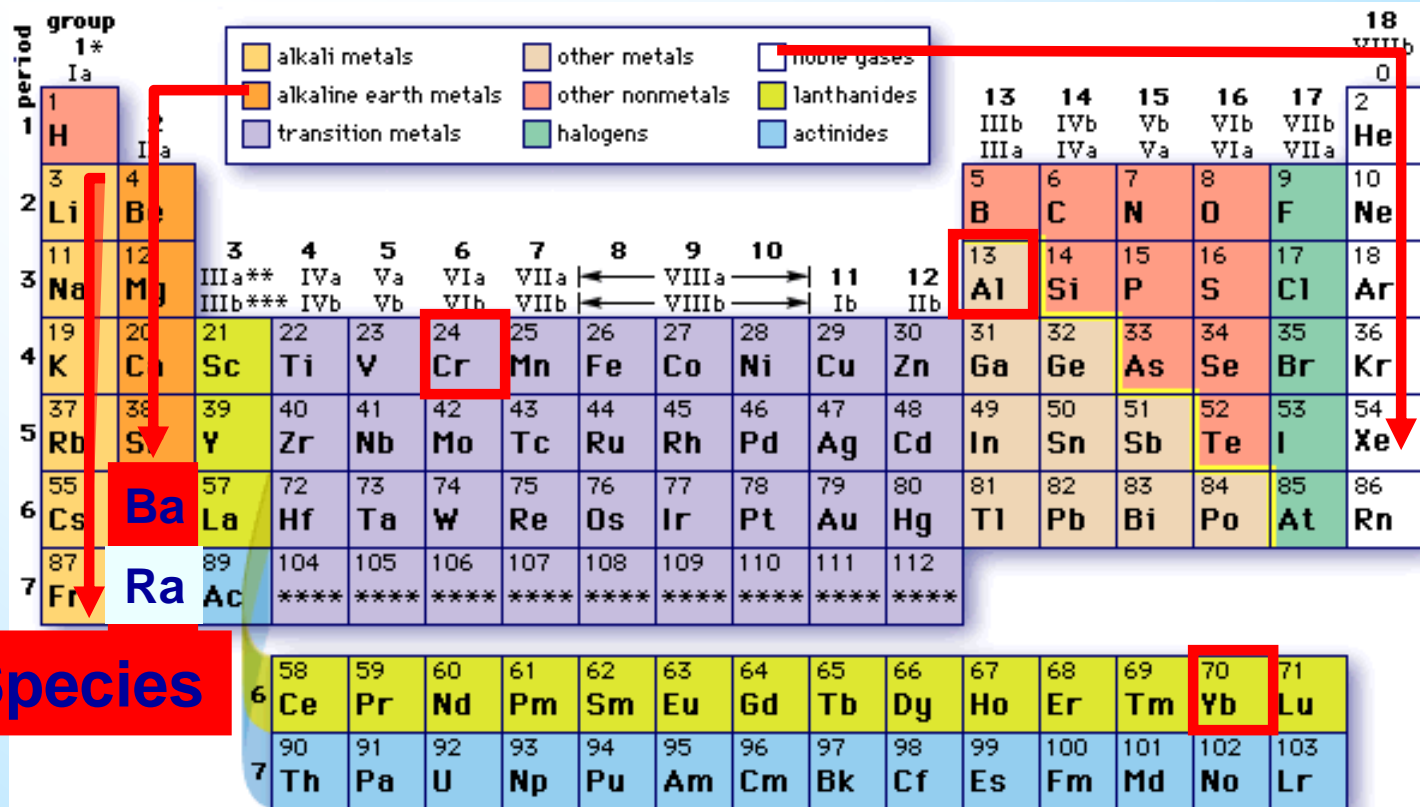
Enhancement Factor: EDM ( $^{225}\text{Ra}$ ) / EDM ( $^{199}\text{Hg}$ )

Skyrme Model	Isoscalar	Isovector	Isotensor
SIII	300	4000	700
SkM*	300	2000	500
SLy4	700	8000	1000

Schiff moment of  $^{225}\text{Ra}$ , *Dobaczewski, Engel (2005)*

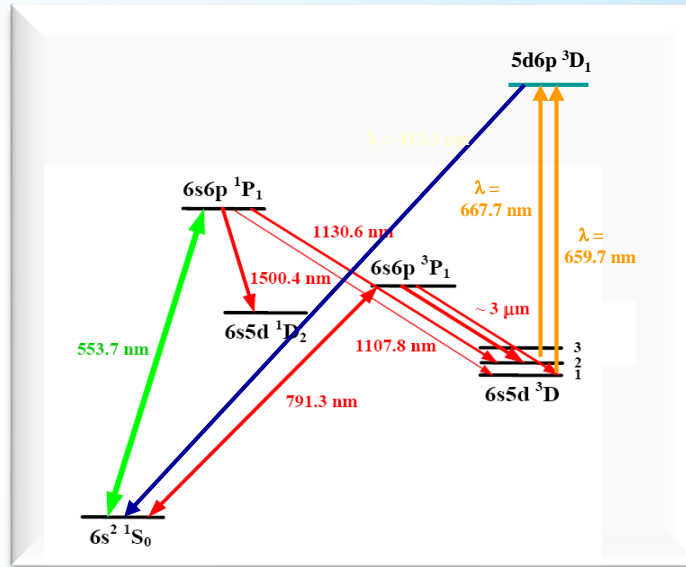
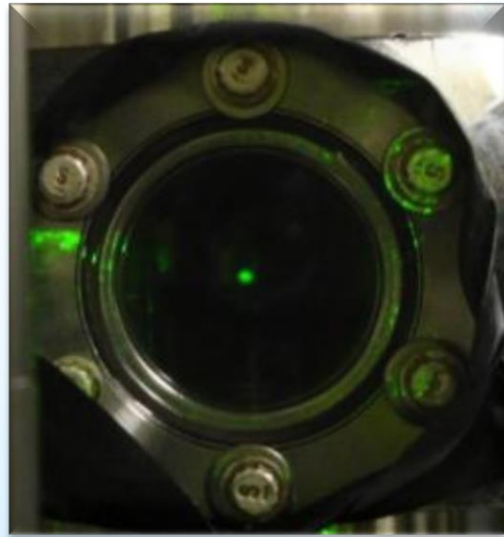
Schiff moment of  $^{199}\text{Hg}$ , *Ban, Dobaczewski, Engel, Shukla (2010)*

# Laser Cooling Chart

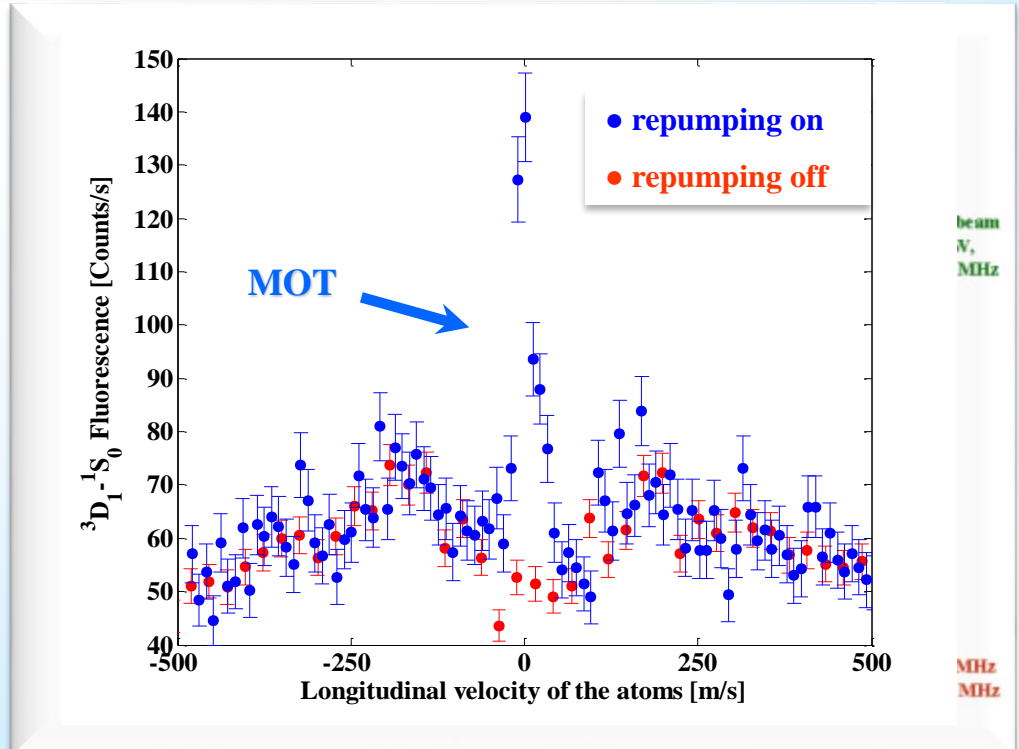
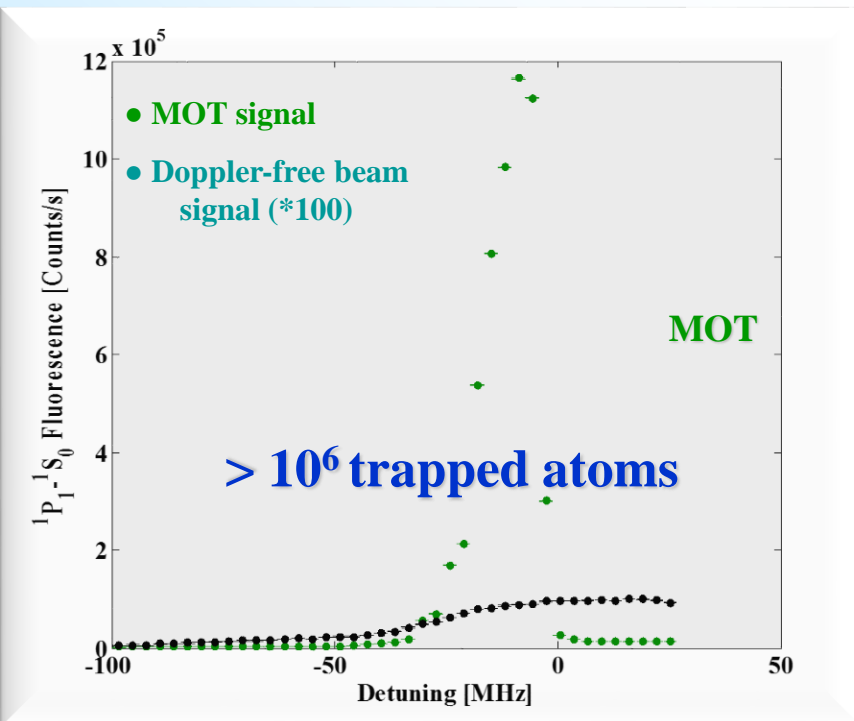


**Next Species**

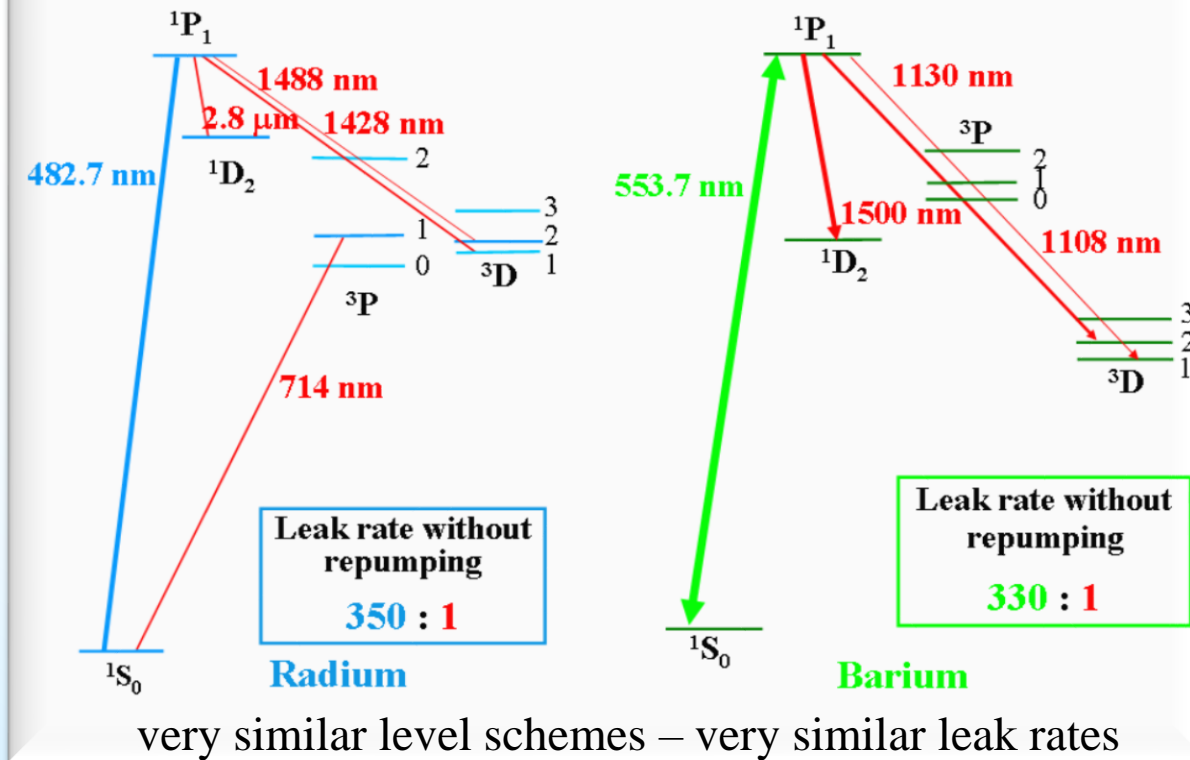
# Efficient Trapping of Barium Atoms



1 % trapping efficiency!



## Radium – Barium Optical Trapping



- Cooled and trapped on intercombination line with Zeeman slower

(Argonne: Phys. Rev. Lett. 98, 093001, 2007)

- $\sim 7 \cdot 10^{-7}$  cooling & trapping efficiency from atomic beam
- $\sim 20$   $^{225}\text{Ra}$  (7000  $^{226}\text{Ra}$ ) atoms trapped

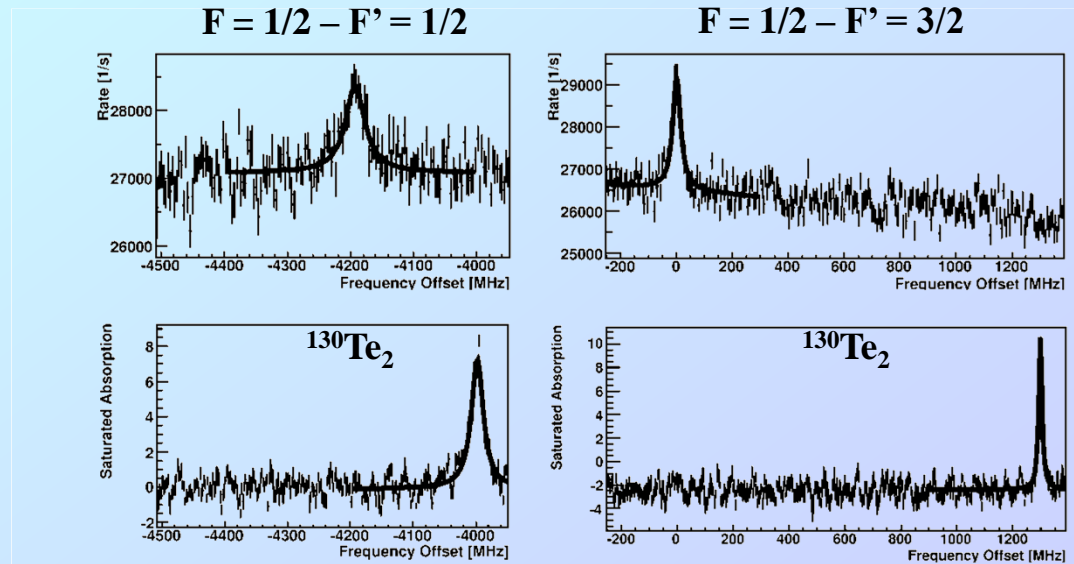
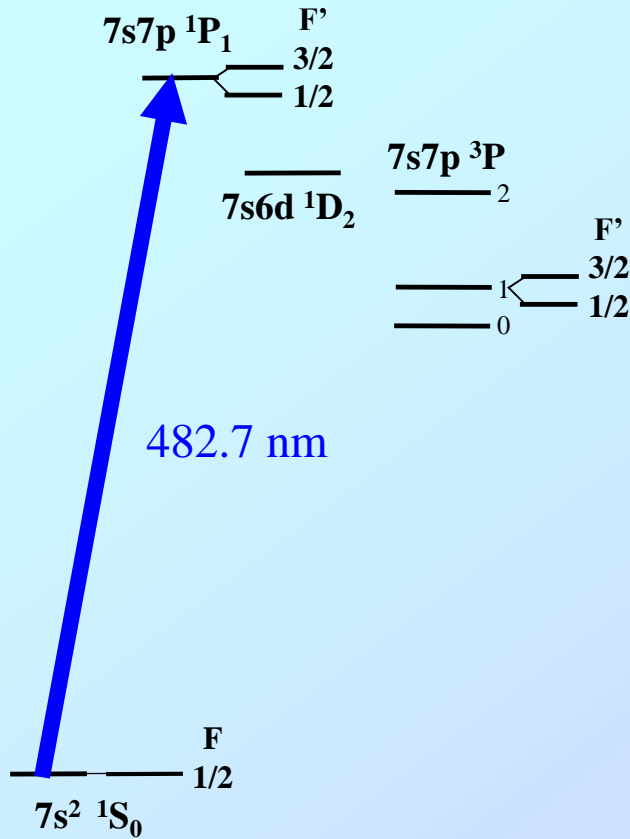
- Cooled and trapped on resonance line with many laser repumping

(KVI: S. De, L. Willmann et al., Phys.Rev. A79,41402(R), 2009)

- $\sim 10^{-2}$  cooling & trapping efficiency from atomic beam
- $10^6$  Ba atoms trapped
- method transferrable to Radium

# $^{225}\text{Radium}$ Spectroscopy

$7s^2\ ^1S_0 - 7s7p\ ^1P_1$ : Strong transition, laser cooling



Accuracy of transition frequency:

4 MHz relative to  $^{130}\text{Te}_2$ ,

$F=1/2 \rightarrow F'=3/2$  @  $20715.7210(1)\text{cm}^{-1}$

2100 MHz ( $0.03\text{cm}^{-1}$ ) Rasmussen, Z.Phys 87, 607 (1934)

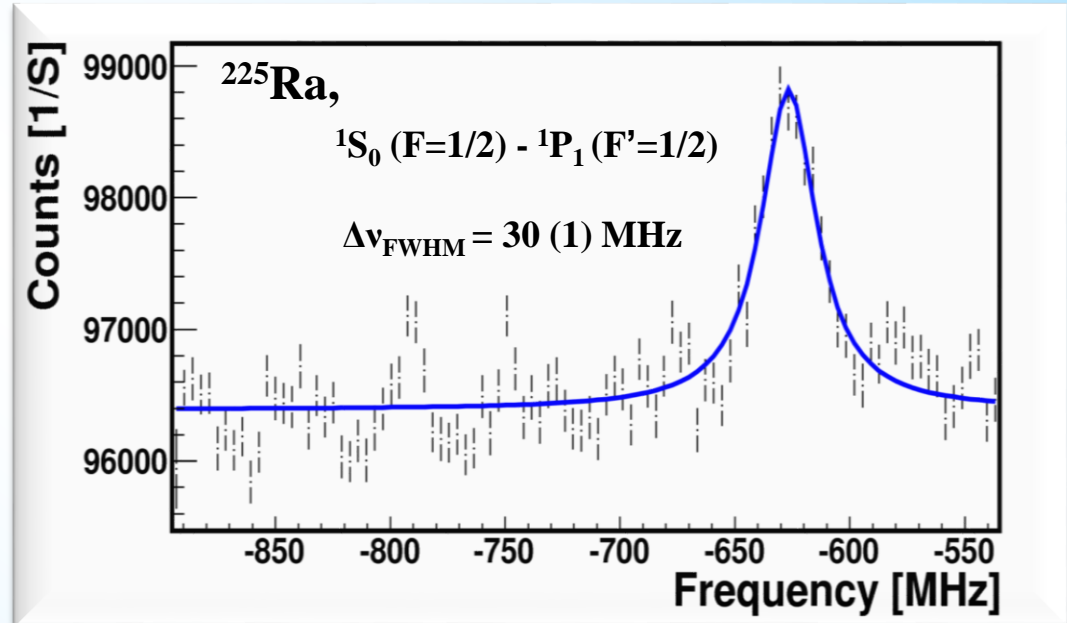
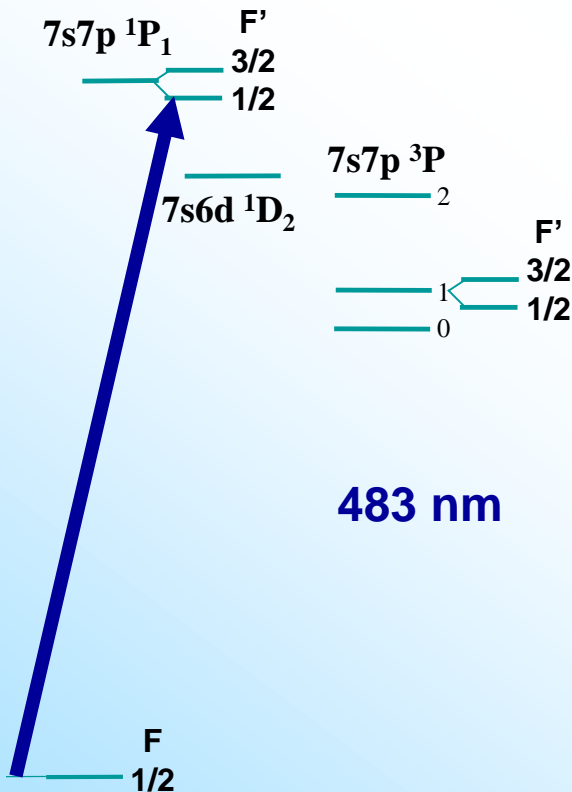
Hyperfine Structure:

4198(4) MHz

4195(4)MHz (Wendt et al. Z. Phys. D4, 227 (1987))

# $^{225}\text{Ra}$ Spectroscopy

$7s^2\ ^1S_0 - 7s7p\ ^1P_1$ : strong transition, first stage cooling



**Absolute Frequency:**  
**Offset from a  $^{130}\text{Te}_2$  line**

627( 5) MHz (L. Willmann et al., KVI (2010))

**→ Relevant input for atomic theory**



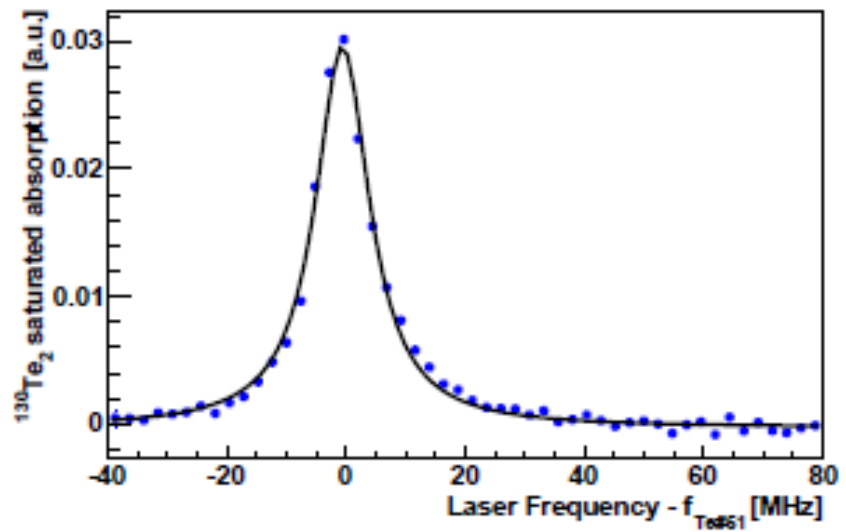
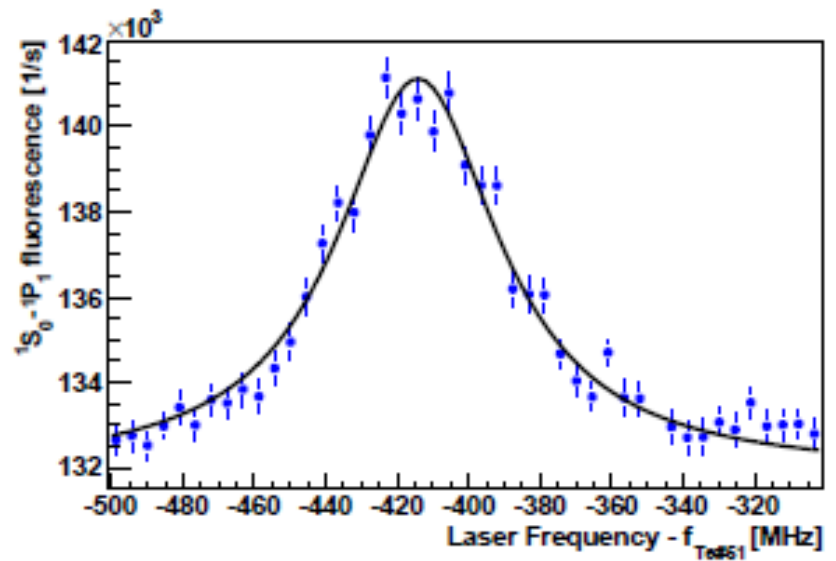
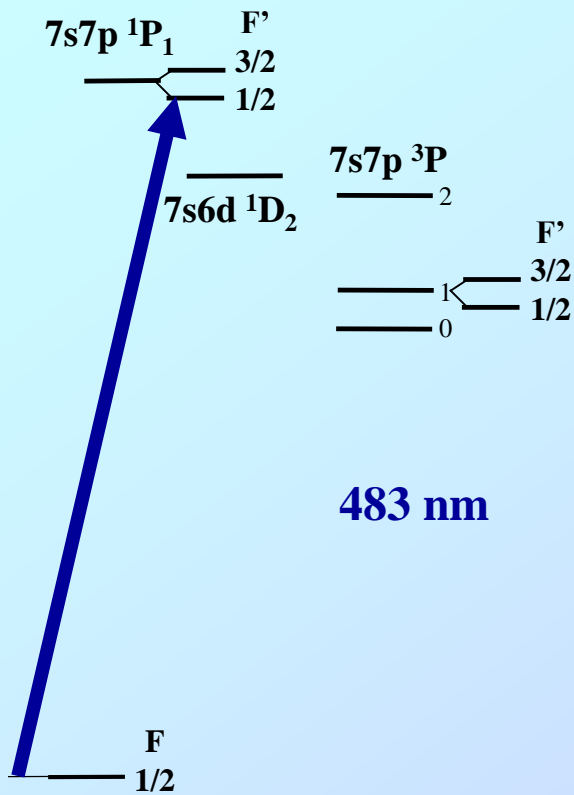
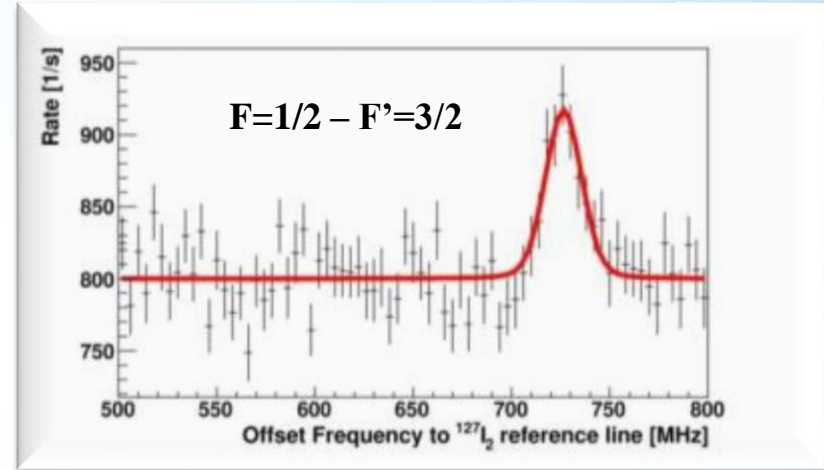
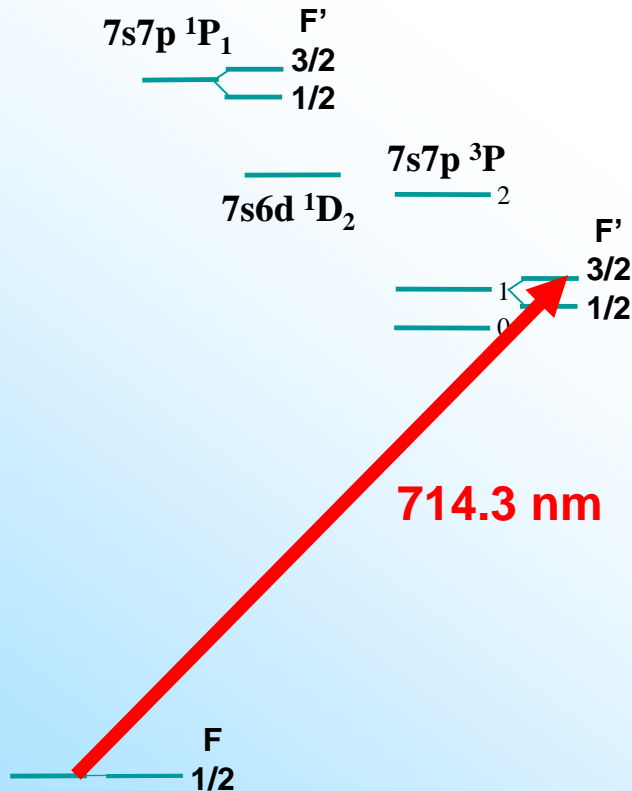


FIG. 6.6: (Top) Fluorescence from the  $^{1}S_0(F=1/2)$ - $^{1}P_1(F=3/2)$  transition in  $^{225}\text{Ra}$ . (Bottom) Saturated absorption line no.51 in  $^{130}\text{Te}_2$ . The frequency of the transition in radium is 418(1) MHz lo  
e reference line #51 (Sec-

# $^{225}\text{Radium}$ Spectroscopy

$7s^2\ ^1S_0 - 7s7p\ ^3P_1$ : weak transition, second stage cooling



Absolute Frequency:  
Offset from a  $^{127}\text{I}_2$  line

726(5) MHz (L. Willmann et al., KVI (2010))

702(30) MHz (N. D. Scielzo et al., PRA 73, 010501(R) (2006))

→ **Relevant input for atomic theory**

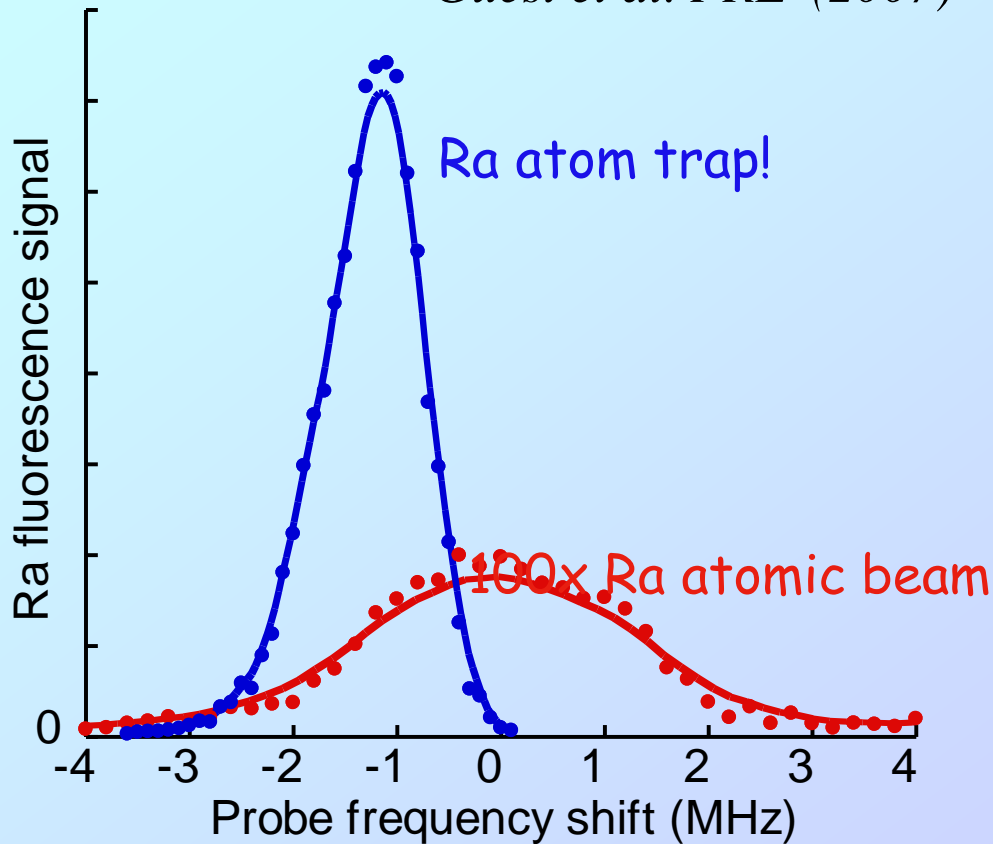
# Τραππινγ οφ $^{225}\text{Ra}$ ανδ $^{226}\text{Ra}$ Ατομσ

- Key  $^{225}\text{Ra}$  frequencies, lifetimes measured

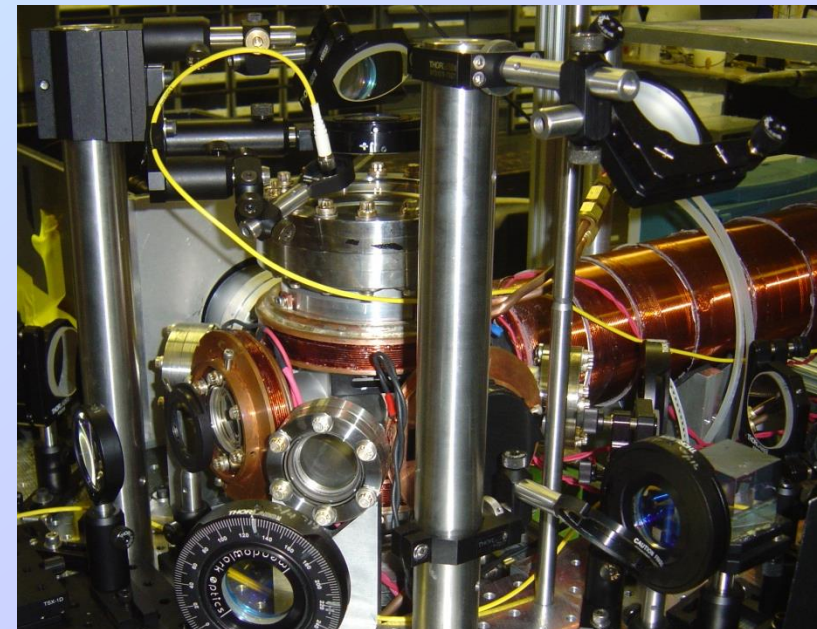
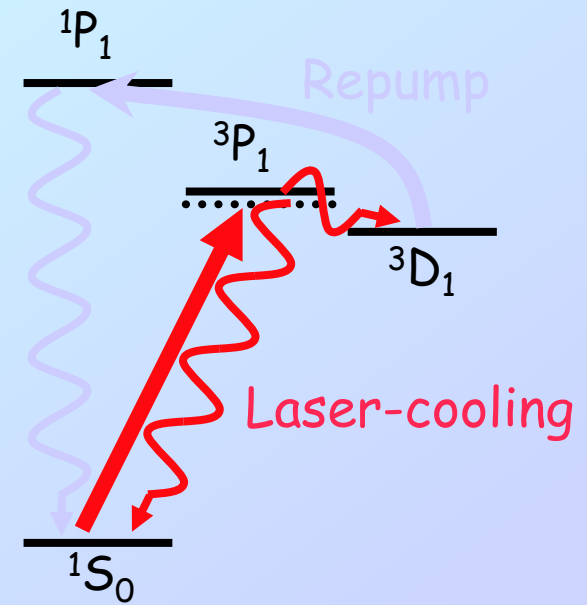
*Scielzo et al. PRA (2006)*

- $^{225}\text{Ra}$  laser cooled and trapped!

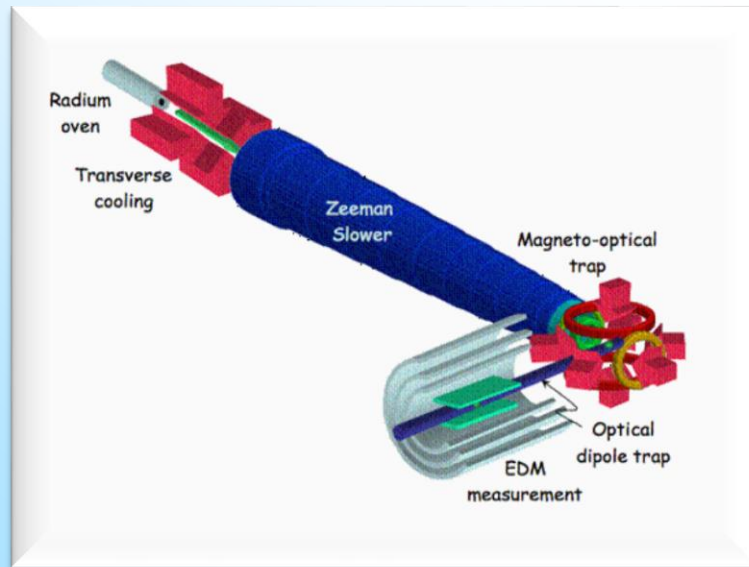
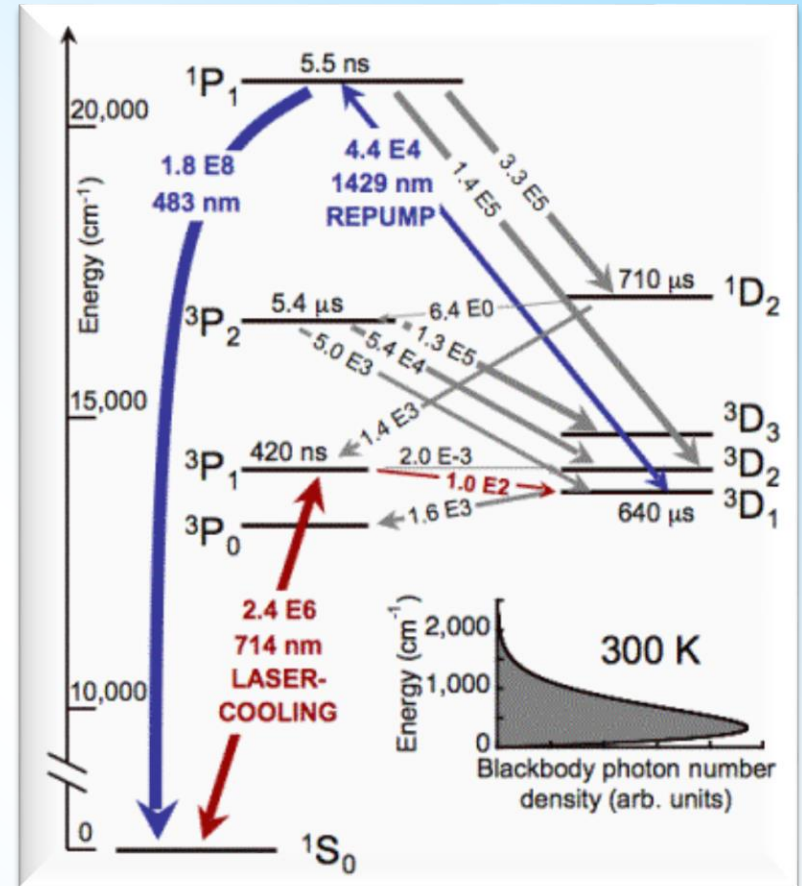
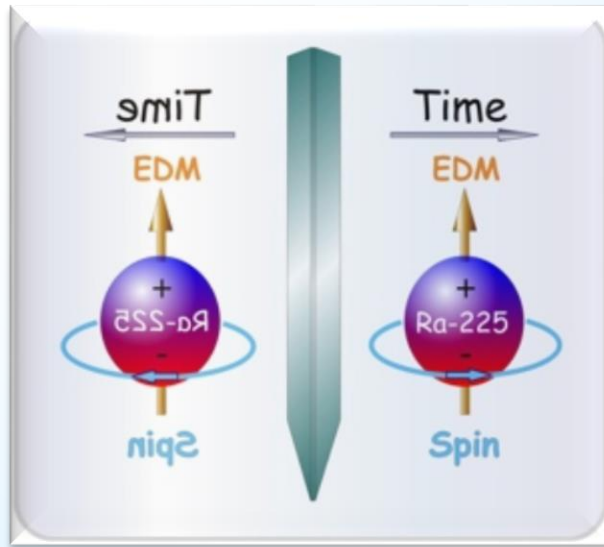
*Guest et al. PRL (2007)*



From Peter Mueller, ANL



# Argonne Radium EDM



# Radium EDM Setup @ Argonne



# Key Issues for Ra

➤ Sources of Radium Isotopes

➤ Efficient laser cooling on strong transition: 483 nm

Close leaks with additional lasers  
demonstrated with Ba

S.De et al., PRA **79**, 041402(R) (2009)

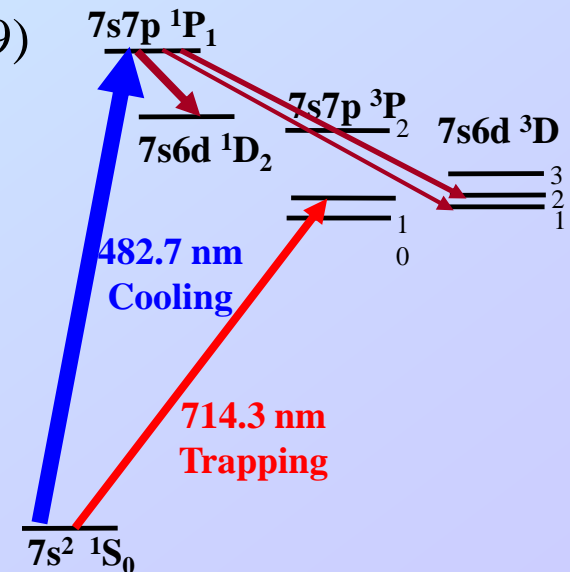
➤ Magneto-optical trapping: 714 nm

J.R. Guest et al., PRL 98, 093001(2007)

Lower trap temperatures

Efficient loading to an optical dipole trap

➤ Optical Dipole trapping

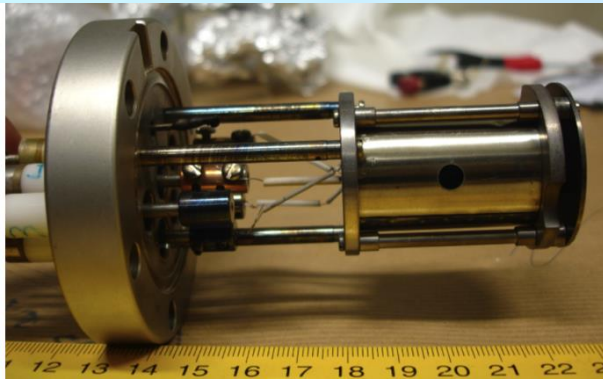


# Sources & Isotopes

**$^{225}\text{Ra}$**  (from sources)

**Electrochemical extraction  
from  $^{229}\text{Th}$  source (ANL)**  
regular filling required

**Long lived  $^{229}\text{Th}$  source in  
an oven (TRI $\mu$ P@KVI)**



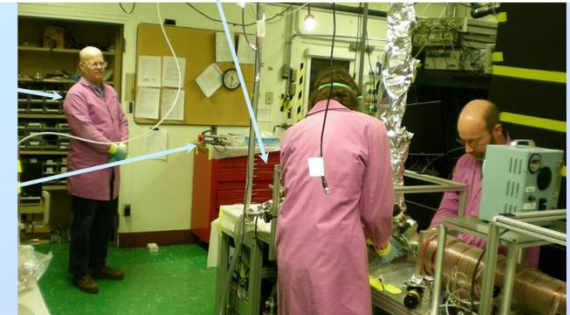
Argonne  
National Lab

Experiment seems feasible with modest  
( $< 10\text{ mCi}$ )  $^{225}\text{Ra}$  sources.

Radium oven

Stern man

Geiger  
counter



Special thanks to our health physicists Paul Niquette and Lee Sprouse.

Once filled with  
 $^{229}\text{Th}$   $10\mu\text{Ci}$

## Isotope Production Facilities

ISOLDE, CERN (flux  $\sim 10^9/\text{s}$ )

FRIB, MI, USA (flux  $\sim 10^9/\text{s}$ )

ISOL@MIRRA even higher

Isotope	Half life ( $\tau_{1/2}$ )	Nuclear spin (I)
$^{225}\text{Ra}$	14.9 days	1/2
$^{223}\text{Ra}$	11.4 days	3/2
$^{213}\text{Ra}$	2.74 min	1/2

# Radium cooling

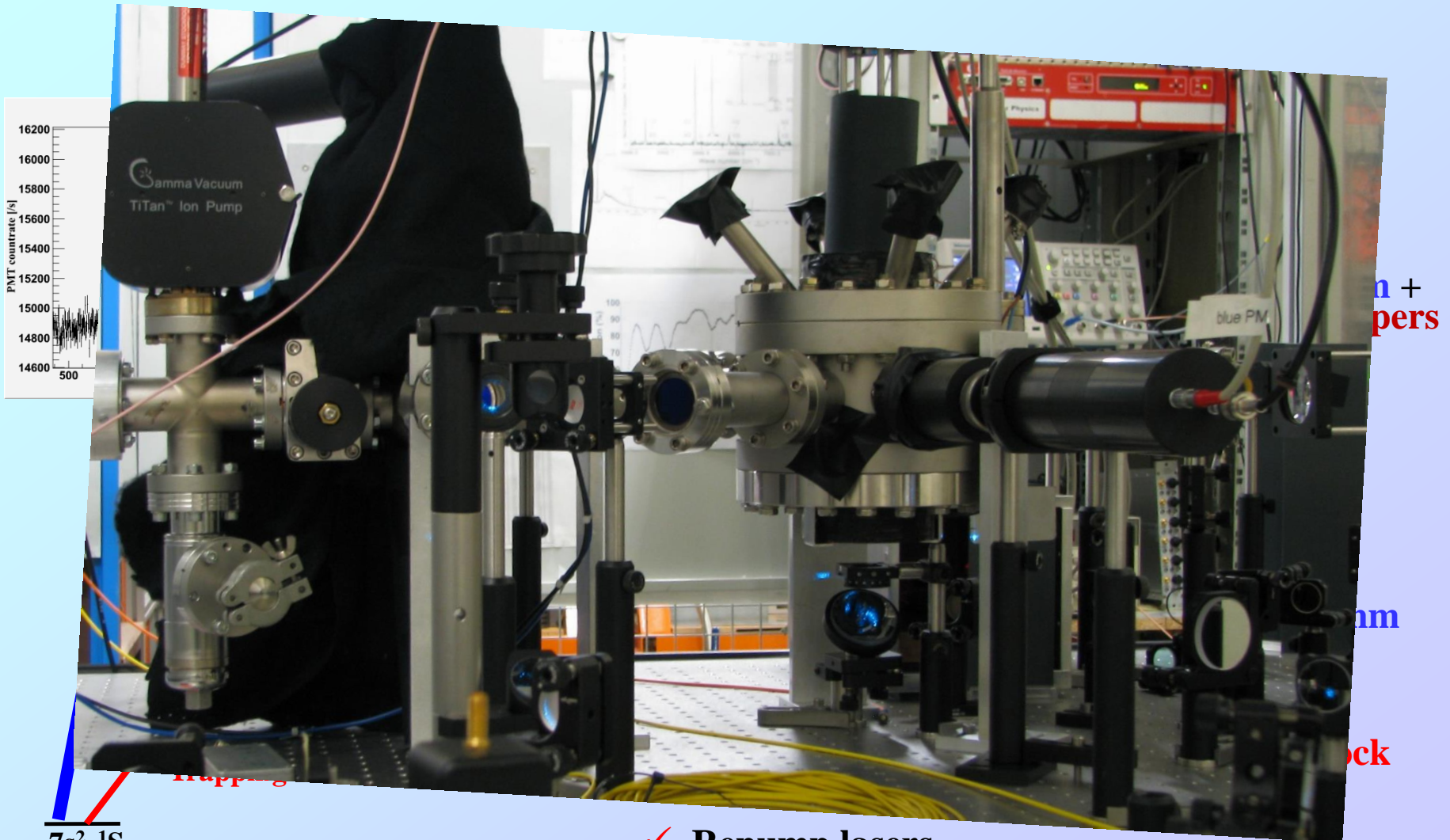
Parameter	483 nm	714 nm
Maximum deceleration (a)	$330 \times 10^3 \text{ m/s}^2$	$3 \times 10^3 \text{ m/s}^2$
Distance to stop 300 m/s (d)	0.14 m	15 m
Doppler cooling limit ( $T_D$ )	700 $\mu\text{K}$	9 $\mu\text{K}$
Recoil limit ( $T_R$ )	180 nK	83 nK

- transition leak rate 1:350
- indispensable repumping
- 0.1 m slowing section  
60 % of all atoms

- transition leak rate 1:25000
- 1 m slowing section  
0.06% of all atoms  
0.6% with repumping




# Towards an experiment



$7s^2 \ ^1S_0$

✓ Repump lasers

# EDMs of atoms of experimental interest

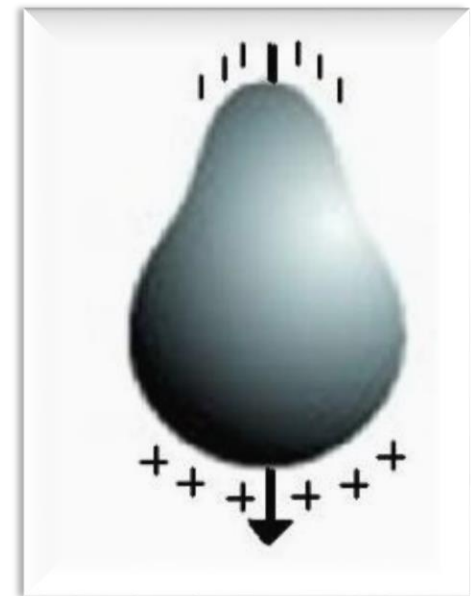
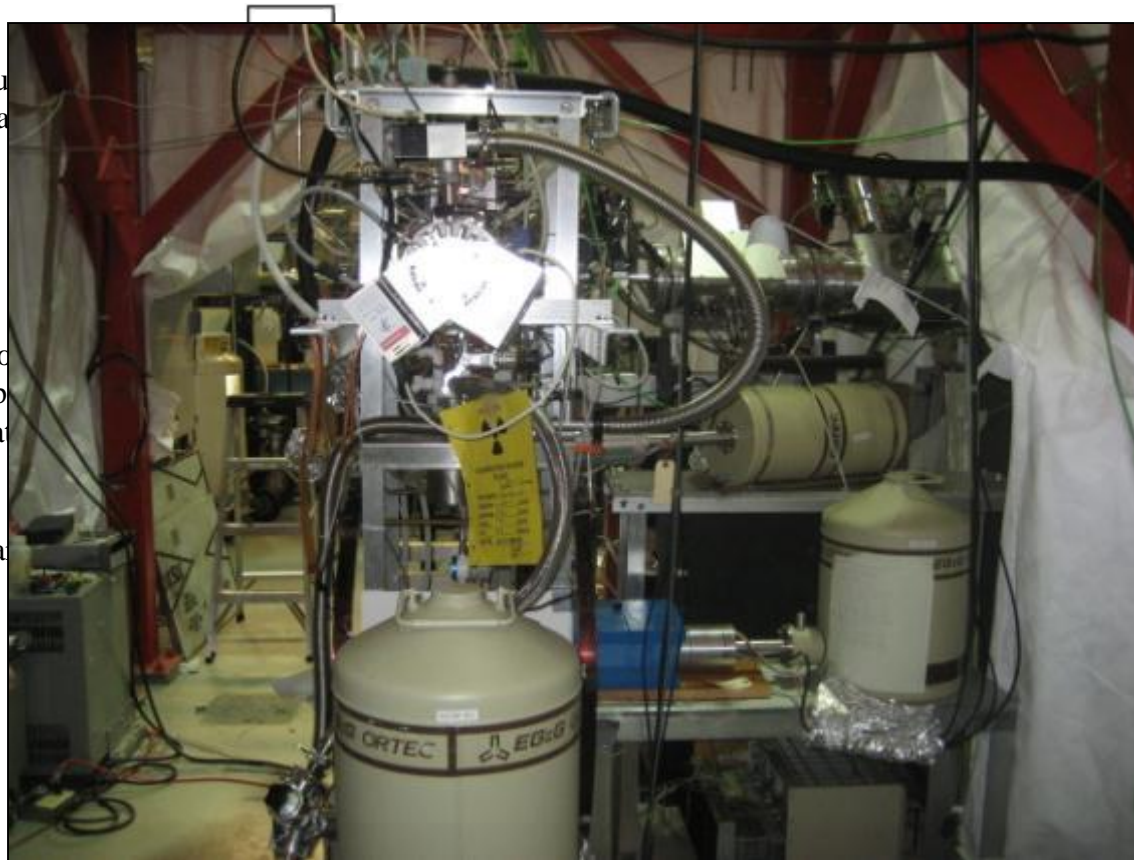
Z	Atom	[S/(e fm <sup>3</sup> )]e cm	[10 <sup>-25</sup> η] e cm	Expt.
2	<sup>3</sup> He	0.00008	0.0005	
<b>54</b>	<b><sup>129</sup>Xe</b>	<b>0.38</b>	<b>0.7</b>	Seattle, Ann Arbor, Princeton, Tokyo, <i>Mainz-PTB-HD-KVI</i>
70	<sup>171</sup> Yb	-1.9	3	Bangalore, Kyoto
<b>80</b>	<b><sup>199</sup>Hg</b>	<b>-2.8</b>	<b>4</b>	<b>Seattle</b>
 86	<sup>223</sup> Rn	3.3	3300	TRIUMF
88	<sup>225</sup> Ra	-8.2	2500	Argonne, KVI
88	<sup>223</sup> Ra	-8.2	3400	

$$d_n = 5 \times 10^{-24} \text{ e cm } \eta, \quad d(^3\text{He})/d_n = 10^{-5}$$

# Towards a Rn EDM Experiment at TRIUMF

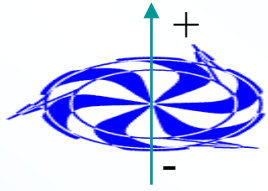
T. Chupp and C. Svensson

- Magnitude of EDM  $\sim Z^3$
- Radon isotopes possibly octupole deformed
- Rn is predicted to be  $\sim 600$  times more sensitive than  $^{199}\text{Hg}$



# Radon-EDM Experiment TRIUMF E929

T. Chupp (Michigan) & C. Svensson (Guelph)  
Funding: NSF, DOE, NRC, NSERC



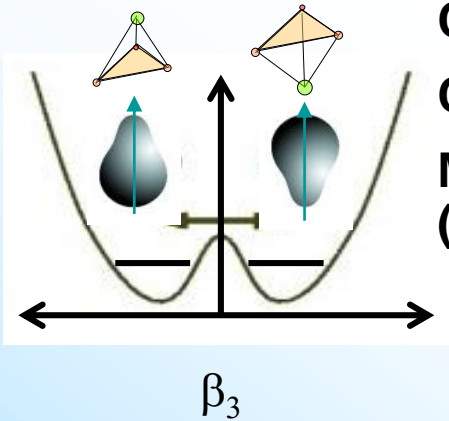
TRIUMF

Produce rare ion radon beam

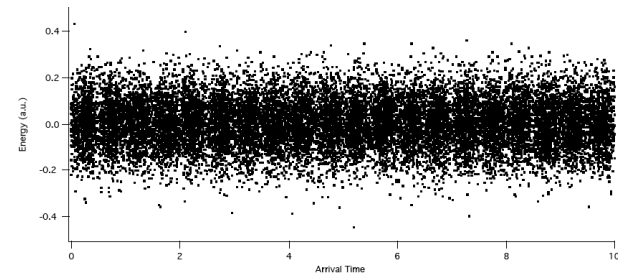
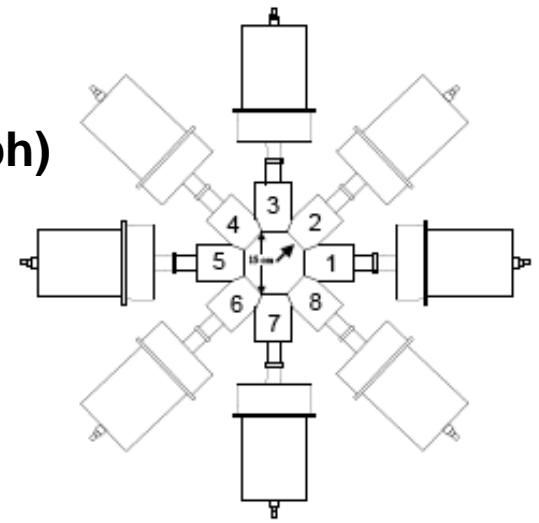
Collect in cell

Comagnetometer

Measure free precession  
( $\gamma$  anisotropy/ $\beta$  asymmetry)



$$\sigma_d \approx \frac{\hbar}{AET_2\sqrt{N}}$$



## $^{221/223}\text{Rn}$ EDM projected sensitivity

Facility	Detection	$S_d$ (100 d)
ISAC	$\gamma$ anisotropy	$2 \times 10^{-26}$ e-cm
ISAC	$\beta$ asymmetry	$1 \times 10^{-27}$ e-cm
FRIB	$\beta$ asymmetry	$2 \times 10^{-28}$ e-cm

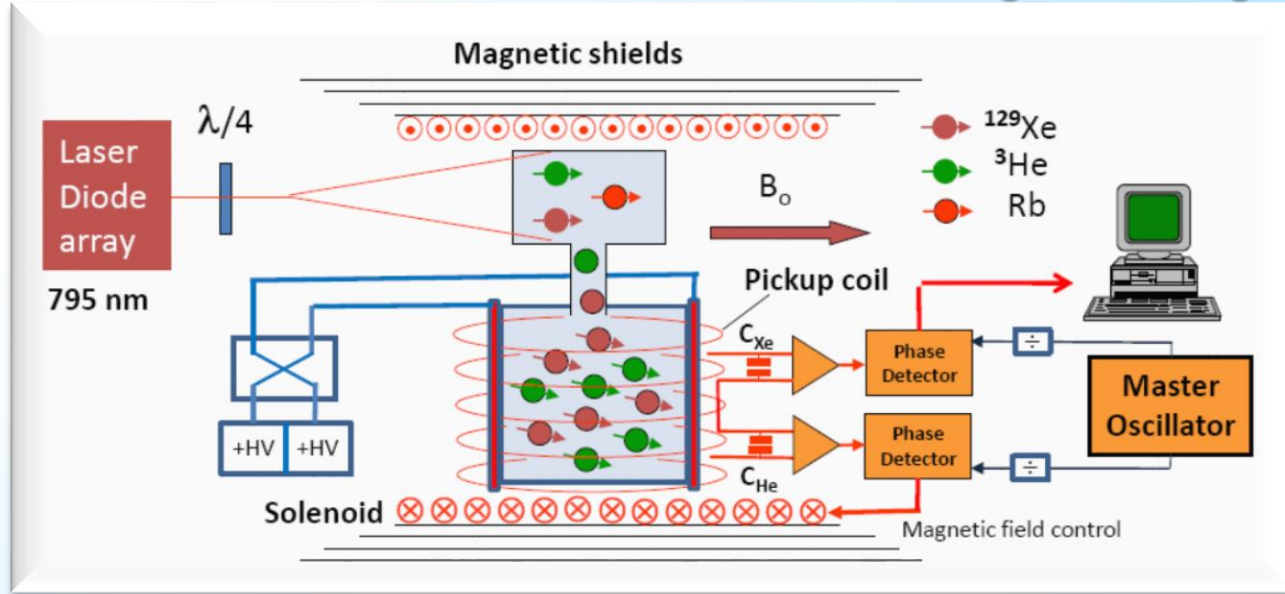
→  $\sim 5 \times 10^{-30}$  for  $^{199}\text{Hg}$

# EDMs of atoms of experimental interest

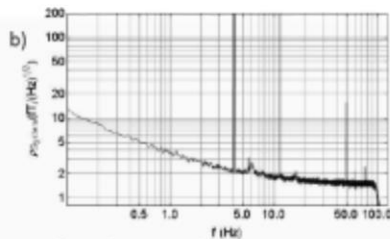
Z	Atom	$[S/(e \text{ fm}^3)] e \text{ cm}$	$[10^{-25} \eta] e \text{ cm}$	Expt.
2	$^3\text{He}$	0.00008	0.0005	
<b>54</b>	$^{129}\text{Xe}$	<b>0.38</b>	<b>0.7</b>	Seattle, Ann Arbor, Princeton, Tokyo, <i>Mainz-PTB-HD-KVI</i>
70	$^{171}\text{Yb}$	-1.9	3	Bangalore, Kyoto
<b>80</b>	$^{199}\text{Hg}$	<b>-2.8</b>	<b>4</b>	<b>Seattle</b>
86	$^{223}\text{Rn}$	3.3	3300	TRIUMF
<b>88</b>	$^{225}\text{Ra}$	<b>-8.2</b>	<b>2500</b>	Argonne, <b>KVI</b>
88	$^{223}\text{Ra}$	-8.2	3400	

# Future EDM Search from $^3\text{He}/^{129}\text{Xe}$ Clock Comparison

W.Heil, U. Schmidt, L. Willmann et al. Mainz – Heidelberg - Groningen



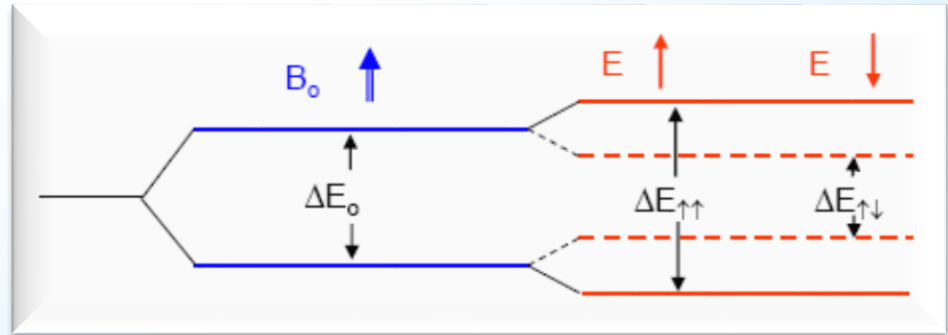
Prototype of cylindrical  $\mu$ -metal shield



no elevated system noise inside inner shield made out of metglas (amorphous metal alloy ribbon)



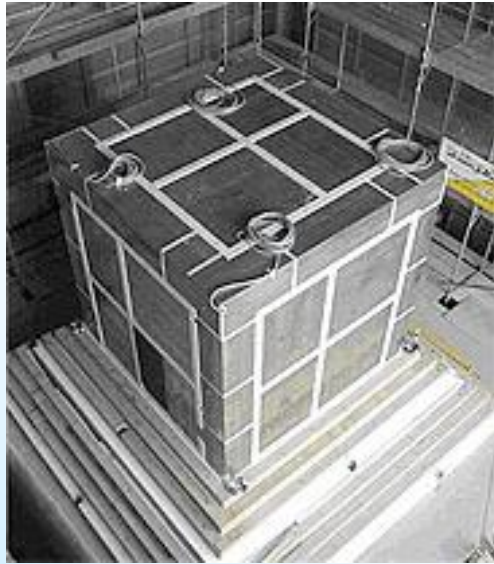
c)



- present limit  $d_{\text{Xe}} < 3 \times 10^{-27}$  ecm
- goal gain 3 orders of magnitude
- note  $d_{\text{Hg}} < 3,1 \times 10^{-29}$  ecm

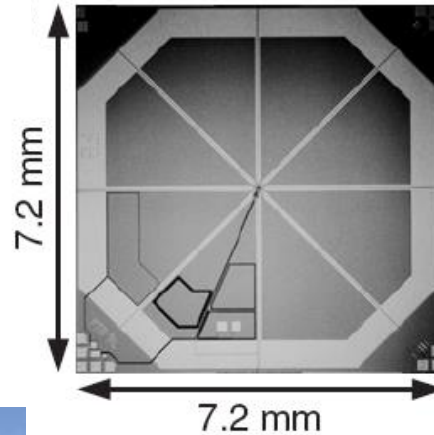
# Magnetic Field Shielded Room at PTB Berlin

7 layers of magnetic shielding  $\Rightarrow$  residual field  $< 2\text{nT}$



J. Bork, et al., Proc. Biomag 2000, 970 (2000)

LT<sub>c</sub>-SQUID



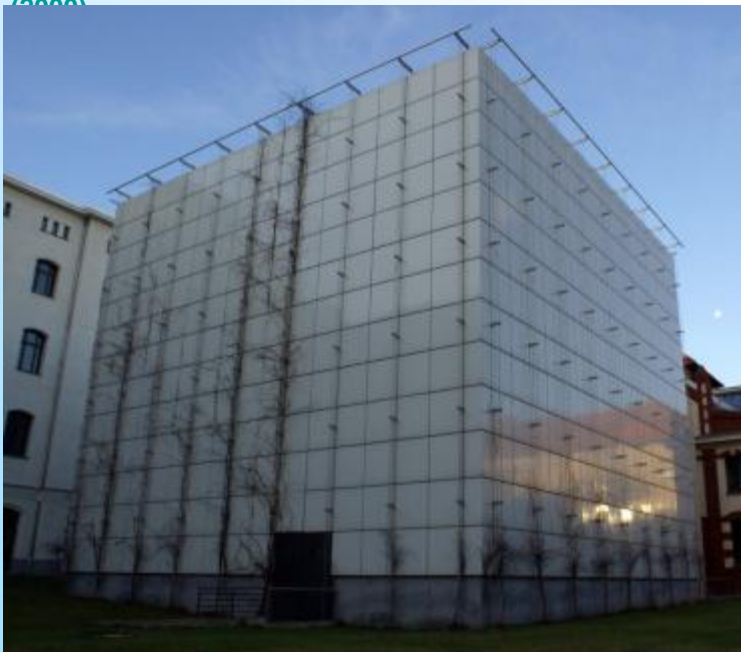
<sup>3</sup>He (4.5 mbar)



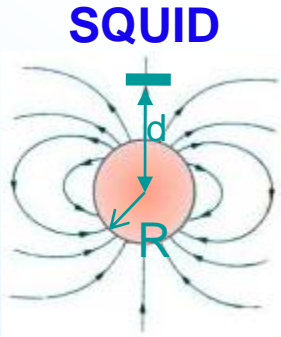
6 cm



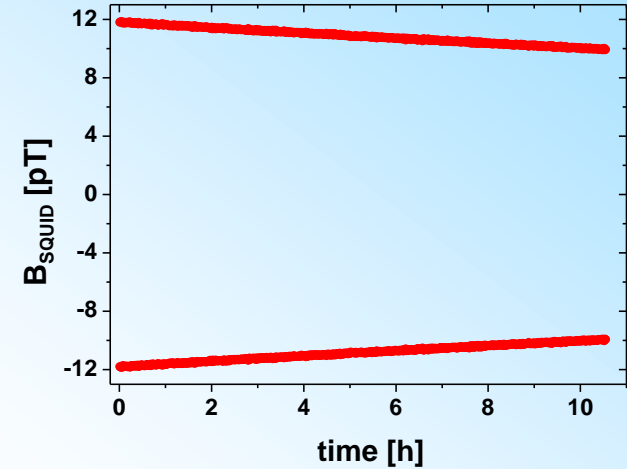
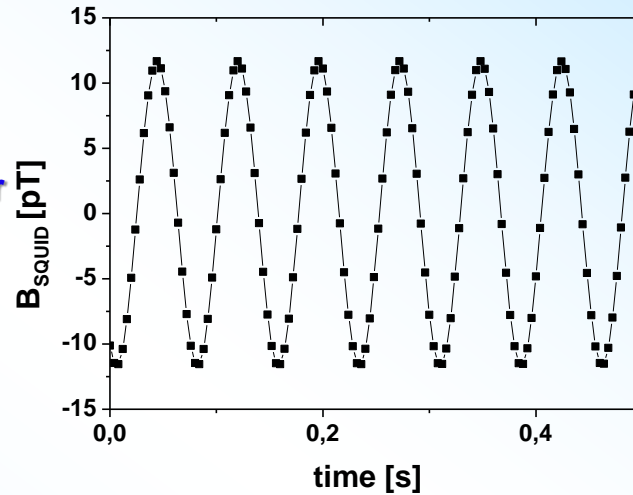
magnetic guiding field  
 $\approx 0.4 \mu\text{T}$  (Helmholtz-coils)



# <sup>3</sup>He Free Spin-Precession Signal



$p_{\text{He}} = 4.5 \text{ mbar}$   
 $P_{\text{He}} = 15\%$   
 $R = 2.9 \text{ cm}$   
 $d = 6 \text{ cm}$

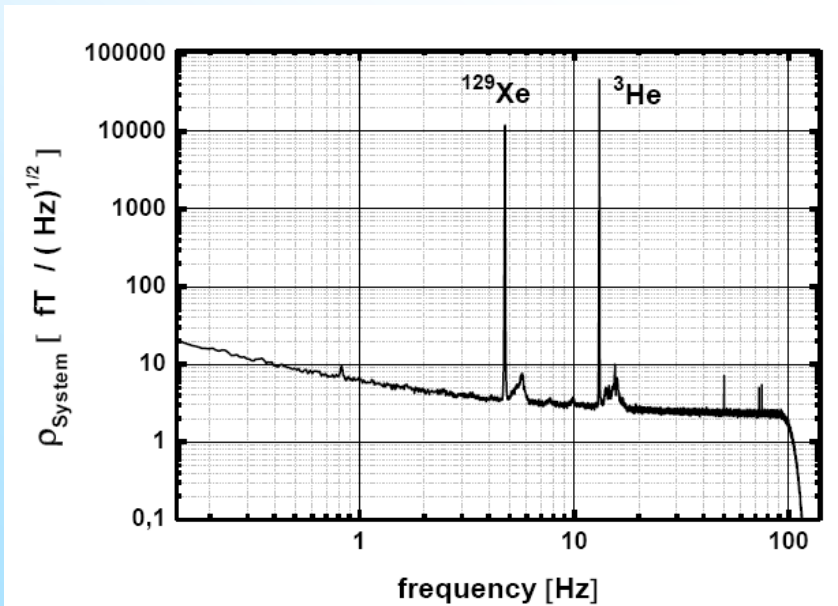


$$\Delta B[\text{pT}] \approx 220 \cdot p[\text{mbar}] \cdot P \cdot \left(\frac{R}{d}\right)^3$$

$${}^3\text{He}: T_2^* = (60.2 \pm 0.1)h$$

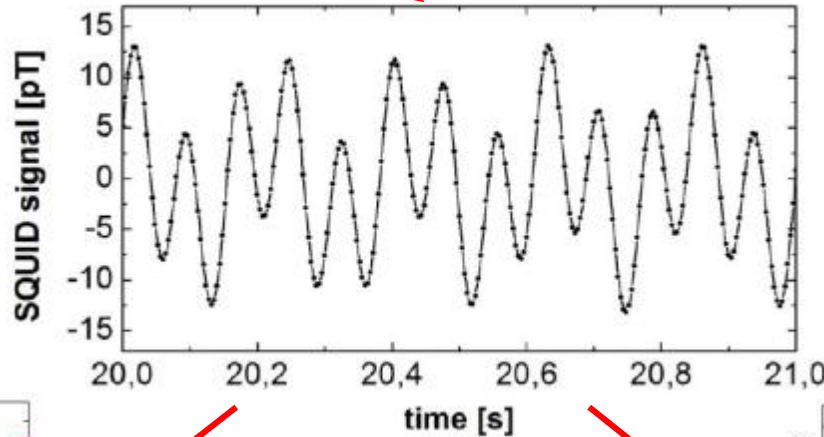
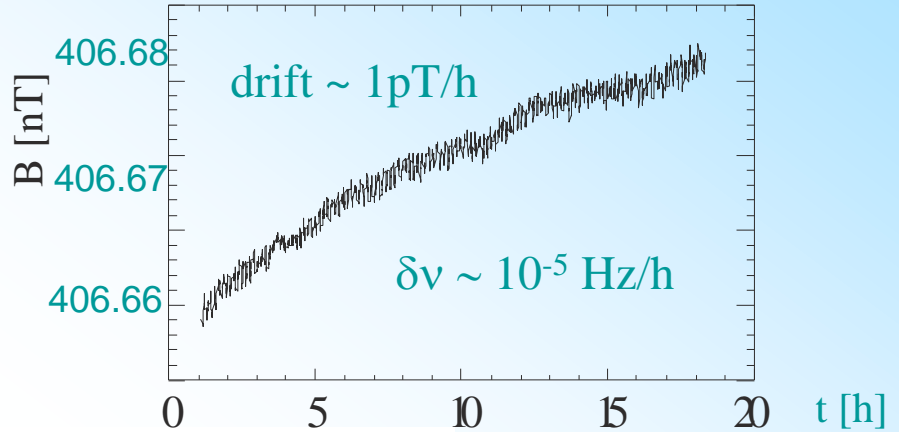
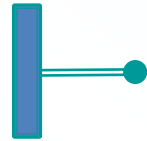
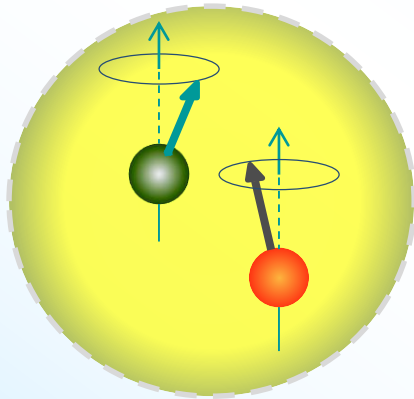
$${}^{129}\text{Xe}: 4h < T_2^* < 6h$$

→ wall relaxation  
 → limiting factor



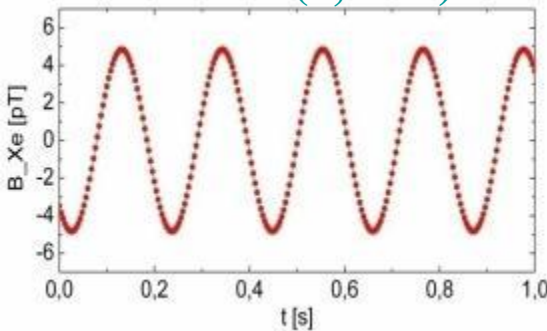


# $^3\text{He} / ^{129}\text{Xe}$ clock comparison to get rid of magnetic field drifts

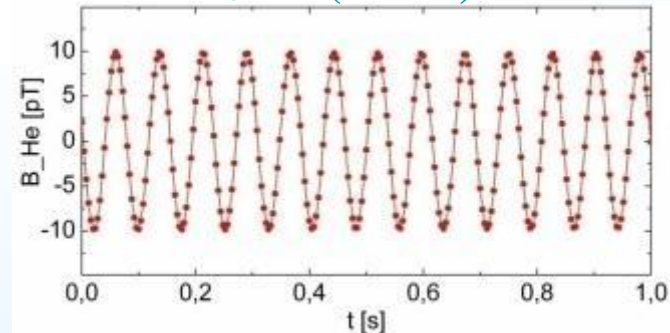


$$\omega_L = 2\pi\nu_L = \gamma |\vec{B}|$$

$^{129}\text{Xe}$  (4,7 Hz)



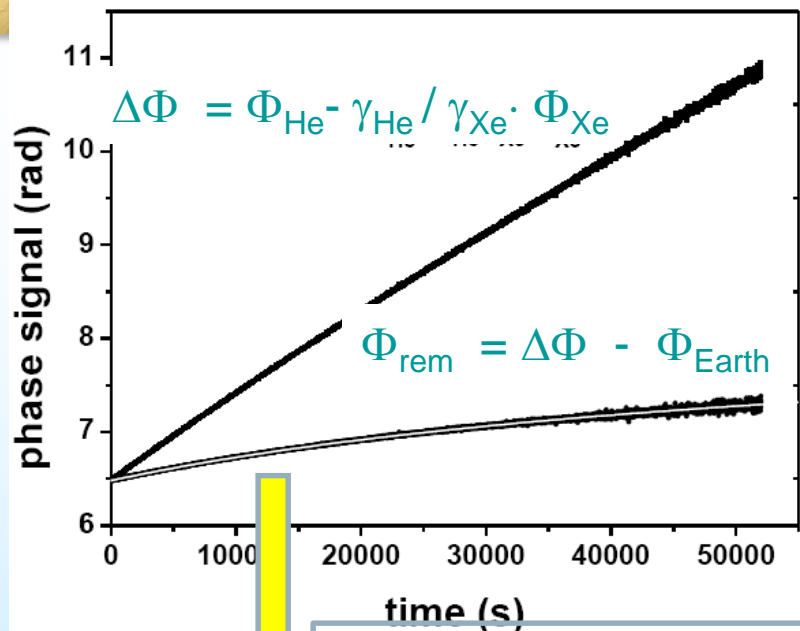
$^3\text{He}$  (13 Hz)



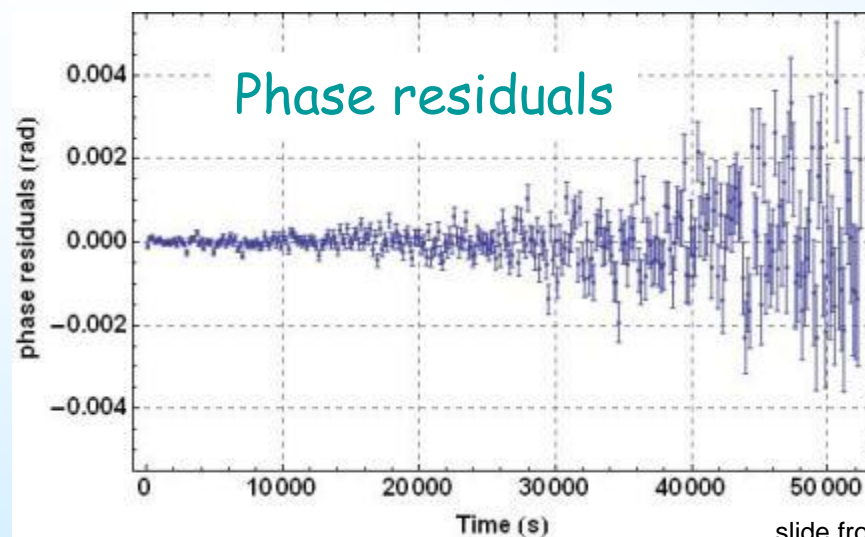
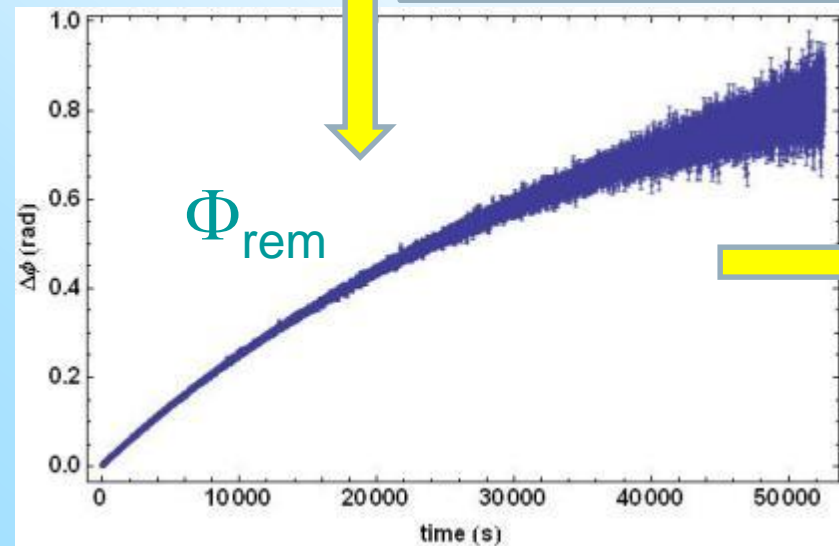
$$\Delta\Phi = \Phi_{He} - \frac{\gamma_{He}}{\gamma_{Xe}} \cdot \Phi_{Xe} \neq \text{const.}$$

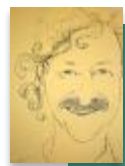
# Subtraction of deterministic phase shifts

## I. Earth's rotation



$$\text{Fit} = c + a_{\text{lin}} \cdot t + a_{\text{He}} \cdot e^{-t/T_{2,\text{He}}^*} + a_{\text{Xe}} \cdot e^{-t/T_{2,\text{Xe}}^*} + \Phi(t)_{\text{spin-coupling}}$$

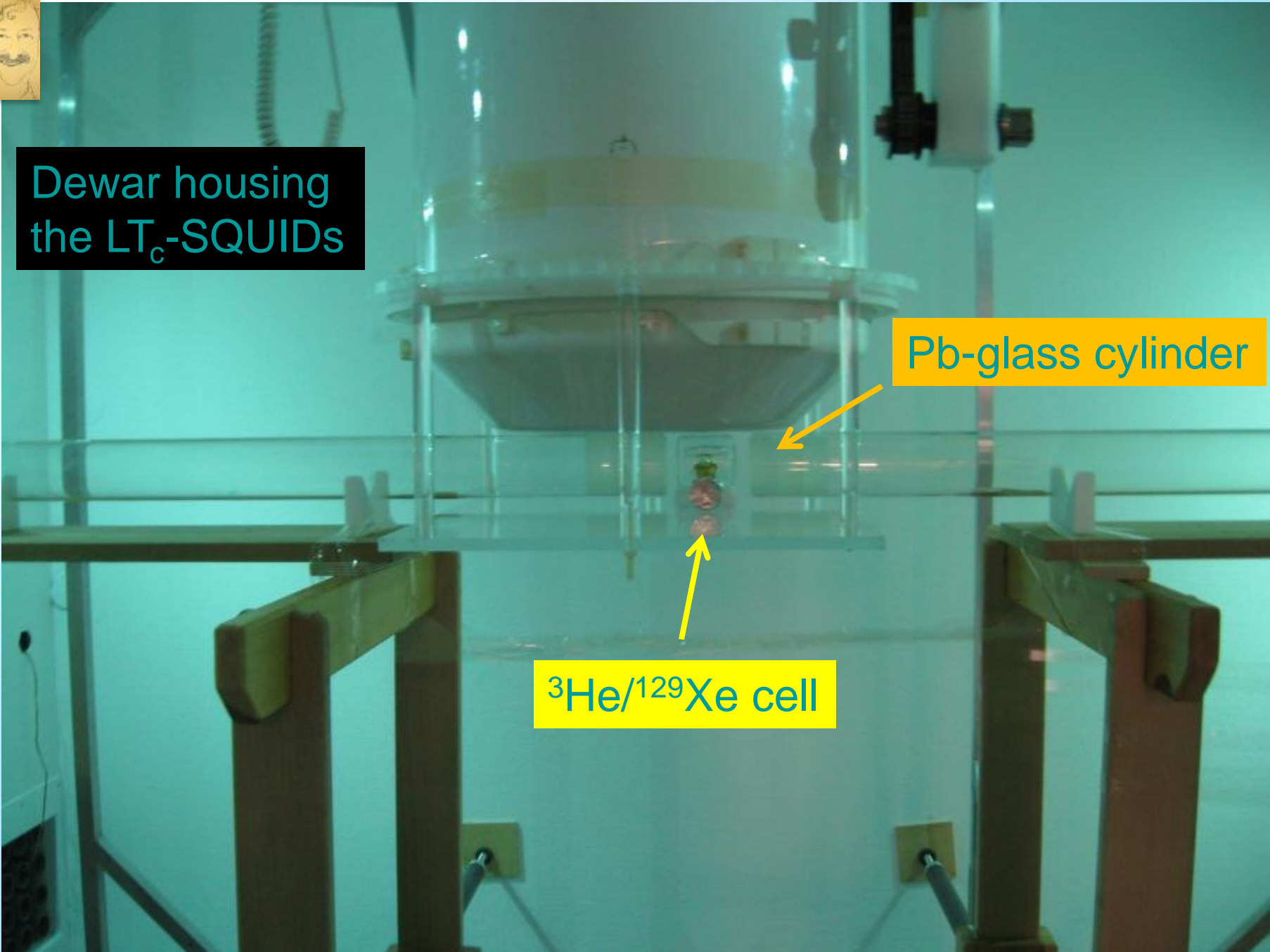


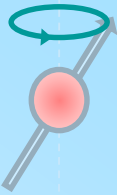


Dewar housing  
the  $LT_C$ -SQUIDS

Pb-glass cylinder

$^3\text{He}/^{129}\text{Xe}$  cell





$^3\text{He}$  ,  $^{129}\text{Xe}$  clocks based on free spin precession  
yield best limit due to long spin coherence times

$$T_{2,\text{He}}^* > 60\text{hours}$$

$$T_{2,\text{Xe}}^* = 4 - 6\text{hours}$$

limiting parameter  
for experiment

in Lorentz violating Standard Model extension  
(Kostelecky)

$$V = -\vec{\tilde{b}} \cdot \vec{\sigma}$$

Coefficient	Proton	Neutron	Electron
$\tilde{b}_X$	$10^{-27}$ GeV	$10^{-31}$ GeV	$10^{-31}$ GeV
$\tilde{b}_Y$	$10^{-27}$ GeV	$10^{-31}$ GeV	$10^{-31}$ GeV
$\tilde{b}_Z$	–	–	$10^{-30}$ GeV
$\tilde{b}_T$	–	$10^{-27}$ GeV	$10^{-27}$ GeV

$$\tilde{b}_{\perp}^n = \leq 3.72 \cdot 10^{-32} \text{ GeV} \quad (95\% \text{ C.L.})$$

M. Burghoff et al.,  
arXiv 1008.0579

$\Rightarrow$  new limit on the bound neutron

# **muon EDM**

**method for charged particles**


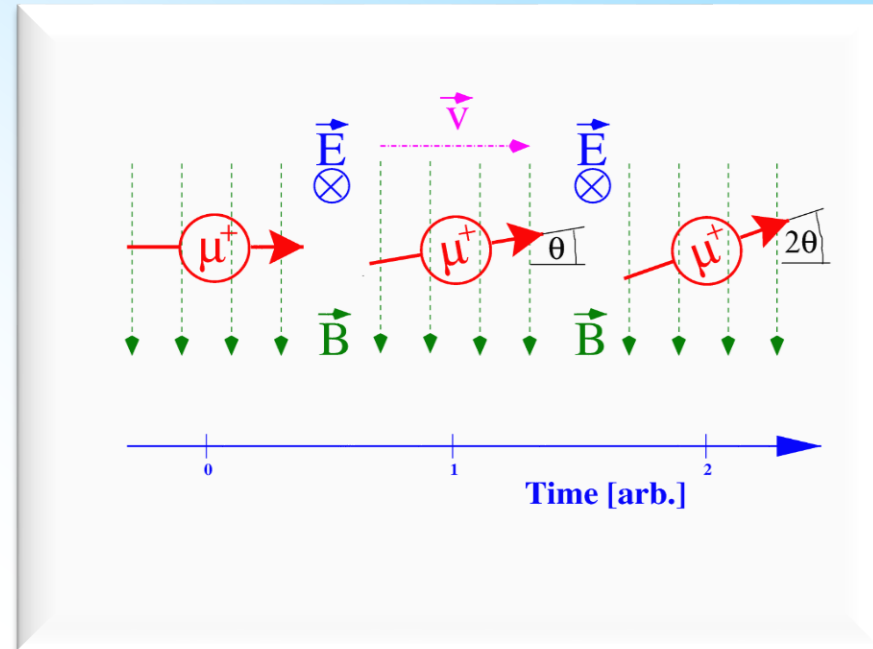
Particle	State	Enhancement over e EDM $[d_A/d_e]$	Number of particle $N_{total}/\text{day}$ $[\text{day}^{-1}]$	Coherence time $\tau$ [s]	Electric field $ \vec{E} $ [kV]	Measurement time [day]	Measured EDM $d$ [e·cm]	Efficiency $\epsilon$
<sup>199</sup> Hg	<sup>1</sup> S <sub>0</sub>	-0.014 [42]	10 <sup>17</sup>	2 · 10 <sup>2</sup>	10	~ 100	$(0.49 \pm 1.29_{stat} \pm 0.76_{syst}) \times 10^{-29}$ [18,43]	8 · 10 <sup>-3</sup>
<sup>129</sup> Xe	<sup>3</sup> P <sub>2</sub>	130 [44]	10 <sup>21</sup>	2 · 10 <sup>3</sup>	3.6	~ 100	$(0.7 \pm 3.3_{stat} \pm 0.1_{syst}) \times 10^{-27}$ [35, 45, 46]	6 · 10 <sup>-8</sup>
<sup>205</sup> Tl	6 <sup>2</sup> P <sub>1/2</sub>	-585 [47]	10 <sup>22</sup>	2.4 · 10 <sup>-3</sup>	123	6	$(6.9 \pm 7.4) \times 10^{-28}$ [37,48]	2 · 10 <sup>-5</sup>
YbF	X <sup>2</sup> Σ <sup>+</sup>	2 · 10 <sup>6</sup> [33, 49]	10 <sup>11</sup>	1.5 · 10 <sup>-3</sup>	10	26	$(-2.4 \pm 5.7_{stat} \pm 1.5_{syst}) \times 10^{-28}$ [33,50]	3 · 10 <sup>-2</sup>
n	-	-	6 · 10 <sup>6</sup>	~ 2 · 10 <sup>2</sup>	10	~ 600	$(0.2 \pm 1.5_{stat} \pm 0.7_{syst}) \times 10^{-26}$ [31, 51, 52]	4 · 10 <sup>-1</sup>
 μ	-	-	10 <sup>36</sup>	4.365 · 10 <sup>-6</sup>	2.7	200	$(0.0 \pm 0.9) \times 10^{-19}$ [29,53]	4 · 10 <sup>-4</sup>

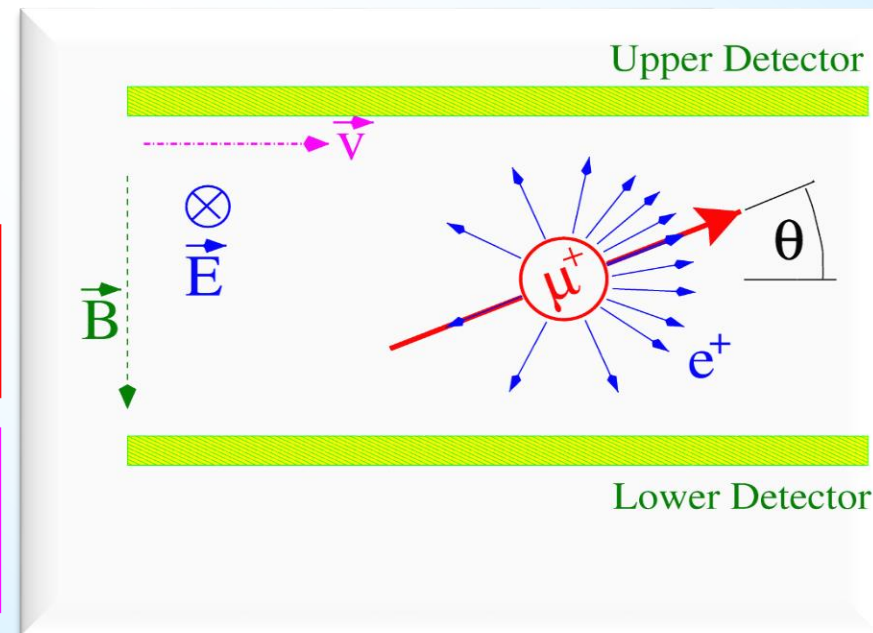
TABLE 2.5: Key parameters affecting the experimental efficiency for several yet completed EDM experiments. For each experiment an efficiency  $\epsilon$  is given based on the sensitivity to an EDM for a particular particle for one day ( $\sim 10^5$  s) of measurement time. The atomic or molecular enhancement factor is excluded for this estimate of experimental efficiency.

# Permanent Electric Dipole Moment in a Ring



## Spin precession in (electro-) magnetic field

$$\vec{\zeta} = \frac{e}{m} \left[ a_\mu \vec{B} - \left( a_\mu - \frac{1}{\gamma^2 - 1} \right) \frac{\vec{\beta} \times \vec{E}}{c} \right] + \frac{e}{m} \left[ \frac{\eta}{2} \left( \frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) \right]$$



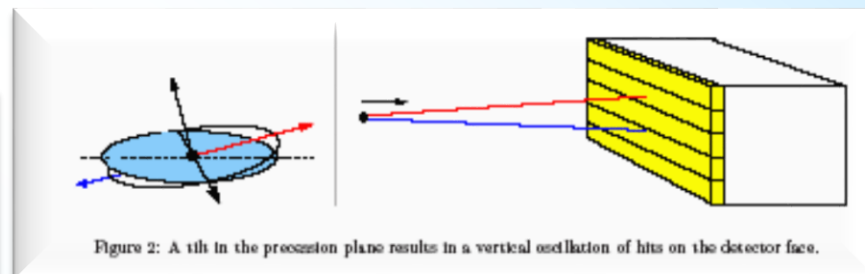
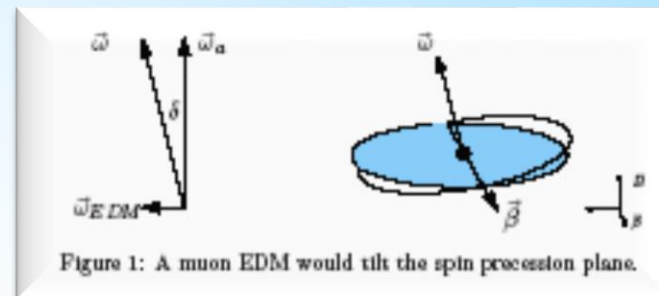
# Muon EDM – A Parasitic Measurement

PHYSICAL REVIEW D 80, 052008 (2009)

## Improved limit on the muon electric dipole moment

G. W. Bennett,<sup>2</sup> B. Bousquet,<sup>10</sup> H. N. Brown,<sup>2</sup> G. Bunce,<sup>2</sup> R. M. Carey,<sup>1</sup> P. Cushman,<sup>10</sup> G. T. Danby,<sup>2</sup> P. T. Debevec,<sup>8</sup> M. Deile,<sup>13</sup> H. Deng,<sup>13</sup> W. Deninger,<sup>8</sup> S. K. Dhawan,<sup>13</sup> V. P. Druzhinin,<sup>3</sup> L. Duong,<sup>10</sup> E. Efstathiadis,<sup>1</sup> F. J. M. Farley,<sup>13</sup> G. V. Fedotovitch,<sup>3</sup> S. Giron,<sup>10</sup> F. E. Gray,<sup>8</sup> D. Grigoriev,<sup>3</sup> M. Grosse-Perdekamp,<sup>13</sup> A. Grossmann,<sup>7</sup> M. F. Hare,<sup>1</sup> D. W. Hertzog,<sup>8</sup> X. Huang,<sup>1</sup> V. W. Hughes,<sup>13,\*</sup> M. Iwasaki,<sup>12</sup> K. Jungmann,<sup>6</sup> D. Kaway,<sup>13</sup> M. Kawamura,<sup>12</sup> B. I. Khazin,<sup>3</sup> J. Kindem,<sup>10</sup> F. Krienen,<sup>1,\*</sup> I. Kronkvist,<sup>10</sup> A. Lam,<sup>1</sup> R. Larsen,<sup>2</sup> Y. Y. Lee,<sup>2</sup> I. Logashenko,<sup>1,3</sup> R. McNabb,<sup>10,8</sup> W. Meng,<sup>2</sup> J. Mi,<sup>2</sup> J. P. Miller,<sup>1</sup> Y. Mizumachi,<sup>11</sup> W. M. Morse,<sup>2</sup> D. Nikas,<sup>2</sup> C. J. G. Onderwater,<sup>8,6</sup> Y. Orlov,<sup>4</sup> C. S. Özben,<sup>2,8</sup> J. M. Paley,<sup>1</sup> Q. Peng,<sup>1</sup> C. C. Polly,<sup>8</sup> J. Pretz,<sup>13</sup> R. Prigl,<sup>2</sup> G. zu Putlitz,<sup>7</sup> T. Qian,<sup>10</sup> S. I. Redin,<sup>3,13</sup> O. Rind,<sup>1</sup> B. L. Roberts,<sup>1</sup> N. Ryskulov,<sup>3</sup> S. Sedykh,<sup>8</sup> Y. K. Semertzidis,<sup>2</sup> P. Shagin,<sup>10</sup> Yu. M. Shatunov,<sup>3</sup> E. P. Sichtermann,<sup>13</sup> E. Solodov,<sup>3</sup> M. Sossong,<sup>8</sup> A. Steinmetz,<sup>13</sup> L. R. Sulak,<sup>1</sup> C. Timmermans,<sup>10</sup> A. Trofimov,<sup>1</sup> D. Urner,<sup>8</sup> P. von Walter,<sup>7</sup> D. Warburton,<sup>2</sup> D. Winn,<sup>5</sup> A. Yamamoto,<sup>9</sup> and D. Zimmerman<sup>10</sup>

(Muon  $(g - 2)$  Collaboration)



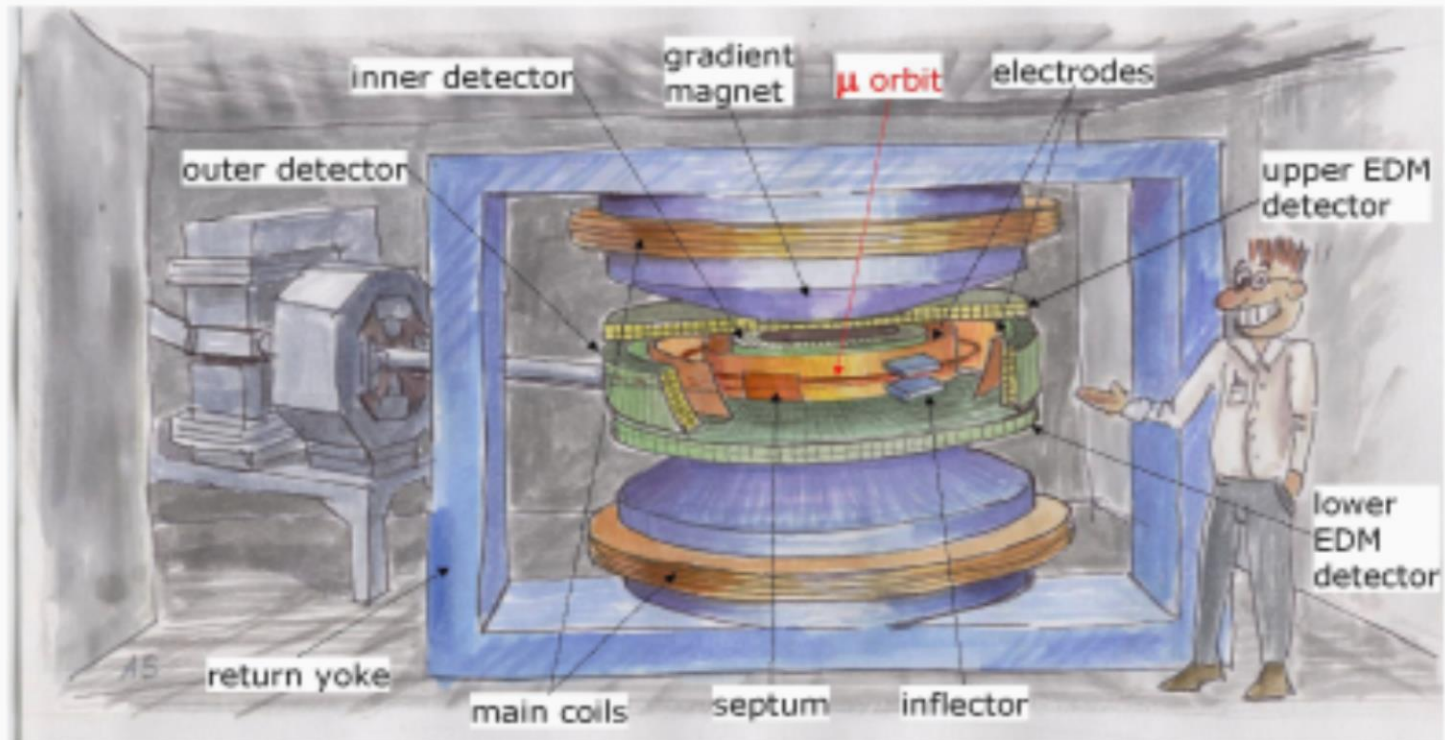
**3 methods for analysis:**

$$d\mu < 1.8 \cdot 10^{-19} \text{ ecm (95\% C.L.)}$$

**Fermilab: factor ~100**



## Concept for a $\mu$ EDM experiment at PSI



G. W. Bennett,<sup>2</sup> B. M. Deile,<sup>13</sup> H. Denz, G. V. Fedotov, D. W. Hertzog,<sup>8</sup> X. F. J. Kindem,<sup>10</sup> F. Krieger, J. Mi,<sup>2</sup> J. P. Miller, J. M. Paley,<sup>1</sup> Q. Peng, N. Ryskulov,<sup>3</sup> S. M. Sossong,<sup>8</sup> A. Ste...



- Trade off high intensity of muon beam for beam quality selecting the muons to be injected into the ring
- Use **one muon at a time** from the PSI  $\mu$ E1 beam with  $p_\mu = 125 \text{ MeV}/c$  ( $\beta=0.77, \gamma=1.55, P_\mu \approx 0.9$ )
- possible layout: **1 T B-field**  $\Rightarrow$  **42 cm orbit radius** and 64 kV/10 cm E-field
- Clockwise and counter-clockwise operation (systematics)

### Sensitivity estimate:

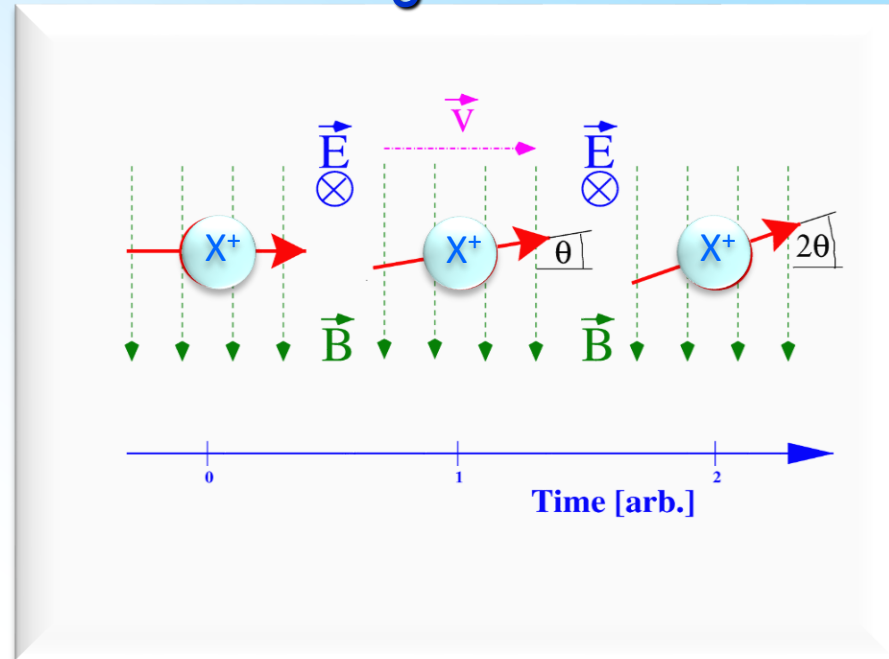
- Detect  $N = 5.8 \times 10^{12}$  muon decays per year
- Statistical sensitivity is  $10^{-26} \text{ e cm} / \sqrt{N}$
- Sensitivity after one year:  
 **$5 \times 10^{-23} \text{ e cm}$**



- Transport coils to and from barge via Sikorsky air crane
- Ship through St Lawrence -> Great Lakes -> Calumet SAG
- Subsystems can be transported overland, but probably more cost effective to ship steel on barge as well.

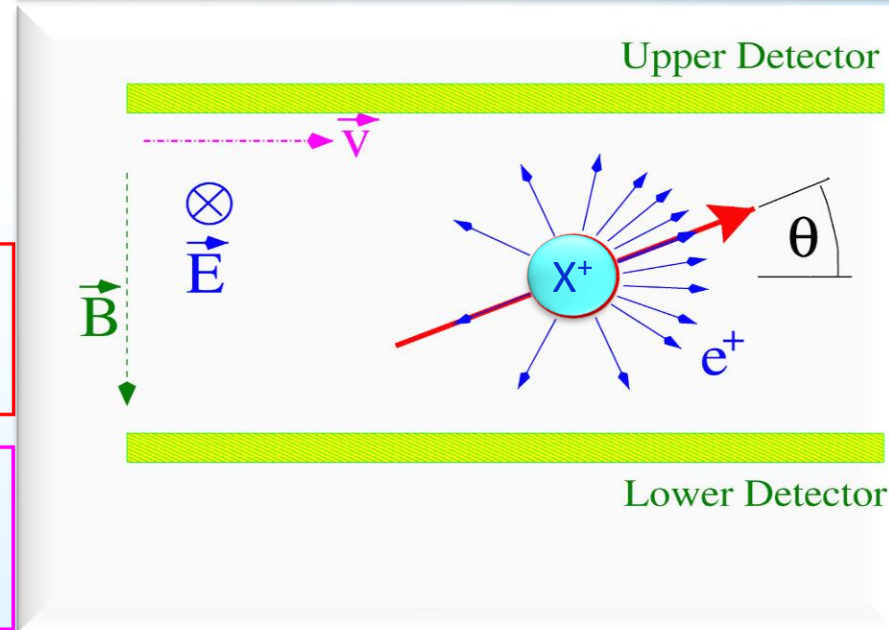


# Permanent Electric Dipole Moment in a Ring



Spin precession  
in (electro-)  
magnetic field

$$\dot{\vec{S}} = \frac{e}{m} \left[ a_\mu \vec{B} - \left( a_\mu - \frac{1}{\gamma^2 - 1} \right) \frac{\vec{\beta} \times \vec{E}}{c} \right] + \frac{e}{m} \left[ \frac{\eta}{2} \left( \frac{\vec{E}}{c} + \vec{\beta} \times \vec{B} \right) \right]$$



# Some Candidate Nuclei for **EDM** in Ring Searches

Nucleus	Spin J	$\mu/\mu_N$	Reduced Anomaly a	$T_{1/2}$
$^{139}_{57}\text{La}$	7/2	+2.789	-0.0305	
$^{123}_{51}\text{Sb}$	7/2	2.550	-0.1215	
$^{137}_{55}\text{Cs}$	7/2	+2.8413	0.0119	30y
$^{223}_{87}\text{Fr}$	3/2	+1.17	<0.02	22 min
$^6_3\text{Li}$	1	+0.8220	-0.1779	
$^2_1\text{H}$	1	+0.8574	-0.1426	
$^{75}_{32}\text{Ge}$	1/2	+0.510	+0.195	82.8 m
$^{157}_{69}\text{Tm}$	1/2	+0.476	0.083	3.6 m

Method works also for highly charged ions

More complete lists:  
I.B. Khriplovich, K. Jungmann  
GSI EDM Workshop, 1999

# The Importance of Informal Meals

International Symposia on

**LEPTON MOMENTS**

Heidelberg, Germany

1: 08 - 12 June 1999

Centerville, Cape Cod, MA

2: 09 - 12 June 2003

3: 19 - 22 June 2006

4: 19 - 22 July 2010

ECT\* works

Many, ma



Ring EDM experiment  
can work for ALL ions

Up to now mostly in  
**THEORY**

It's time for an after  
conference party

@ Mahabaleshwar !

# Summary

- Atomic EDMs are experimentally accessible
- Atomic Physics technology
- EDM sensitivity scales approx. with  $Z^3$
- Relatively easy to interpret
- High potential : Ra, Xe ...
- Stay tuned

⇒ Work in progress :

**Atoms Still yield the Best Limits !**