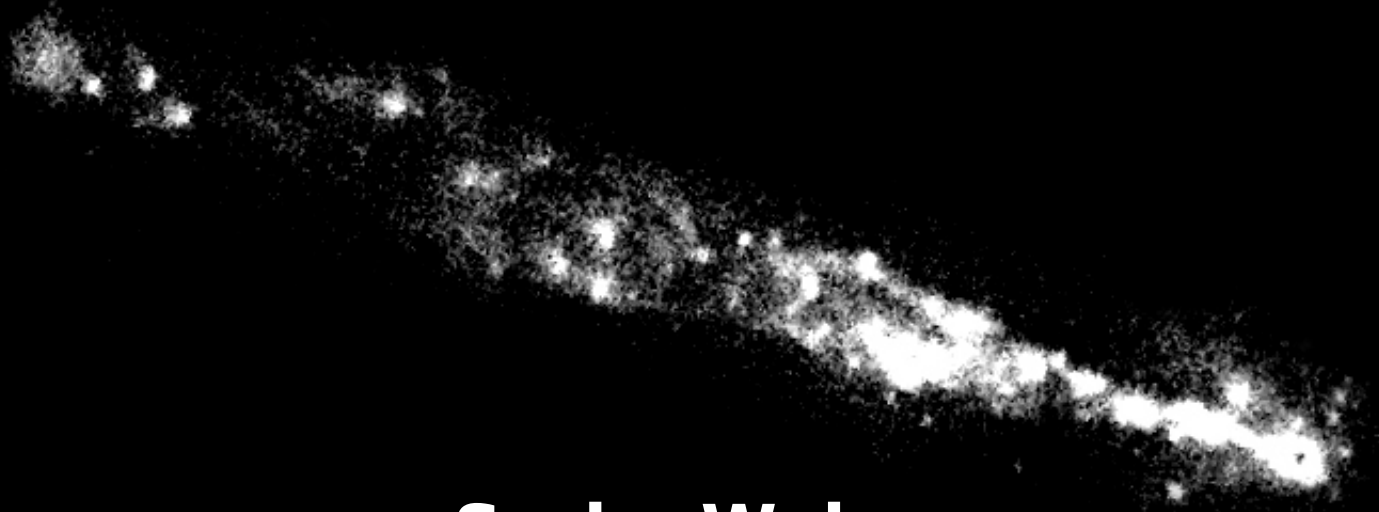


Probing jet composition in Centaurus A



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Bangalore, 16th October 2015

Motivation

Matter content of extragalactic jets poorly known

- Inferring composition at kiloparsec scales:
 - ↪ power carried by the jets and their impact on surrounding intracluster/intragroup gas
 - ↪ isotopes available for particle acceleration in jets/lobes
- Inferring composition at subparsec scales:
 - ↪ jet-launching mechanism

Relevant publications

- Wykes et al., 2013, A&A, 558, A19
- Wykes et al., 2015a, MNRAS, 447, 1005
- Wykes et al., 2015c,d, in preparation

jet
~ 4.5 kpc
phys. age
~ 2 Myr

inner lobes
~ 5.5 kpc
physical age ~ 2 Myr

**dust lane
with starburst**
~ 7 kpc
phys. age starburst
~ 60 Myr

$\mathcal{M} \sim 8$

Kraft, Hardcastle

giant lobes ~ 280 kpc
physical age ~ 560 Myr

Feain+11

Parkes+ATCA 1.4 GHz

3

- Jet embedded in inner lobes, or 'naked'?
- Inner lobes embedded in giant lobes?

vertex
~ 34 kpc

$\mathcal{M} \sim 1$

Wykes, Intema+14

GMRT 325 MHz

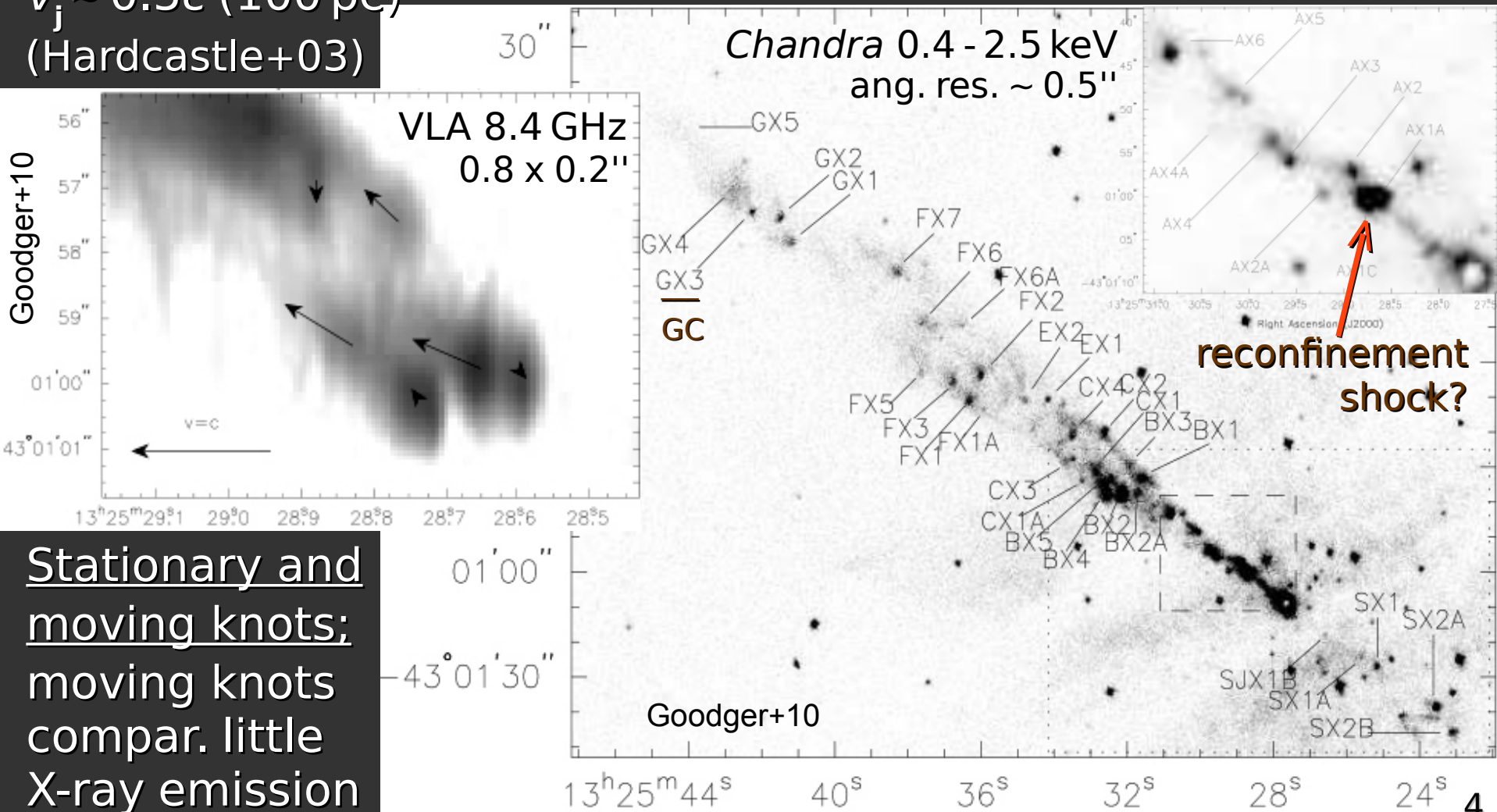
50 kpc

Kpc jet in radio and X-ray

$P_j \sim 1 \times 10^{43} \text{ erg s}^{-1}$ (current jet)
 $P_j \sim 1 - 5 \times 10^{43} \text{ erg s}^{-1}$ (pre-existing)
 (Wykes+13; Neff+15)
 $v_j \sim 0.5c$ (100 pc)
 (Hardcastle+03)

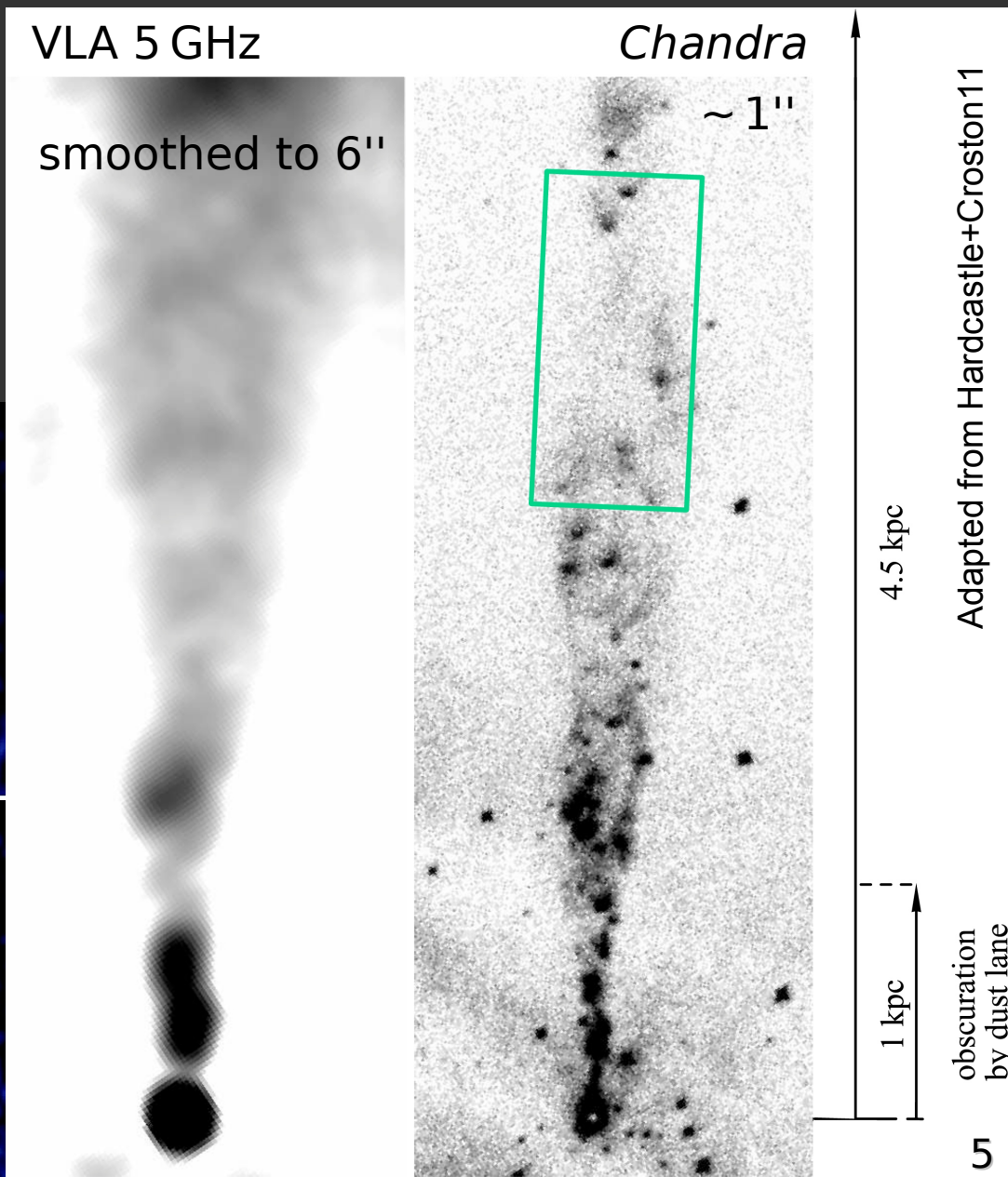
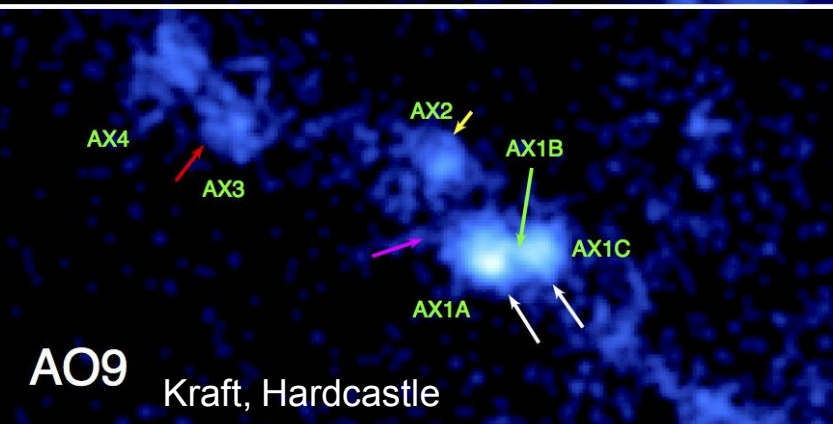
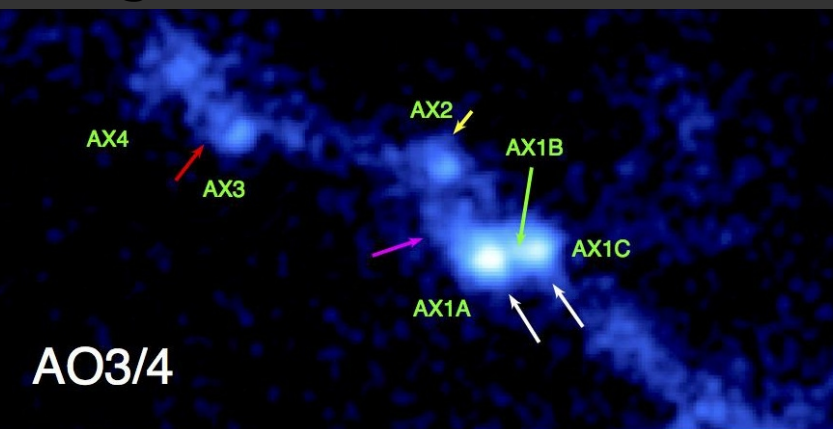
Centaurus A: strong case of dominant X-ray synchrotron

L_x (diffuse+knot emission)
 $\sim 1.1 \times 10^{39} \text{ erg s}^{-1}$



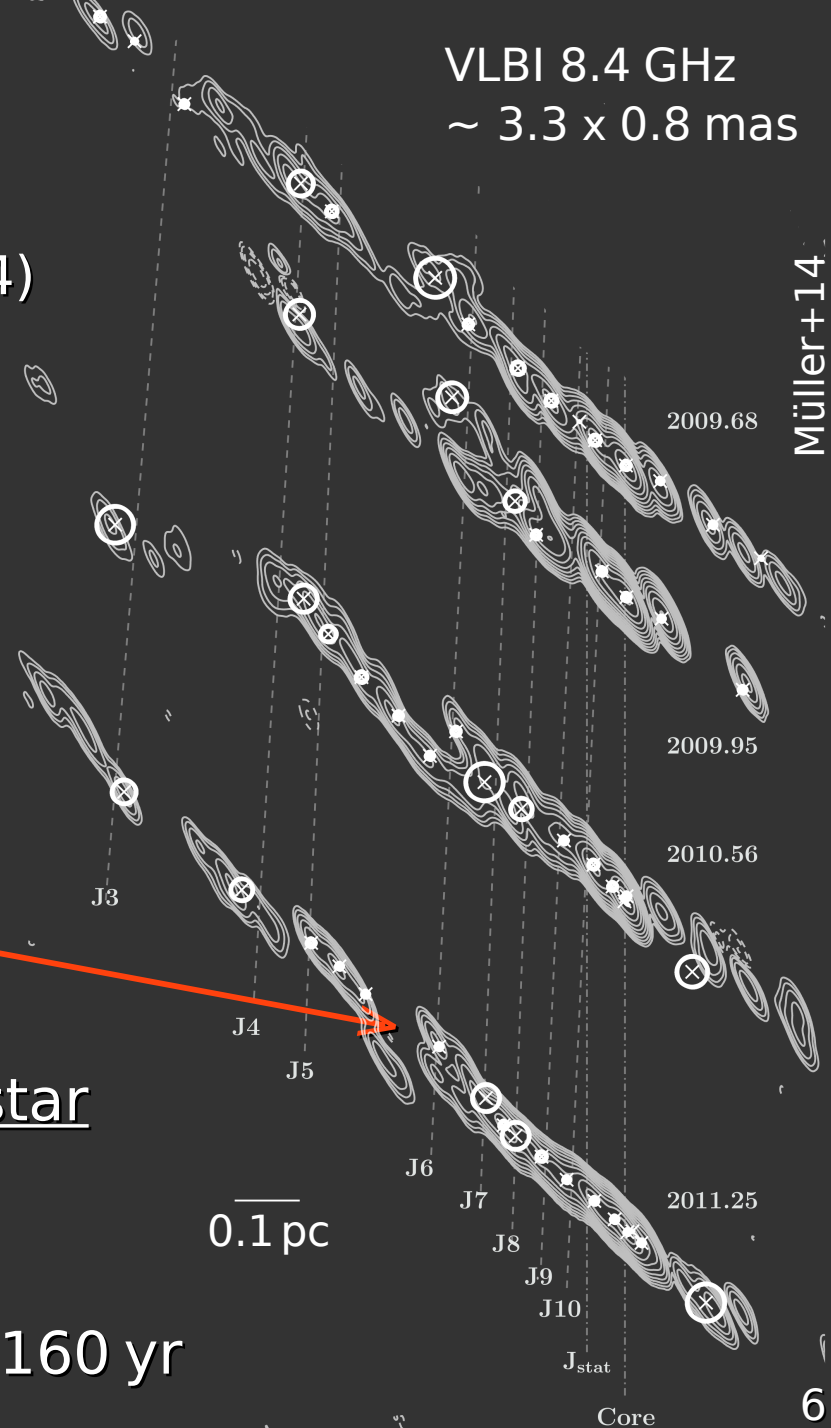
Kpc jet in radio and X-ray

- Knottiness of X-ray jet: support for model with discrete interaction sites
- Possible obstacles in jet:
 - stars, planetary nebulae
 - gas/molecular clouds



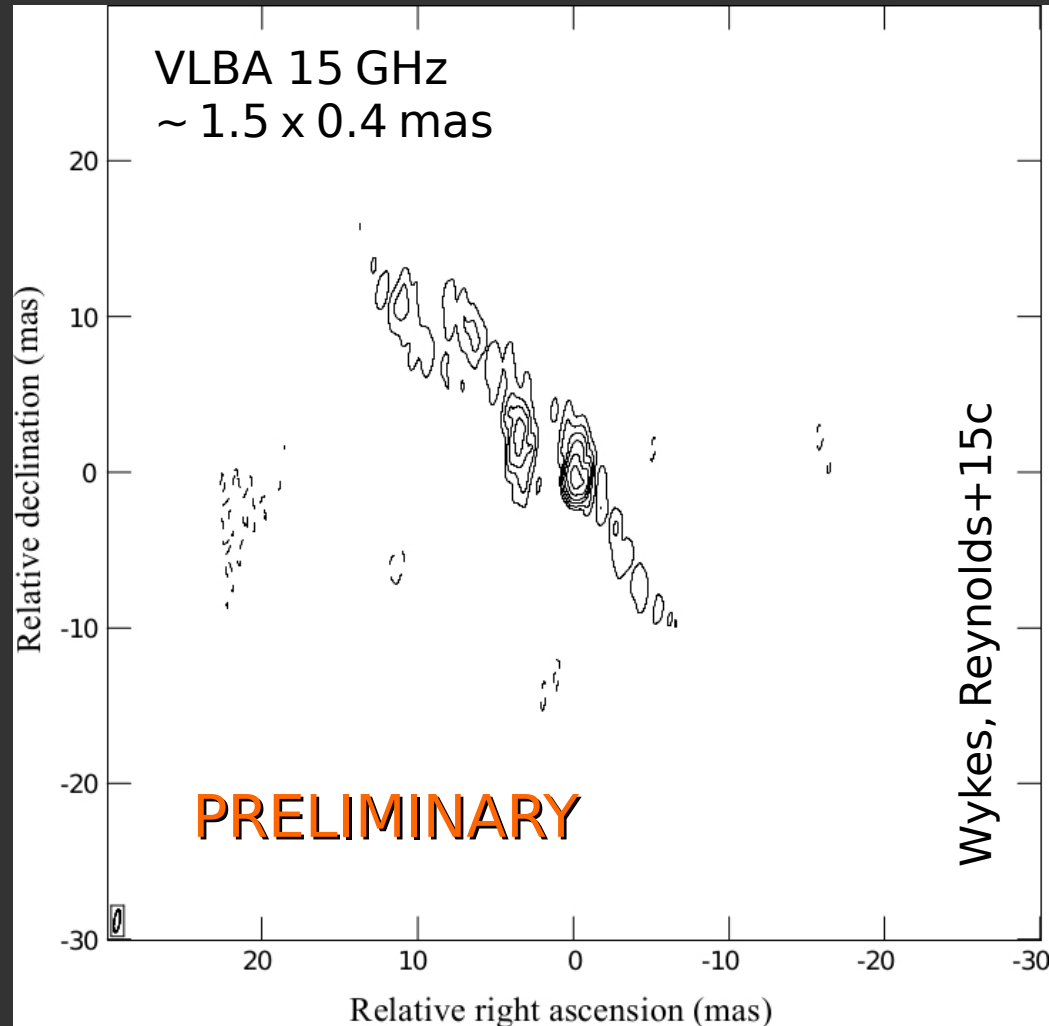
Subparsec jet in radio

- Jet speed at subparsec scales
 $v_j \sim 0.1 - 0.3c$ (Tingay+01; Müller+14)
 - jet acceleration downstream
 - or
 - sampling disparate jet layers
- Dip in surface brightness at 0.46 pc projected is stationary (2007 - 2011)
Local jet morphology indicates circumfluent behaviour
→ standing discontinuity
(Müller+14): likely distortion by a star
Orbital speed ($M_{\text{BH}} \sim 5.5 \times 10^7 M_{\odot}$)
 $\sim 600 \text{ km/s}$ →
crossing time ($r_j = 0.1 \text{ pc}$) of star $\sim 160 \text{ yr}$



Subparsec jet in radio

observations April 2014



- Feature 'hanging' to the south of jet at ~ 7 mas (phys. distance 0.182 pc from core): feature from intruder?

Internal entrainment

■ Stars in ellipticals:

- old population (K- and M-type stars)
- young component in some sources (starburst)

■ Central stellar densities

$\lesssim 10^{10} M_{\odot} \text{ kpc}^{-3}$, but fall off rapidly with distance from nucleus
→ stars in path of the jet

■ Jet-stellar wind interactions

most prominent for high-mass-loss stars:

- Asymptotic Giant Branch (AGB) stars:

$$M_{\text{init}} = 0.8 - 8.0 M_{\odot}, \dot{M} = 1 \times 10^{-8} - 1 \times 10^{-4} M_{\odot} \text{ yr}^{-1}$$

- Luminous Blue Variable (LBV) stars:

$$M_{\text{init}} \gtrsim 30 M_{\odot}, \dot{M} = 1 \times 10^{-4} - 1 \times 10^{-2} M_{\odot} \text{ yr}^{-1}$$

- Wolf-Rayet (WR) stars:

$$M_{\text{init}} \gtrsim 20 M_{\odot}, \dot{M} = 1 \times 10^{-5} - 1 \times 10^{-4} M_{\odot} \text{ yr}^{-1}$$

Jet-stellar wind interactions: Basic model

■ Stand-off distance:

Distance from star at which balance between momentum flux from the star and of the surrounding medium

$$R_0 = \left(\frac{\dot{M} v_w}{4\pi \rho v_*^2} \right)^{1/2}$$

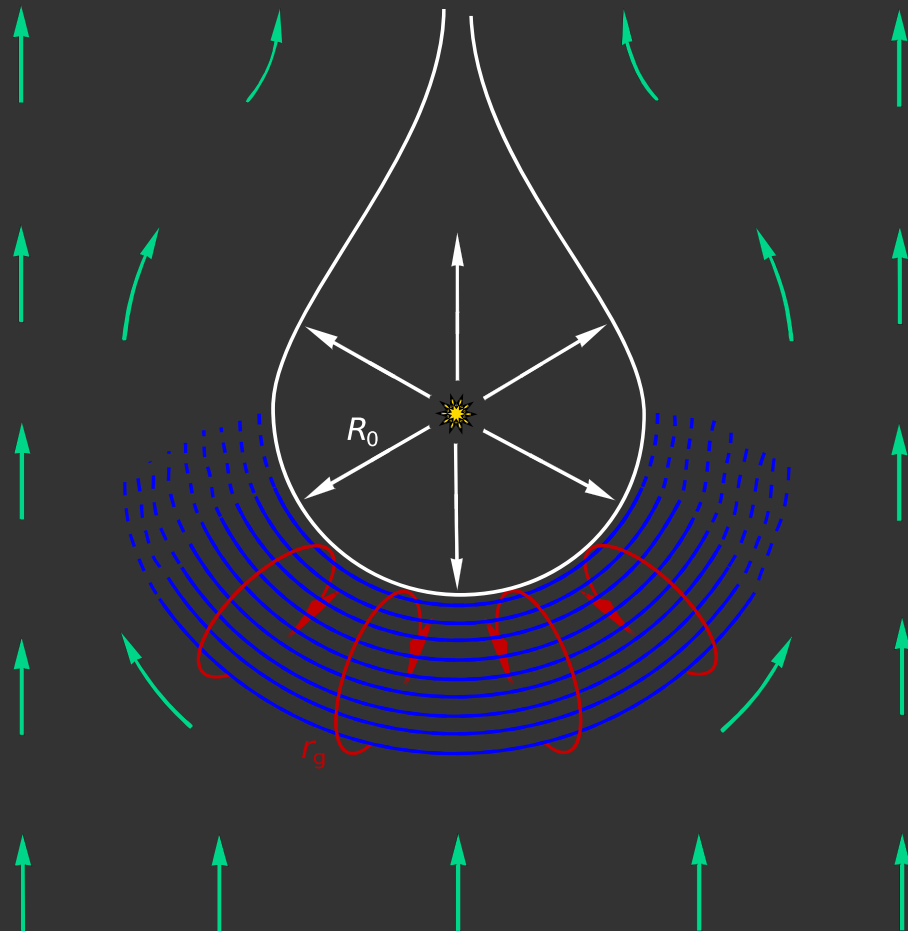
v_w velocity of isotropic stellar wind

ρ mass density of surroundings

v_* relative velocity star wrt surroundings

■ For stars in jet fluid:

$$R_0 = \left(\frac{\dot{M} v_w}{4\pi (U_j/c^2) v_j^2 \Gamma_j} \right)^{1/2}$$



At local R_0 :
acceleration of electrons of the jet plasma

Local wind material ablated, entrained for encounters downstream

Jet-stellar wind interactions: Basic model

- Suppose R_0 scales with thickness of the shocked region upstream of R_0 :

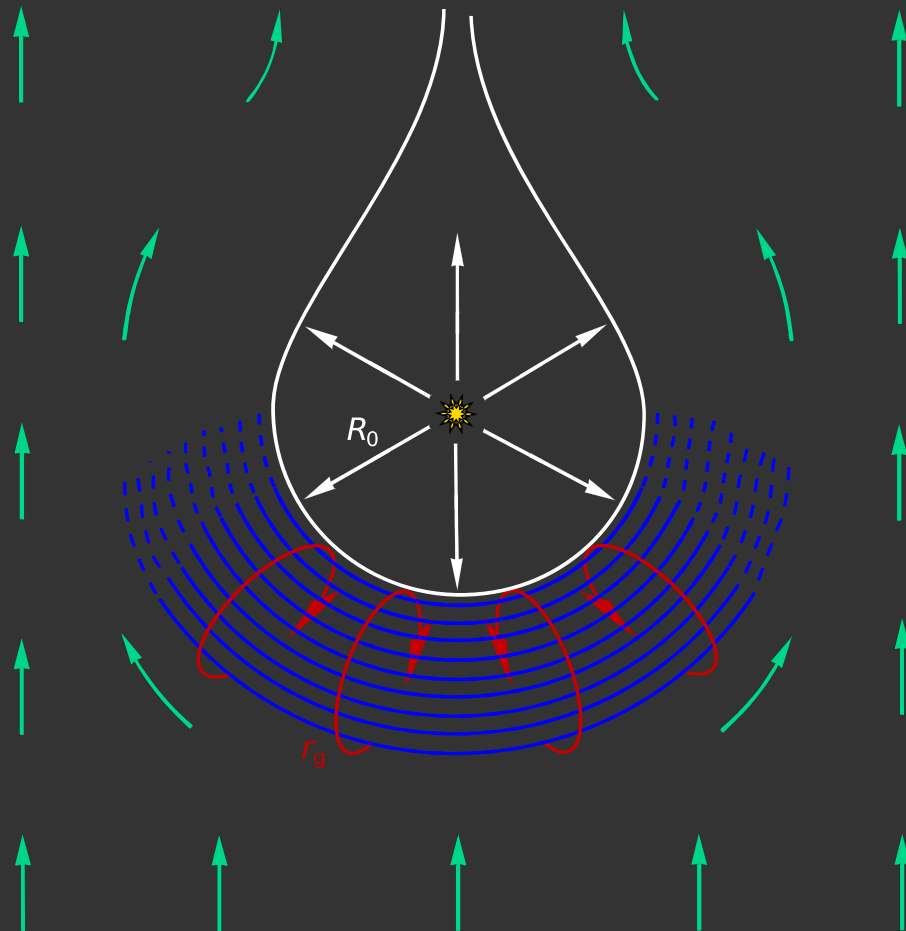
$$E_{e,\max} \simeq R_0 e B$$

Jet mean B -field ($66 \mu\text{G}$)
used ($>$ star's B -field at R_0)

- Amount of jet energy intercepted by each star:

$$E_{\text{intercept}} \simeq \pi R_0^2 U_j v_j \Gamma_j$$

- Spectrum: include cooling



Modelling designed for a mean population of stars at any given time in the jet

Distribution, ages, metallicities:

'Old' stars

- (Rejkuba+11) Two old populations throughout NGC 5128:
70 - 80%: ages 12 ± 1 Gyr, range of Z
20 - 30%: ages 2 - 4 Gyr, range of Z ($Z_{\odot} = 0.0198$)
- We adopt 'average' ages and metallicities:
75% of stars of 12 Gyr, $Z = 0.004$ (AGB stars $R_0 \sim 0.1$ pc in jet)
25% of stars of 3 Gyr, $Z = 0.008$ (AGB stars $R_0 \sim 0.8$ pc in jet)

'Young' stars

- Dust lane with starburst:
majority of the young stars here
Ongoing star formation; VLT, HST:
WR-type emission ($R_0 \sim 16$ pc in jet)
Star ages 0 - 60 Myr, $Z \sim 0.02$
- Star-forming regions not coincident with dust lane:
Star ages 1 - 15 Myr, $Z \sim 0.02$ (no AGB among these)



N_{real} : how many stars are in the jet?

- Observed luminosity from R -band photometry and population N stars synthesised using stellar evolution code → number of stars in the jet (physical length 5.9 kpc) $\sim 8 \times 10^8$
- Fraction young stars unknown; starburst lasting 60 Myr with SFR $\sim 1.6 M_{\odot} \text{ yr}^{-1}$ → around 1% young stars
Jet (viewing angle $\sim 50^{\circ}$) traversing the starburst at all?
Viability of model as plausible fraction (0 - 2%) of young stars

Framework

- Existing stellar evolution- and wind codes:
SSE (Hurley+00): prediction for \dot{M} for phases with high \dot{M}
BOREAS (Cranmer & Saar 11): \dot{M} for cool MS and evolved giants
Mass-loss prescription (Vink+99,00,01): \dot{M} for high-mass stars
- Additional codes to extract L and \dot{M} for stellar populations with our adopted age and metallicity constraints, and compute $E_{\text{e,max}}$, $E_{\text{intercept,all}}$, $E_{\text{intercept,X}}$, $N_{\text{stars}} > 10^{16.5} \text{ Hz}$, L_{tot} , \dot{M}_{tot}

Modelling: Output

$f_{*, \text{young}}$ (per cent)	$E_{\text{intercept}, X}$ (erg s ⁻¹)	N_X	$E_{\text{intercept}, \text{all}}$ (erg s ⁻¹)	Ψ (M _⊙ yr ⁻¹)
0	9.7×10^{39}	1.73×10^4	1.8×10^{40}	2.3×10^{-3}
0.1	6.2×10^{40}	1.84×10^4	7.1×10^{40}	2.9×10^{-3}
0.2	4.9×10^{40}	2.0×10^4	5.8×10^{40}	3.0×10^{-3}
0.3	3.5×10^{40}	2.16×10^4	4.4×10^{40}	4.4×10^{-3}
0.5	1.0×10^{41}	2.47×10^4	1.0×10^{41}	4.0×10^{-3}
1	3.7×10^{41}	3.40×10^4	3.8×10^{41}	7.4×10^{-3}
2	5.1×10^{41}	5.04×10^4	5.2×10^{41}	1.5×10^{-2}

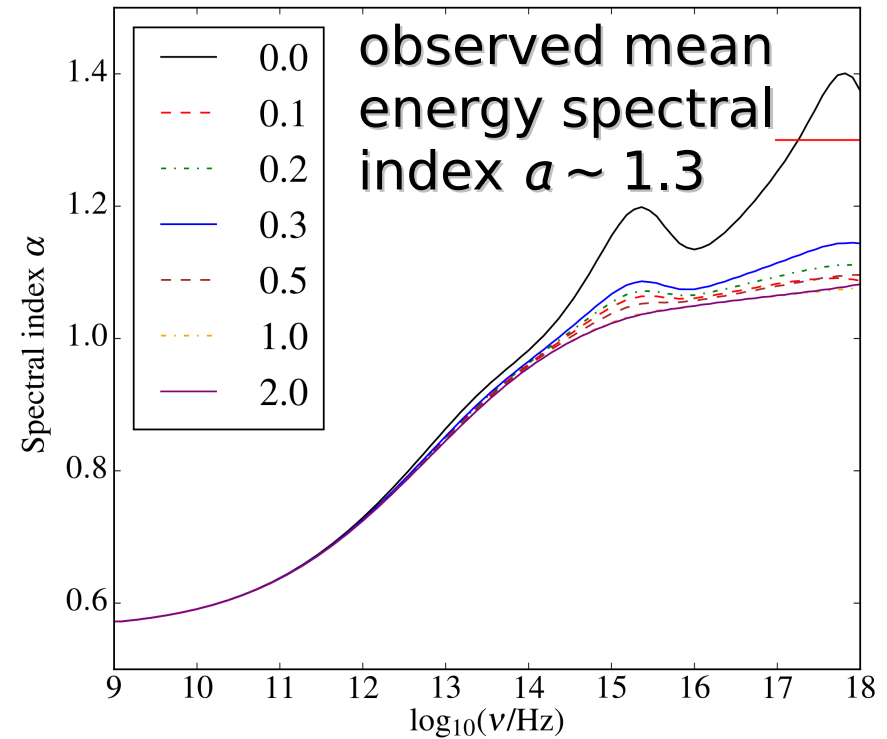
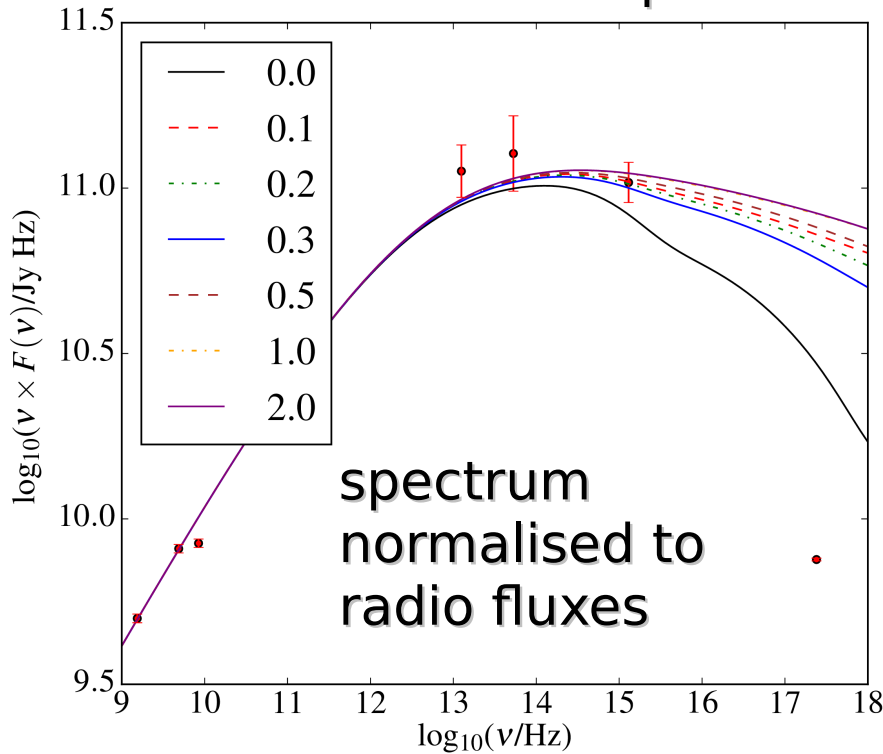
- Model energetically capable of producing observed X-ray emission ($\sim 1.1 \times 10^{39}$ erg s⁻¹), even without young stars
- There must be at least $\sim 1 \times 10^4$ AGB stars in the jet
- Entrainment rate Ψ consistent with our earlier rough estimate (Wykes+13) using different approach

Broad-band spectrum of kpc jet

Old and young (0 - 2%) stellar components

$$N_{\text{real}} = 8 \times 10^8$$
$$N_{\text{simulated}} = 1 \times 10^8$$

observational data points are for 'inner region' (2.4 - 3.6 kpc)



- ▶ Broad-band spectrum reproduced up to optical
- ▶ Mean energy index a reproduced for sensible fraction of young stars

Entrainment rate, jet deceleration

- Adding mass-loss rates for our stellar populations

→ total internal entrainment rate from runs:

$$\Psi = 2.3 \times 10^{-3} M_{\odot} \text{ yr}^{-1} \quad (\text{for } 0\% \text{ young stars})$$

→ mass loading from internal entrainment of

$4.6 \times 10^3 M_{\odot}$ during lifetime of current jet

$1.3 \times 10^6 M_{\odot}$ over lifetime of giant lobes

Amount of entrained material:

(volume, age giant lobes) → density lobes $\sim 1 \times 10^{-8} \text{ cm}^{-3}$

- What speed does the current jet have if initially baryon-free with $v_j \sim 0.5c$, and momentum is conserved

Relativistic leptonic jet fluid behaves as having density

U_j / c^2 . If relativistic momentum flux is $\dot{M} v \Gamma$:

$$\pi r_j^2 \frac{U_j}{c^2} v_{j,1}^2 \Gamma_{j,1} = \dot{M} v_{j,2} \Gamma_{j,2}$$

Solving for $v_{j,2} \Gamma_{j,2}$ gives $0.04c$ → significant slow-down

Mass-loss rates in individual isotopes

Based on codes calculating nucleosynthetic yields (e.g. Karakas 2010)

Isotope	Amount expelled (in $M_{\odot} \text{ yr}^{-1}$) by AGB stars		
	age = 12 Gyr $Z = 0.004$ $M_{\text{init}} = 0.9 M_{\odot}$ stars 75%	age = 3 Gyr $Z = 0.008$ $1.4 M_{\odot}$ stars 25%	age = 60 Myr $Z = 0.02$ $6 M_{\odot}$ stars 0 – 0.5%
^1H	3.17×10^{-5}	8.80×10^{-5}	0 – 1.29×10^{-4}
^3He	1.27×10^{-8}	4.16×10^{-8}	0 – 1.76×10^{-10}
^4He	1.14×10^{-5}	3.37×10^{-5}	0 – 7.46×10^{-5}
^{12}C	2.30×10^{-8}	1.34×10^{-7}	0 – 2.27×10^{-7}
^{14}N	1.33×10^{-8}	1.10×10^{-7}	0 – 1.72×10^{-6}
^{16}O	8.28×10^{-8}	4.70×10^{-7}	0 – 1.67×10^{-6}
^{20}Ne	1.40×10^{-8}	7.96×10^{-8}	0 – 3.37×10^{-7}
^{22}Ne	1.11×10^{-9}	7.22×10^{-9}	0 – 6.40×10^{-8}
^{24}Mg	4.47×10^{-9}	2.53×10^{-8}	0 – 1.05×10^{-7}
^{26}Mg	6.74×10^{-10}	3.82×10^{-9}	0 – 2.63×10^{-8}
^{28}Si	5.67×10^{-9}	3.21×10^{-8}	0 – 1.37×10^{-7}
^{32}S	8.10×10^{-9}	1.95×10^{-8}	0 – 8.23×10^{-8}
^{56}Fe	1.02×10^{-8}	5.75×10^{-8}	0 – 2.42×10^{-7}

Isotope ratios overall solar-like

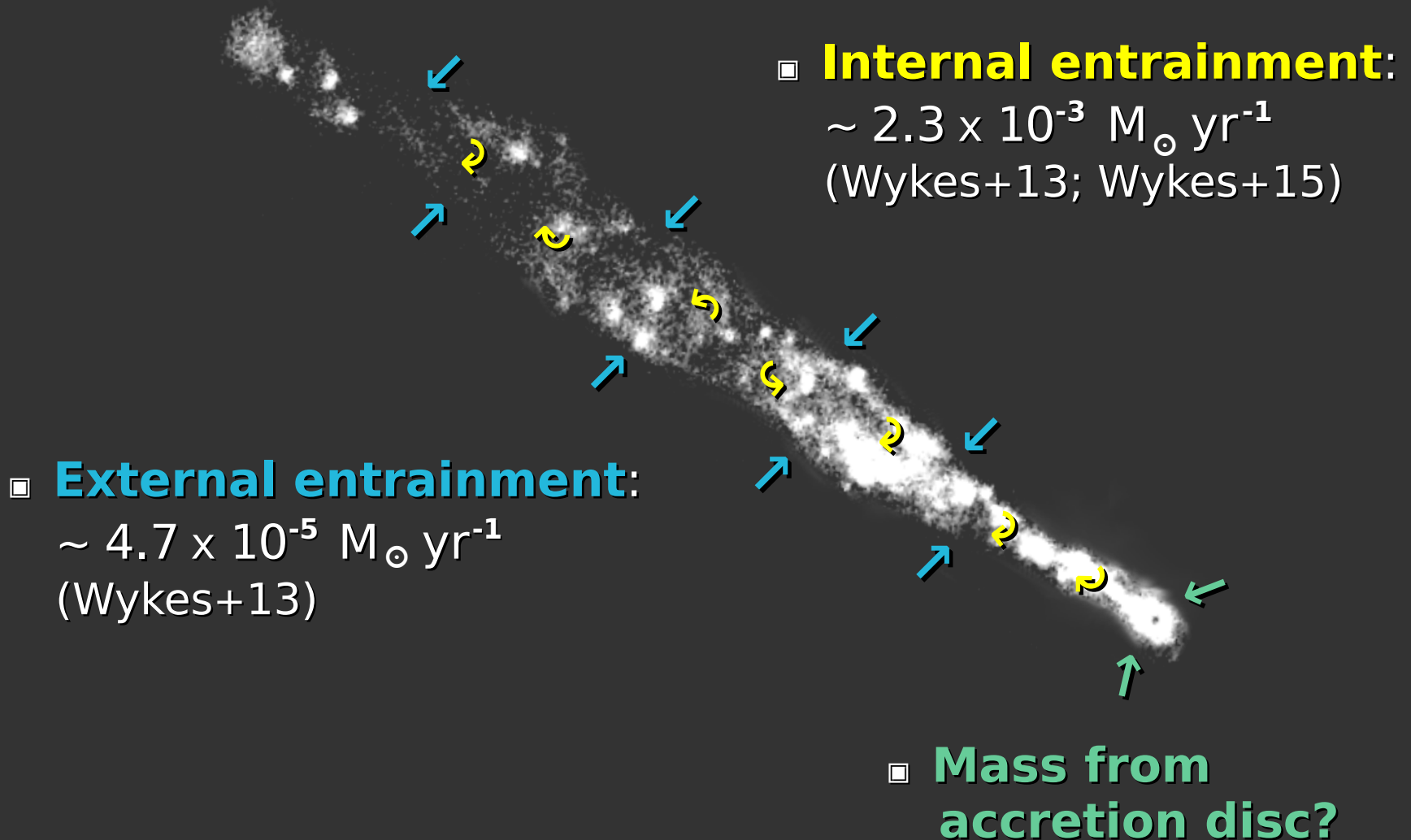
Approximate amount of mass (in M_{\odot}) in individual isotopes released to jet by AGB + main-sequence phases:

Isotope	Amount expelled	
	current jet 2 Myr	pre-existing jet 560 Myr
^1H	2.6×10^2	7.4×10^4
^3He	1.1×10^{-1}	3.1×10^1
^4He	9.8×10^1	2.7×10^4
^{12}C	3.4×10^{-1}	9.5×10^1
^{14}N	2.6×10^{-1}	7.2×10^1
^{16}O	1.2	3.3×10^2
^{20}Ne	2.0×10^{-1}	5.5×10^1
^{22}Ne	1.8×10^{-2}	5.0
^{24}Mg	6.4×10^{-2}	1.8×10^1
^{26}Mg	9.6×10^{-3}	2.7
^{28}Si	8.1×10^{-2}	2.3×10^1
^{32}S	5.8×10^{-2}	1.6×10^1
^{56}Fe	1.5×10^{-1}	4.1×10^1

External (lateral) entrainment from hot gas

- Centaurus A's jet: not significantly over/underpressured wrt surroundings → allows Kelvin-Helmholtz instability to develop at the jet-ISM interface
- Bulk entrainment: no differentiation between particle charges during jet boundary crossing → composition representative of surrounding galaxy ISM
- Simple scaling relations with position along the jet; results of Laing & Bridle 02 for FR I radio galaxy 3C 31 to characterise regions and normalise entrainment rate profile
- Integrated entrainment rate (0 - 3 kpc) implies total external entrainment rate
 $\sim 4.7 \times 10^{-5} M_{\odot} \text{ yr}^{-1} \ll \text{total internal entrainment contribution}$

Centaurus A's jet: Mass loading on kpc & pc scales



Circular polarisation (CP)

- ▣ Intrinsically from synchrotron emission (likely pe^- jet)
- ▣ Faraday conversion of linear polarisation to circular (e^+e^- or pe^- ; jet not dominated by non-relativistic pe^- plasma)

Observations: VLBA's southern antennas; 8, 15, 22 GHz

Upper limits (3σ) at 8 GHz: LP: $\sim 0.46\%$, CP: $\sim 0.92\%$

at 15 GHz: LP: $\sim 0.16\%$, CP: $\sim 0.16\%$

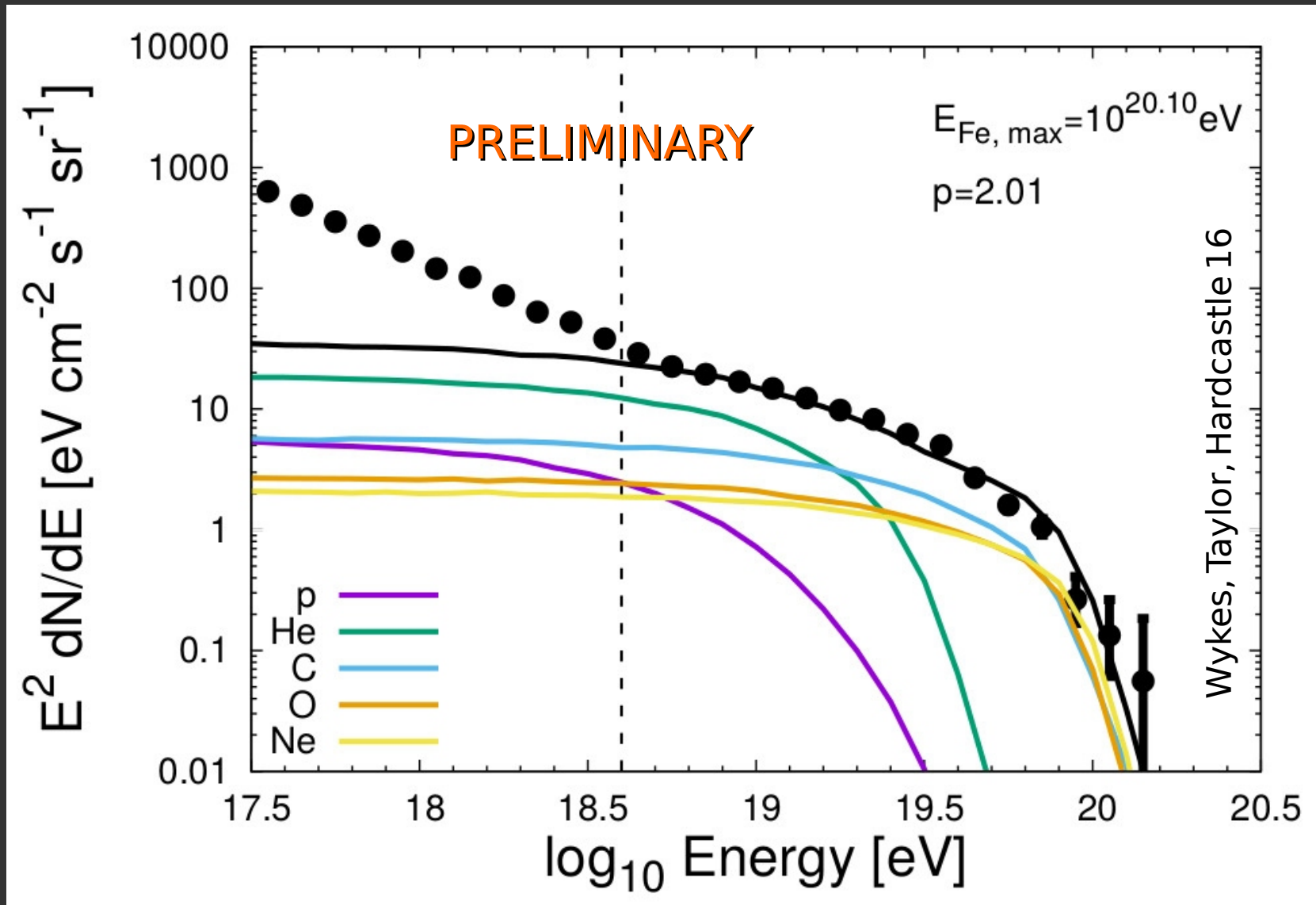
- ↪ Shortfall of significant LP at 8 + 15 GHz most readily explained by strong Faraday screen ($RM \sim 8 \times 10^5 \text{ rad/m}^2$)
- ↪ However, external depolarisation not expected to affect CP. Lack of CP due to insufficient synchrotron self-absorption in jet?

Even clear signal suggesting pe^- composition on smallest scales will not detract from total amount of baryon mass incorporated into jet

Summary

- Jet-stellar wind interaction model
 - produces X-rays (even for zero fraction young stars)
 - can reproduce combined diffuse- and knot X-ray luminosity of the whole jet, and the broad-band spectrum up to optical
 - mean X-ray spectral index recovered
- Derived internal entrainment rate of $\sim 2.3 \times 10^{-3} M_{\odot} \text{ yr}^{-1}$ implies substantial jet deceleration
- External entrainment plausible: solely $\sim 4.7 \times 10^{-5} M_{\odot} \text{ yr}^{-1}$
- Mass loading from disc unconstrained thus far: if present, low
- Baryons in Centaurus A's jet essentially from mass loss by $\sim 12 \text{ Gyr}$ ($Z \sim 0.004$) and $\sim 3 \text{ Gyr}$ ($Z \sim 0.008$) AGB stars
- Composition of jet on kpc-scales largely solar-like with ^4He , ^{16}O , ^{12}C , ^{14}N and ^{20}Ne the key isotopes

Centaurus A: propagation spectrum



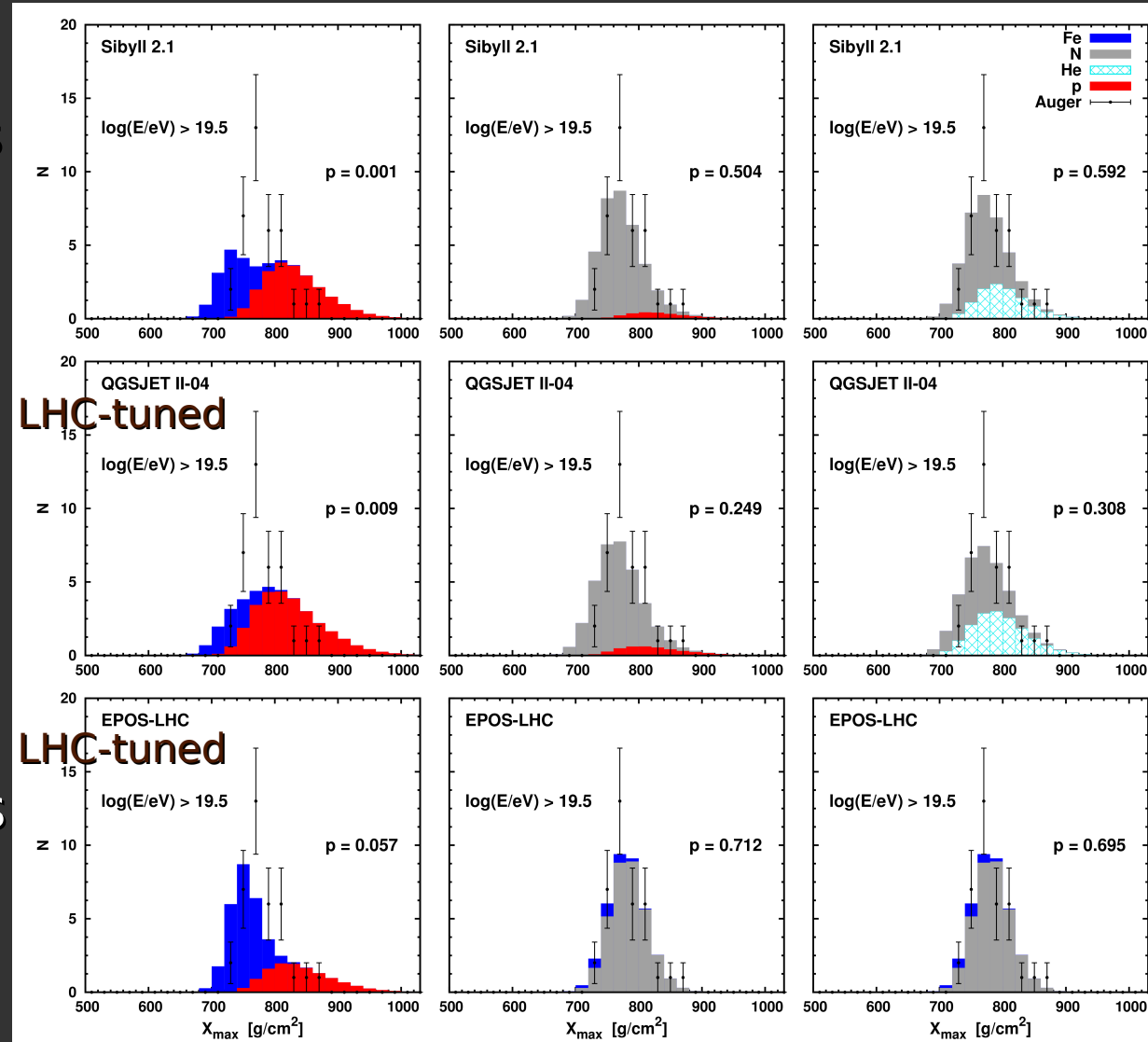
Good fits are possible

Pierre Auger Observatory: UHECR composition implications (arXiv: 1409.5083)

Shape of distribution of X_{\max} data

- ▶ Inconsistent with composition dominated by protons
- ▶ Inconsistent with iron dominance
- ▶ Introducing intermediate-mass nuclei greatly improves the fits

Original source composition from nearby source/sources or photodisintegration products from distant one/ones, or both?



Cosmic-ray energisation: jet

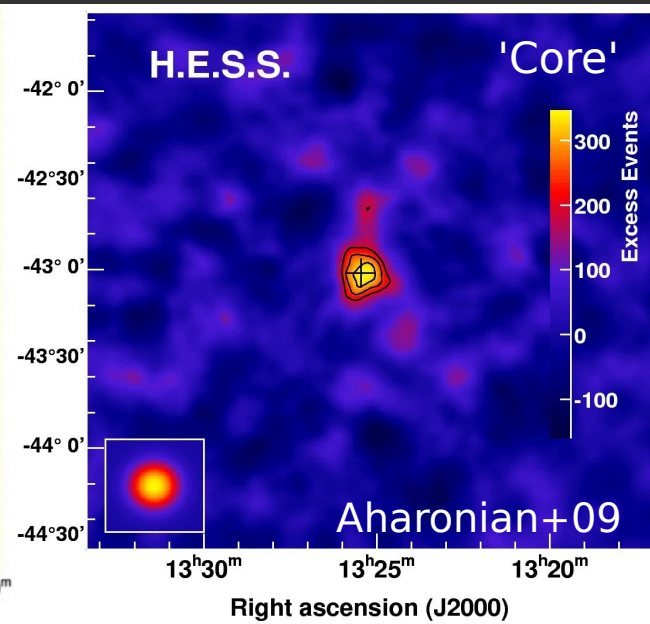
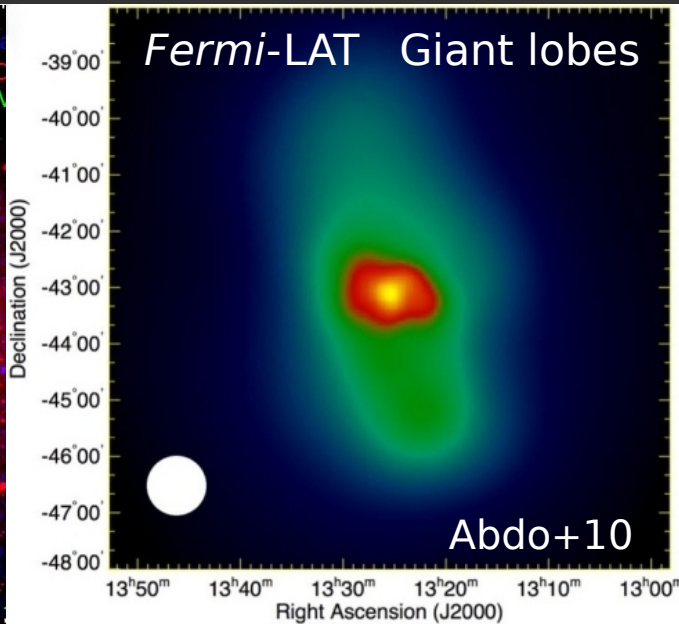
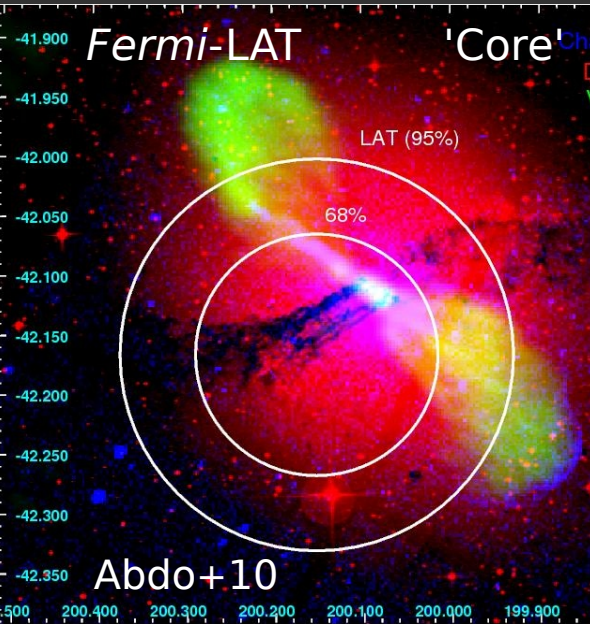
- Diffusive shock acceleration ('Fermi I') e.g. jet-stellar wind interaction model
 - Relatively fast
 - Particle spectra around $p = 2$ at single, non-relativistic, strong, q-parallel shocks; flatter from ensemble of shocks
- Shear acceleration (Fermi I-like process) kpc jet boundaries
 - Relatively fast
 - Particle spectra flatter than $p = 2$
- Magnetic reconnection (Fermi I-like process) small jet scales
 - Relatively fast
 - Particle spectra flatter than $p = 2$ (?)
- Stochastic acceleration ('Fermi II' used inconsistently in lit., sometimes only referring to magnetosonic turbulence)
 - Slow in general, relatively fast in the jet
 - No fundamental particle slope (depends on physical conditions at the source)

Hybrid models perfectly possible!

Fermi GeV source & HESS TeV source

MeV - GeV
ang. res. $\leq 1^\circ$

GeV - TeV
ang. res. $\leq 0.1^\circ$



L_γ (0.1 - 4 GeV)
 $\sim 1.1 \times 10^{41} \text{ erg s}^{-1}$

L_γ (> 250 GeV)
 $\sim 2.6 \times 10^{39} \text{ erg s}^{-1}$

no variability

no variability

no variability

leptonic/hadronic?

leptonic

leptonic/hadronic?

Internal entrainment - earlier approach

- Estimate total mass loss rate for the stellar population of Centaurus A, determining fraction of this mass loss to occur within jet boundaries
- Mass loss in ellipticals dominated by old-population stars with luminosity-to-mass-loss-rate ratio $7.88 \times 10^{-12} (L_B/L_{B\odot}) M_{\odot} \text{ yr}^{-1}$
- Apparent magnitude m_B of Centaurus A = 7.48
 $\rightarrow L_B \sim 2.43 \times 10^{10} L_{B\odot} \rightarrow \text{mass loss rate} \sim 0.19 M_{\odot} \text{ yr}^{-1}$
- Adopting spherically symmetric distribution, the fraction of stars in the jet determined by jet's solid angle. Opening angle $15^\circ \rightarrow 0.054 \text{ sterrad} \rightarrow \text{entrainment rate} \sim 5.2 \times 10^{22} \text{ g s}^{-1}$
- Young stars: assumption: Centaurus A's FIR luminosity arises from dust heated by O stars & 50% of the output into heating the dust. Entrainment $\sim 1.6 \times 10^{22} \text{ g s}^{-1}$
Total internal entrainment $\sim 6.8 \times 10^{22} \text{ g s}^{-1} (1.1 \times 10^{-3} M_{\odot} \text{ yr}^{-1})$

External entrainment from hot gas - detailed

- Assumption: mass entrained per unit time for a section of jet of length Δl scales according to the external gas density, jet velocity and surface area of the jet segment:

$$\dot{M} = \Psi_0 \rho_{\text{ext}}(l) v_j(l) r_j(l) \Delta l$$

- Then entrainment rate per unit length:

$$\Psi(l) = \Psi_0 \rho_{\text{ext}}(l) v_j(l) r_j(l)$$

- Assumption: external thermal number density described by a beta model:

$$n_{\text{th}} = n_0 \left(1 + (l/a)^2\right)^{(-3\beta/2)}$$

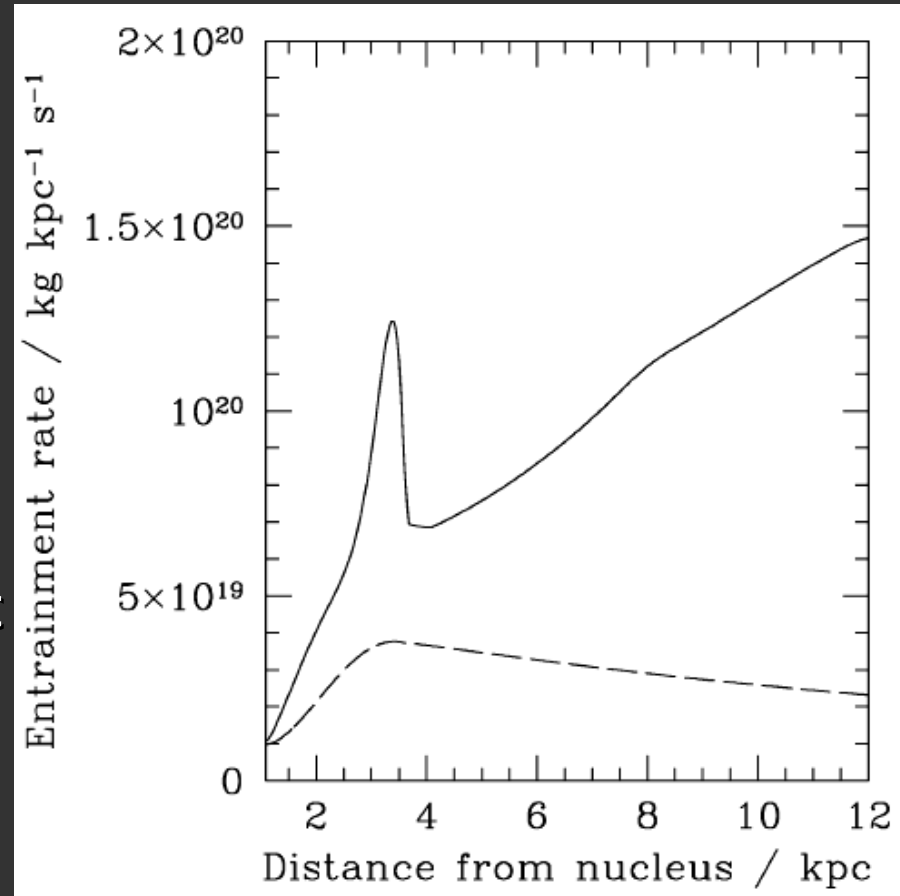
- Beta model parameters for Centaurus A (Kraft+2003):
 $\beta = 0.39$, $a = 0.5$ kpc, $n_{p,0} = 0.037 \text{ cm}^{-3}$

External entrainment from hot gas - detailed

- Assumptions: $v_j \sim$ constant over inner 3 kpc,
 r_j proportional to distance l
→ separate out the entrainment rate:

$$\Psi(l) = \Psi_{\text{norm}} / (1 + (l/a)^2)^{(-3\beta/2)}$$

- Normalisation from Laing & Bridle (2002) by taking an estimate of the entrainment rate in the middle of the flaring region in 3C 31;
the equivalent point in Centaurus A's jet is at ~ 0.7 kpc
- For 3C 31:
 $\Psi(2 \text{ kpc}) = 4 \times 10^{22} \text{ g s}^{-1} \text{ kpc}^{-1}$



External entrainment from hot gas - detailed

- Scaling entrainment rate at 2 kpc for 3C 31 based on the ratio of external density, jet velocity and jet radius at these equivalent points:

$$\rho_{\text{Cen A}} / \rho_{\text{3C 31}} = 0.33, \quad v_{\text{Cen A}} / v_{\text{3C 31}} = 1, \quad r_{\text{Cen A}} / r_{\text{3C 31}} = 0.08$$

→ estimated entrainment rate for Centaurus A:

$$\Psi (0.7 \text{ kpc}) \sim 1.1 \times 10^{21} \text{ g s}^{-1} \text{ kpc}^{-1}$$

→ normalisation for the entrainment rate profile:

$$\Psi_{\text{norm}} \sim 2.8 \times 10^{21} \text{ g s}^{-1} \text{ kpc}^{-2}$$

- Integrating the entrainment rate (0 - 3 kpc) implies total entrainment rate

$$\sim 3.0 \times 10^{21} \text{ g s}^{-1} \quad (\sim 4.7 \times 10^{-5} M_{\odot} \text{ yr}^{-1})$$

Cosmic-ray energisation: giant lobes

- Amount of entrained material: seems large, but (volume, age lobes)! → density $\sim 1 \times 10^{-8} \text{ cm}^{-3}$ → Alfvén speed $v_A \sim 0.08c$

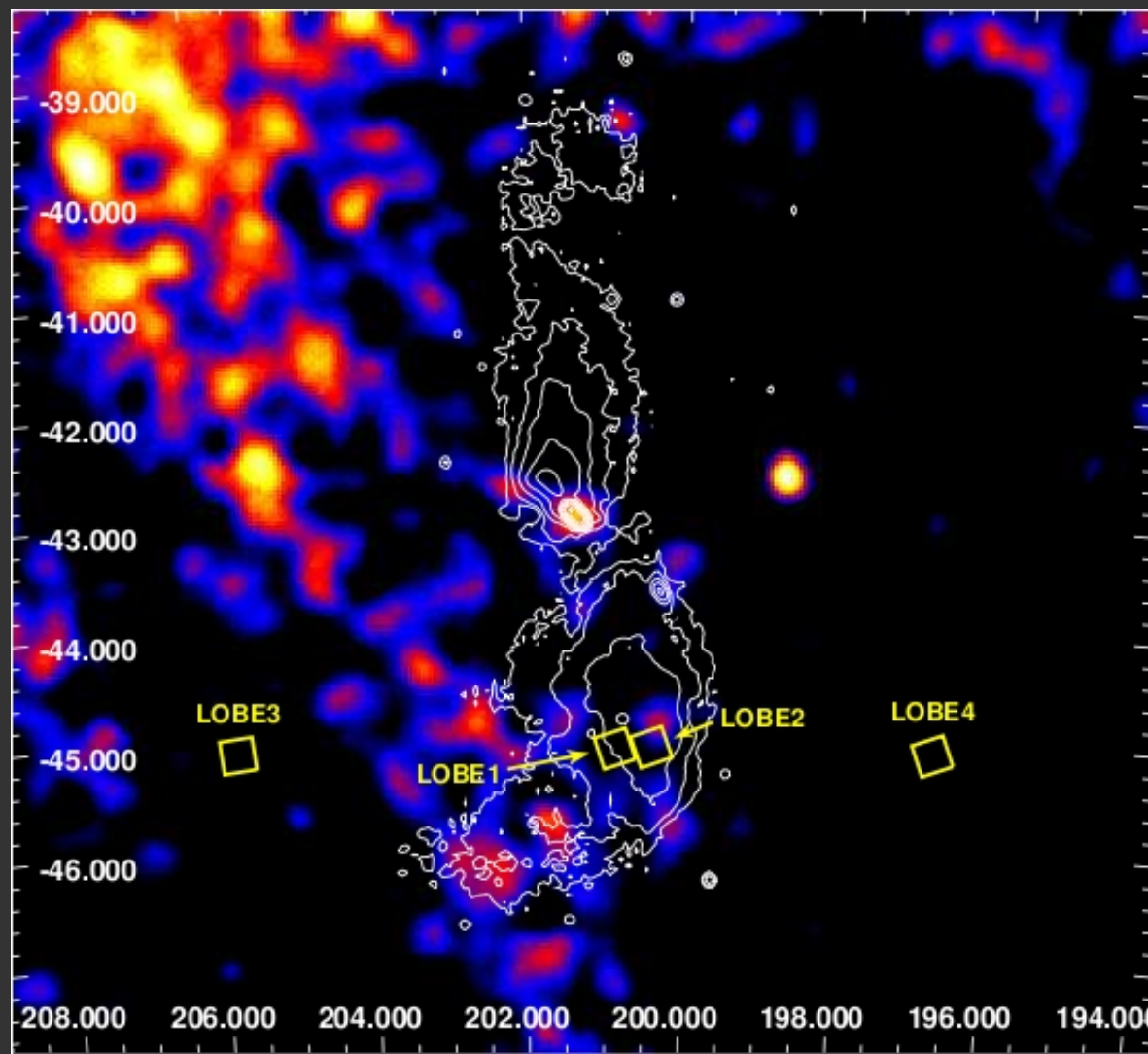
- Resonant acceleration time for particle of energy γ :

$$\tau_{\text{res}} \simeq \frac{\gamma mc}{ZeB} \frac{c^2}{v_A^2} \frac{U_B}{U_{\text{res}}} \quad B\text{-field giant lobes} \sim 0.9 \mu\text{G}$$

- Interested in highest energies that can resonate: i.e. disregard U_B/U_{res} , estimate τ_{res} only for particles with gyroradius \sim turbulent driving scale (30 - 100 kpc):
55 EeV: ^{12}C : $\tau_{\text{res}} \sim 5.5 \text{ Myr}$, ^{16}O : $\tau_{\text{res}} \sim 4.1 \text{ Myr}$

- Requirement for a relatively flat power law, as generally assumed for UHECRs: acceleration time \lesssim diffusion time
- Constraints on turbulent scale, acceleration time, escape time and physical age of the giant lobes: only ^9Be and heavier nuclei accelerated to $\geq 55 \text{ EeV}$ regime

- ▶ Some of the X-ray synchrotron emission detected with *Suzaku* (Stawarz+13) may be associated with parts of *vertex* filament
- ▶ However, their X-ray thermal detection most likely Galactic foreground emission



Assumption to determine number density n :
all emission thermal bremsstrahlung;
emissivity to thermal bremsstrahlung goes as n^2

ROSAT count map
Parkes 4.75 GHz
(Junkes+93)
Suzaku pointings