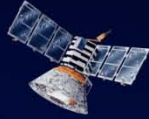
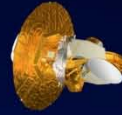


CMB ANISOTROPIES: STATUS & PROSPECTS



1989



2000



2009

COBE

W-band temperature anisotropy

WMAP

Internal Linear Combination of 5 bands, smoothed

Simulated temperature anisotropy

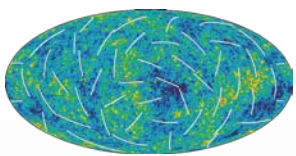
PLANCK

Simulated temperature and polarisation anisotropy

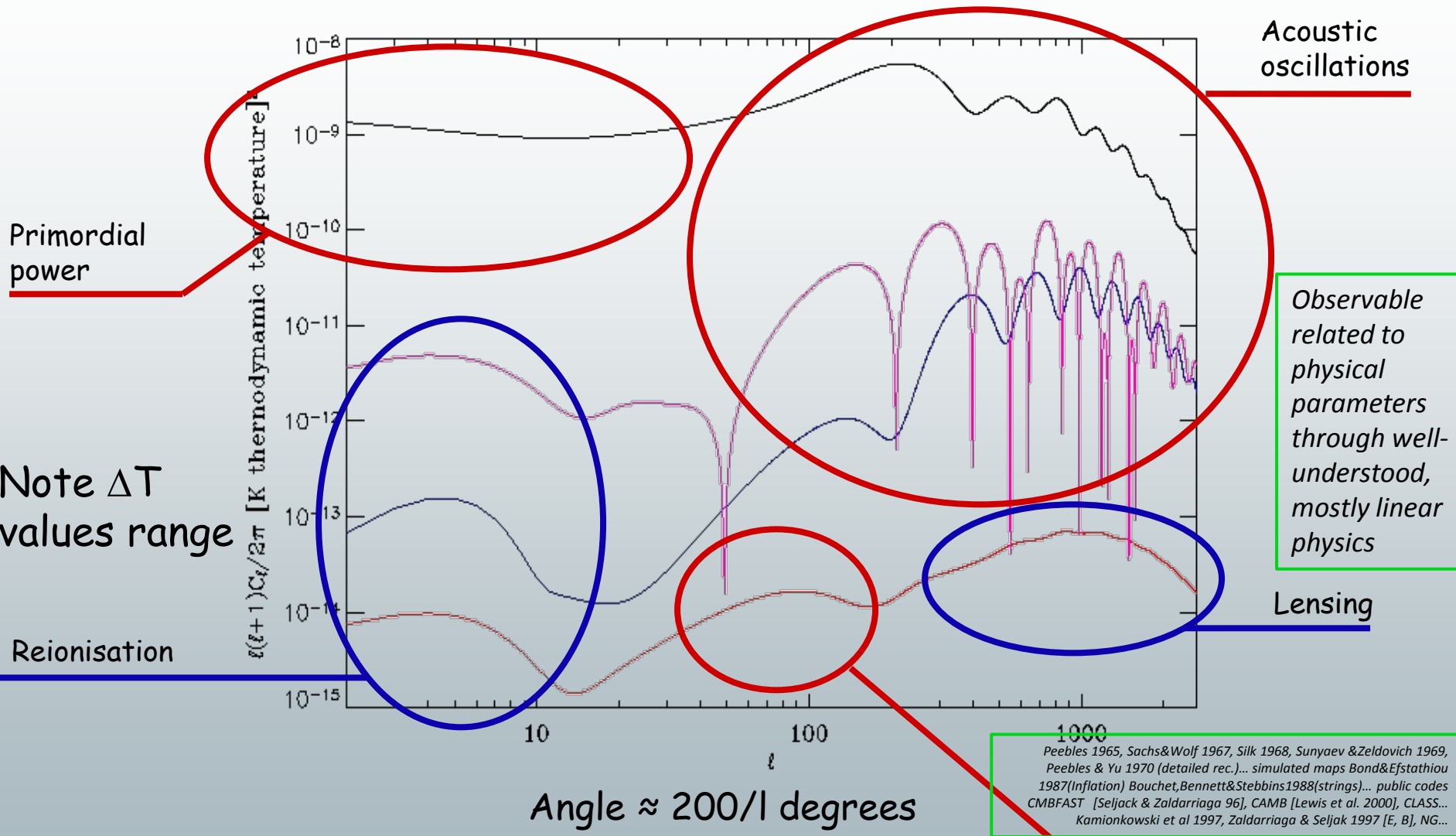
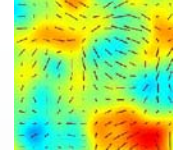
14 May



F. R. Bouchet
Institut d'Astrophysique de Paris



CMB information mine



+ all other statistical properties (NG)



PRECISION COSMOLOGY...

First numerical CMB calculation (to go through recombination)

PRIMEVAL ADIABATIC PERTURBATION
IN AN EXPANDING UNIVERSE*

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AND

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Received 1970 January 5; revised 1970 April 1

ABSTRACT

1965+5...

The general qualitative behavior of linear, first-order density perturbations in a Friedmann-Lemaître cosmological model with radiation and matter has been known for some time in the various limiting situations. An exact quantitative calculation which traces the entire history of the density fluctuations is lacking because the usual approximations of a very short photon mean free path before plasma recombination, and a very long mean free path after, are inadequate. We present here results of the direct integration of the collision equation of the photon distribution function, which enable us to treat in detail the complicated regime of plasma recombination. Starting from an assumed initial power spectrum well before recombination, we obtain a final spectrum of density perturbations after recombination. The calculations are carried out for several general-relativity models and one scalar-tensor model. One can identify two characteristic masses in the final power spectrum: one is the mass within the Hubble radius ct at recombination, and the other results from the linear dissipation of the perturbations prior to recombination. Conceivably the first of these numbers is associated with the great rich clusters of galaxies, the second with the large galaxies. We compute also the expected residual irregularity in the radiation from the primeval fireball. If we assume that (1) the rich clusters formed from an initially adiabatic perturbation and (2) the fireball radiation has not been seriously perturbed after the epoch of recombination of the primeval plasma, then with an angular resolution of 1 minute of arc the rms fluctuation in antenna temperature should be at least $\delta T/T = 0.00015$.

I. INTRODUCTION

a) Purpose

The possible discovery of radiation from the primeval fireball opens a promising lead toward a theory of the origin of galaxies. This primeval radiation would serve, first, to fix an epoch at which nonrelativistic bound systems like galaxies can start to develop (Peebles 1965a), and second, to impress on the power spectrum of initial density fluctuations characteristic lengths and masses (Gamow 1948; Peebles 1965a, 1967a; Michie 1967; Silk 1968). These characteristic features in the power spectrum hopefully result from all the complicated details of the evolution of the Universe after the initial power spectrum is arbitrarily set at some very early epoch. If one can make a reasonable argument for a coincidence of these features with observed phenomena, it will provide an important encouragement and guide to the further development of the theory. A more direct observational test of these processes might be provided by the residual small-scale fluctuations in the microwave background (Peebles 1965b; Sachs and Wolfe 1967; Silk 1968; Wolfe 1969; Longair and Sunyaev 1969), if we assume that this radiation has not been further scattered (Dautcourt 1969).

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† Alfred P. Sloan Fellow.

‡ NAS-NRC Postdoctoral Research Associate.

Initial CMB Calculations

Matter calculations

According to Zel'dovich (1967) there are two kinds of perturbations that are of interest: initial isothermal perturbations and initially adiabatic perturbations. It has been suggested that the globular clusters are the remnants of an isothermal perturbation in the early Universe (Peebles and Dicke 1968; Peebles 1969). Our purpose here is to discuss in some detail the evolution of adiabatic density fluctuations in the primeval-fireball picture.

An initially adiabatic perturbation evolves through four regimes: (a) When the age t of the Universe is much less than λ/c , where λ is the characteristic scale of the perturbation, a fractional perturbation $\delta\rho/\rho$ to the total mass density grows with time, but the entropy per nucleon is conserved (hence adiabatic). (b) When $\lambda \ll ct$, the perturbation oscillates like an acoustic wave. (c) As the Universe expands through the recombination phase, the photon mean free path becomes comparable to λ , and the oscillating wave is attenuated, leaving some residual perturbation in the matter distribution. (d) When $T \leq 2500^\circ \text{K}$, recombination is sufficiently complete that radiation drag on the matter may be neglected, and the residual perturbation may start to grow into bound systems like protogalaxies.

The above general scheme for initially adiabatic perturbations was already given by Lifshitz (1946). The very complicated regime (c) has been considered by a number of people in a variety of approximations, with the general conclusion that initially adiabatic perturbations on a characteristic mass scale $\leq 10^{11}-10^{13} M_\odot$ are strongly attenuated. This problem was first considered in approximations to first order in the photon mean free time t_c independently by Michie (1967), Peebles (1967a), and Silk (1968). It has since been considered by Bardeen (1968) in the first twenty moments of the radiation distribution function, and by Field (1970a), who solves the problem to all orders in t_c when the expansion of the Universe may be neglected. However, these approximation schemes run afoul of the enormous variation and rate of variation of the photon mean free path through the epoch of recombination. As a result, previous workers on this subject (Peebles 1967a; Michie 1967; Silk 1968; Field and Shepley 1968) could give only qualitative estimates of the different characteristic masses involved here. To obtain a more accurate description of the evolution through this complicated phase of recombination, we have resorted to direct numerical integration of the collision equation for the photon distribution function.

The more quantitative results of the present calculation are compared with the earlier estimates in § VII. We also discuss there the possible significance of these results. In § II we derive the differential equations to be integrated. It is impractical to integrate the collision equation numerically in the very early Universe because the photon mean free path t_c is so short, but here it becomes a good approximation to describe the radiation as a fluid with viscosity. This description of the radiation was used in all the previous work (Lifshitz 1946; Michie 1967; Silk 1968; Field and Shepley 1968), and is indeed a good approximation in this early epoch. The fluid description of radiation is equivalent to an expansion and integration of our collision equation to first order in t_c . In § III we give the resulting equations valid to first order in t_c , and we present solutions to these approximate equations under various limiting conditions. These results are used to start the numerical integration and to check numerical accuracy. In § IV we consider the residual perturbation to the microwave background. The numerical integrations are described in §§ V and VI.

b) Assumptions and Approximations

In the following calculations we use either conventional general-relativity theory, with cosmological constant Λ equal to zero, or the scalar-tensor theory (Brans and Dicke 1961). We start from a homogeneous, isotropic cosmological model, in which the present parameters are

$$H_0^{-1} = 1 \times 10^{10} \text{ years}, \quad T_0 = 2.7^\circ \text{K}. \quad (1)$$

МЕЛКОМАСШТАБНЫЕ ФЛУКТУАЦИИ РЕЛИКТОВОГО ИЗЛУЧЕНИЯ*

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(Received 11 September, 1969)

Аннотация. Возмущения плотности вещества в однородной и изотропной космологической модели, приводящие к образованию галактик, должны на еще более ранней стадии эволюции вызывать пространственные флуктуации реликтового излучения. Силк предположил, что между возмущениями плотности на момент рекомбинации первичной плазмы и флуктуациями наблюдаемой температуры излучения имеется адиабатическая связь $\delta T/T = \frac{1}{3}(\delta \rho_m/\rho_m)$.

В предлагаемой работе показано, что такая простая связь не имеет места, вследствие:

(1) немгновенности рекомбинации

(2) из-за того, что когда области с $M < 10^{15} M_{\odot}$ становятся прозрачными для излучения, еще велика оптическая толща до наблюдателя по томпсоновскому рассеянию

(3) скачкообразного увеличения $\delta \rho_m/\rho_m$ в ходе рекомбинации

В результате ожидаемые флуктуации температуры реликтового излучения должны быть меньше адиабатических. В статье вычислено $\delta T/T$, возникающее при рассеянии излучения на движущихся электронах; поле скоростей генерируется адиабатическими или энтропийными возмущениями плотности. Оценены также флуктуации реликтового излучения, возникающие при вторичном разогреве межгалактического газа.

Детальное исследование спектра флуктуаций в принципе может позволить выяснить природу первичных возмущений плотности; так как адиабатическим возмущениям свойственна своеобразная периодическая зависимость спектральной плотности возмущений от длины волны (массы). Практически наблюдения весьма трудны из-за малости эффекта, и из-за наличия флуктуаций, связанных с дискретными источниками радиоизлучения.

1. Введение

В современной горячей модели Вселенной предполагается, что в далеком прошлом, до рекомбинации первичной плазмы, во времена, соответствующие красному смещению $z \sim 1000$, галактик не было, а возникновение галактик связано с незначительными отклонениями от строгой однородности, существовавшими в тот период.

В первом приближении можно считать, что после рекомбинации протонов и электронов 'вещество' – нейтральные атомы – не взаимодействует с излучением, и реликтовое излучение (имеющее в настоящее время среднюю температуру 2.7 К) непосредственно приносит нам информацию о состоянии при $z \sim 1000$. В частности, отклонения температуры от средней в зависимости от направления наблюдения, проводимого сейчас с Земли, характеризуют именно отклонения от однородности, т.е. зависимость физических величин от координат в пространстве на ранней стадии.

Эти отклонения в дальнейшем (после рекомбинации) возрастают за счет гравитационной неустойчивости. За момент образования обособленных объек-

* An English translation of this paper will be published in a next issue of this journal.

SMALL-SCALE FLUCTUATIONS OF RELIC RADIATION*

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(Received 11 September, 1969)

Abstract. Perturbations of the matter density in a homogeneous and isotropic cosmological model which leads to the formation of galaxies should, at later stages of evolution, cause spatial fluctuations of relic radiation. Silk assumed that an adiabatic connection existed between the density perturbations at the moment of recombination of the initial plasma and fluctuations of the observed temperature of radiation $\delta T/T = \delta \rho_m/3\rho_m$. It is shown in this article that such a simple connection is not applicable due to:

(1) The long time of recombination;

(2) The fact that when regions with $M < 10^{15} M_{\odot}$ become transparent for radiation, the optical depth to the observer is still large due to Thompson scattering;

(3) The spasmodic increase of $\delta \rho_m/\rho_m$ in recombination.

As a result the expected temperature fluctuations of relic radiation should be smaller than adiabatic fluctuations. In this article the value of $\delta T/T$ arising from scattering of radiation on moving electrons is calculated; the velocity field is generated by adiabatic or entropy density perturbations. Fluctuations of the relic radiation due to secondary heating of the intergalactic gas are also estimated.

A detailed investigation of the spectrum of fluctuations may, in principle, lead to an understanding of the nature of initial density perturbations since a distinct periodic dependence of the spectral density of perturbations on wavelength (mass) is peculiar to adiabatic perturbations. Practical observations are quite difficult due to the smallness of the effects and the presence of fluctuations connected with discrete sources of radio emission.

1. Introduction

In the contemporary 'big-bang' model of the Universe it is hypothesized that in the distant past, before recombination of the initial plasma at times corresponding to a red shift $z \sim 1000$, there were no galaxies and the origin of galaxies is connected with insignificant deviations from strict homogeneity existing in that period. In the first approximation it can be considered that after recombination of protons and electrons 'matter' – neutral atoms – do not interact with radiation and relic radiation (having at present an average temperature of 2.7 K) immediately gives us information about conditions for $z \sim 1000$. In particular, the dependence of deviations of temperature on the direction of observation now being performed from the Earth characterizes the dependence of physical values, i.e. deviations of density, on the spatial coordinates at an earlier stage. These deviations grow in the future (after recombination) due to gravitation instability. For the moment of formation of separate objects it is reasonable to take the time of origin of regions with densities at least twice the average density, i.e. $\delta \rho/\rho \sim 1$. It is assumed that this occurred relatively recently (on a logarithmic time scale) at $z \sim 2 \approx 10$. In this case an estimate for the perturbation at the moment of recombination gives $\delta \rho/\rho \sim 10^{-2} - 10^{-3}$, i.e., it is possible to speak about

* Translated from the Russian by D. F. Smith.

1987: 1st detection is still 5 years away!
(Pioneering calculations 20 yrs earlier)

The statistics of cosmic background radiation fluctuations

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Accepted 1987 January 9. Received 1986 November 25

Summary. We present computations of the radiation correlation functions and angular power spectra for microwave background anisotropies expected in $\Omega=1$ cold dark matter dominated universes with scale-invariant adiabatic or isocurvature initial conditions. The results are valid on all angular scales. We describe the statistical properties of the radiation pattern and develop the theory of two-dimensional Gaussian random fields. A large number of properties of such fields may be derived analytically or semi-analytically, such as the number densities of hotspots and coldspots, the eccentricities of peaks and peak correlation properties. The formulae presented here provide valuable insight into the textural characteristics of the microwave background anisotropies and must be satisfied if the primordial fluctuations are Gaussian. The assumption of Gaussian initial conditions allow us to make highly specific predictions for the pattern of the temperature anisotropies. This is demonstrated by the construction of maps of the fluctuations predicted for the total intensity and the polarization.

1 Introduction

The origin of density irregularities in the Universe represents one of the most important problems in cosmology which, until recently, was largely considered intractable. The inflationary model of the early Universe has, however, led to a potentially viable mechanism for the origin of primordial density fluctuations (e.g. Starobinskii 1982; Guth & Pi 1982; Bardeen, Steinhardt & Turner 1983). Although these calculations are hardly definitive, they have succeeded in drawing attention to a particular set of initial conditions, namely scale-invariant, Gaussian fluctuations superimposed on an $\Omega=1$ Friedman background.

In this paper, we investigate the statistical properties of the cosmic microwave background radiation (CMB), assuming that the initial fluctuations are Gaussian. The background radiation will then form a 2D Gaussian random field and should provide a clean and direct test of the statistics of the initial conditions. Given a particular cosmological model, we can compute all statistical aspects of the radiation pattern. It is unfortunate, then, that CMB anisotropies have yet

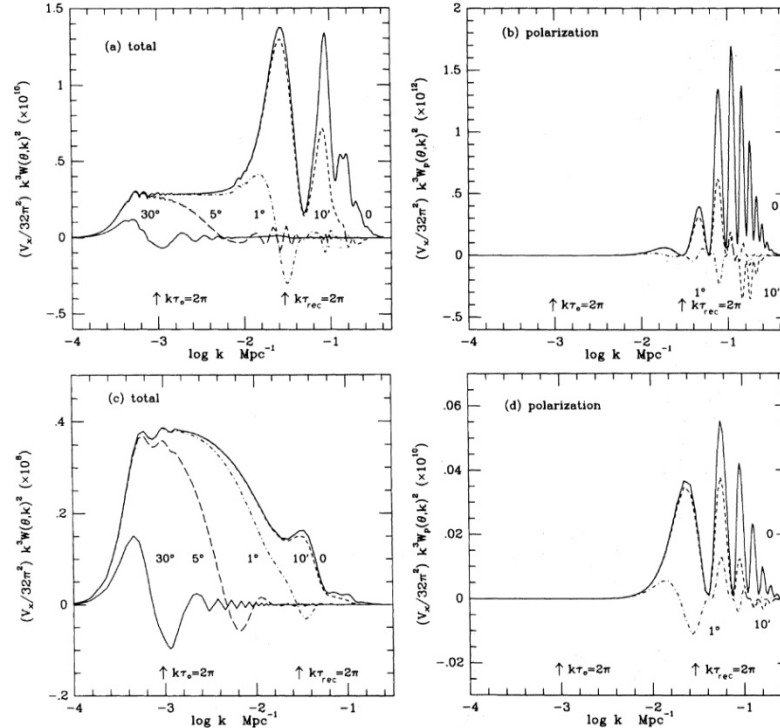


Figure 4. Integrands of the radiation autocorrelation function $k^3 W_l^2(\theta, k)$ plotted against $\log k$ for various θ . (a, b) Show the integrands for the total and polarization correlation functions, respectively for a scale-invariant adiabatic CDM model with $\Omega=1$, $\Omega_B=0.03$, $h=0.75$. (c, d) Show the equivalent plots for a scale-invariant isocurvature CDM model with identical cosmological parameters. The area under each curve gives $C(\theta)$ thus it is easy to assess how fluctuations on various scales would contribute to experiments probing any particular angle. These curves have been normalized according to the prescription given in Section 4.2 with the biasing parameter $b=1$.

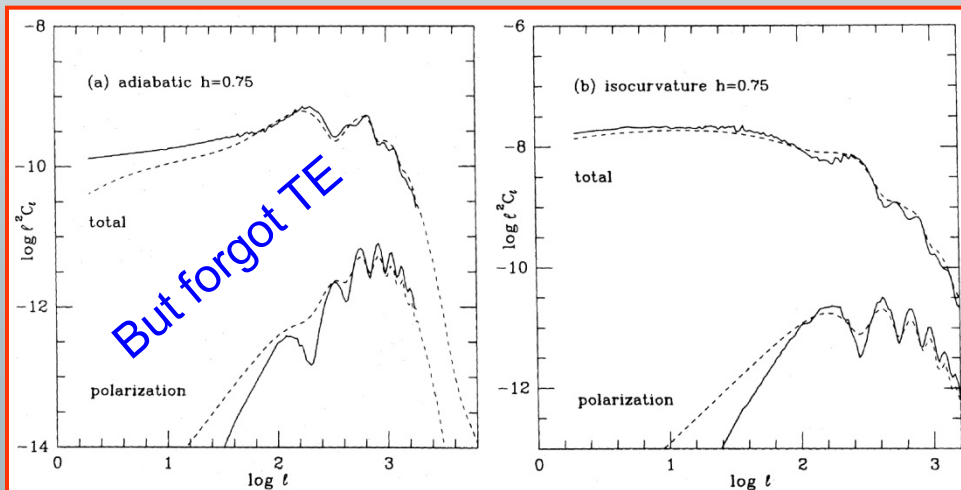


Figure 7. Power spectra for the two $h=0.75$ scale-invariant CDM models. The solid lines show results from equation (4.17) and the dotted lines show approximate results derived from equation (4.19).

And map realisations in T & P...

676

J. R. Bond and G. Efstathiou

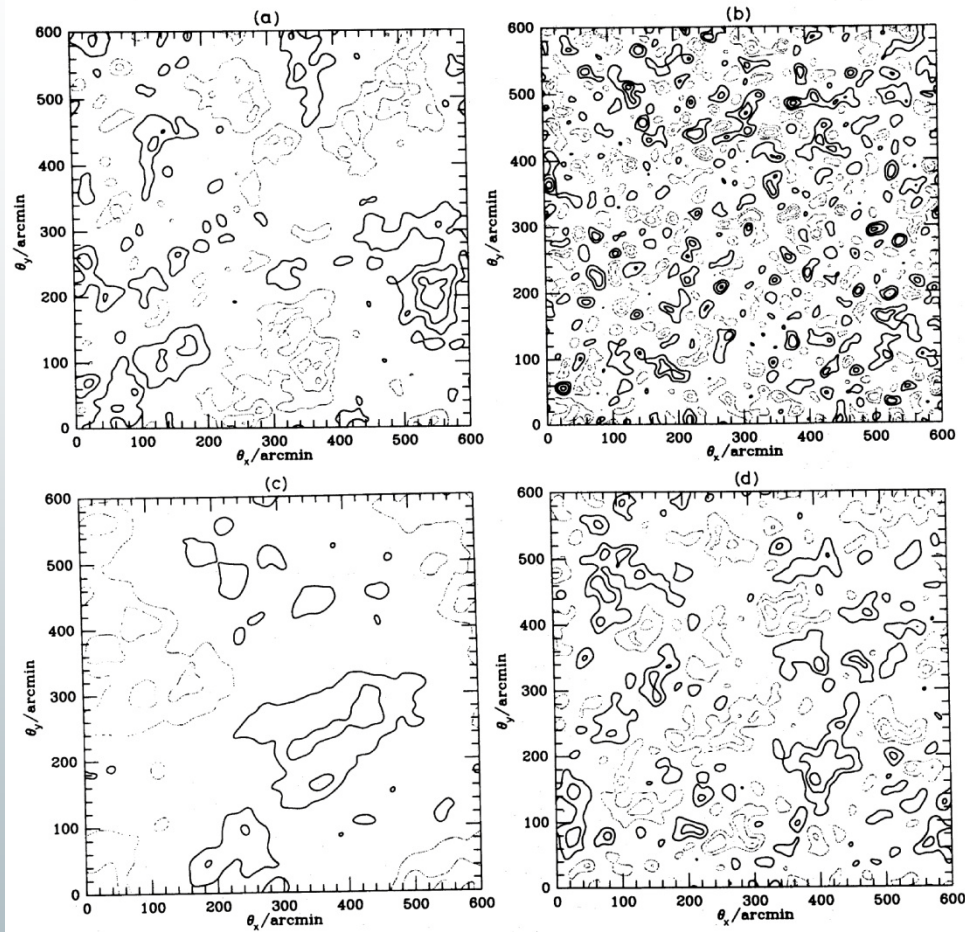


Figure 8. Realization of the Gaussian temperature and polarization fluctuations constructed using the method described in Section 5. (a, b) Show maps of the total and polarization fluctuations respectively for the $h=0.75$ scale-invariant adiabatic CDM model. (c, d) Show analogous maps for the $h=0.75$ scale-invariant isocurvature model. In constructing these plots, we used a 512×512 grid and a smoothing angle of $\theta_s = 5$ arcmin. The heavy contours correspond to $\nu=1, 2$ and 3 upward fluctuations and the light lines show equivalent contours for the downward fluctuations.

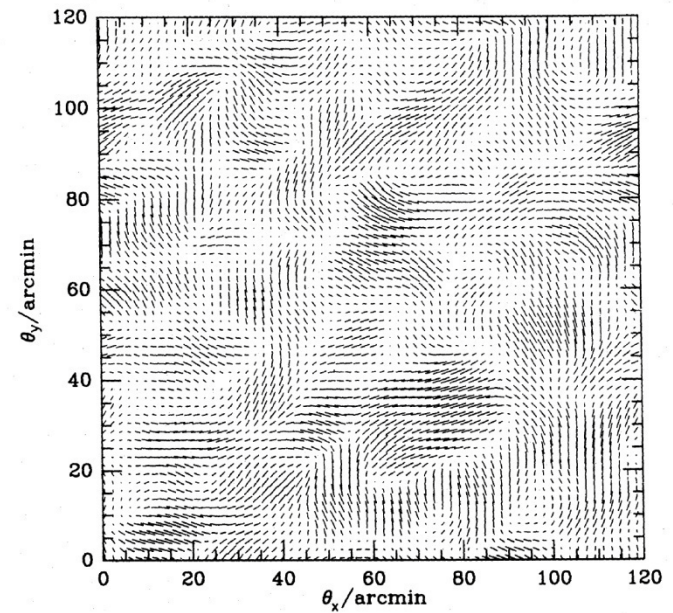


Figure 9. Simulation of the degree and spatial variation of the plane of polarization in a $2^\circ \times 2^\circ$ patch for the $h=0$ adiabatic model simulated in Fig. 8. The length of each vector is proportional to the degree of polarization and orientation gives the plane of polarization. This picture was constructed on a 128×128 grid using a smoothing angle $\theta_s = 1$ arcmin. For visual clarity, we only plot 64×64 vectors.

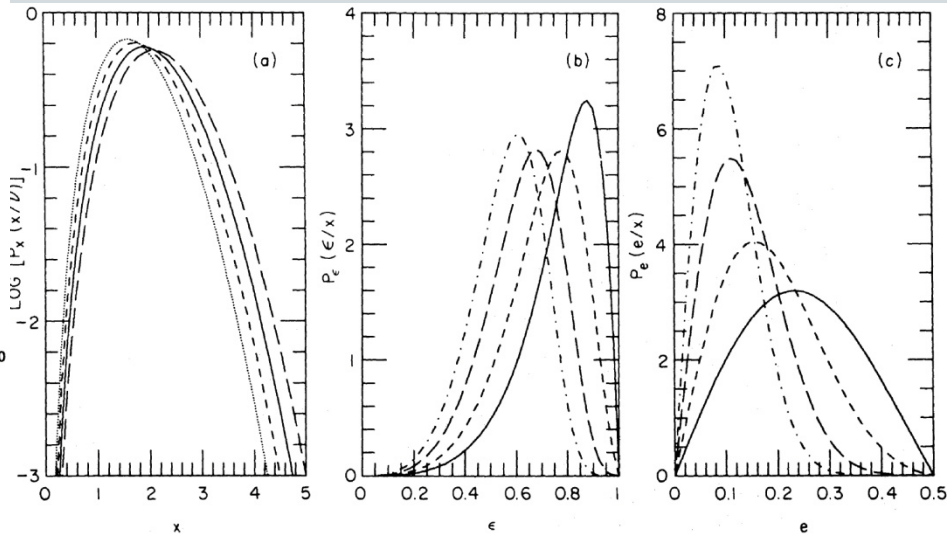
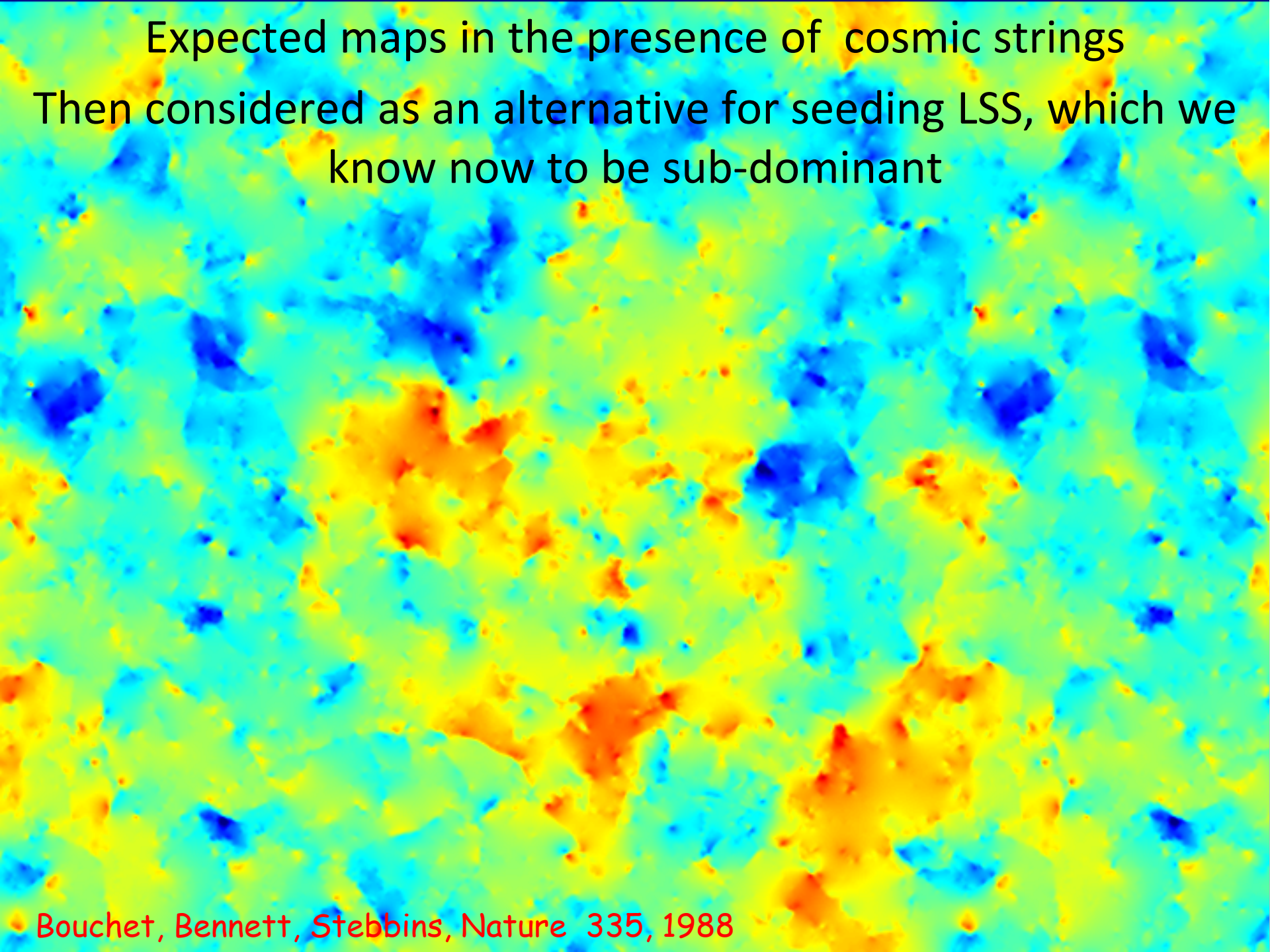
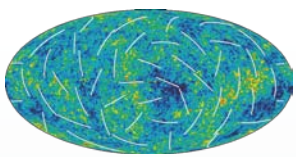


Figure 2. (a) The conditional probability of the curvature parameter $x = |\nabla^2 F / \sigma_2|$ given the height $\nu=0$ (dot), 1 (short dash), 2 (solid), 3 (long dash) of the maximum (or minimum) is plotted for $\gamma=0.347$, the value appropriate to the $h=0.75$ adiabatic CDM model. The eccentricity (b) and ellipticity (c) distributions for $x=1$ (solid), 2 (short dash), 3 (long dash) and 4 (dot-dash) are independent of the spectral parameters and ν . Integration over x gives the ϵ and e distributions for specified values of the peak height ν [equation (A2.6), Appendix 2].

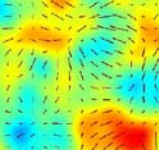
Expected maps in the presence of cosmic strings

Then considered as an alternative for seeding LSS, which we know now to be sub-dominant





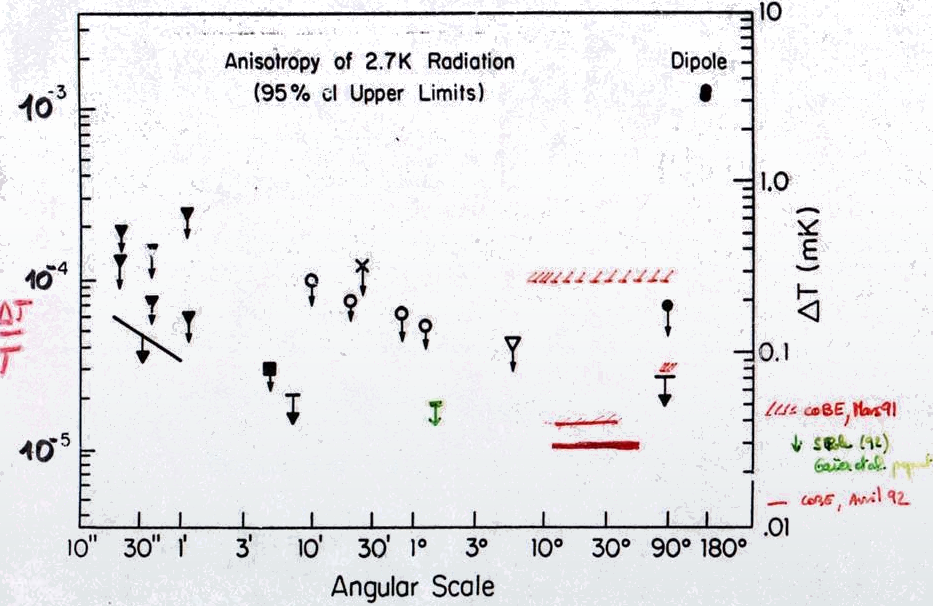
Since then...



- (CMB anisotropies were discovered...)
- Angular power spectra $C(l)$ became the norm
 - $T(n) = \sum_{lm} a_{lm} Y_{lm}(n)$; $a_{lm} = \int d\Omega T Y_{lm}^*$
 - $\langle a_{lm} a_{l'm'} \rangle = \delta_{ll'} \delta_{mm'} C(l)$ (If statistical isotropy)
 - $\langle T_p T_{p'} \rangle = C_{pp'} = \sum (2l+1)/4\pi C(l) P_l(n_{p'} n_p)$
 - $\hat{C}(l) = 1/(2l+1) \sum_m |a_{lm}|^2$
- $\Omega_k \neq 0$ calculations
- Elegant reformulations, introduce E & B to represent polarisation, many gauges (or absence of)...
- Precision of theoretical predictions increased ($\Delta < 1\%$)
- Speed also (tremendously).
- Off the shelf codes: CMBFAST [Seljack & Zaldarriaga 96], CAMB [Lewis et al. 2000] & CMBLOW [Riazuelo], CMBEASY, etc
- With further options, e.g. lensing correction, isocurvature modes, reionisation... (still ongoing)
- Detailed degeneracy studies
- Improved recombination
- ...
- And more recently Non-Gaussianity botanics



Bond, review IAU/30, Helsinki, Finland ~1987



1.6: RMS variation of the CMBR temperature as a function of the angular scale of the two antennas (from [13]).

Table 1: Primary Anisotropies for Primordial Gaussian Fluctuations

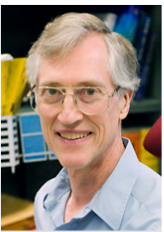
MODEL	Small Angle $10^\circ (\Delta T/T)$ 4.5 [7.15]	Large Angle $10^\circ (\Delta T/T)$ 6°
OBSERVATIONS	< 50 [< 15]	< 48 = 10
Unbiased Adiabatic B-dom B-dom $\Omega = \Omega_B = 0.1$ B-dom $\Omega = \Omega_B = 1$	1000 50	
Unbiased Isocurvature B-dom B-dom ISOC $\Omega = 1 \Omega_B = 1$ B-dom ISOC $-1 \Omega = 1 \Omega_B = 1$	36 28	7 14
OPEN B-dom ISOC $\Omega = 0.2 \Omega_B = 0.2$	61	3
OPEN B-dom ISOC $-1 \Omega = 0.2 \Omega_B = 0.2$	84	4
OPEN ION B-dom ISOC $\Omega = 0.2 \Omega_B = 0.2$	11	4
OPEN ION B-dom ISOC $-1 \Omega = 0.2 \Omega_B = 0.2$	14	3
$\Omega = 1$ biased CDM CDM-dom $\Omega = 1 \Omega_B = 0.03$ CDM-dom $\Omega = 1 \Omega_B = 0.1$ CDM-dom $\Omega = 1 \Omega_B = 0.2$ CDM+B hybrid $\Omega = 1 \Omega_B = 0.5$	3 [5] 6 [7] 6 8	7 7 8 15
Biased Isocurvature Axion CDM-dom ISOC $\Omega = 1 \Omega_B \ll \Omega$		80
Anti-biased Massive Neutrino $\alpha_{nl} = 1$ HOT ($m_\nu = 24 \text{ eV}$) $\Omega = 1 \Omega = 0.1, b = .53$ HOT/COLD hybrid $\Omega = 0.4 \Omega_X = 0.5 \Omega_B = 0.1$	20	20 20
$\Omega < 1$ Unbiased CDM OPEN/CDM-dom $\Omega = .2 \Omega_X = .17 \Omega_B = .03$ OPEN/CDM/B $\Omega = .2 \Omega_X = .1 \Omega_B = .1 h = .75$	70 [150] 80 [170]	20 20
$\Lambda \neq 0$ Unbiased CDM VAC/CDM hybrid $\Omega = 1 \Omega_{vac} = .8 \Omega_X = .17 \Omega_B = .03$ VAC/CDM/B $\Omega = 1 \Omega_{vac} = .8 \Omega_X = .1 \Omega_B = .1 h = .75$	20 [30] 20 [30]	20 25
Non-Scale-Invariant IC's CDM-dom + Extra Power Mountain $\Omega = 1 \Omega_B \ll \Omega$ CDM-dom + Extra Power Plateau $\Omega = 1 \Omega_B \ll \Omega$		80

1st ICGS
In Goa

1992 vintage

The Nobel Prize in Physics 2006

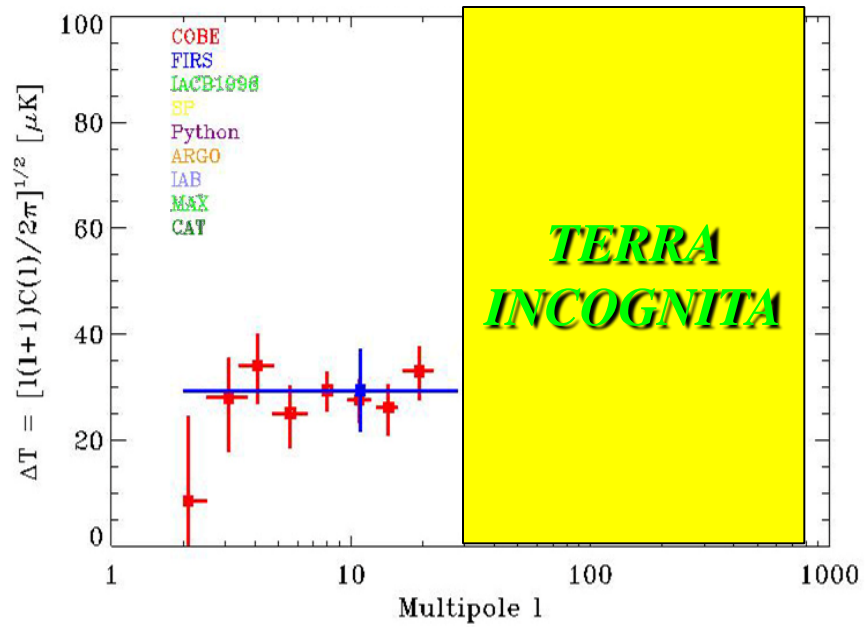
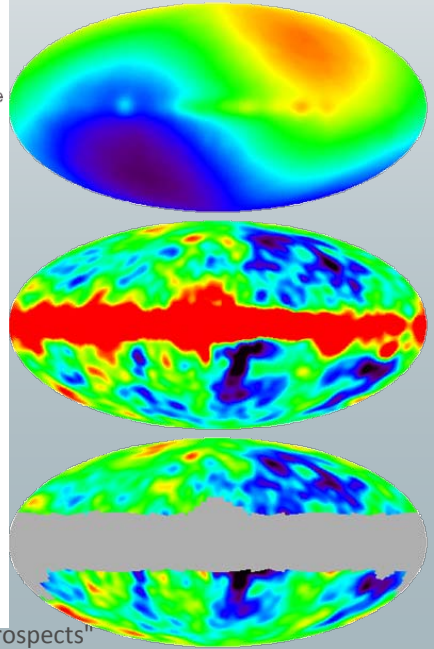
"for their discovery of the blackbody form and anisotropy of the cosmic microwave background radiation"



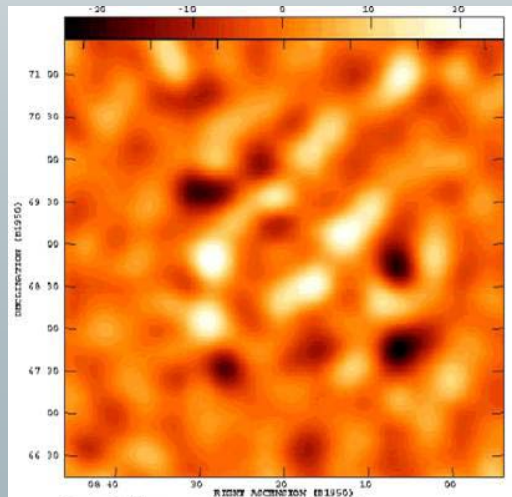
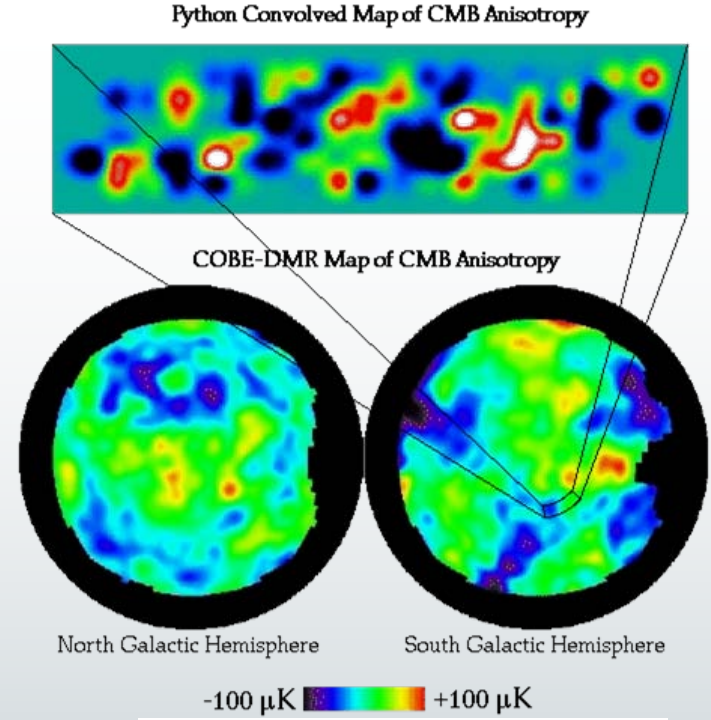
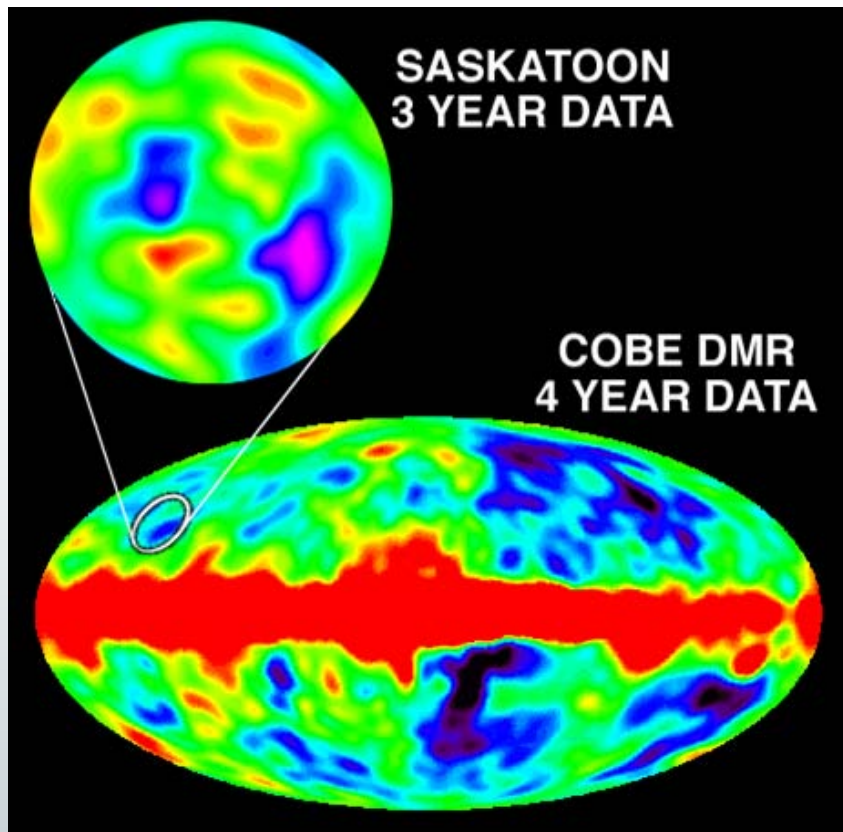
John C. Mather
© 1/2 of the prize
USA
NASA Goddard Space Flight Center
Greenbelt, MD, USA
b. 1946



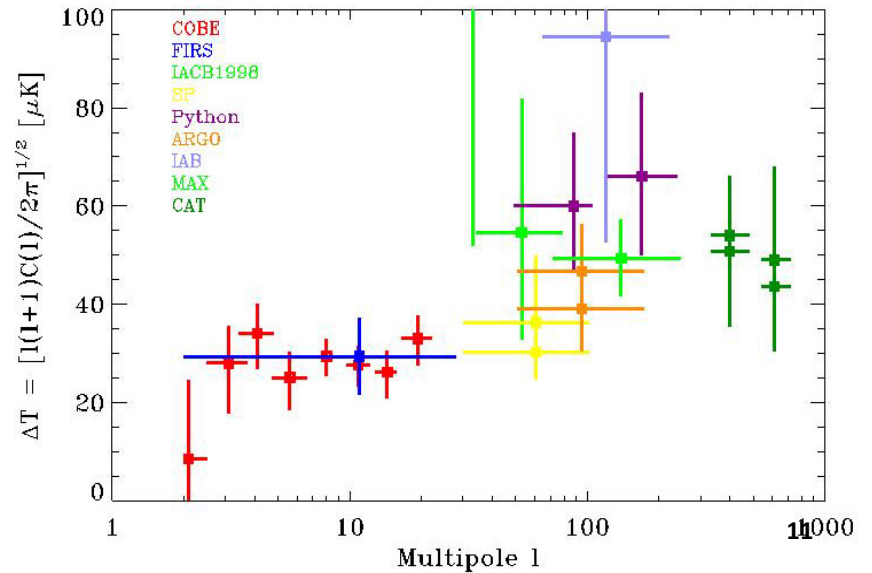
George F. Smoot
© 1/2 of the prize
USA
University of California Berkeley, CA, USA
b. 1945



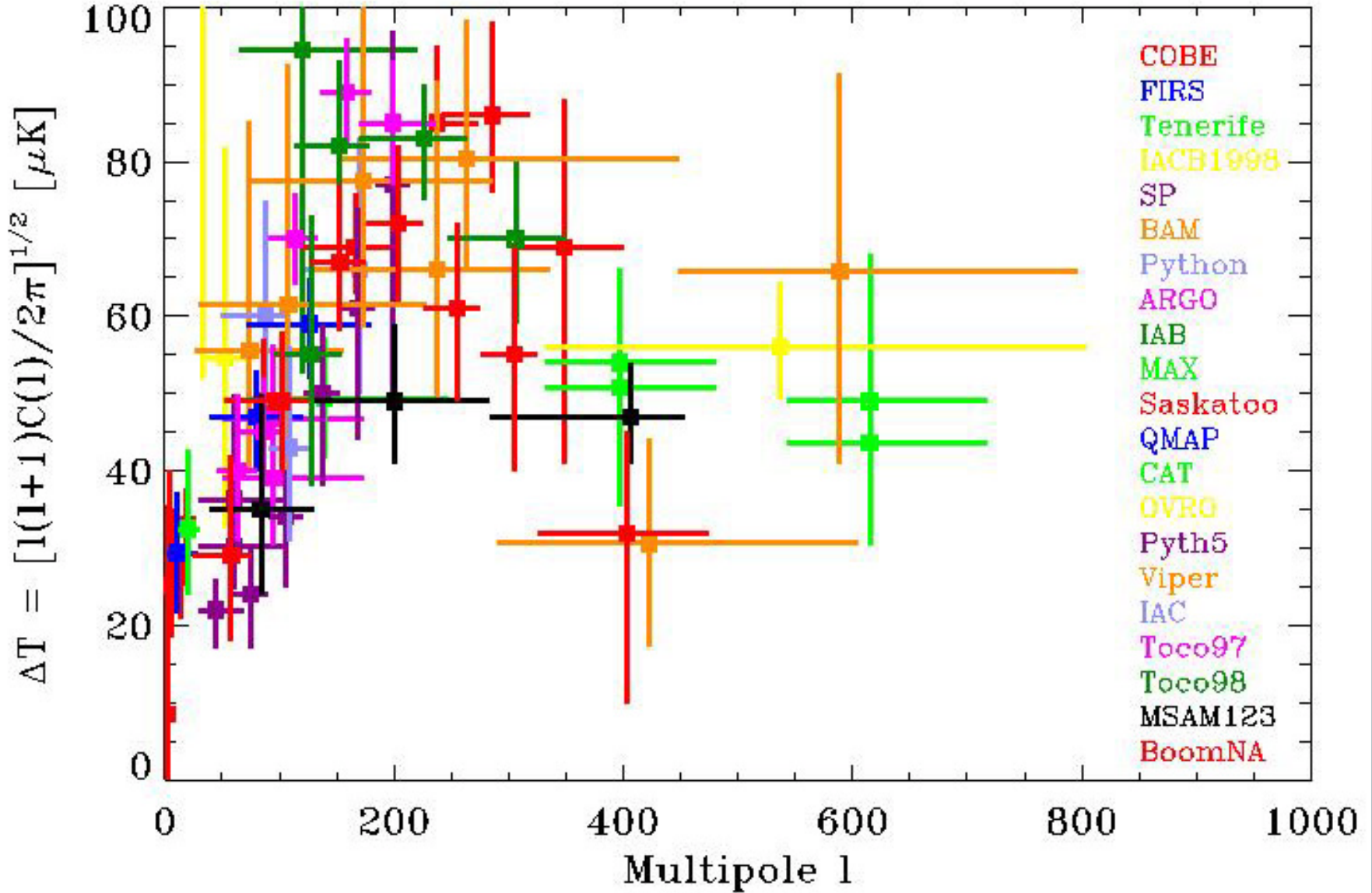
Titles, data and places given above refer to the time of the award. Photos: Copyright © The Nobel Foundation



Cuvée RCF 1996



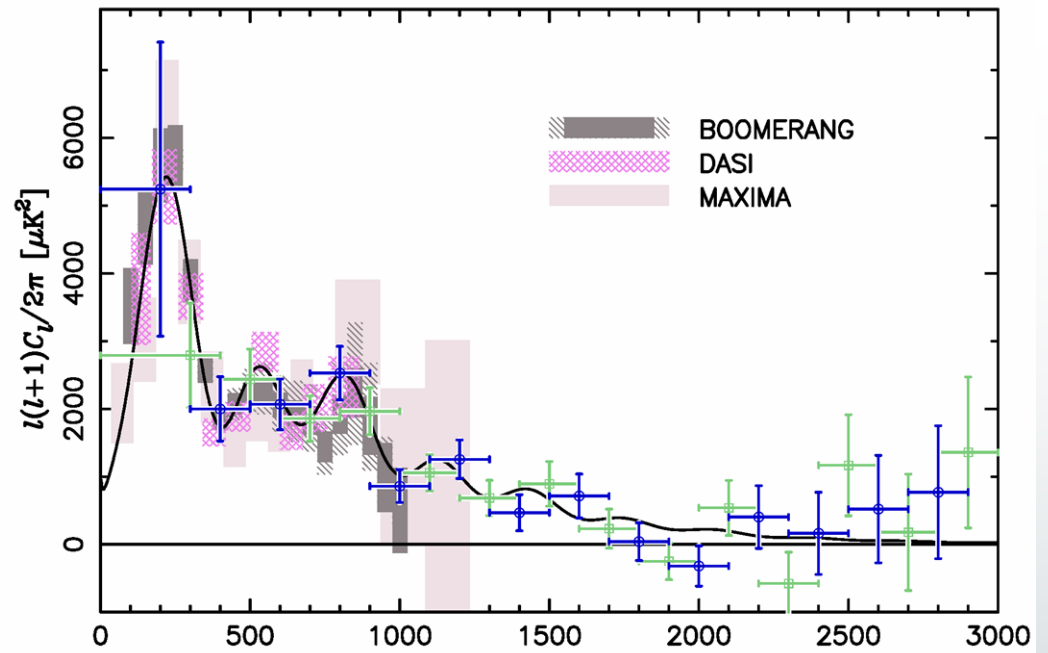
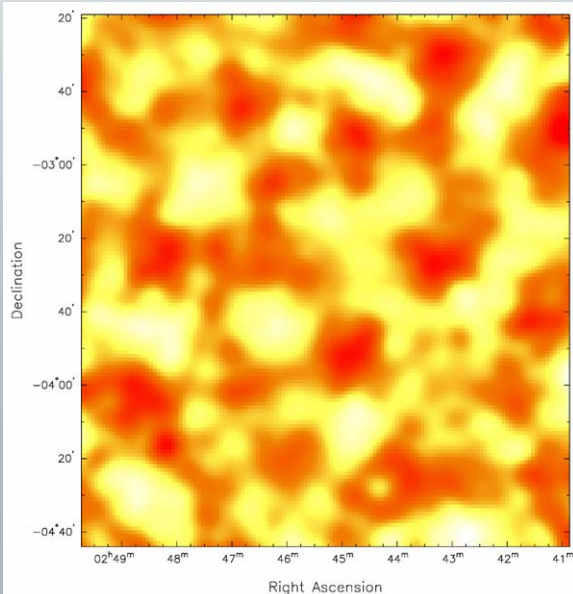
1999 vintage



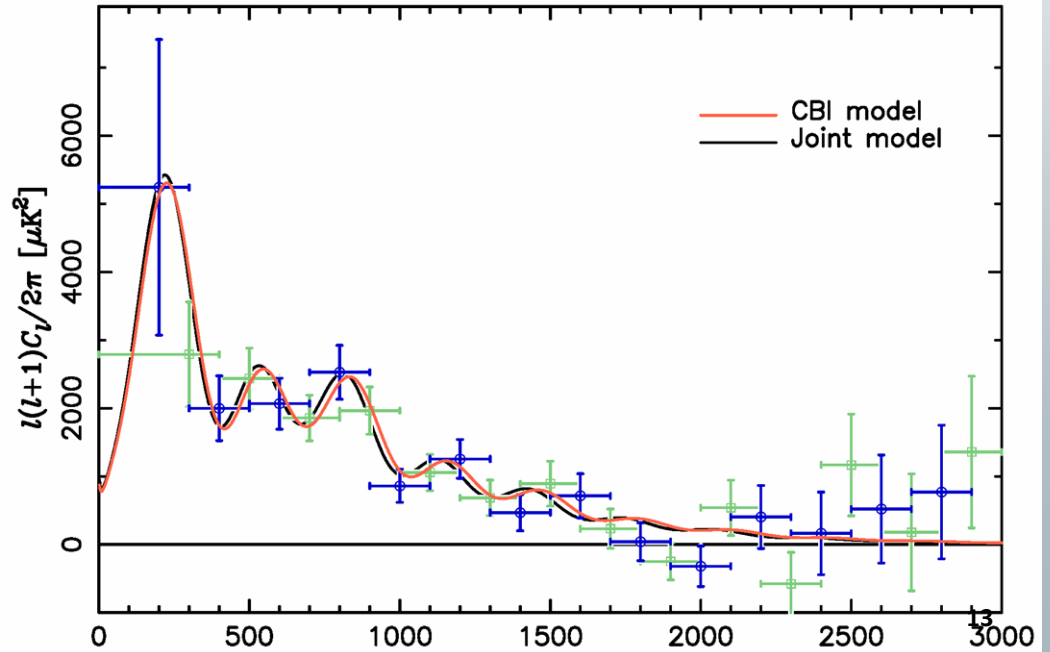


CBI...

(May 2002, as VSA)

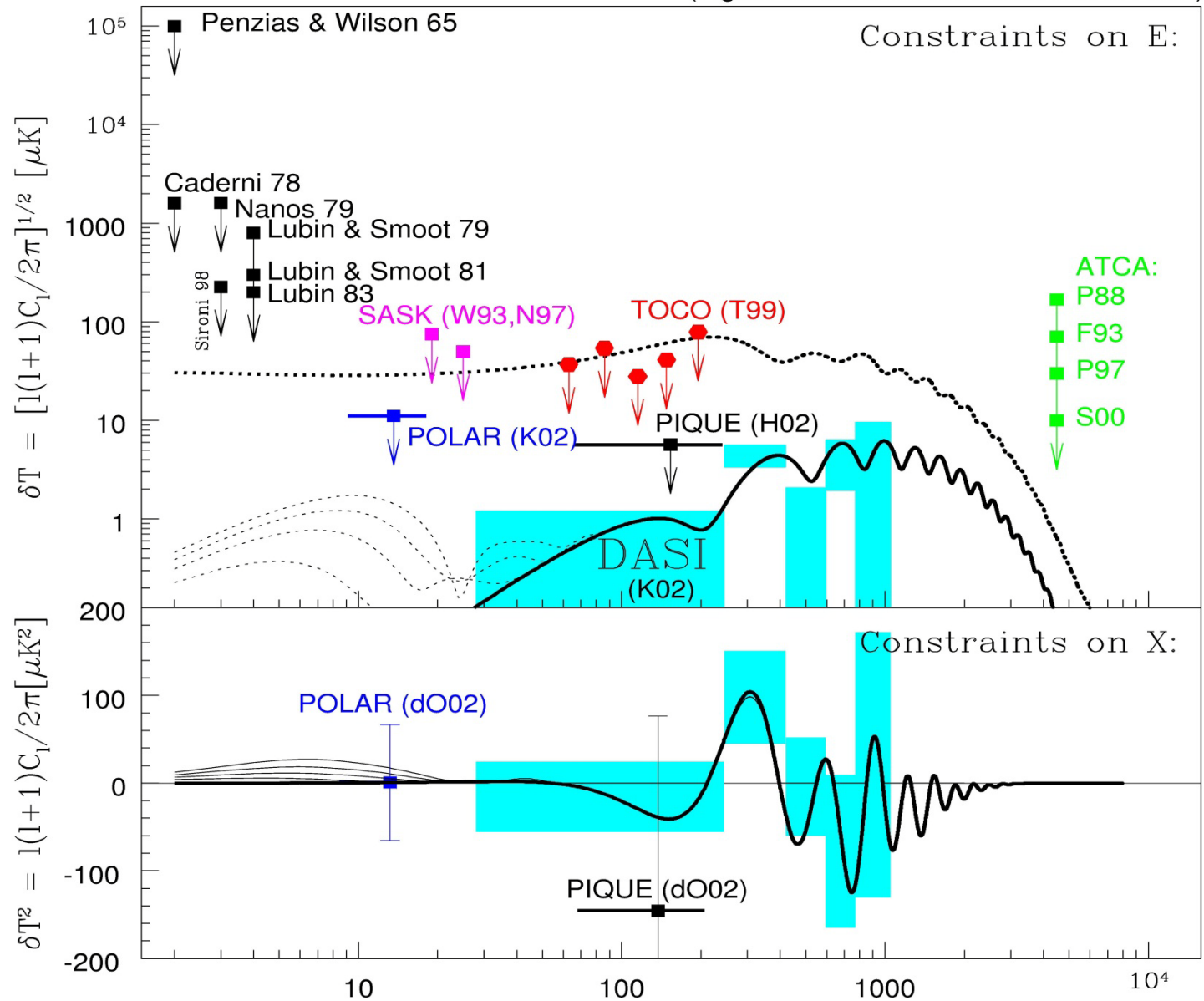


Mason et al. astroph/0205384

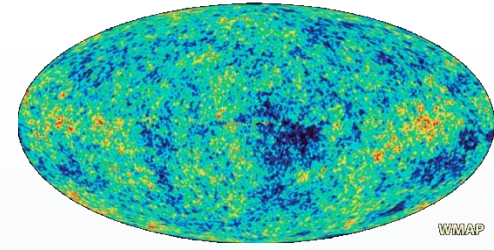


pre-wmap polarisation knowledge

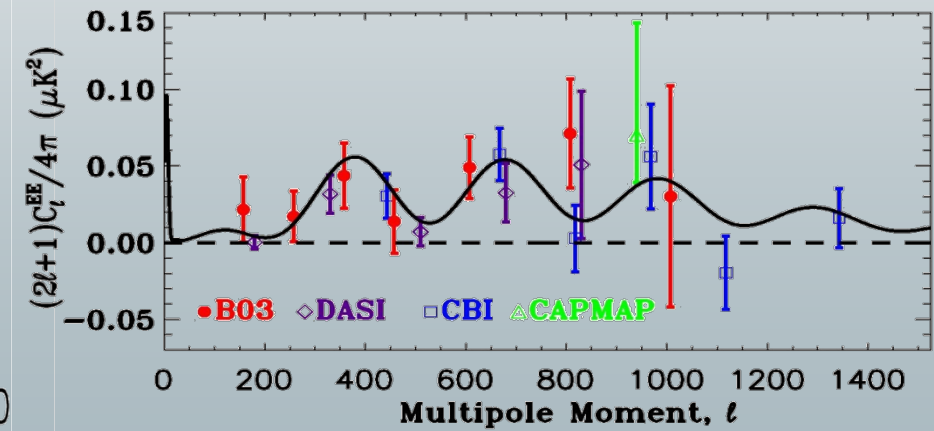
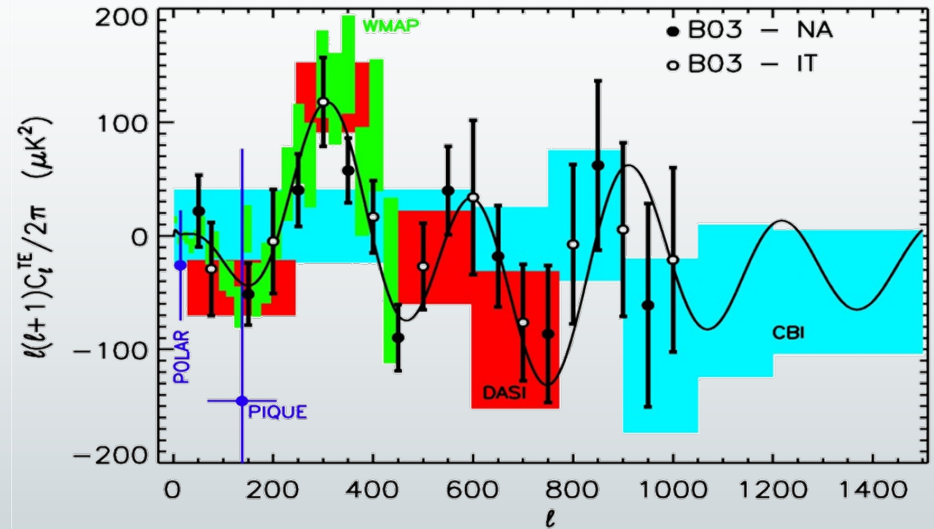
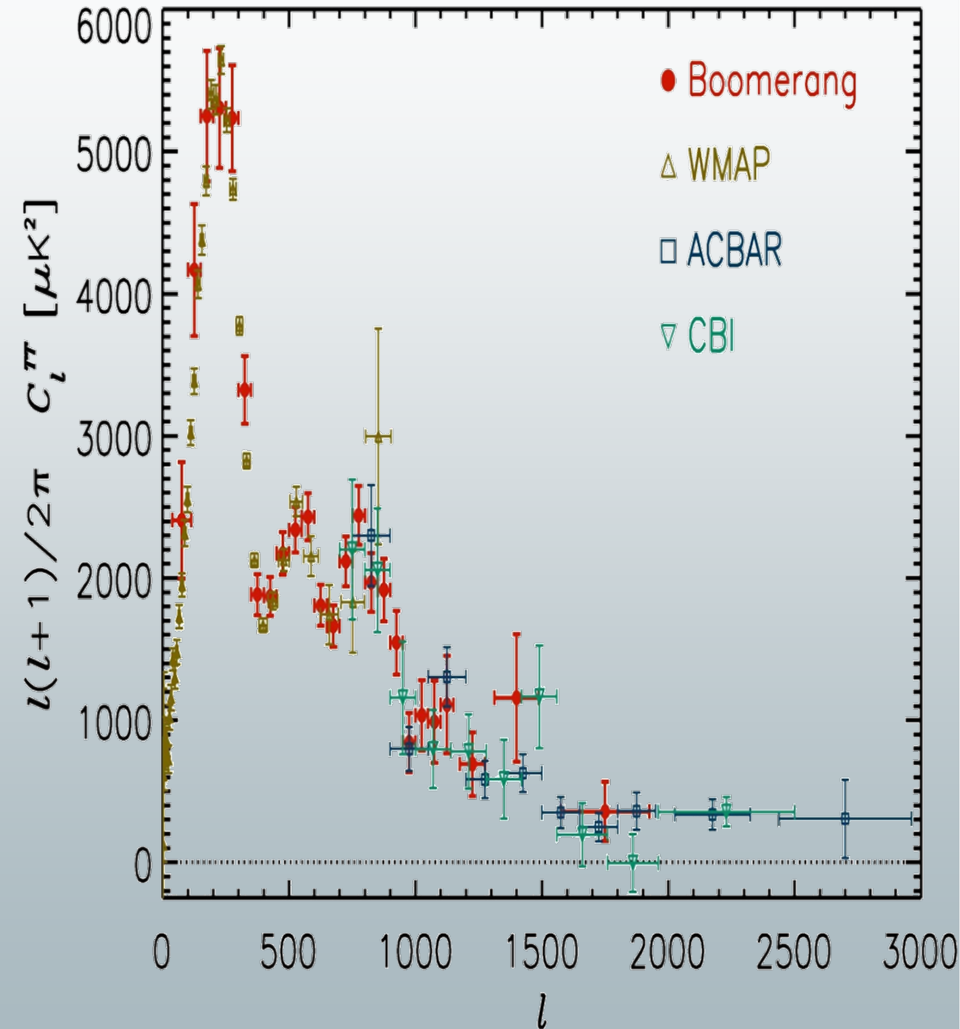
(Figure from de Oliveira-Costa et al 2002)

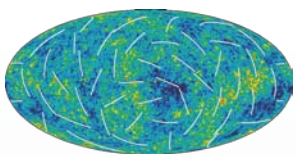


2005 vintage (october)

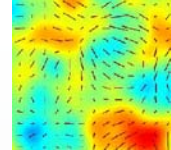


WMAP

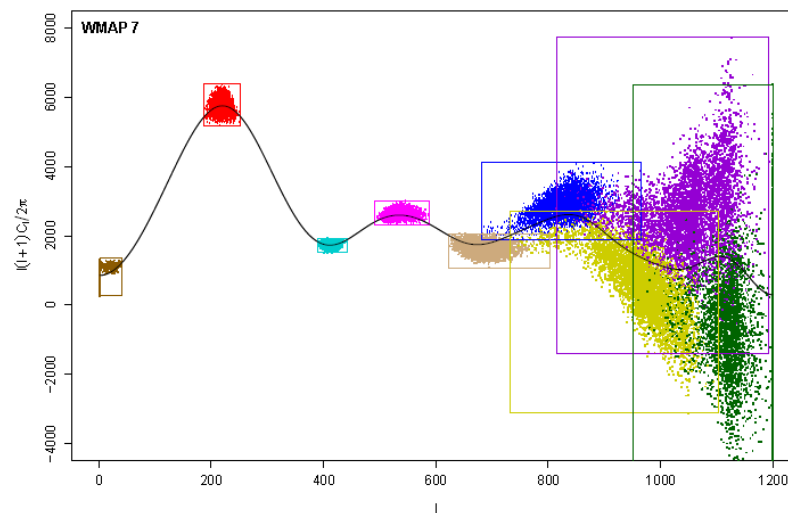
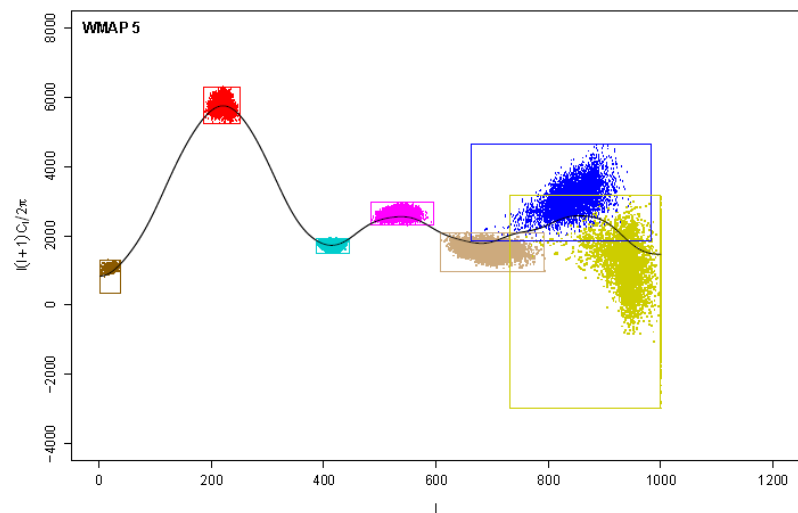
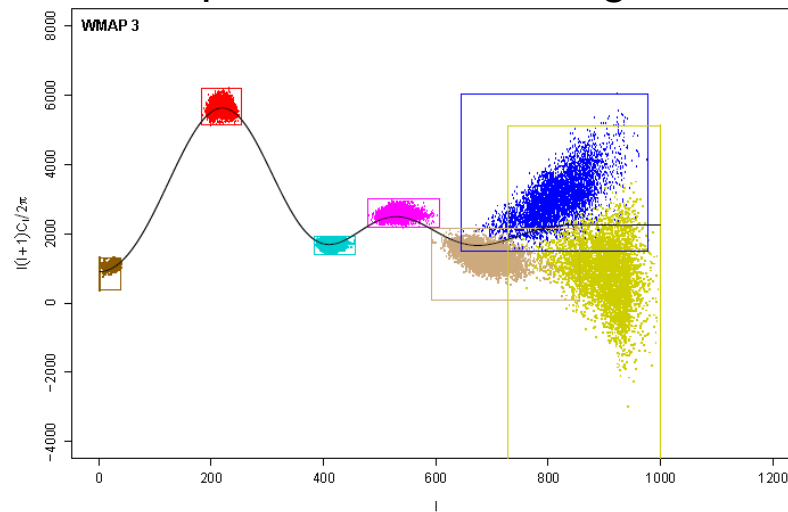
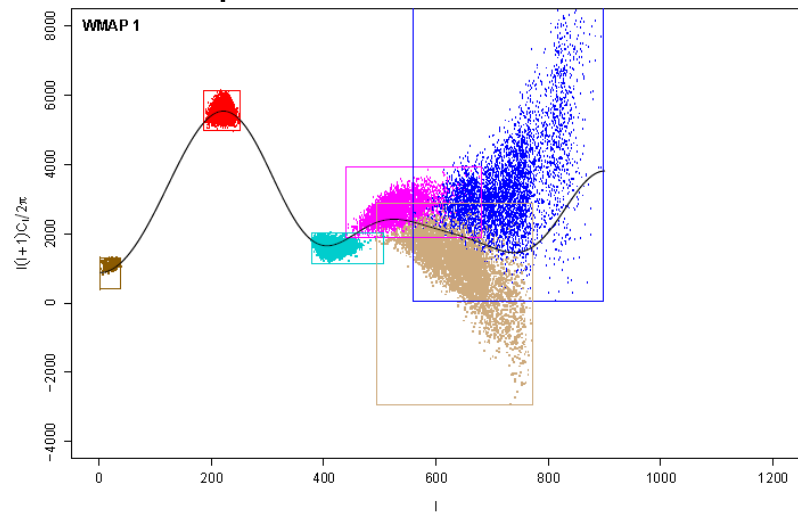


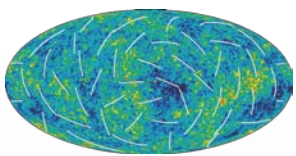


WMAP1, WMAP3, WMAP5, WMAP7

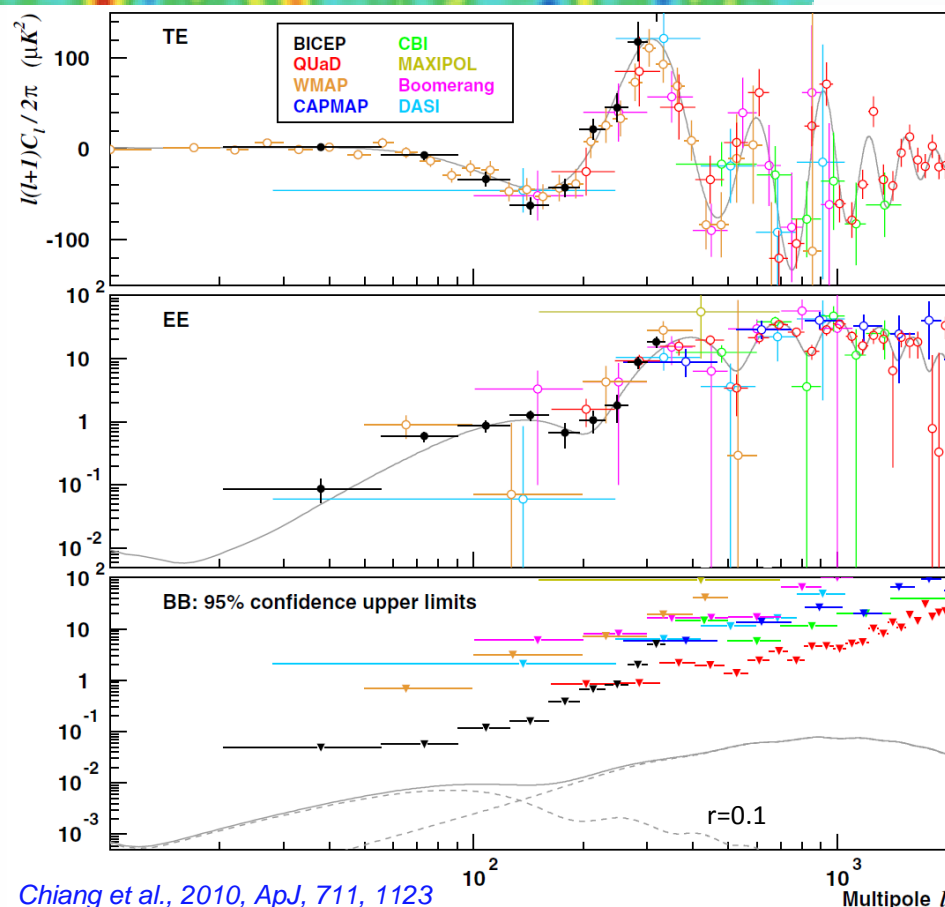
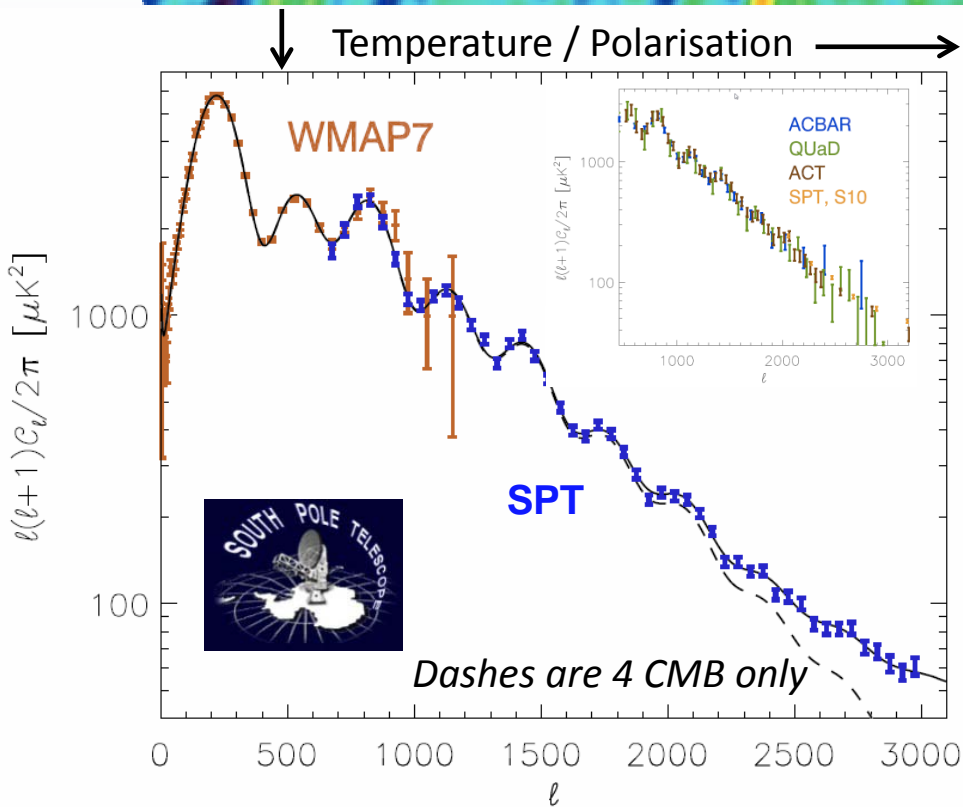
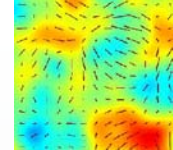


Nonparametric uncertainties on peak and dip locations and heights





Current experimental status (12/2011)



Keisler et al., arXiv:1105.3182

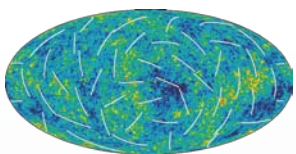
SPT bandpowers, WMAP bandpowers, and best-fit \$\Lambda\$CDM theory spectrum shown with dashed lines. The bandpower errors do not include beam or calibration uncertainties.

Chiang et al., 2010, ApJ, 711, 1123

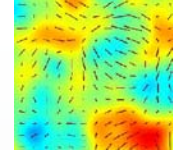
The South Pole Telescope (SPT) data consist of 790 square degrees of sky observed at 150 GHz during 2008 & 2009. (+ 95 & 220GHz data analysed in Nov11)

QUIET, ~1000 square degrees, observed at 43 & 95GHz, oct08 to dec10 [2011ApJ...741..111Q](#)
 BICEP, ~2000 square degrees, observed at 100 & 150GHz, from 06 to 08, Apj2010.

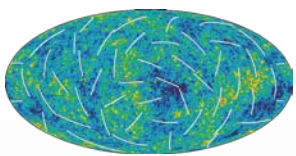




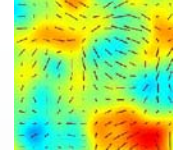
The big picture: **Basic Λ CDM still fits**



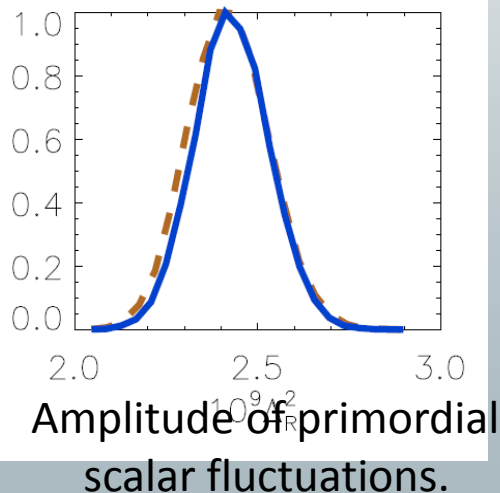
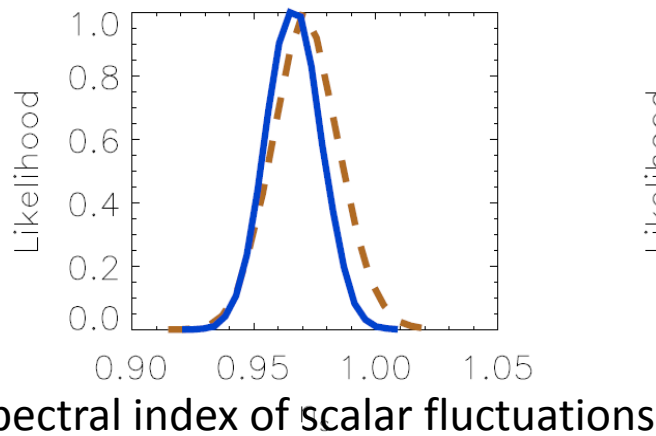
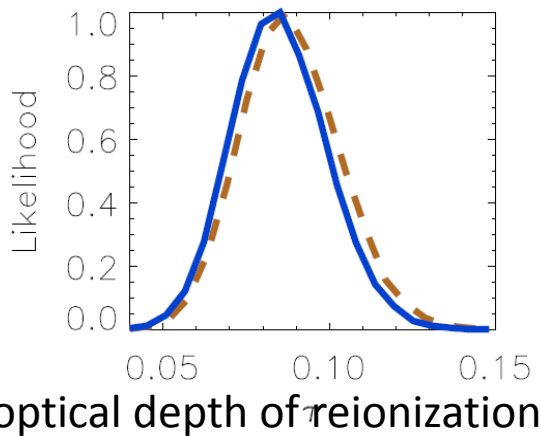
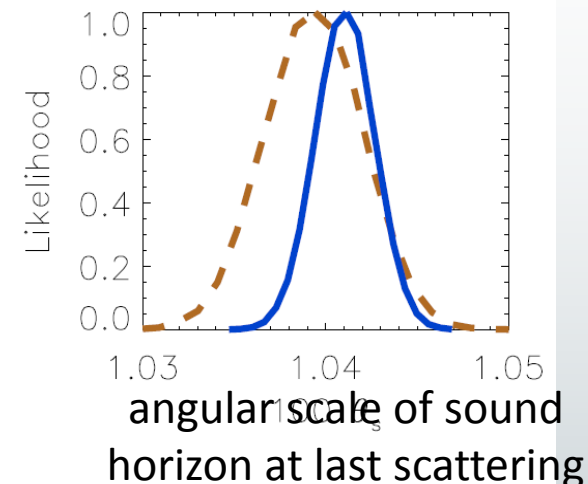
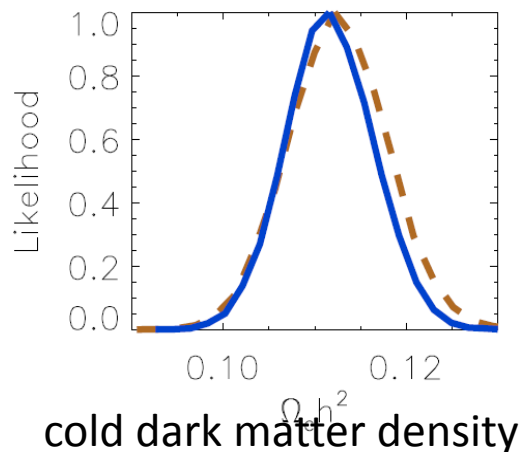
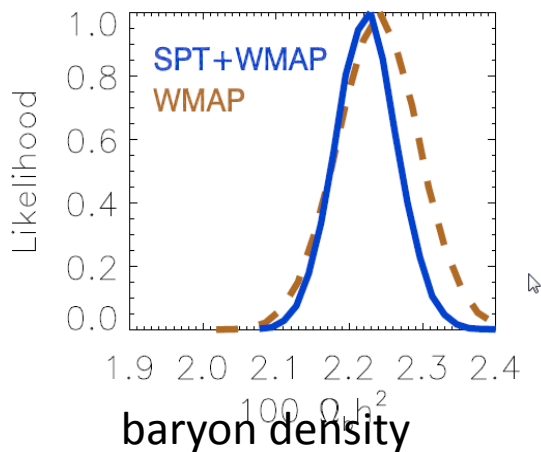
- Fluctuations are, to a very good approximation:
 - *Isotropic*
 - *Gaussian*
 - *Adiabatic* (fluctuations in pressure \propto to the density)
 - *Coherent* (fluctuations start @same time, harm. osc)
 - *Scale invariant* (no 4σ deviation from $n_s = 1$)
- With minimal cosmological content,
 - *Flat spatial geometry* (is a good approximation)
 - *Matter is mostly dark* (cold)
 - *“Dark energy” consistent with Λ* ($w=-1$)
 - *Small fraction of baryon, consistent with BBN*
- I.e. all consistent with inflationary *framework*
- Large scale ($5^\circ > \vartheta > 1^\circ$) TT versus TE anti-correlation:
 - *Signature of « super-horizon » fluctuations at decoupling and*
 - *Adiabaticity of primordial fluctuations (phases TT/TE)*
 - *An indication of apparently a-causal physics, calling for a period of accelerated expansion (Spergel & Zaldariaga 97)*



6 parameters LCDM “plain vanilla”



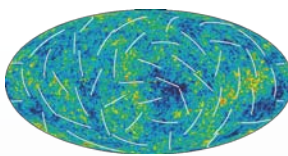
+ 3 foreground terms (Poisson + clustered sources+ SZ)



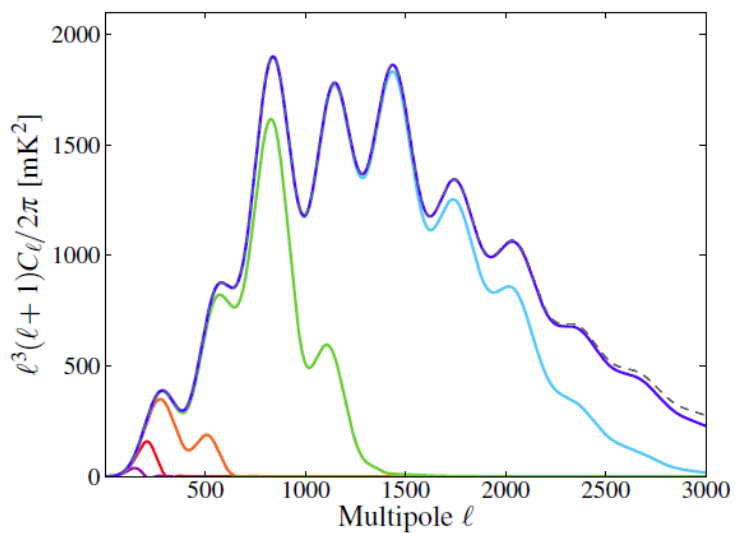
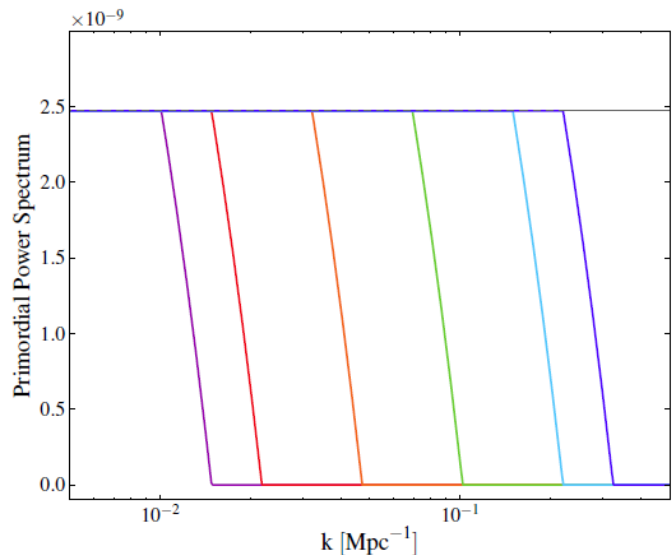
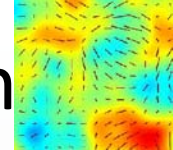
➔ All determined with 1-2 % accuracy

Keisler et al. (SPT), arXiv:1105.3182v2

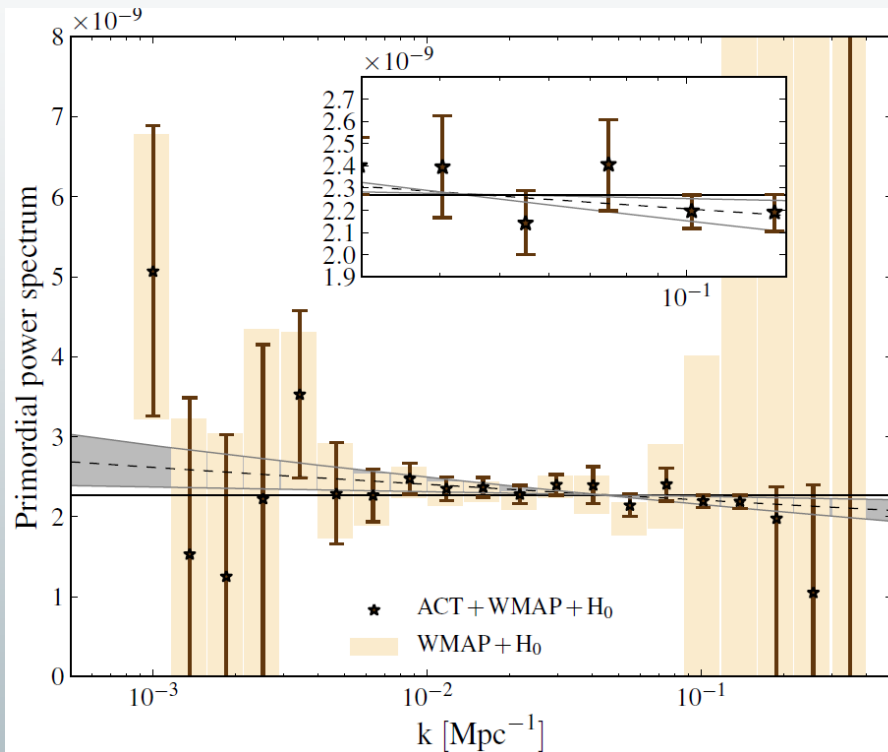




Primordial Power spectrum reconstruction



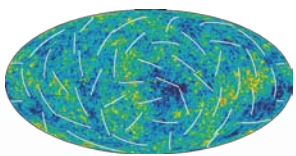
Obtained by simple change of parameterisation, i.e. 20 bins for $P(k)$ (instead of A_s, n_s) + 4 other standard model + 3 for foregrounds



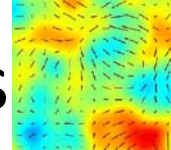
Now probing wave numbers up to $k = 0.2 \text{ Mpc}^{-1}$
Dashes show $n_s = 0.962$ (direct analysis ML)

Hlozek et al (ACT) arXiv:1105.4887v1

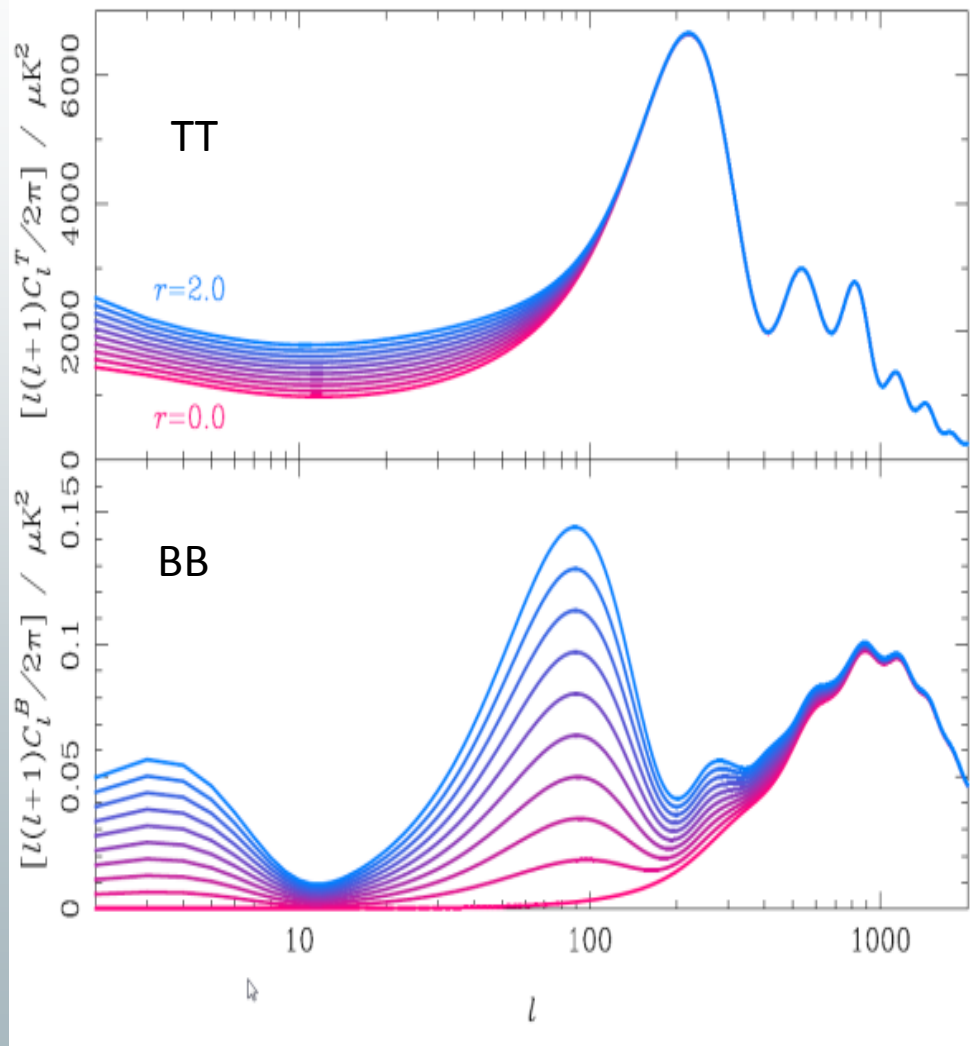


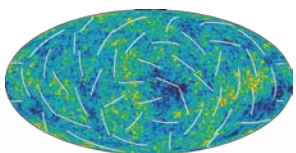


Primordial gravitational waves & B modes

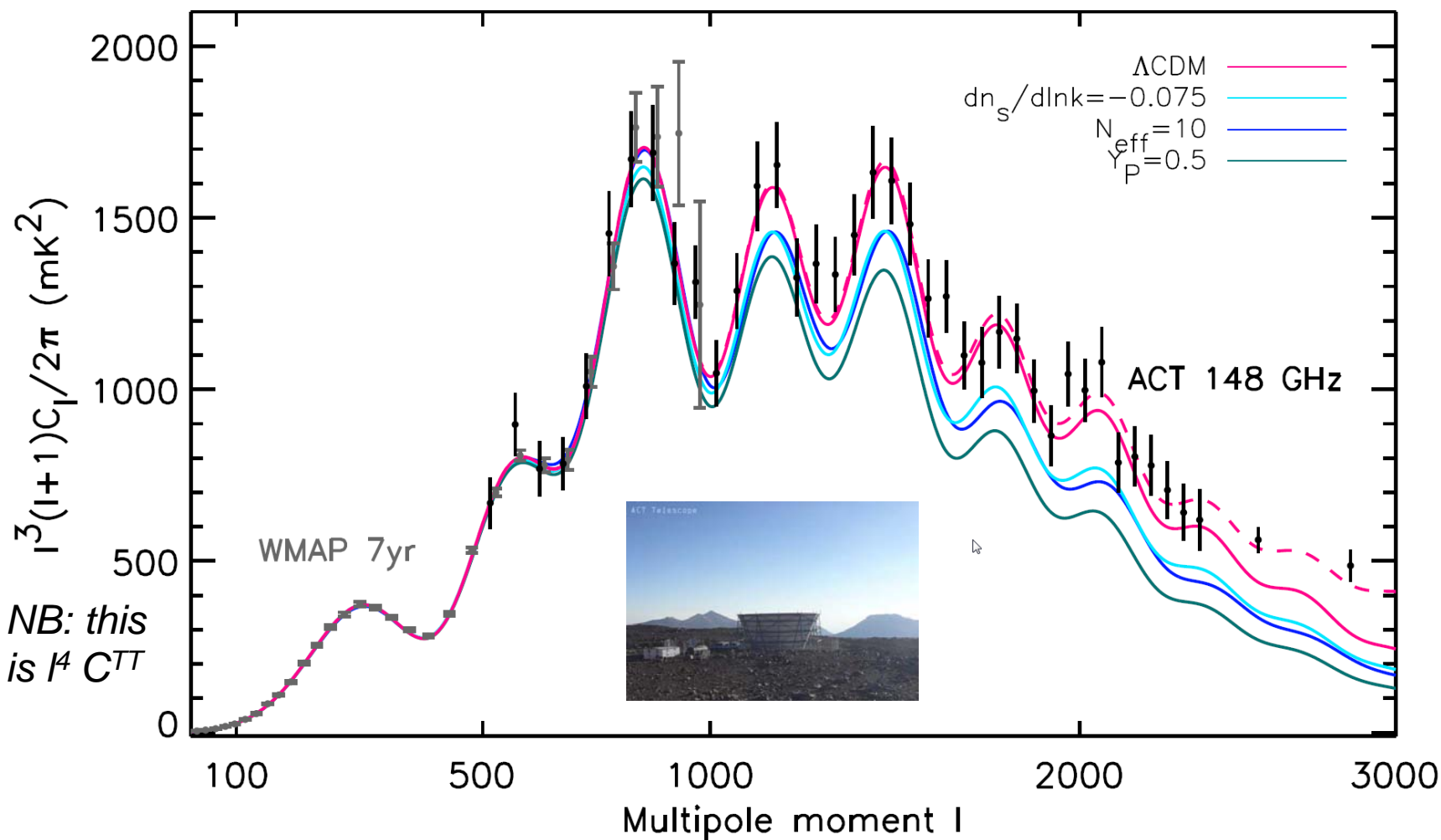
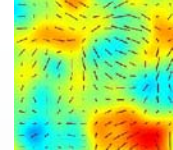


- “Smoking gun” from inflation
 - Amplitude given by Hubble parameter during inflation
 - Detectable in large-field models
 - Conversely, detection would rule out some other models
 - Cyclic
 - Many string inspired ones
- Only upper limit so far
 - Define $r = A_T/A_S$ ($P_T = A_T \cdot k^n$)
 - T & E from WMAP7 $\rightarrow r < 0.36$ (95%CL), degeneracies can be addressed with CMB at higher l , or BAO+Ho: $r < 0.22$, see further.
 - B alone, from Bicep: $r < 0.73$ (Chiang et al. 2010, ApJ, 711, 1123)
 - NB: amplitude is related to the energy scale of inflation, $A_T \propto A_{IGW}^2 \propto E_{inf}^4$ ($r = 0.1 \leftrightarrow E_{inf} = 2 \times 10^{16}$ GeV).
 - and slope is related to amplitude for all slow roll models: $n_T = -r/8$



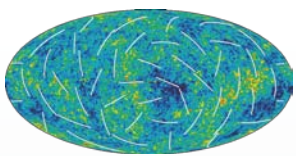


Model extensions signature/exclusion

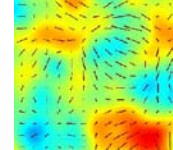


Dunkley et al, arXiv:1009.0866v1



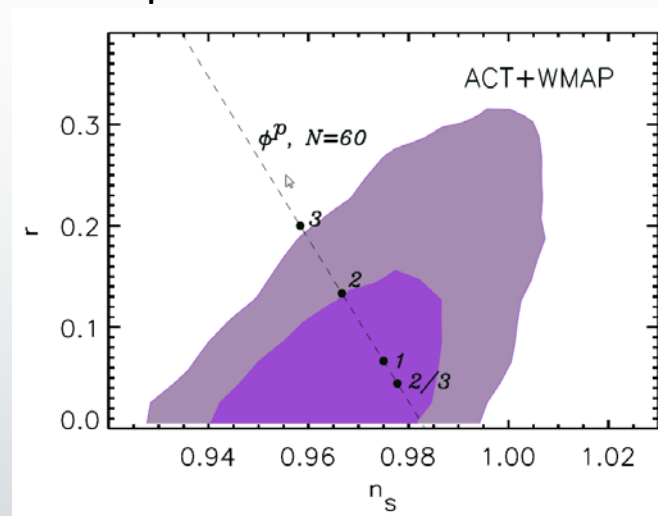
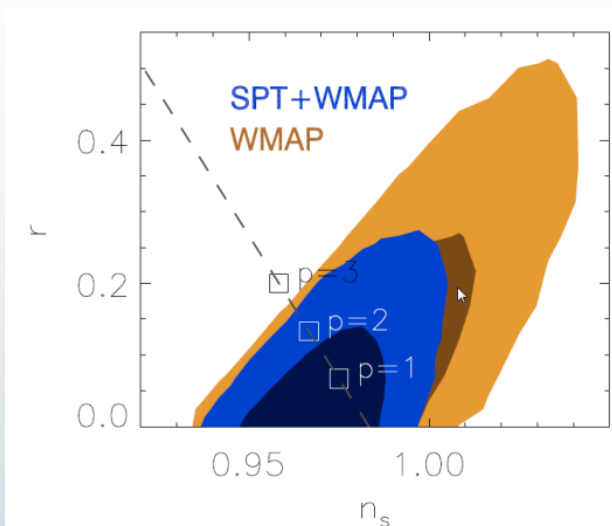


Model Extensions, SPT versus ACT

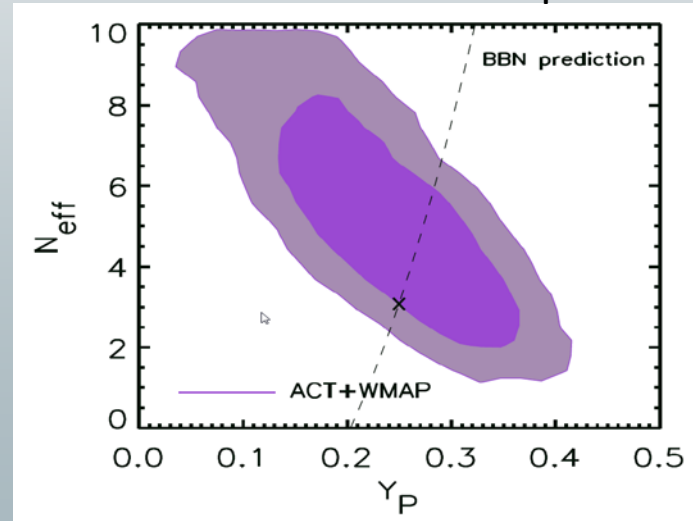
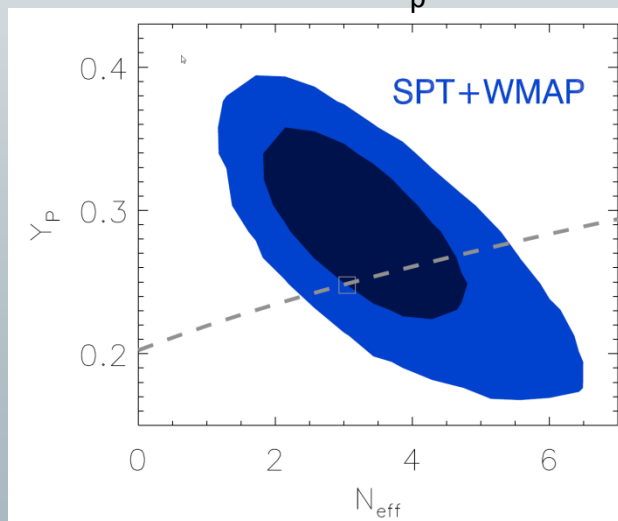


tensor-to-scalar ratio r versus the scalar spectral index n_s

$1-n_s \sim 0.03 \pm 0.01$
 $r < 0.25$ (95%CL)
from SPT+WMAP



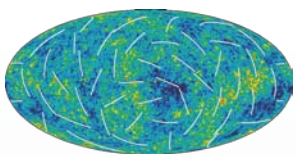
primordial helium abundance Y_p versus the effective number of relativistic species N_{eff}



→ Very consistent view

SPT, Keisler et al, arXiv:1105.3182
ACT, Dunkley et al, 1009.0866v1





Model Extensions summary

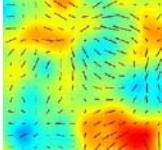
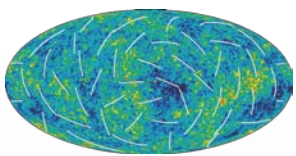


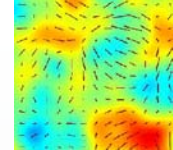
TABLE 5
CONSTRAINTS ON MODEL EXTENSIONS USING RECENT CMB DATASETS

	WMAP7	ACBAR+QUaD+WMAP7	ACT+WMAP7	SPT+WMAP7
r	< 0.7	< 0.33	< 0.25	< 0.21
$dn_s/d \ln k$	$[-0.084, 0.020]$	$[-0.084, 0.003]$	-0.034 ± 0.018	-0.024 ± 0.013
Y_p	< 0.51	0.326 ± 0.075	0.313 ± 0.044	0.296 ± 0.030
N_{eff}	> 2.7	—	5.3 ± 1.3	3.85 ± 0.62

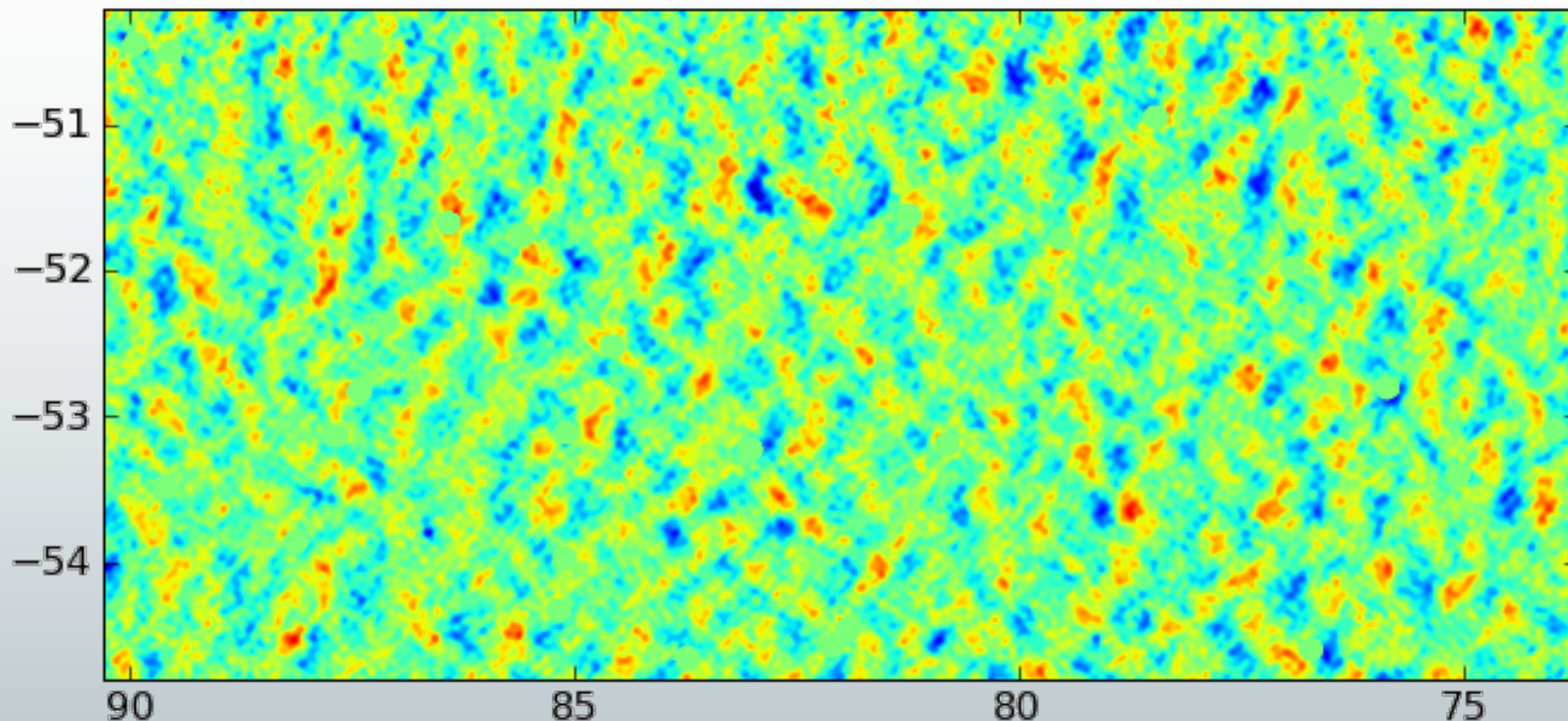
The constraints on cosmological parameters in certain model extensions using recent CMB datasets. We use WMAP7 (Larson et al. 2011; Komatsu et al. 2011), ACBAR (Reichardt et al. 2009), QUaD (Brown et al. 2009), ACT (Das et al. 2011a), and SPT (this work). All upper and lower limits and all two-sided limits (shown in brackets) are 95%.



SPT vs ACT in a 5×10 Deg² Field



ACT



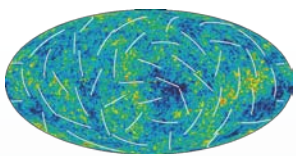
150 GHz

Image ACT Collaboration, done yesterday

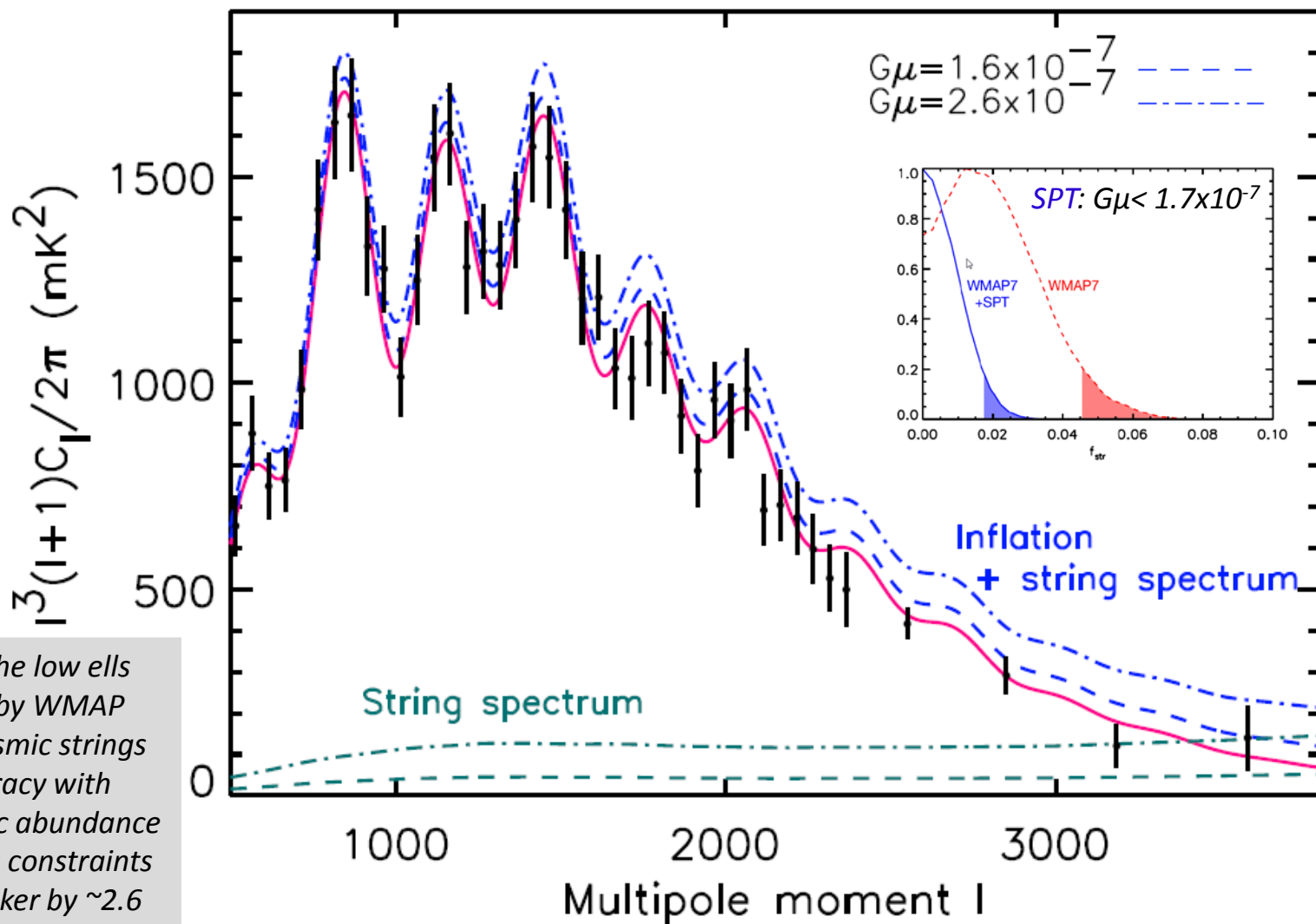
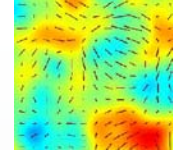


Recipe: apply SPT filter to ACT map and a low pass filter
so that either maps have information between 400~4500



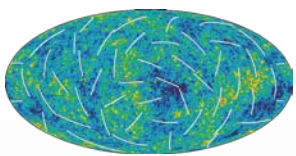


ACT: $G\mu < 1.6 \times 10^{-7}$ (95% CL).

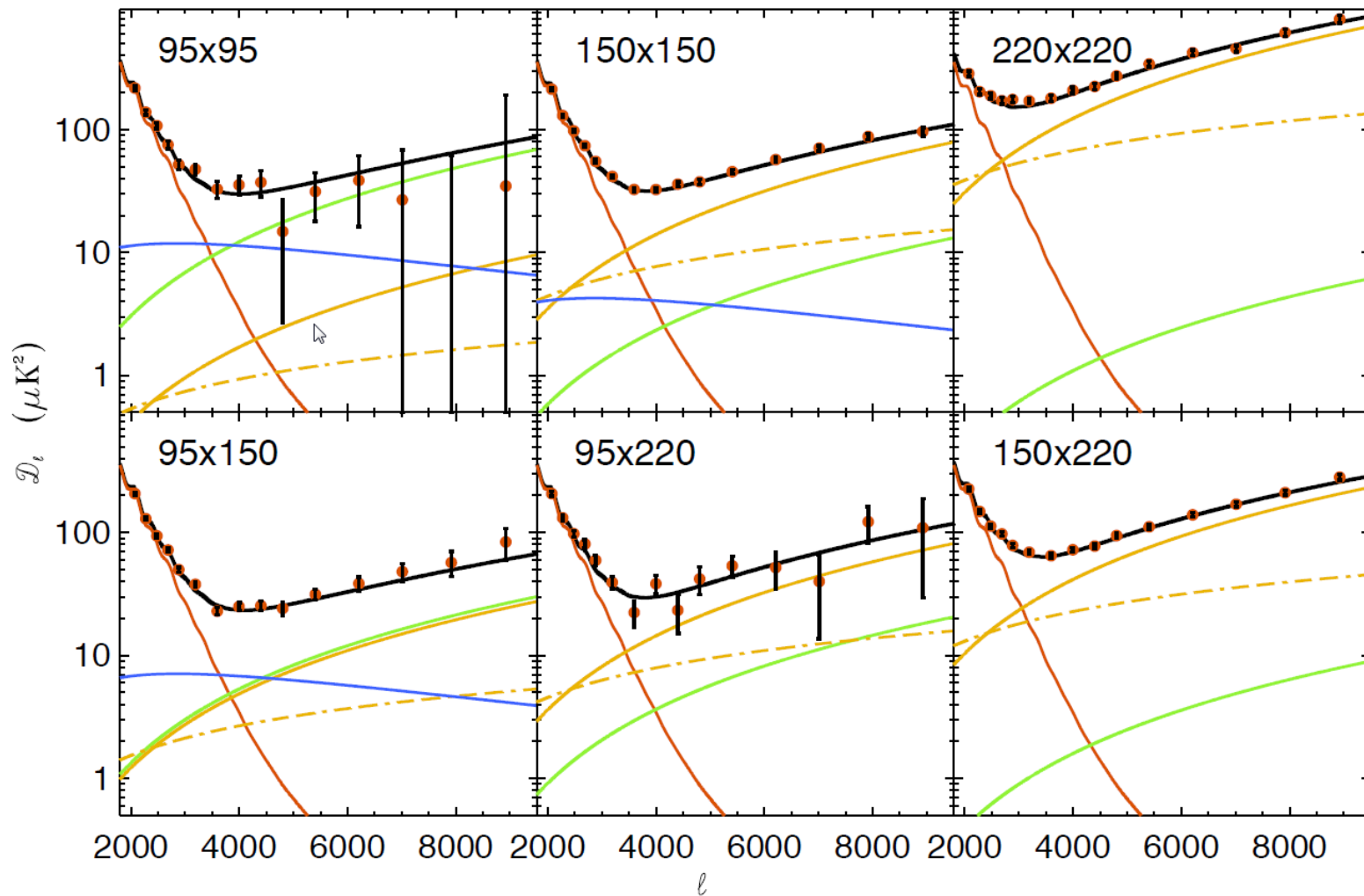
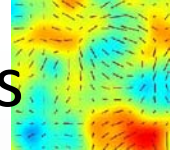


NB: at the low l s probed by WMAP only, cosmic strings degeneracy with Baryonic abundance explains constraints are weaker by ~ 2.6





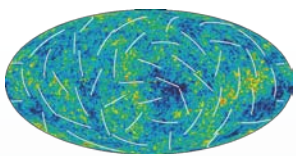
The high- l frontier...is bordered by foregrounds



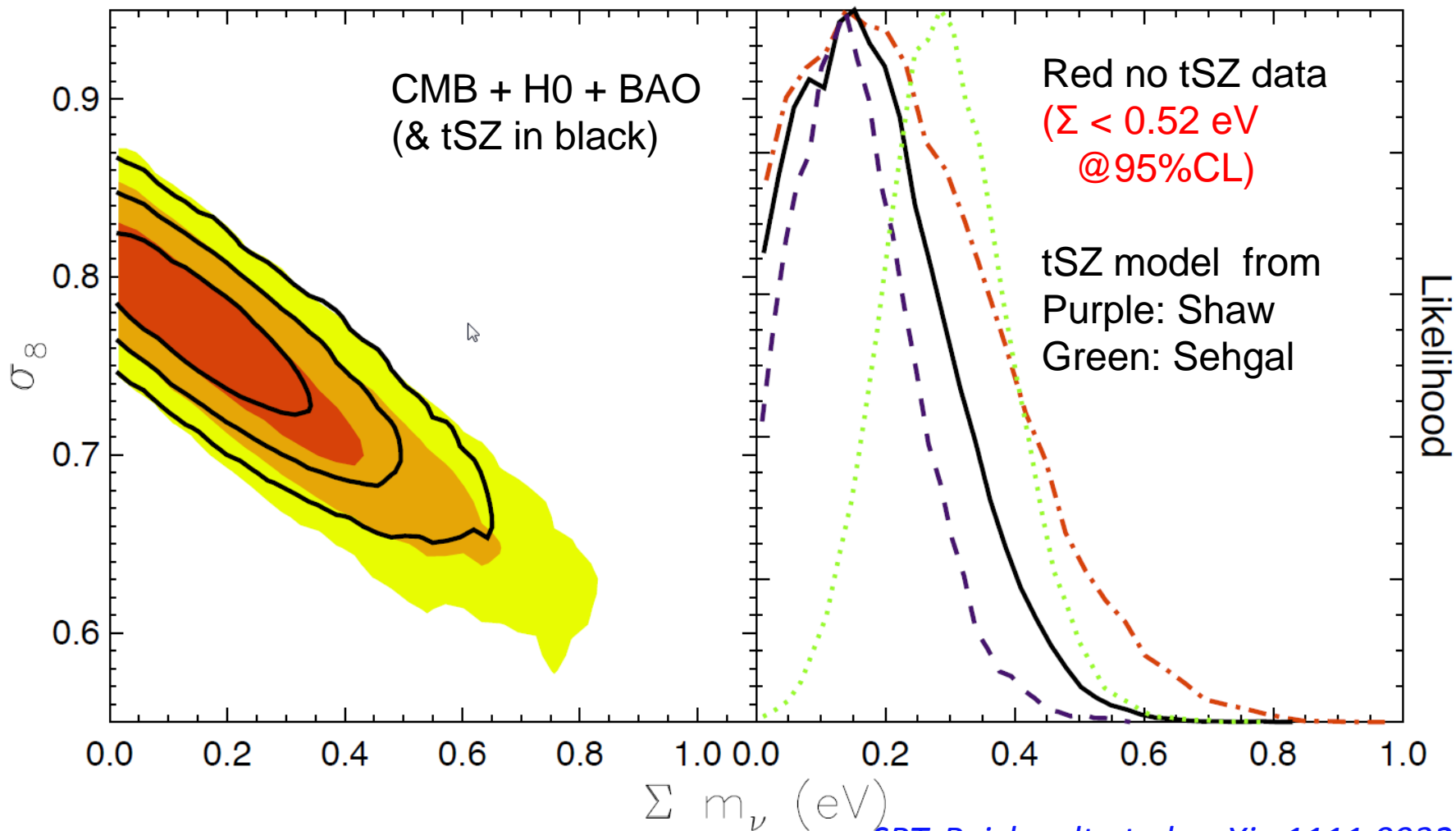
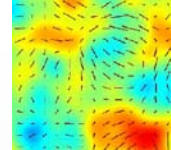
Total ——— tSZ ——— DSFG Poisson ——— Radio Poisson ———
 CMB ——— kSZ - - - DSFG Clustering - - - **6 components, 3 frequencies**

SPT, Reichardt et al. arXiv:1111.0932v1





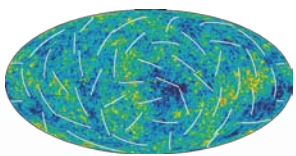
And pay-off: Neutrino masses constraints



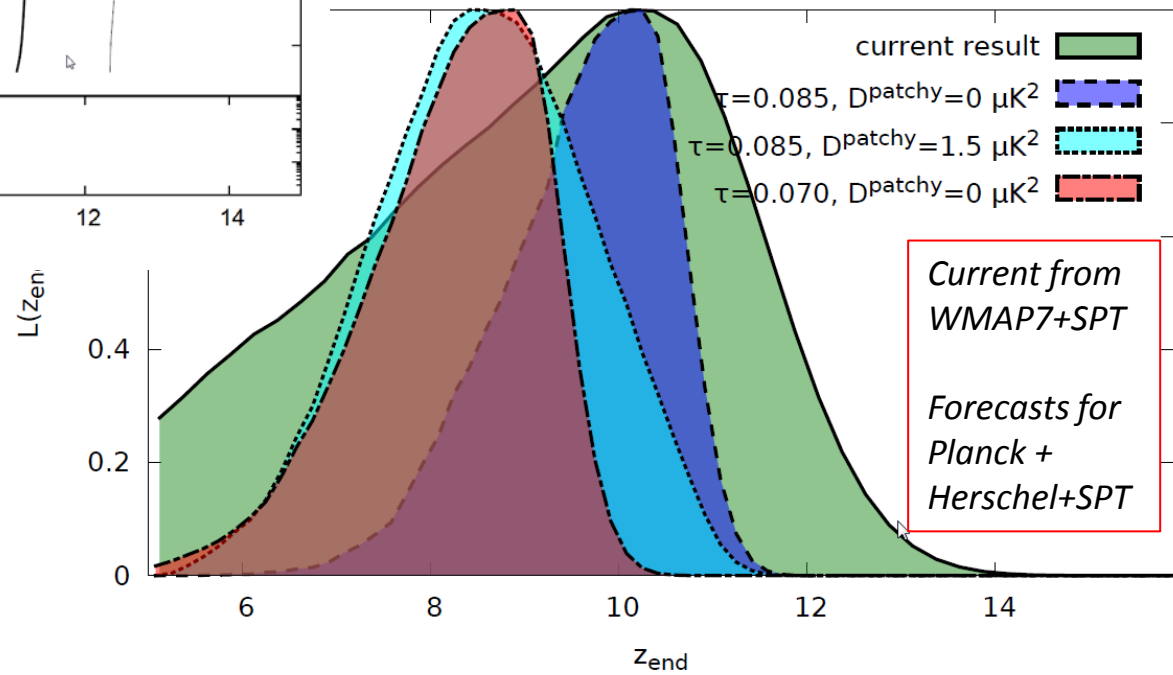
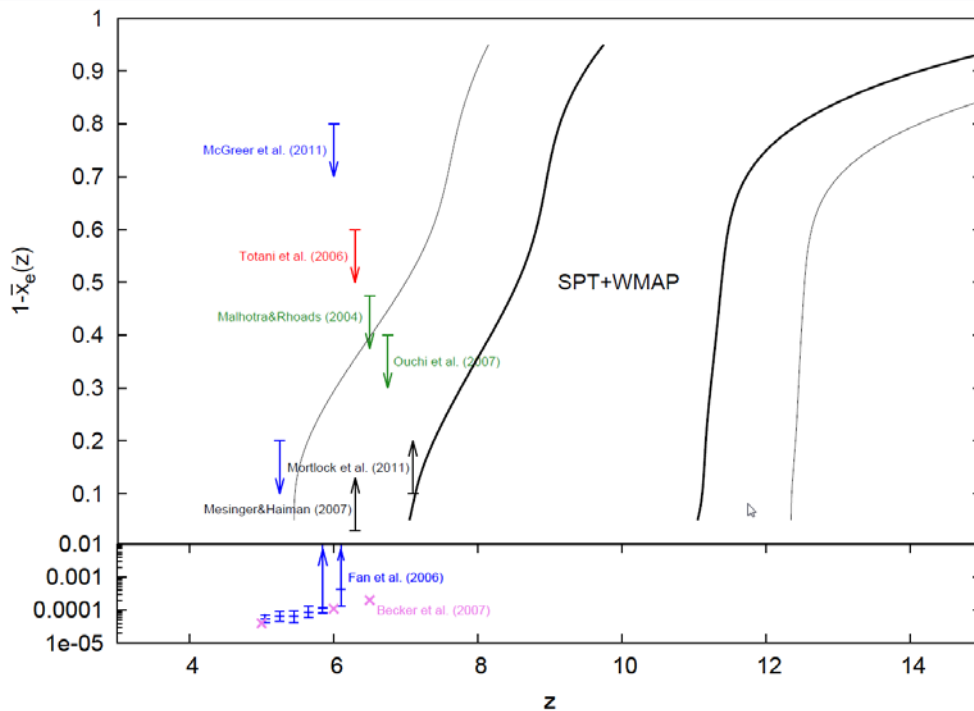
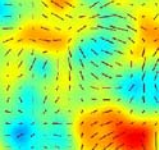
SPT, Reichardt et al. arXiv:1111.0932v1

And of course also knowledge of the “contaminants” (SZ, CIB) and related astrophysics





Reionisation epoch

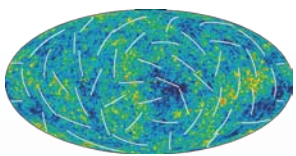


Current from WMAP7+SPT

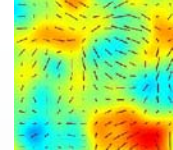
Forecasts for Planck + Herschel+SPT

SPT, Zahn et al. arXiv:1111.6386v1

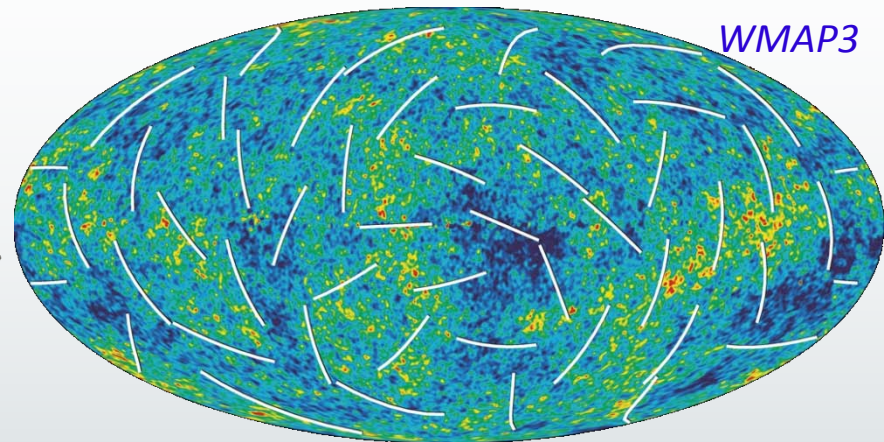
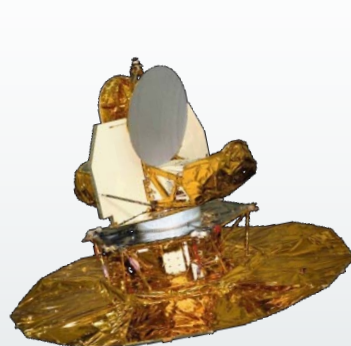




What's next?



- WMAP 7 years loses it ($S/N < 1$) at ell ~ 900 , and sensitive sub-orbital experiments explore only a small fraction of the sky ($\sim 2\%$) \rightarrow about $\sim 90\%$ of the primordial modes are not measured yet in temperature.
- It is *much* worse in polarization (large scales!).



\rightarrow A lot of information remains to extract, *in particular concerning the early Universe physics*

➤ A new generation of experiments is engaged, in particular

- BICEP2 \rightarrow Keck,
- ACT \rightarrow ACTPOL,
- SPT \rightarrow SPTPOL,
- SPIDER, EBEX, Polarbear...
- For high-ells...

and ESA's satellite Planck





The Planck concept



- to perform the “ultimate” measurement of the Cosmic Microwave Background (CMB) temperature anisotropies:
 - *full sky coverage & angular resolution / to survey all scales at which the CMB primary anisotropies contain information (~5')*
 - *sensitivity / essentially limited by ability to remove the astrophysical foregrounds*
- ⇒ *enough sensitivity within large frequency range [30 GHz, 1 THz] (~CMB photon noise limited for ~1yr in CMB primary window)*

- get the best performances possible on the polarization with the technology available

⇒ ESA selection in **1996** (after ~ 3 year study)

NB: with the Ariane 501 failure delaying us by several years (03 → 07) and WMAP then flying well before us, polarization measurements became more and more a major goal





(“Blue Book”, twice better than requirements)



PLANCK	LFI			HFI					
Center Freq (GHz)	30	44	70	100	143	217	353	545	857
Angular resolution (FWHM arcmin)	33	24	14	10	7.1	5.0	5.0	5	5
Sensitivity in I [$\mu\text{K.deg}$] [$\sigma_{\text{pix}} \Omega_{\text{pix}}^{1/2}$]	3.0	3.0	3.0	1.1	0,7	1.1	3.3	33	3.0

The leap forward w.r.t. WMAP

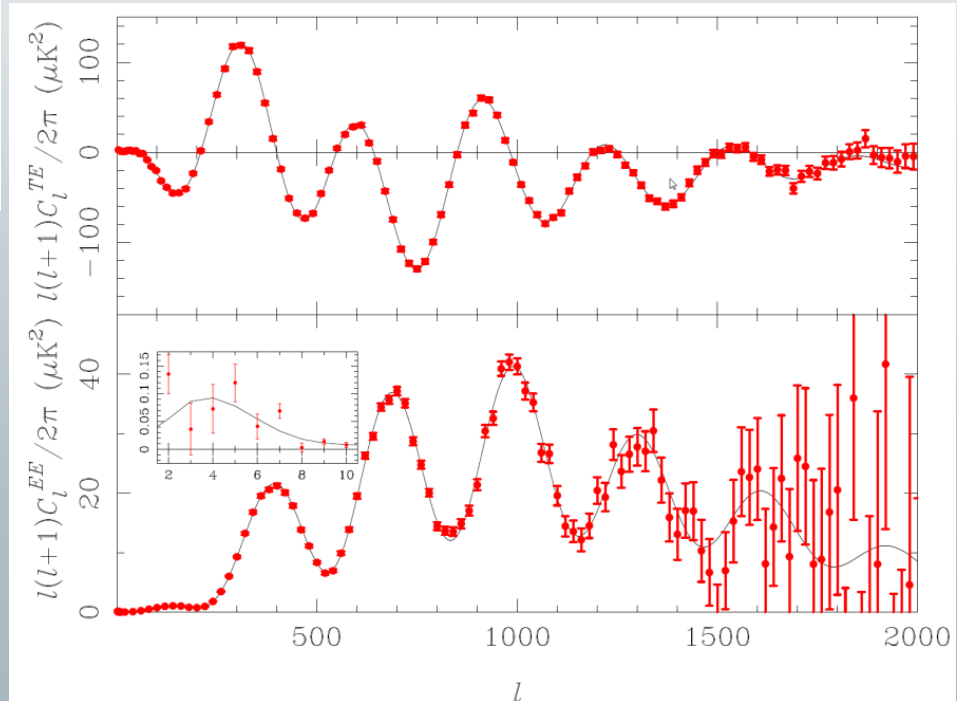
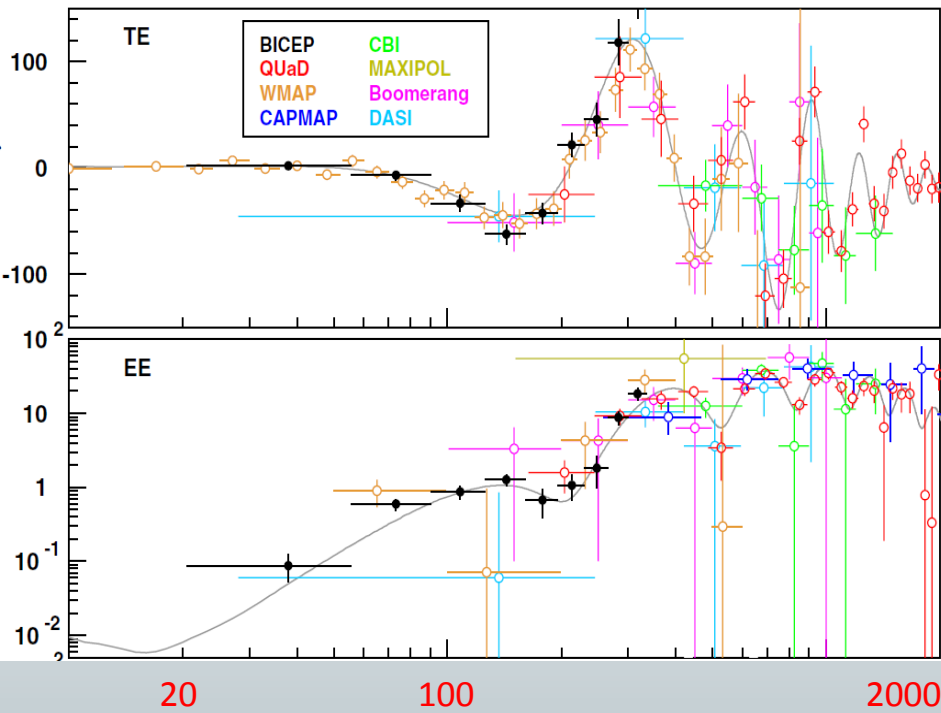
WMAP Center Freq.	23	33	41	61	94
Angular resolution (FWHM arcmin)	49	37	29	20	12,6
Sensitivity in I [$\mu\text{K.deg}$], 1 yr (8 yr)	12.6 (4.5)	12.9 (4.6)	13.3 (4.7)	15.6 (5.5)	15.0 (5.3)

The aggregated sensitivity of Planck core CMB channels is $\sim 0.5 \mu\text{K.deg}$ in T (nominal mission - 14months)

NB: Anticipated survey duration is now ~ 30 months, so final sensitivity $\sim 0.33 \mu\text{K.deg}$ in T (approx 1000 years of WMAP 60+90GHz aggregated sensitivity of $10.8 \mu\text{K.deg}$ in 1yr)



E current data versus Planck Forecast





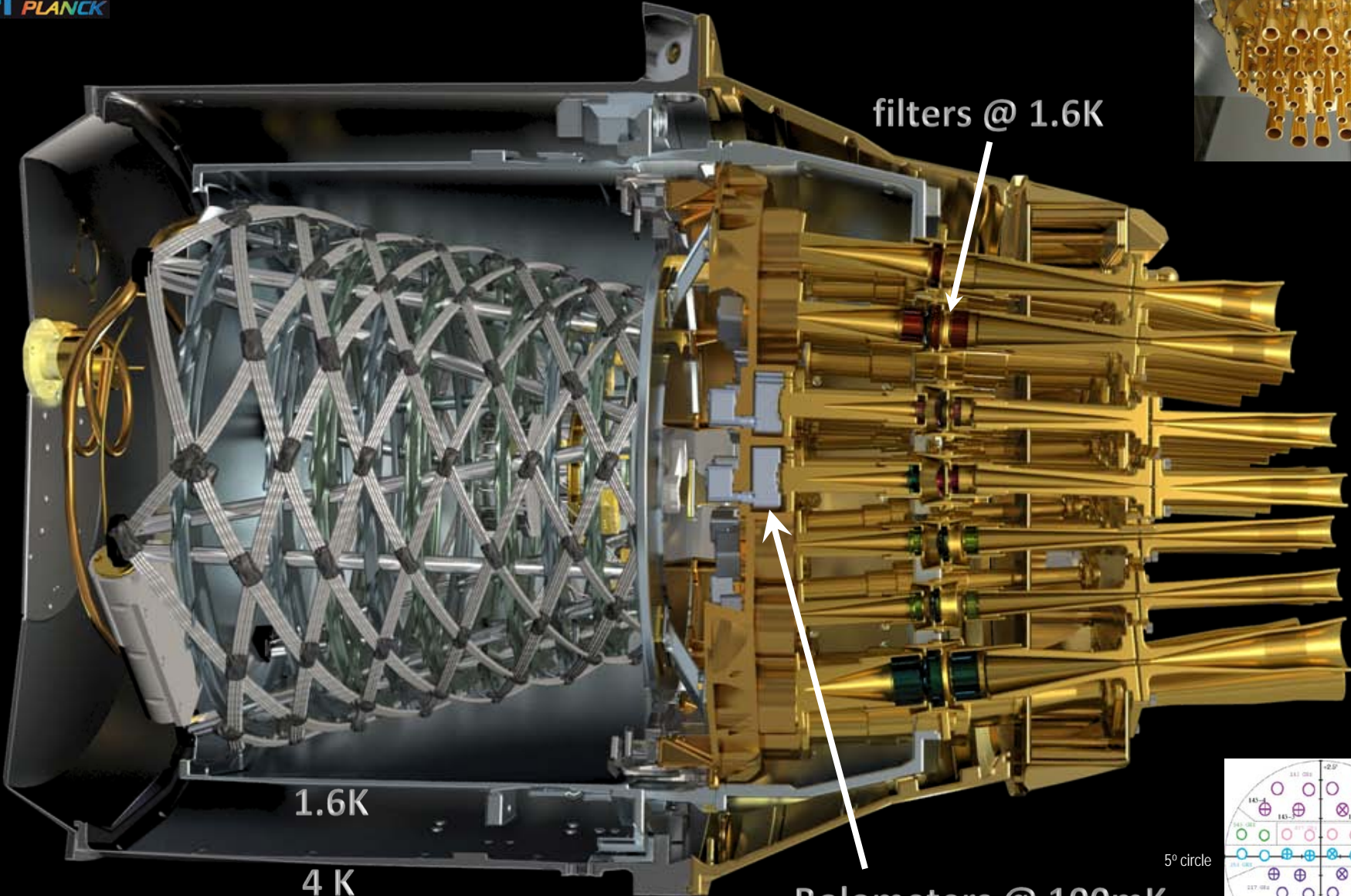
Planck needed breakthroughs



- The performance goals of Planck **require several technological performances** never achieved in space before
 - *Sensitive & fast bolometers with*
 - $NEP < 2 \cdot 10^{-17} \text{ W/Hz}^{1/2}$ & time constants typically $< 5 \text{ msec}$
(thus cooling them to 100 mK, very low heat capacity & charged particles sensitivity)
 - *total power read out electronics with very low noise*
 - $< 6 \text{ nV/Hz}^{1/2}$ from 10 mHz to 100 Hz
 - *Excellent temperature stability, from 10 mHz (1 rpm) to 100 Hz (cf. Lamarre et al. 04)*
 - $< 10 \mu\text{K/Hz}^{1/2}$ for 4K box (30% emissivity)
 - $< 30 \mu\text{K/Hz}^{1/2}$ on 1.6K filter plate (20% emissivity)
 - $< 20 \text{ nK/Hz}^{1/2}$ for detector plate (~ 5000 damping factor needed)
 - *low noise HEMT amplifiers* (\Rightarrow cooled to 20K) & very stable cold reference loads (4K)
 - Additionally:
 - *low emissivity, very low side lobes, telescope* (strongly under-illuminated)
 - *no windows, minimum warm surfaces between detectors and telescope*
 - *Complex cryogenic cooling chain: 50K (passive)+20K+4K+0.1K active coolers*
 - 20K for LFI with large cooling power K (0.7W)
 - 4K, 1.6K and **100mK** for HFI
 - Thermal architecture optimised to damp thermal fluctuations (active+passive)
 - *NB: 100mK cooling by dilution cooler does not tolerate micro-vibrations at sub-mg level or $7 \cdot 10^{10}$ He atoms accumulated on dilution heat exchanger (typically He pressure $1 \cdot 10^{-10}$ mb)*
- \Rightarrow **Integration of 3 intertwined complex chains - optical, electronic, cryogenic**



HFI cut-away

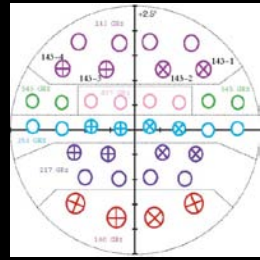


filters @ 1.6K

1.6K

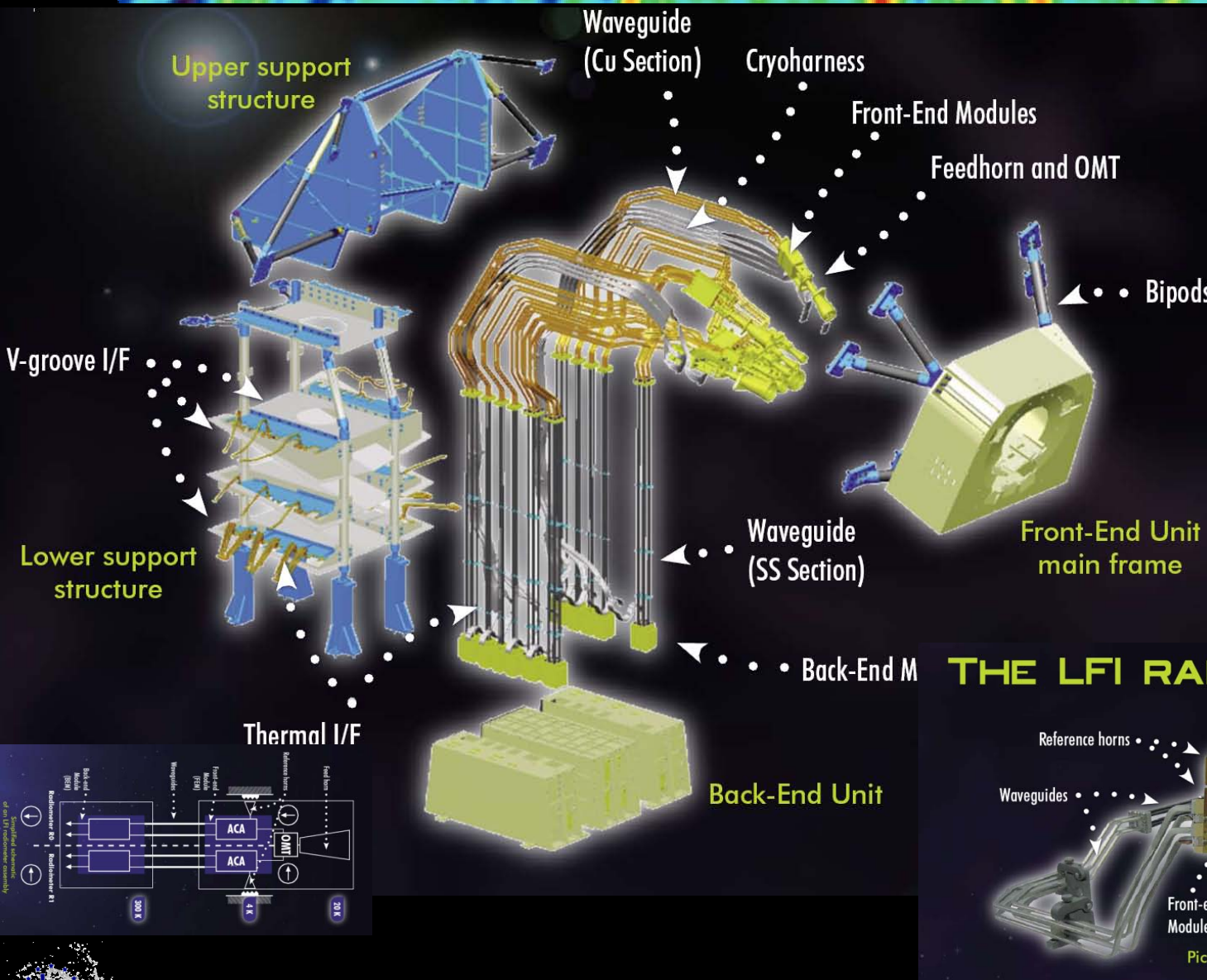
4 K

Bolometers @ 100mK

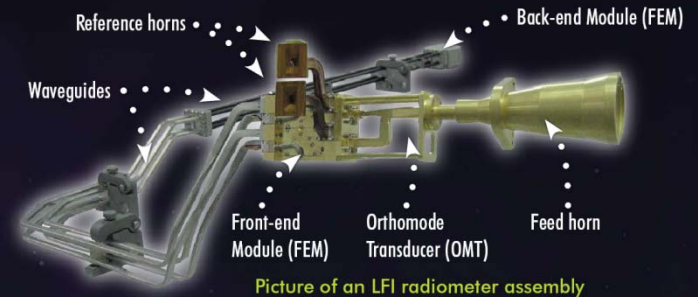




The Low Frequency Instrument LFI



THE LFI RADIOMETER CHAIN



Picture of an LFI radiometer assembly





Birth of the Cool





...LIFTING IT OFF...

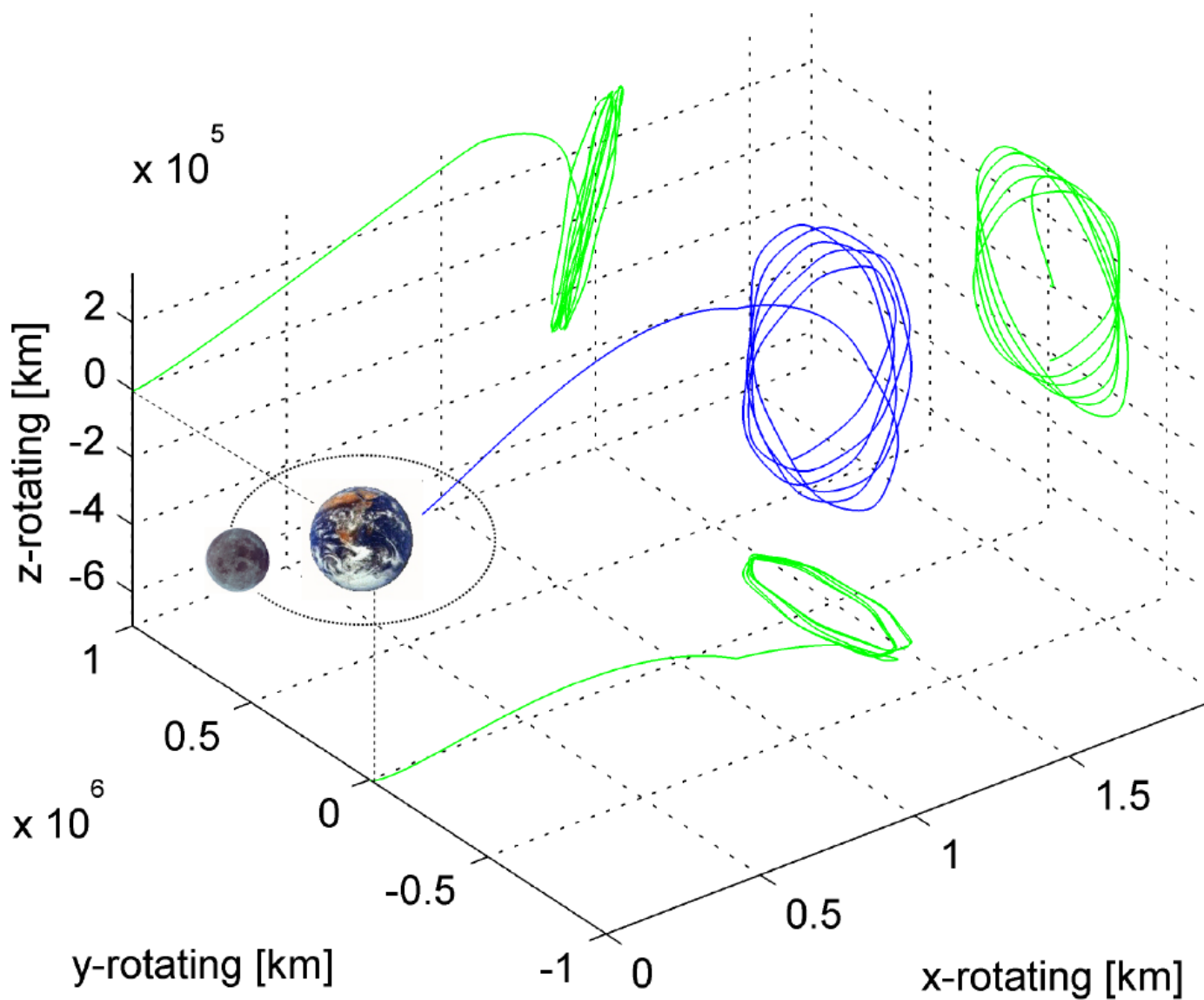
AFTER 16 YEARS
OF HOPES & WORK



Ariane 5 ECA Launch • HERSHEL – PLANCK - *May 14, 2009*



Planck is in L2 orbit since July 2009





Status & Schedule



- **Instruments are very stable**, continuously mapping the sky, with essentially no hiccups from the beginning of survey, on August 13th 2009, till now.
- Expectations on sensitivities confirmed in flight: HFI reaches or exceeds its goals
- It is not to say that data analysis is easy, but the data potential is here.

- First **complete coverage of the sky** by all detectors was obtained in June 2010 with the first nearly **10 months** of survey data. ERCSC release & batch of 25 papers on “Planck early results: xxx”, **submission in Jan 2011** (now printed in A&A Volume 536, Dec 2011); some highlights are presented next.

- **Nominal mission** was completed on November 27th 2010, having collected about **15.5 months** of survey data insuring that all the sky at been seen at least twice by each detector; expect:
 - *more CMB foregrounds results, **starting early 2012** (foregrounds conf in Bologna in february).*
 - *first cosmological analyses and public delivery of T data **in early 2013**.*

- While I speak, HFI is performing EOL activities (spin-up, etc) and will go warm **January 15th 2012**. We have collected ~5 surveys, ~ twice the nominal duration. This, together with some additional LFI data, will be the basis of our **final data delivery** (DD2) in **early 2014**. (will contain clean TOIs, frequency and component maps (T Q U), a likelihood code+ ancillary data





Yesterday's msg from Spacecraft Operations



FYI

Dear all,

The concluding activities for the spin-up campaign were successfully executed today (Friday 16 December) from 12:00z-15:40z.

After (OCM) slewing to anti-sun pointing, the spin-down from 1.4rpm to 1.0rpm was executed in 2 stages between 13:08z-13:45z. The spacecraft was then aligned with the start attitude of the first pointing set in the return to the nominal scanning law.

The first scanning law pointing commences after an initial scanning law slew at 18:35z.

This concludes an extremely successful test campaign. The relatively flawless execution is testament to the preparatory work done by many people, and their commitment and assiduousness is both recognised and appreciated.

Many regards
Steve

Planck Deputy Spacecraft Operations Manager
Planck Instrument Engineer
European Space Operations Centre





4th Press Release (05/07/2010)

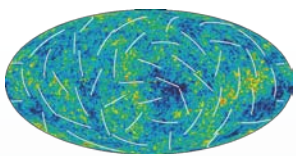


After 17 years gestation

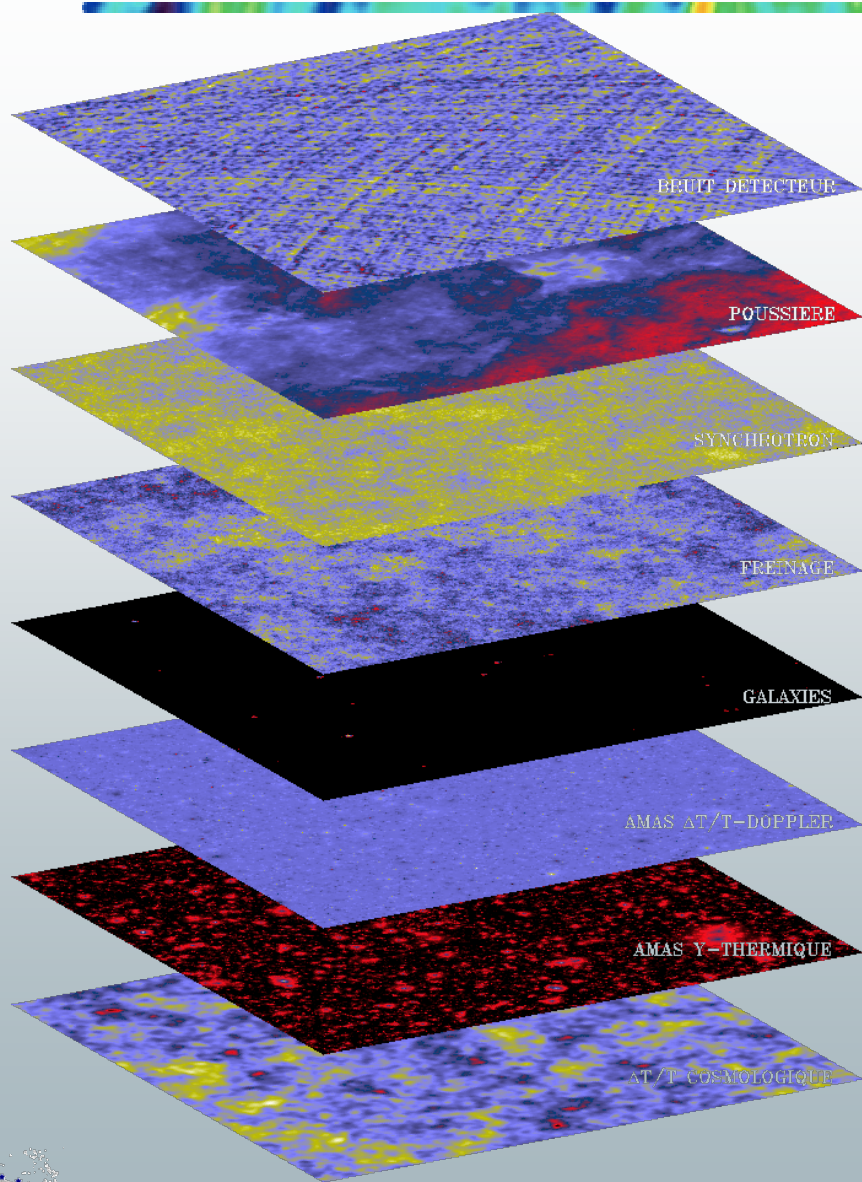
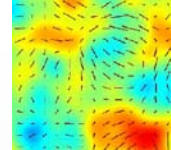
The Planck "one-year" all-sky survey



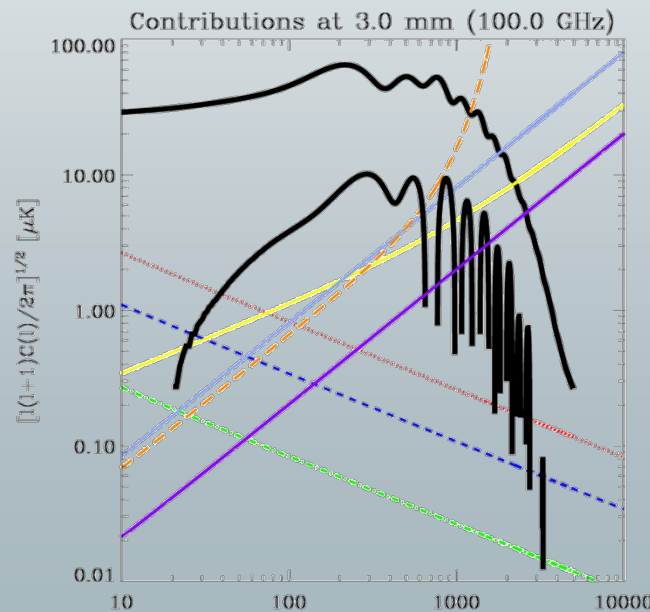
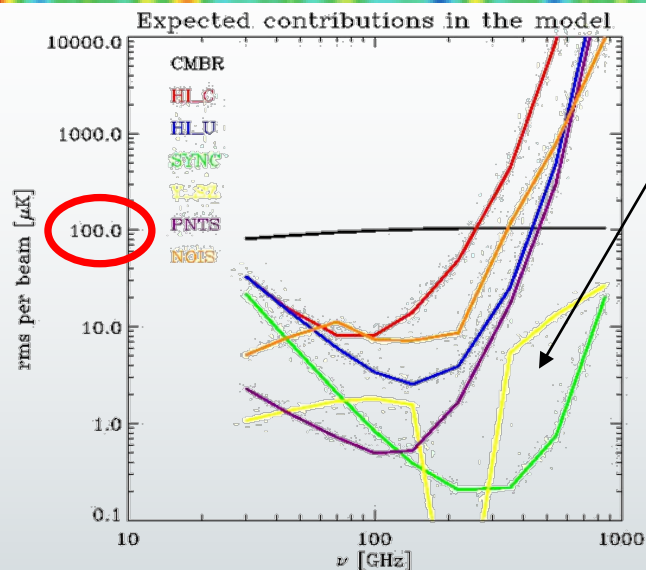
[c] ESA, HFI and LFI consortia, July 2010



Foregrounds !!!



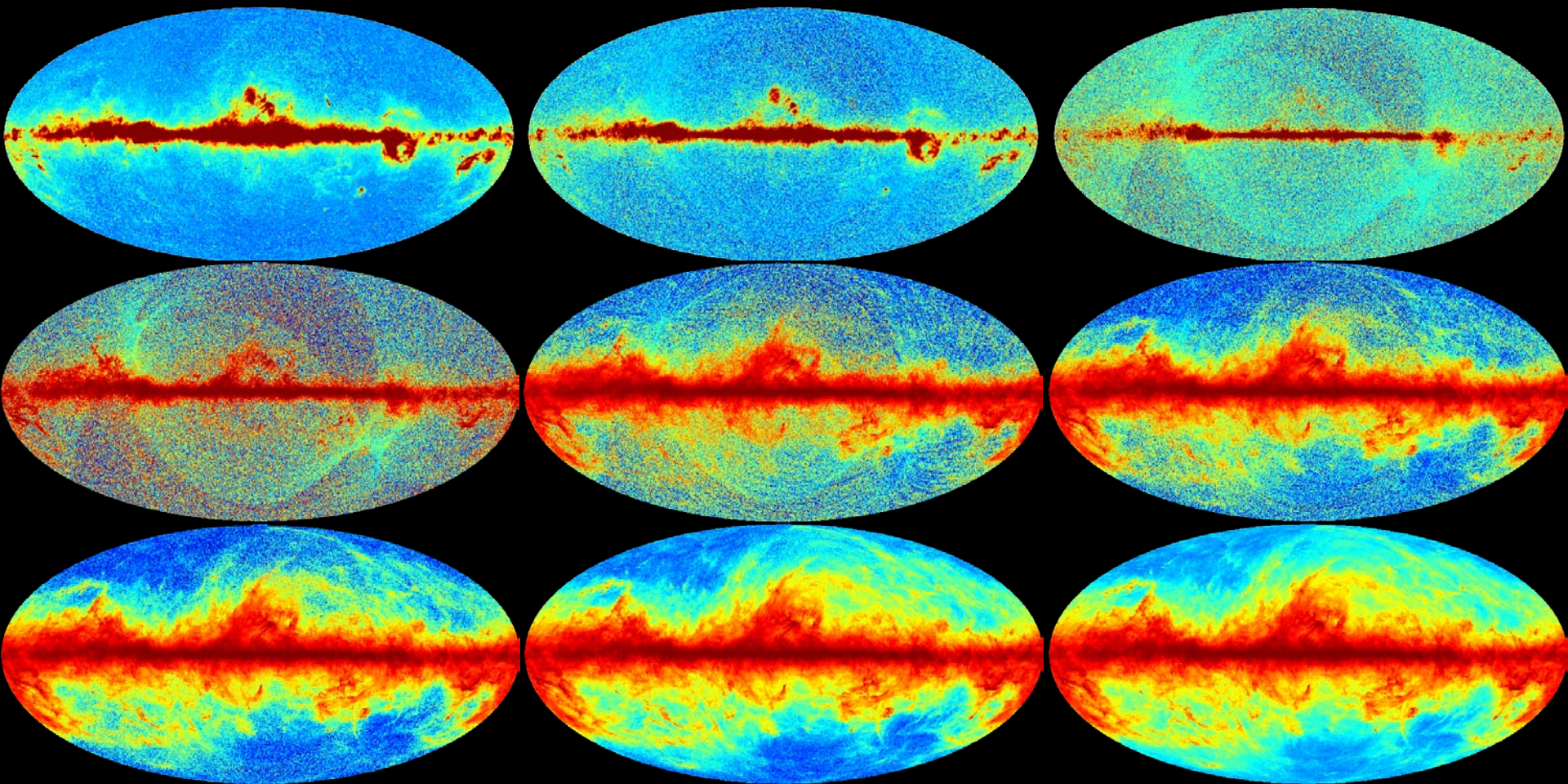
F.R. BOUCHET & R. GISPERT 1996



$\Delta H_0 = 2\%$



The Planck Foregrounds sky

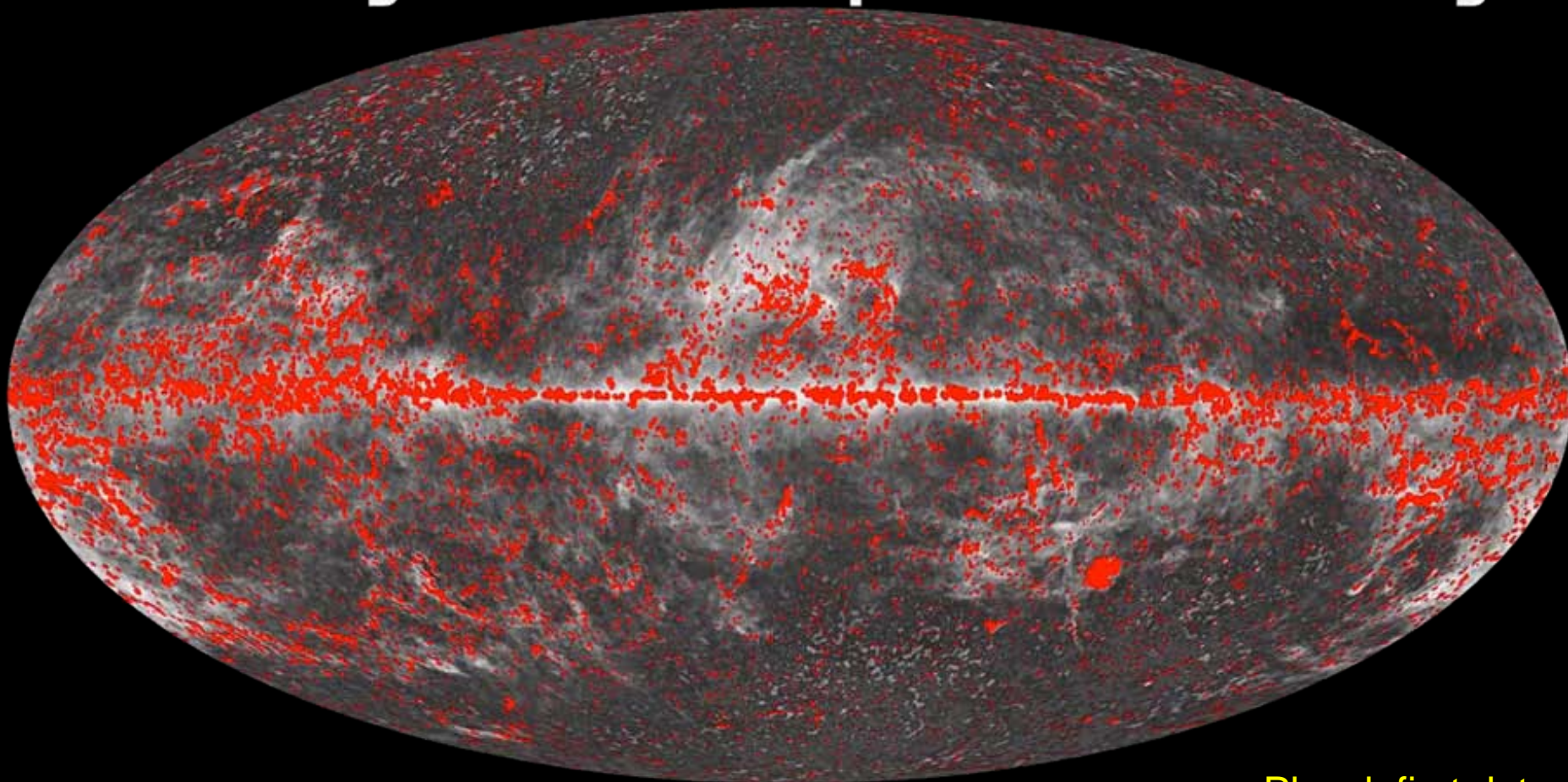


© ESA, HFI & LFI, Jan 2011





Planck Early Release Compact Source Catalogue



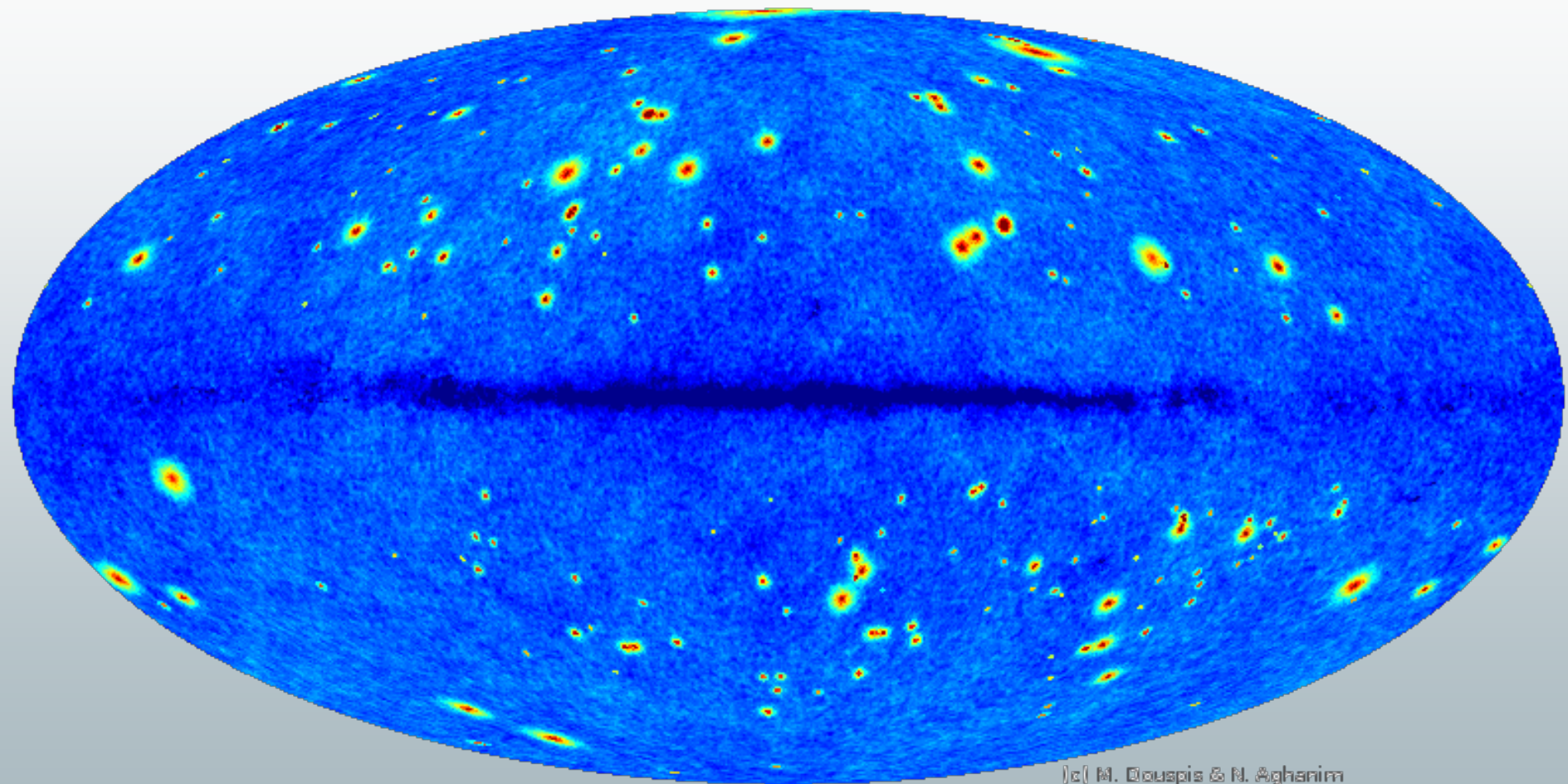
All compact sources

Planck first data
delivery, on time





The Planck SZ sky

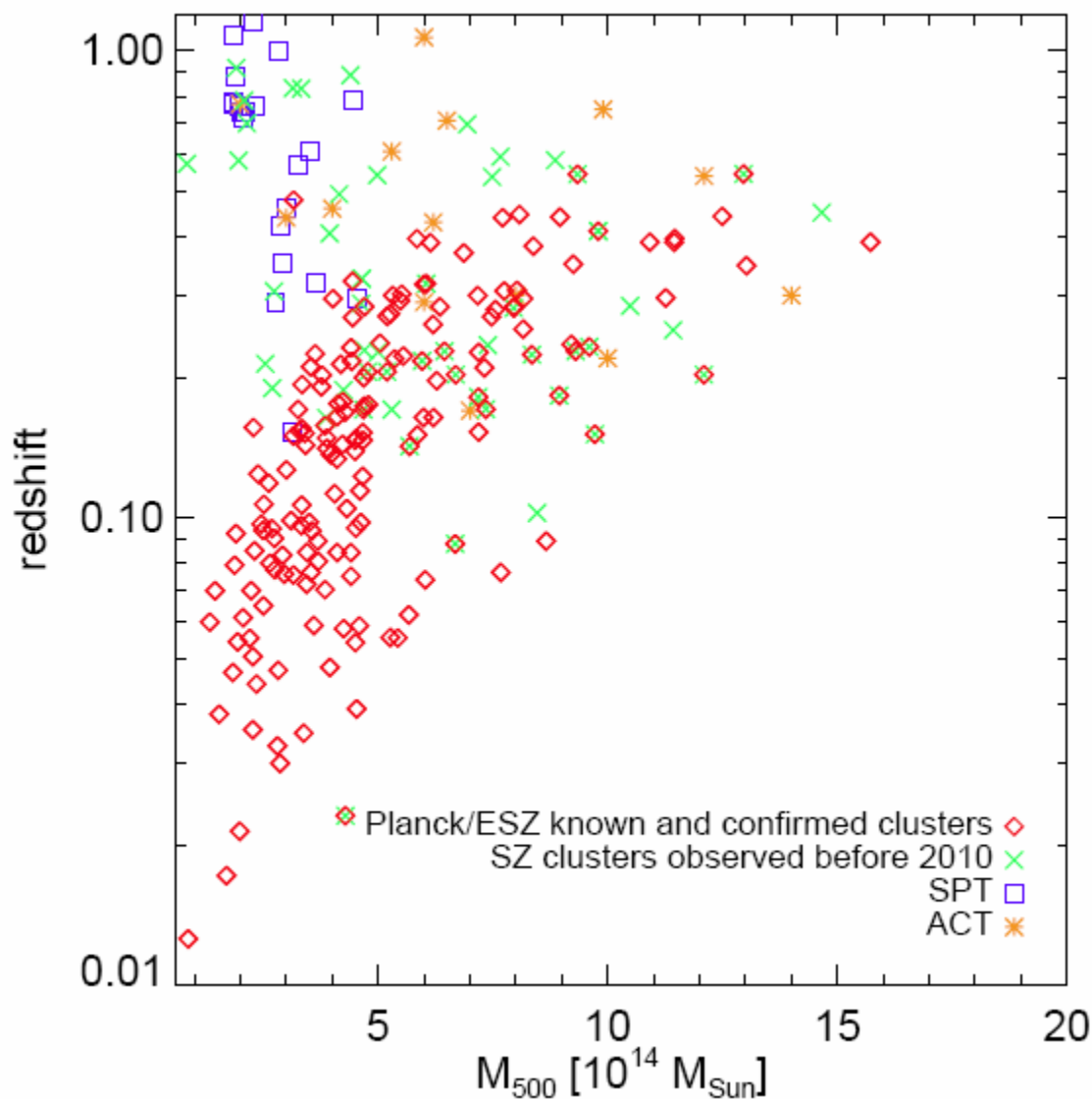


© M. Couspis & N. Aghanim





Planck clusters versus other samples



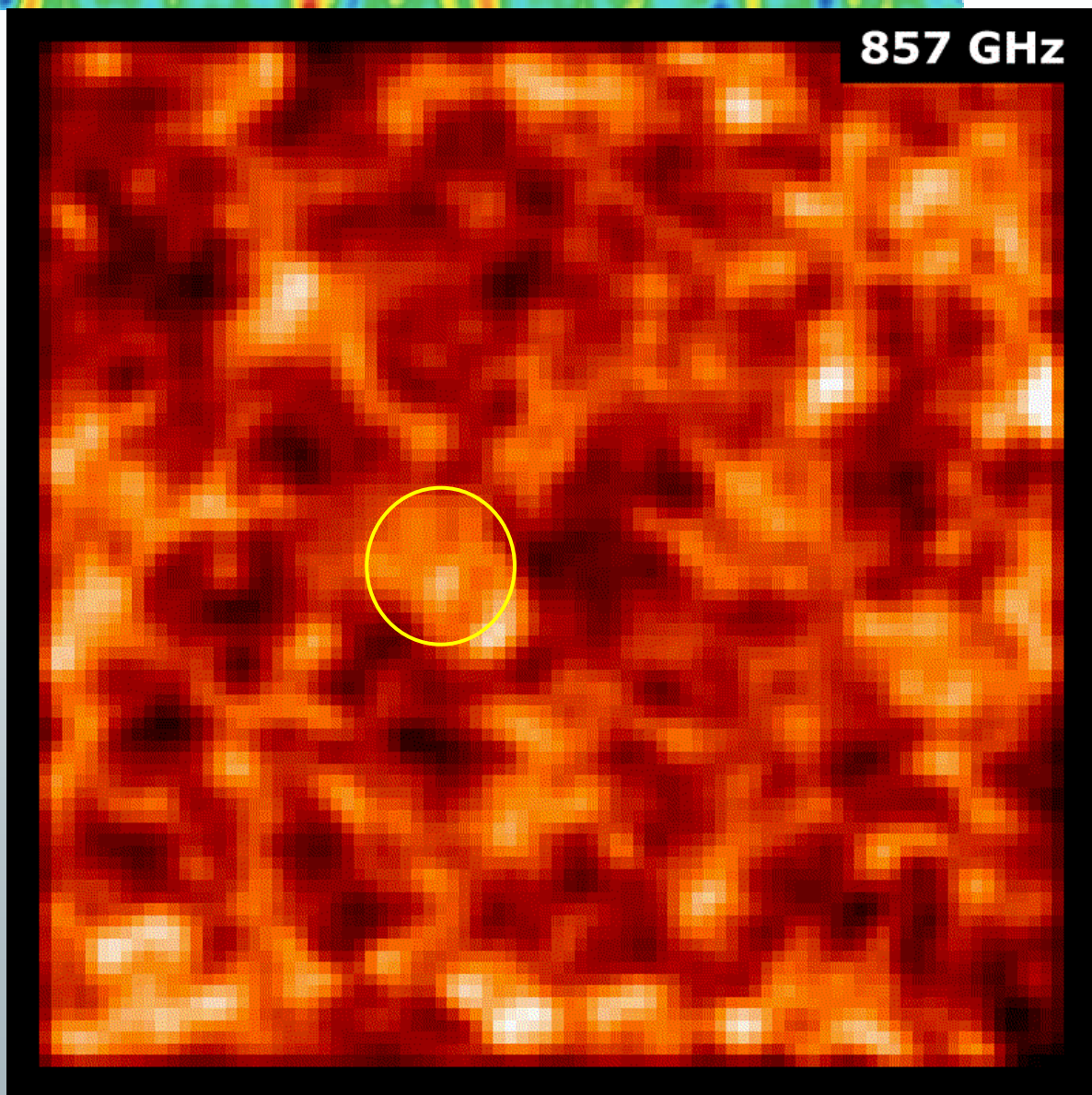
Planck indeed detects the **rarest and most massive clusters** in our local universe





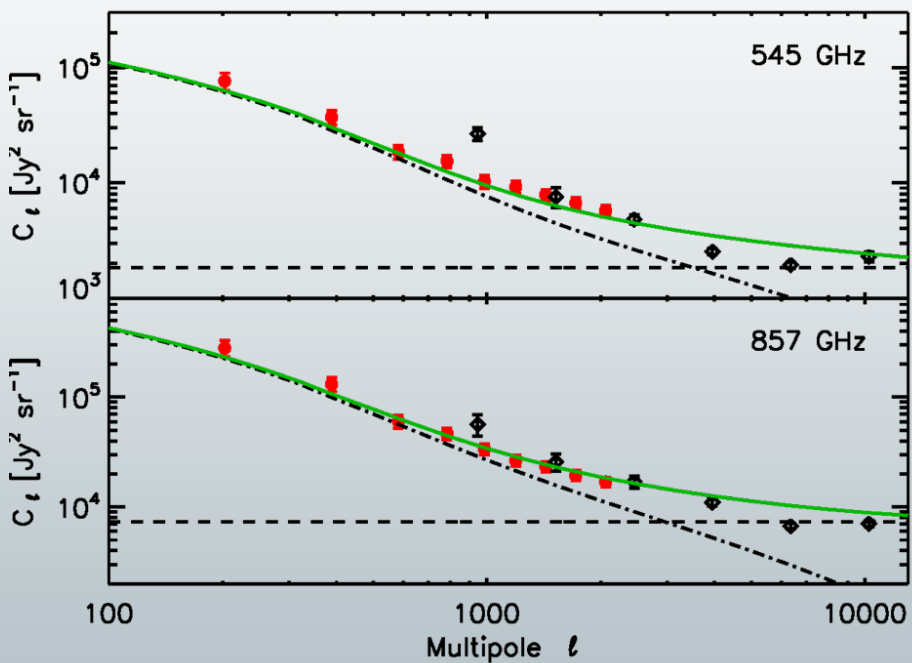
CIB appearance versus frequency

1. As we move towards lower frequencies we see structures in the universe at higher z , closer and closer to the bulk of IR galaxy formation
2. The same structures are seen in successive bands illustrating the high signal to noise
3. we expect the lowest Planck frequency CIB maps (217 GHz) shows structures formed less than 2 billion years after the big bang



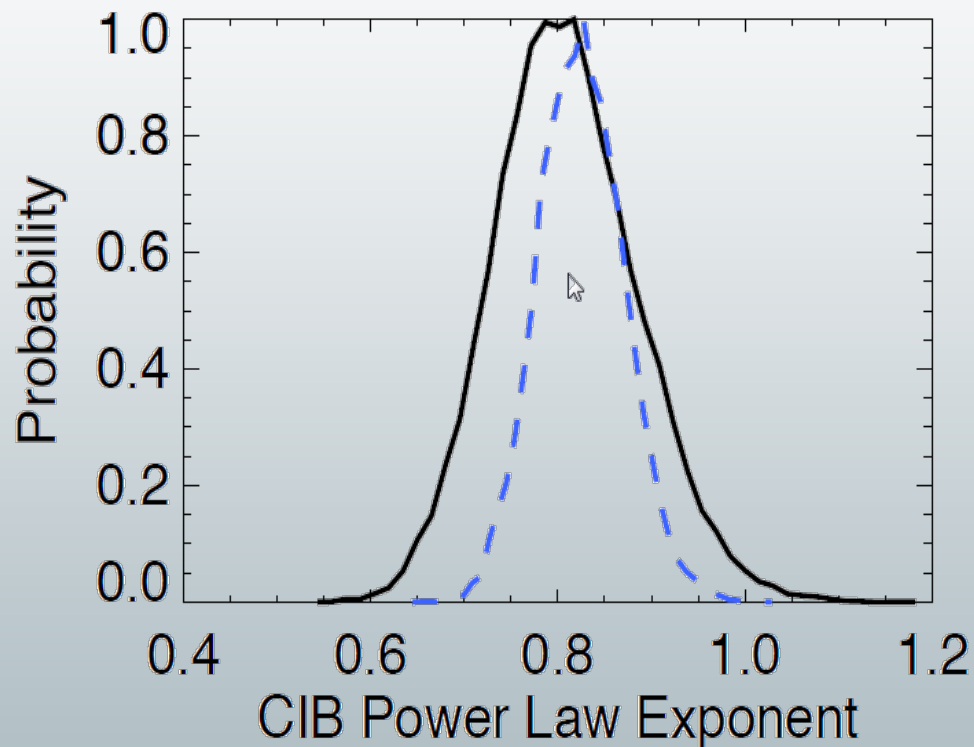


BLAST & SPT versus HFI



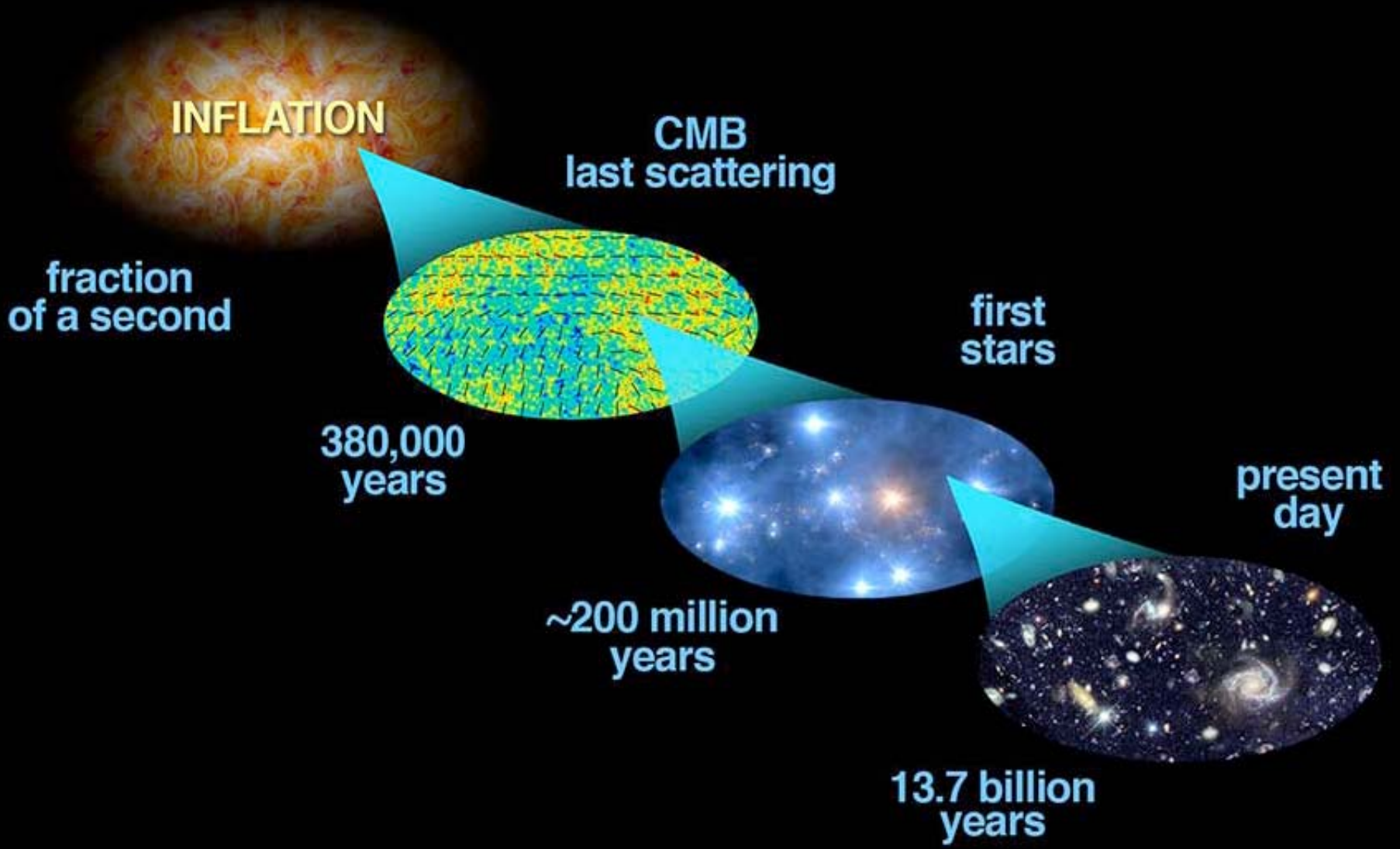
NB: BLAST values are color-corrected using the CIB mean spectrum (1.05 @ 857 & 0.7 @ 545 GHz)

HFI+SPT: (Reichardt 2011, arXiv:1111.0932v1)
Clustered component scale dependence $\propto l^{-0.8}$



Blue dashes when HFI 353 GHz CIB bandpower constraint is included







Inflation has many variants...



- assisted brane inflation
- anomaly-induced inflation
- assisted inflation
- assisted chaotic inflation
- B-inflation
- boundary inflation
- brane inflation
- brane-assisted inflation
- brane gas inflation
- brane-antibrane inflation
- braneworld inflation
- Brans-Dicke chaotic inflation
- Brans-Dicke inflation
- bulky brane inflation
- chaotic inflation
- chaotic hybrid inflation
- chaotic new inflation
- D-brane inflation
- D-term inflation
- dilaton-driven inflation
- dilaton-driven brane inflation
- double inflation
- double D-term inflation
- dual inflation
- dynamical inflation
- dynamical SUSY inflation
- S-dimensional assisted inflation
- eternal inflation
- extended inflation
- extended open inflation
- extended warm inflation
- extra dimensional inflation
- F-term inflation

- F-term hybrid inflation
- false-vacuum inflation
- false-vacuum chaotic inflation
- fast-roll inflation
- first-order inflation
- gauged inflation
- Ghost inflation
- Hagedorn inflation

- higher-curvature inflation
- hybrid inflation
- Hyper-extended inflation
- induced gravity inflation
- intermediate inflation
- inverted hybrid inflation
- Power-law inflation
- K-inflation
- Super symmetric inflation
- Roulette inflation

- Quintessential inflation
- curvature inflation
- Natural inflation
- Warm natural inflation
- Super inflation
- Super natural inflation
- Thermal inflation
- Discrete inflation
- Polarcap inflation
- Open inflation
- Topological inflation
- Multiple inflation
- Warm inflation
- Stochastic inflation
- Generalised assisted inflation
- Self-sustained inflation
- Graduated inflation
- Local inflation
- Singular inflation
- Slinky inflation
- Locked inflation
- Elastic inflation
- Mixed inflation
- Phantom inflation
- Non-commutative inflation
- Tachyonic inflation
- Tsunami inflation
- Lambda inflation
- Steep inflation
- Oscillating inflation
- Mutated hybrid inflation
- Inhomogeneous inflation

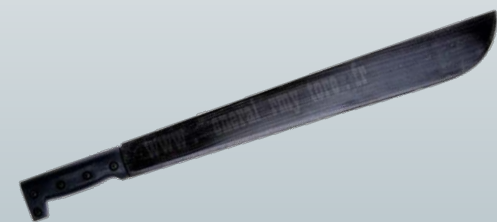




Where is the machete for the inflationary jungle?



- We now have a couple of percent accuracy on the 6 parameter of the minimal model, which still fits all the data, with no sign yet than anything else is needed.
- In particular, regarding early Universe physics, no need besides *single field canonical inflation*: not even strong evidence for any of $(n_s-1, dn_s/d\ln k, r)$ to be non-zero.
- And indeed lack of detection of any extension/anomalies
- (And cyclic/LQC universes are OK too)
- Planck will help clearing the ground by
 - *tightening the constraints on the trio above, or making detections!*
 - *Look additionally at the signatures of specific models: existence of Isocurvature modes,*
 - *specific Non-Gaussianities: an additional quatuor: $(f_{NL}$ -local, f_{NL} -equilateral, f_{NL} -orthogonal, g_{NL})*
- Alone first, and in conjunction (Planck-EXT) with SS CMB, LSS





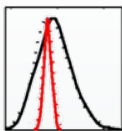
Plain vanilla accuracy forecast



WMAP 4 years (94 GHz)
Planck 1 year (143 GHz)

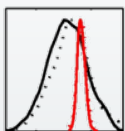
Qualitative Advance
in Precision

Baryon Density



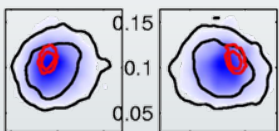
0.02 0.023 0.025

Dark Matter Density

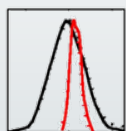


0.1 0.12

Optical Depth of Reionised IGM

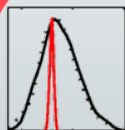


0.02 0.023 0.025



0.05 0.1 0.15

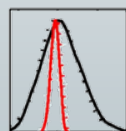
Index of Primordial
Perturbation Power Spectrum



0.9 1 1.1

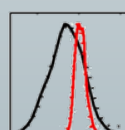
Running

Inflation



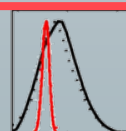
0.9 1 1.1 -0.05 0 0.05

Primordial Amplitude

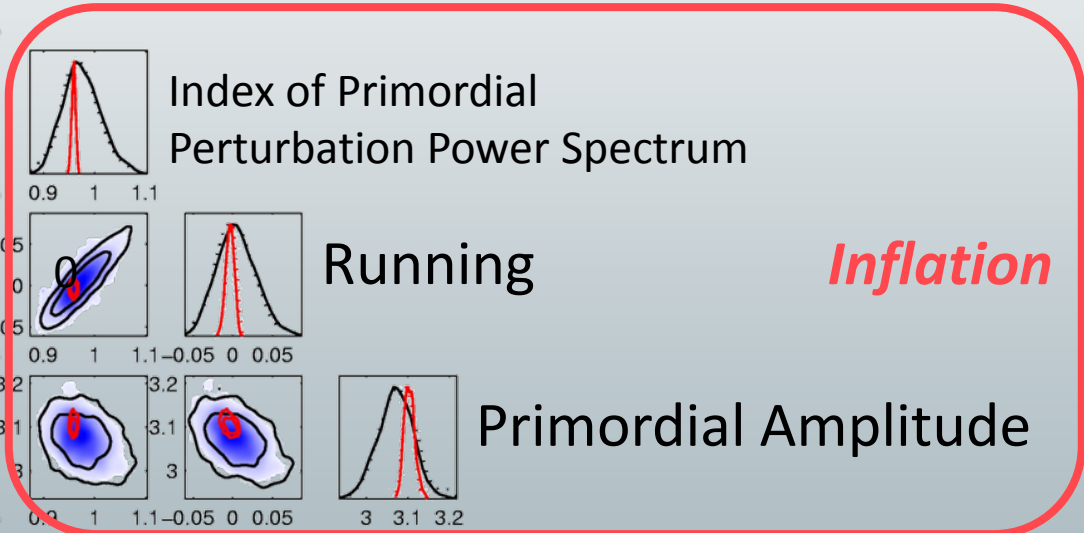
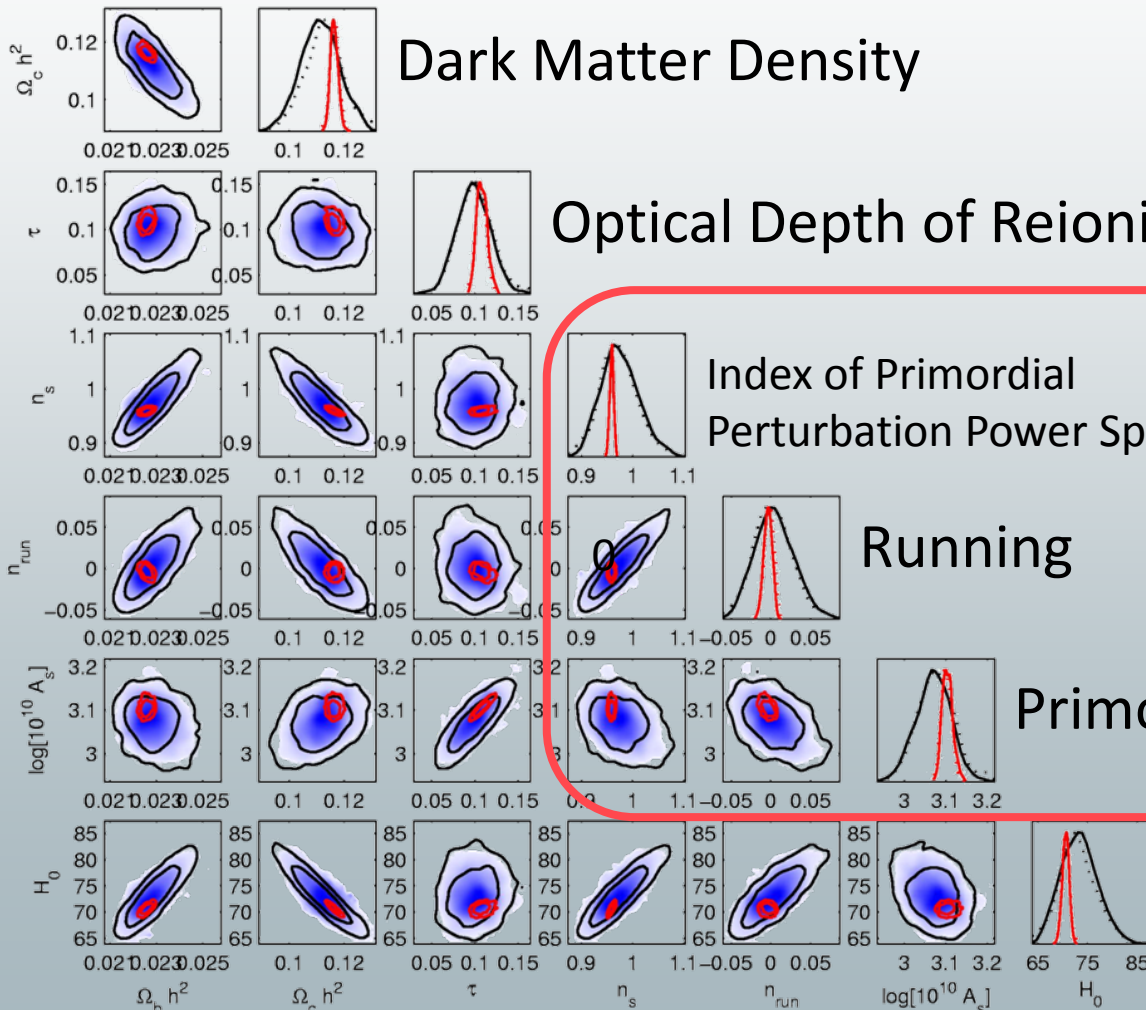


3 3.1 3.2

Expansion Rate



65 75 85

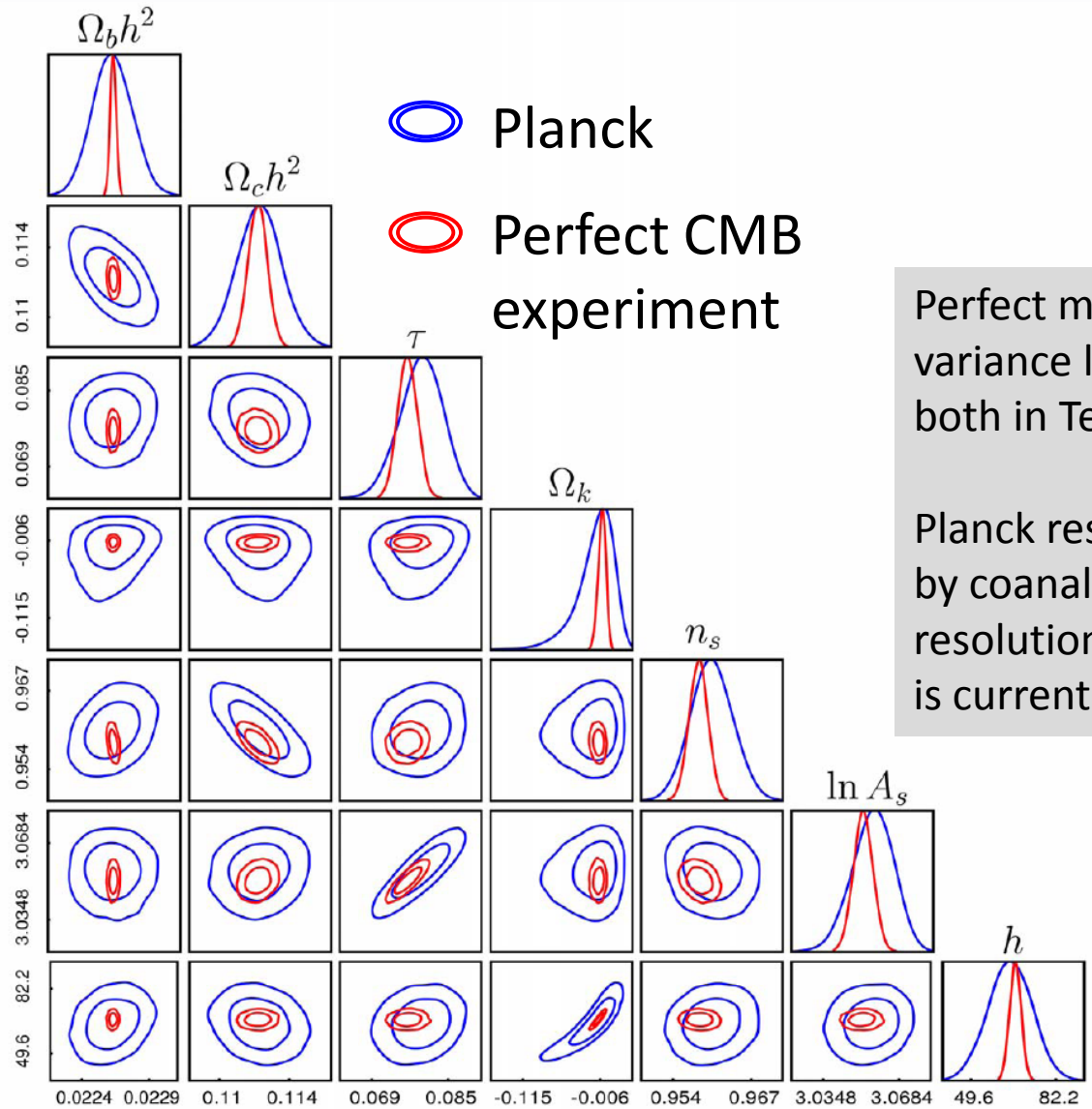


Bond et al. astro-ph/0406195





Planck vs Ideal (including polarisation)



Perfect means zero-noise (i.e. Cosmic variance limited) for all $l \ll \sim 3000$, both in Temperature and polarization.

Planck results will be further improved by coanalysing Planck with higher resolution experiments (PlanckEXT), as is currently done with WMAP.

Fendt & Wandelt

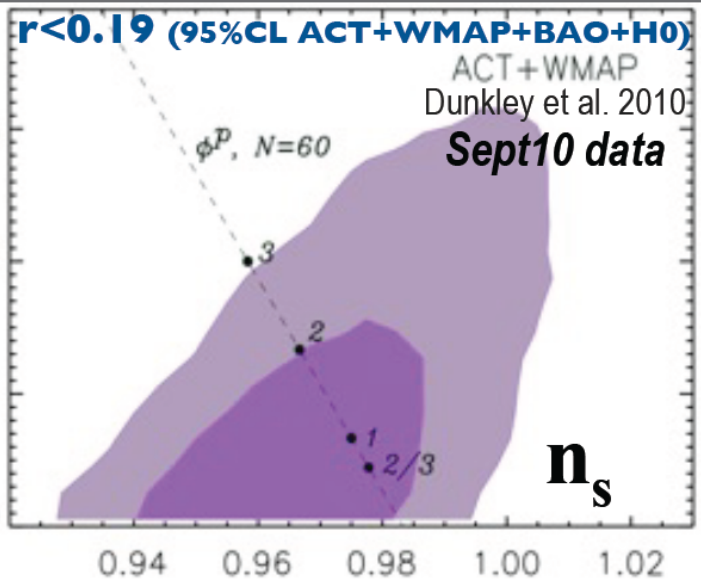


r

0.4

0.2

0



$r \approx 0.13 \frac{d \ln V}{d \ln \psi^2}$

large-field

small-field

$\lambda \phi^4$

Jan10 CMB+LSS

$m^2 \phi^2$

hybrid

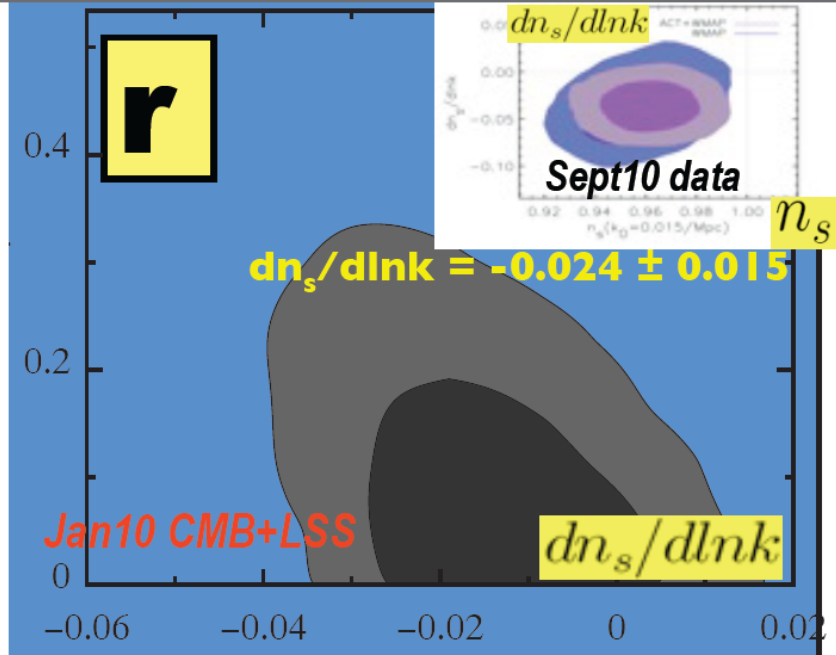
$dn_s/d \ln k$

$r \approx 0.008 V / (10^{16} \text{Gev})^4$

$r \approx 16 \epsilon$

roulette & brane inflation, cyclic

forecast for $r=0$
Planck2.5yr





Planck vs LSS forecasts for Λ MCDM



Current status

Model	Data set	$\sum m_\nu/\text{eV}$	N_{eff}	w
vanilla + f_ν + N_{eff} + w	CMB+HST	< 2.58	$4.68^{+3.72}_{-3.48}$	$-1.33^{+0.77}_{-0.87}$
	CMB+HST+BAO	< 1.47	$3.68^{+1.90}_{-1.84}$	$-1.42^{+0.60}_{-0.65}$
	CMB+HST+HPS	< 1.16	$4.79^{+2.02}_{-2.02}$	$-1.02^{+0.39}_{-0.44}$

NB: Mean & limits of the 95% credible intervals

Planck & LSS forecast w.r.t. current status

	Planck	P+BAO	P+HPS	P+HST	P+HST+BAO	P+HST+HPS
ω_{dm}	0.22	0.24	0.20	0.21	0.21	0.19
N_{eff}	0.21	0.21	0.22	0.21	0.21	0.22
$\sum m_\nu$	0.68	0.81	0.44	0.67	0.73	0.44
w	2.14	1.16	0.72	0.74	0.76	0.55
n_{S}	0.46	0.48	0.49	0.46	0.48	0.48

Planck *alone* should do better by a factor 2-4 than the current CMB+LSS data: i.e. less reliance on external datasets. Main (large) improvement is for w

Table 3. Projected sensitivity of Planck data (P) combined with LSS data to selected parameters of the vanilla + f_ν + N_{eff} + w model. Given are the standard deviations of the marginalised posteriors normalised to the values obtained with current CMB+HST+HPS data. Note that just like for current

HPS: halo power spectrum constructed from the luminous red galaxy sample of the 7th data release of the Sloan Digital Sky Survey (SDSSDR7).

Hamann et al., JCAP 2010/07





ISOCURVATURE MODES



$$\Pi = 8 \cdot 10^{-11}$$

$$\Pi = 7 \cdot 10^{-24}$$

	MAP T adia only	MAP TP adia only	MAP T all modes	MAP TP all modes	PLANCK T adia only	PLANCK TP adia only	PLANCK T all modes	PLANCK T+P all modes	PLANCK TP all modes
$\delta h/h$	12.37	7.42	175.84	20.40	9.93	3.69	40.13	7.31	4.36
$\delta\Omega_b/\Omega_b$	27.76	13.34	325.38	28.57	19.37	7.26	68.85	14.42	8.61
$\delta\Omega_k$	9.79	2.72	75.32	4.55	4.92	1.83	20.56	3.59	2.18
$\delta\Omega_\Lambda/\Omega_\Lambda$	12.92	5.02	123.63	18.53	2.74	1.21	5.93	2.45	1.49
$\delta n_s/n_s$	7.02	1.62	89.89	6.53	0.73	0.37	3.92	0.90	0.70
τ_{reion}	37.39	1.81	104.81	2.23	8.25	0.41	35.35	0.74	0.56
$\langle NIV, NIV \rangle$	114.34	11.47	43.45	1.36	1.14
$\langle BI, BI \rangle$	573.46	29.71	53.29	6.16	4.23
$\langle NID, NID \rangle$	351.79	29.87	19.18	4.77	2.37
$\langle NIV, AD \rangle$	434.70	44.06	121.59	8.21	4.69
$\langle BI, AD \rangle$	1035.02	59.25	58.75	15.03	8.97
$\langle NID, AD \rangle$	1287.60	67.49	114.39	13.87	5.77
$\langle NIV, BI \rangle$	601.70	32.29	46.91	7.72	3.67
$\langle NIV, NID \rangle$	744.00	46.46	80.01	7.55	2.97
$\langle BI, NID \rangle$	534.32	39.11	100.97	7.56	4.60

TABLE I. This table indicates the one sigma percentage errors on cosmological parameters and isocurvature mode amplitudes anticipated for the MAP and PLANCK satellite experiments. In the column headers, T denotes constraints inferred from temperature measurements alone, TP those from the complete temperature and polarisation measurements, and T+P those inferred if temperature and polarisation information is used separately without including the cross-correlation.

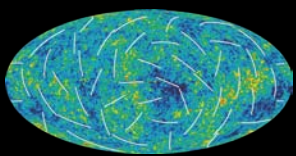
NB: Still assuming simple scale-invariant (initial) $P(k)$...

NB2: Can add LSS, or HST+SN1A to improve Ω_k , cf. Dunkley et al. [astro-ph/0507473](http://arxiv.org/abs/astro-ph/0507473), but reliance on external data)

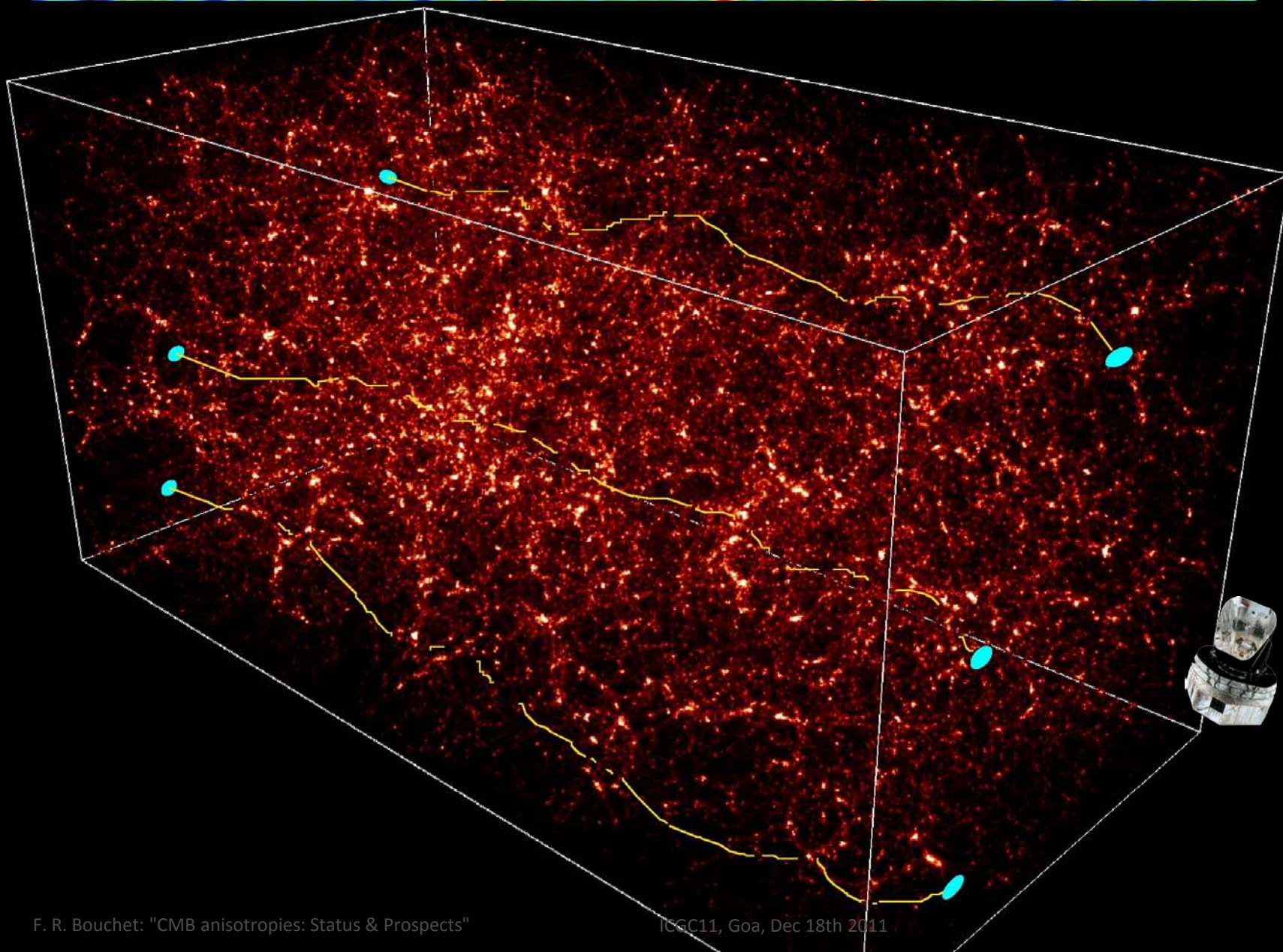
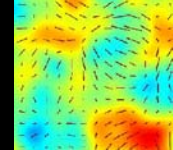
➔ *Much less reliance on theoretical priors*

Bucher, Moodley/Turok, [astro-ph/0012141](http://arxiv.org/abs/astro-ph/0012141) (see also Trota & Durrer)

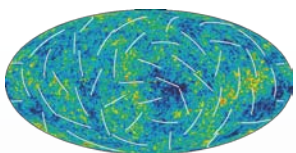




LSS deviate background light



SIMULATION: COURTESY NIC GROUP, S. COLOMBI, IAP.



Unlensed CMB

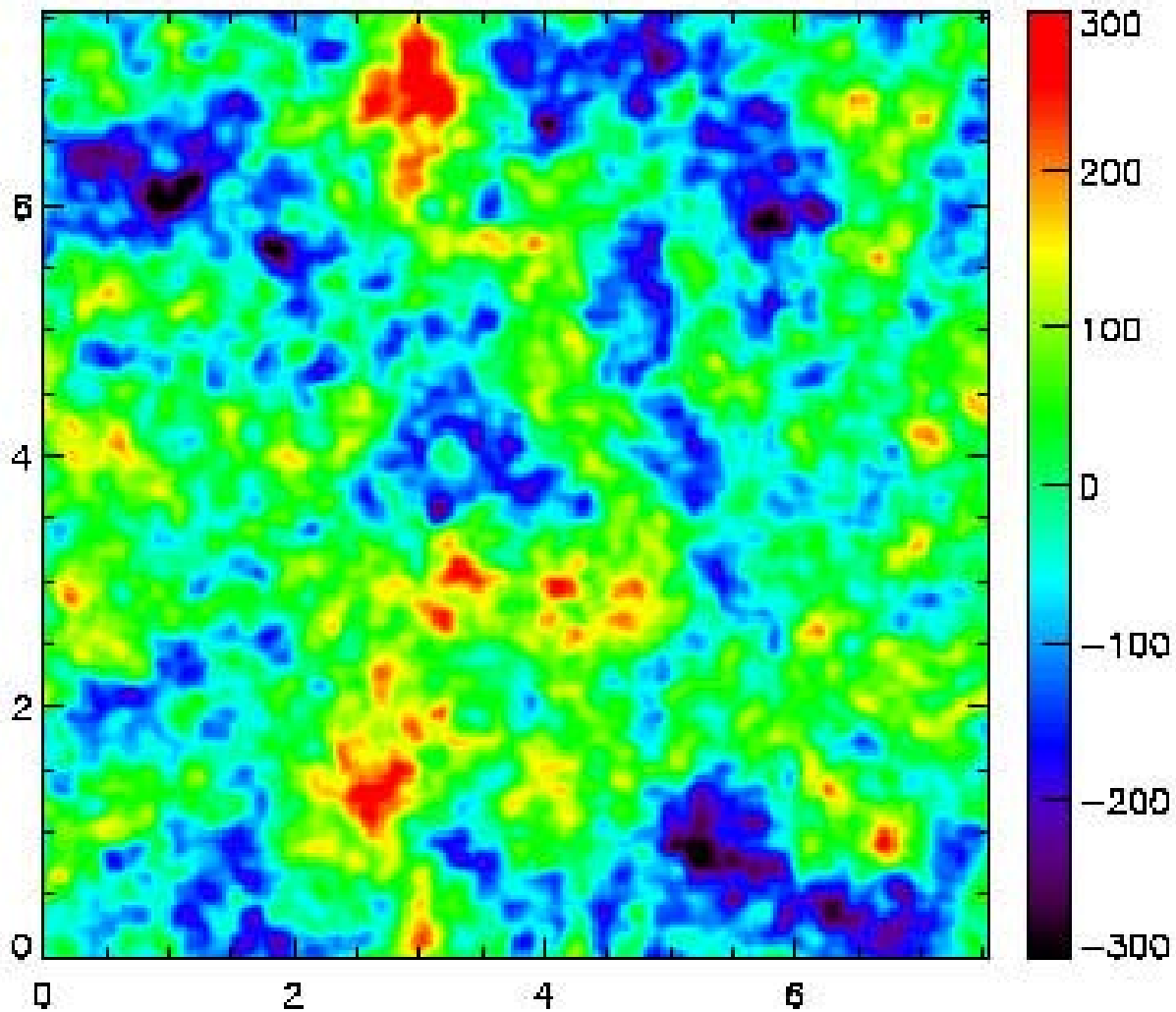
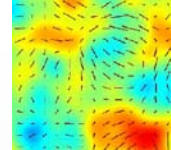
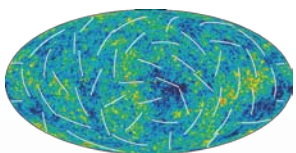
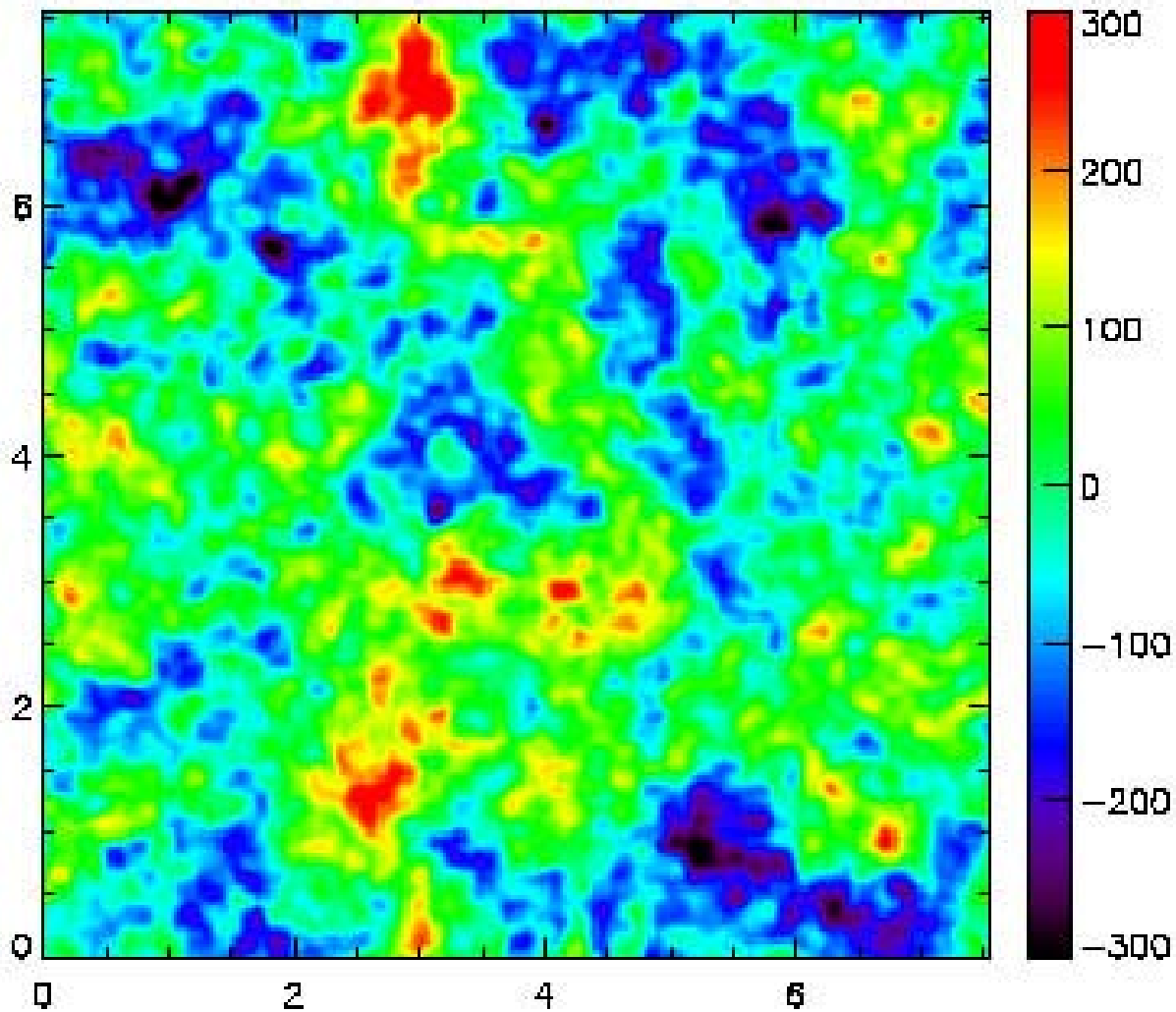
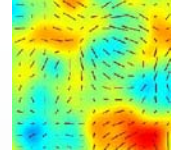


Image from Basak et al 2009





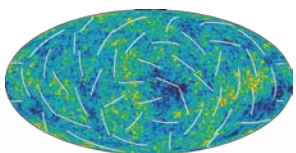
Lensed CMB



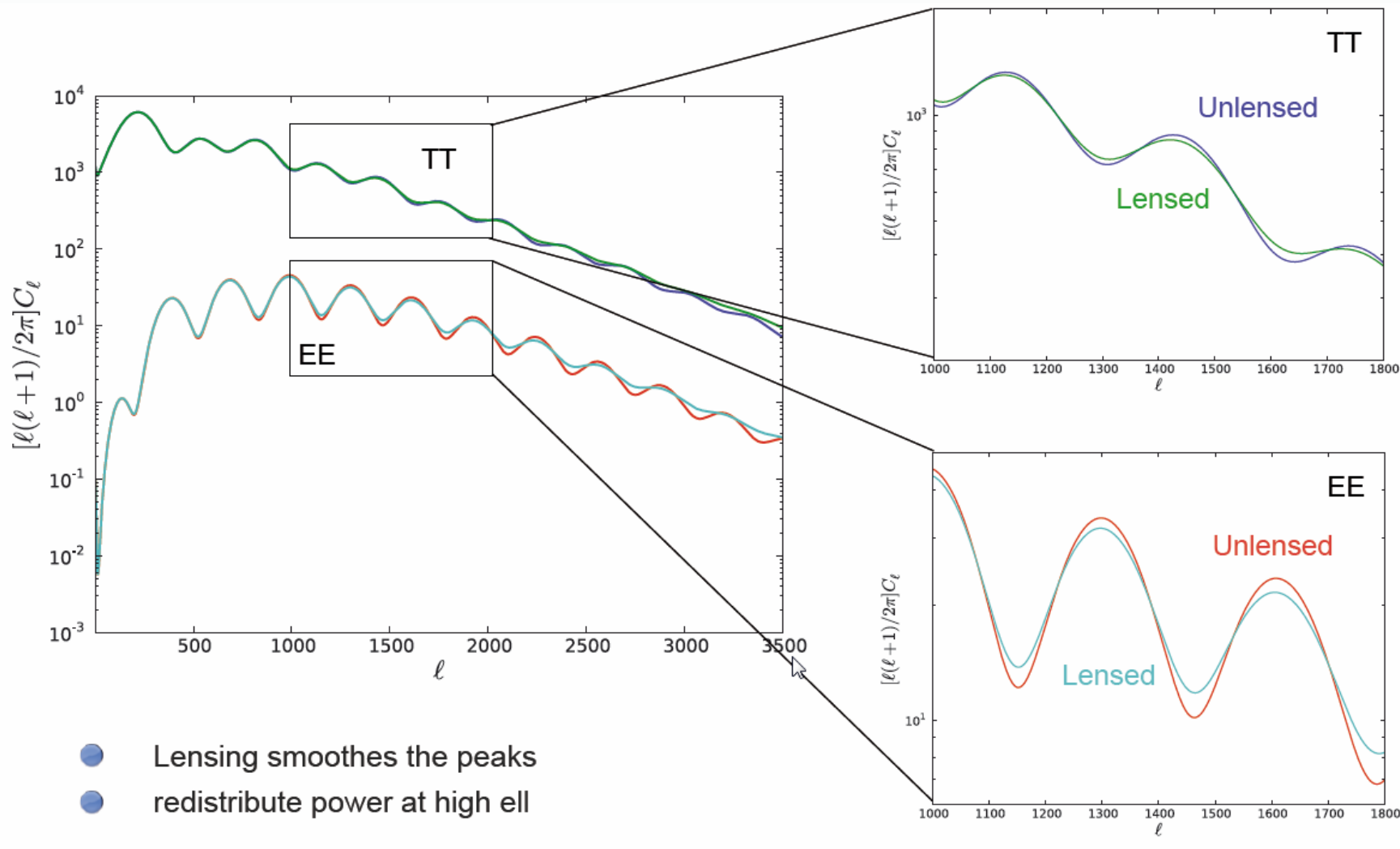
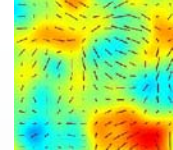
Deflection are ~2', but coherent over degrees

Image from Basak et al 2009



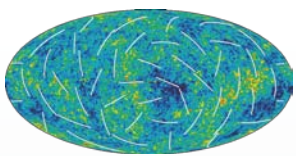


Deflections smooth the spectra

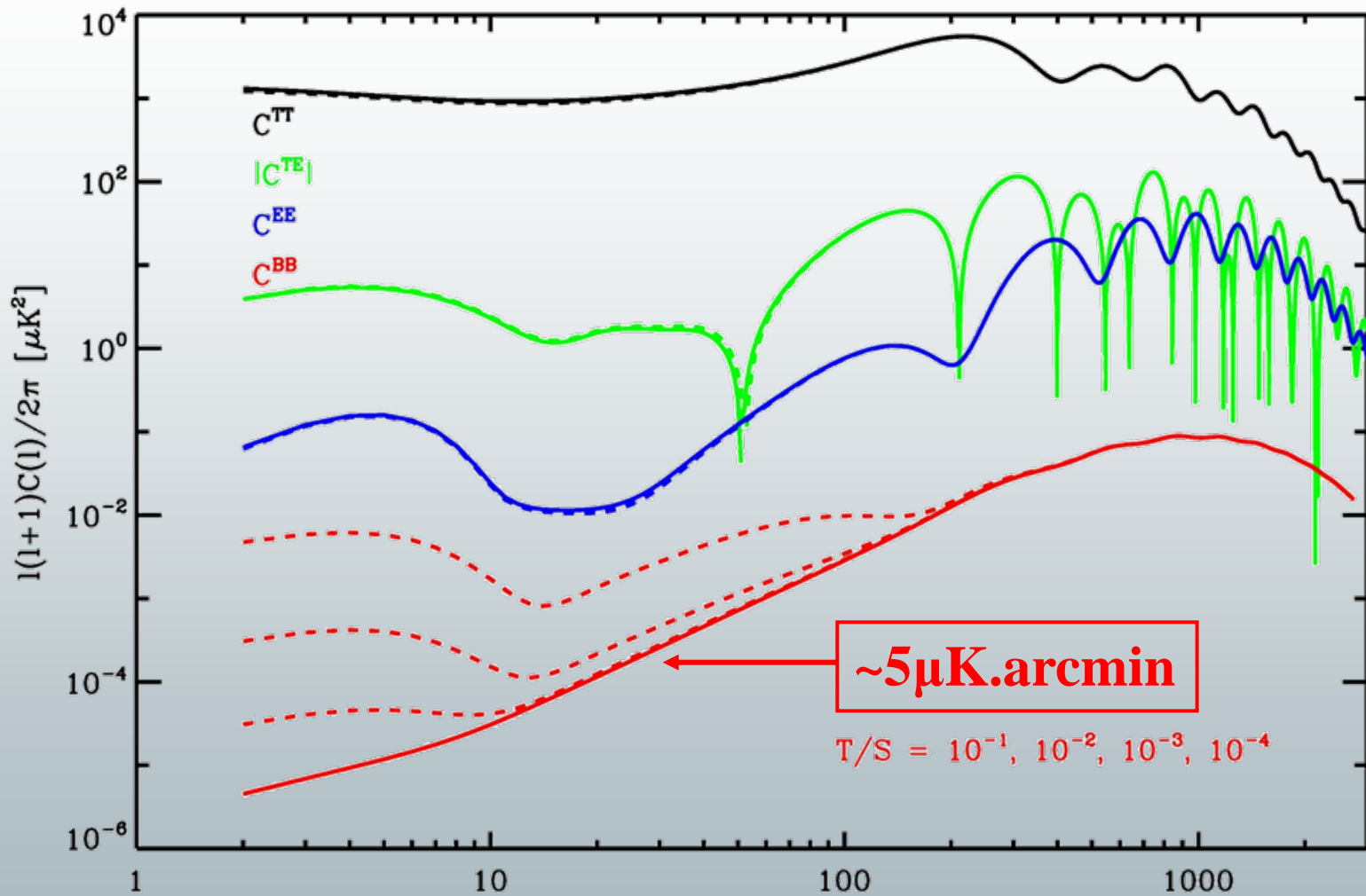
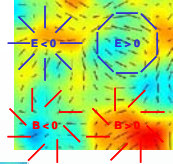


(And create specific non-Gaussianities which can be exploited...)





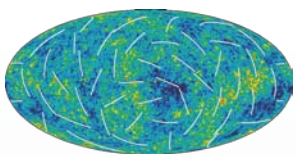
And generates weak B modes



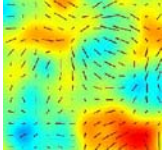
A white noise level of $5\mu\text{K}\cdot\text{arcmin}$ implies fluctuation with an rms of $5/\theta \mu\text{K}$ in a pixel of size θ
 i.e. typically 100 nK in a 50 arcmin pixel ($\sim B_{\text{GW}}$ signal for $T/S \sim 10^{-2}$)

(NB: $\sigma_{\text{Temperature}} \sim 100 \mu\text{K}$)

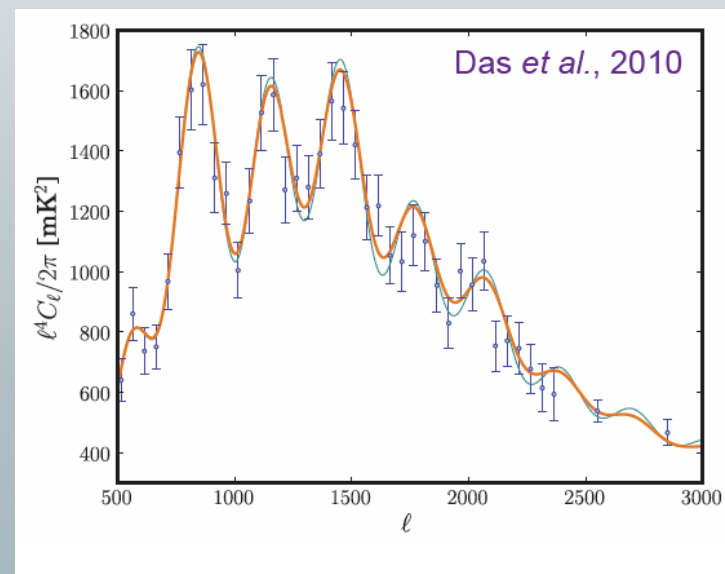
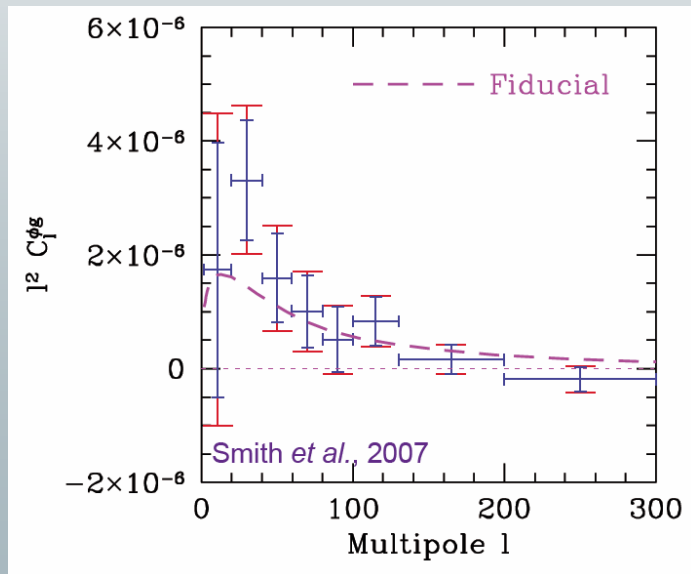




Detection – measurements status

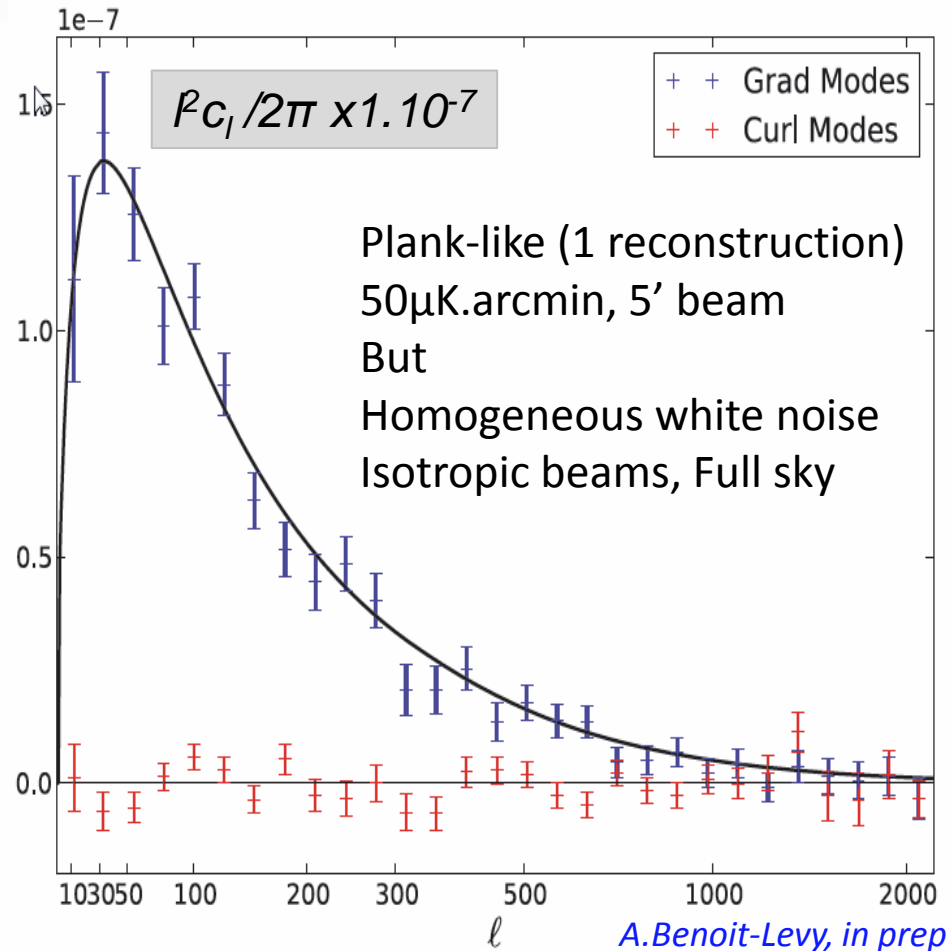
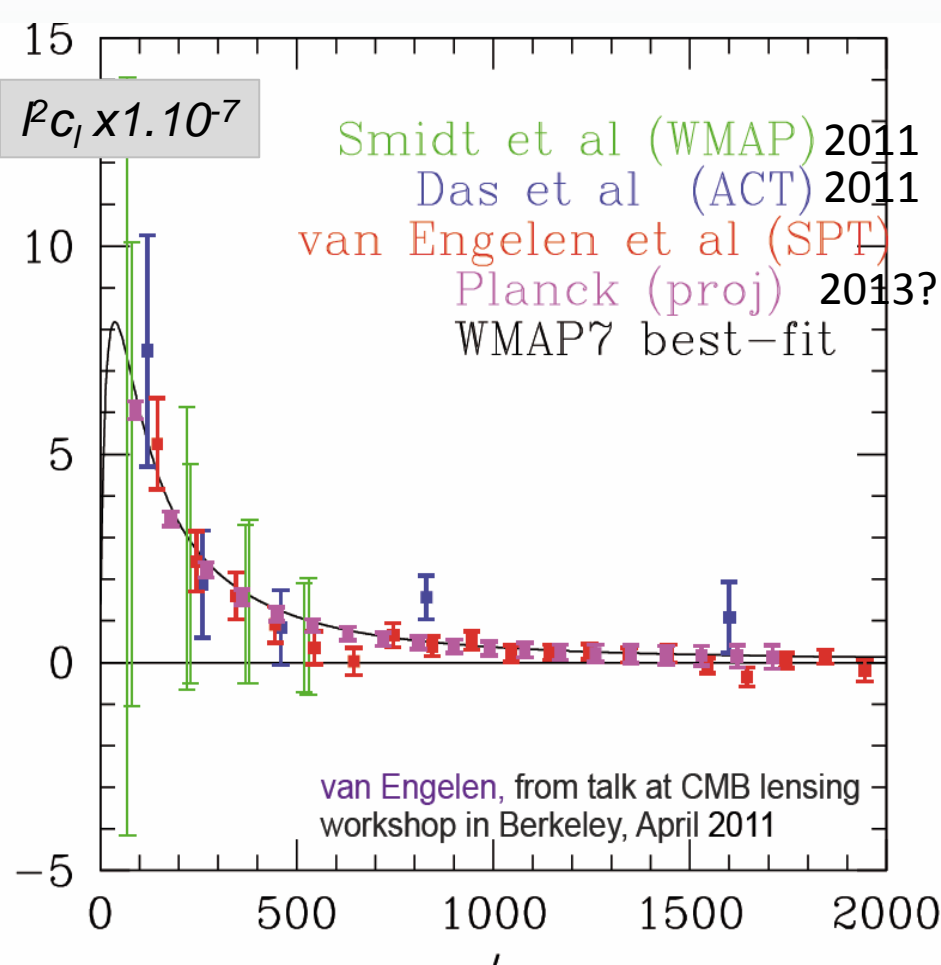


- First detection by cross-correlation
 - *Smith et al., 2007* : WMAP + NVSS: 3.4σ
 - *Hirata et al., 2008* : WMAP + NVSS + SDSS + : 2.5σ
- Internal detection (via spectrum smoothing)
 - *Das et al. 2010 (ACT)*, $C_l^{\Phi\Phi} = A_L C_{l, fid}^{\Phi\Phi}$, $A_L = 1.3^{+0.5(+1.2)}_{-0.5(-1.0)}$





Lensing potential reconstruction



- Spectrum is sensitive to geometry & matter power spectrum in $0.5 < z < 6.5$ range
- Low z constraints on curvature, m_ν , dark energy...

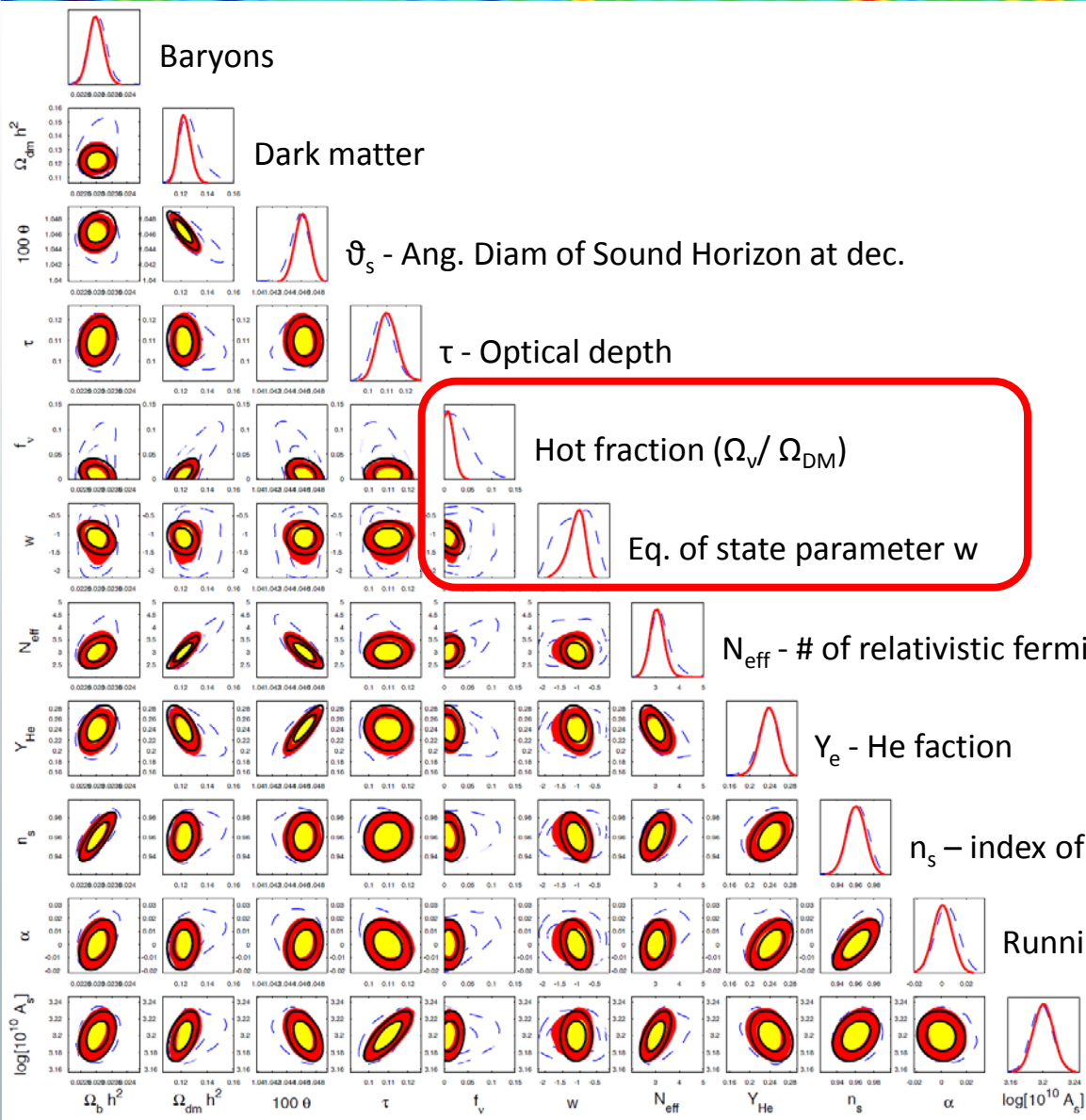




Planck alone forecast for Λ MCDM



Perotto et al., JCAP 2006



The blue dashed lines indicate the degradation incurred without lensing information extraction

Largest improvements indeed concern the Hot fraction (& DM) & eq. of state parameter, ie low-z

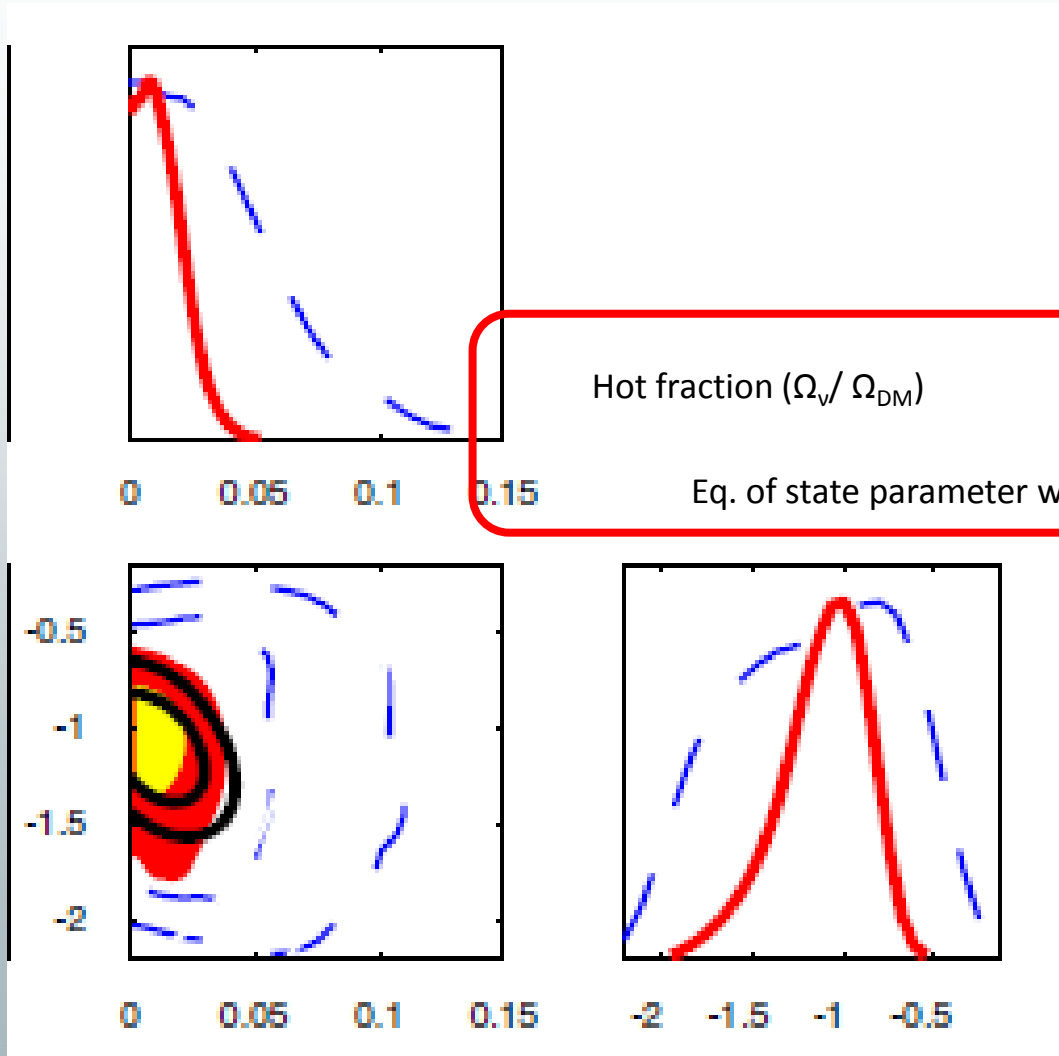


Planck alone forecast for Λ MDM



The blue dashed lines indicate the degradation incurred without lensing information extraction

Largest improvements indeed concern the Hot fraction (& DM) & eq. of state parameter, ie low-z



Perotto et al., JCAP 2006





Expectations for Planck

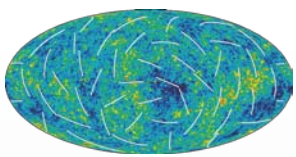


- $\sim 30 \sigma$ detection using temperature only
 - *CMB x Lensing likelihood for cosmology*
- $\sim 15 \sigma$ detection using TT X TE
 - *Low correlation with the TT x TT estimate*
- $\sim 5 \sigma$ detection using TE X TE

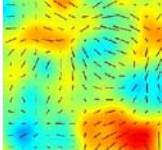
- $\sim 5 \sigma$ detection using ISW x Lensing
- Higher significance (10 to 20 σ) with other LSS probes (VSS, SDSS...)
- $\sim 30 \sigma$ detection of CIB x Lensing
- They will instruct on how these tracers relate to underlying grav. potential

- Assuming we shall tame:
 - *Mask & weighting issues*
 - *Beams*
 - *Inhomogeneous noise*
 - *Diffuse foregrounds residuals*
 - *Compact source residuals*
 - *Pointing & pixel substructures...*





There are more things in heaven and earth, than 2 points...



Harmonic coefficients of a map $a_{\ell m} = T^{-1} \int d^2 \hat{\mathbf{n}} \Delta T(\hat{\mathbf{n}}) Y_{\ell m}^*$

Are directly related to curvature perturbations (p = T, E, B)

$$a_{\ell m}^p = b_\ell 4\pi (-i)^\ell \int \frac{d^3 k}{(2\pi)^3} \Phi(\mathbf{k}) g_\ell^p(k) Y_{\ell m}^*(\hat{\mathbf{k}}) + n_{\ell m}$$

Therefore their
distribution :

$$P(a) = \frac{1}{(2\pi)^{N_{\text{harm}}/2} |C|^{1/2}} \exp \left[-\frac{1}{2} \sum_{\ell m} \sum_{\ell' m'} a_{\ell m}^* \underline{(C^{-1})_{\ell m, \ell' m'}} a_{\ell' m'} \right]$$

Can be used to
infer properties
of the transfer

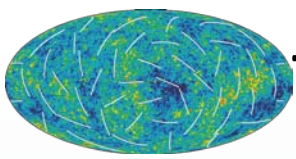
$$\times \left\{ 1 + \frac{1}{6} \sum_{\text{all } \ell_i m_j} \langle a_{\ell_1 m_1} a_{\ell_2 m_2} a_{\ell_3 m_3} \rangle \left[\underline{(C^{-1} a)_{\ell_1 m_1} (C^{-1} a)_{\ell_2 m_2} (C^{-1} a)_{\ell_3 m_3}} \right. \right. \\ \left. \left. - 3(C^{-1})_{\ell_1 m_1, \ell_2 m_2} (C^{-1} a)_{\ell_3 m_3} \right] \right\}.$$

Function (content) and on "initial conditions"

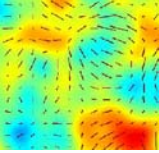
and in particular the curvature perturbation (Φ) spectrum & bispectrum

$$C_\ell = 4\pi \int_0^\infty \frac{dk}{k} \Delta_\Phi^2(k) g_{T\ell}^2(k)$$

$$\langle \Phi(\mathbf{k}_1) \Phi(\mathbf{k}_2) \Phi(\mathbf{k}_3) \rangle = (2\pi)^3 \delta^D(\mathbf{k}_1 + \mathbf{k}_2 + \mathbf{k}_3) F(k_1, k_2, k_3)$$

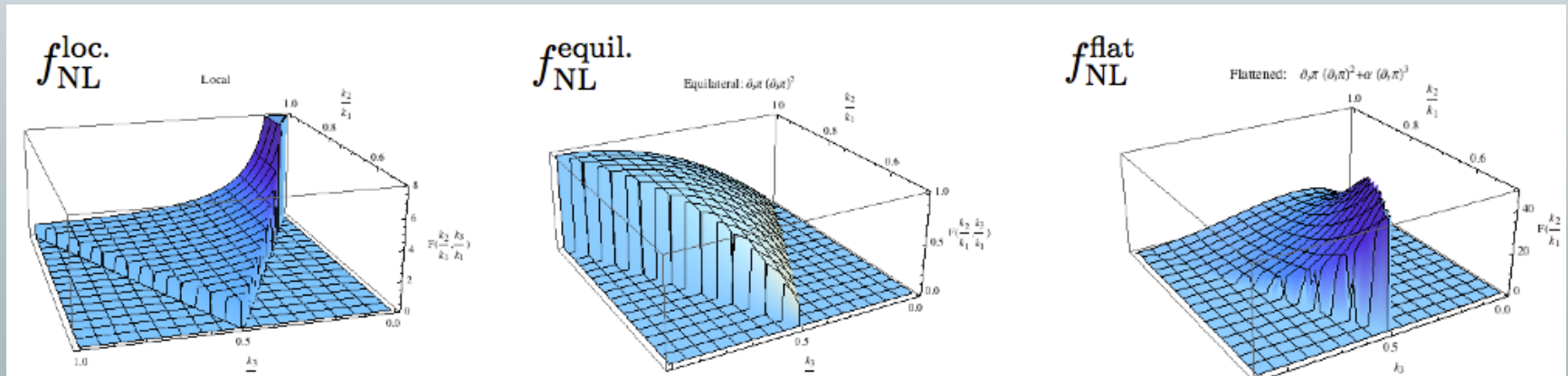


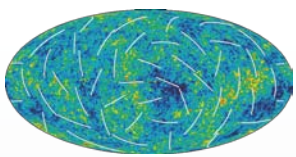
There are many ways to arrange 3 pts!



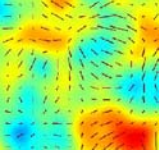
And they are produced by different underlying physics

- squeezed triangle ($k_1 \sim k_2 \gg k_3$), the dominating shape from multi-field, curvaton, inhomogeneous reheating and Ekpyrotic models.
- equilateral triangle ($k_1 = k_2 = k_3$), produced by non-canonical kinetic energy with higher derivative interactions and non-trivial speeds of sound.
- folded triangle ($k_1 = 2k_2 = 2k_3$), produced by non-adiabatic-vacuum models.





Remarks

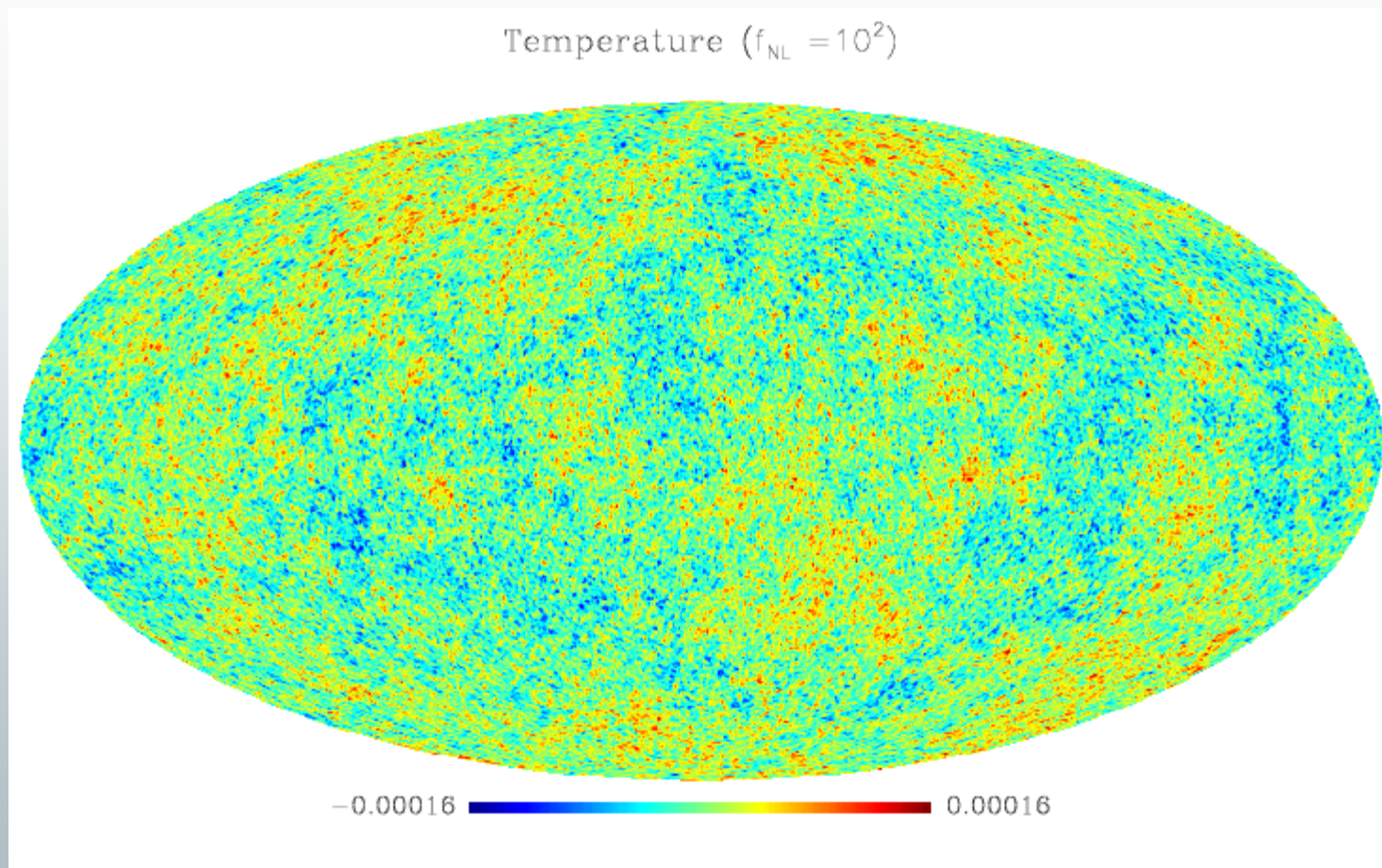


- Assuming $\Phi = \Phi_L + f_{NL} \Phi_L^2$ as in *Salopek & Bond 1990, (Komatsu & Spergel 2001)*
 - $\Phi_L \sim 10^{-5}$ is a Gaussian, linear curvature perturbation in the matter era
 - Therefore, $f_{NL-local} < 100$ means that the distribution of Φ is consistent with a Gaussian distribution to $\sim 100 \times (10^{-5})^2 / (10^{-5}) = \mathbf{0.1\% \text{ accuracy}}$ at 95% CL.
- A lot of work already to assess f_{NL} for various scenarii
 - $f_{NL} \sim 0.05$ canonical inflation (single field, couple of derivatives)
 - (Maldacena 2003, Acquaviva et al 2003)
 - $f_{NL} \sim 0.1--100 \rightarrow$ higher order derivatives
 - ~ 100 : DBI inflation (Alishahiha, Silverstein and Tong 2004)
 - ~ 0.1 : UV cutoff (Creminelli and Cosmol, 2003)
 - $f_{NL} > 10$ curvaton models (Lyth, Ungarelli and Wands, 2003)
 - $f_{NL} \sim 100$ ghost inflation (Arkani-Hamed et al., Cosmol, 2004)
 - ...
- NB: a detection of primordial NG in the squeezed limit (when $k_1 \sim k_2 \gg k_3$) would rule out ALL single-field inflation models, because these obey $B(k_1, k_2, k_3 \rightarrow 0) = (1-n_s)P(k_1)P(k_2)$, and $1-n_s$ is measured to be $\sim < 0.05$)
- Nice reviews of recent NG work & CMB in Komatsu 2010, 1003.6097v2 and Yadav & Wandelt 2010



$$f_{\text{NL}} = 100$$

Positive $f_{\text{NL}} = \text{More Cold Spots}$

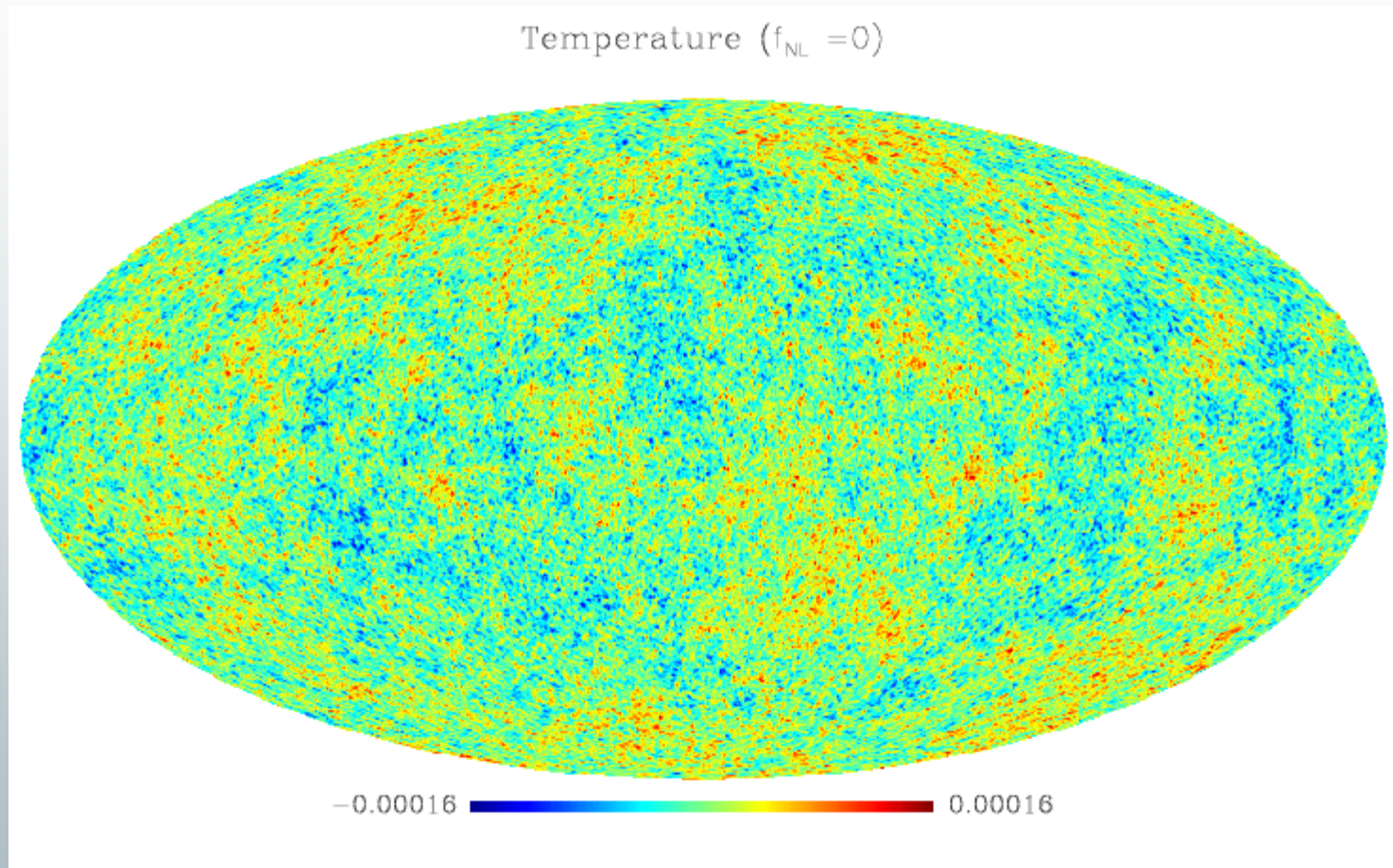


“The frightening power of statistics”

Liguori, Yadav, Hansen, Komatsu, Matarrese, Wandelt 2007

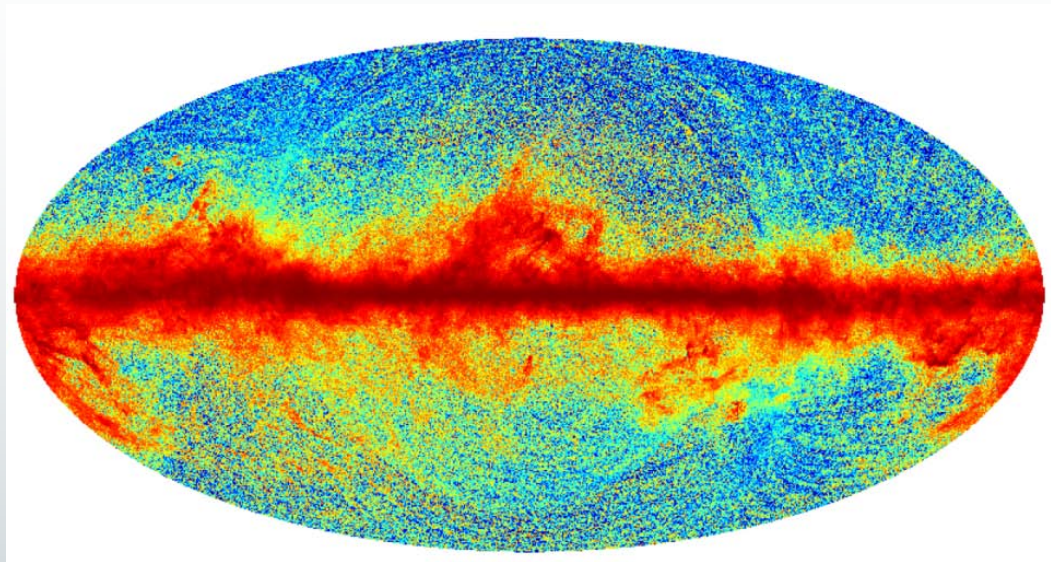


$$f_{NL} = 0$$

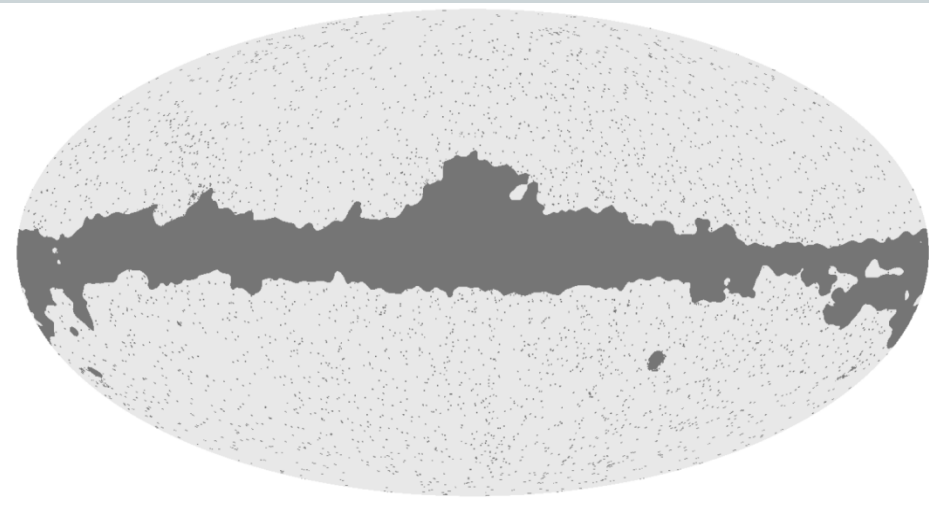
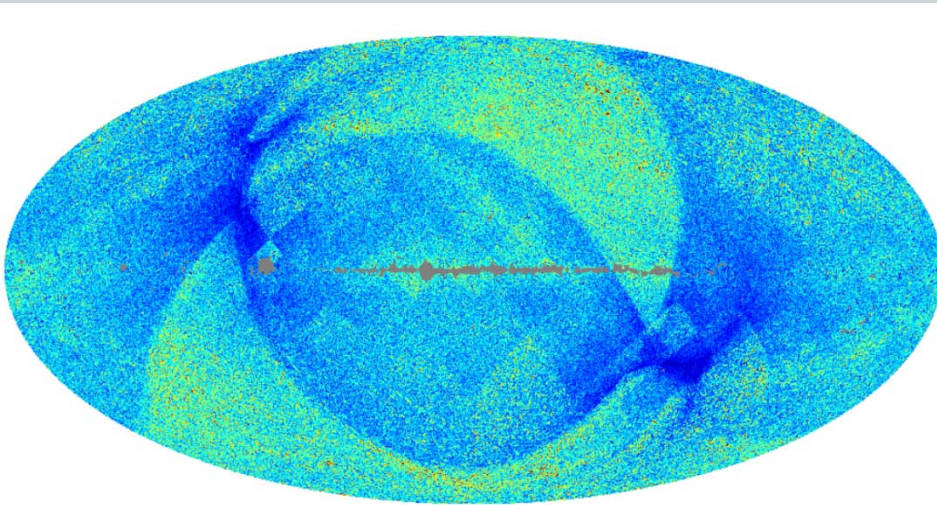




And...



(143GHz)



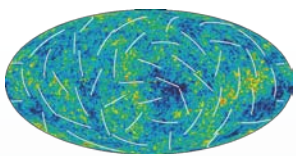


Estimators...

- Given a shape of the initial bispectrum (local, equil., etc), one can devise an unbiased minimum-variance estimator (taking derivatives of bispectrum wrt f_{nl})

$$\widehat{f_{NL}} = \frac{1}{N} \sum_{All\ell} \frac{B_{l_1 l_2 l_3} \widehat{B_{l_1 l_2 l_3}}}{C_{l_1} C_{l_2} C_{l_3}}, \text{ with } N = \sum_{All\ell} \frac{(B_{l_1 l_2 l_3})^2}{C_{l_1} C_{l_2} C_{l_3}}$$

- This is $\propto N_{pix}^{5/2}$ (Planck $N_{pix} \sim 5 \cdot 10^7$). One trick has been to look at factorisable F since then only $\propto N_{pix}^{3/2}$
- ... and debias it with MC to do it in practice, i.e. with a cut sky, inhomogeneous noise:
- In practice, this amounts to filter the maps before multiplying then summing them...



The (local) f_{NL} hunt

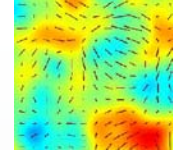
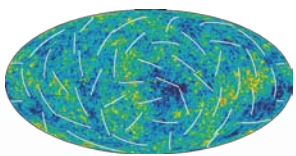
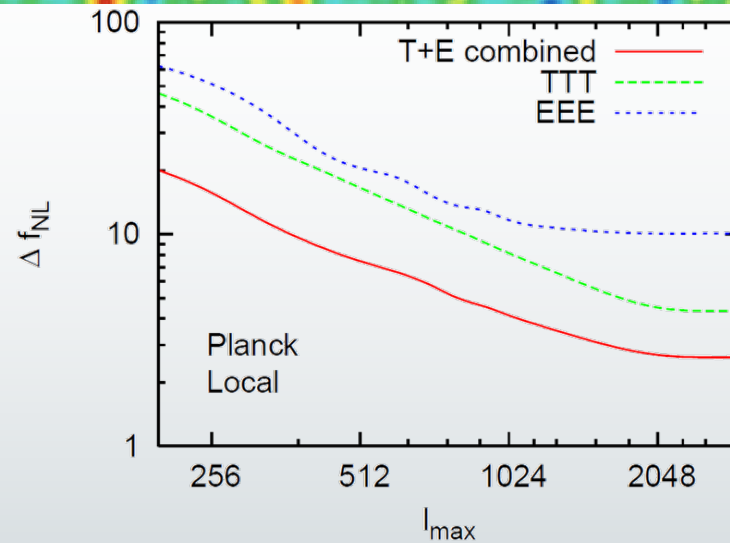
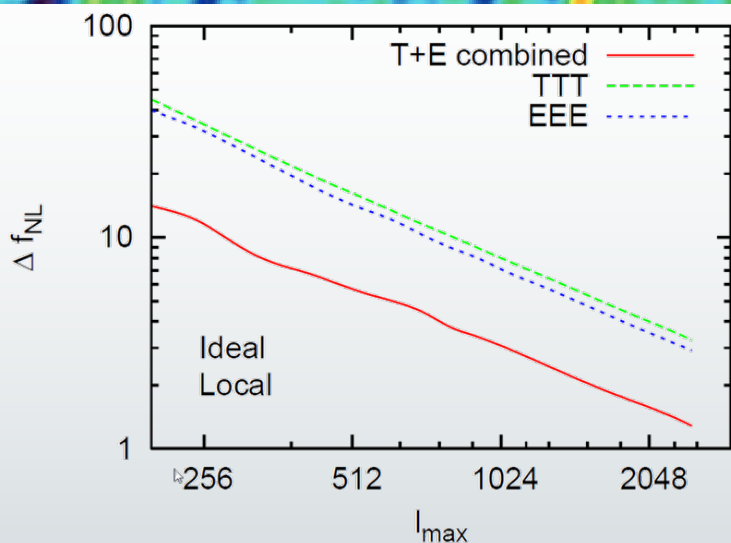
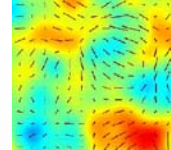


TABLE II: Summary of constraints on local non-Gaussianity

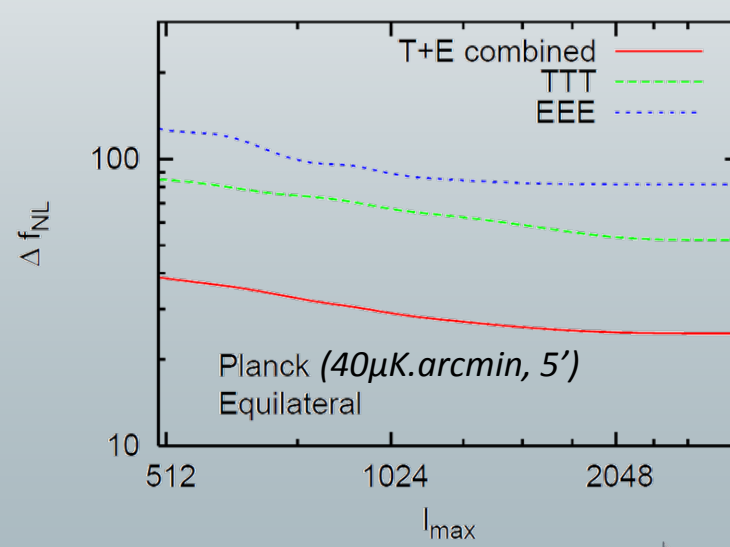
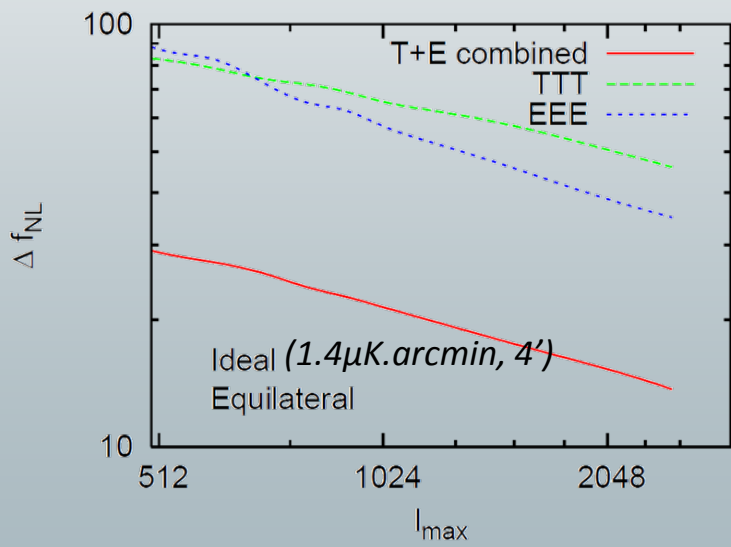
Year	data	Method	$f_{NL}^{local} \pm 2\sigma$ error	
2002	COBE	Bispectrum sub-optimal	$ f_{NL} < 1500$	Komatsu et al. [222]
2003	MAXIMA	Bispectrum sub-optimal	$ f_{NL} < 1900$	Santos et al. [223]
2003	WMAP 1-year	Bispectrum sub-optimal	39.5 ± 97.5	E. Komatsu et al. [23]
2004	VSA	Bispectrum sub-optimal	$f_{NL} < 5400$	Smith et al. [224]
2005	WMAP 1-year	Bispectrum sub-optimal-v1	47 ± 74	Creminelli et al. [25]
2006	WMAP 3-year	Bispectrum sub-optimal	30 ± 84	Spergel et al. [24]
2006	WMAP 3-year	Bispectrum sub-optimal-v1	32 ± 68	Creminelli et al. [26]
2007	WMAP 3-year	Bispectrum near-optimal	87 ± 62	Yadav and Wandelt [28]
2007	Boomerang	Minkowski Functionals	110 ± 910	De Troia et al. [225]
2008	WMAP 3-year	Minkowski Functionals	10.5 ± 80.5	C. Hikage et al. [195]
2008	WMAP 5-year	Bispectrum near-optimal	51 ± 60	Komatsu et al. [51]
2008	ARCHEOPS	Minkowski Functionals	70_{-950}^{1075}	Curto et al. 2008 [226]
2009	WMAP 3-year	Bispectrum optimal	58 ± 46	Smith et al. [131]
2009	WMAP 5-year	Bispectrum optimal	38 ± 42	Smith et al. [131]
2009	WMAP 5-year	Spherical Mexican hat wavelet	31 ± 49	Curto, A et. al. [206]
2009	BOOMERanG	Minkowski Functionals	-315 ± 705	P. Natoli et al. [227]
2009	WMAP 5-year	Skewness power spectrum	11 ± 47.4	Smidt, Joseph et al. [228]
2010	WMAP 7-year	Bispectrum optimal	32 ± 42	Komatsu et al. [132]



Minimum detectable f_{NL} versus l_{max}



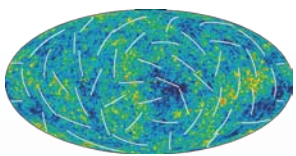
WMAP7
 $\Delta f_{NL}^{loc} \sim 21$
 ←



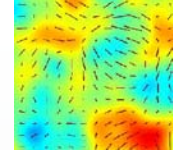
Yadav & Wandelt 2010 1006.0275v3

$\Delta f_{NL}^{local} \sim 1$ is the limit from the CMB; Cramer-Rao for Planck $\sim 3!$

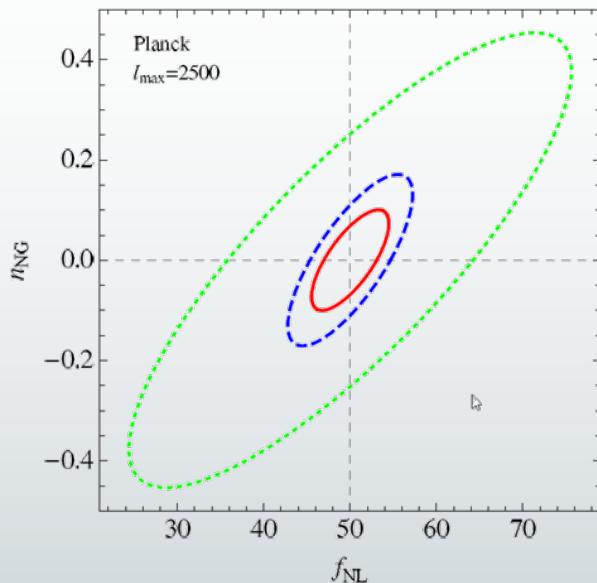




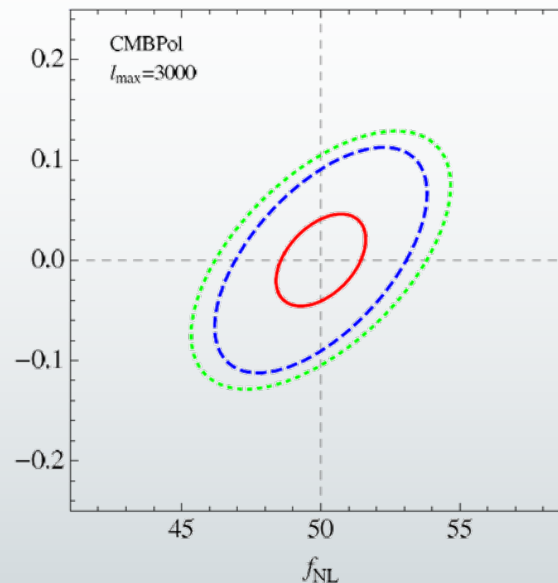
Forecasts for scale-dependent f_{NL}



local

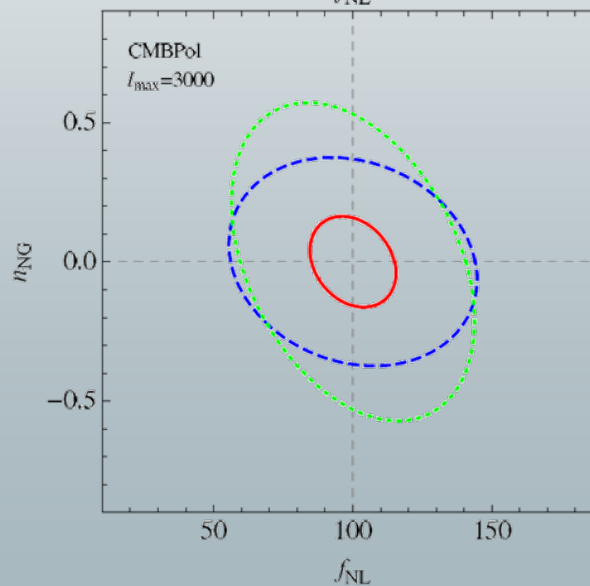
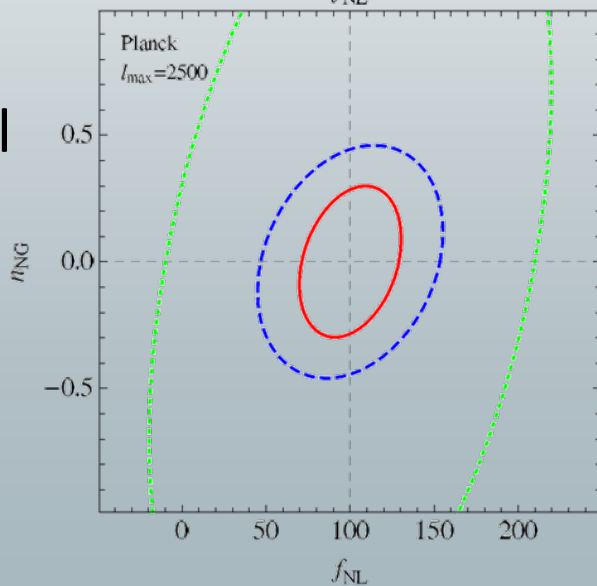


Green EE



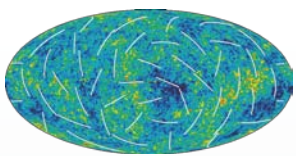
Sefusatti et al. 2009

equilateral

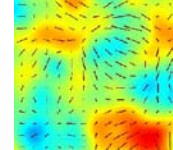


n is the
exponent of
the k
dependence



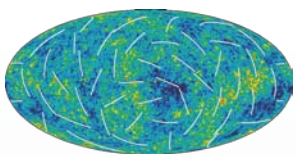


Cramer-Rao bounds are just bounds

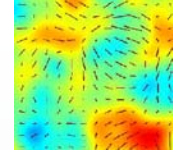


One need to look at all other sources of bispectra

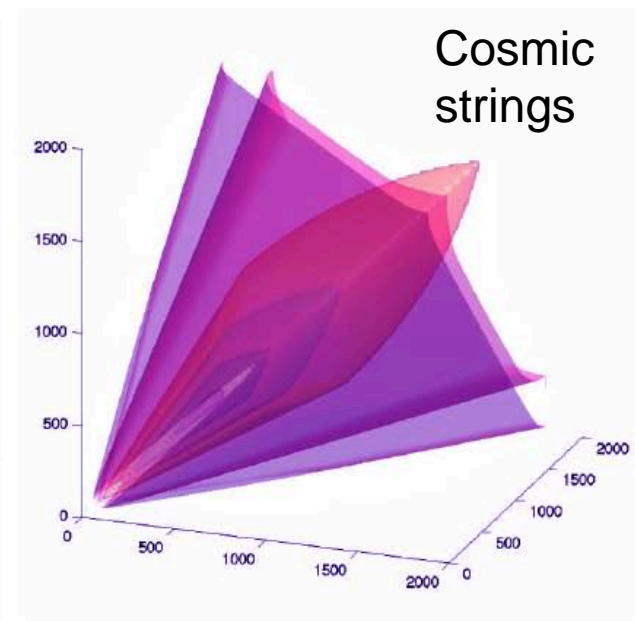
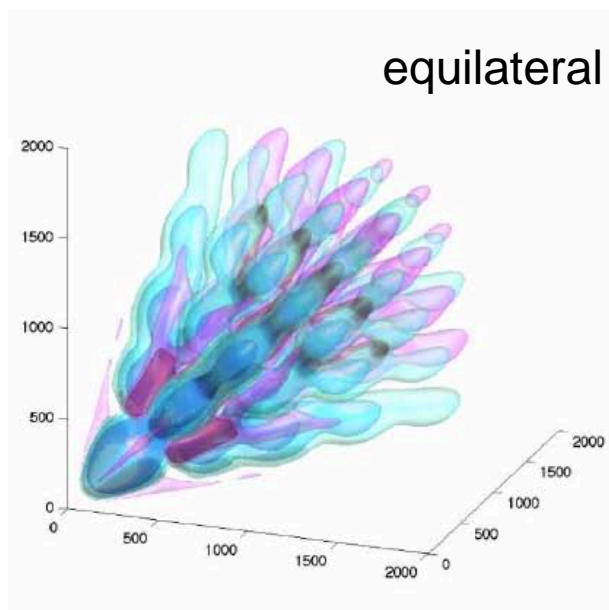
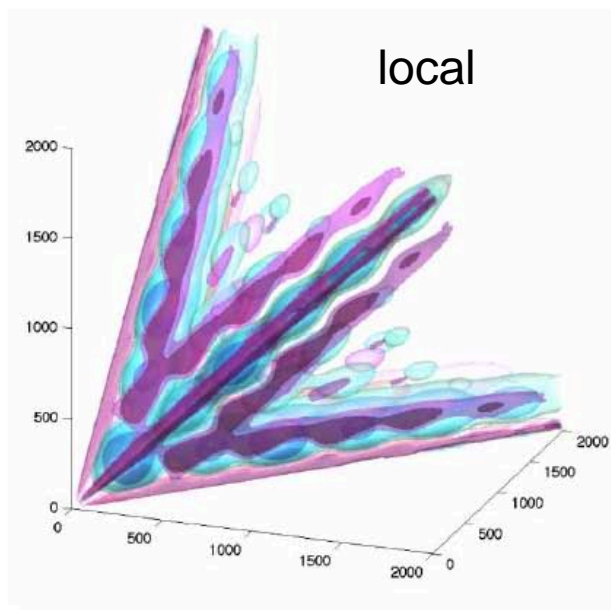
- The largest one comes from **ISW X lensing** which would bias f_{NL} by ~ 9 , if uncorrected.
- NB: **2nd order effects at LS** surface have an equivalent f_{NL} of the order of 1 ($\sim 5?$). No bispectrum template shape yet.
- And astrophysical foregrounds, in particular **point sources**... *Lacasa et al. 1107.2251v1* estimate (for noiseless full-sky maps without beam smoothing) that for Planck at 217 GHz, this may induce a negative bias, $f_{\text{NL}}^{\text{Local}} = -6$, coming from unresolved IR sources (assuming radio sources contribution has been well masked out). To be cont'd (including other foregrounds)...
- And the **instrumental imperfections**...
- Well, that's what we are busy doing... (Fortunately, not all sources project very well on all templates)



Modal bispectrum decomposition

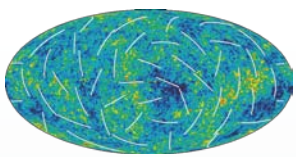


Modal bispectrum decomposition (Fergusson, Liguori & Shellard 2010) has the advantage that no a priori assumption on bispectrum shape is required. Output in one go: primordial bispectrum reconstruction & fNL value for all known bispectrum shapes

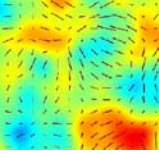


Fergusson and Shellard 2009

For the three most common bispectrum modes Planck will reduce the constrained volume by 70 compared to WMAP with a further factor of 20 possible for a next generation mission.



Trispectrum, and more...



$$\langle a_{l_1 m_1} a_{l_2 m_2} a_{l_3 m_3} a_{l_4 m_4} \rangle = \sum_{LM} (-1)^M \begin{pmatrix} l_1 & l_2 & L \\ m_1 & m_2 & m_3 \end{pmatrix} \begin{pmatrix} l_3 & l_4 & L \\ m_1 & m_2 & m_3 \end{pmatrix} T_{l_3 l_4}^{l_1 l_2}(L)$$

WMAP5 trispectrum constraint on the local g_{NL} model is $-5.6 \times 10^5 < g_{\text{NL}} < 8.6 \times 10^5$

Fergusson, Regan & Shellard, 1012.6039;

See also Vielva & Sanz 2010, Smidt et al. 2010

But no optimal estimator (yet?)

$$T(k_1, k_2, k_3, k_4) = \tau_{\text{NL}} [P_\zeta(k_{13})P_\zeta(k_3)P_\zeta(k_4) + (11 \text{ perms})] + \frac{54}{25} g_{\text{NL}} [P_\zeta(k_2)P_\zeta(k_3)P_\zeta(k_4) + (3 \text{ perms})], (21)$$

$$\tau_{\text{NL}} = (6f_{\text{NL}}/5)^2 \quad \text{for single field models}$$

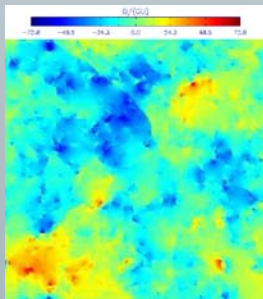
- Minkowski functionals (recently Hikage, Matsubara, etc)

$$V_k^{(d)}(\nu) = \frac{1}{(2\pi)^{(k+1)/2}} \frac{\omega_d}{\omega_{d-k}\omega_k} \left(\frac{\sigma_1}{\sqrt{d}\sigma_0} \right)^k e^{-\nu^2/2} \left\{ H_{k-1}(\nu) + \left[\frac{1}{6} S^{(0)} H_{k+2}(\nu) + \frac{k}{3} S^{(1)} H_k(\nu) + \frac{k(k-1)}{6} S^{(2)} H_{k-2}(\nu) \right] \sigma_0 + \mathcal{O}(\sigma_0^2) \right\},$$

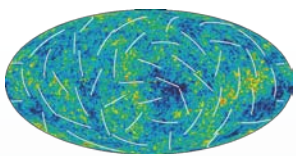
$$S^{(0)} \equiv \frac{\langle f^3 \rangle}{\sigma_0^4},$$

$$S^{(1)} \equiv -\frac{3}{4} \frac{\langle f^2 (\nabla^2 f) \rangle}{\sigma_0^2 \sigma_1^2},$$

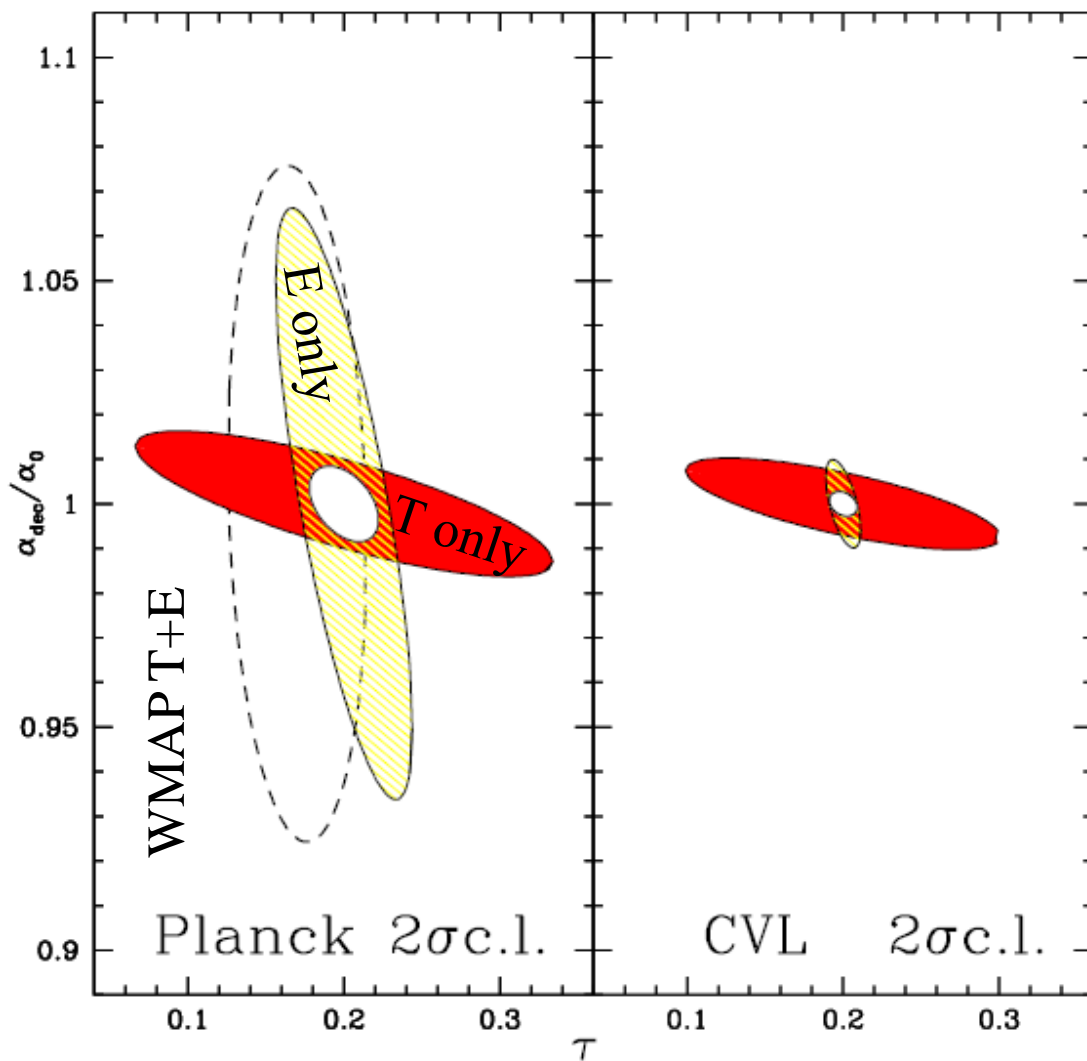
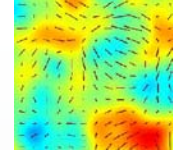
$$S^{(2)} \equiv -\frac{3d}{2(d-1)} \frac{\langle (\nabla f) \cdot (\nabla f) (\nabla^2 f) \rangle}{\sigma_1^4},$$



- And wavelets, needlets, etc (different weighting \rightarrow cross-checks..)
- + Indicators specific to Strings, PMF, etc.



Variations of the fine structure constant



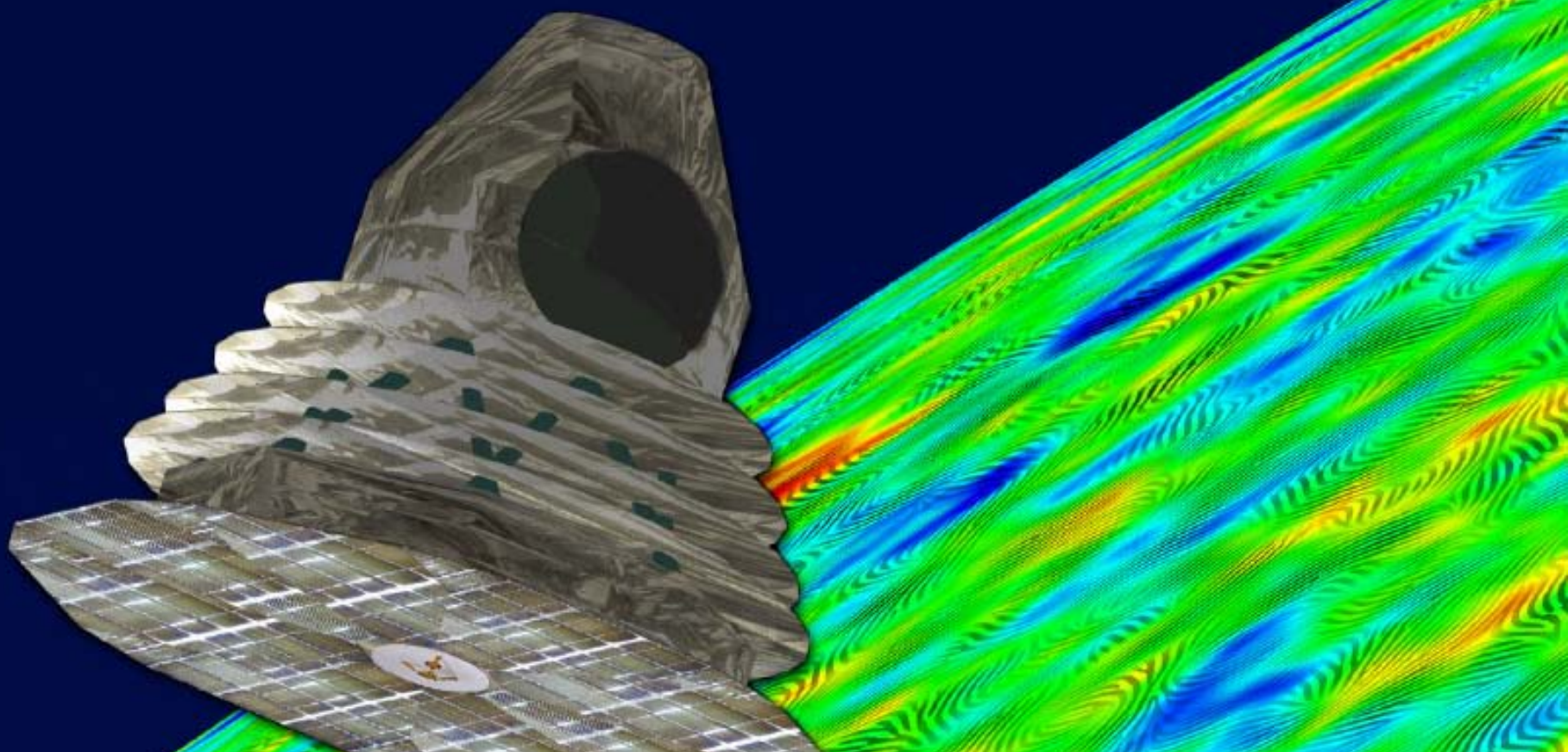
Planck will uniquely constrain the value of the fine structure constant at $z \sim 1000$

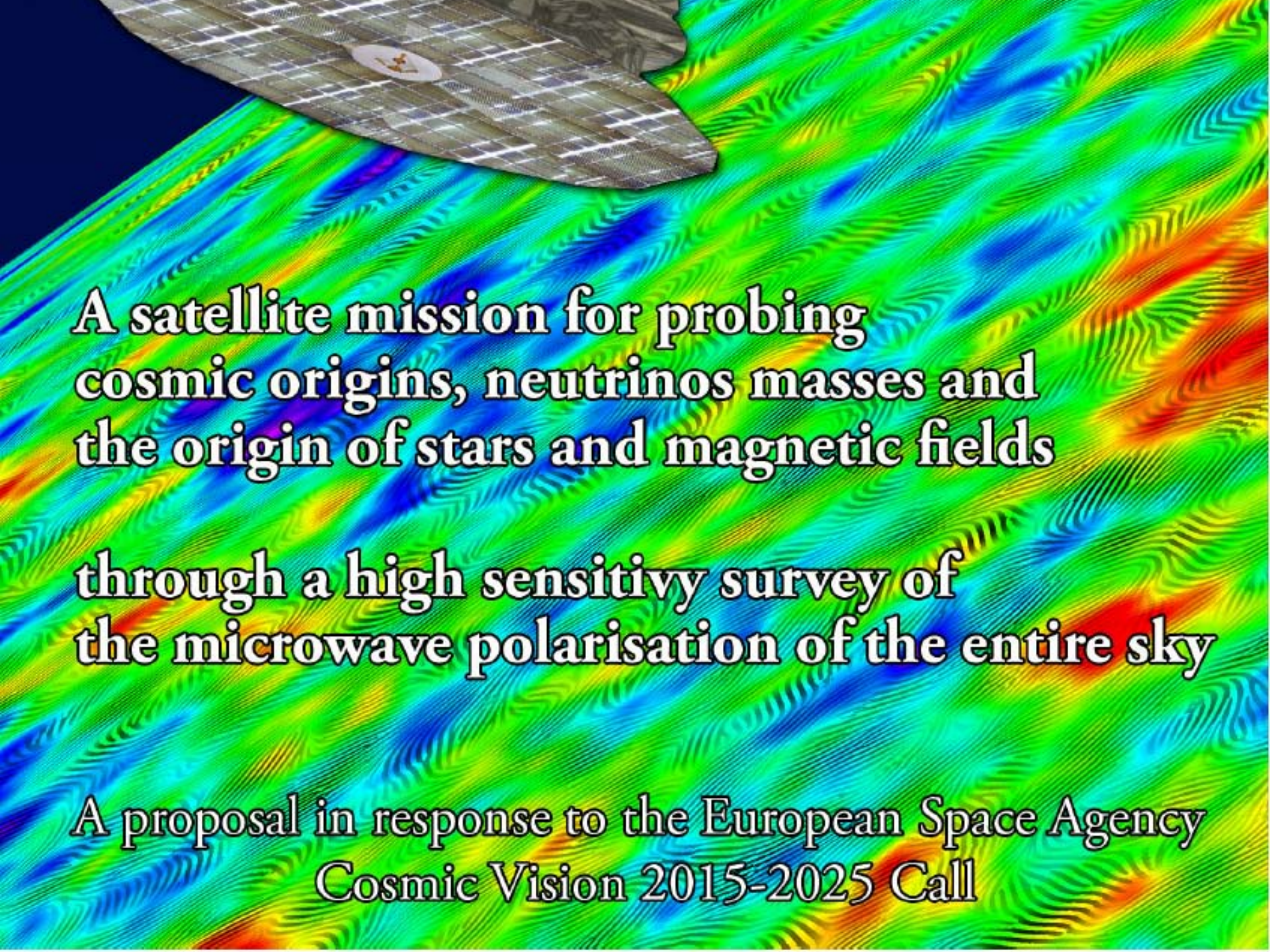
And will go a long way towards extracting all the information CMB has to offer on this (as expected progress will mostly be via E polarization measures)

Rocha et al. 2004

CORE

Cosmic ORigins Explorer





**A satellite mission for probing
cosmic origins, neutrinos masses and
the origin of stars and magnetic fields**

**through a high sensitivity survey of
the microwave polarisation of the entire sky**

**A proposal in response to the European Space Agency
Cosmic Vision 2015-2025 Call**



Performances summary



ν GHz	θ_{fwhm} arcmin	n_{det}	Temp (I) $\mu K \cdot arcmin$		Pol (Q,U) $\mu K \cdot arcmin$	
			RJ	CMB	RJ	CMB
23	52.8	2	413	418	584	592
33	39.6	2	413	424	584	600
41	30.6	4	365	381	516	539
61	21.0	4	438	481	619	681
94	13.2	8	413	516	584	729

WMAP (9 year mission)

Sensitivity of Planck X20
Achieved through
durationX2, Inst.sensit.X2,
detector numberX100

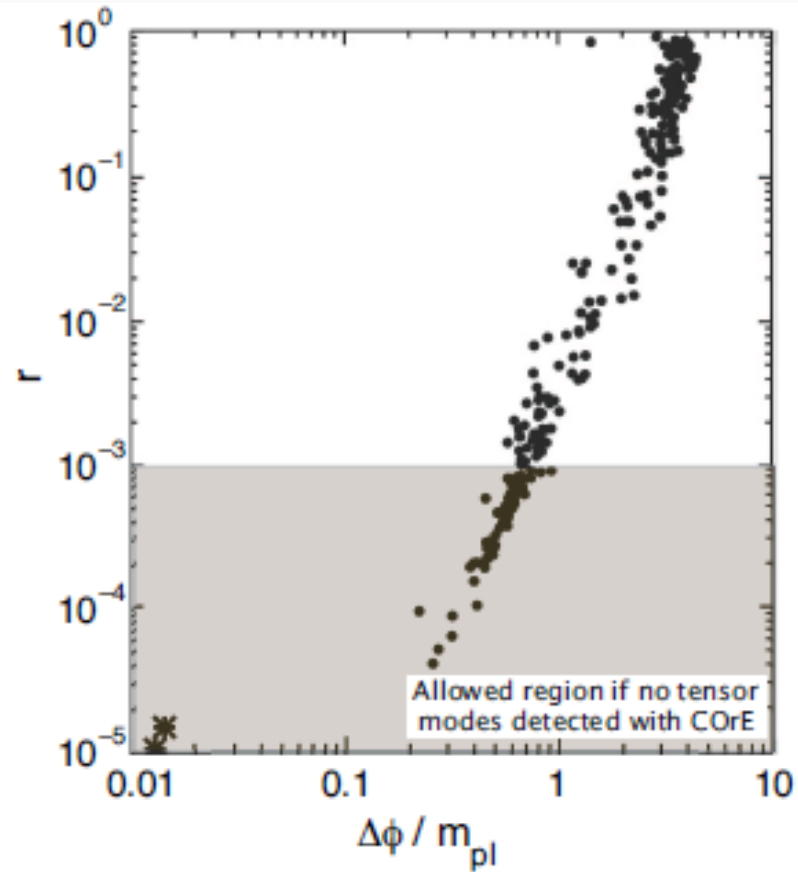
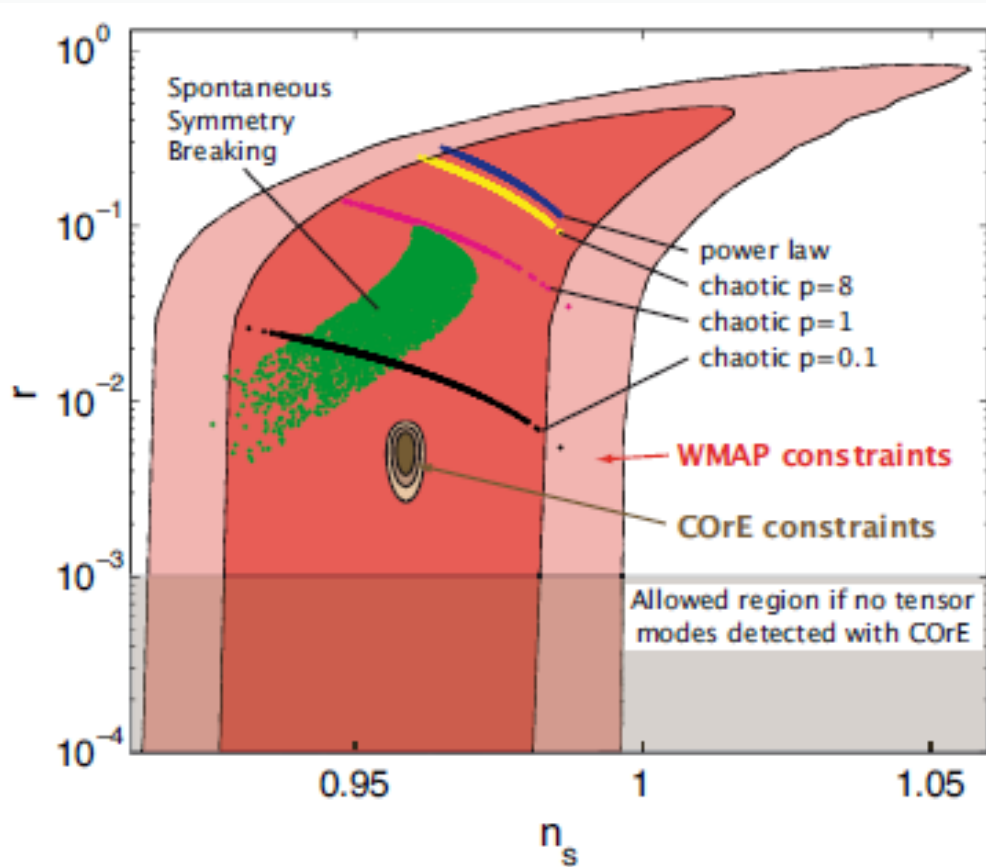
ν GHz	$(\Delta\nu)$ GHz	n_{det}	θ_{fwhm} arcmin	Temp (I) $\mu K \cdot arcmin$		Pol (Q,U) $\mu K \cdot arcmin$	
				RJ	CMB	RJ	CMB
45	15	64	23.3	4.98	5.25	8.61	9.07
75	15	300	14.0	2.36	2.73	4.09	4.72
105	15	400	10.0	2.03	2.68	3.50	4.63
135	15	550	7.8	1.68	2.63	2.90	4.55
165	15	750	6.4	1.38	2.67	2.38	4.61
195	15	1150	5.4	1.07	2.63	1.84	4.54
225	15	1800	4.7	0.82	2.64	1.42	4.57
255	15	575	4.1	1.40	6.08	2.43	10.5
285	15	375	3.7	1.70	10.1	2.94	17.4
315	15	100	3.3	3.25	26.9	5.62	46.6
375	15	64	2.8	4.05	68.6	7.01	119
435	15	64	2.4	4.12	149	7.12	258
555	195	64	1.9	1.23	227	3.39	626
675	195	64	1.6	1.28	1320	3.52	3640
795	195	64	1.3	1.31	8070	3.60	22200

COrE summary (4 year mission)

ν GHz	n_{unpol}	n_{pol}	θ_{fwhm} arcmin	Temp (I) $\mu K \cdot arcmin$		Pol (Q,U) $\mu K \cdot arcmin$	
				RJ	CMB	RJ	CMB
30	4	4	32.7	198.5	203.2	280.7	287.4
44	6	6	27.9	228.0	239.6	322.4	338.9
70	12	12	13.0	186.5	211.2	263.7	298.7
100	8	8	9.9	23.9	31.3	33.9	44.2
143	11	8	7.2	11.9	20.1	19.7	33.3
217	12	8	4.9	9.4	28.5	16.3	49.4
353	12	8	4.7	7.6	107.0	13.2	185.3
545	3	0	4.7	6.8	1.1×10^3	—	—
857	3	0	4.4	2.9	8.3×10^4	—	—

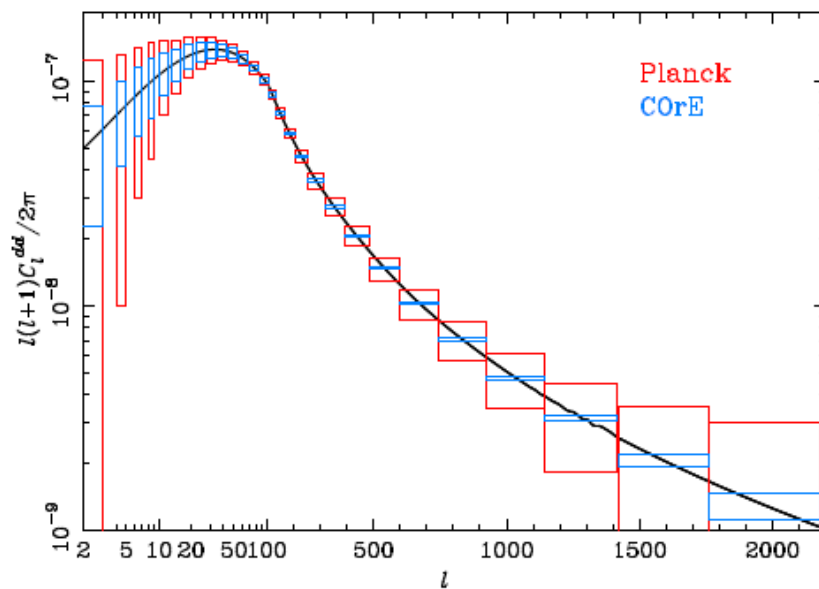
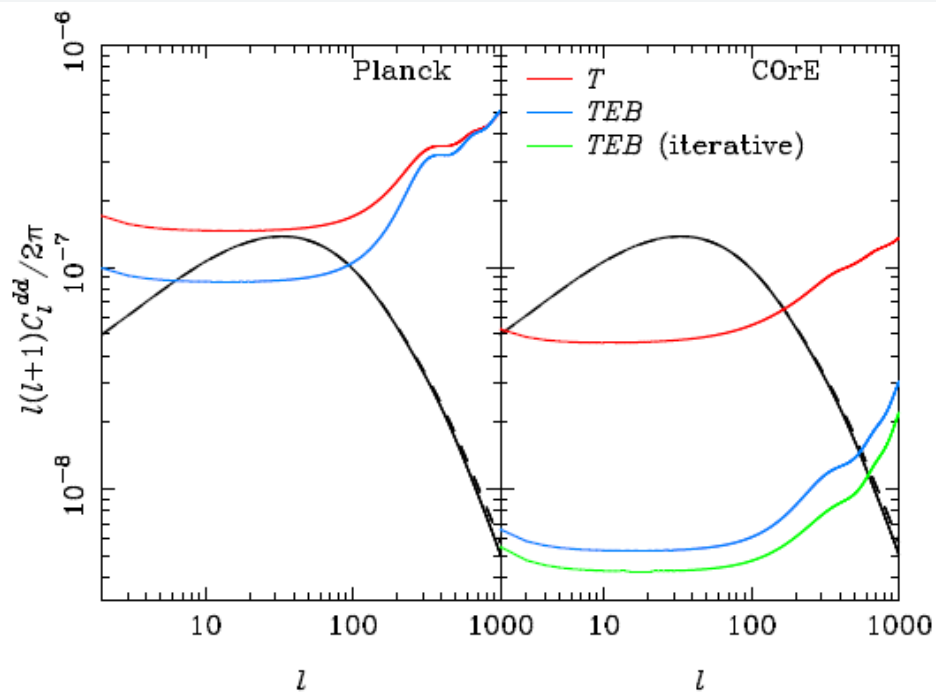
PLANCK (30 month mission)

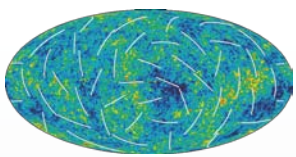




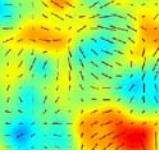


Lensing: reconstruction noise





Conclusions 1/2



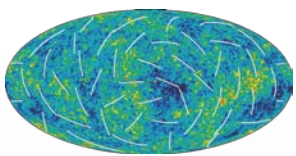
- Plain vanilla LCDM offers a good fit to all existing data
- Parameters are now determined with an accuracy at the per cent level:

- 1.7% on Ω_B ,
- 2.5% $\Omega_c h^2$,
- 1.4% on Θ_S
- 1% on n_s
- 1.7% on τ ,
- 4% on normalisation A_s

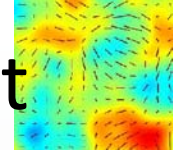
Summary of t

Parameter	WMAP Seven-year ML ^b
$100\Omega_b h^2$	2.227
$\Omega_c h^2$	0.1116
Ω_Λ	0.729
n_s	0.966
τ	0.085
$\Delta_{\mathcal{R}}^2(k_0)^d$	2.42×10^{-9}

- For the minimal model, using CMB+LSS (WMAP7+SPT+H0+BAO)
- No compelling indication of deviations (even though some are expected), nor of any anomalies



Search for extensions, expected or not



➤ WMAP7 found none detectable yet

Table 2

Summary of the 95% Confidence Limits on Deviations From the Simple (Flat, Gaussian, Adiabatic, Power-law) Λ CDM Model Except for Dark Energy Parameters

Section	Name	Case	WMAP Seven-year	WMAP+BAO+SN ^a	WMAP+BAO+H ₀
Section 4.1	Grav. wave ^b	No running ind.	$r < 0.36^c$	$r < 0.20$	$r < 0.24$
Section 4.2	Running index	No grav. wave	$-0.084 < dn_s/d \ln k < 0.020^c$	$-0.065 < dn_s/d \ln k < 0.010$	$-0.061 < dn_s/d \ln k < 0.017$
Section 4.3	Curvature	$w = -1$	N/A	$-0.0178 < \Omega_k < 0.0063$	$-0.0133 < \Omega_k < 0.0084$
Section 4.4	Adiabaticity	Axion	$\alpha_0 < 0.13^c$	$\alpha_0 < 0.064$	$\alpha_0 < 0.077$
		Curvaton	$\alpha_{-1} < 0.011^c$	$\alpha_{-1} < 0.0037$	$\alpha_{-1} < 0.0047$
Section 4.5	Parity violation	Chern-Simons ^d	$-5^\circ.0 < \Delta\alpha < 2^\circ.8^e$	N/A	N/A
Section 4.6	Neutrino mass ^f	$w = -1$	$\sum m_\nu < 1.3\text{eV}^c$	$\sum m_\nu < 0.71\text{eV}$	$\sum m_\nu < 0.58\text{eV}^g$
		$w \neq -1$	$\sum m_\nu < 1.4\text{eV}^c$	$\sum m_\nu < 0.91\text{eV}$	$\sum m_\nu < 1.3\text{eV}^h$
Section 4.7	Relativistic species	$w = -1$	$N_{\text{eff}} > 2.7^c$	N/A	$4.34^{+0.86}_{-0.88}$ (68% CL) ⁱ
Section 6	Gaussianity ^j	Local	$-10 < f_{NL}^{\text{local}} < 74^k$	N/A	N/A
		Equilateral	$-214 < f_{NL}^{\text{equil}} < 266$	N/A	N/A
		Orthogonal	$-410 < f_{NL}^{\text{orthog}} < 6$	N/A	N/A

$G\mu < 1 \times 10^{-7}$ (ACT)

Komatsu et al. APJs, 192:18, 2011

See also lack of anomalies claimed in *Bennett et al., ApJs, 2011*

➤ Situation unchanged with most recent small scale data

	WMAP7	ACBAR+QUaD+WMAP7	ACT+WMAP7	SPT+WMAP7
r	< 0.7	< 0.33	< 0.25	< 0.21
$dn_s/d \ln k$	$[-0.084, 0.020]$	$[-0.084, 0.003]$	-0.034 ± 0.018	-0.024 ± 0.013
Y_p	< 0.51	0.326 ± 0.075	0.313 ± 0.044	0.296 ± 0.030
N_{eff}	> 2.7	—	5.3 ± 1.3	3.85 ± 0.62

➤ Planck starts from this lack of surprises/detections...





Conclusions 2/2



- Planck works very well. HFI exceeds expectations.
- HFI survey data collection finishing. EOL Jan 15th, with about twice more data than the nominal 15months.

- First 10 months of data (Aug13th→Jun6th): (re)processing & characterising, producing ERCSC, performing first scientific analysis and publishing, all done in 7 months.
 - *ERCSC (~15 000 sources, 199 SZ clusters in ESZ, 915 in ECC) fulfills expectations; download available from the Planck legacy archive at ESA (and at IPAC too)*
 - *25 papers unveiled at Planck2011 in “La Cité des Sciences”, Paris (& AAS) A&A special issue*

- Our model of the data is already good enough to enable some further CMB foregrounds analysis, but not yet fully “cosmology grade”.
 - *Intermediate papers on foregrounds expected in early 2012, cosmology & 1st data release early 2013! (final in 2014)*

- PLANCK + ACTPOL/SPTPOL/... + LSS + LHC... + EUCLID! CORe?
- The coming years will continue to be fantastic!





Planck pre-launch status: The Planck mission

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(Affiliations can be found after the references)





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The first 25 (a to y)



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Planck early results 03: First assessment of the Low Frequency Instrument in-flight performance		Mennella et al.
Planck early results 04: First assessment of the High Frequency Instrument in-flight performance		Planck HFI Core Team
Planck early results 05: The Low Frequency Instrument data processing		Zacchei et al.
Planck early results 06: The High Frequency Instrument data processing		Planck HFI Core Team
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